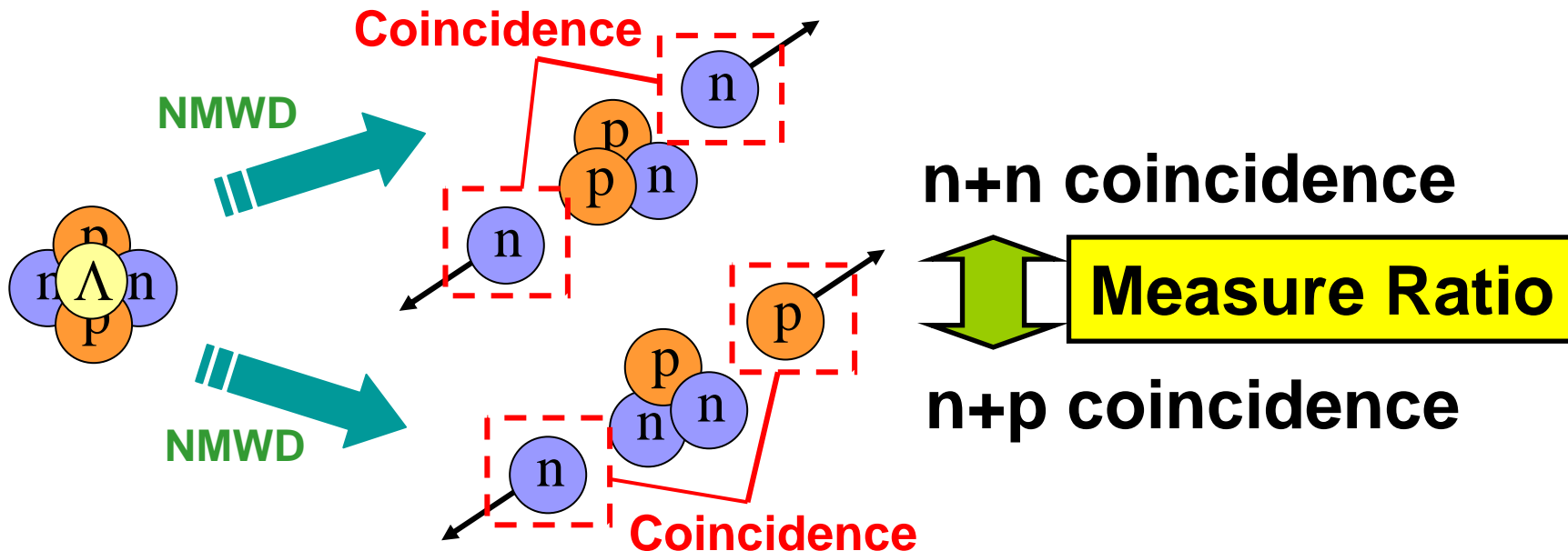


# Hypernuclear Weak Decay experiments at KEK: $n$ - $n$ and $n$ - $p$ Coincidence Measurements

**KEK-PS E462/E508 collaboration**  
**H.Outa (RIKEN)**



# KEK-PS E462/508 collaboration

KEK, RIKEN, Seoul Univ., GSI,  
Tohoku Univ., Osaka Univ., Univ. Tokyo  
Osaka Elec. Comm. Univ.<sup>G</sup>, Tokyo Inst. Tech.

S. Ajimura, K. Aoki, A. Banu, H. Bhang, T. Fukuda,  
O. Hashimoto, J. I. Hwang, S. Kameoka, B. H. Kang,  
E. H. Kim, J. H. Kim, M. J. Kim, T. Maruta, Y. Miura,  
Y. Miyake, T. Nagae, M. Nakamura, S. N. Nakamura,  
H. Noumi, S. Okada, Y. Okatasu, H. Outa, H. Park,  
P. K. Saha, Y. Sato, M. Sekimoto, T. Takahashi,  
H. Tamura, K. Tanida, A. Toyoda, K. Tsukada,  
T. Watanabe, H. J. Yim

# *Contents of my talk...*

**Hypernuclear weak decay measurements for  ${}^5_{\Lambda}\text{He}$  and  ${}^{12}_{\Lambda}\text{C}$  with  $\sim 10$  times more statistics**

◆ **n+n/n+p coincidence measurement**

→ **Energy/Opening angle correlation**

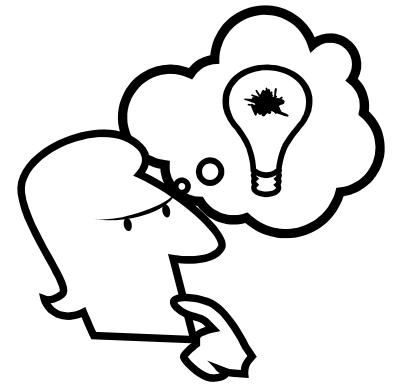
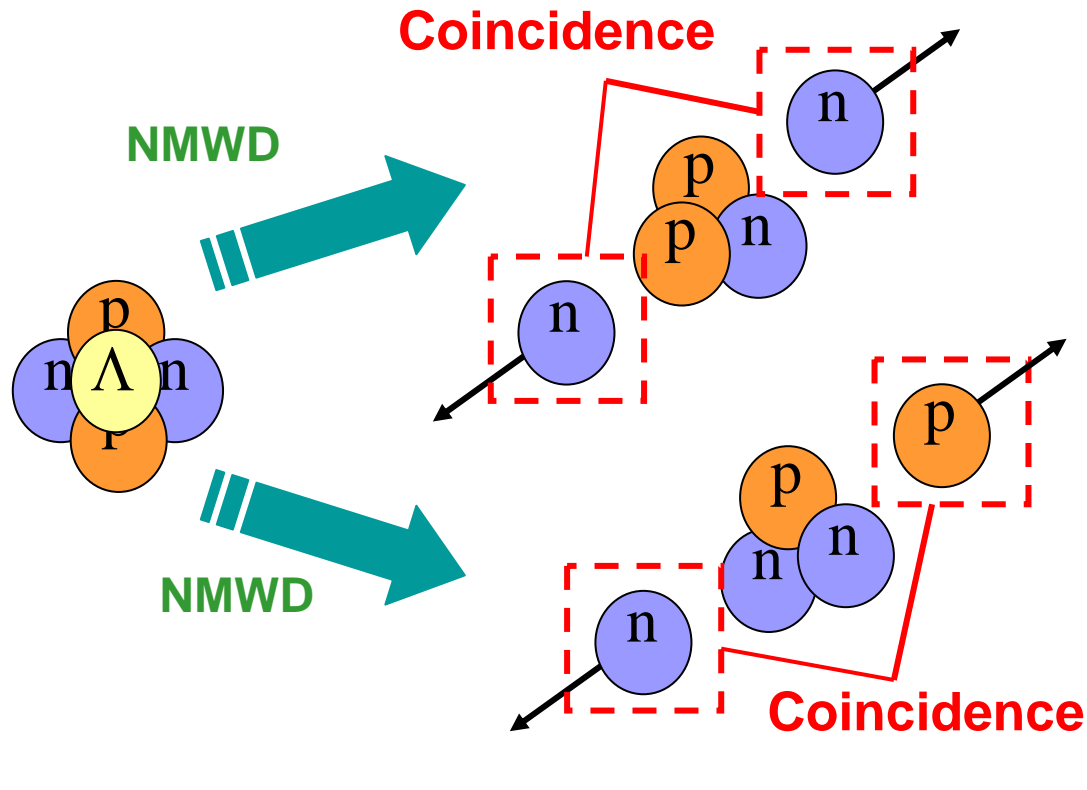
$$\Gamma_n/\Gamma_p ({}^5_{\Lambda}\text{He}) = 0.44 \pm 0.11 \pm 0.03$$

◆ **High accuracy measurements of  $\Gamma_{\pi}/\Gamma_{nm}$**

$$\Gamma_{nm} = 1/f^* ( 1 - \text{Br}(\pi^-) - \text{Br}(\pi^0) )$$

→ **Overlap of  $\Lambda$ - $\alpha$  in  ${}^5_{\Lambda}\text{He}$  found to be large**

# 1. np/nn double coincidence detection from ${}^5_{\Lambda}\text{He}$ & ${}^{12}_{\Lambda}\text{C}$



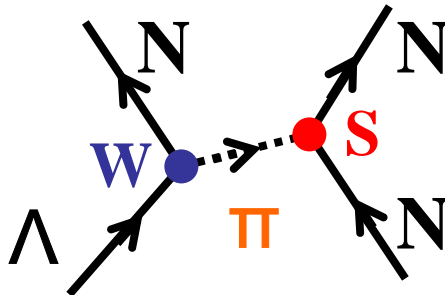
# Motivation

$$\Gamma_p (\Lambda + "p" \rightarrow n + p)$$
$$\Gamma_n (\Lambda + "n" \rightarrow n + n)$$

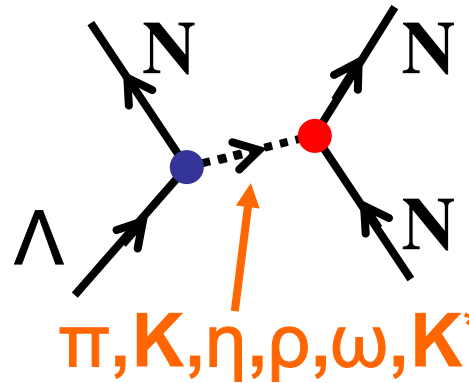
$\Gamma_n / \Gamma_p$  ratio (theoretical & experimental results)

Theoretical

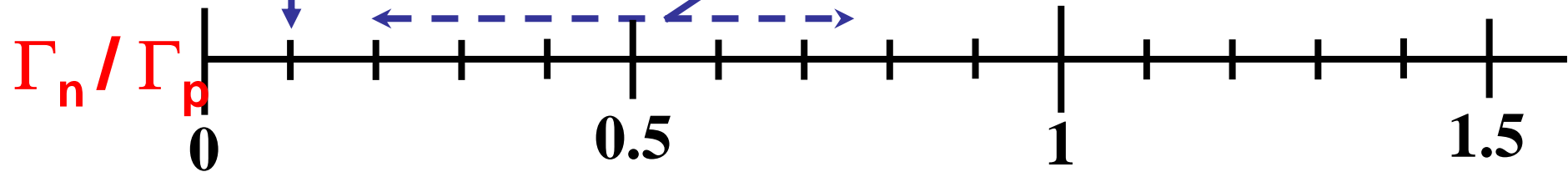
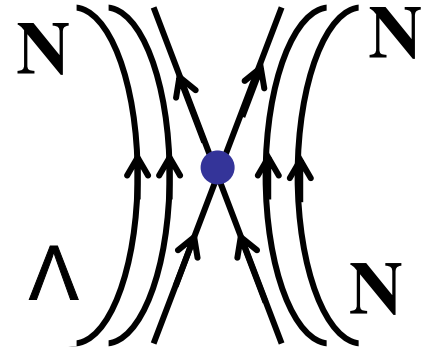
One Pion Exchange (OPE)



Meson Exchange mechanism



Direct Quark mechanism



Exp. (for  $^5_\Lambda\text{He}$ )

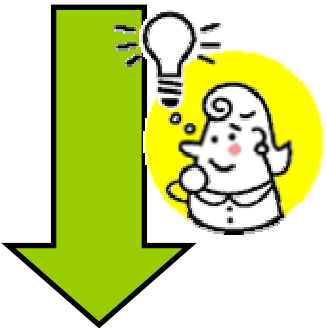
$0.93 \pm 0.55$  (Szymanski et al.)

# Difficulty in previous experiment

$$N_p / N_{nmwd}$$



$$N_n / N_p$$



$$N_{nn} / N_{pn}$$

1.  $\Gamma_n$  from **subtraction**

→ missing process  $\Gamma_n / \Gamma_p \uparrow$

2. **Directly affected** by the FSI loss/ $\Gamma_{2N}$

3. Large **error of Br(NMWD)** from large Br( $\pi^0$ ) error

1. Measure **neutron to obtain the number ratio** at the “same” energy threshold

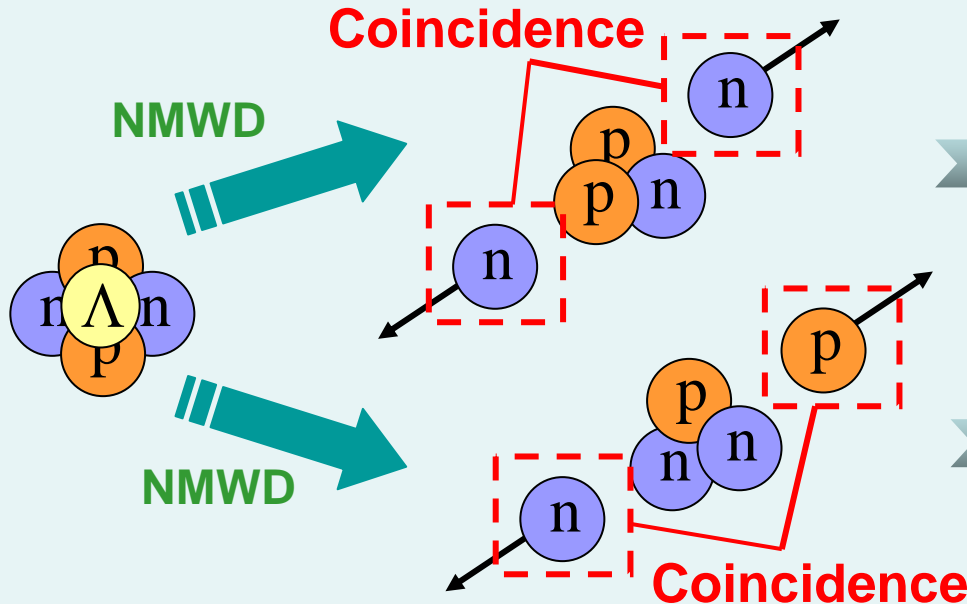
2.  $N_n / N_p \rightarrow \Gamma_n / \Gamma_p$  **less affected** by FSI only in 2<sup>nd</sup> order; n/p → p/n influx term (Talk by Bhang)

3. Analysis requires **assumption of**  $\Gamma_{2N} \sim 0 \rightarrow$  Is this correct??

# Coincidence analysis

E462( $^5_{\Lambda}\text{He}$ ) / E508( $^{12}_{\Lambda}\text{C}$ )

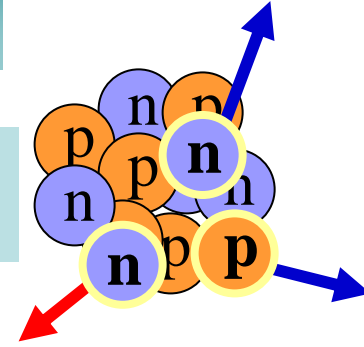
NMWD :  $\Lambda N \rightarrow NN$



- 1) Angular correlation  
( back-to-back,  $\cos\theta < -0.8$  )
- 2) Energy correlation  
(  $Q \sim E(N1)+E(N2) \sim 152\text{MeV}$  )

