

# Cross Sections of $K^0\Lambda$ Photoproduction off the Deuteron



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Data from CLAS (g10) at JLAB

# Motivation and Significance

- It is possible that current missing resonances may yield a better signal for different initial and final states (i.e. neutron excitations or strange sector decay).
- The photocouplings to that of a neutron are different than that of a proton, therefore could yield results unique to the neutron.
- Data for neutron spectroscopy are not very abundant. Specifically, there is minimal world data on the reaction  $\gamma d \rightarrow K^0 \Lambda(p)$ , if any.
- Investigated are the differential and total cross section of  $\gamma d \rightarrow K^0 \Lambda(p)$  on an unpolarized target with an unpolarized real photon beam with beam energies of 1.0-3.0 GeV.

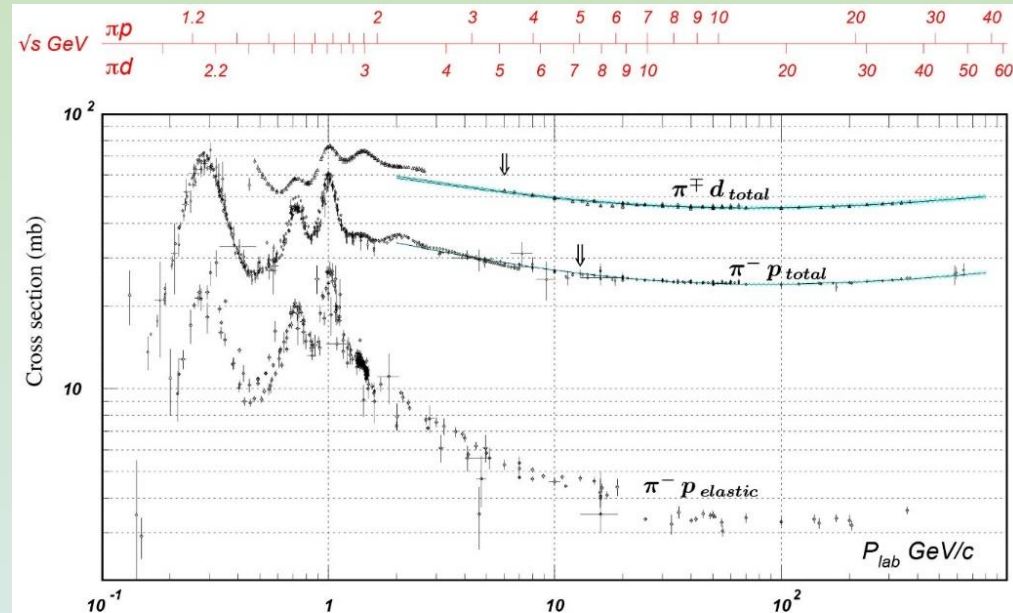
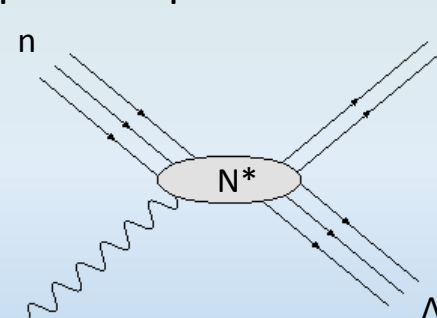


Figure 40.13: Total and elastic cross sections for  $\pi^+ p$  and  $\pi^+ d$  (total only) collisions as a function of laboratory beam momentum and total center-of-mass energy. Corresponding computer-readable data files may be found at <http://pdg.lbl.gov/xsect/contents.html>. (Courtesy of the COMPAS Group, IHEP, Protvino, August 2005.)

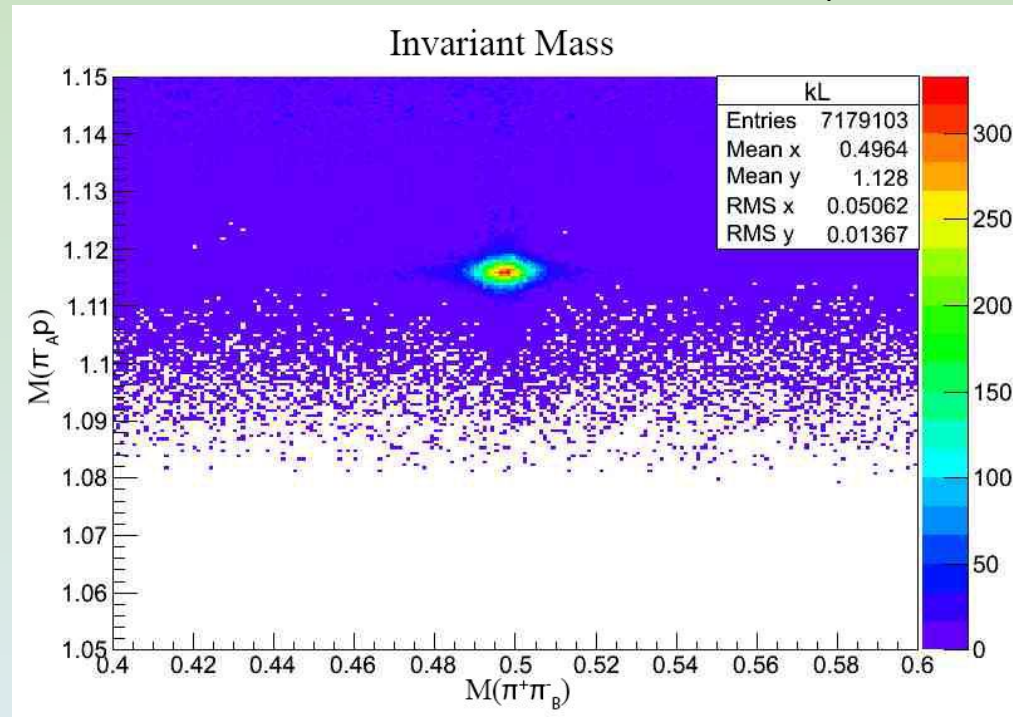
One possible production channel:



# Reaction: $\gamma d \rightarrow K^0 \Lambda(p)$

- G10 data set
  - Incident electron energies of roughly 3.8 GeV
  - Magnetic field with +2250A
  - Reviewed are events with tagged beam energies in the range of 1.0 to 3.0 GeV
- Required detection of all final state particles
  - $\pi^+ \pi^- \pi^- p$
  - Three branching ratios come into play to obtain final state shown to the right
  - Use detection of  $K_S^0$  decay products
- Initial invariant mass plots show a clear peak at the PDG values of  $K_S^0$  and  $\Lambda$ 
  - $M(K_S^0) = 0.498 \text{ GeV}$
  - $M(\Lambda) = 1.116 \text{ GeV}$

Raw data where events contain the 4 final state products

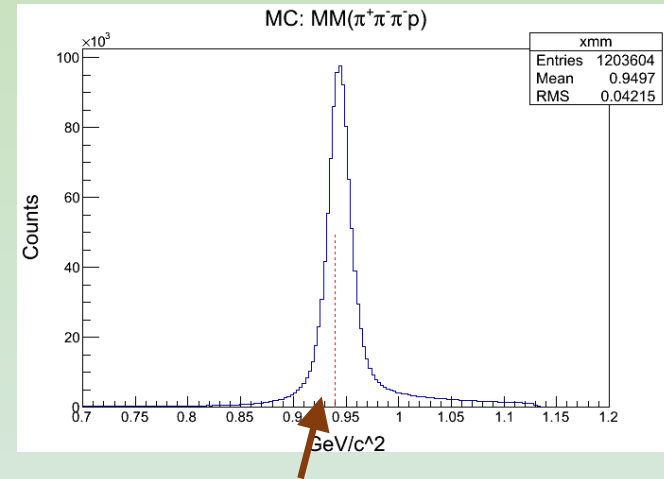
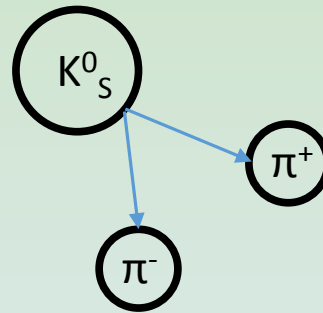
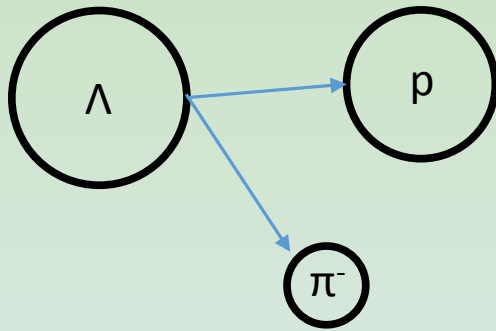


$$\gamma d \rightarrow K^0 \Lambda(p) \rightarrow \pi^+ \pi^- \pi^- p(p)$$

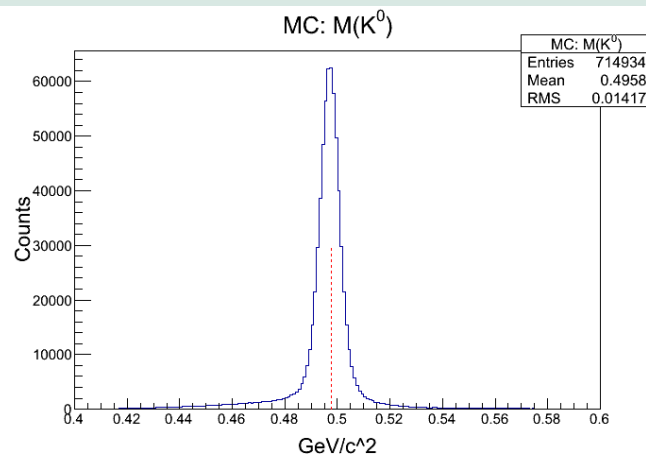
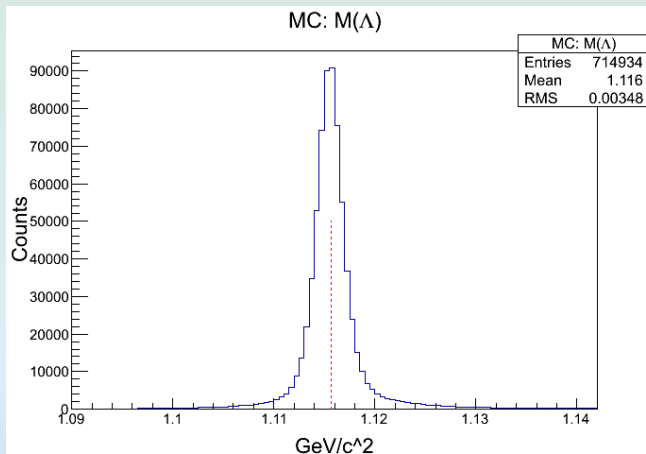
$$K_S^0 \rightarrow \pi^+ \pi^- \quad 69.2\%$$

$$\Lambda \rightarrow \pi^- p \quad 63.9\%$$

# Simulation of $K^0 \Lambda$ Production



The missing mass technique results in a mass equal to the assumed spectator proton

