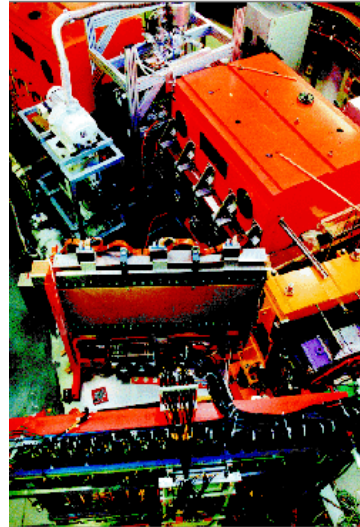
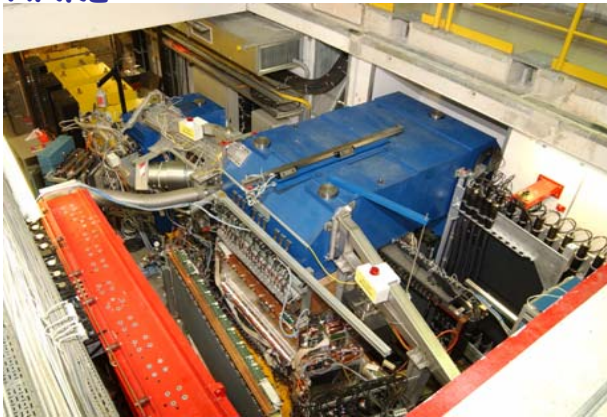


# Strangeness Production @ COSY



Forschungszentrum Jülich  
in der Helmholtz-Gemeinschaft

ANKE



COSY-11

COSY-TOF



Proton Induced  
Strangeness Production  
on Protons and Nuclei  
Near Threshold

Markus Büscher  
Forschungszentrum Jülich  
Germany

# The Accelerator: COSY-Jülich



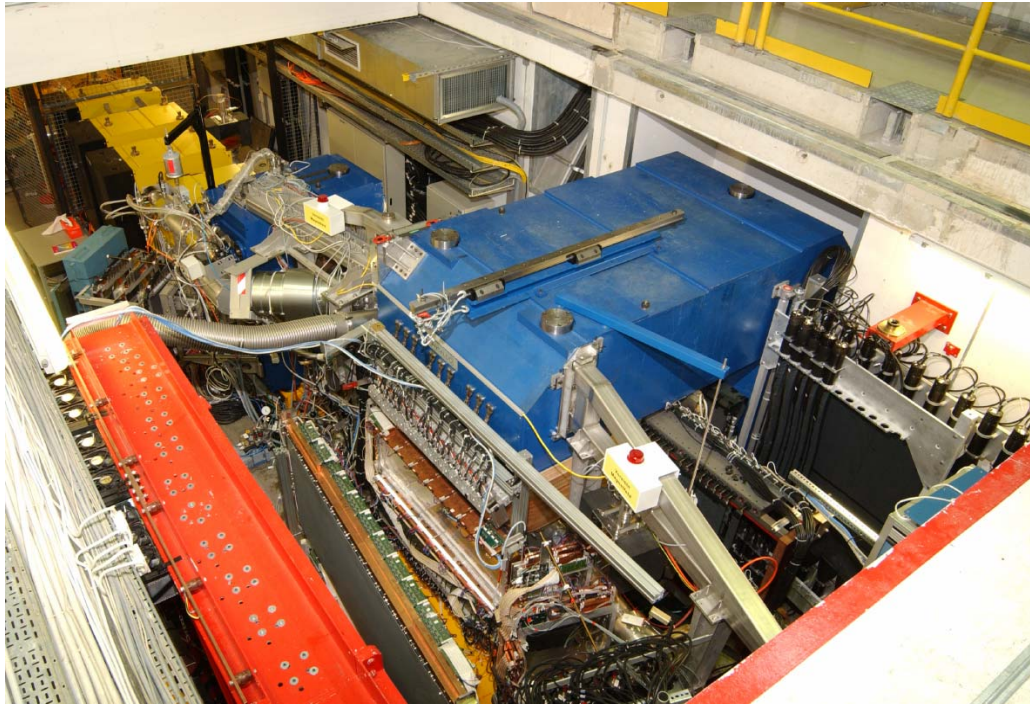
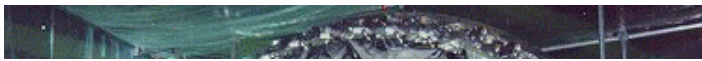
Forschungszentrum Jülich  
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## **COSY** (Cooler Synchrotron) at FZ-Jülich (Germany):

- (polarized) p & d beams
- phase-space cooling
  - electron & stochasting cooling
- $p = 0.30 - 3.65 \text{ GeV}/c$ 
  - $pp \rightarrow pp X$  ( $m_X \leq 1.1 \text{ GeV}/c^2$ )
  - $dd \rightarrow \alpha X$  ( $m_X \leq 1.0 \text{ GeV}/c^2$ )
  - $pp \rightarrow pK^+ Y^*$  ( $m_{Y^*} \leq 1.5 \text{ GeV}/c^2$ )
- internal & external beams



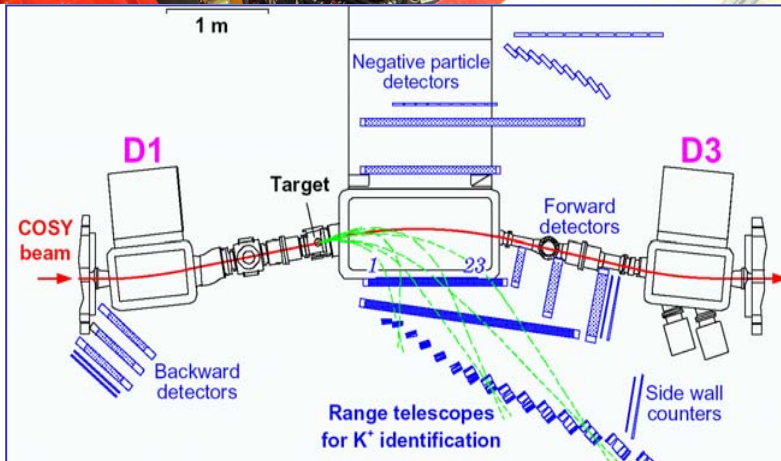


### ANKE, COSY-11:

- circulating beam
- thin internal targets
- forward spectrometer (small acceptance)
- **magnetic** spectrometer