Final state interaction (FSI)

rescattering



$$N(\Lambda n \rightarrow nn) \times (\Omega_n \times \Omega_n)_{\text{av.}} \times \varepsilon_n^2 \times (1 - R_{\text{FSI}})$$

$$N(\Lambda p \rightarrow np) \times (\Omega_n \times \Omega_p)_{\text{av.}} \times \varepsilon_n \times \varepsilon_p \times (1 - R_{\text{FSI}})$$

\*  $\cos\theta < -0.8$

\*  $E(N1)+E(N2)$  cut

$$\frac{\Gamma_n}{\Gamma_p} = \frac{N(\text{nn} - \text{pair coin})}{N(\text{np} - \text{pair coin})} \times \frac{\varepsilon_p}{\varepsilon_n}$$

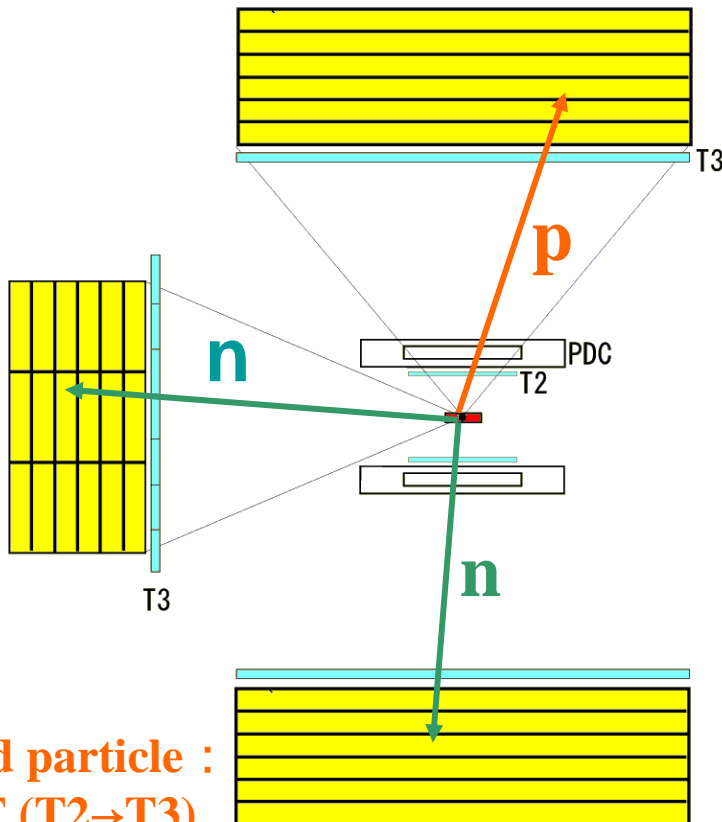
Select  $\Lambda N \rightarrow NN$  events without  $\Lambda NN \rightarrow NNN$  & FSI effect

# Setup

(KEK-PS K6 & SKS)

Solid angle: 26%  
9(T)+9(B)+8(S)%

## Decay arm

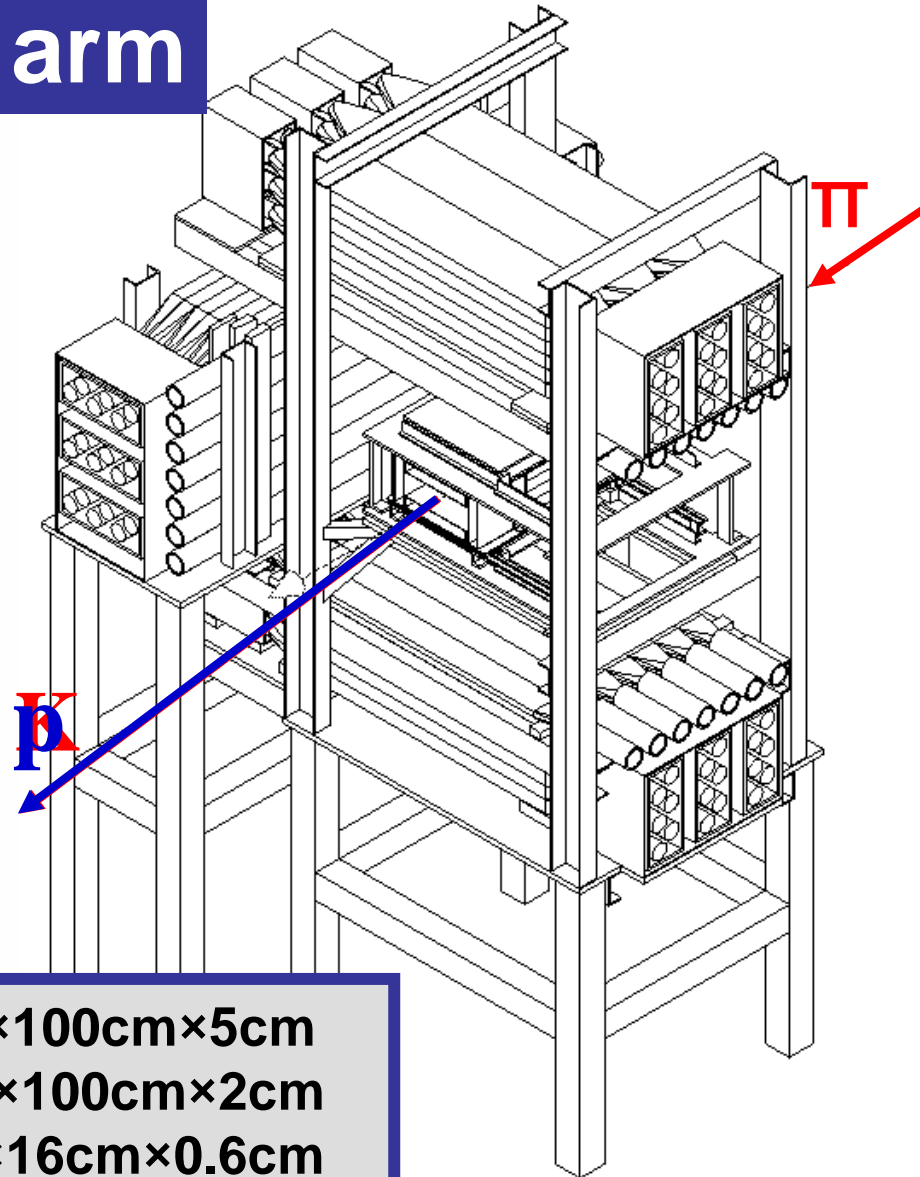


**Charged particle :**

- TOF (T2→T3)
- tracking ( PDC )

**Neutral particle :**

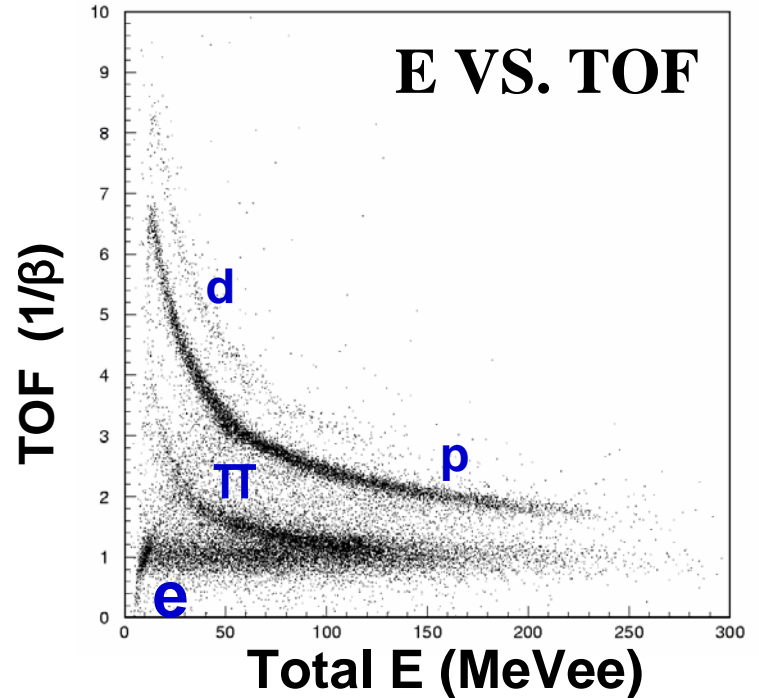
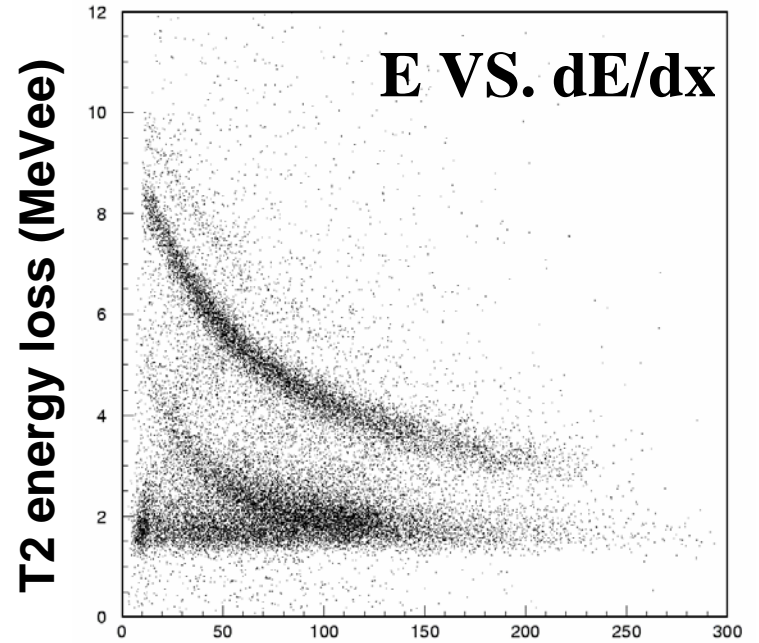
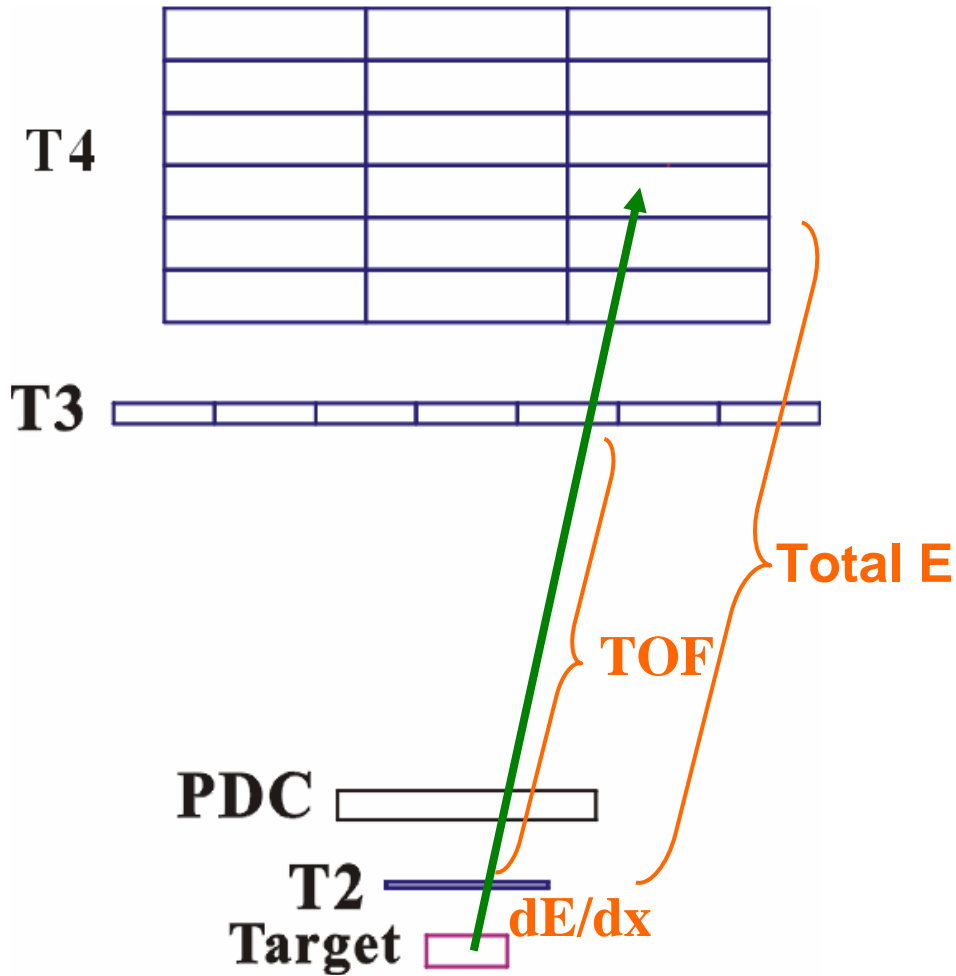
- TOF (target→NT)
- T2/T3 VETO



