



Spin Asymmetries and Helicity Amplitudes from Pion Production from Polarized Neutrons at Jefferson Lab

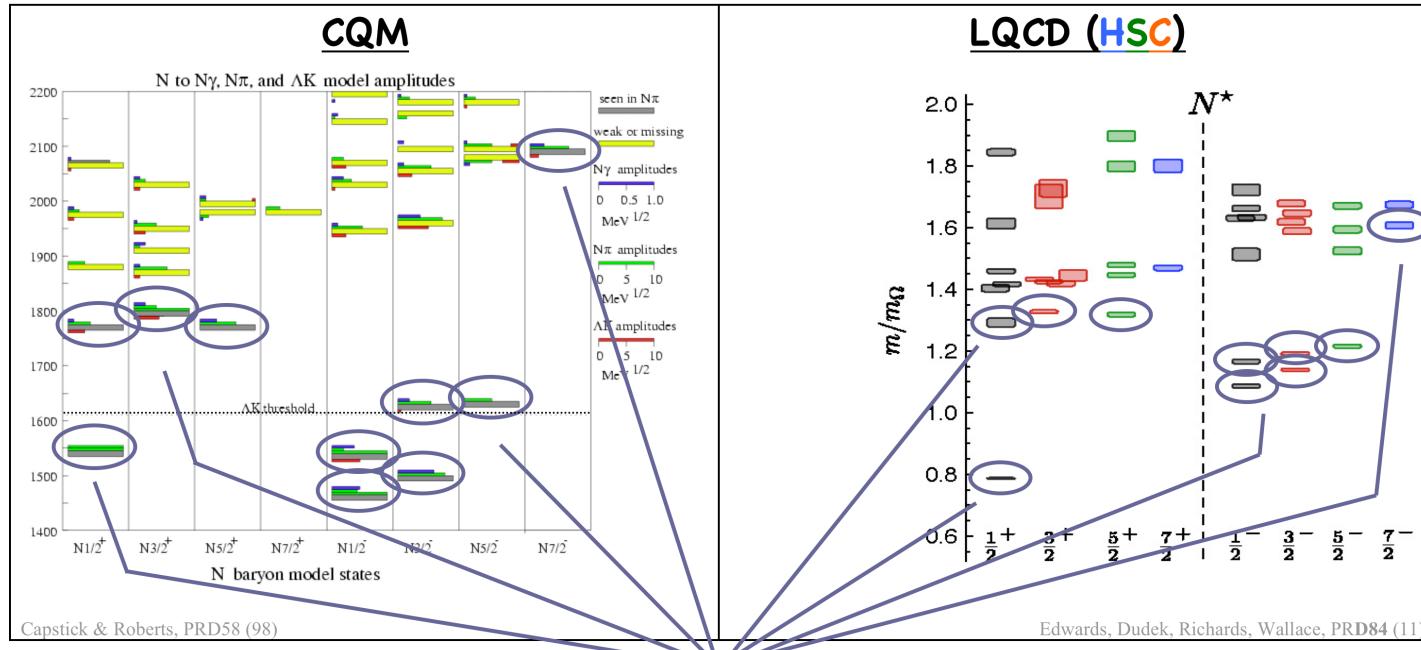
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Thomas Jefferson National Accelerator Facility, Newport News VA

*(for the g14 analysis team and the CLAS Collaboration,
together with the GWU-SAID and Bonn-Gatchina PWA groups)*

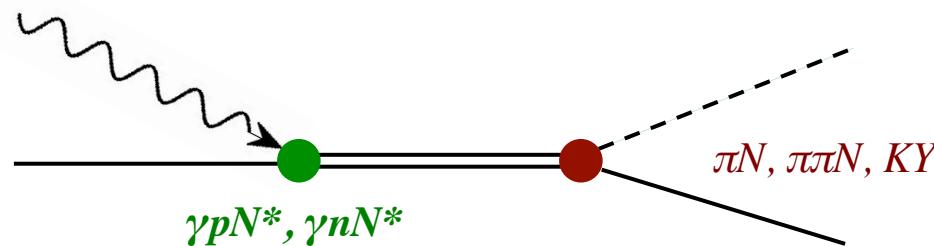
Unfolding and interpreting the N* spectrum

- low energy structure of QCD lies encoded in the excited N* spectrum, a complex overlap of resonances with “dressed” vertices



- only lowest few in each band “seen” with 4★ or 3★ PDG status
 ⇔ need to understand the structure of the states that are observed and find the ones that aren’t !

N^* resonance \Leftrightarrow s-channel pole



- meson-loop “dressings” of the Electromagnetic vertex affect the dynamical properties (excitation mechanism) and determine Q^2 evolution, but do not affect the N^* spectral properties
- coupled-channel “dressings” of the strong vertex determine the N^* spectral properties (mass/pole positions, widths)
- dressings are beyond the current sophistication of LQCD or DSE field theories
 \Leftrightarrow we rely on models, constrained by the spectrum and its couplings

data needed to unravel the N* spectrum

- $\gamma + N \Rightarrow (J^\pi=0^-) + N/\Lambda/\Sigma$
- spin states: $2 + 2 \Rightarrow 0 + 2 \Rightarrow 8$ spin combinations
 $\Rightarrow 4$ unique (parity)
- $\Rightarrow 4$ complex amplitudes describe photo-production $\Leftrightarrow 8$ unknowns

– Chiang & Tabakin, PR C55, (1997);
 AMS, Hoblit, Kamano, Lee, J Phys G38 (2011)

New goal: (Jlab, Bonn, Mainz)

- measure many polarization observables (of 16) \Leftrightarrow lots of proton data
- the electromagnetic interactions do not conserve isospin

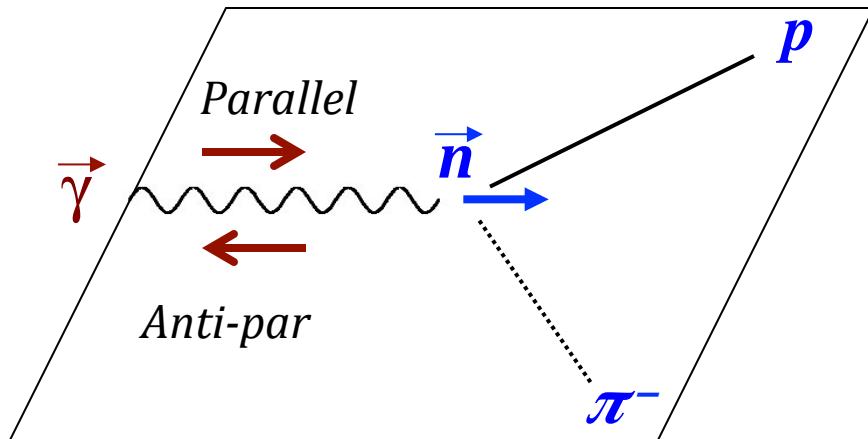
$$\mathcal{A}_{\gamma p \rightarrow \pi^+ n} = \sqrt{2} \left\{ \mathcal{A}_p^{I=1/2} - \frac{1}{3} \mathcal{A}^{I=3/2} \right\}$$

$$\mathcal{A}_{\gamma n \rightarrow \pi^- p} = \sqrt{2} \left\{ \mathcal{A}_n^{I=1/2} + \frac{1}{3} \mathcal{A}^{I=3/2} \right\} \quad \Leftrightarrow \text{proton data determine } \mathcal{A}^{I=3/2}$$

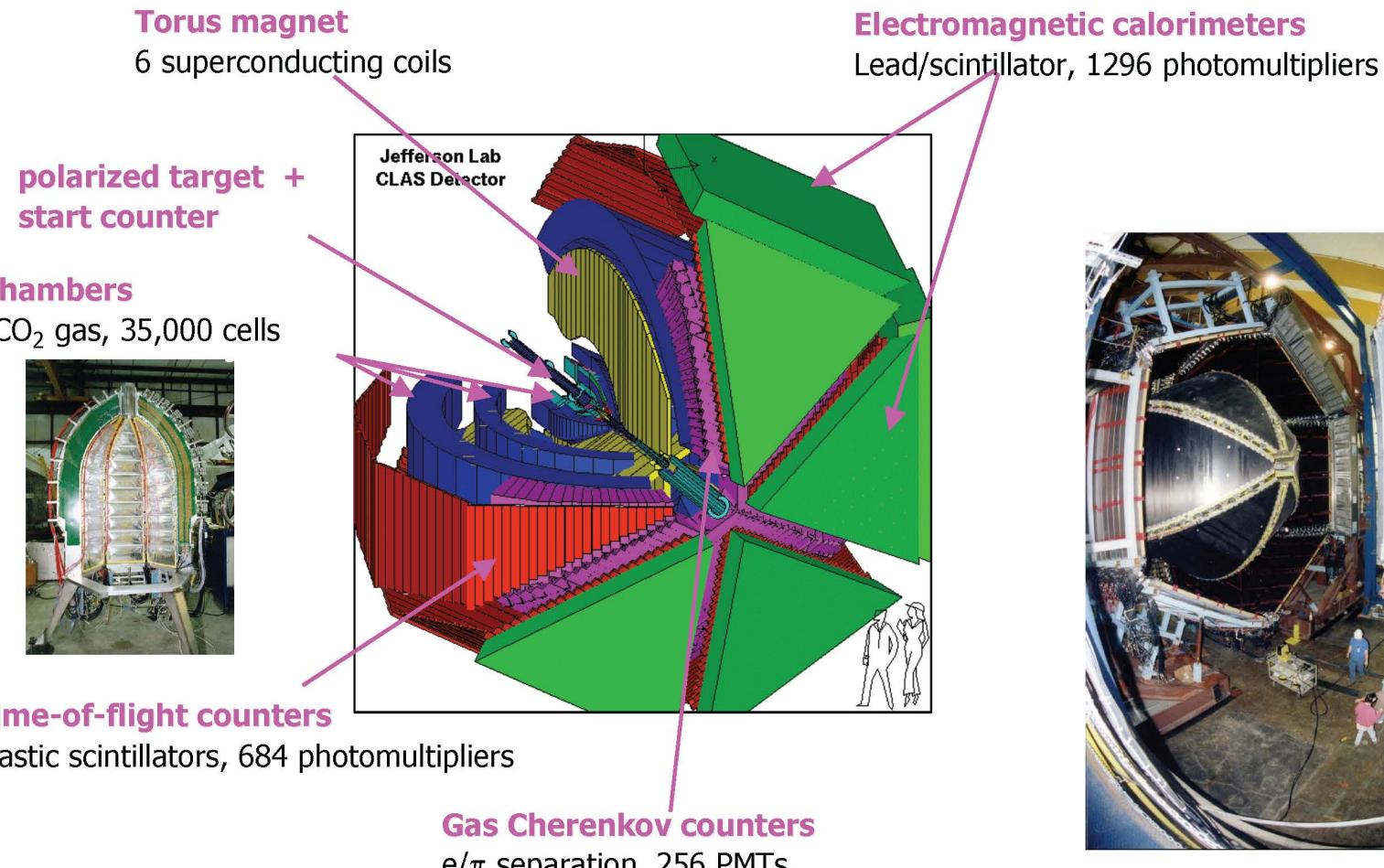
\Rightarrow both proton and neutron target data needed for the $I = \frac{1}{2}$ amplitudes

- $\gamma + n$ data base is very sparse
 $\Leftrightarrow \gamma n N^*$ couplings very poorly determined

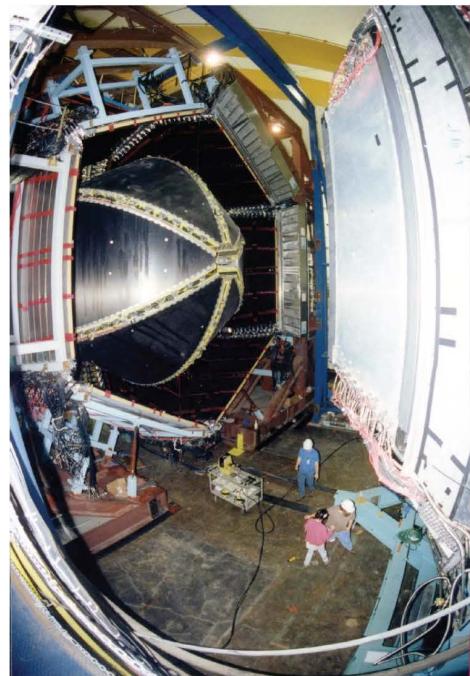
- Dec'2011 –to- May'2012
- tagged photons with circular and linear polarization on polarized HD,
 E_γ : 700 – 2400 MeV
- PRL 118 (2017) 242002:
the beam-target “E” asymmetry in $\gamma D \rightarrow \pi^- p(p)$
with circularly polarized photons and longitudinally polarized Deuterons,
 W : 1500 – 2300 MeV



$$E = \frac{1}{P_\gamma P_T} \frac{\sigma_A - \sigma_P}{\sigma_A + \sigma_P}$$



DAQ limit ~ 6kHz (~1.5TB/day)

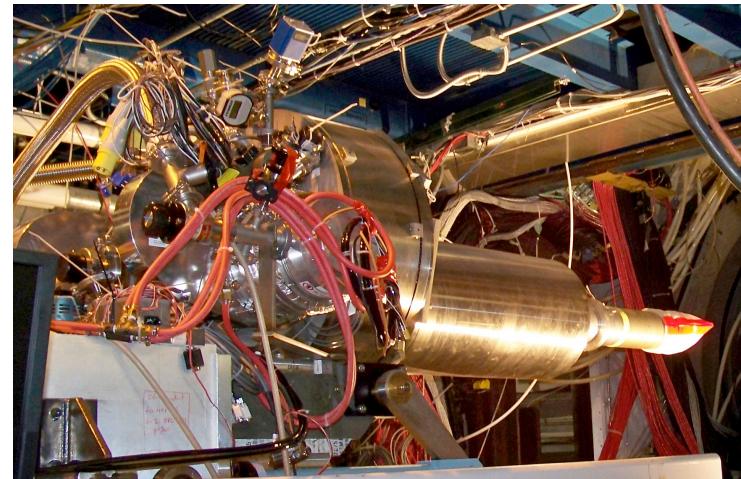
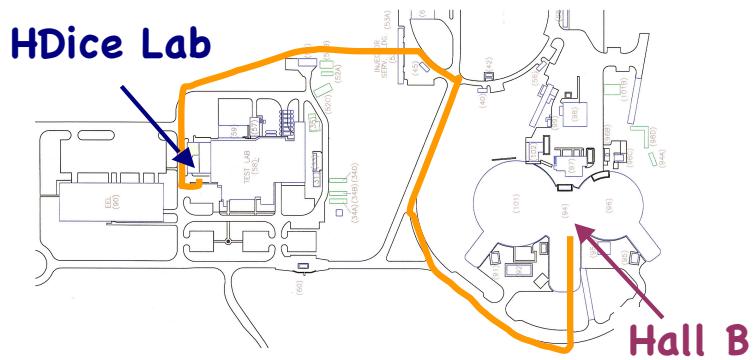