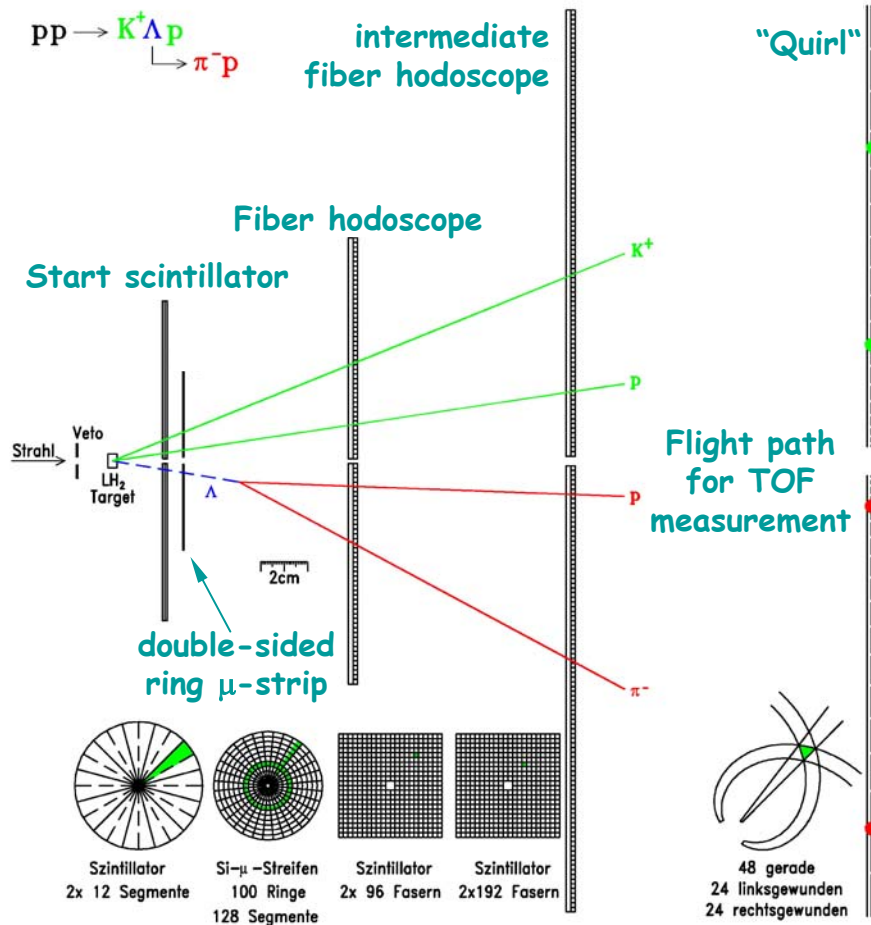
### COSY-TOF:

- extracted beam
- small target (vertex)
- nearly  $4\pi$  coverage (no charge id)
- **non-magnetic**



### MOMO (at BIG KARL)

# COSY-TOF: Detection Principle



- No magnetic field
- Detection of **charged** ejectiles
- Complete geometrical reconstruction of each event  
 $\Rightarrow$  kinematical variables
- Start detector optimized for track/vertex reconstruction
- Additionally: TOF &  $\Delta E$
- Trigger: charge 2  $\rightarrow$  4

# Strangeness Production ...



## Initial- (ISI) and Final State Interactions (FSI):

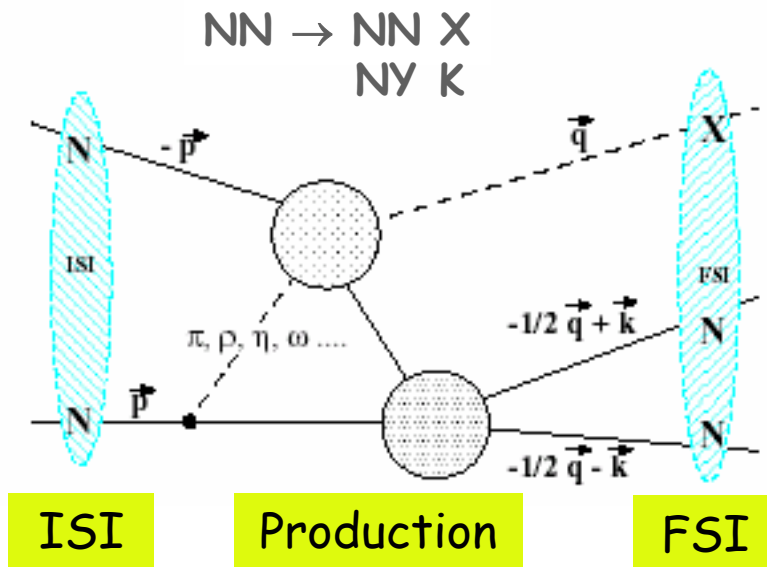
If  $(p,Y)$ ,  $(p,K)$ , or  $(K,Y)$  travel along with each other, they interact and „distort“ spectra (observables):

→ exploit this to **study** such **interactions** !!

→ reactions close to threshold

Example:  $(p\Lambda)$ -FSI

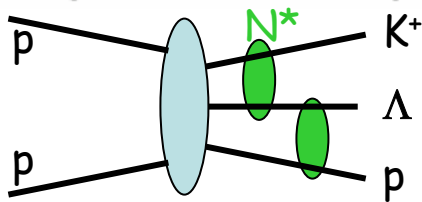
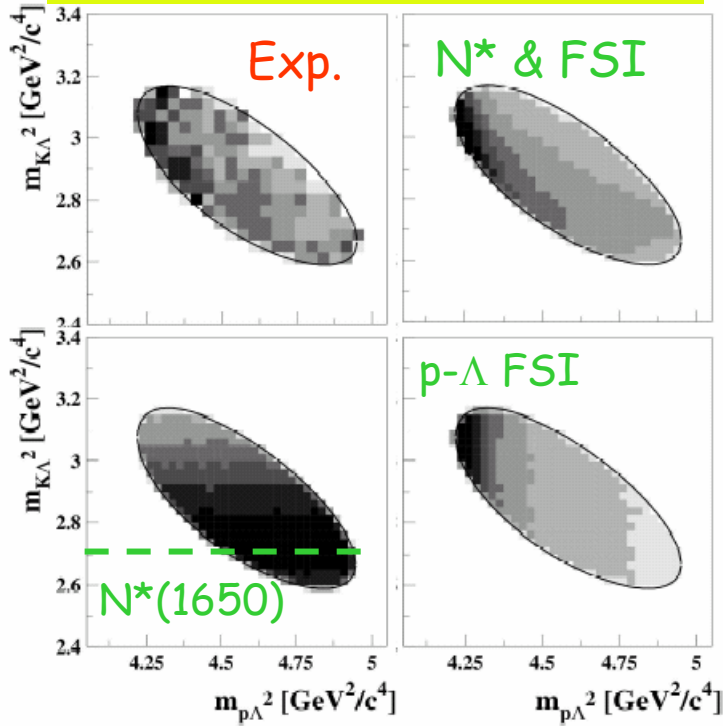
→  $(p\Lambda)$  **scattering length**