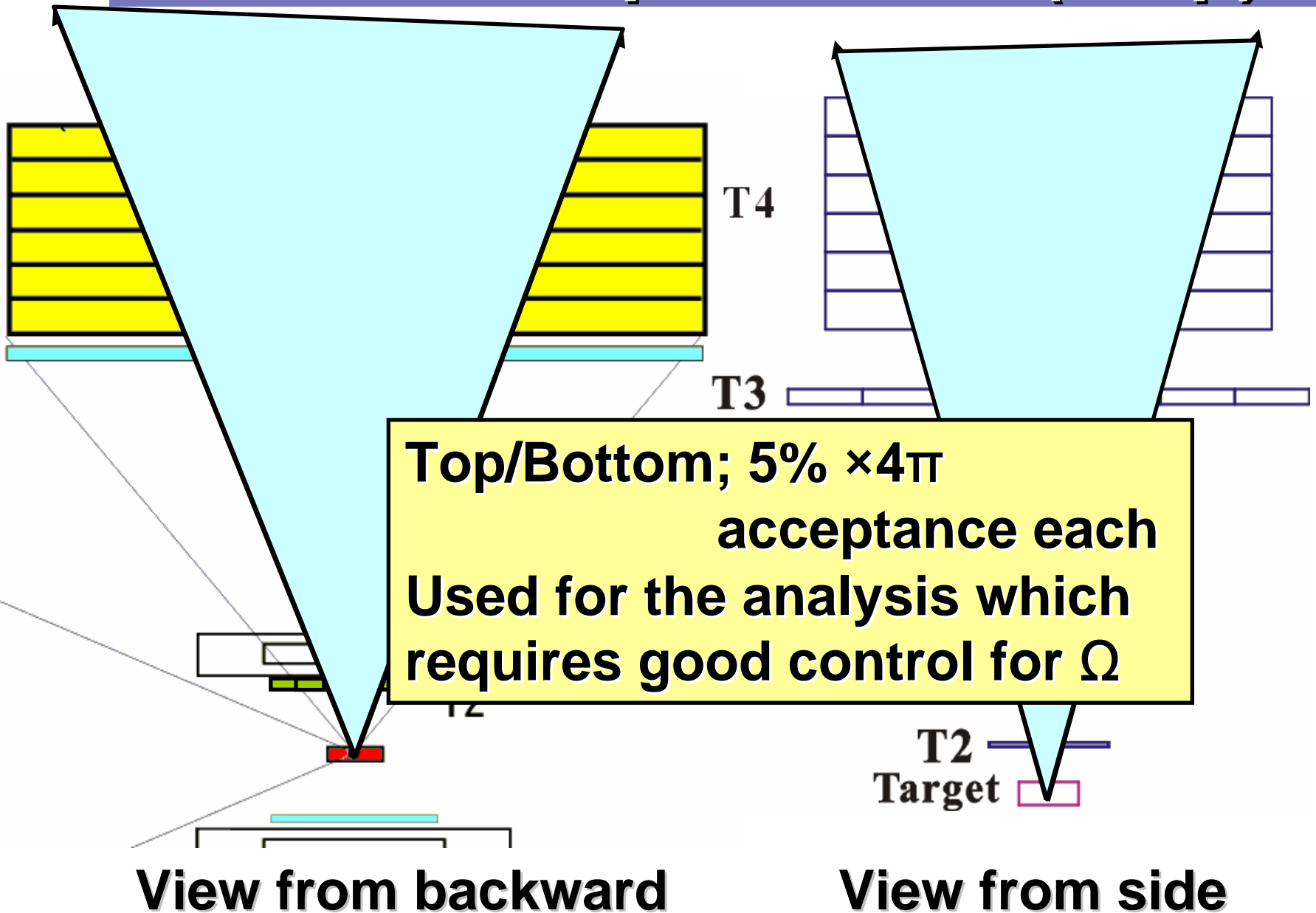
**N:** 20cm×100cm×5cm  
**T3:** 10cm×100cm×2cm  
**T2:** 4cm×16cm×0.6cm



# Charged PID



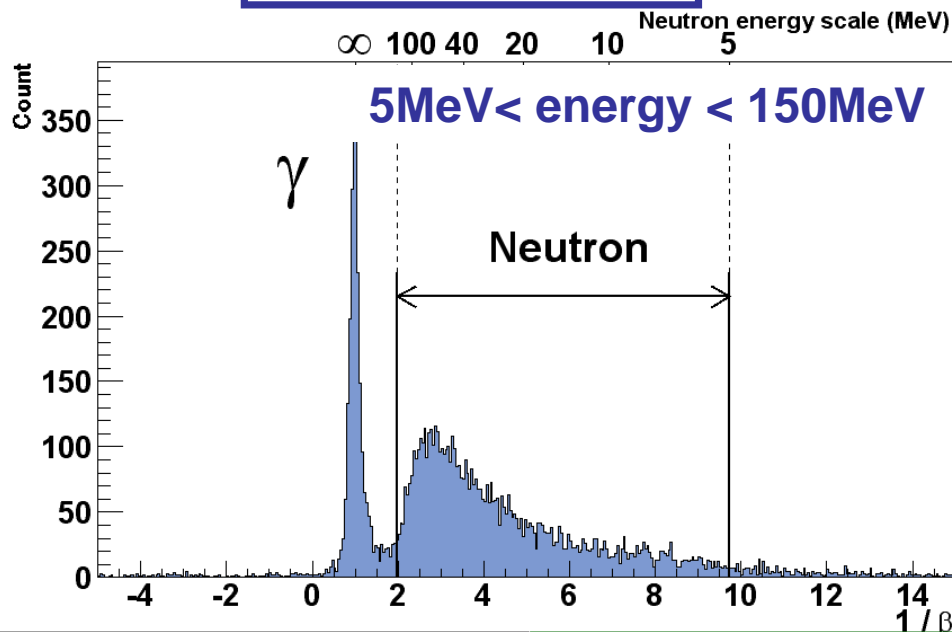
# Core-acceptance cut (for p)



# Particle identification

## Neutral particle

### 1 / $\beta$ spectra

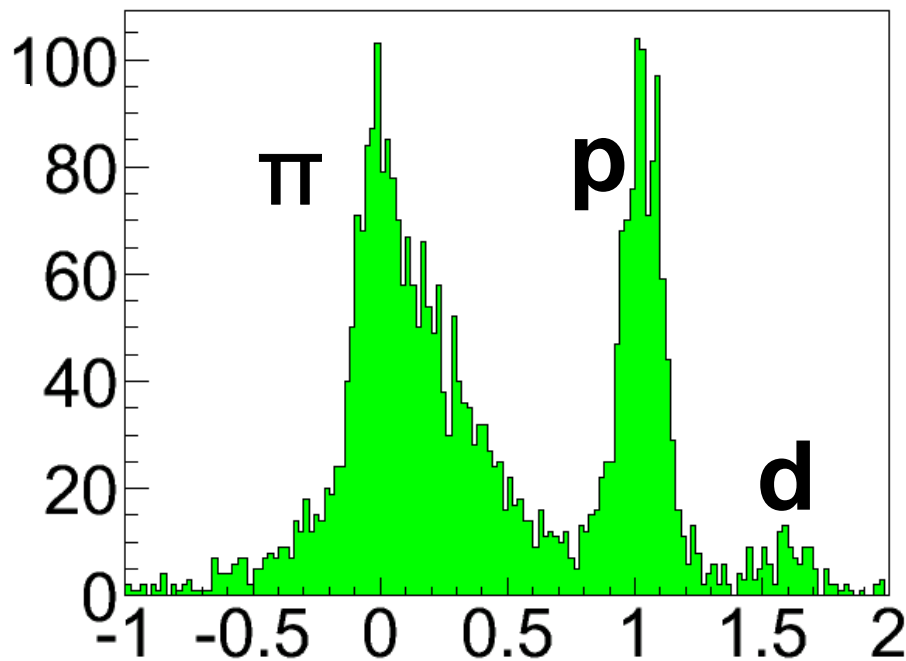


Energy resolution  
 $\sigma \sim 8\text{MeV}$   
(around 80MeV)

- ✓ Statistics  $\times 200$
- ✓ S/N improvement  $\times 15$
- ✓ Lower threshold  $\times 1/5$

gated  $^{12}_{\Lambda}\text{C}$  ground state

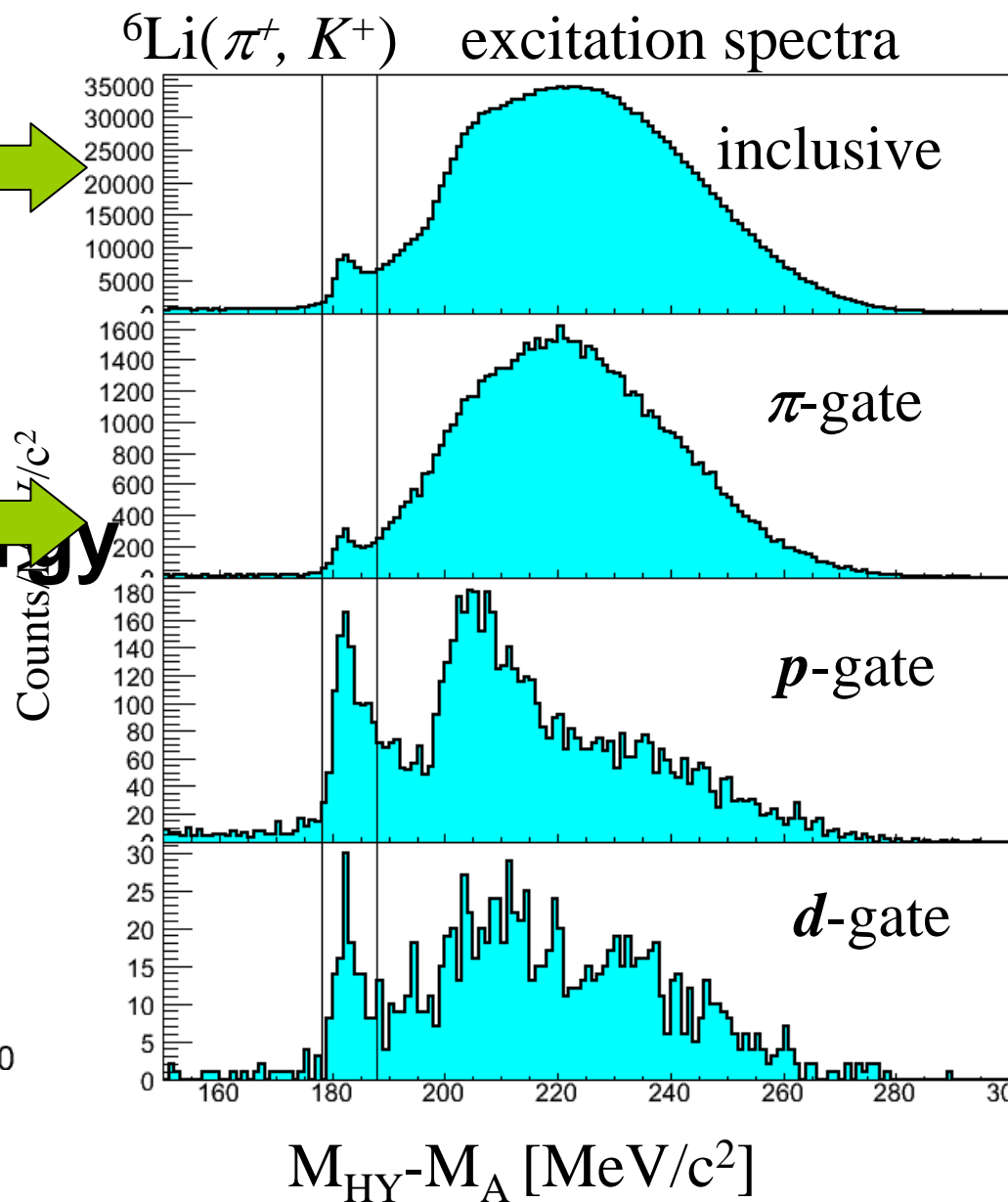
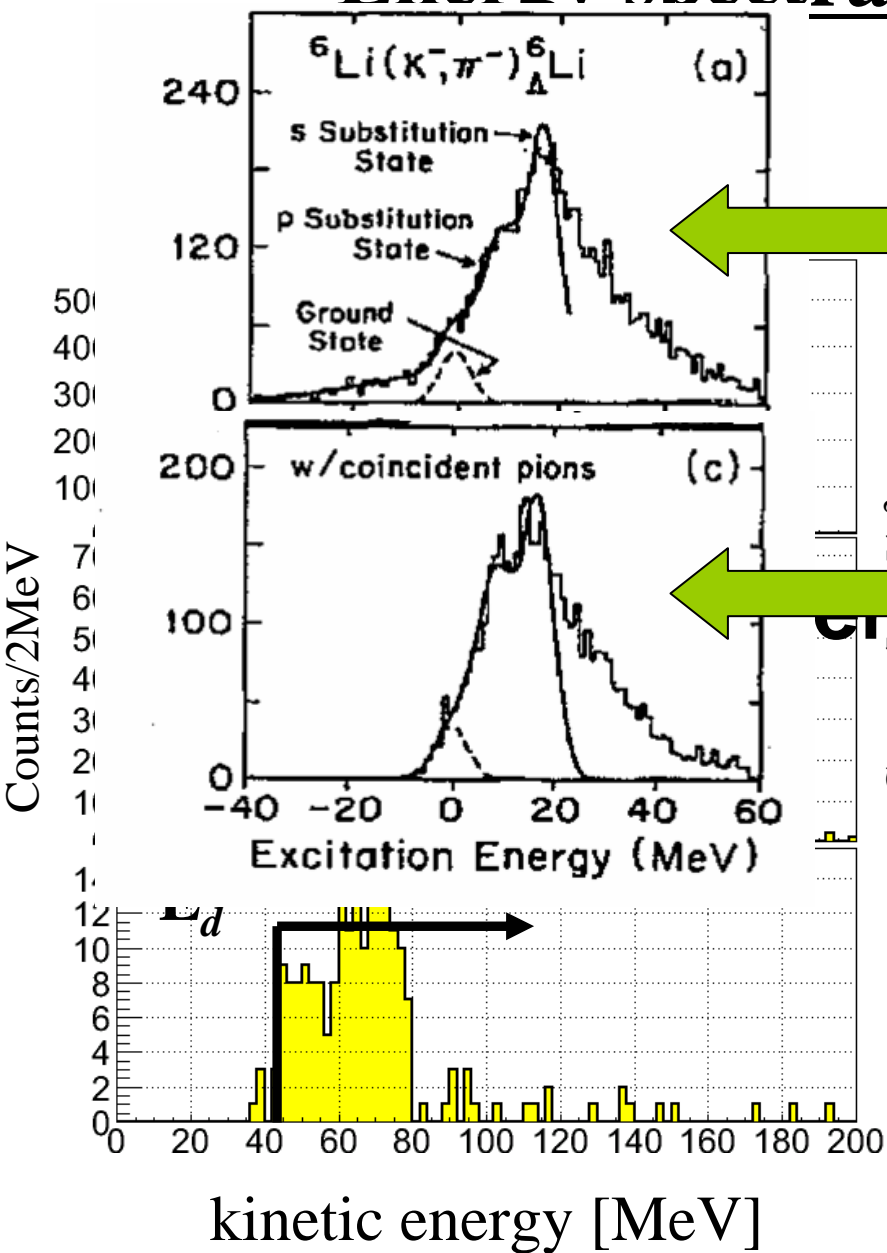
## Charged particle