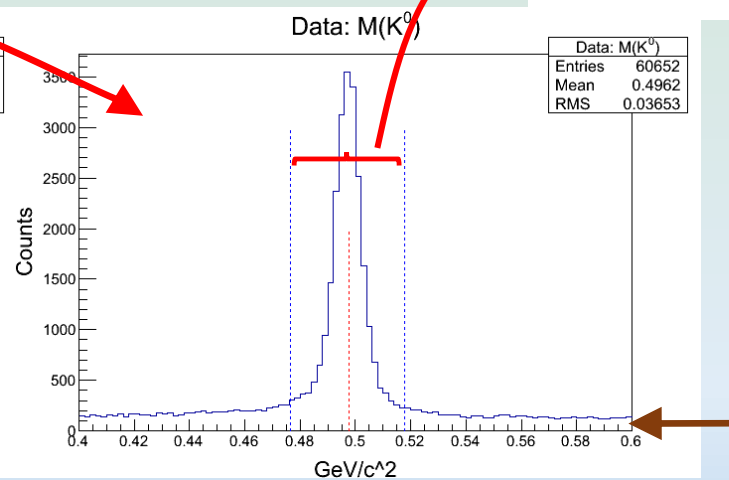
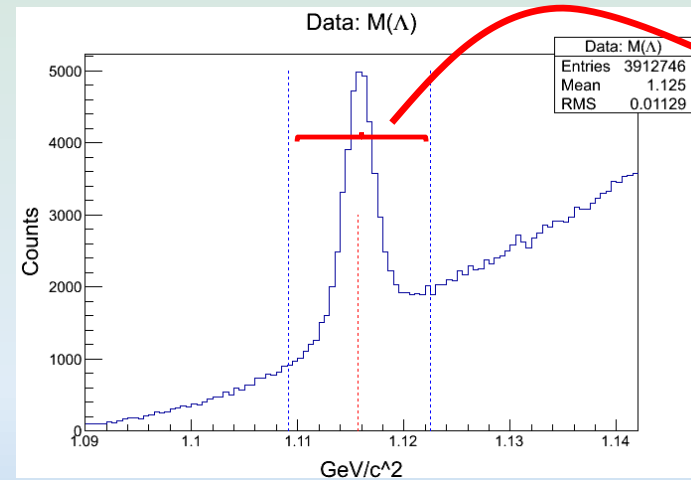
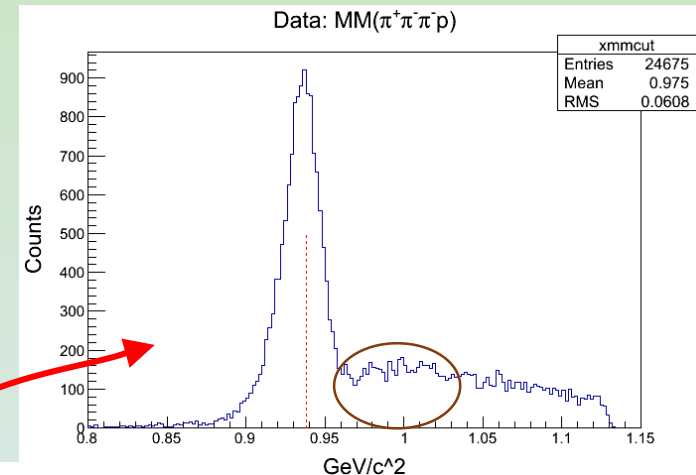


$$m_p(spec) = \sqrt{P_p^2}$$

$$P_p(spec) = (P_\gamma + P_d - P_K - P_\Lambda)$$

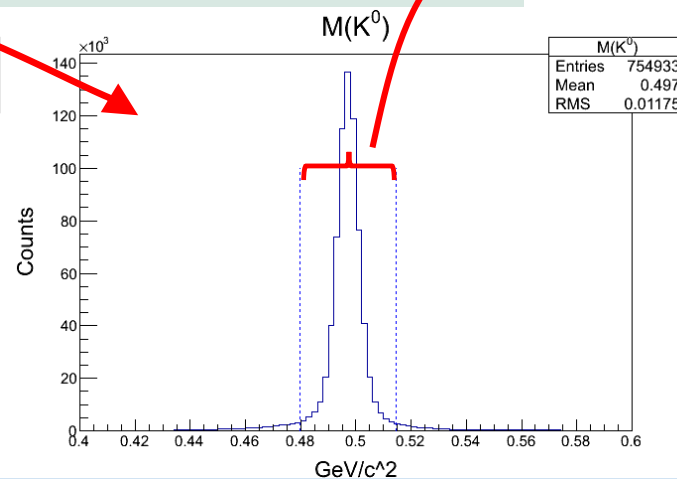
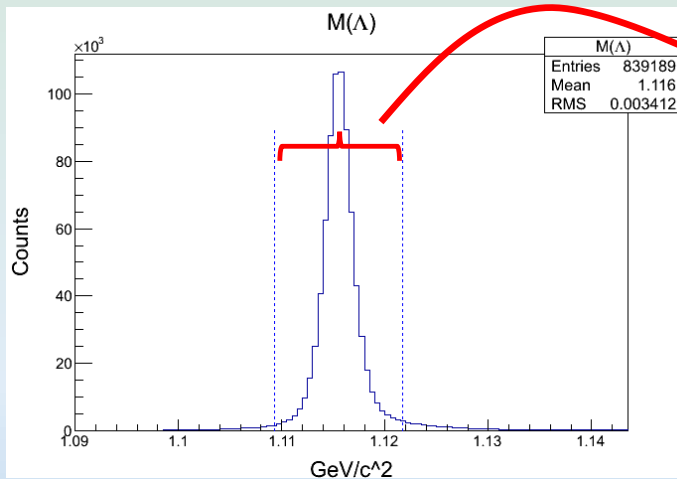
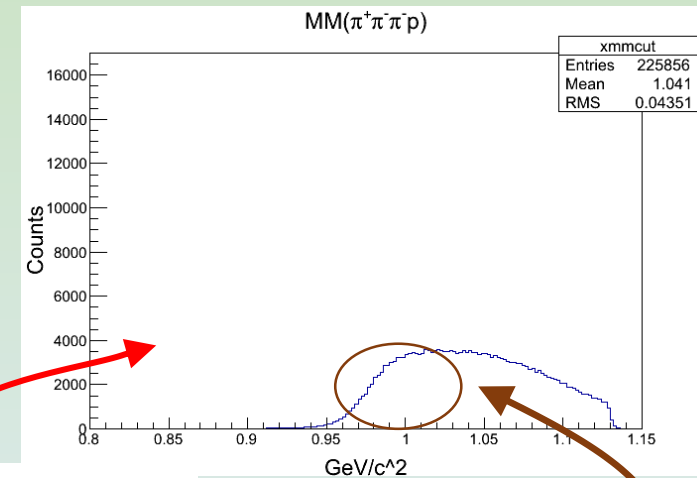
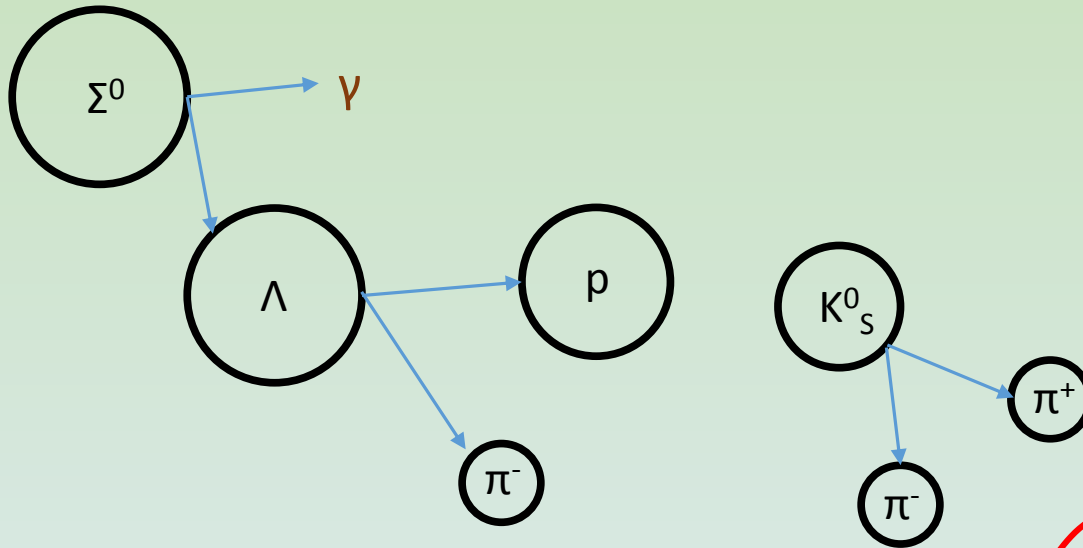
# Distributions within the Data