# $\Lambda$ -Hyperon Production



## $p p \rightarrow p K^+ \Lambda$ (COSY-TOF)



Dalitz-plots:

(analysis w/ theoretical model of A. Sibirtsev)

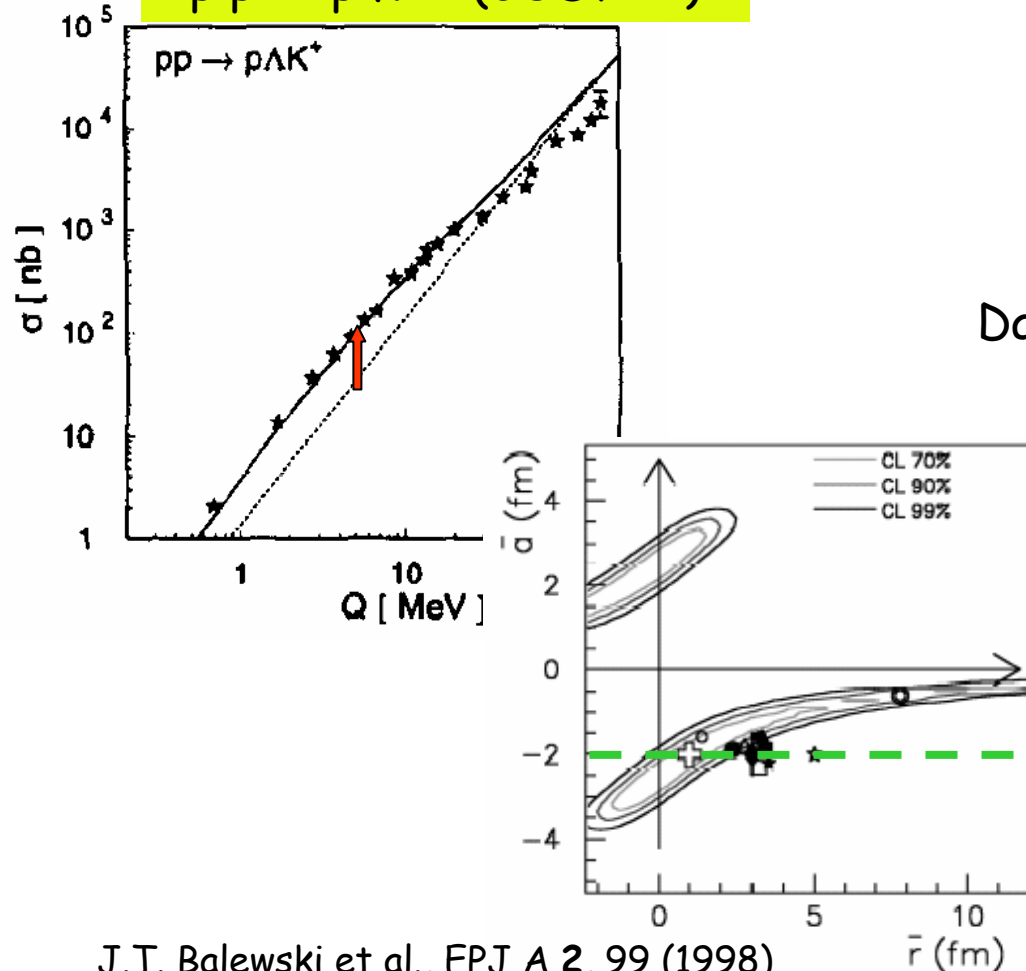
- at  $2.85 \text{ GeV}/c$  (see Fig.)  
 → in addition to  $p\text{-}\Lambda$  FSI, a strong contribution of the  $N^*(1650)$  nucleon resonance is needed
- At higher energies, also the  $N^*(1710)$  has to be included  
 $[FSI+N^*(1650)] : N^*(1710) \sim 1$

W. Schröder, Ph.D. thesis Uni Erlangen, to be published

# $\Lambda p$ Interaction



## $pp \rightarrow p K^+ \Lambda$ (COSY-11)



Total cross section for  $pp \rightarrow p K^+ \Lambda$

- a) ..... phase space
- b) — p- $K^+$  Coulomb repulsion  
and  
**p- $\Lambda$  strong FSI**

Dalitz-pot analysis:

→ spin-averaged  $\Lambda p$ -scattering length:

$$\bar{a} = -(2.0 \pm 0.2) \text{ fm}$$

**But:**

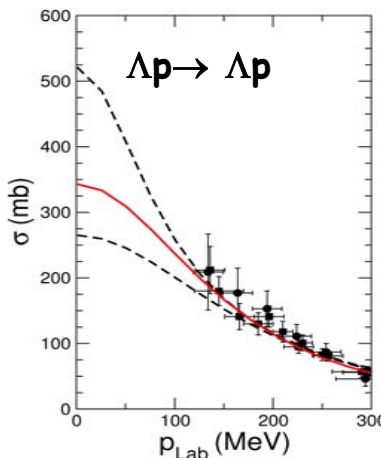
- a and r are correlated
- Watson formula applicable?
- Spin dependence ( $a_s/a_t$ )?

Theory can help ... !