PID1 : total energy vs dE/dx  
PID2 : total energy vs TOF  
→ (PID1+PID2) / 2

gated  $^5_{\Lambda}\text{He}$  ground state

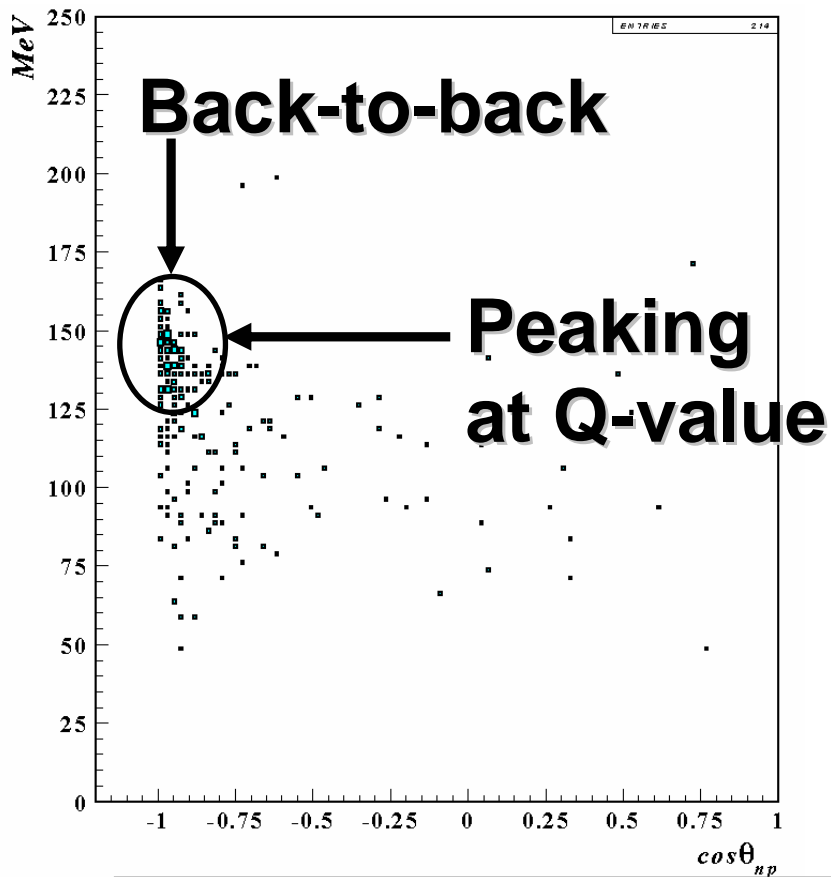
# Energy spectra of $\pi/p/d$ from ${}^5_{\Lambda}\text{He}$ decay



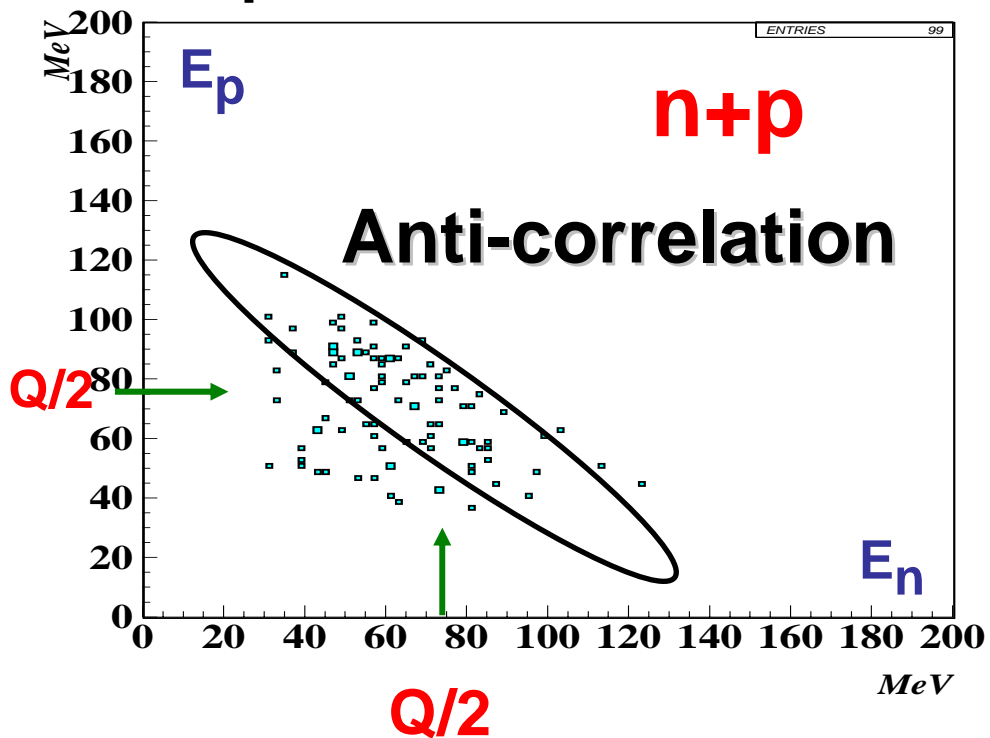
# n+p Energy Sum .vs. $\cos\theta_{np}$

Energy sum .vs. angle

n + p pair from  $^5_{\Lambda}\text{He}$



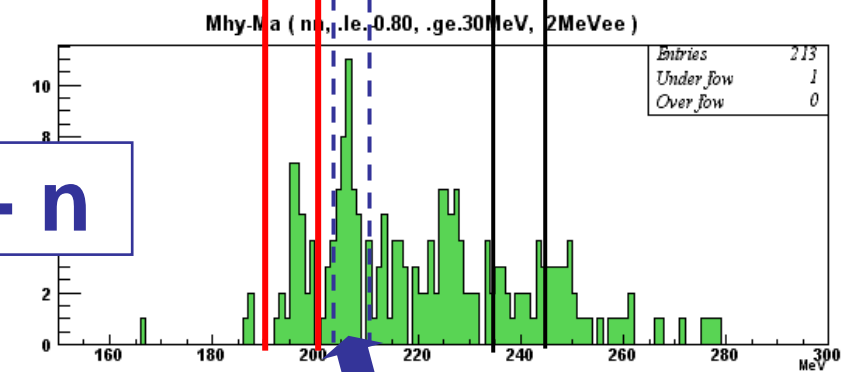
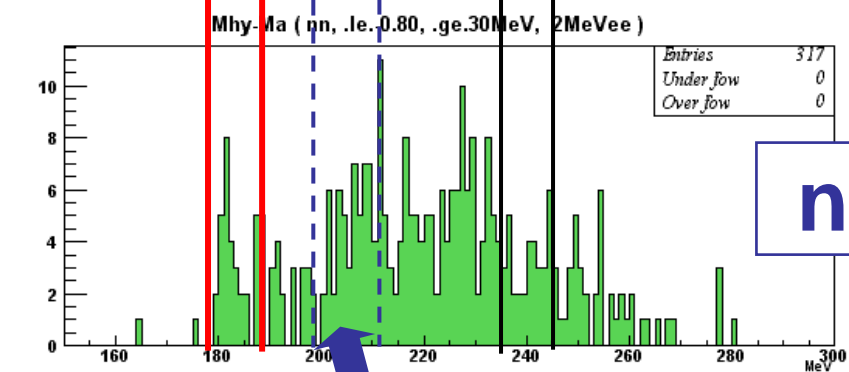
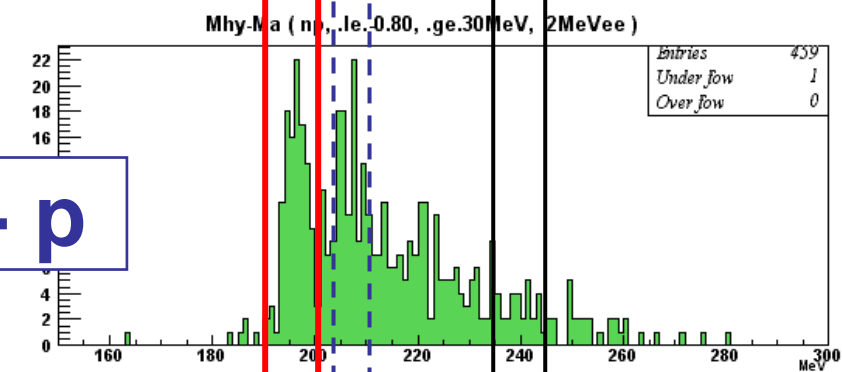
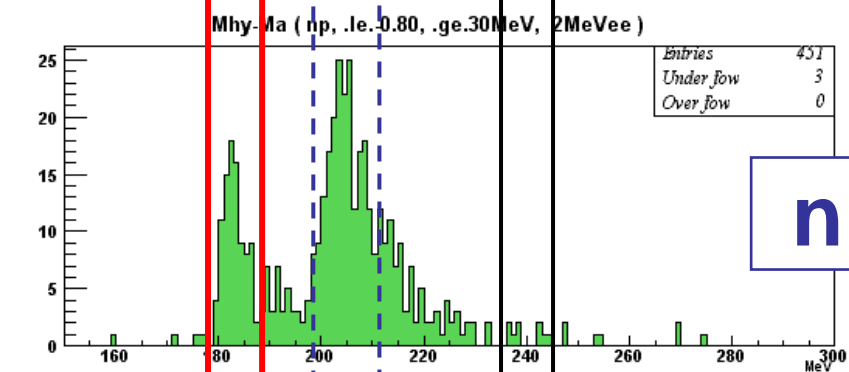
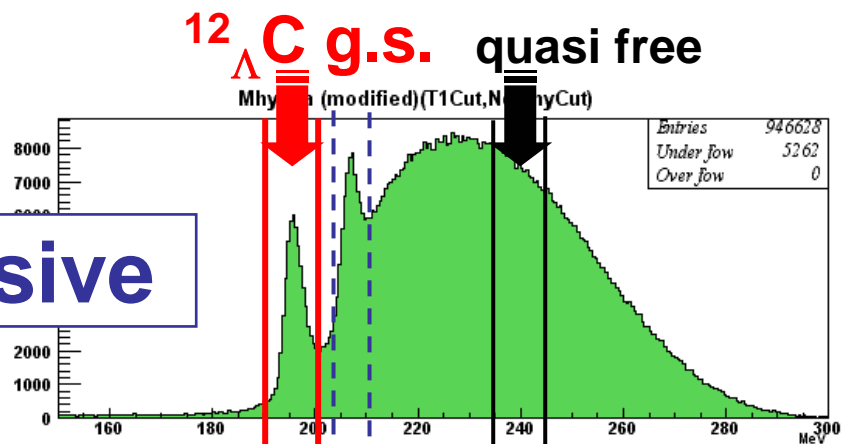
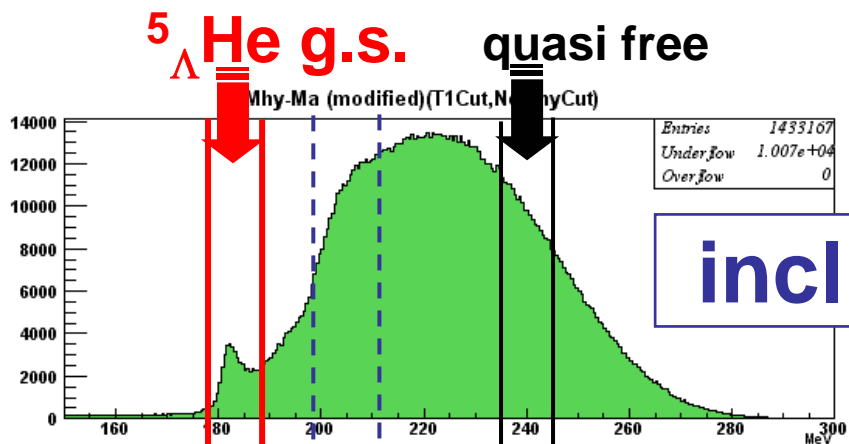
Ep .vs. En correlation