HDice frozen-spin target

- target: $\varnothing 15 \text{ mm} \times 50 \text{ mm}$
- material: solid HD
- dilution factors: 1/1 for \vec{n}
1/2 for \vec{p}

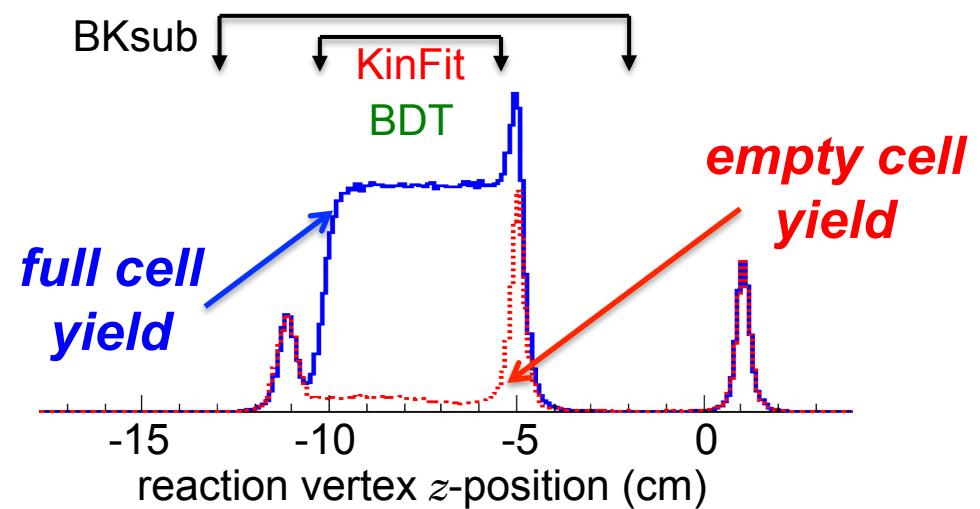
- $\langle P(D) \rangle = 25\%$ (ave in g14)
- T_1 (1/e relaxation time) \sim years
- HDice-I: NIM A737 (2014) 107
- HDice-II: NIM A815 (2016) 31

- moved while polarized to Hall B



- *Bksub* – conventional application of sequential cuts, with **empty subtraction**
- *KinFit* – energy & momentum conservation used in ***Kinematic fitting*** to improve accuracy of measured quantities
- *BDT* – “**Boosted Decision Trees**” used to place ***simultaneous*** (rather than sequential) requirements

- Vertex preselection:



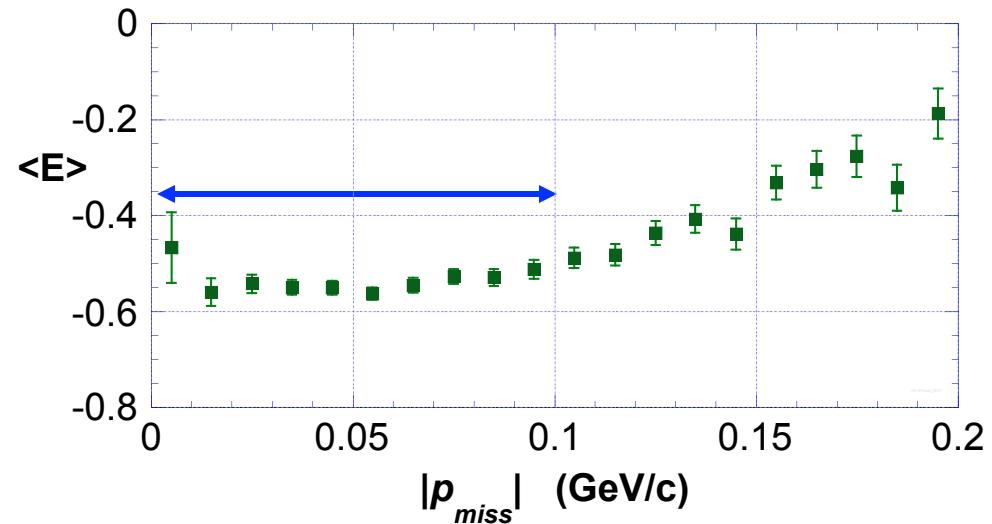
Restricting Deuteron reactions to create an effective neutron target

- select events for which the proton in Deuterium is a passive “spectator”
 - ↔ key variable is the momentum of the undetected proton in $\gamma + n(p) \rightarrow \pi^- p(p)$
 - ↔ use the data itself to determine the kinematic region in which the result is stable

$$|P_{\text{miss}}| < 0.1 \text{ GeV}/c$$

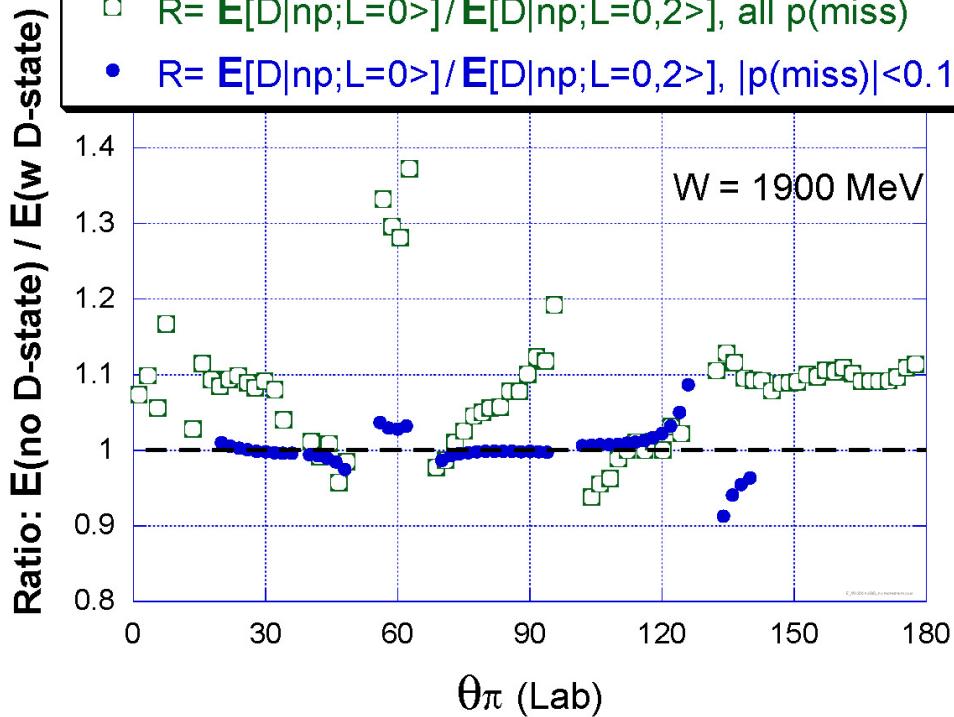
↔ applied in all three analyses

- theory perspective:
FSI have negligible effect on E asymmetry in $\pi^- p p$ final state
 - ↔ $I = 1$ pp final state is orthogonal to the initial deuteron wavefunction (in contrast with $\pi^o n p$ final state, where FSI are essentially required)
 - ↔ more details in talks by **Satoshi Nakamura (B3)** and **Igor Strakovsky (B5)**



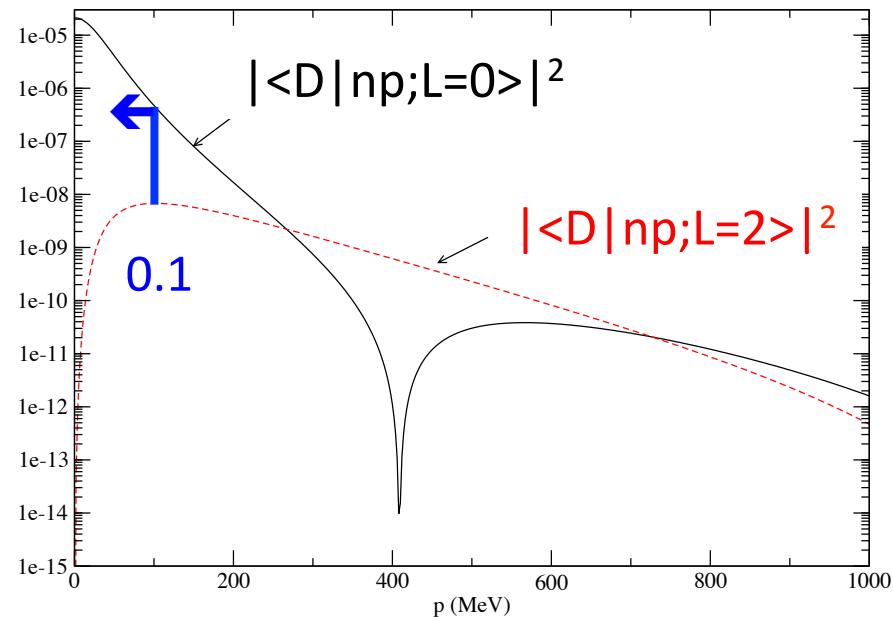
Impact of the Deuteron's D-state on the effective neutron polarization

- $R = E[D|np;L=0>]/E[D|np;L=0,2>]$, all $p(\text{miss})$
- $R = E[D|np;L=0>]/E[D|np;L=0,2>]$, $|p(\text{miss})| < 0.1$



$$\gamma(np) \rightarrow \pi^- p (p_{\text{miss}})$$

Nucleon momenta within the deuteron

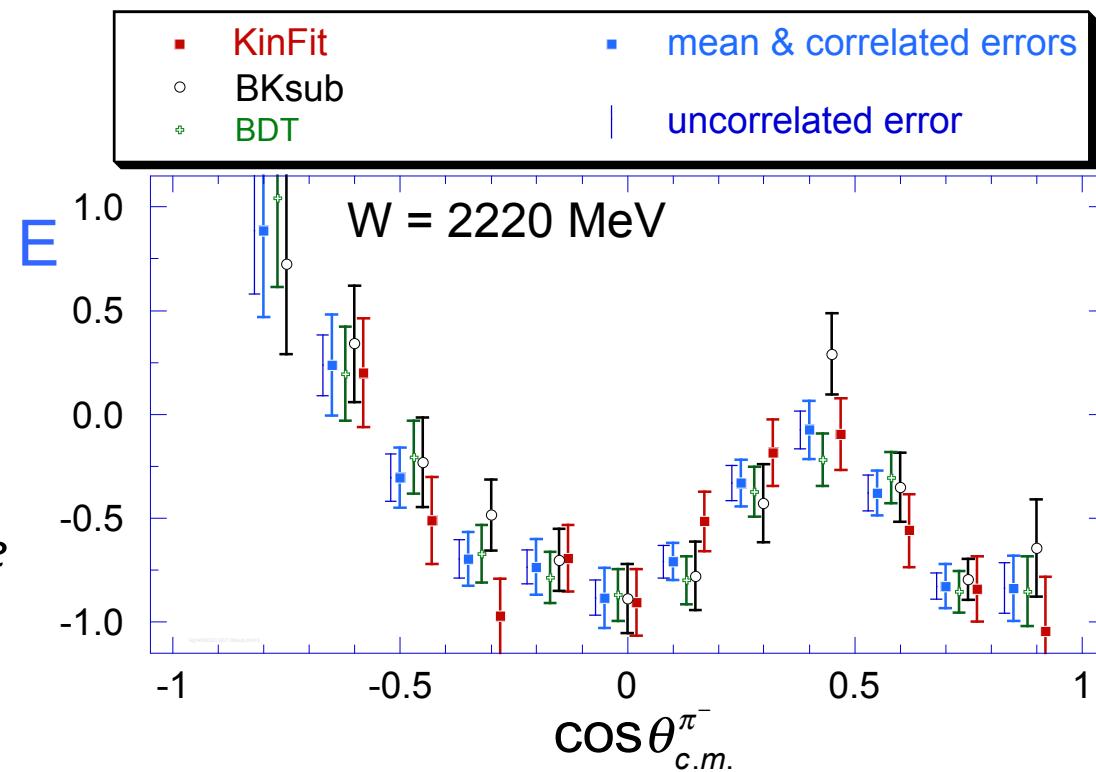


- T.-S. H. Lee: impulse calculation, extended to include all relativistic spin transformations of the moving neutron
- effect of deuteron's D-state is negligible after $|P_{\text{miss}}| < 0.1$ requirement

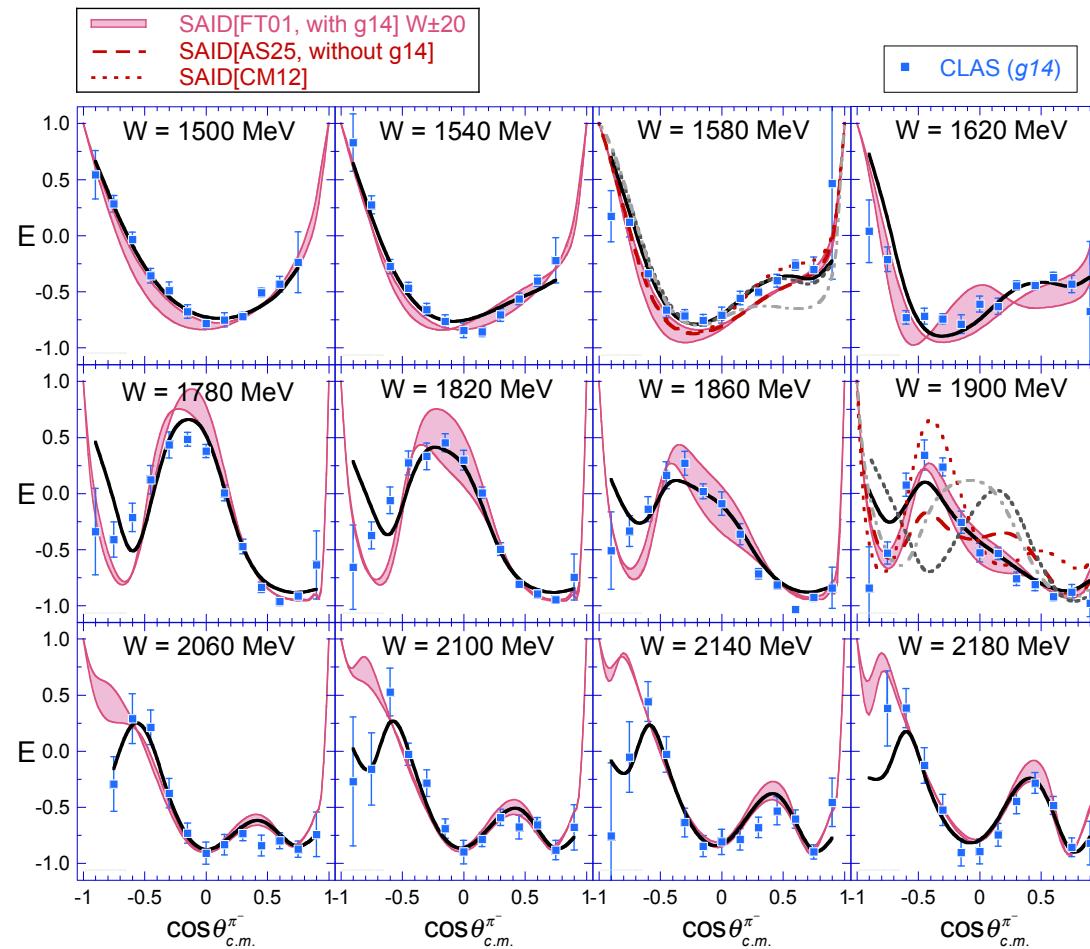
- asymmetries from the three analyses are statistically consistent
- weighted mean is taken as the best estimate of the asymmetry
- correlated errors are fitted to the expected χ^2 { Schmelling, Physica 51 (95)676 }