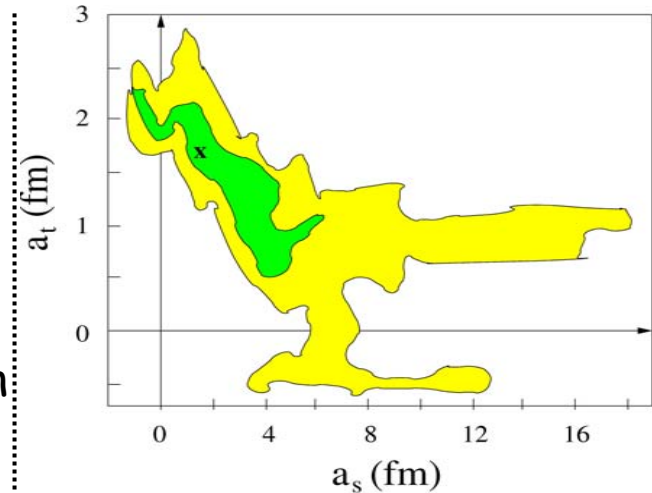




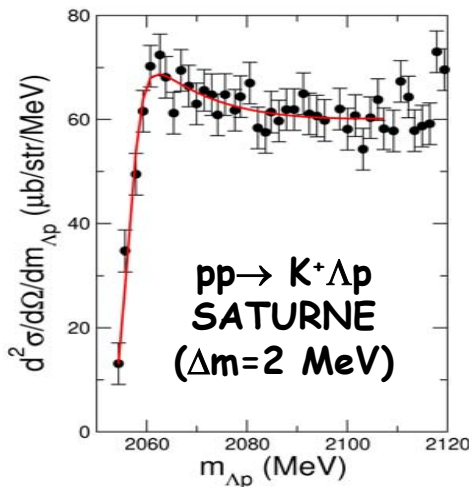
# $\Lambda p$ Scattering Length



- Data:
  - $\Lambda p$  elastic scattering  
( $\sigma_{el} = \frac{1}{4} \sigma_s + \frac{3}{4} \sigma_t$ )
  - Bubble chamber
- Fit:
  - Effective-range expansion



G. Alexander et al., PR 173, 1452 (1968)



$$a_S = \lim_{M^2 \rightarrow m_0^2} \frac{1}{2\pi} \left( \frac{m_\Lambda + m_p}{\sqrt{m_\Lambda m_p}} \right) \mathbf{P} \int_{m_0^2}^{m_{max}^2} dm^2 \sqrt{\frac{m_{max}^2 - M^2}{m_{max}^2 - m^2}} \times \frac{1}{\sqrt{m^2 - m_0^2} (m^2 - M^2)} \log \left\{ \frac{1}{p'} \left( \frac{d^2 \sigma_S}{dm^2 dt} \right) \right\}$$

$\uparrow$   
 $S = s \text{ or } t$

observable

$$\underline{a} = (-1.5 \pm 0.15_{exp} \pm 0.3_{th}) \text{ fm}$$

- Polarisation measurements (COSY)  $\rightarrow a_s, a_t$
- Formula also applicable for  $\gamma d \rightarrow K \Lambda N$

A. Gasparian et al., subm. to PRC

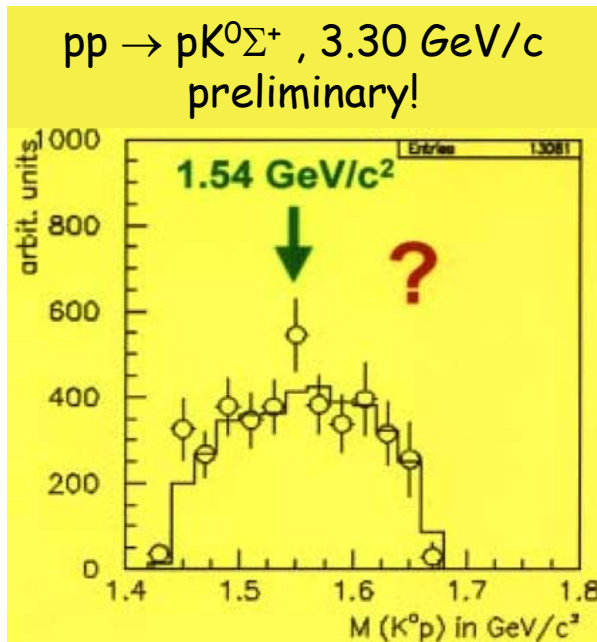
# $\Sigma$ -Hyperon Production



$p p \rightarrow p K^0 \Sigma^+$  (COSY-TOF)

Dalitz-plots:

- at 3.20 GeV/c (see Fig.)
  - rather smooth distribution
- “pentaquark” states ( $\theta^+$ )???
  - observed in ( $nK^+$ ) in photo-nuclear reactions
  - here:  $pp \rightarrow \Sigma^+ \theta^+$ 
    - ↳  $K^0 p$
  - nothing seen in  $pp \rightarrow \Lambda (K^+ p)$  !!



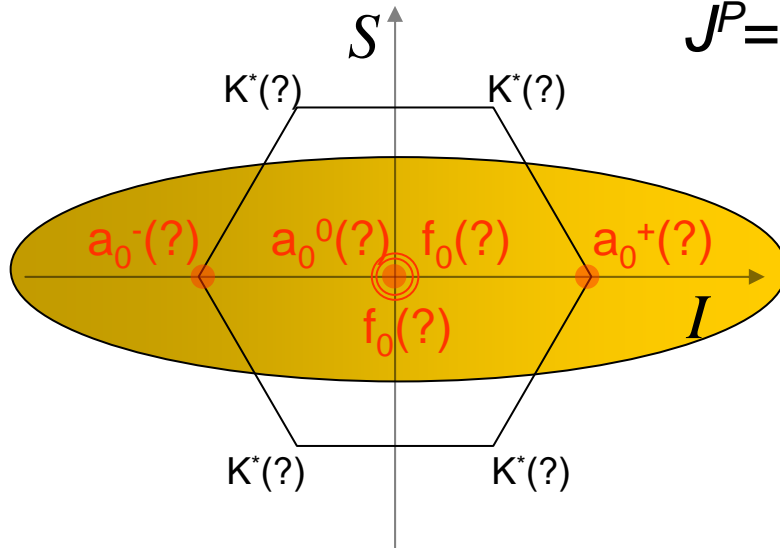
“... we are optimistic to significantly contribute to the topic ...”