$\cos\theta < 0.8; E_{N1}, E_{N2} > 30 \text{ MeV}$

# Mass spectra for ${}^6\text{Li}(\pi^+, \text{K}^+)$

# Mass spectra for ${}^{12}\text{C}(\pi^+, \text{K}^+)$

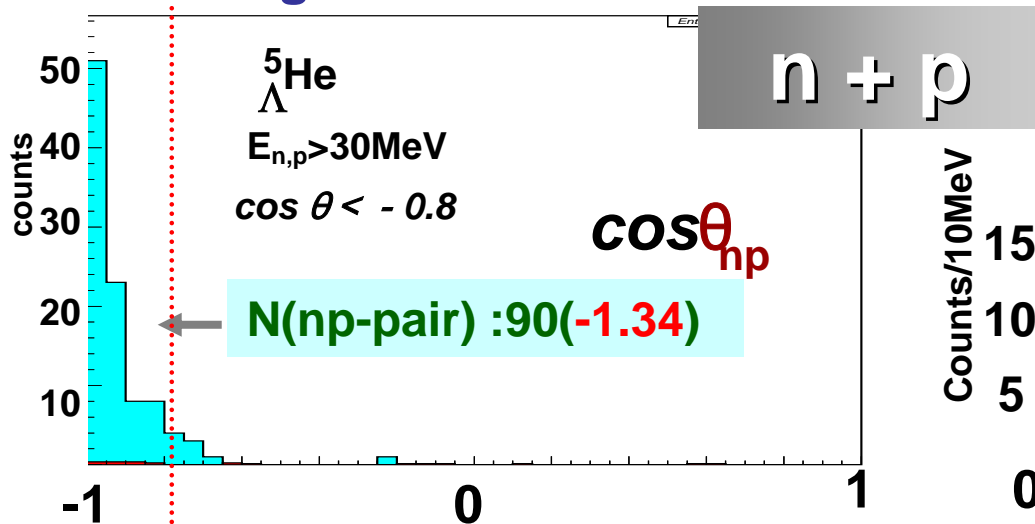


**s substitutional state**

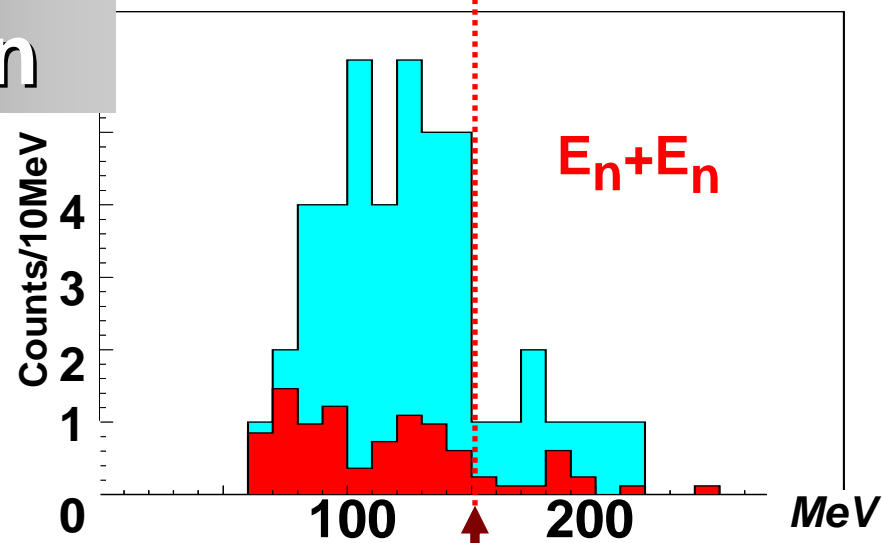
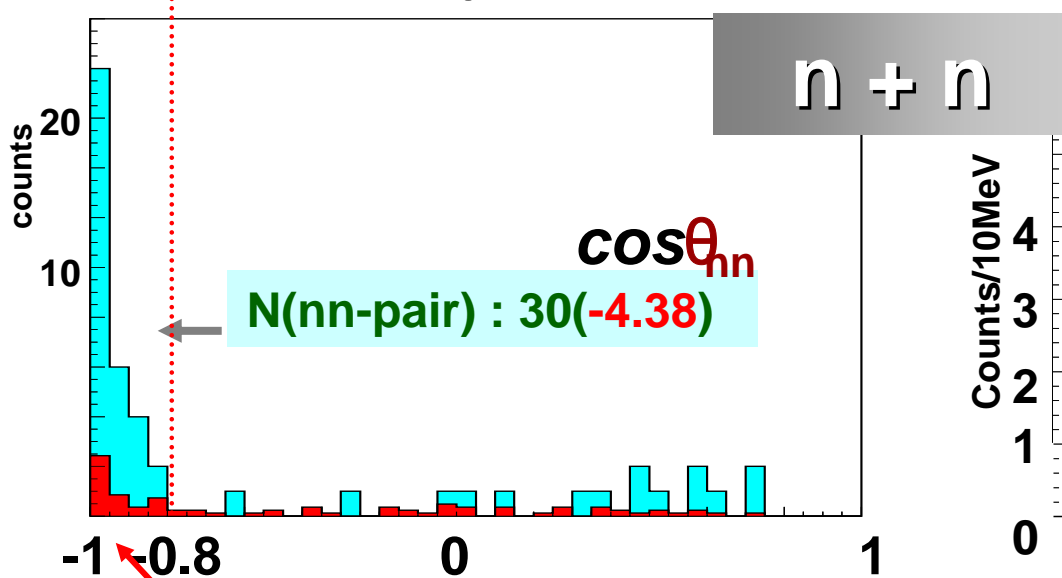
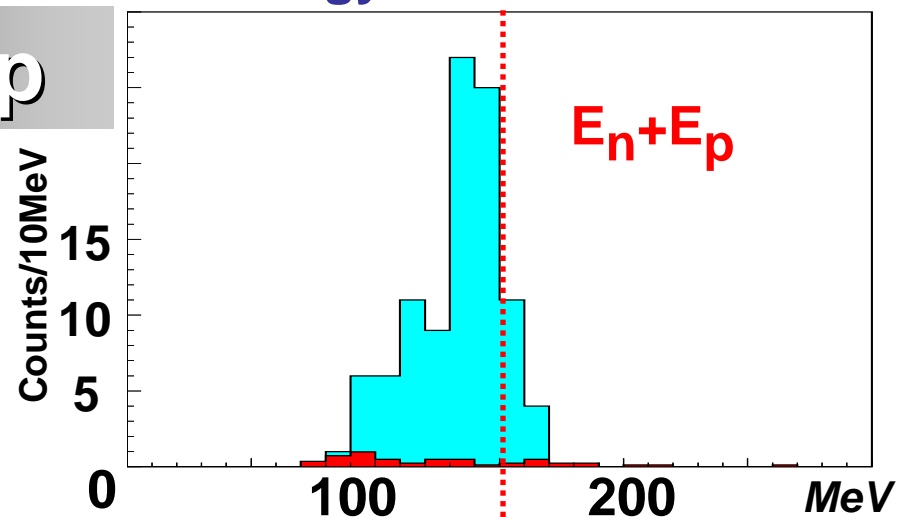
**${}^{11}_{\Lambda}\text{B}$**

# coincidence analysis for ${}^5_{\Lambda}\text{He}$

## Angular correlation



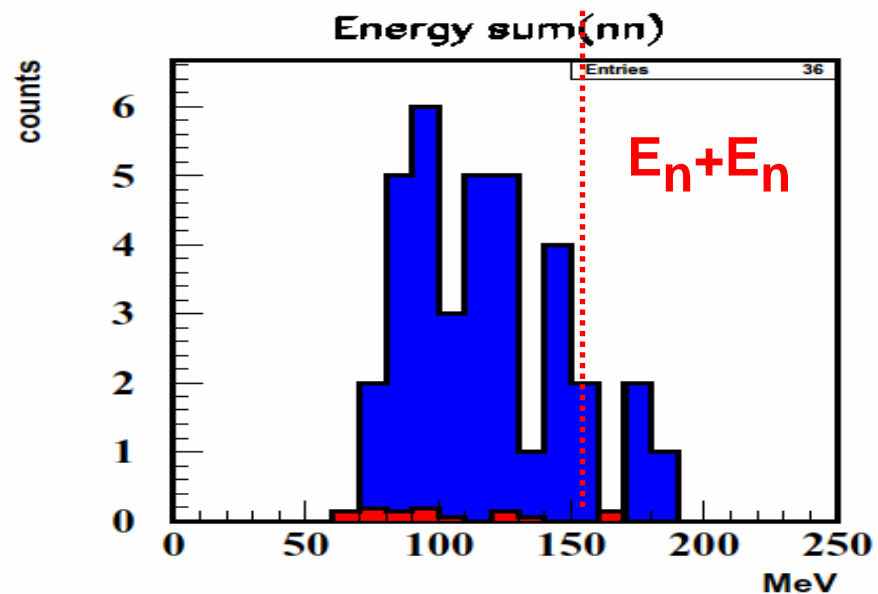
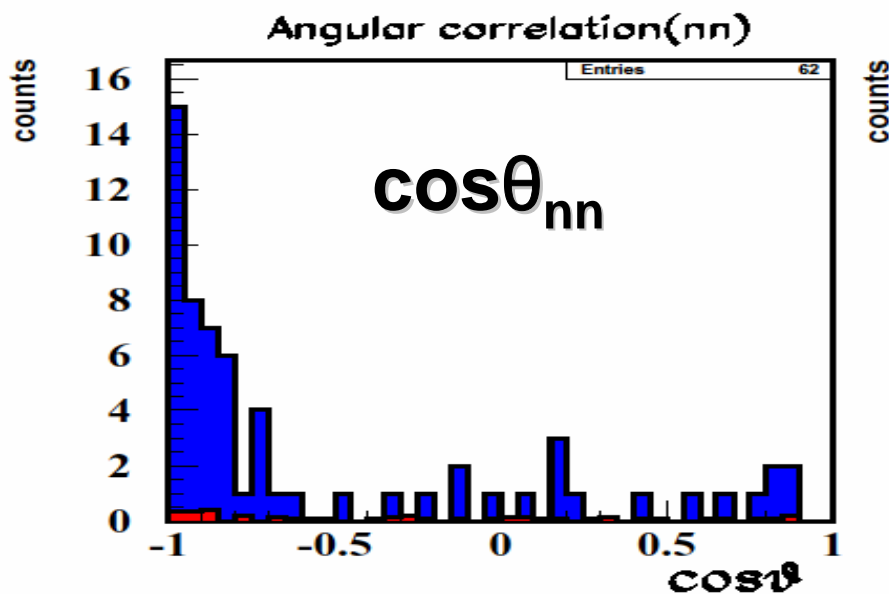
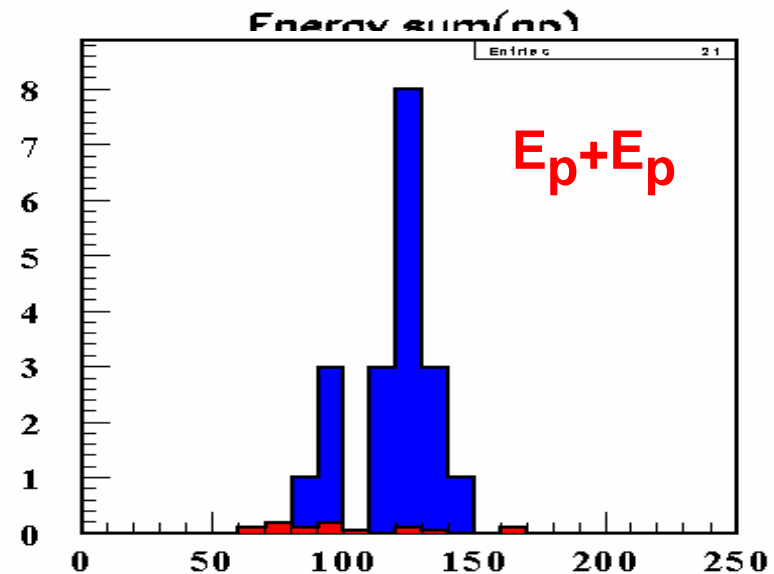
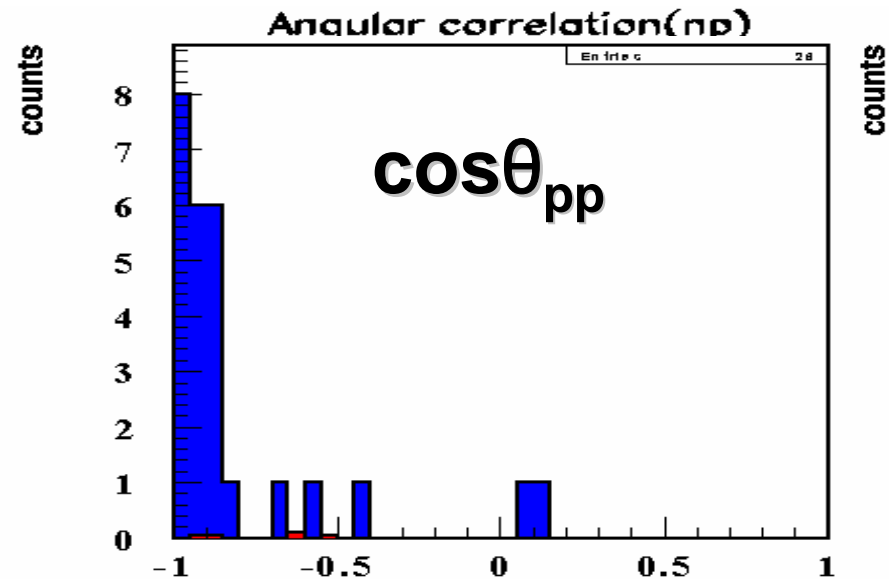
## Energy-sum distribution



estimated contamination from  $\pi^-$  absorption

**Q-Value ~ 152MeV**

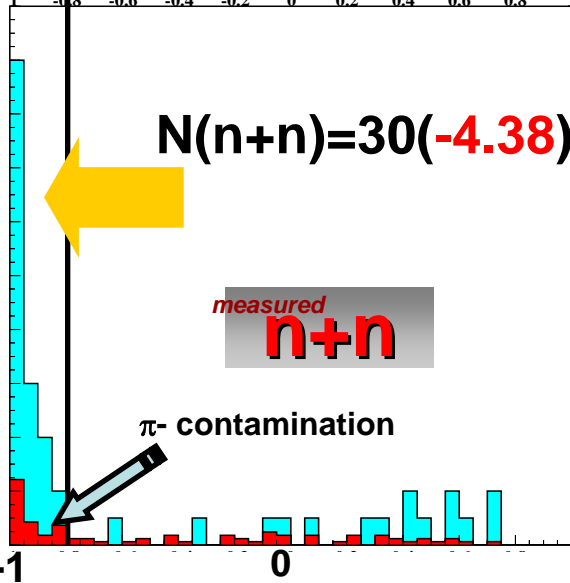
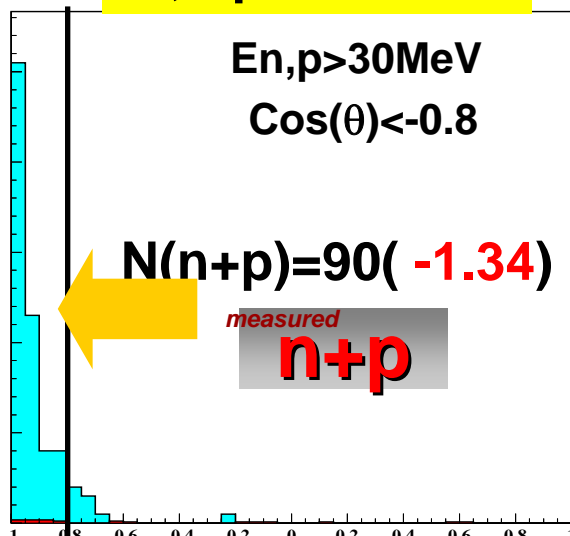
# coincidence analysis for $^{12}\text{C}$



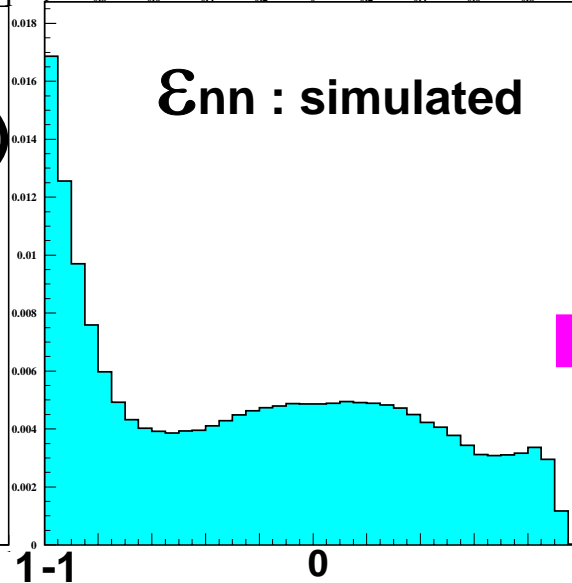
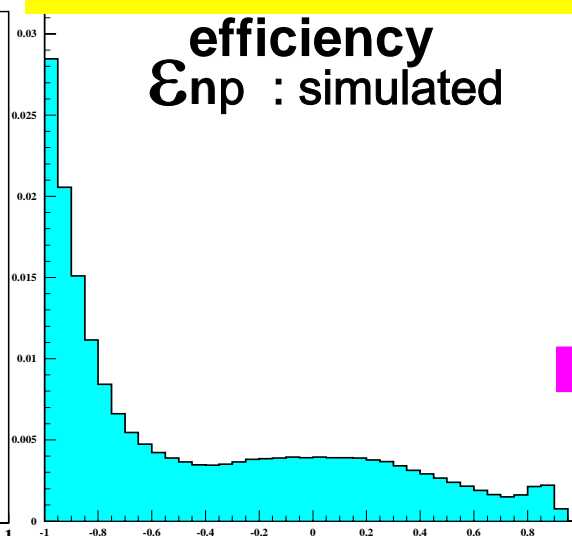


# Estimation of $N(n+p)$ , $N(n+n)$

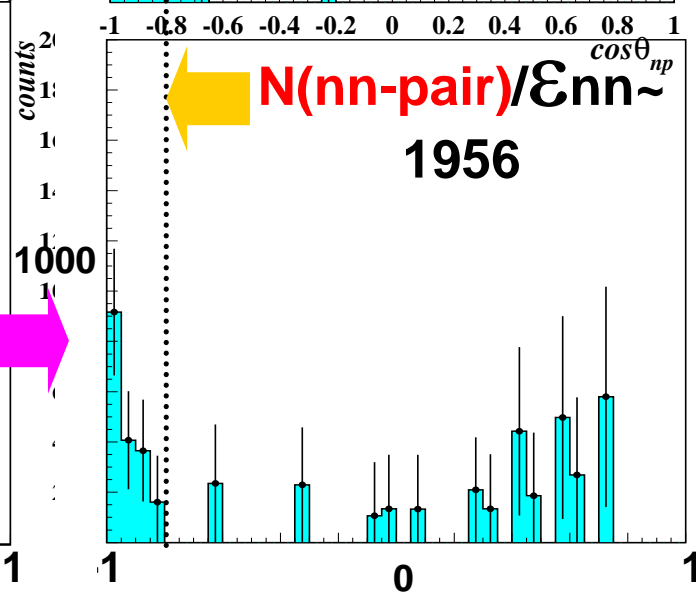
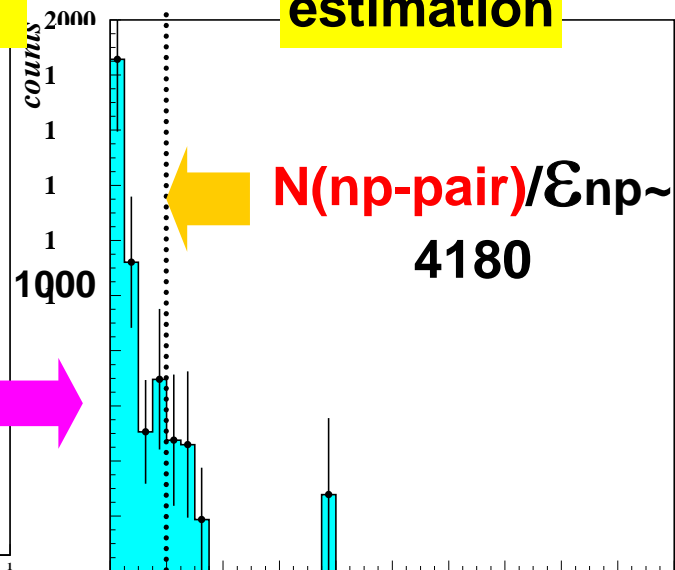
nn, np measured



coincidence



estimation

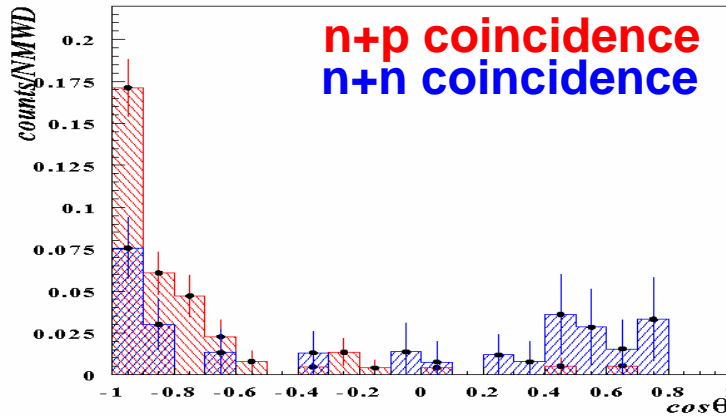


Angular correlation  $\text{cos}(\theta)$

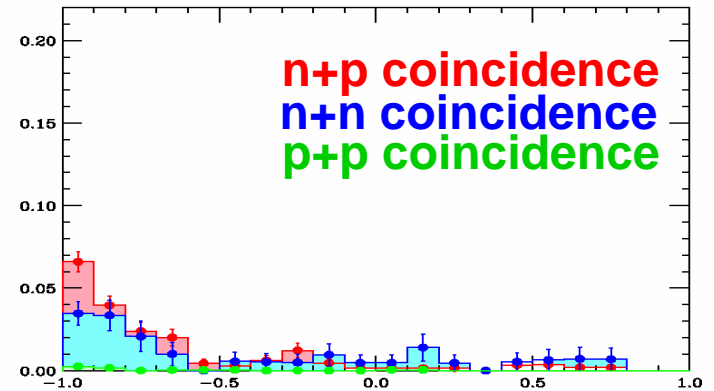
# Comparison with theoretical calc. for angular correlation

experimental  
data

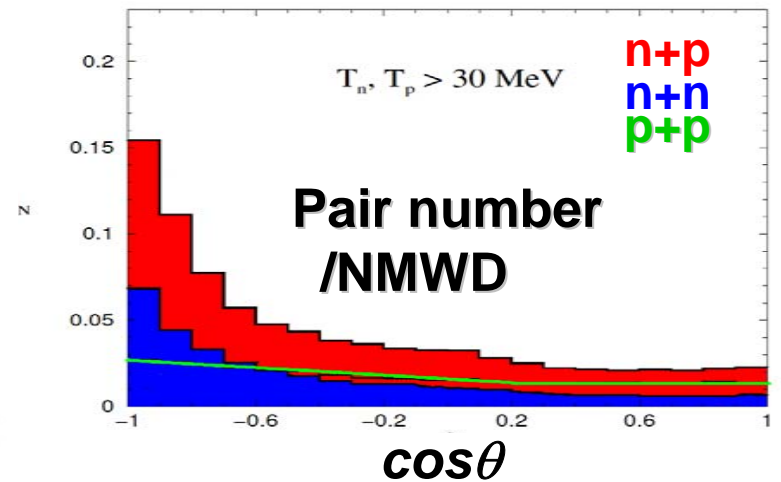
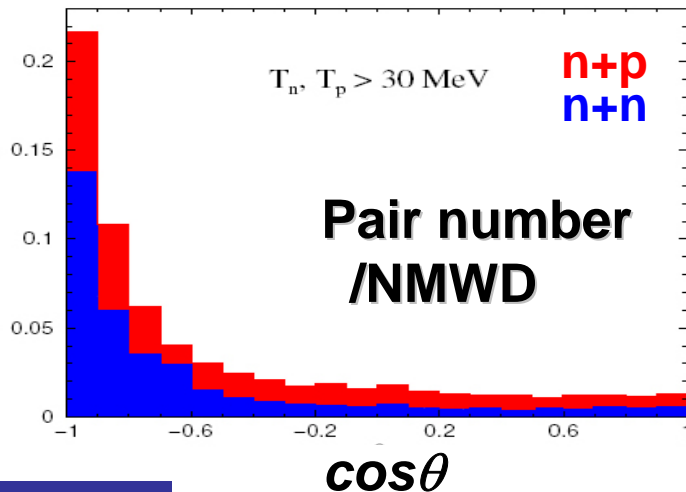
$^5_{\Lambda}\text{He}$  (E462)



$^{12}_{\Lambda}\text{C}$  (E508)



theoretical  
calc.



Garbarino's  
calc.

assuming  $G_n/G_p = 0.46$  (for  $^5_{\Lambda}\text{He}$ ),  $0.34$  (for  $^{12}_{\Lambda}\text{C}$ )  
considered 2N-induced ( $\sim 20\%$ ), FSI

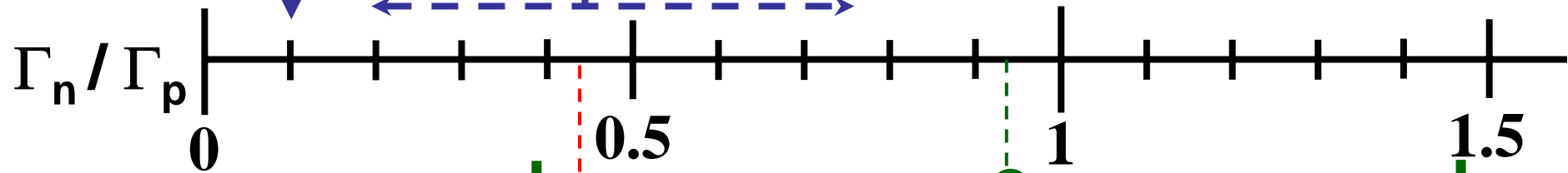
Phys. Rev. Lett. 91 (2003) 112501

# Results of $\Gamma_n / \Gamma_p$

Theory

OPE

OME (w/ heavy meson )  
DQ model ...



$0.93 \pm 0.55$  (Szymanski et al.) (for  ${}^5_{\Lambda}\text{He}$ )

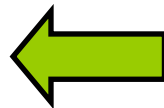
Experiment

${}^5_{\Lambda}\text{He}$  (E462) :  $0.44 \pm 0.11 \pm 0.03$

systematic error :

neutron efficiency(6%) + acceptance (3%)

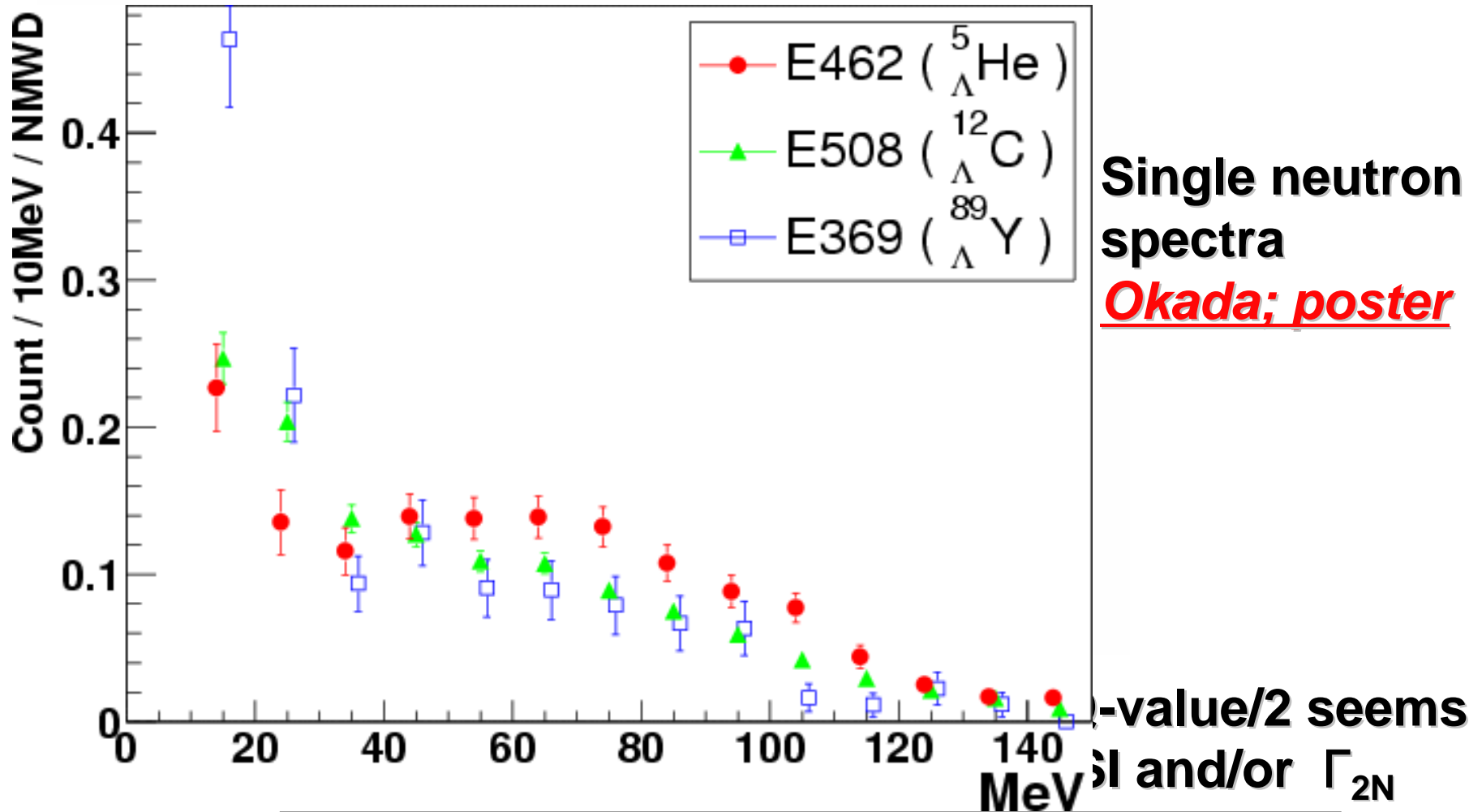
Nearly final



Garbarino's suggestion for the correction

Phys. Rev. Lett. 91 (2003) 112501

# $\Gamma_{2N}$ process....?



**We need good control of FSI effect estimation from the theory**

# Compare w/ Garbarino's calc.

Gross feature are well explained but.....

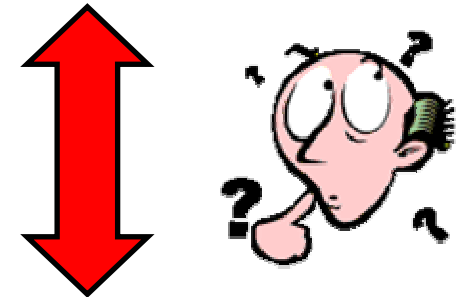
1. **No peaking** in single neutron energy spectrum even from  ${}^5_{\Lambda}\text{He}$
2. Both of nn/pp-pair **numbers/NMWD** are **lower** especially for  ${}^{12}_{\Lambda}\text{C}$

→ Suggesting **larger** FSI/ $\Gamma$ 2N

3. Smaller contribution in  **$\cos\theta \sim 0$**  region

4. **p+p** emission rate is  $\sim 1/10$

→ Suggesting **smaller** FSI/ $\Gamma$ 2N



# Summary of NMWD results:

- \*  $\Gamma_n / \Gamma_p$  ratio:  
Nnn/Nnp at  $\cos\theta < -0.8$ ;  $E > 30\text{MeV}$   
 ${}^5_{\Lambda}\text{He}$  (E462)  $\sim 0.44 \pm 0.11 \pm 0.03$   
→ *Consistent w/ recent theory*



- \* Angular & Energy correlation  
Contribution of  $\Lambda\text{NN} \rightarrow \text{NNN}$  ??  
→ *Still open question..*



- \* Asymmetry parameter results ( $\sim 0$ )  
[ Maruta's parallel talk ]  
→ *Hard to be explained by theory*



## 2. Accurate measurement of

$\Gamma_{\pi^-}$ ,  $\Gamma_{\pi^0}$  and  $\Gamma_{nm}$

*For detail; parallel talks by Kameoka/Okada*

$$\Gamma_{\pi^-} = 1/\tau \times \text{Br}(\pi^-)$$

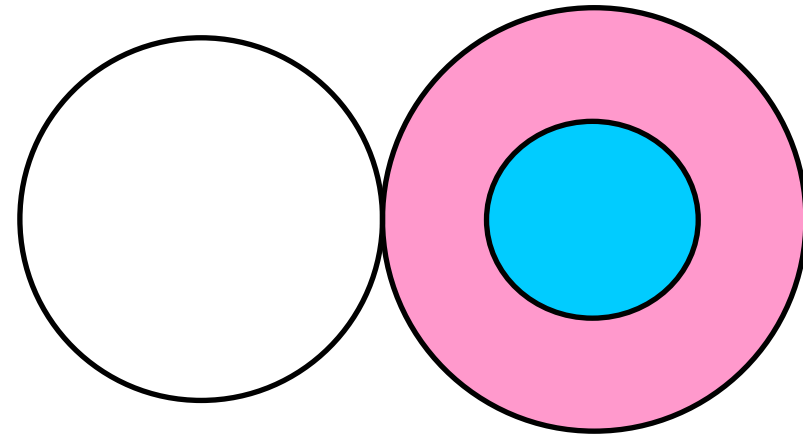
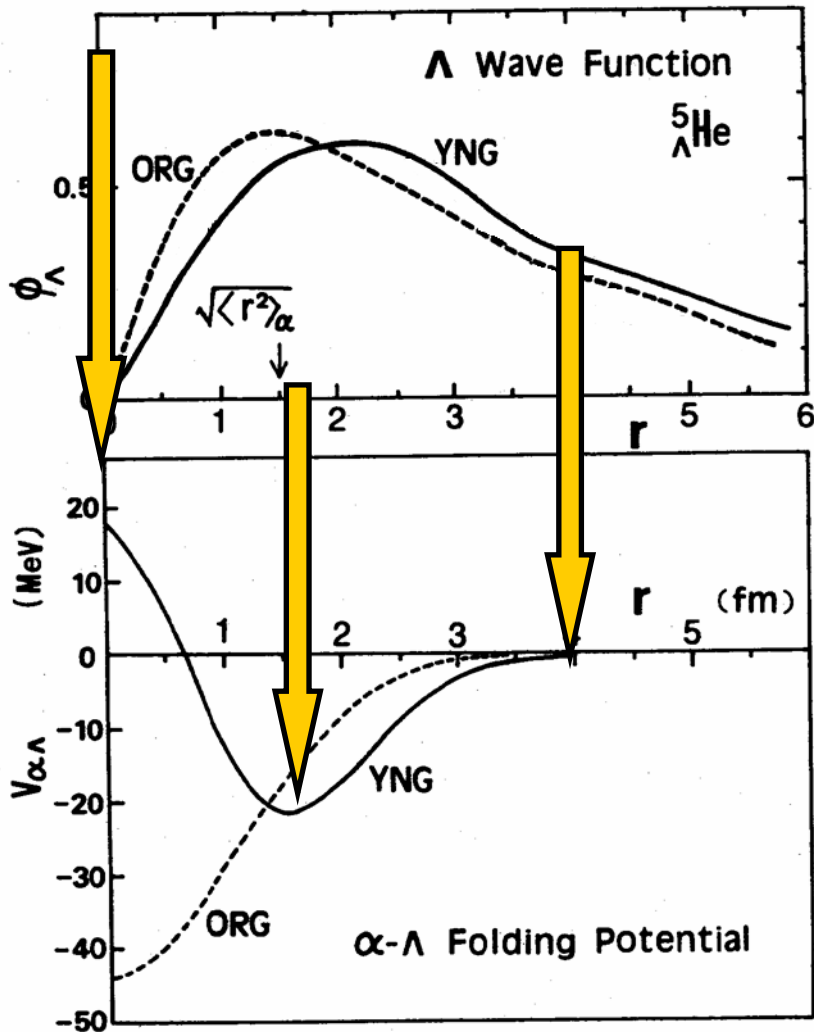
$$\Gamma_{\pi^0} = 1/\tau \times \text{Br}(\pi^0)$$

$$\Gamma_{nm} = 1/\tau \times (1 - \text{Br}(\pi^-) - \text{Br}(\pi^0))$$



**Needs good accuracy for all of them**

# $\Gamma\pi$ : test of $\Lambda$ -nucleus potential



nucleus

$\Lambda$

YN interaction  
attraction  $\sim$  repulsion



**Repulsive core is the  
common feature of  
Y-nucleus potential**



# $\Gamma_{\pi}/\Gamma_{nm}$ and $\Lambda$ -Nucleus Potential

$$\int \frac{\Psi_N^2}{\rho_0} \cdot \Psi_{\Lambda}^2 d\vec{r} \quad ??$$

**YNG: 20% overlap**  
**ORG: 40% overlap**

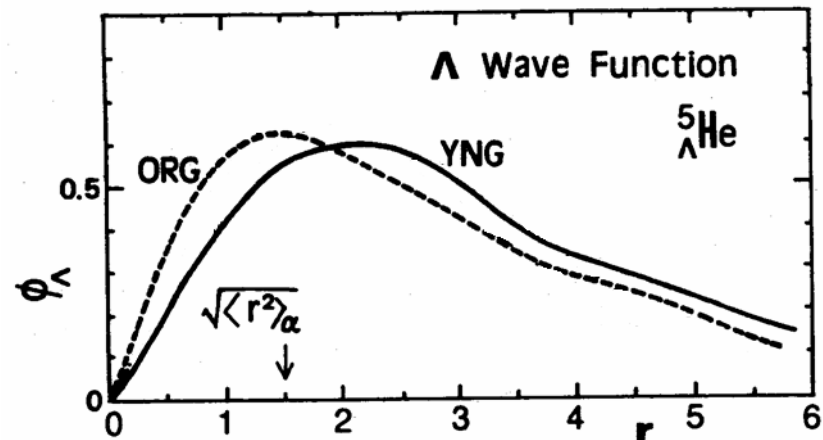
**Mesonic decay rate**

$$\Gamma_{\pi}(\text{YNG}) > \Gamma_{\pi}(\text{ORG})$$

**Non-mesonic decay rate**

$$\Gamma_{nm} \propto \int \frac{\Psi_N^2}{\rho_0} \cdot \Psi_{\Lambda}^2 d\vec{r} \quad ??$$

$$\Gamma_{nm}(\text{ORG}) < \Gamma_{nm}(\text{YNG})$$

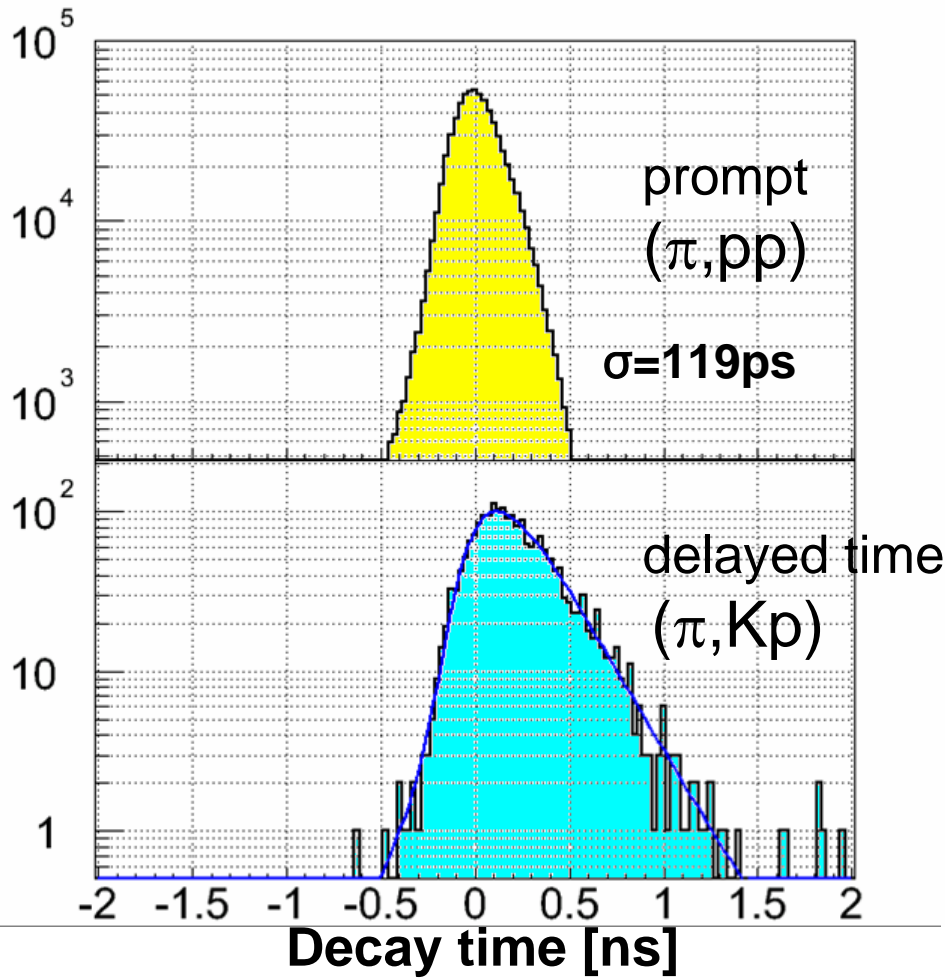


# Lifetime

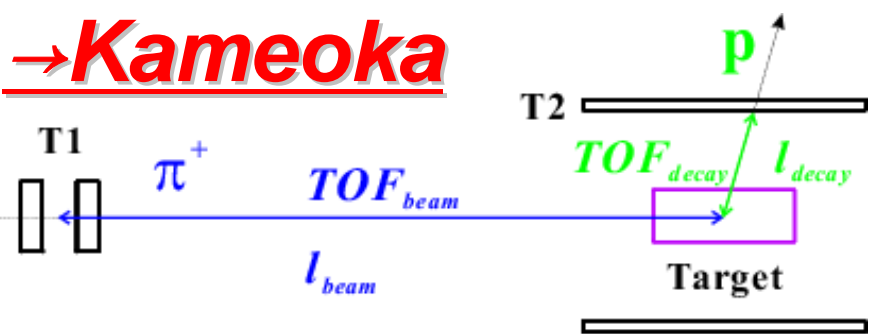
$$\Delta t = t_{T2} - \text{TOF}_p - \text{TOF}_\pi - t_{T1}$$

$$= t_{T2} - \frac{l_p}{\beta_p c} - \frac{l_\pi}{\beta_\pi c} - t_{T1}$$

${}^5_\Lambda\text{He}$



$\rightarrow$ Kameoka



*preliminary*

$$\tau = 212 \pm 6 \text{ ps}$$

for  ${}^{12}_\Lambda\text{C}$

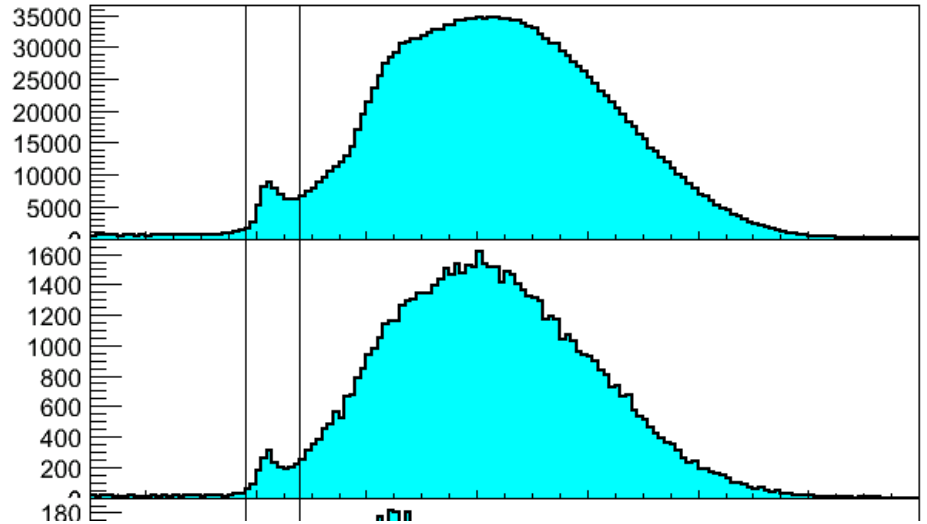
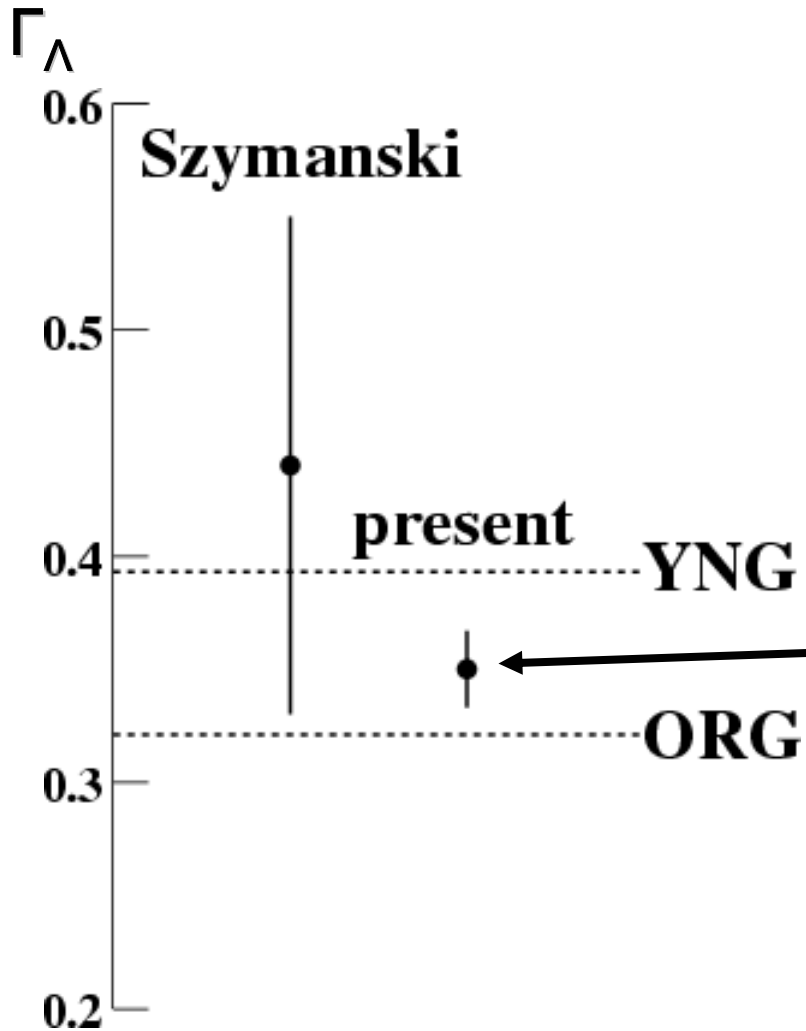
$$\tau = 278 \pm 10 \text{ ps}$$

for  ${}^5_\Lambda\text{He}$

**Error: ~ 2.5 times improved over previous experiments**

# $\Gamma_{\pi^-}$ for $^5_{\Lambda}\text{He}$

$\rightarrow$  Kameoka



$$b_{\pi^-} = 0.371 \pm 0.009$$

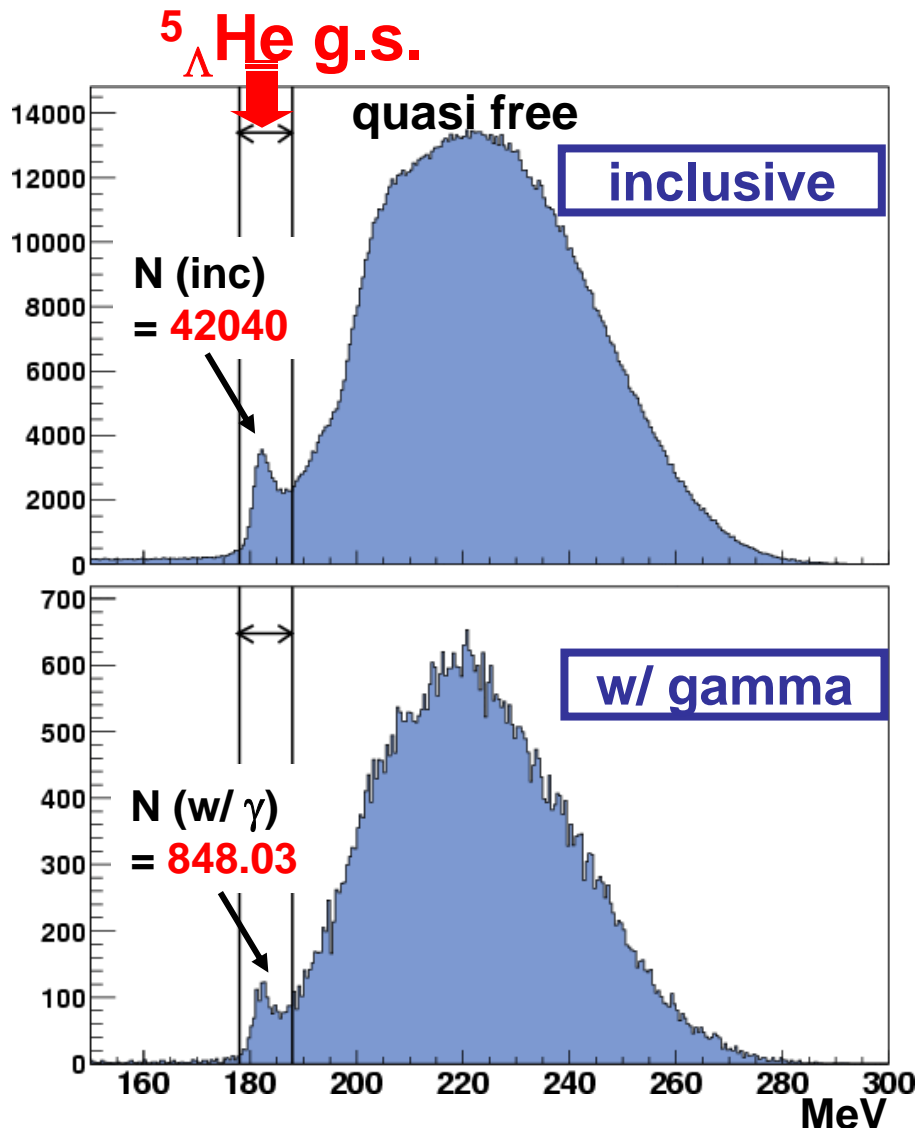
$$0.393 \Gamma_{\Lambda}$$
$$0.351 \pm 0.017 \Gamma_{\Lambda}$$
$$0.321 \Gamma_{\Lambda}$$

**~ 30% overlap??  
; larger than YNG**

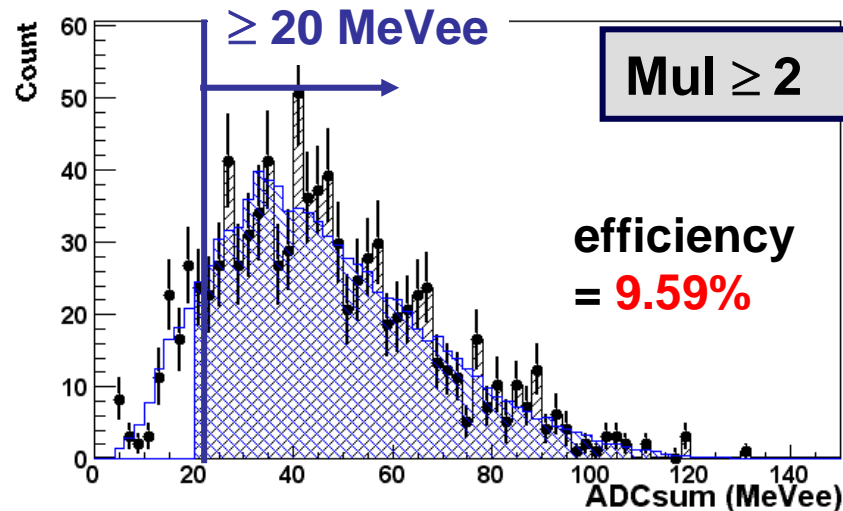
# $\pi^0$ branching ratio of ${}^5_{\Lambda}\text{He}$

**Okada**

## Mass spectra for ${}^6\text{Li}(\pi^+, \text{K}^+)$



## ADC sum w/ Geant sim

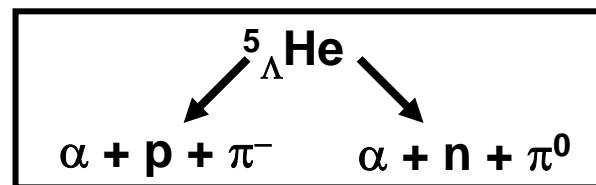


$$b_{\pi^0} = N(\text{w/ } \gamma) / N(\text{inc}) \times \text{eff}$$

$$= \mathbf{0.212 \pm 0.008}$$

$${}^5_{\Lambda}\text{He} : b_{\pi^-} / b_{\pi^0} = \mathbf{1.75 \pm 0.08}$$

( $b_{\pi^-} : 0.371 \pm 0.009$ ) referring previous talk



Same Q-value as that of free  $\Lambda$

$$\text{Free } \Lambda : b_{\pi^-} / b_{\pi^0} = \mathbf{1.78 \pm 0.03}$$

# Non-mesonic deca rate ${}^5_{\Lambda}\text{He}$ and ${}^{12}_{\Lambda}\text{C}$

$$\Gamma_{\text{tot}} = 0.947 \pm 0.038 \Gamma_{\Lambda}$$

$$b_{\pi^-} = 0.371 \pm 0.009$$

$$b_{\pi^0} = 0.212 \pm 0.008$$

$$\Gamma_{\text{tot}} = 1.242 \pm 0.042 \Gamma_{\Lambda}$$

$$b_{\pi^-} = 0.099 \pm 0.011$$

$$b_{\pi^0} = 0.133 \pm 0.005$$

$${}^5_{\Lambda}\text{He} : \Gamma_{\text{nm}} / \Gamma_{\Lambda} = 0.395 \pm 0.016$$

$${}^{12}_{\Lambda}\text{C} : \Gamma_{\text{nm}} / \Gamma_{\Lambda} = 0.953 \pm 0.032$$



$$0.41 \pm 0.14$$



$$0.83 \pm 0.09$$

$$\Gamma_{\text{total}} ({}^{56}_{\Lambda}\text{Fe}) \sim \Gamma_{\text{nm}}(A \rightarrow \infty) \sim 1.2 \Gamma_{\Lambda} \quad (\text{E307})$$

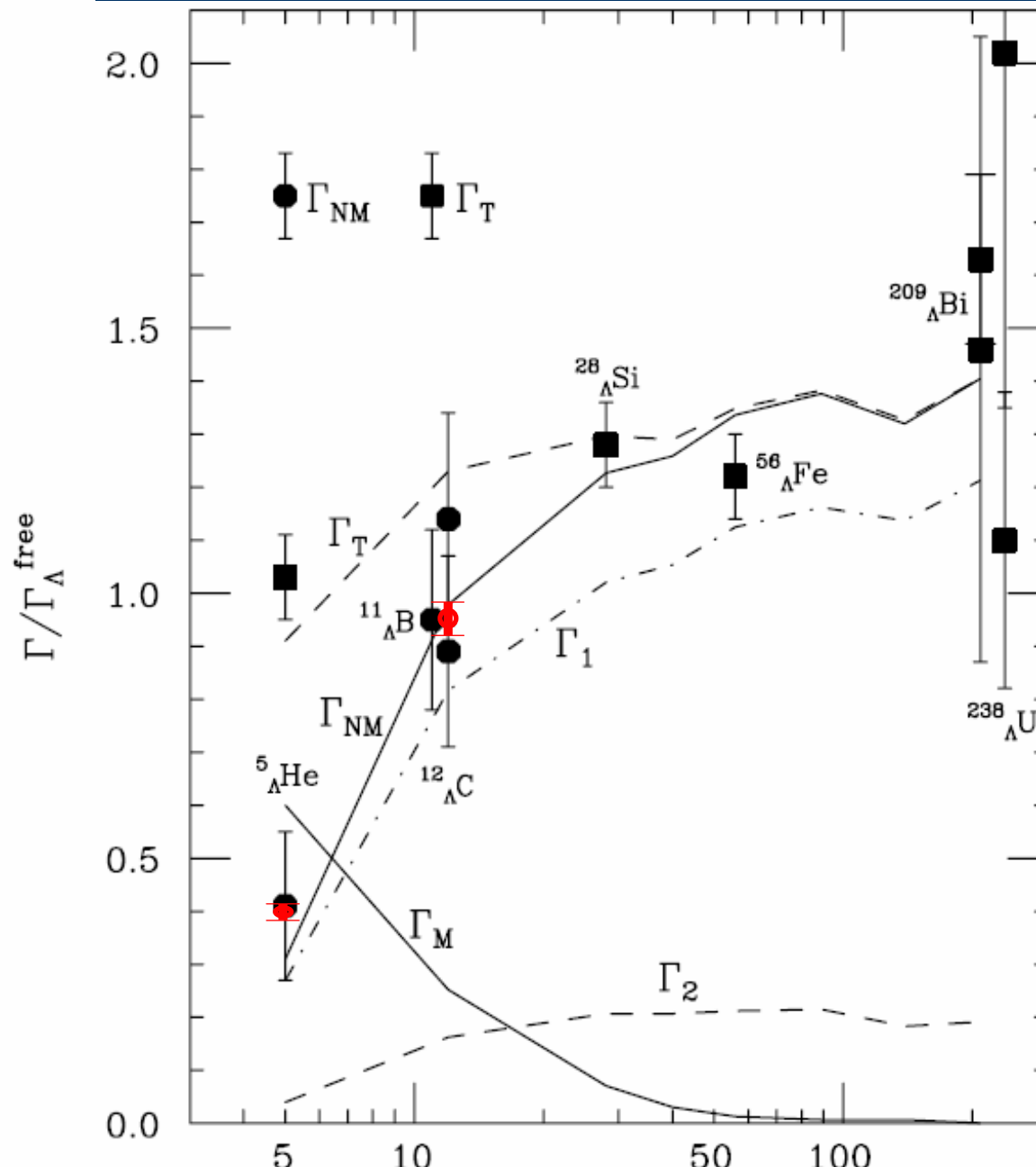
$$\Gamma_{\text{nm}} ({}^5_{\Lambda}\text{He}) = 0.4 \Gamma_{\Lambda} \quad (\text{Present})$$

$$\text{If } \Gamma_{\text{nm}} \propto \int \frac{\psi_N^2}{\rho_0} \cdot \psi_{\Lambda}^2 d\vec{r}$$

**1/3 of  $\Lambda$  is inside  $\alpha$**

**$\Gamma_{\text{nm}}$  calculation must use the  $\Lambda$  w.f.  
which can well reproduce  $\Gamma_{\pi}$**

# Mass number dependence of $\Gamma_{\text{NM}}$



# Contents of talks from E462/508

## Parallel

Maruta **Asymmetry** of proton from the NMWD of  ${}^5_{\Lambda}\text{He}$  and  ${}^{12}_{\Lambda}\text{C}$ ,  ${}^{11}_{\Lambda}\text{B}$

Kameoka  **$\pi^-$  decay** branching ratio of  ${}^5_{\Lambda}\text{He}$   
**Lifetime** analysis for  ${}^5_{\Lambda}\text{He}$ ,  ${}^{12}_{\Lambda}\text{C}$

Okada  **$\pi^0$  decay** branching ratio of  ${}^5_{\Lambda}\text{He}$ ,  ${}^{12}_{\Lambda}\text{C}$   
**NMWD rate** of  ${}^5_{\Lambda}\text{He}$ ,  ${}^{12}_{\Lambda}\text{C}$

## Posters

Okada **Single nucleon** spectra from  ${}^5_{\Lambda}\text{He}$ ,  ${}^{12}_{\Lambda}\text{C}$   
**Nn/Np** ratio from NMWD of  ${}^5_{\Lambda}\text{He}$ ,  ${}^{12}_{\Lambda}\text{C}$

Kang n+p and n+n coincidence  
for  ${}^5_{\Lambda}\text{He}$   **$\Gamma_n/\Gamma_p$  ratio**

Kim **n+p and n+n** coincidence for  ${}^{12}_{\Lambda}\text{C}$

# Summary table (*preliminary*)

Width unit :  $\Gamma_{\Lambda}$

${}^5_{\Lambda}\text{He}$

${}^{12}_{\Lambda}\text{C}$

Total decay width

$0.947 \pm 0.038$

$1.242 \pm 0.042$

$\Gamma_{nm}$

$0.395 \pm 0.016$

$0.953 \pm 0.032$

Nn/Np(@50MeV)

$2.20 \pm 0.13 \pm 0.15$

$1.80 \pm 0.07 \pm 0.12$

Nnn/Nnp b-to-b

$0.44 \pm 0.11 \pm 0.03$

in analysis

$\alpha_{nm}$

$0.07 \pm 0.08$

-  $0.24 \pm 0.26$

( ${}^{12}_{\Lambda}\text{C}$  and  ${}^{11}_{\Lambda}\text{B}$ )

$0.351 \pm 0.017$

in analysis

$0.201 \pm 0.011$

$0.165 \pm 0.008$

THANK YOU

are 2 ~ 20 times more accurate  
previous measurements