Advantages

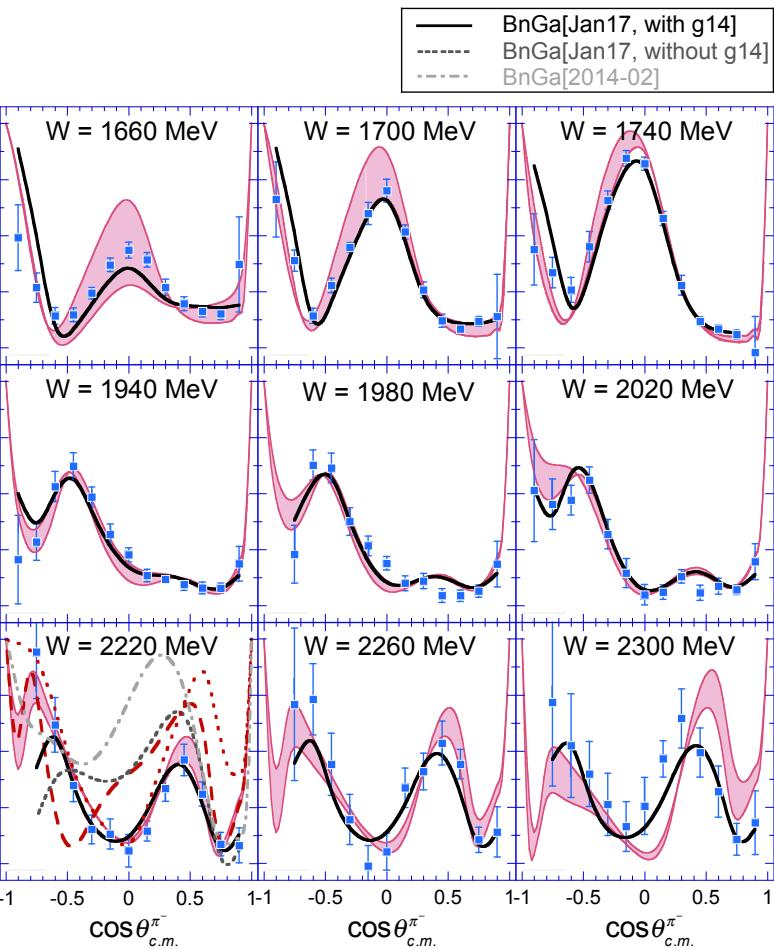
- reduces hidden bias
- acceptance at extreme angles is different for the 3 methods; averaging improves reliability where PWA interference is large



SAID



BnGa

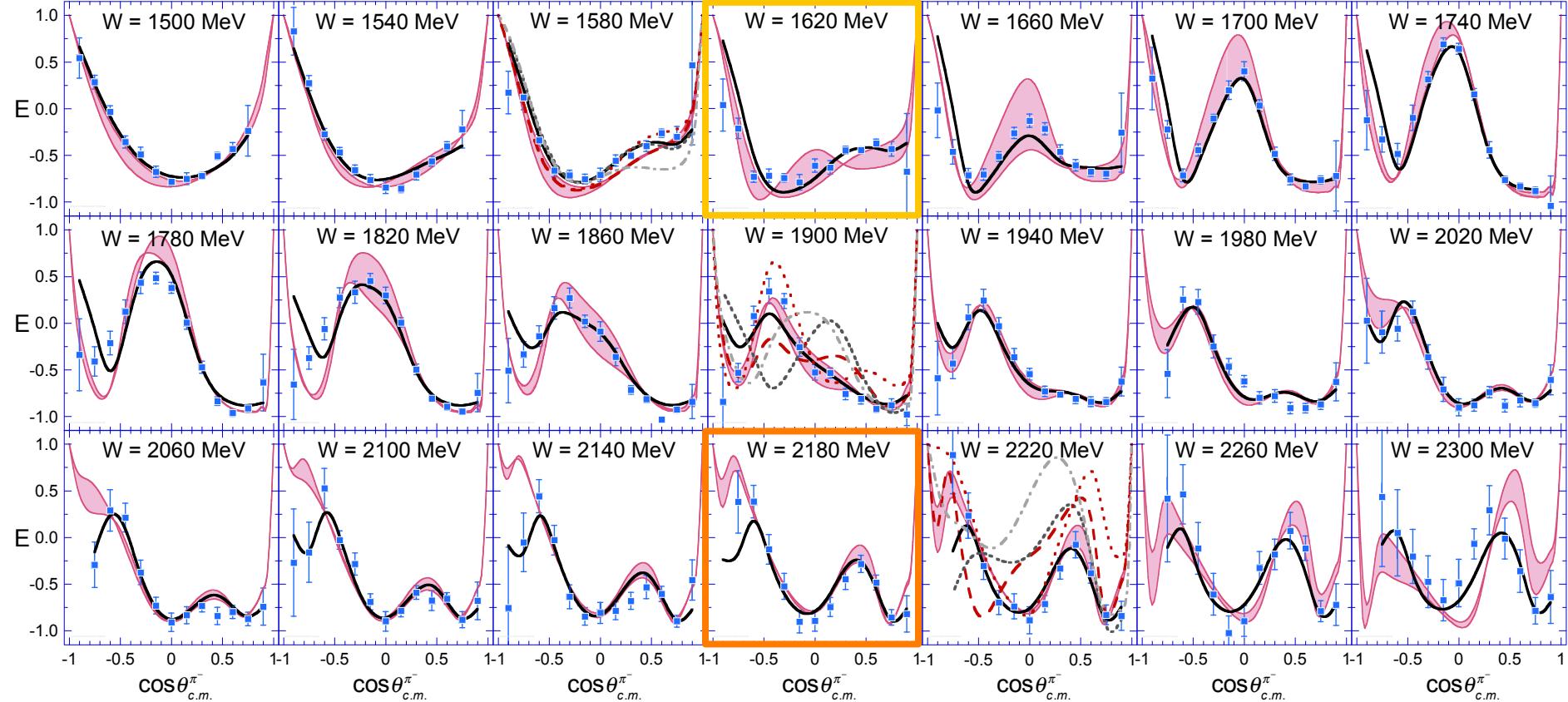


PRL 118 (2017) 242002

SAID

- SAID[FT01, with g_{14}] $W \pm 20$
- - - SAID[AS25, without g_{14}]
- ... SAID[CM12]

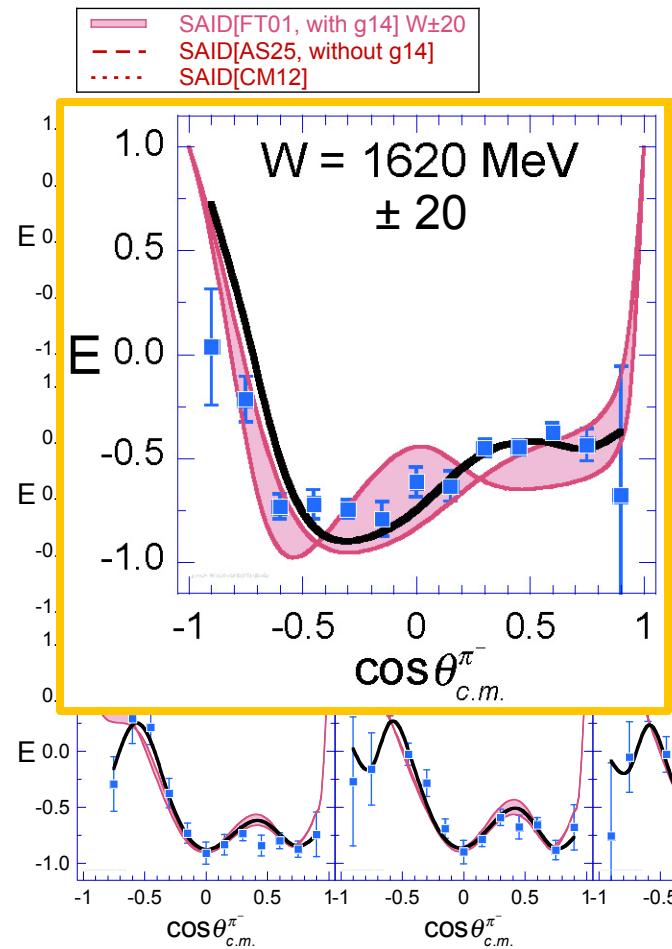
■ CLAS (g_{14})



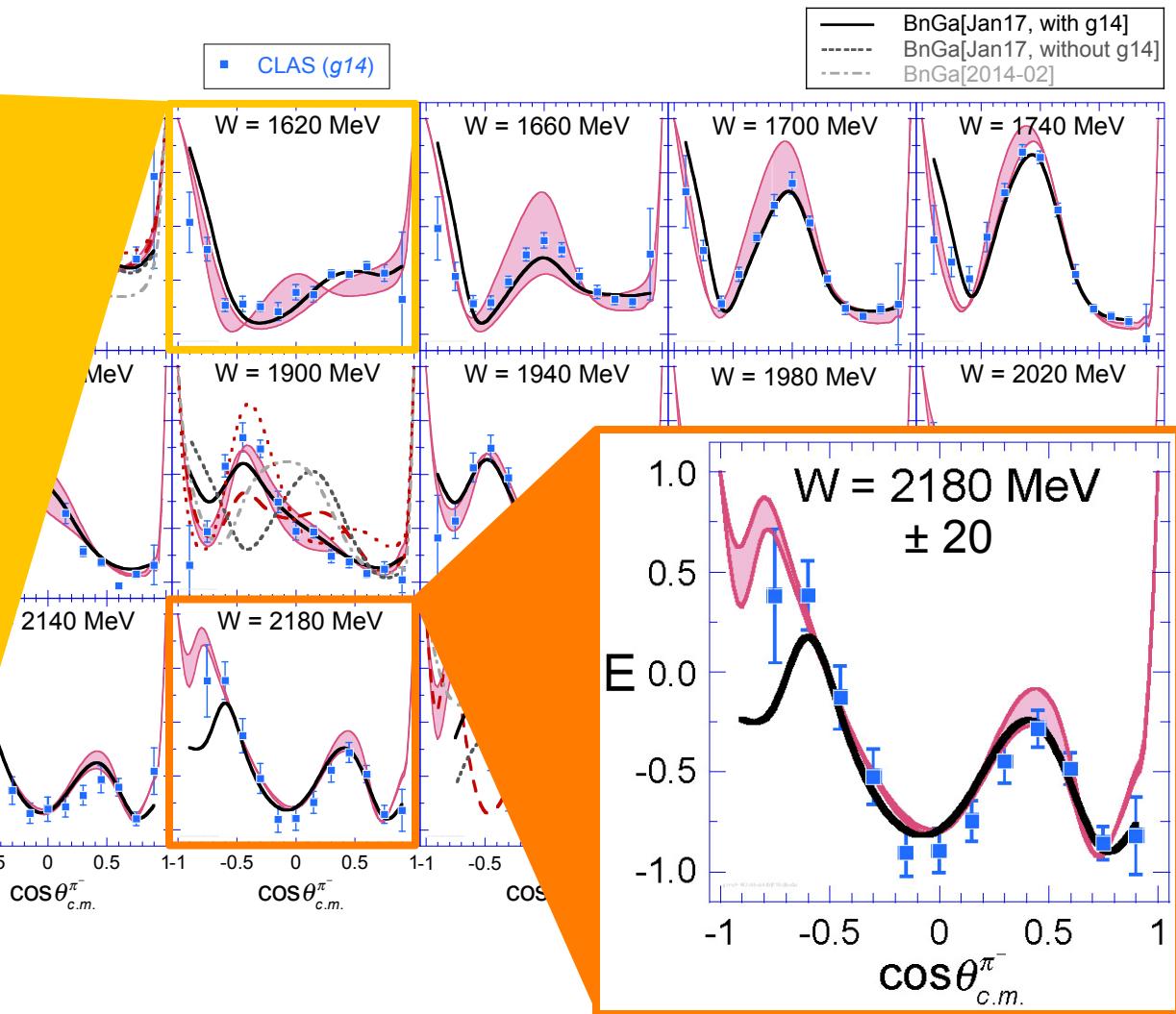
BnGa

- BnGa[Jan17, with g_{14}]
- - - BnGa[Jan17, without g_{14}]
- ... BnGa[2014-02]