# The Light Scalar Resonances

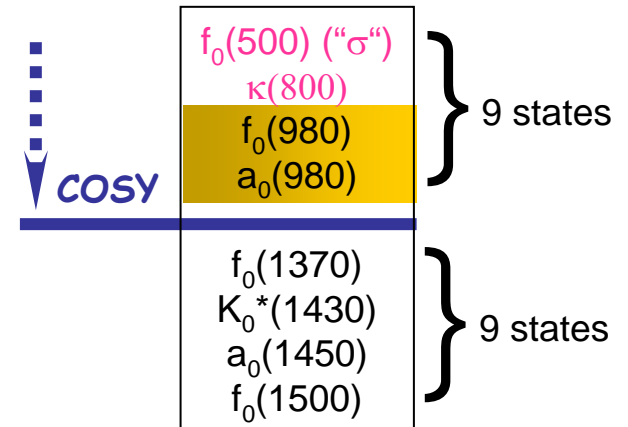


## Nonet of light scalar mesons

$$J^P=0^+$$



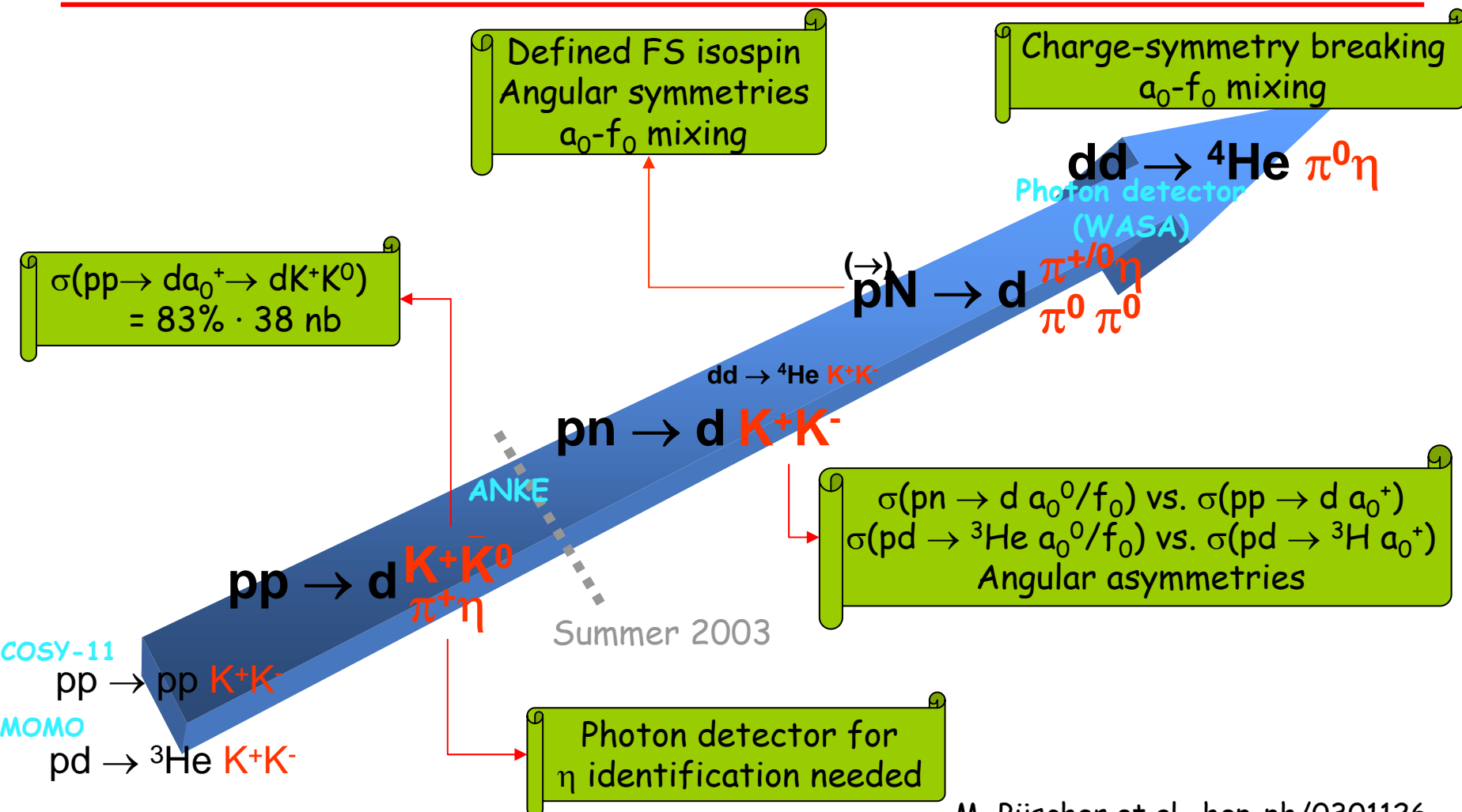
## Possible candidates



# The $a_0/f_0(980)$ at ANKE/COSY



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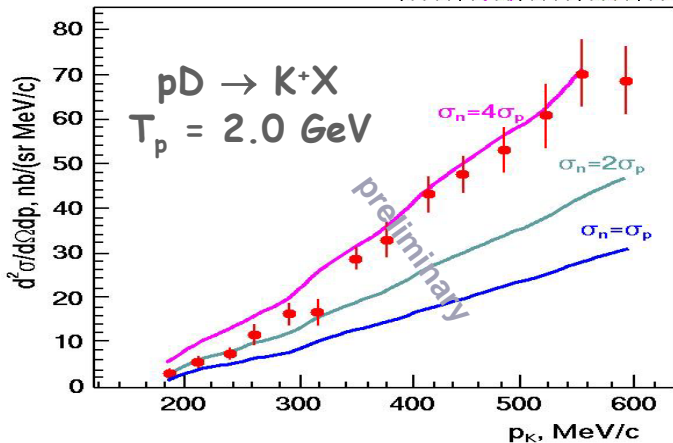
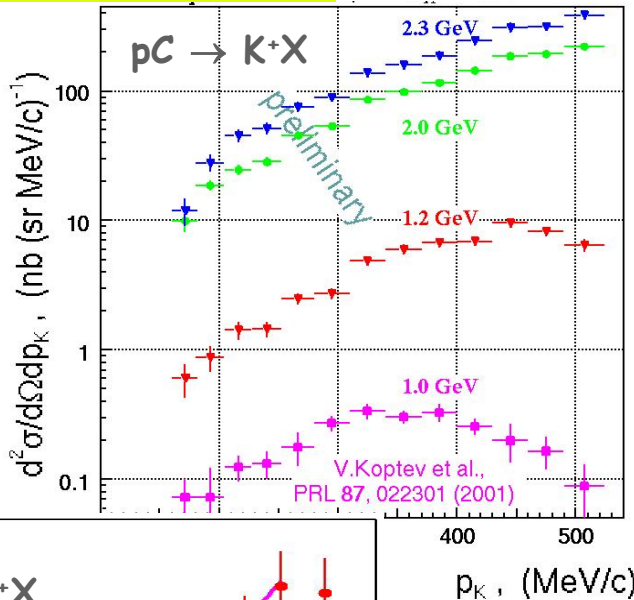


M. Büscher et al., hep-ph/0301126

# K<sup>+</sup> Production from pA Reactions



## p A → K<sup>+</sup> X (ANKE)



- Inclusive cross sections for
  - D, C, Cu, Ag, Au Targets
  - $T = 1.0 \dots 2.3 \text{ GeV}$  ( $T_{NN} = 1.58 \text{ GeV}$ )

### → Reaction mechanisms

- Strong collectivity below threshold
- Model calculations (CBUU transport, folding model...)
- Correlation measurements