- Successive cuts about invariant masses cleans up the signal
- Signal is not completely isolated
  - One background is under the Kaon distribution (brown arrow)
  - Another background is to the right of the spectator proton (brown circle)



# Simulation of $\gamma d \rightarrow K^0 \Sigma^0(p)$

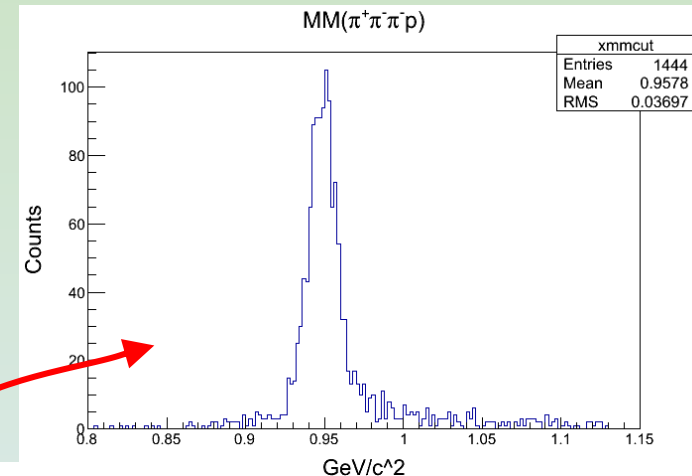
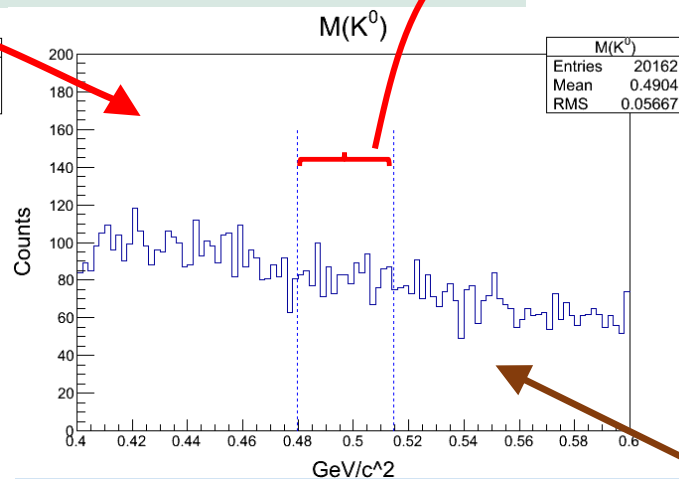
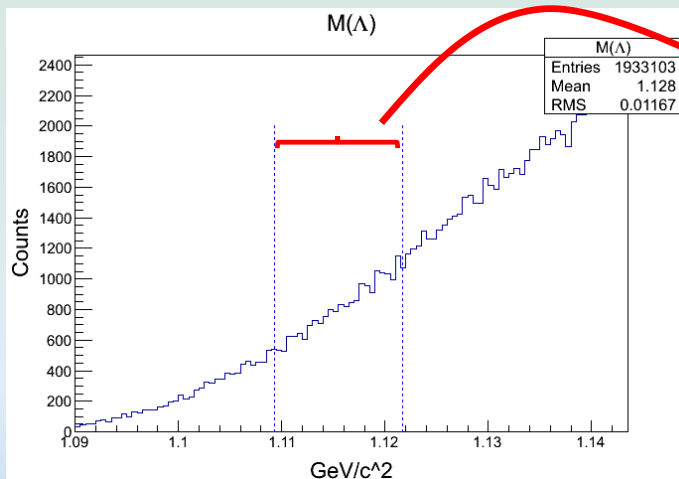
$$\Sigma^0 \rightarrow \Lambda(\gamma)$$



This type of background can account for the distribution to the right of the  $m_p(spec)$  peak within the missing mass spectrum

# Simulation of $\gamma d \rightarrow \pi^+ \pi^- \pi^- p(p)$

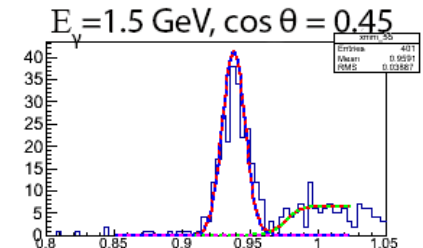
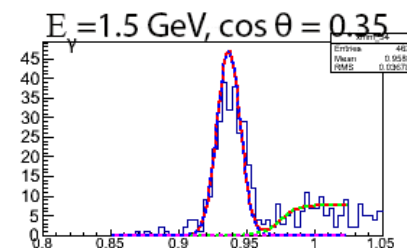
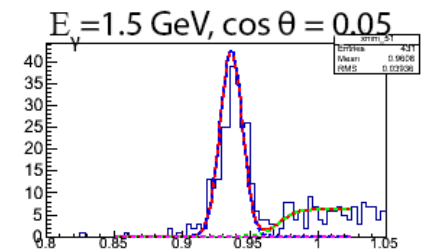
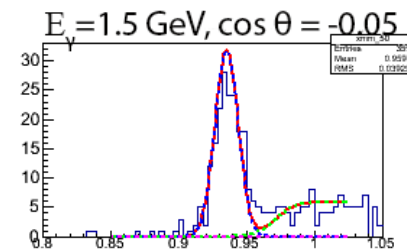
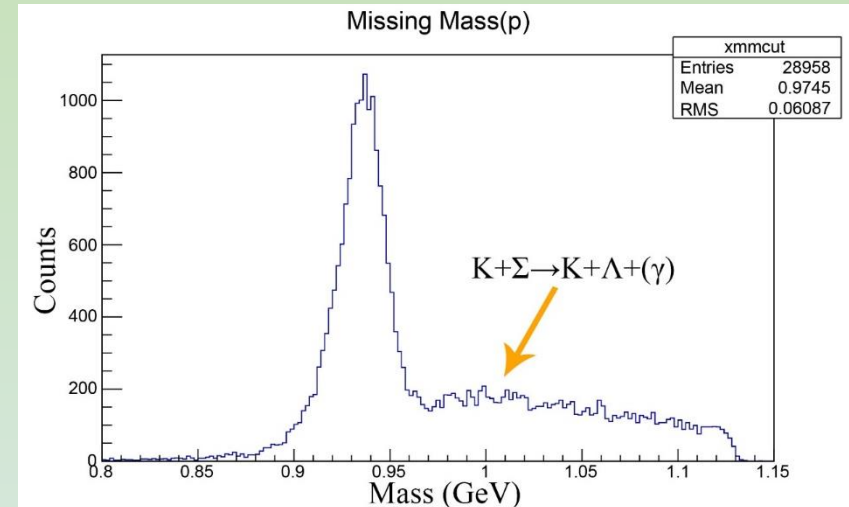
- A generated 4-Body phase space distribution can model the background in the data reasonably well
  - Most likely due to a variety of production channels not producing K0Lam at a variety of kinematics
  - No matter the invariant mass cuts, a peak should form about the proton mass



This type of background will be hidden under the  $m_p(spec)$  signal. A pion background subtraction can be done by looking at the sidebands of  $K^0$ .

# Yield Extraction

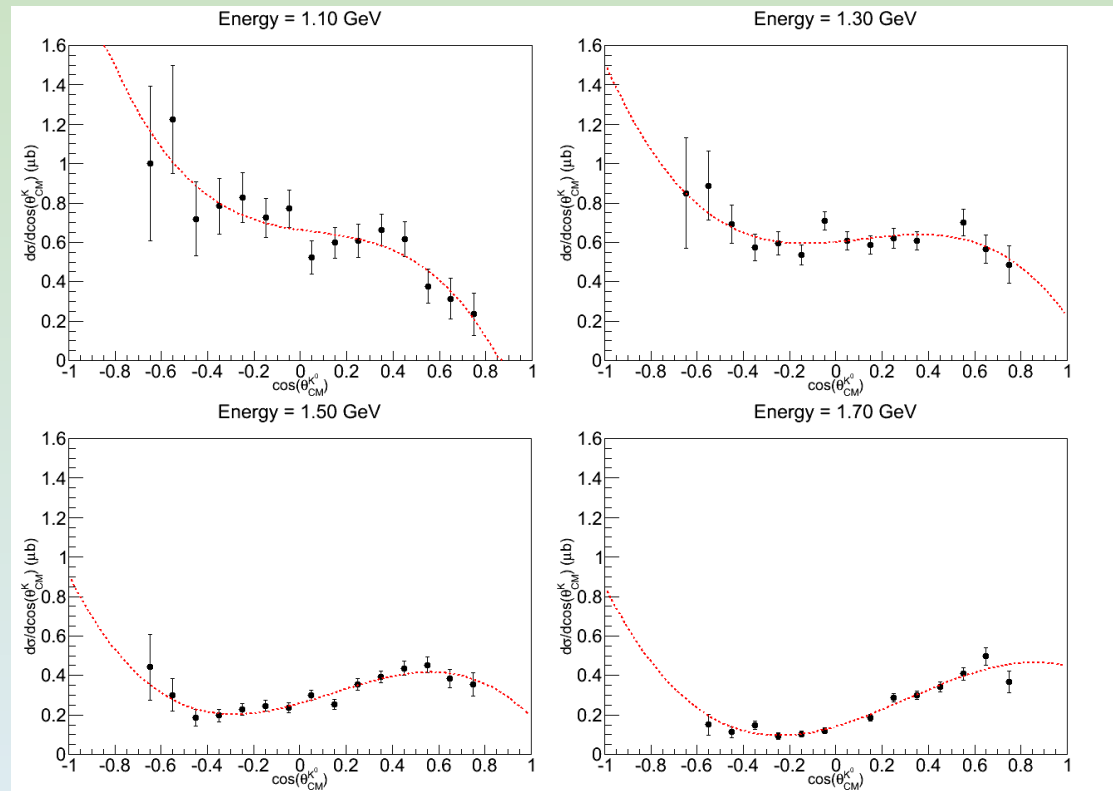
- Cut on the invariant mass of Lambda
- Cut on the invariant mass of Kaon
- Fit missing mass spectrum
- $\Sigma^0$  production still produces real signal in the  $K^0$  and  $\Lambda$  invariant mass spectrum
  - Fit the edge of the MC missing mass of  $\Sigma^0$  production
- Subtract phase space type background
  - $\gamma d \rightarrow \pi^+ \pi^- \pi^- p(p)$
  - Fit pion background and subtract





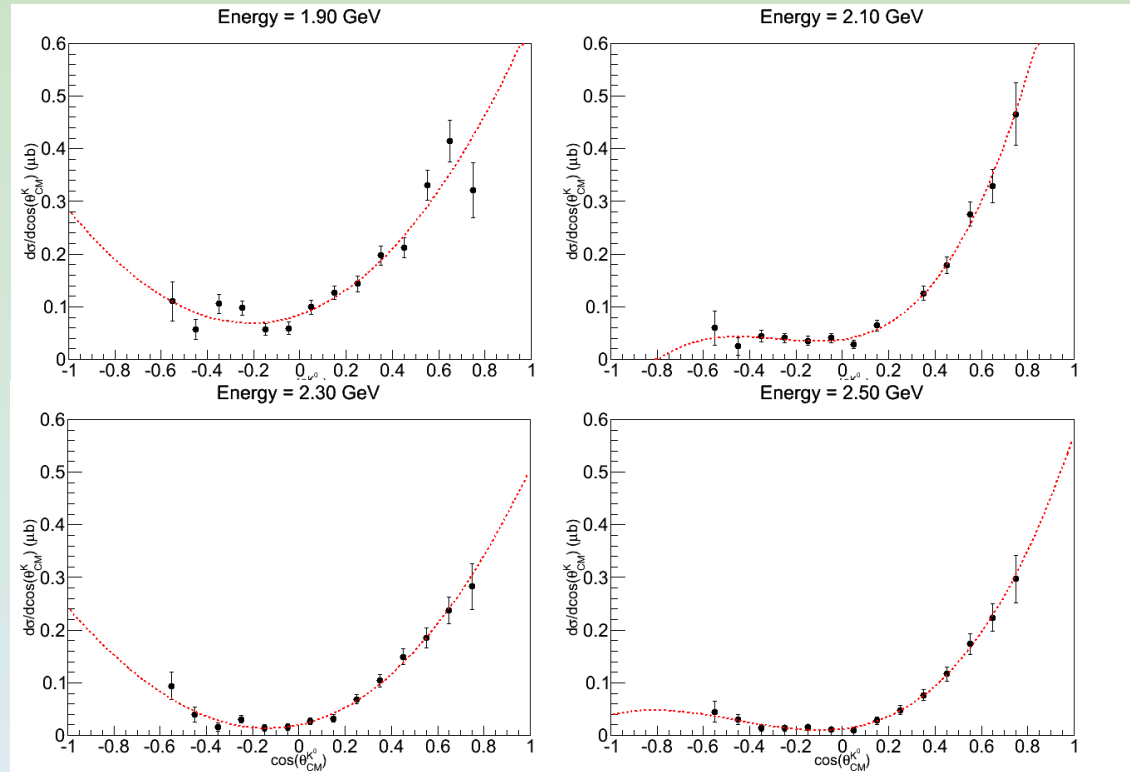
# Differential Cross Section

- $\frac{d\sigma}{d \cos \theta} = \frac{Y(E, \theta)}{\delta(\cos \theta) AN_{\gamma}(E) \rho L N_A} \frac{d_{MM}}{\rho L N_A}$
- The plot to the right
  - Fit to 3<sup>rd</sup> order Legendre Polynomial
  - Error bars are statistical only
  - Systematic Uncertainty is ~10%
  - Point geometrically centered on angular bin
  - Energy bins of 200 MeV



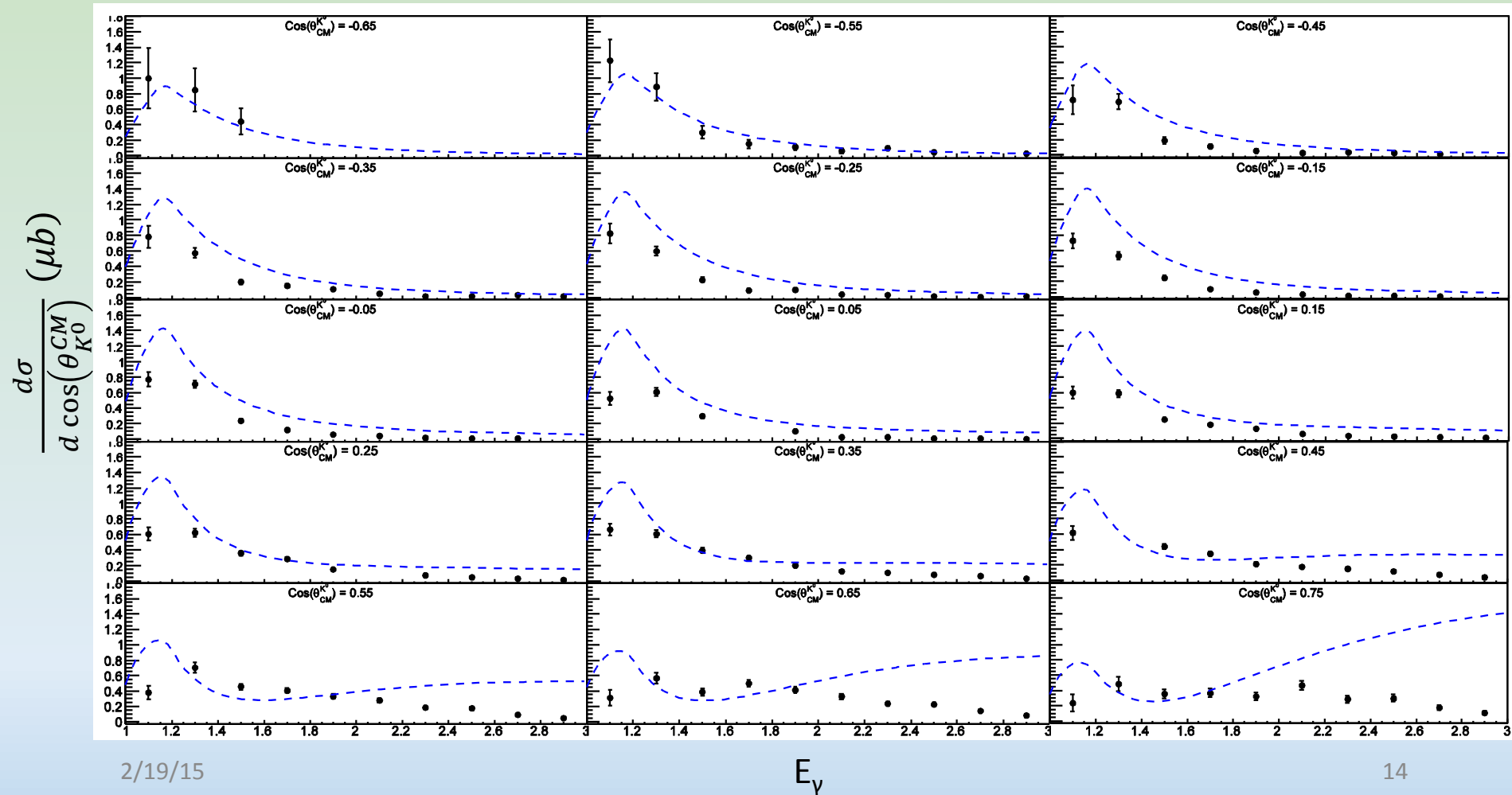
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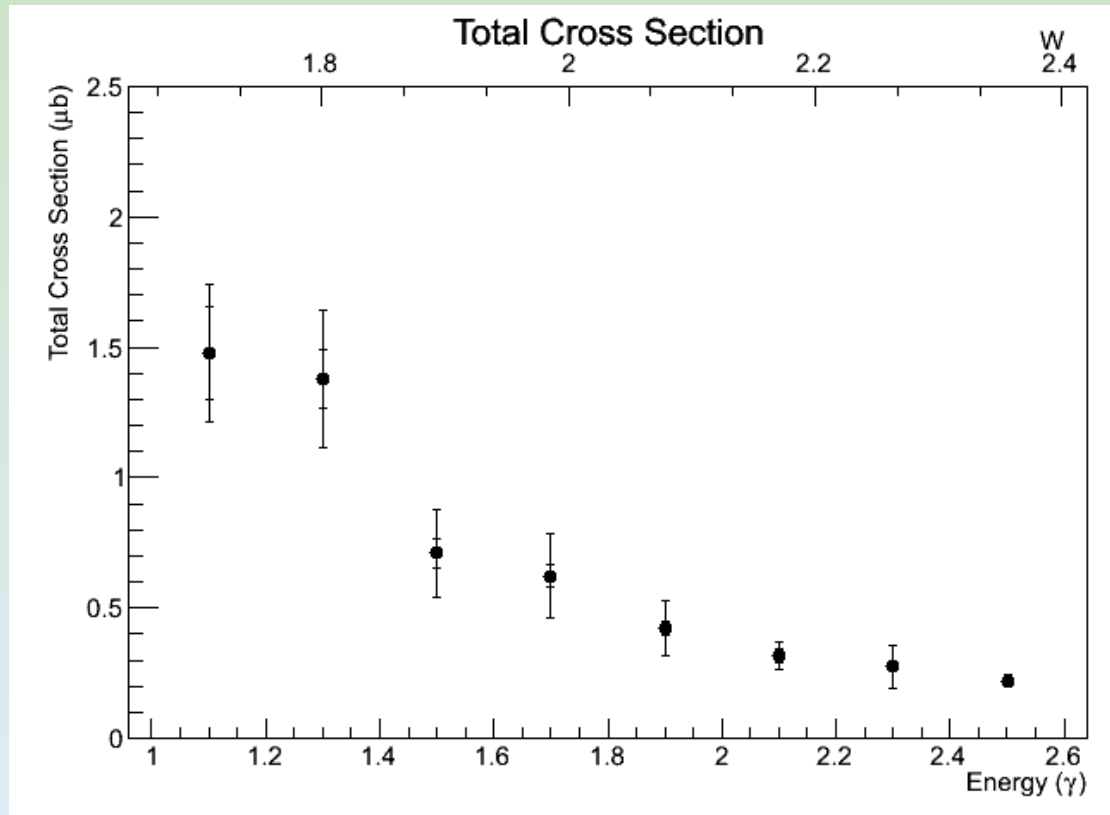
# Model Comparison

- Blue dotted line is an old isobar model calculation from T. Mart
  - Created for energies near threshold
  - Updated model comparison to come shortly



# Total Cross Section: $\gamma d \rightarrow K^0 \Lambda(p)$

- Integrated polynomial to obtain a total cross section
  - Several fits were applied to obtain an idea of systematic effects
- An increase in the cross section is seen in the energies for  $W < 1.87$  GeV
  - Indicative of resonance coupling to this channel
  - There are several nucleon resonances within these energies
- Theoretical models could utilize this data to predict and/or set limits on couplings to this channel

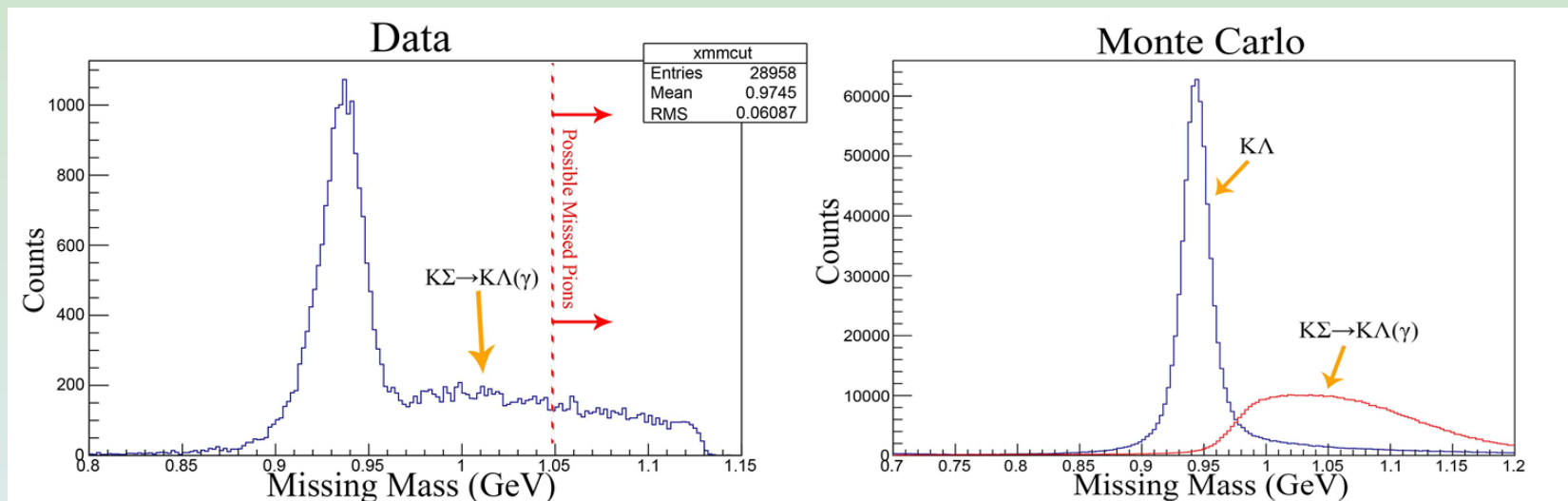


# Summary and Conclusion

- Passed the internal CLAS analysis review
- Demonstrated where a nucleon resonance may be coupled to this reaction channel
- Provided a comparison for current work with g13
  - Independent study is also being done (C. Taylor)
  - Much more statistics
  - Finer binning available
  - A comparison between two methods and two different data sets would offer a powerful result
- Waiting for a comparison to a current theoretical model
  - In contact with T. Mart, who is almost completed with such a model

# Back-Up Slides

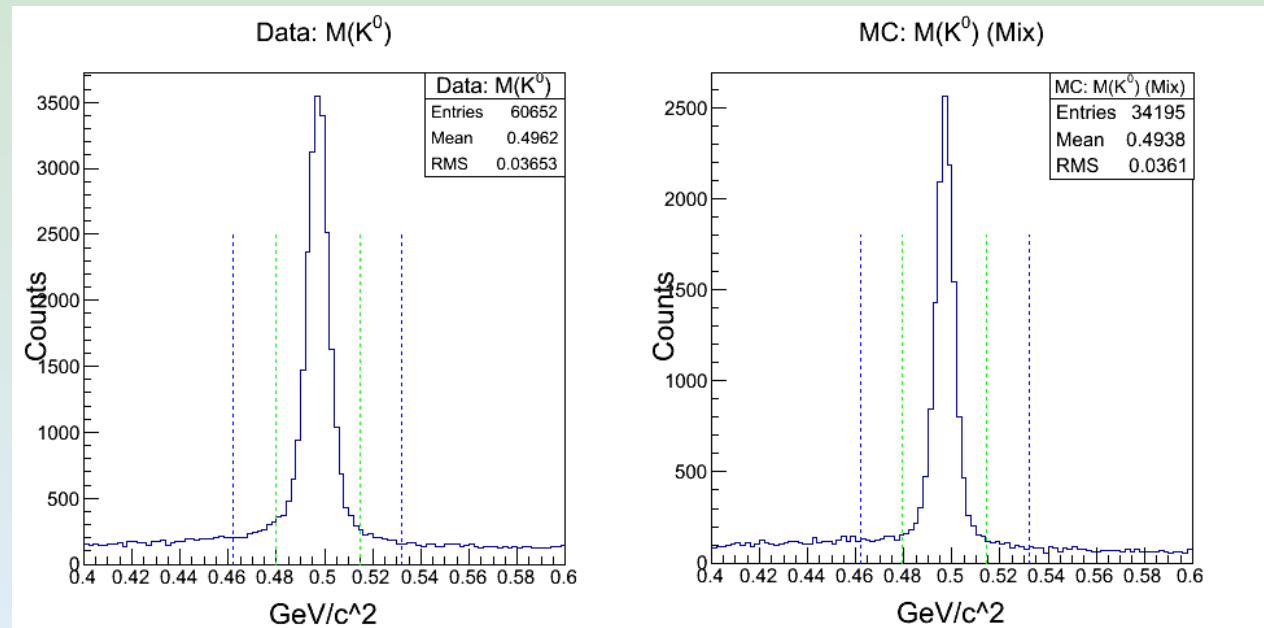
# Comparison of the $\Sigma^0$ background to the Data



# Comparison of the pion background to the data

- Each plot is shown after a cut about the invariant mass of the lambda particles.
- As seen previously the phase space background has a linear distribution in the calculated  $K^0$  mass.
- This background can be removed by subtracting the events between the colored dotted lines.

Here “Mix” represents a subset of KOLam mixed with a 4 body phase space distribution





# Sideband subtraction

- Using 3 of the plots in the figure to the left, a plot that resembles the upper left plot can be constructed
  - Signal ( $K^0_{\text{Lam}}$ ),  $\Sigma^0$ , and other non signal producing background
- The figure below shows the sideband cuts