SAID



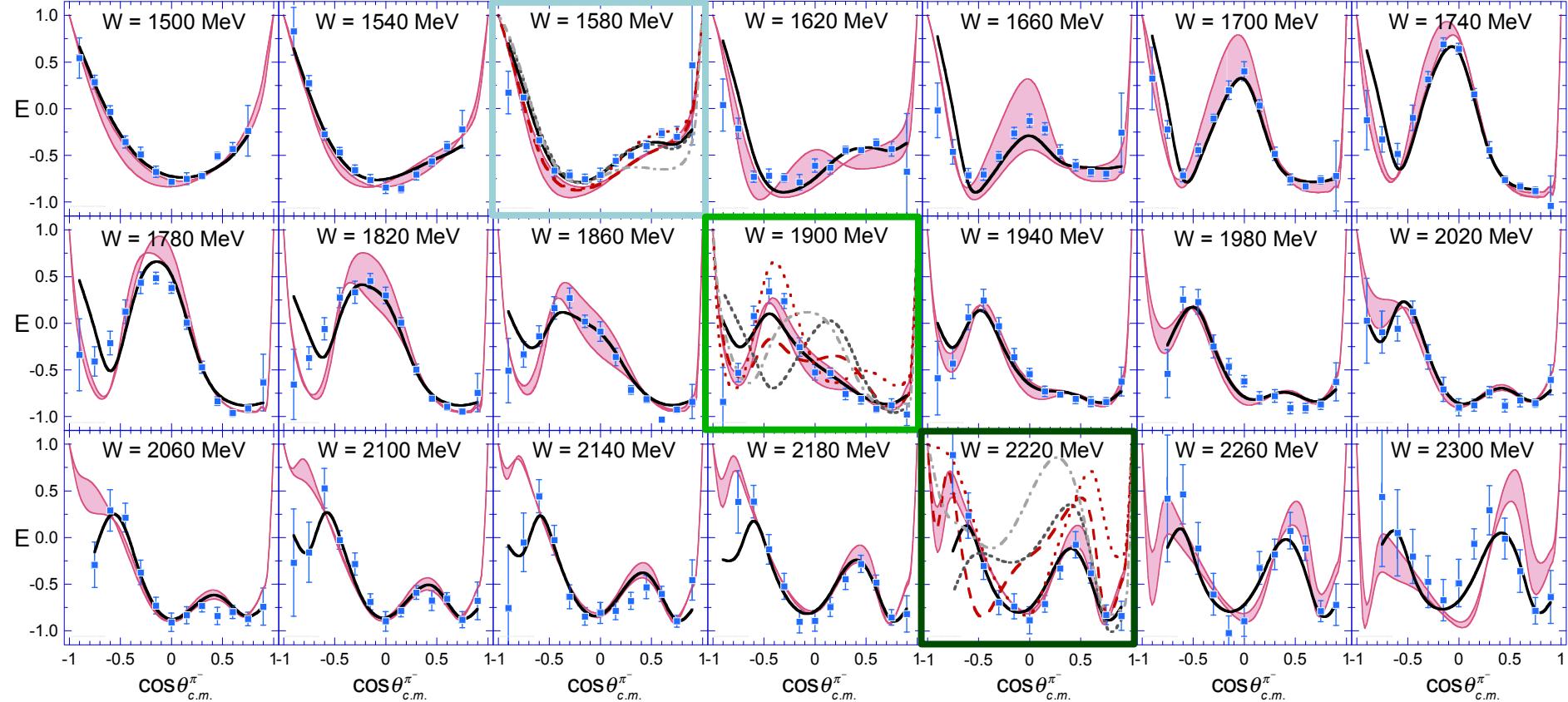
BnGa



SAID

— SAID[FT01, with g_{14}] $W \pm 20$
- - - SAID[AS25, without g_{14}]
- · - SAID[CM12]

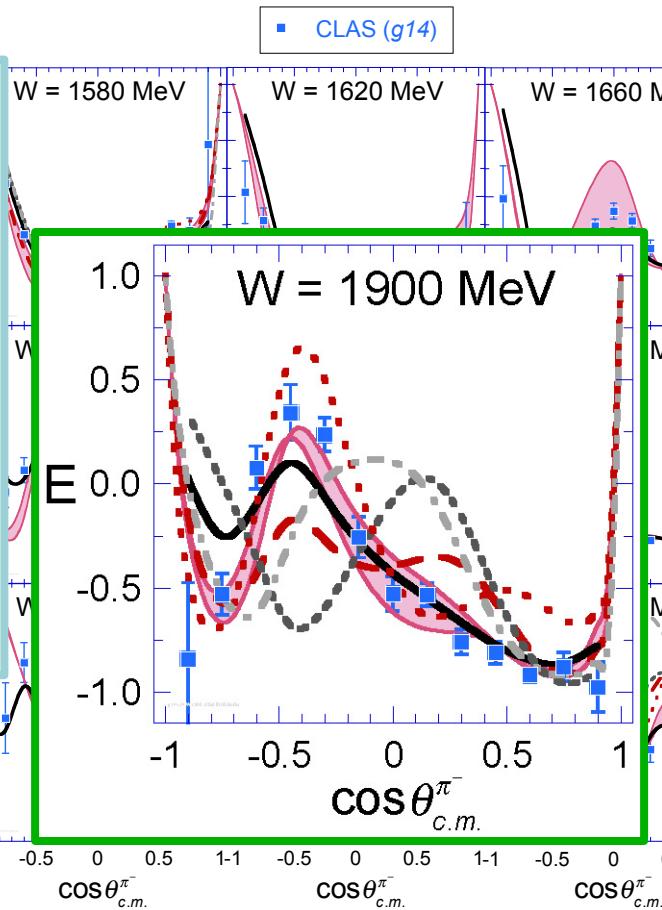
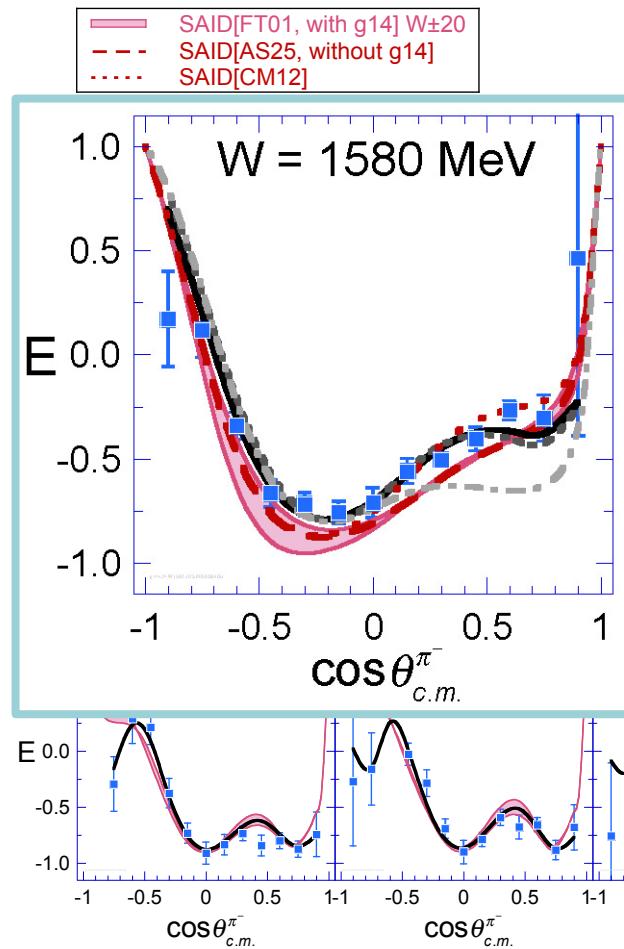
■ CLAS (g_{14})



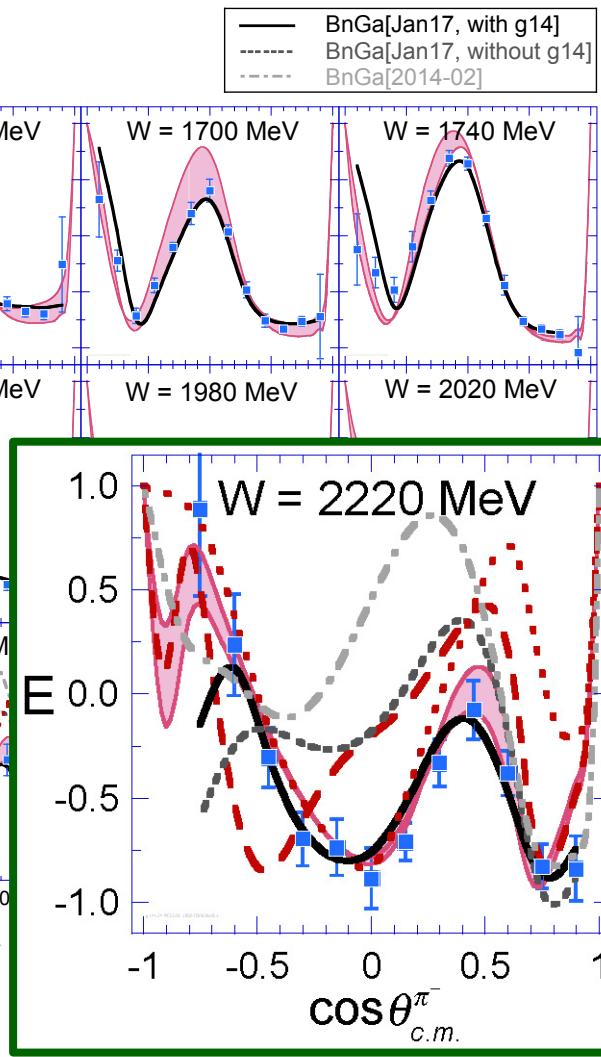
BnGa

— BnGa[Jan17, with g_{14}]
- - - BnGa[Jan17, without g_{14}]
- · - BnGa[2014-02]

SAID



BnGa



$$T_{\alpha\gamma} = \sum_{\sigma} \frac{\bar{K}_{\sigma\gamma}}{\left[1 - c\bar{K}\right]_{\alpha\sigma}}$$

SAID (R. Workman, A. Švarc, I. Strakovský, ...)

- *sequential, unitary fit to all πN scattering and π -photoproduction data*
 - fit $\left[1 - c\bar{K}\right]$ to $\pi N \rightarrow \pi N$ and $\pi N \rightarrow \eta N$
 - vary $K(W)$ as polynomials in W to fit photo-production
 - \Leftrightarrow determines all poles
 - \Leftrightarrow no new resonances

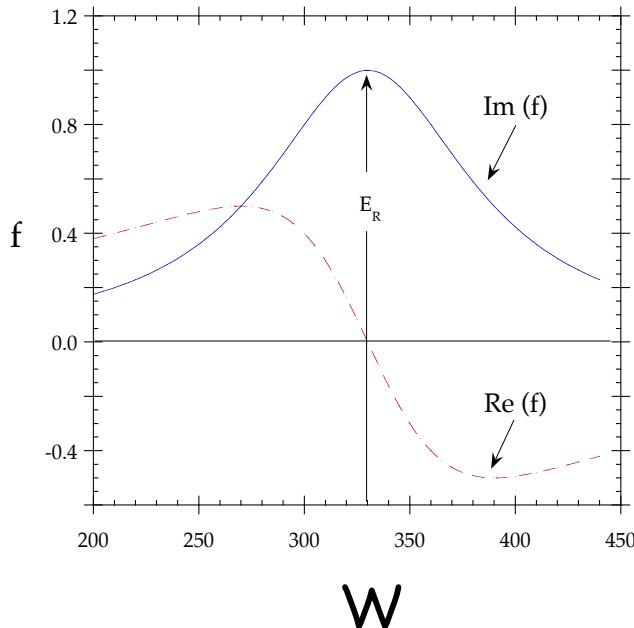
BnGa (E. Klempt, V. Nikonov, A. Sarantsev, ...)

- *simultaneous, coupled-channel analysis of πN and $\gamma N \rightarrow \pi N, \pi\pi N, KY$*
 - fit to SAID amplitudes for $\pi N \rightarrow \pi N$
 - include new resonances as needed to improve fits for γN channels

- ⇒ 4 complex amplitudes describe photo-production ⇔ 8 unknowns
- ⇒ 8 carefully chosen observables (out of 16) for a “mathematical soln”
 - Chiang & Tabakin, PR C55, (1997)
- ⇒ in practice, *ie.* with realistically achievable uncertainties, even more
 - AMS, Hoblit, Kamano, Lee, J Phys G38 (2011)
- $\gamma n \rightarrow \pi^- p$ Data Base:
 - $d\sigma$ (2322 pts), Σ (315 pts), T (105 pts), P (75 pts), and now E (263 pts)
(even less for $\pi^0 n$)
- insufficient to completely remove ambiguities:
 - ⇒ deduced couplings can change with new data;
 - ⇒ attach a higher significance when there is agreement btw very different PWA approaches

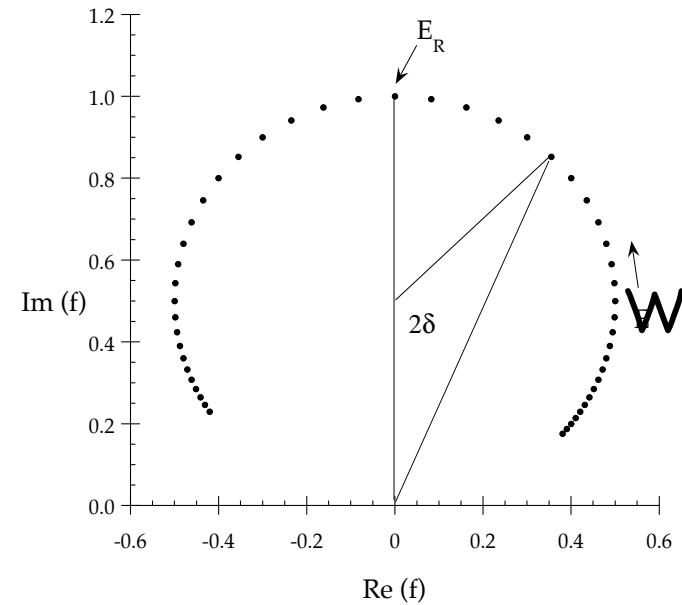
- expectation for an isolated resonance:

- ideal single isolated resonance (Breit-Wigner)



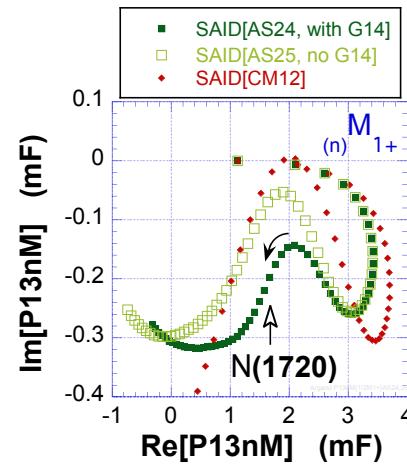
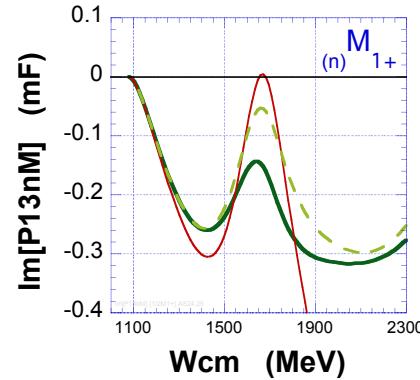
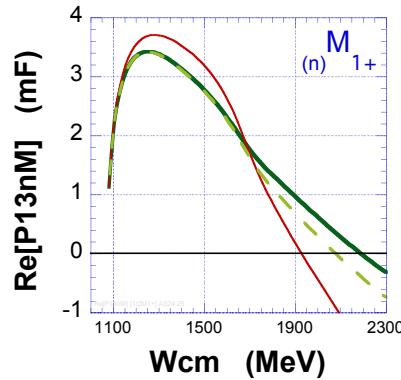
Argand plots:

- counter-clockwise rotating amplitude
- characteristic resonance behavior



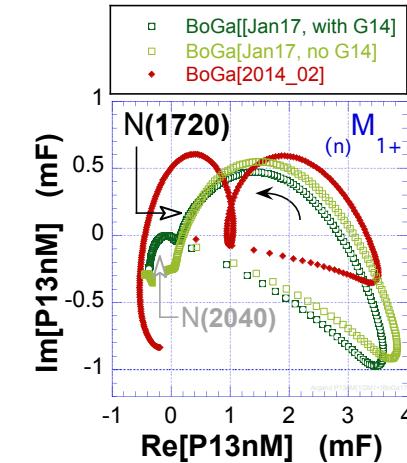
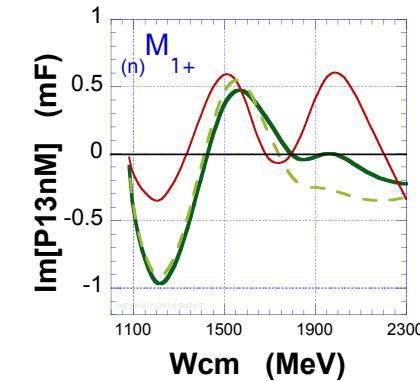
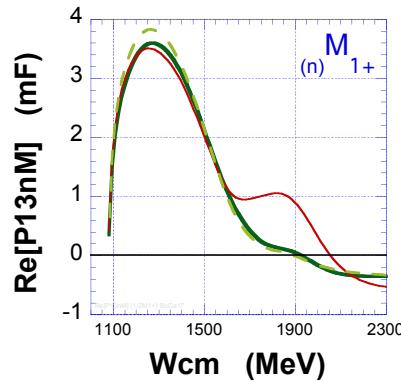
- caveat:
every resonance produces a loop; but not every loop is a resonance
- amplitude decomposed into $(L^{\pi N})_{IJ}(n/p)E/M$ partial waves

e.g. SAID P13nM



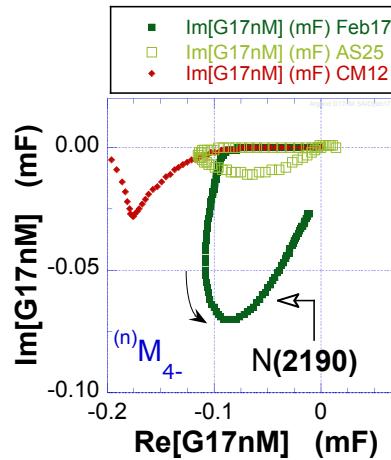
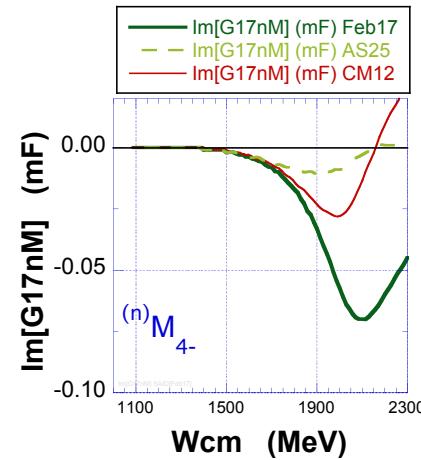
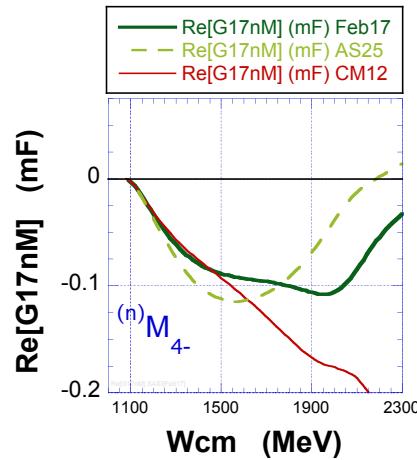
$N(1720)3/2^+$
(PDG ****)

BnGa P13nM



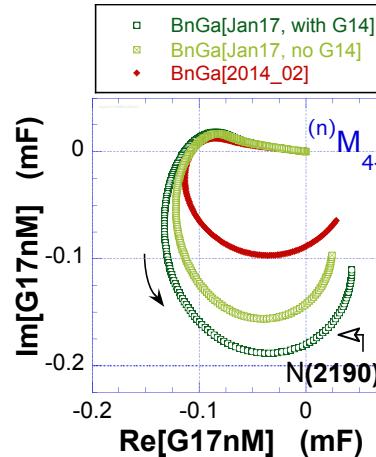
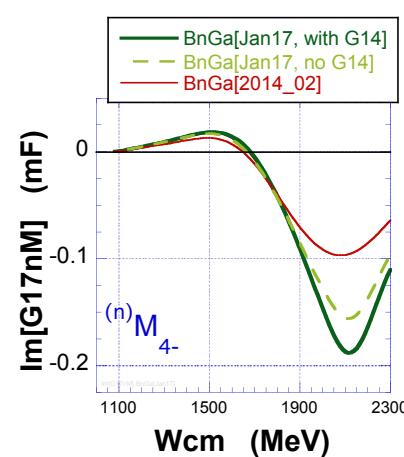
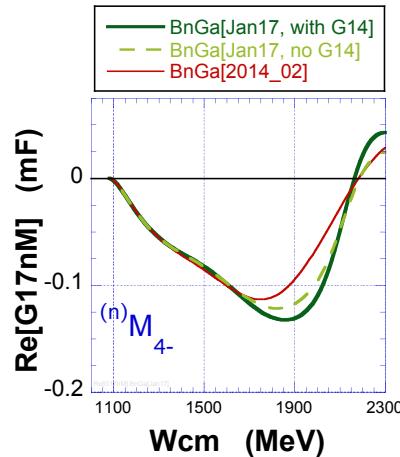
eg.

SAID G17nM

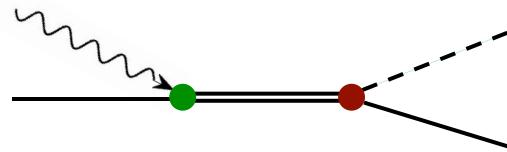


$N(2190)7/2^-$
(PDG ****)

BnGa G17nM



- $h_\gamma = 1, h_N = \frac{1}{2} \Leftrightarrow A^{1/2}, A^{3/2}$
- residues from analytic continuation to a pole in the complex W plane
- Breit-Wigner parameterization,



$$T_{\alpha\gamma} = \sum_{\sigma} \frac{\bar{K}_{\sigma\gamma}}{\left[1 - c\bar{K}\right]_{\alpha\sigma}} \Rightarrow \sum \frac{A^h g_{\alpha}(s)}{\left[M^2 - s - i\sum c_j g_j^2(s)\right]}$$

	$A_n^{1/2}$	$(10^{-3} \text{ GeV}^{-1/2})$	$A_n^{3/2}$	$(10^{-3} \text{ GeV}^{-1/2})$	
	g14 PRL 118 [1]	previous [2,3]	g14 PRL 118 [1]	previous [2,3]	
<u>SAID</u>					
N(1720)3/2 ⁺	-9 ±2	-21 ±4	+19 ±2	-38 ±7	
N(2190)7/2 ⁻	-6 ±9	---	-28 ±10	---	
<u>BnGa</u>					
N(1720)3/2 ⁺	-(28 +40/-15)	-80 ±50	±(103 ±35)	-140 ±65	← ρN
N(2190)7/2 ⁻	+30 ±7	-15 ±12	-23 ±8	-33 ±20	

[1] CLAS/g14: *Phys. Rev. Lett.* **118** (2017)

[2] SAID: *Phys. Rev. C* **85** (2012) 025201

[3] BnGa: *Eur. Phys. J. A* **49** (2013) 67

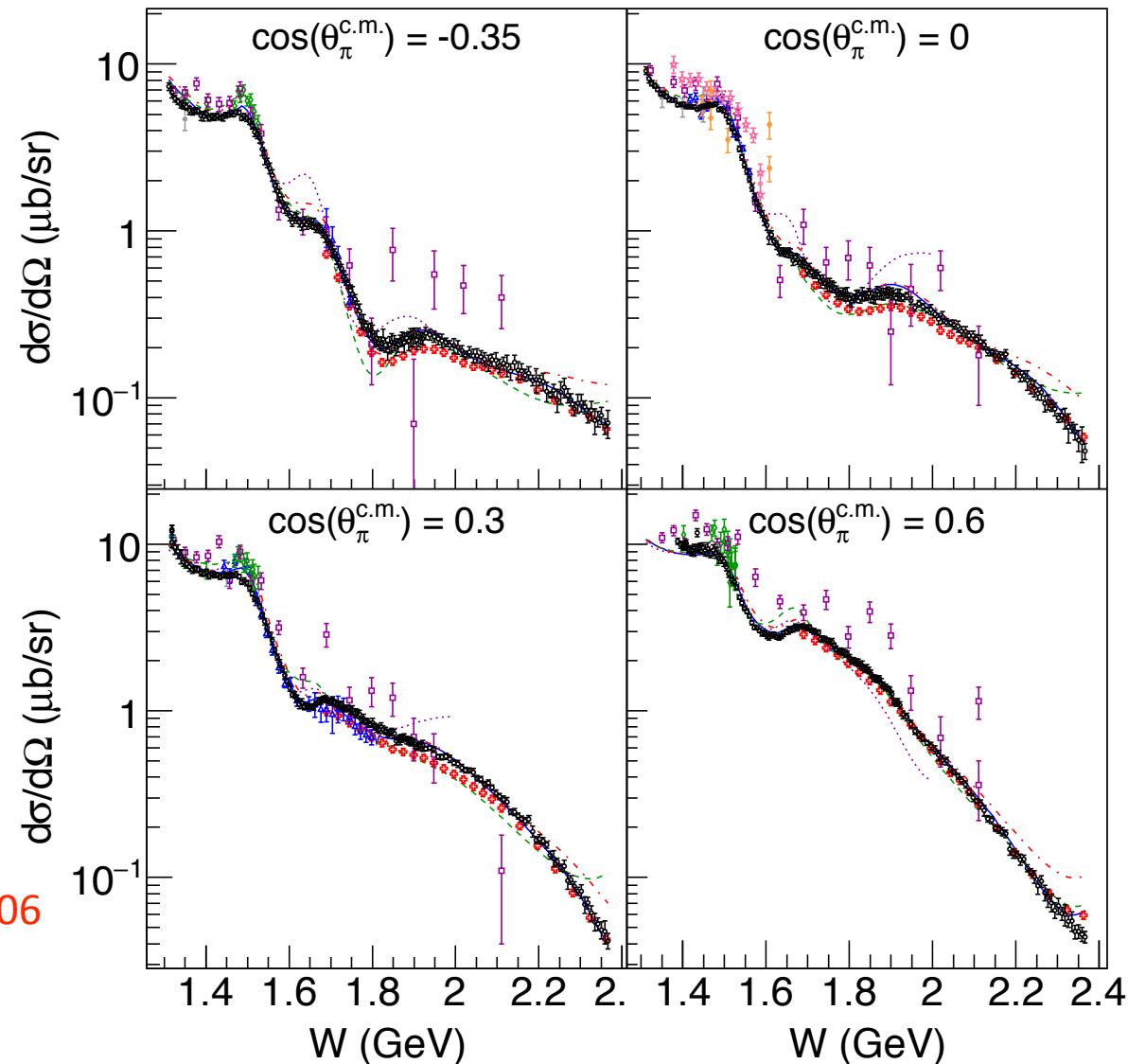
Sensitivities to new data

- new $\sigma(\pi^- p)$ data from CLAS/g13
 - $D(\gamma, \pi^- p)p$ with FSI correction
 - 8424 kinematic bins

⇒ Paul Mattione's talk (A2)

Legend

- CLAS/g13 - arXiv1706.01963
- ◆ CLAS/g10 – PRC **86** (2012) 015206
- ◆ BNL – PRC **70** (2004) 035204
- △ SLAC – NP **B75** (1974) 125



$(10^{-3} \text{ GeV}^{-1/2})$	Last published	+ CLAS/g14 (E)	+ CLAS/g13 (σ)	+ CLAS/g13 (σ) + CLAS/g14 (E)
	SAID[SN11] [1]	SAID[FT01] [2]	SAID[MA27] [3]	SAID[TS21] [4]
$A_n^{1/2}$				
N(1720)3/2 ⁺	-21 \pm 4	-9 \pm 2	-16 \pm 6	-15 \pm 5
N(2190)7/2 ⁻	--	-6 \pm 9		-16 \pm 5
$A_n^{3/2}$				
N(1720)3/2 ⁺	-38 \pm 7	+19 \pm 2	+17 \pm 5	13 \pm 4
N(2190)7/2 ⁻	--	-28 \pm 10		-35 \pm 5

[1] SAID: *Phys. Rev. C85* (2012) 025201

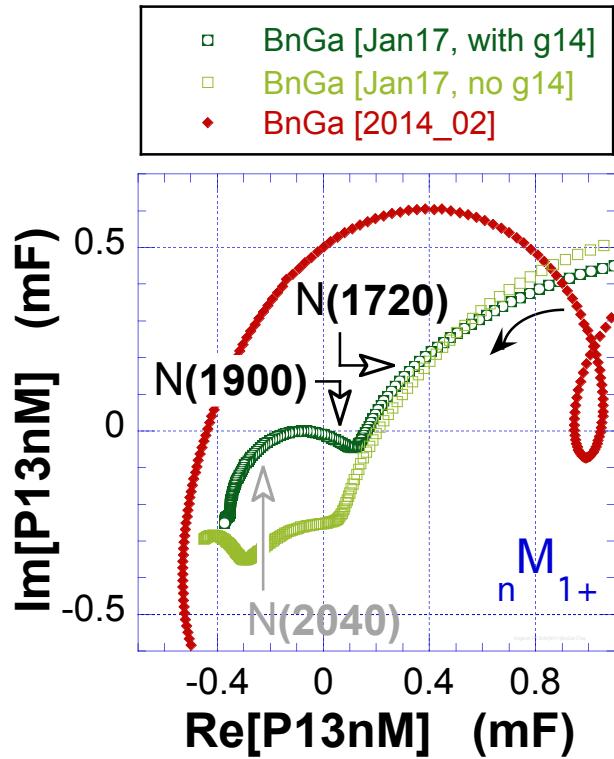
[2] CLAS/g14 (E): *Phys. Rev. Lett.* **118** (2017)

[3] CLAS/g13 (σ) - arXiv1706.01963

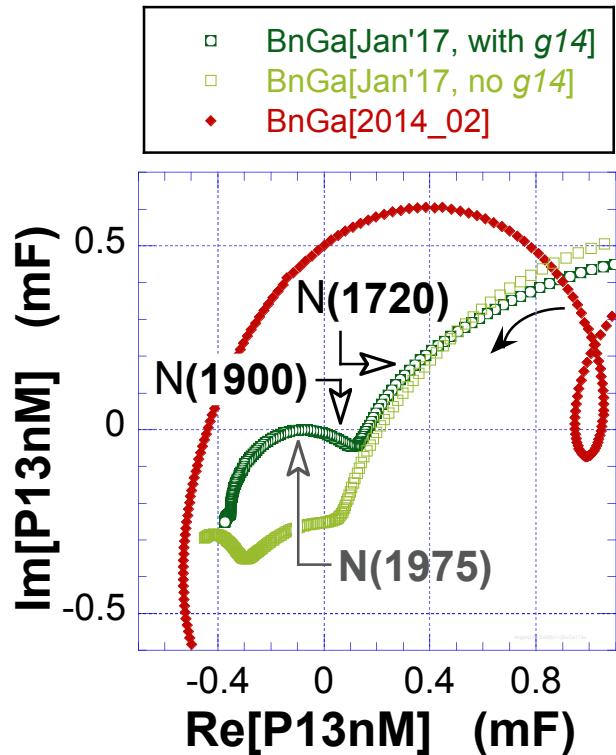
[4] R.L. Workman and A. Švarc (*priv. comm.*)

A. Švarc (P3)

BnGa:

 $\text{N}(1720)3/2^+ \Leftrightarrow \text{PDG} ****$ $\text{N}(1900)3/2^+ \Leftrightarrow \text{PDG} ****$
(but weakly coupled to πN) $\text{N}(2040)3/2^+ \Leftrightarrow \text{PDG} * ???$ (PRL 118)

BnGa:



$N(1720)3/2^+ \Leftrightarrow \text{PDG} ****$

$N(1900)3/2^+ \Leftrightarrow \text{PDG} ****$
 (but weakly coupled to πN)

- new BnGa PWA (submitted to PRC):

→ highest $3/2^+$ at $W=1975$ MeV

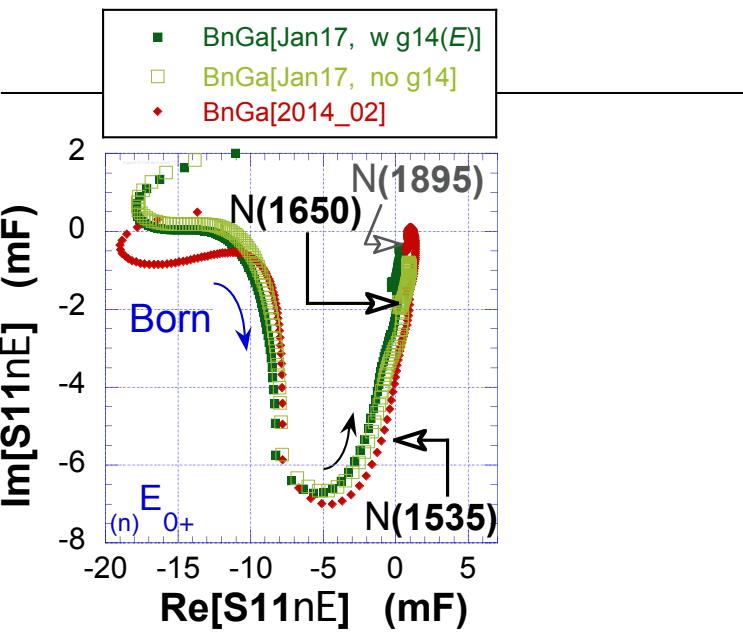
↔ possible $N(1975)3/2^+$

$$A_n^{1/2} = -26 \pm 13, \quad A_n^{3/2} = -77 \pm 15$$

$N(1895)1/2^-$
(PDG **)

$N(1650)1/2^-$
(PDG ****)

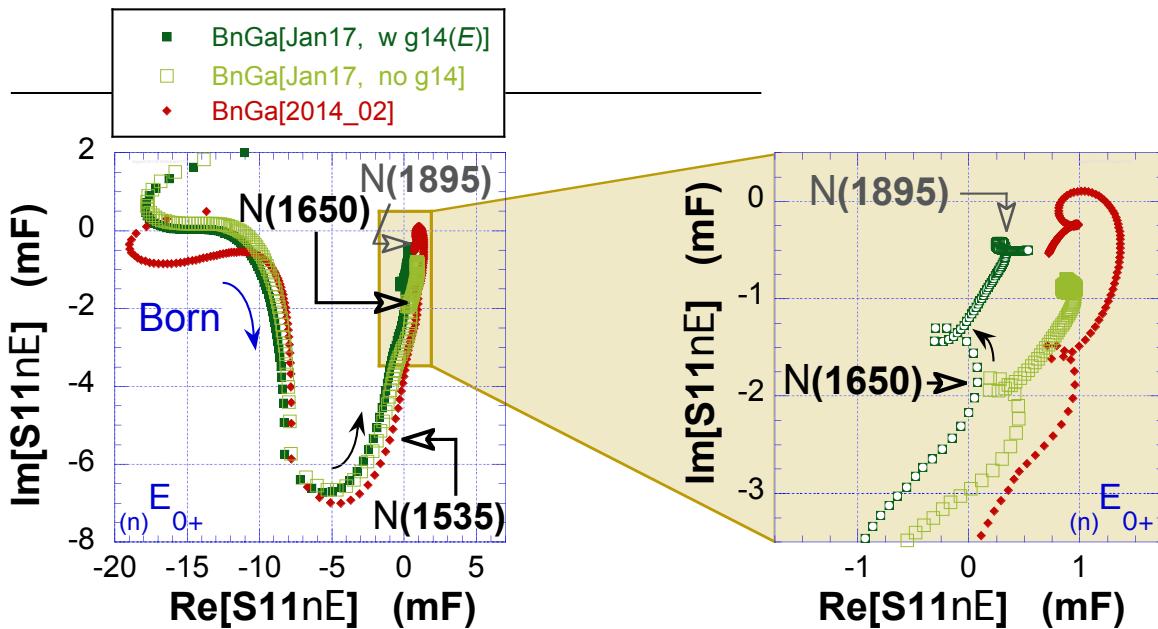
$N(1535)1/2^-$
(PDG ****)



$N(1895)1/2^-$
(PDG ***)

$N(1650)1/2^-$
(PDG ****)

$N(1535)1/2^-$
(PDG ****)



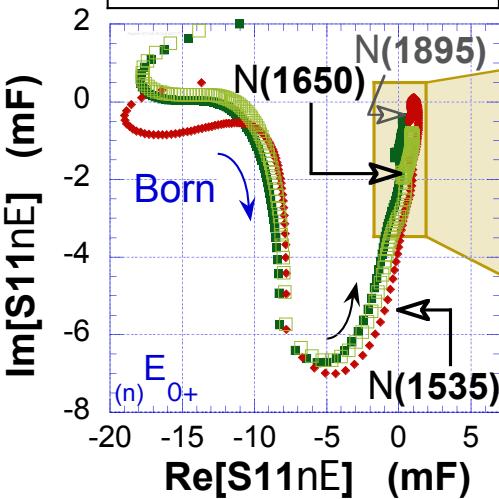
- new BnGa PWA (submitted -PRC):
→ highest $\frac{1}{2}^-$ at $W=1895$ MeV
 - ↔ required $N(1895)1/2^-$
- $A_n^{1/2} = -15 \pm 10$

$N(1895)1/2^-$
(PDG **)

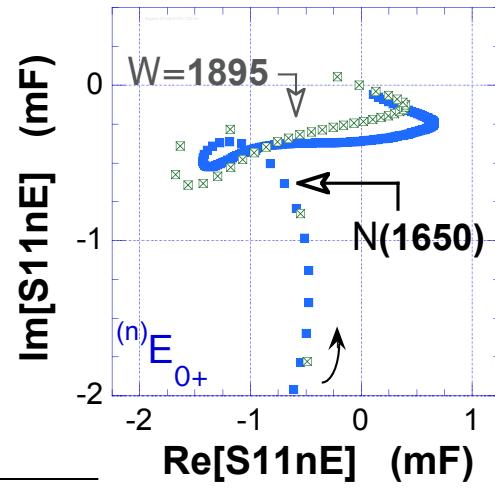
$N(1650)1/2^-$
(PDG ****)

$N(1535)1/2^-$
(PDG ****)

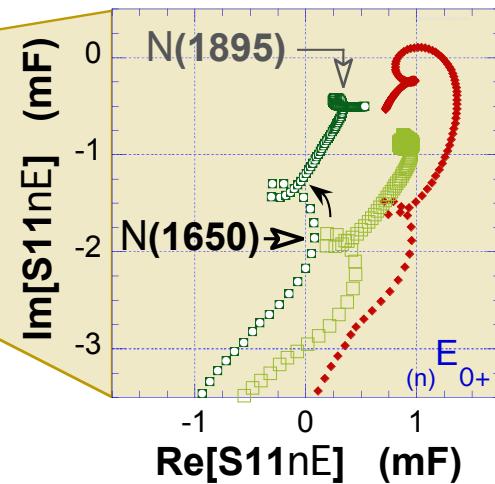
- BnGa[Jan17, w g14(E)]
- BnGa[Jan17, no g14]
- ◆ BnGa[2014_02]



- SAID[TS21] w g14(E) + g13(dsg)
- ◻ SAID[FT01] w g14(E)



- similar phase motion in SAID fits to $\gamma N \rightarrow \pi N$, but not seen in $\pi N \rightarrow \pi N$
- ↔ not able to confirm



- new BnGa PWA (submitted -PRC):
→ highest $1/2^-$ at $W=1895$ MeV
- ↔ required $N(1895)1/2^-$
- $$A_n^{1/2} = -15 \pm 10$$

$\gamma n N^*$ vs $\gamma p N^*$ couplings

$(10^{-3} \text{ GeV}^{-1/2})$	$A_n^{1/2}$	$A_p^{1/2}$	$A_n^{3/2}$	$A_p^{3/2}$
SAID				
N(1720)3/2 ⁺	-15 ± 5 [4]	95 ± 2 [6]	13 ± 4 [4]	-48 ± 2 [6]
N(1895)1/2 ⁻	----	----		
N(1975)3/2 ⁺	----	----	----	----
N(2190)7/2 ⁻	-16 ± 5 [4]	--	-35 ± 5 [4]	--
BnGa				
N(1720)3/2 ⁺	-(28 +40/-15) [3]	110 ± 45 [5]	±(103 ± 35) [3]	150 ± 30 [5]
N(1895)1/2 ⁻	-15 ± 10 [3]	-11 ± 6 [5]		
N(1975)3/2 ⁺	-26 ± 13 [3]		-77 ± 15 [3]	
N(2190)7/2 ⁻	+30 ± 7 [1]	-65 ± 8 [5]	-23 ± 8 [1]	+35 ± 17 [5]

[1] CLAS/g14: *Phys. Rev. Lett.* **118** (2017)

[2] SAID: *Phys. Rev. C* **85** (2012) 025201

[3] BnGa: *Phys. Rev. C* (*submitted*)

[4] R.L. Workman and A. Švarc (*priv. comm.*)

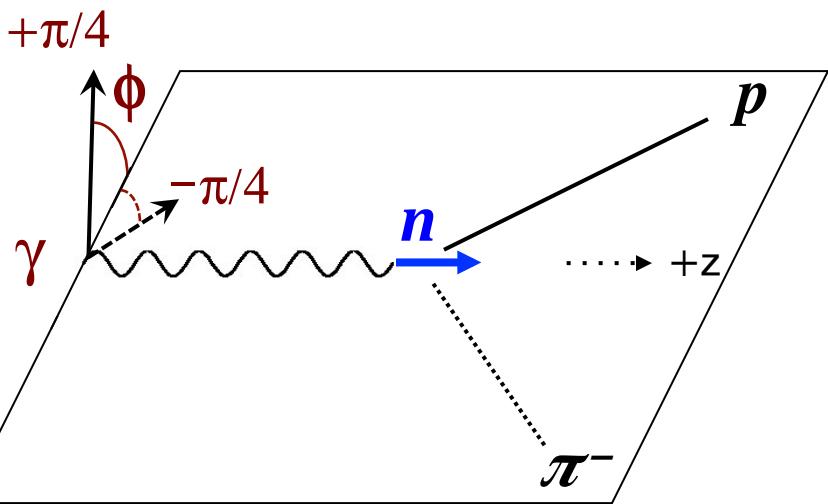
[6] SAID: *Phys. Rev. C* **86** (2012) 015202

[5] BnGa: *Eur. Phys. J. A* **48** (2012) 15

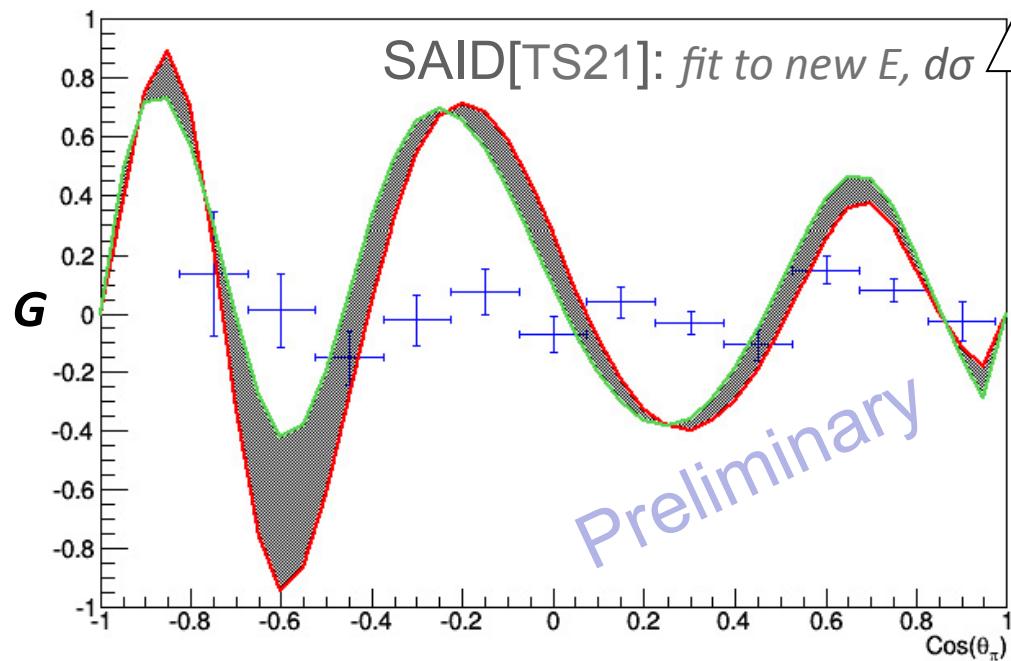
Couplings can only be as certain as the multipoles \Leftrightarrow could be impacted by data on new observable

E06-101 (g_{14} run with CLAS – 2012)

- linearly-polarized photons on $\vec{H}\vec{D}$
- E_γ : 1600 – 2200 MeV
- $\gamma n (p) \rightarrow \pi^- p (p)$



$W = 2020 \pm 40$ MeV



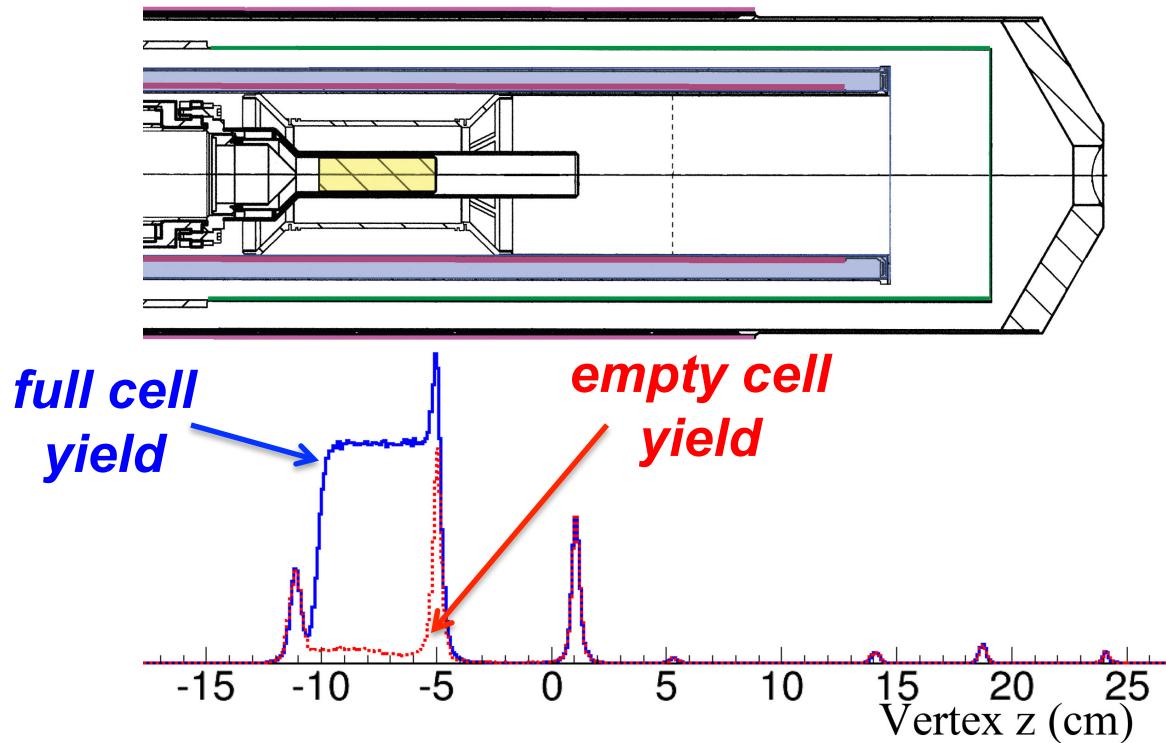
$$G = \frac{1}{PP_T} \frac{\sigma_{+\pi/4,+z} - \sigma_{-\pi/4,+z}}{\sigma_{+\pi/4,+z} + \sigma_{-\pi/4,+z}}$$

\Leftrightarrow Haiyun Lu's talk (A2)

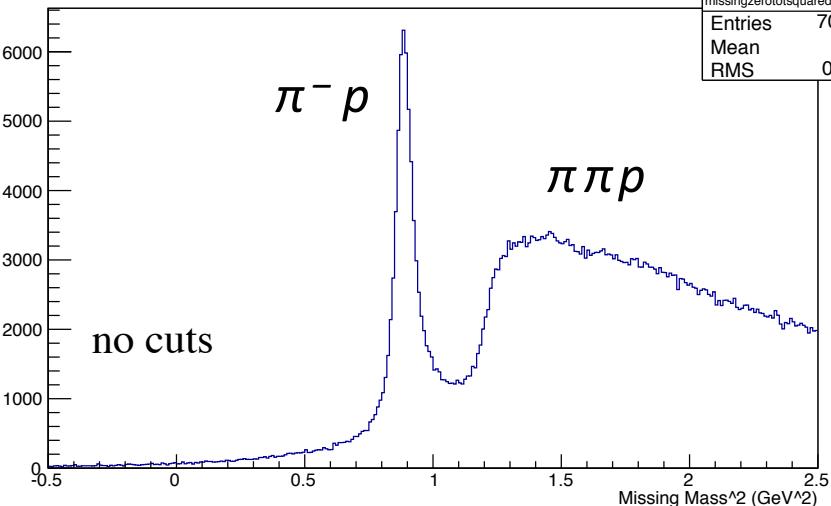
- Beam-Target helicity asymmetries (E) for $\gamma n \rightarrow \pi^- p$ just out in PRL
 - 1st data on this observable and spans the full N^* energy range
- significant addition to the sparse γn data base
 - ↔ inclusion in PWA have resulted in significant changes to $I = \frac{1}{2}$ multipoles
 - ↔ improved determination of helicity amplitudes ($\gamma n N^*$ couplings), with SAID and BnGa agreement for $A_n^{1/2}$ [$N(1720)3/2^+$] and $A_n^{3/2}$ [$N(2190)7/2^-$]
 - ↔ potential signals in BnGa PWA from PDG* and PDG** resonances
- next observables in the g14 pipeline:
 - beam asymmetry Σ and beam-target asymmetry \mathbf{G} for $\gamma n \rightarrow \pi^- p$

Extras

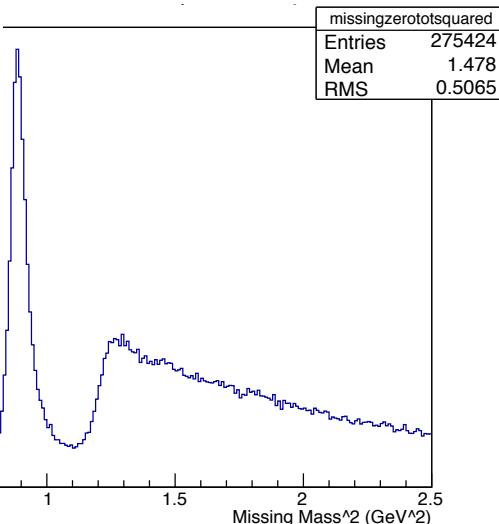
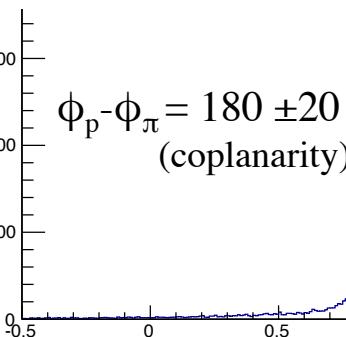
- sources of neutrons: D in HD and the target cell
- evaporate and pump away HD: residual backgrounds are small
⇒ after empty cell subtraction, all neutrons are polarizable



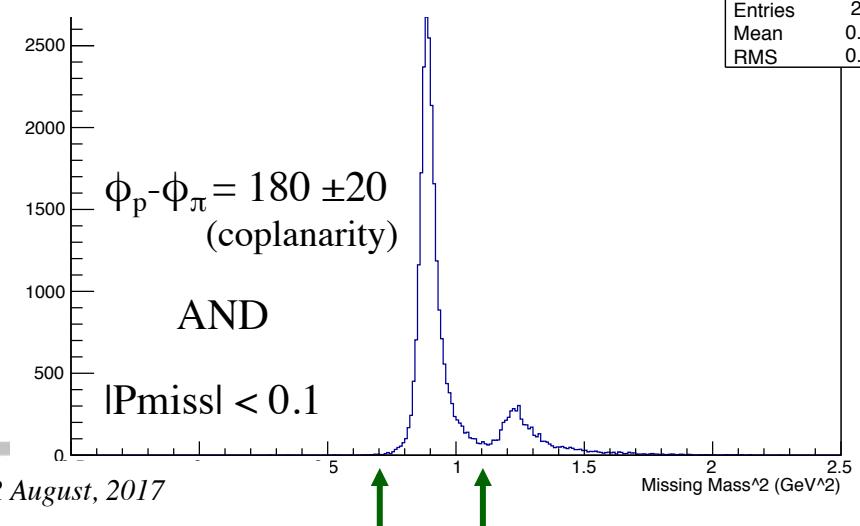
Bksub analysis



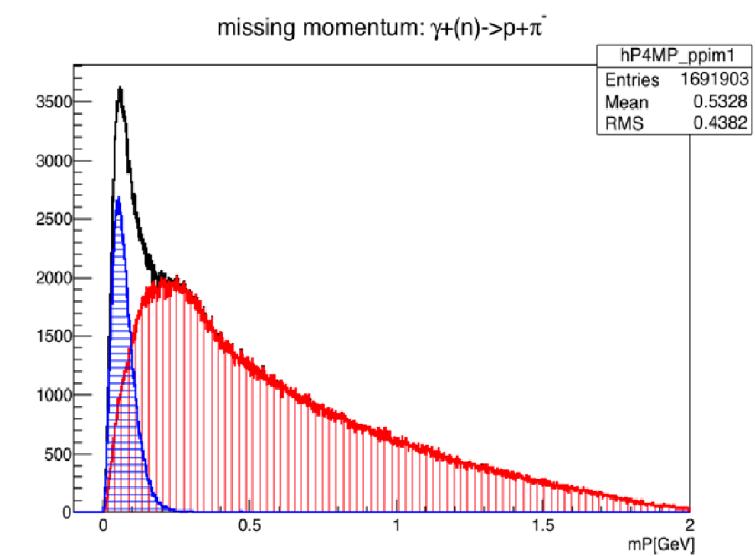
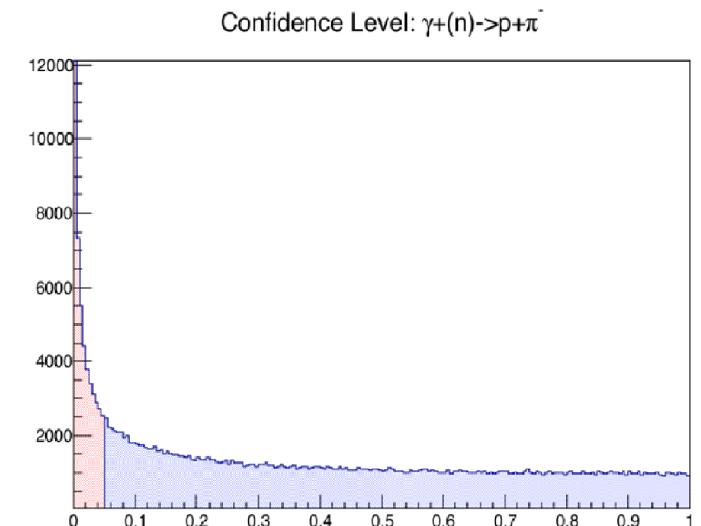
MM²



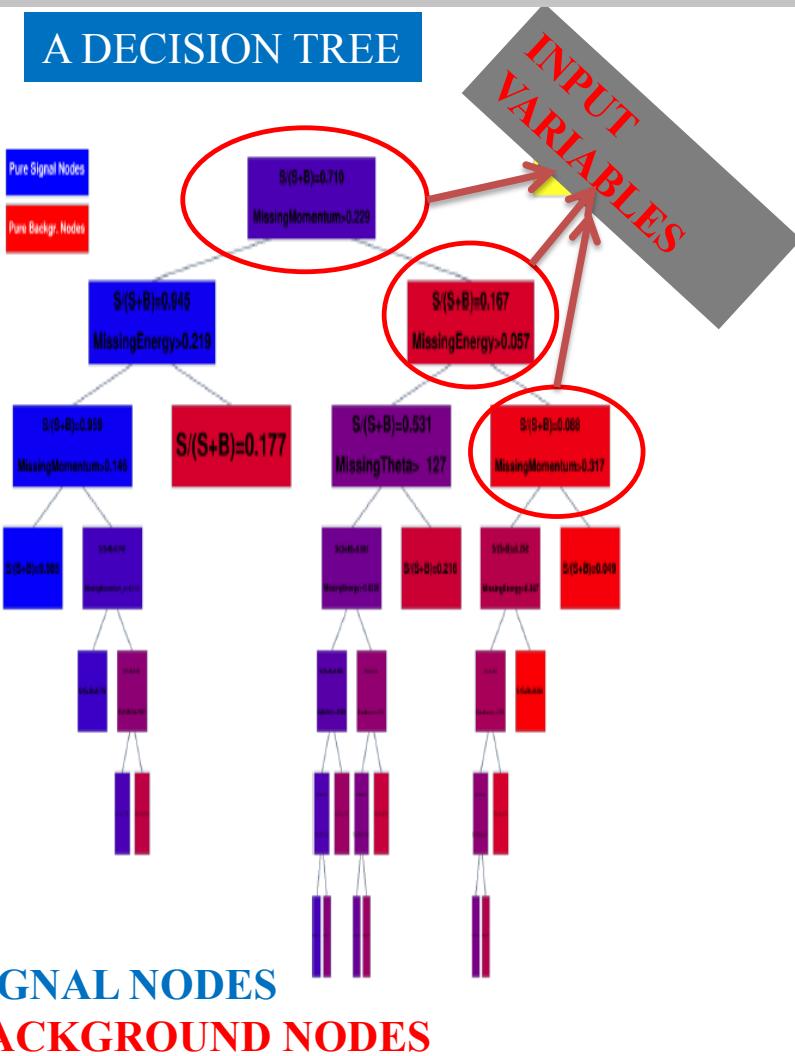
$\gamma D \rightarrow \pi^- p$ (p) Missing Mass squared,
with sequential 2-body requirements,
followed by empty cell subtraction



- Kinematic Fitting carried out on candidates for $\gamma+(n) \rightarrow \pi^- p$
 - ↔ target assumed to have the neutron mass, but unknown momentum
 - ↔ amounts to a 1C fit
- 2π & reactions on target cell nucleons fail with Confidence Level < 0.05
- accept events with Confidence Level > 0.05
- apply $|P_{\text{miss}}| < 0.1 \text{ GeV}/c$ to accepted events