### → pD data:

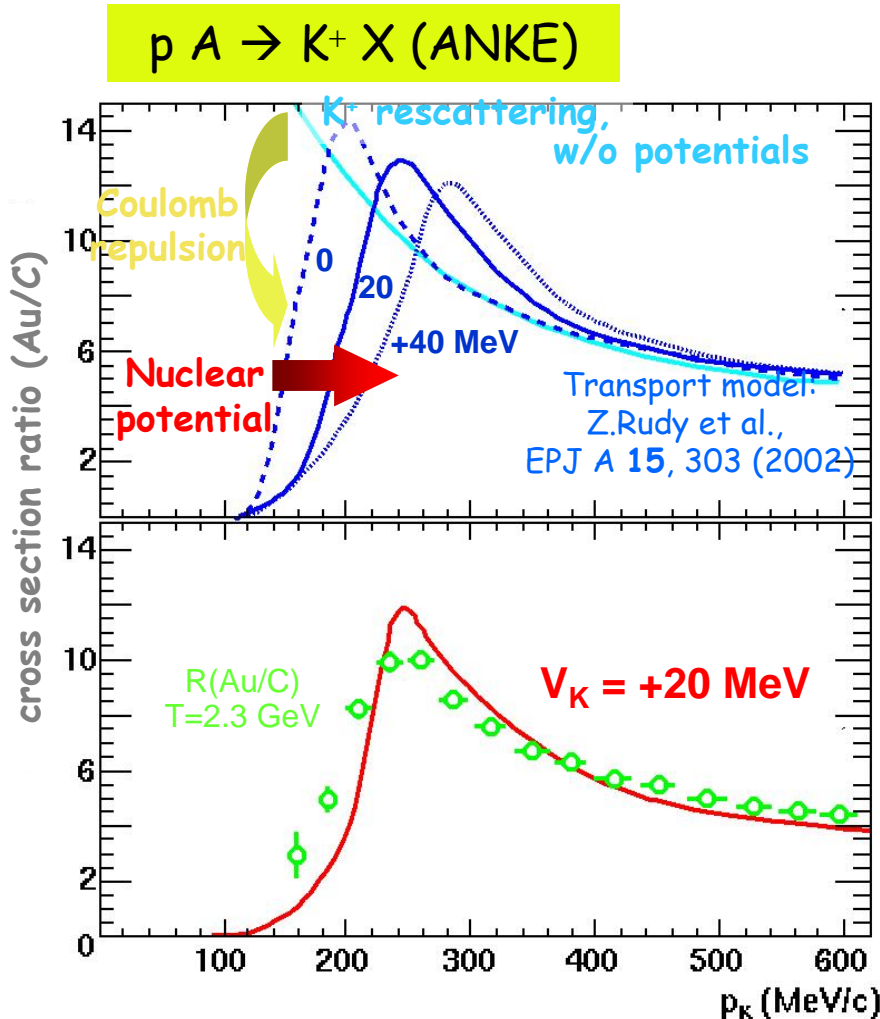
$$\sigma(pn \rightarrow K^+X) \cong 4 \cdot \sigma(pp \rightarrow K^+X)$$

taken from:

K.Tsushima et al., PRC **59**, 369 (1999)

Publication in preparation

# Nuclear Medium Effects



- Cross-section ratios  $R(A/C)$  have very **small systematic uncertainties**
- $V_{K^+}$  is sensitive to **peak position** in  $R(A/C)$
- $pA$  reactions probe nuclear medium at  $\rho \leq \rho_0$
- Best agreement with calculations for

$$V_{K^+}(\rho \leq \rho_0) = +20 \text{ MeV}$$

- Expected accuracy  $< 3$  MeV

M.Nekipelov et al., PLB **540**, 207 (2002)

# Strangeness Production ...



... fundamental issues can be addressed ...

- "Exotic" states
  - $\theta^+$  in  $pp \rightarrow pK^0\Sigma^+$  ???

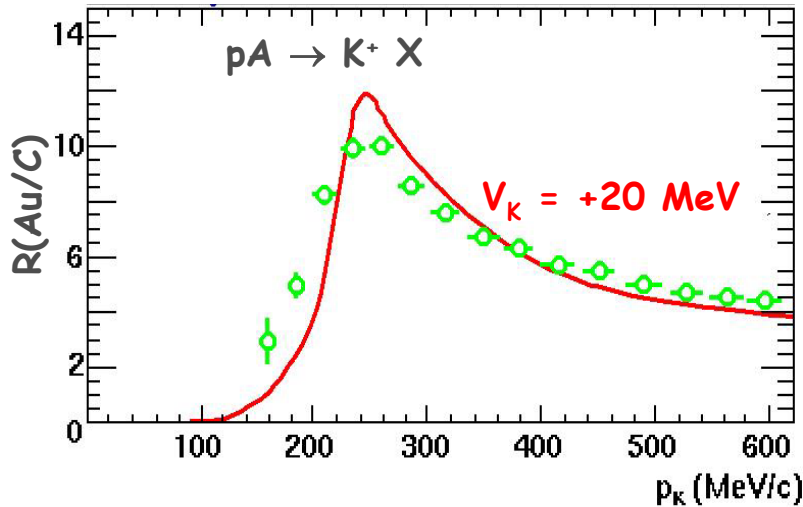
- Charge-symmetry breaking
  - $dd \rightarrow \alpha (\pi^0\eta)$  and  $a_0$ - $f_0$  mixing

- $SU(3)_{\text{flavor}}$  symmetry breaking
  - $NY$  interaction at low relative energies (compare with NN)

- In-medium masses

... needs to (and will) be vigorously investigated (at COSY)!

$pp \rightarrow pK^0\Sigma^+$ , 3.30 GeV/c

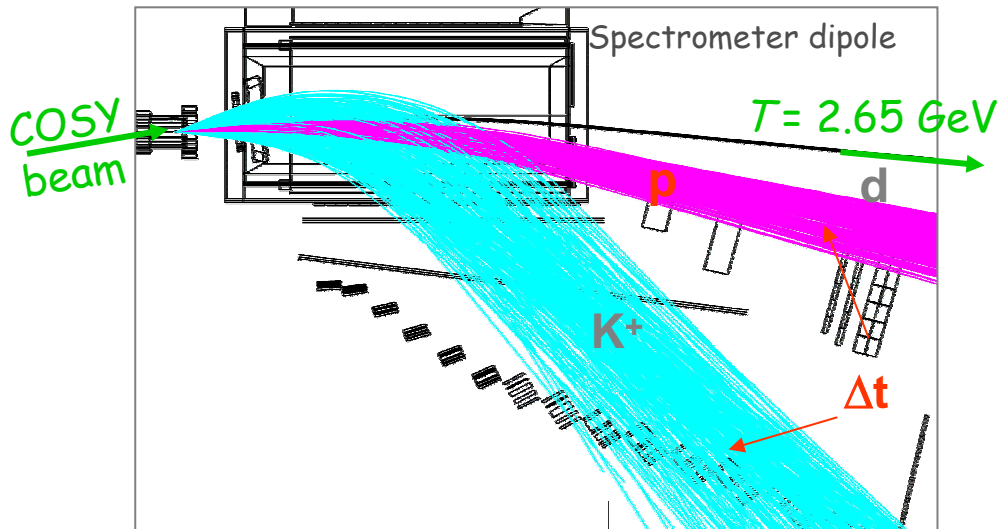


$M(K^0p)$  in  $\text{GeV}/c^2$

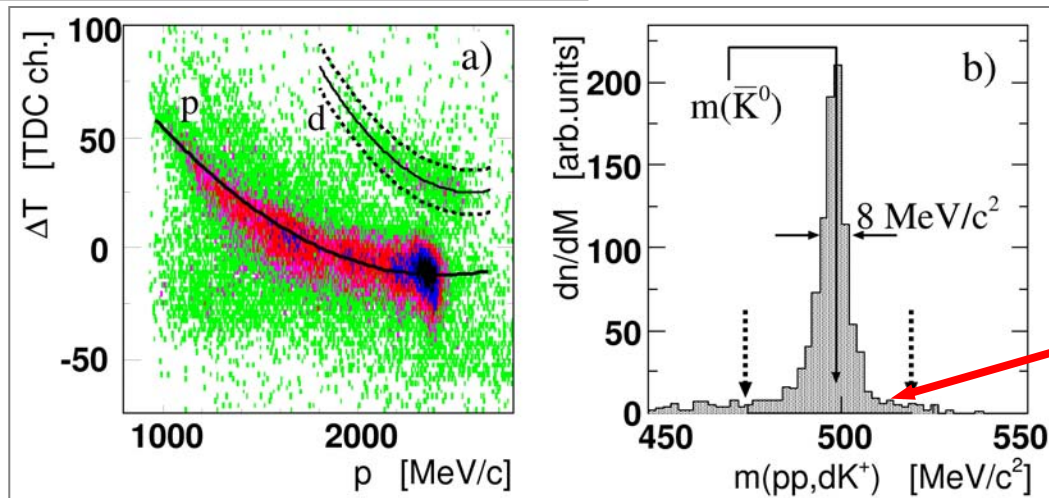
# I.d. of $pp \rightarrow dK^+ \underline{K}^0$ events @ ANKE



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- $K^+$ -d coincidence measurement
- Identification of  $pp \rightarrow dK^+ X$  events via TOF,  $\Delta E$  and particle momenta
- Identification of  $pp \rightarrow dK^+ \underline{K}^0$  events via  $dK^+$  missing mass

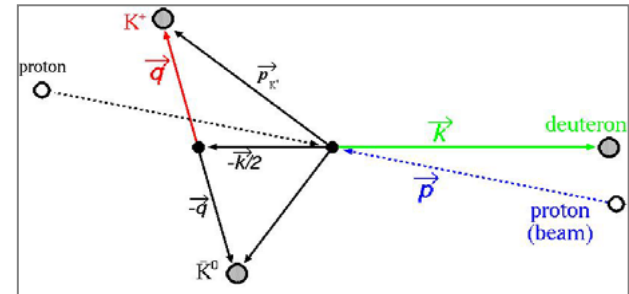
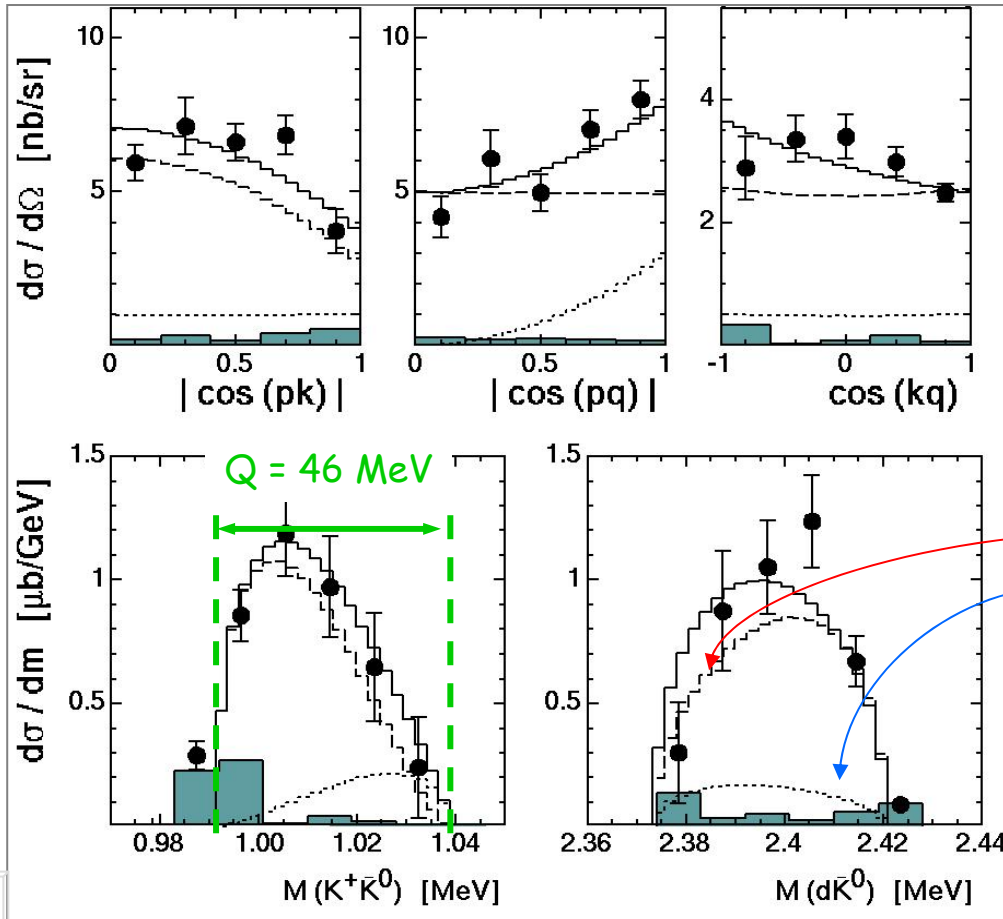