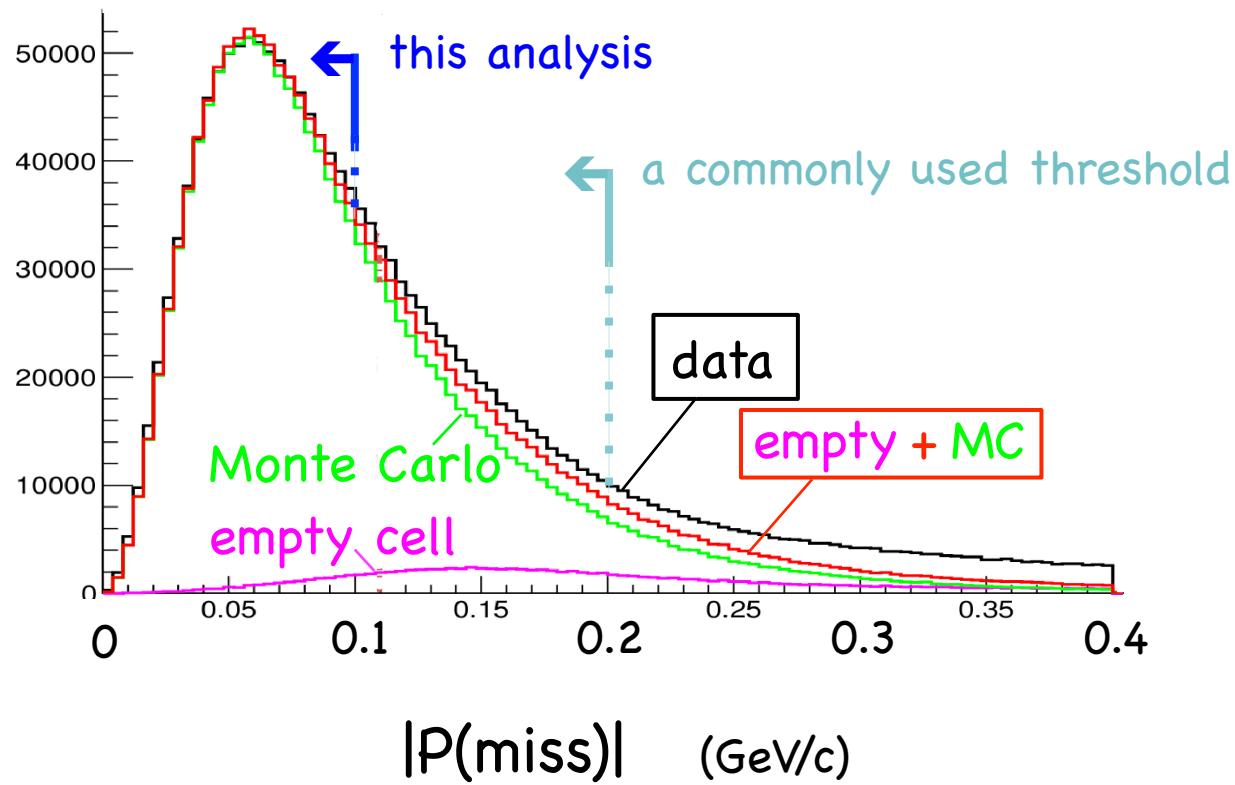
- multivariate ***Boosted Decision Trees***
 - ↔ views the data in a higher dimension
 - ↔ creates a forest of *if-then-else* logical tests on all kinematic variables simultaneously
- algorithm categorizes events as either **signal** or **background**
 - *signal trained* on $\gamma D \rightarrow \pi^- p(p)$ from CLAS MC
 - *background trained* on empty-cell data
- apply $|P_{\text{miss}}| < 0.1 \text{ GeV}/c$ to *signal* events



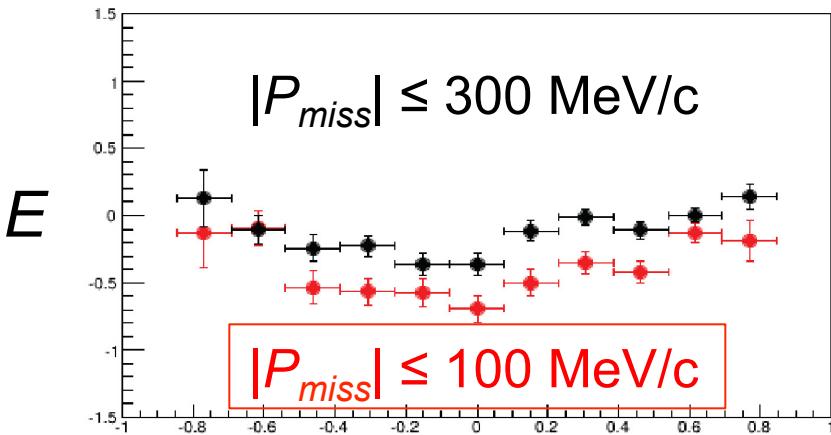
Dao Ho (2015)

Restricting Deuteron reactions to create an effective neutron target

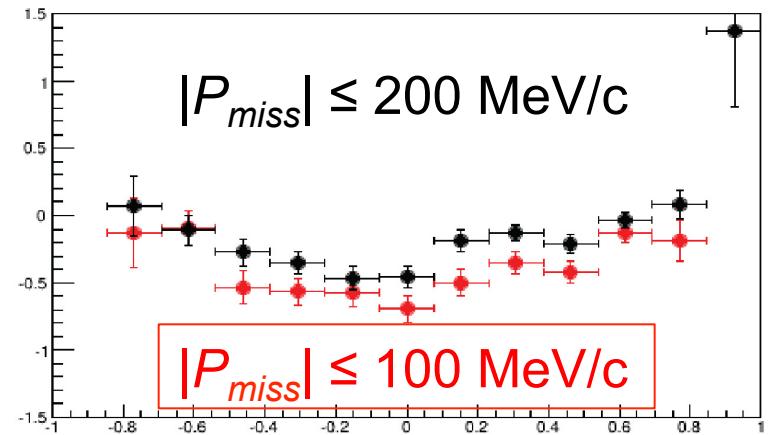
- select events for which the proton in Deuterium is a passive “spectator”
 \Leftrightarrow key variable is the momentum of the undetected proton in $\gamma + n(p) \rightarrow \pi^- p(p)$



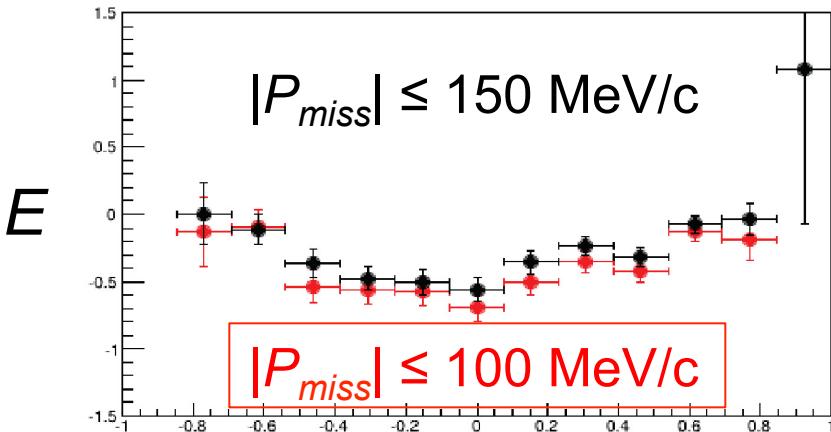
(1560.00 < W < 1600.00), E asym. vs. θ_{π^-}



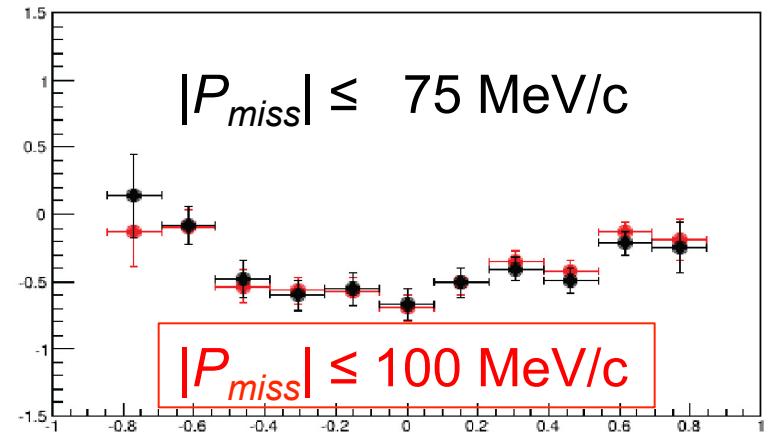
(1560.00 < W < 1600.00), E asym. vs. θ_{π^-}

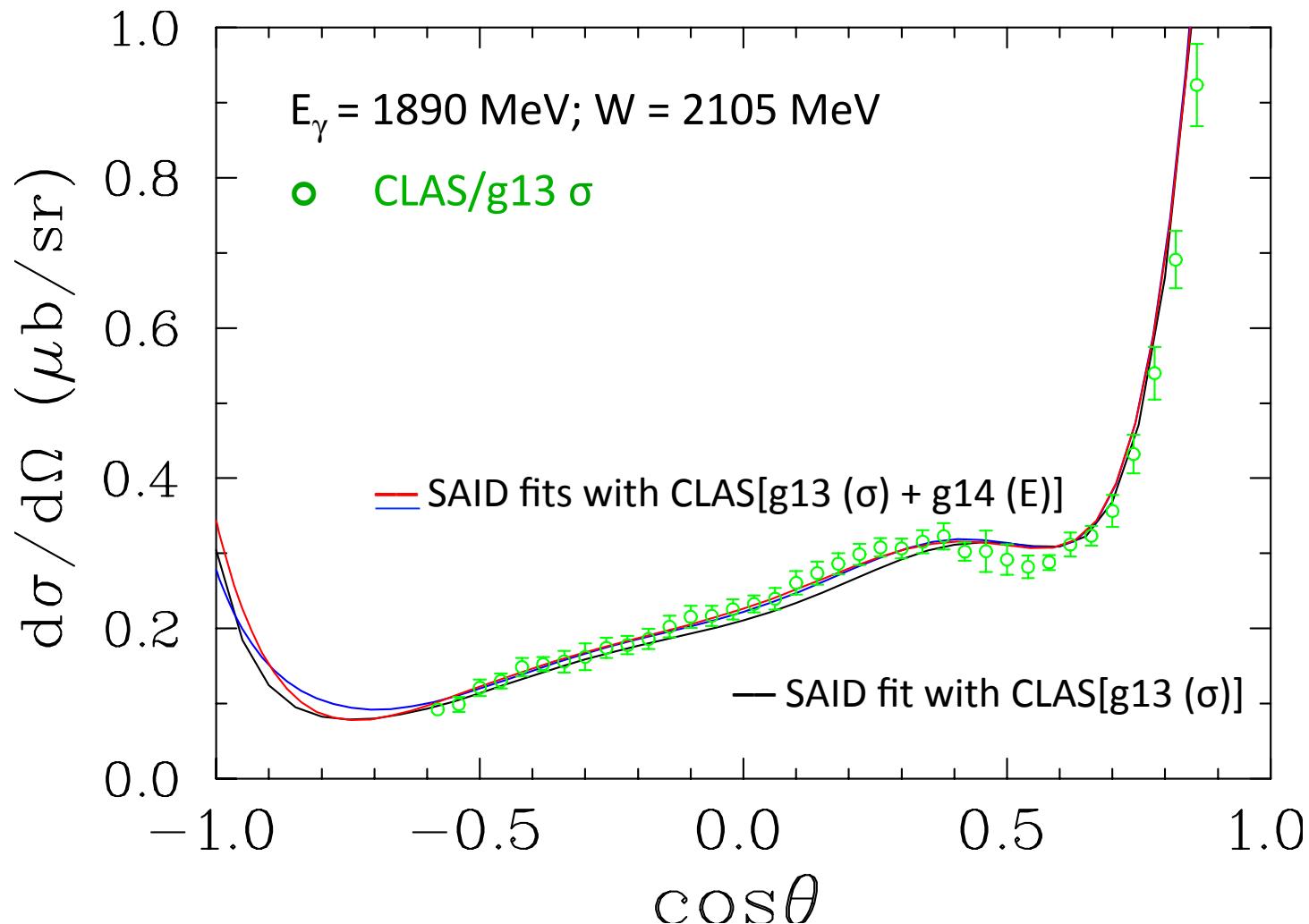


(1560.00 < W < 1600.00), E asym. vs. θ_{π^-}



(1560.00 < W < 1600.00), E asym. vs. θ_{π^-}

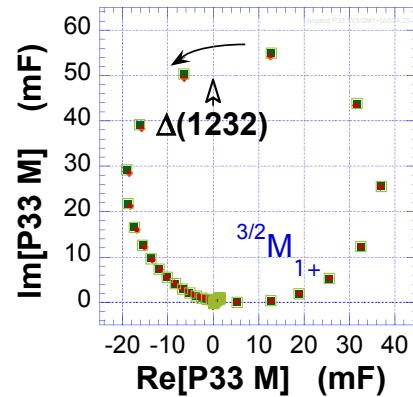
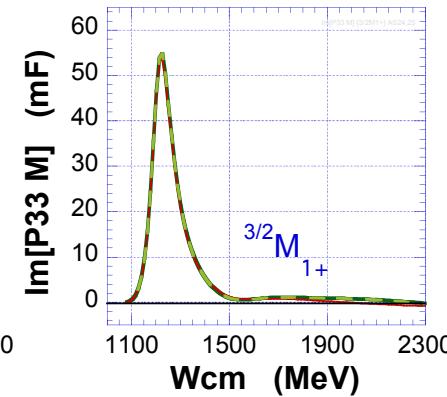
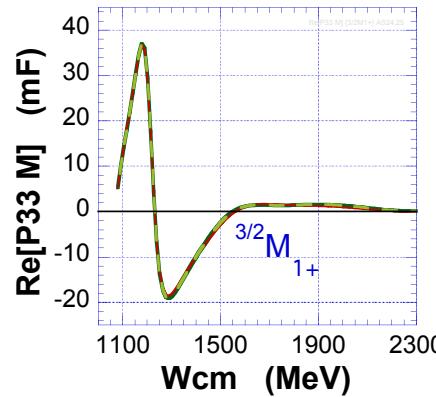




PWA: $I = 3/2$ (Δ^*) partial waves

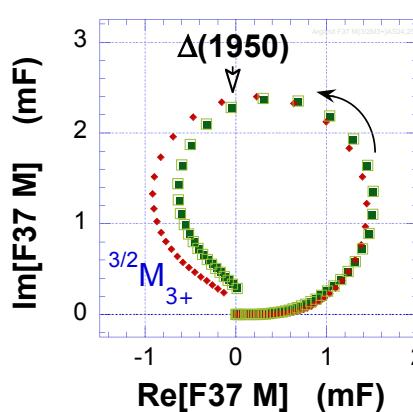
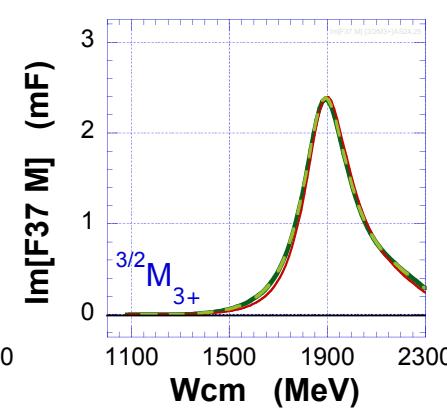
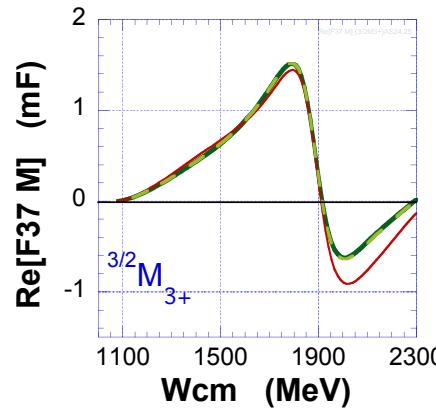
eg.

$I=3/2, P$ wave



$\Delta(1232)3/2^+$
(PDG ****)

$I=3/2, F$ wave



$\Delta(1950)7/2^+$
(PDG ****)

$I = 3/2$ waves \sim unchanged \Leftrightarrow determined by proton data