# First Results on the $a_0^+$



## $pp \rightarrow d K^+ \underline{K}^0$ (ANKE)



Fit:  
 $[(\underline{K}K)_P d]_S + [(\underline{K}K)_S d]_P$

$\sigma(pp \rightarrow da_0^+ \rightarrow dK^+ \underline{K}^0) = 83\% \cdot \sigma_{tot}$

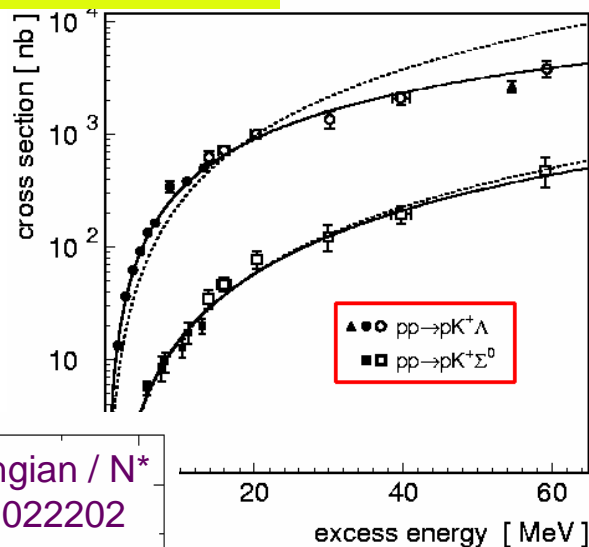
$\sigma_{tot}(pp \rightarrow dK^+ \underline{K}^0) = (38 \pm 2_{stat} \pm 14_{sys}) \text{ nb}$

V.Kleber et al., PRL in print; nucl-ex/0304020

# $\Lambda$ vs. $\Sigma^0$ Production ...



## pp $\rightarrow$ pK $^+$ $\Lambda/\Sigma^0$ (COSY-11)



$\Lambda/\Sigma^0$  ratio (same excess energy above threshold):

$R \sim 25$  at threshold,  $R(E) \rightarrow 3$

Difference between  $\Lambda$  and  $\Sigma^0$  ?

$$|\Lambda\rangle = |(ud)[I=0, {}^1S_0], s\rangle \quad I=0, \frac{1}{2}^+$$

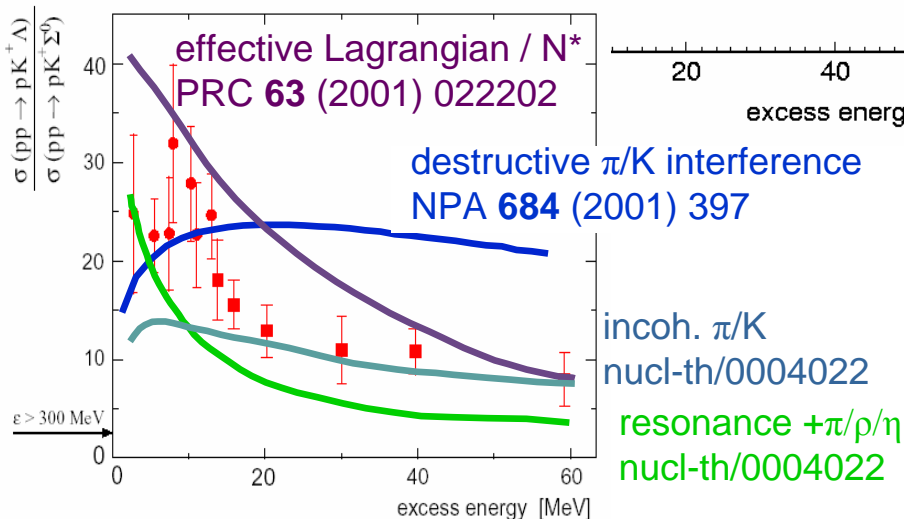
$$|\Sigma^0\rangle = |(ud)[I=1, {}^3S_1], s\rangle \quad I=1, \frac{1}{2}^+$$

$\rightarrow R \sim 3$

coupling:  $g_{N\Lambda K}, g_{N\Sigma K}$

$\rightarrow R \sim 27$

$\Sigma N \rightarrow \Lambda p$  transition

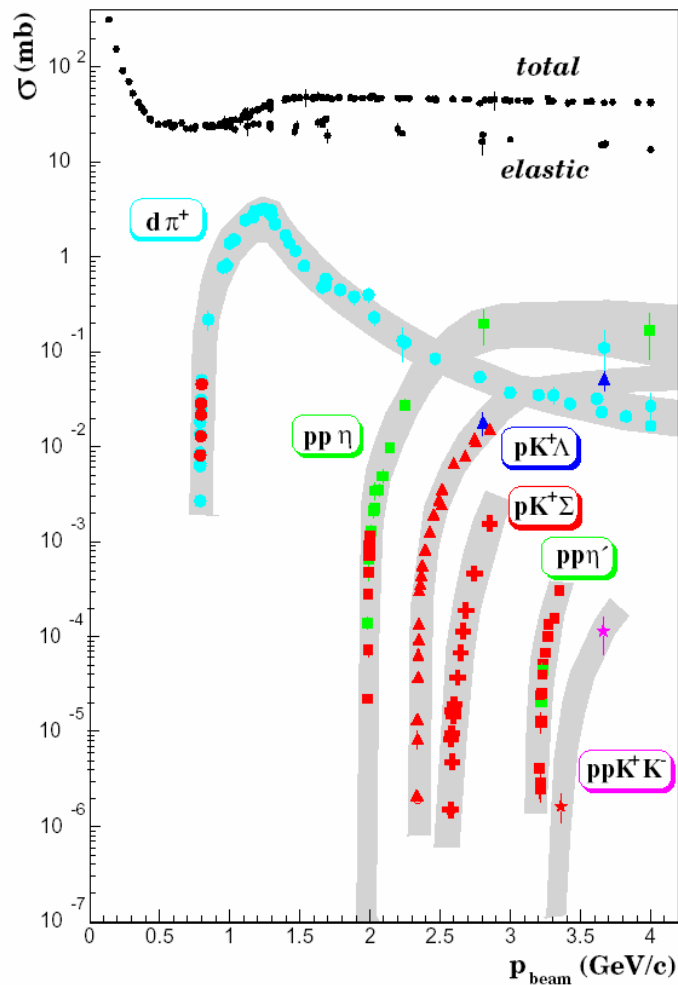


S. Sewerin et al., PRL 83, 682 (1999)

# Experimental challenges ...



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NN Partial Cross Sections:



(mostly COSY data)

more specifically:

