



... for a brighter future



U.S. Department
of Energy

UChicago ▶
Argonne LLC



A U.S. Department of Energy laboratory
managed by UChicago Argonne, LLC

Two-photon exchange in unpolarized eP

E05-017 update

Patricia Solvignon
Argonne National Laboratory

spokesperson: John Arrington
Ph.D. student: James Johnson

Hall C Users Meeting
January 30-31, 2009

Motivations

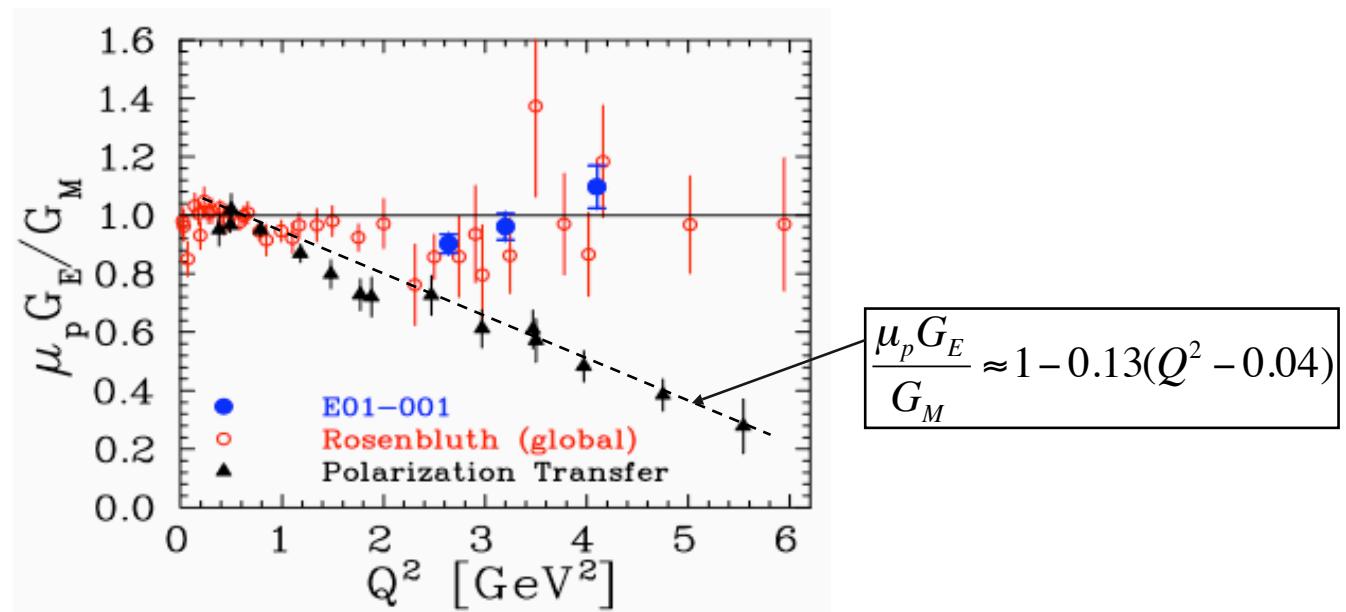
In the Born approximation, G_E/G_M can be extracted from:

Rosenbluth method

$$\frac{d\sigma}{d\Omega_e} = \frac{\sigma_{Mott}}{\varepsilon(1+\tau)} \left[\tau G_M^2(Q^2) + \varepsilon G_E^2(Q^2) \right]$$

Polarization transfer method

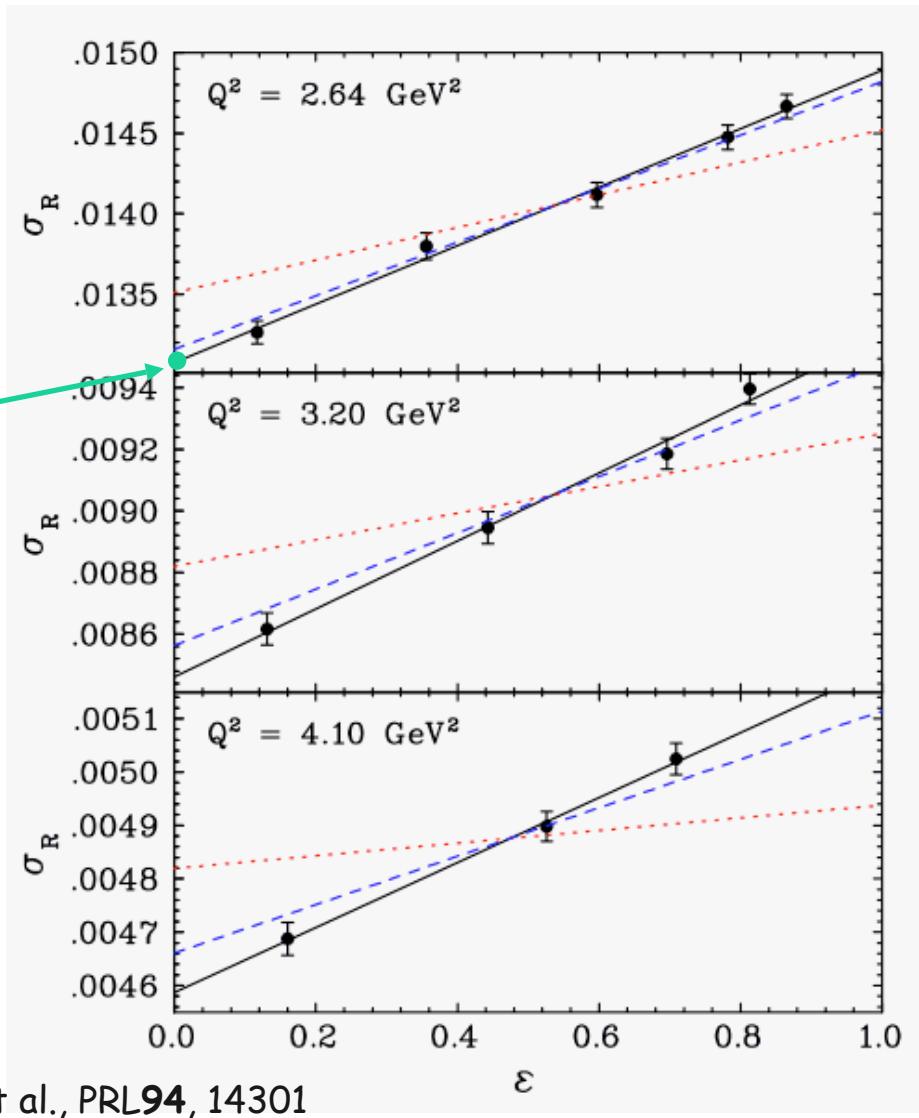
$$\frac{P_t}{P_l} = -\sqrt{\frac{2\varepsilon}{\tau(1+\varepsilon)}} \frac{G_E}{G_M}$$



Rosenbluth separation

Extraction G_E and G_M for the proton:

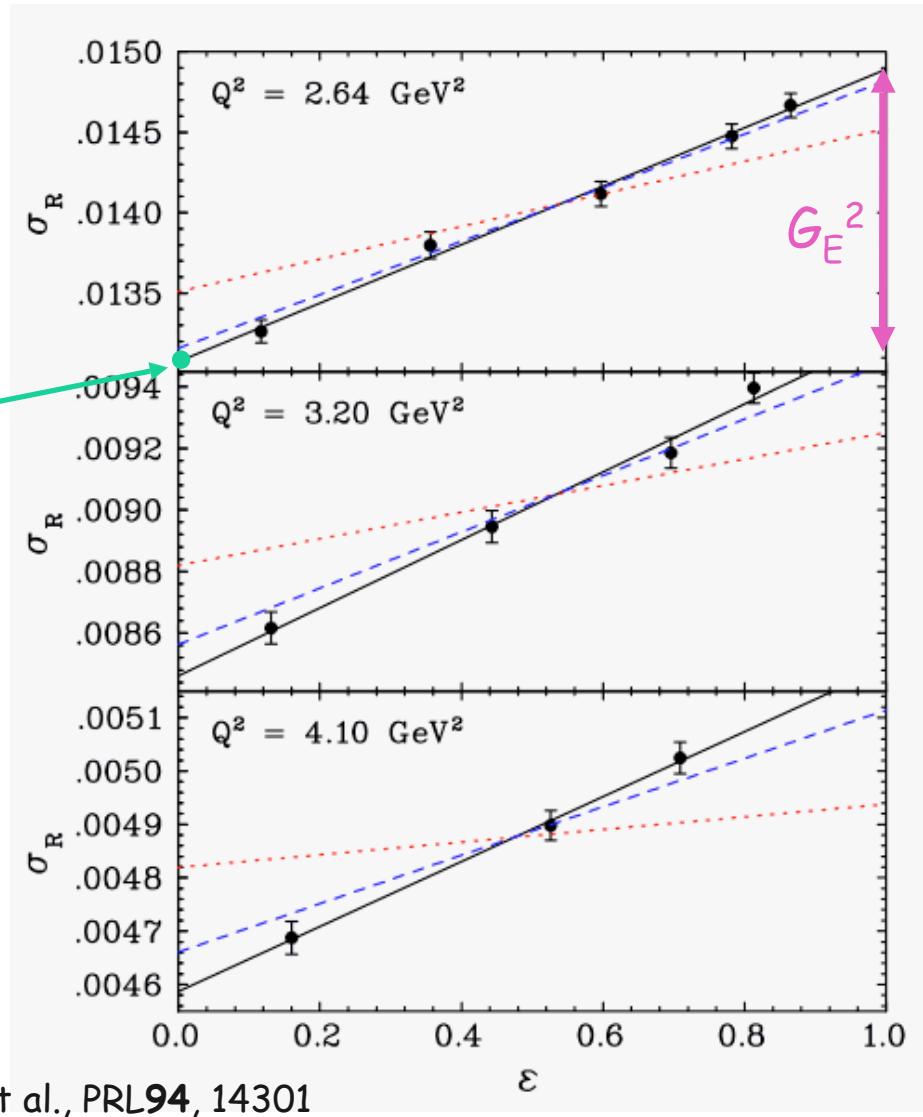
$$\sigma_R = \frac{d\sigma}{d\Omega} \frac{\varepsilon(1+\tau)}{\sigma_{Mott}} = \tau G_M^2(Q^2) + \varepsilon G_E^2(Q^2)$$



Rosenbluth separation

Extraction G_E and G_M for the proton:

$$\sigma_R = \frac{d\sigma}{d\Omega} \frac{\varepsilon(1+\tau)}{\sigma_{Mott}} = \tau G_M^2(Q^2) + \varepsilon G_E^2(Q^2)$$

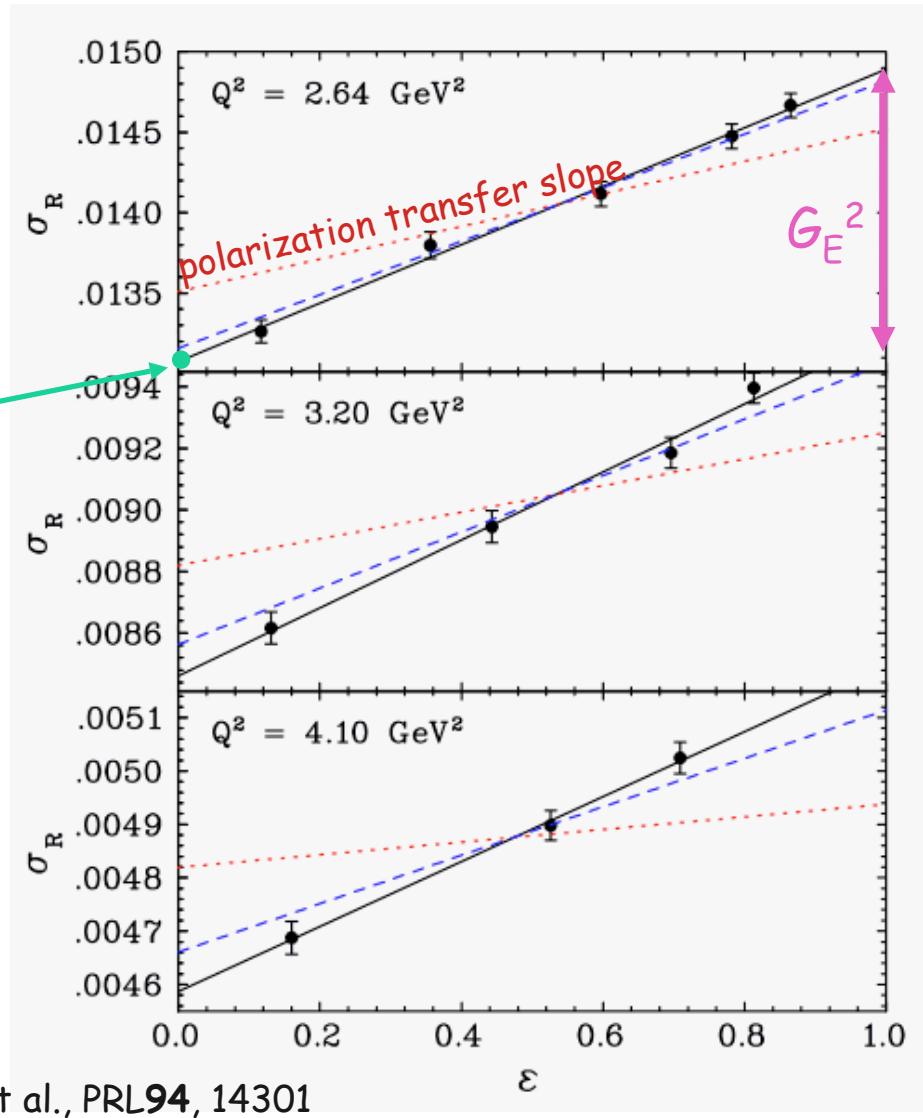


Qattan et al., PRL94, 14301

Rosenbluth separation

Extraction G_E and G_M for the proton:

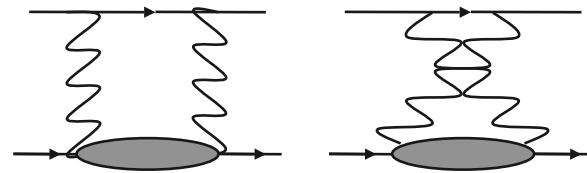
$$\sigma_R = \frac{d\sigma}{d\Omega} \frac{\varepsilon(1+\tau)}{\sigma_{Mott}} = \tau G_M^2(Q^2) + \varepsilon G_E^2(Q^2)$$



Qattan et al., PRL94, 14301

Discrepancy interpretations

Two-photon exchange (TPE)



- Neglected in standard radiative corrections (Mo & Tsai)
- Rosenbluth method is sensitive to TPE
- TPE has a negligible effect on Polarization transfer method in the Q^2 -range covered by the existing data

Soft multi-photon exchange

- The discrepancy cannot be resolved by Coulomb distortion alone at high Q^2

Two-photon exchange extraction

J. Arrington, PRC71,015202 (2005)

$$\sigma_R = \boxed{G_M^2 + \frac{\varepsilon}{\tau} G_E^2} + 2G_M \mathcal{R} \left(\Delta \tilde{G}_M + \varepsilon \frac{\nu}{M^2} \tilde{F}_3 \right) + 2 \frac{\varepsilon}{\tau} G_E \mathcal{R} \left(\Delta \tilde{G}_E + \frac{\nu}{M^2} \tilde{F}_3 \right) + O(e^4)$$

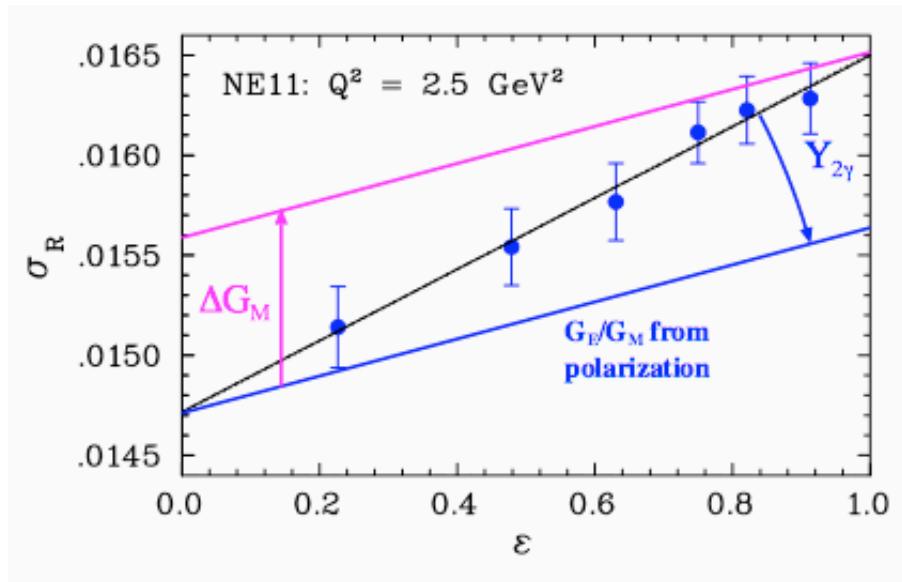
$\sigma_R^{1_\gamma}$

Two-photon exchange extraction

J. Arrington, PRC71,015202 (2005)

$$\sigma_R = \boxed{G_M^2 + \frac{\varepsilon}{\tau} G_E^2} + 2G_M \mathcal{R} \left(\Delta \tilde{G}_M + \varepsilon \frac{\nu}{M^2} \tilde{F}_3 \right) + 2 \frac{\varepsilon}{\tau} G_E \mathcal{R} \left(\Delta \tilde{G}_E + \frac{\nu}{M^2} \tilde{F}_3 \right) + O(e^4)$$

$\sigma_R^{1\gamma}$



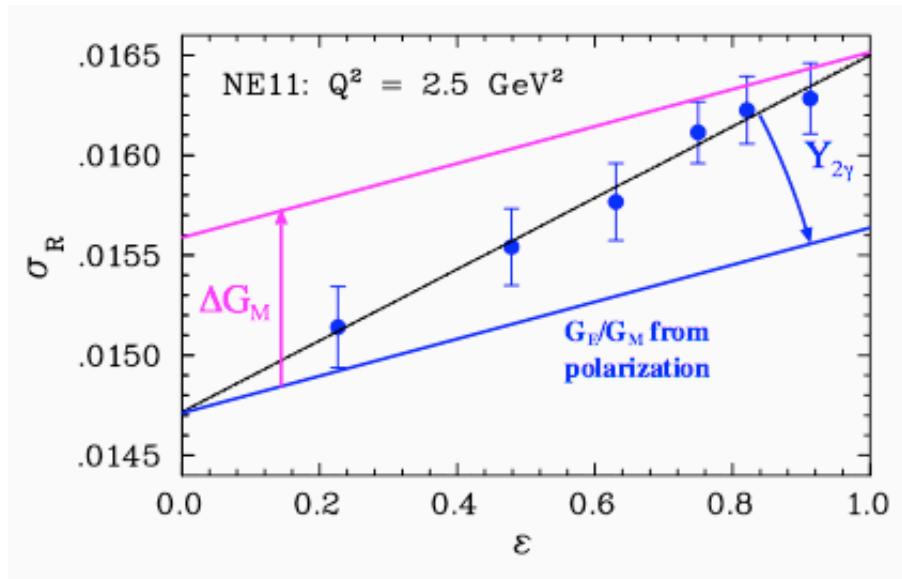
$$Y_{2\gamma}(\varepsilon, Q^2) = \mathcal{R} \left(\frac{\nu \tilde{F}_3(\varepsilon, Q^2)}{M^2 |\tilde{G}_M|} \right)$$

Two-photon exchange extraction

J. Arrington, PRC71,015202 (2005)

$$\sigma_R = \boxed{G_M^2 + \frac{\varepsilon}{\tau} G_E^2} + 2G_M \mathcal{R} \left(\Delta \tilde{G}_M + \varepsilon \frac{\nu}{M^2} \tilde{F}_3 \right) + 2 \frac{\varepsilon}{\tau} G_E \mathcal{R} \left(\Delta \tilde{G}_E + \frac{\nu}{M^2} \tilde{F}_3 \right) + O(e^4)$$

$\sigma_R^{1\gamma}$



$$Y_{2\gamma}(\varepsilon, Q^2) = \mathcal{R} \left(\frac{\nu \tilde{F}_3(\varepsilon, Q^2)}{M^2 |\tilde{G}_M|} \right)$$

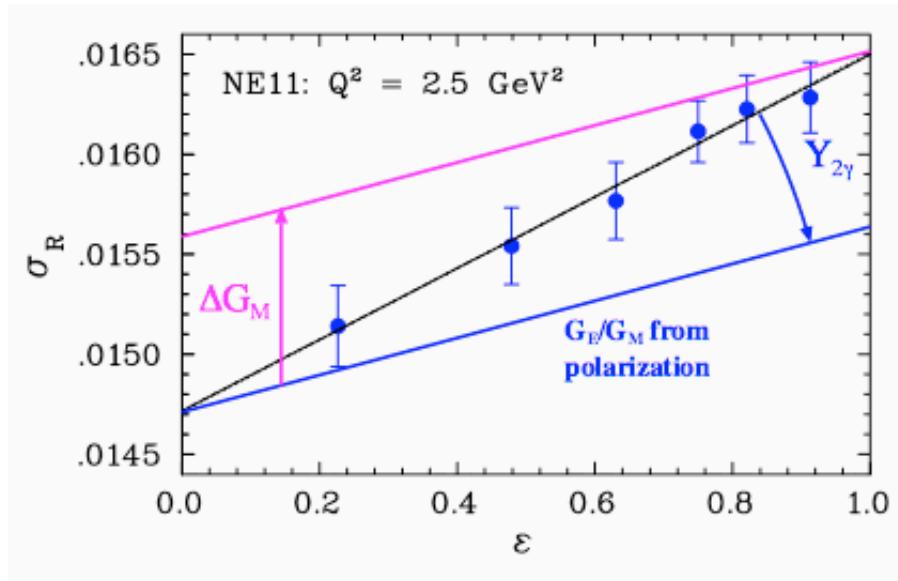
~~$$\Delta G_E(\varepsilon, Q^2) = \tilde{G}_E(\varepsilon, Q^2) - G_E(Q^2)$$~~

Two-photon exchange extraction

J. Arrington, PRC71,015202 (2005)

$$\sigma_R = \boxed{G_M^2 + \frac{\varepsilon}{\tau} G_E^2} + 2G_M \mathcal{R} \left(\Delta \tilde{G}_M + \varepsilon \frac{\nu}{M^2} \tilde{F}_3 \right) + 2 \frac{\varepsilon}{\tau} G_E \mathcal{R} \left(\Delta \tilde{G}_E + \frac{\nu}{M^2} \tilde{F}_3 \right) + O(e^4)$$

$\sigma_R^{1\gamma}$



$$Y_{2\gamma}(\varepsilon, Q^2) = \mathcal{R} \left(\frac{\nu \tilde{F}_3(\varepsilon, Q^2)}{M^2 |\tilde{G}_M|} \right)$$

~~$$\Delta G_E(\varepsilon, Q^2) = \tilde{G}_E(\varepsilon, Q^2) - G_E(Q^2)$$~~

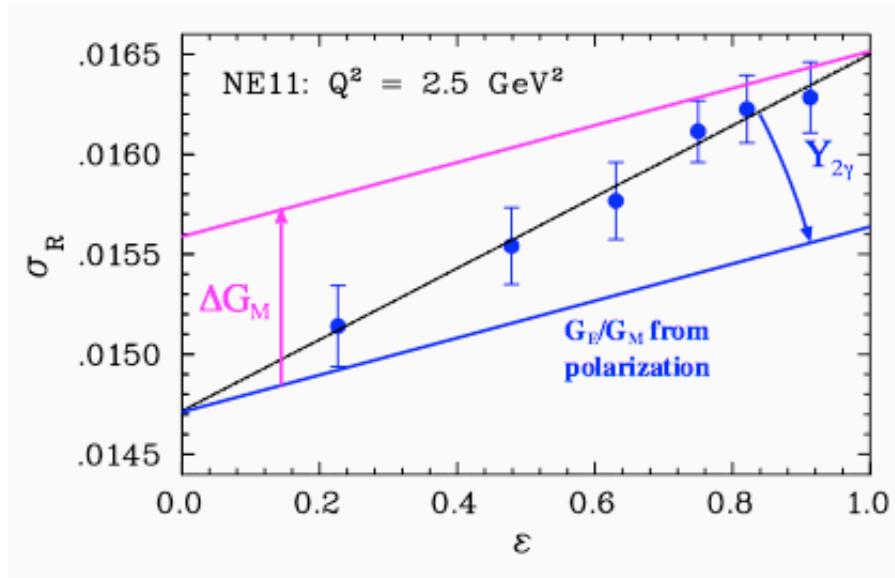
$$\Delta G_M(\varepsilon, Q^2) = \tilde{G}_M(\varepsilon, Q^2) - G_M(Q^2)$$

Two-photon exchange extraction

J. Arrington, PRC71,015202 (2005)

$$\sigma_R = \boxed{G_M^2 + \frac{\varepsilon}{\tau} G_E^2} + 2G_M \mathcal{R} \left(\Delta \tilde{G}_M + \varepsilon \frac{\nu}{M^2} \tilde{F}_3 \right) + 2 \frac{\varepsilon}{\tau} G_E \mathcal{R} \left(\Delta \tilde{G}_E + \frac{\nu}{M^2} \tilde{F}_3 \right) + O(e^4)$$

$\sigma_R^{1\gamma}$



$$Y_{2\gamma}(\varepsilon, Q^2) = \mathcal{R} \left(\frac{\nu \tilde{F}_3(\varepsilon, Q^2)}{M^2 |\tilde{G}_M|} \right)$$

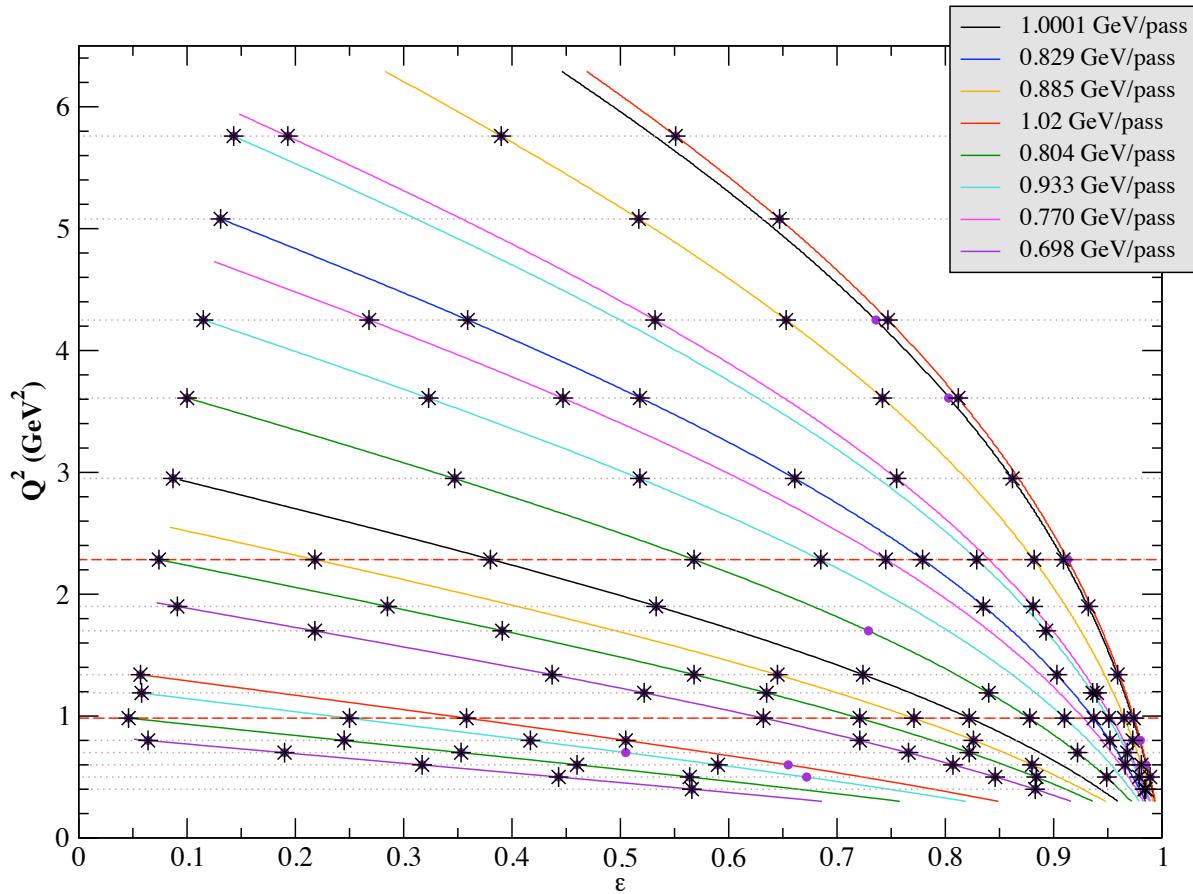
~~$$\Delta G_E(\varepsilon, Q^2) = \tilde{G}_E(\varepsilon, Q^2) - G_E(Q^2)$$~~

$$\Delta G_M(\varepsilon, Q^2) = \tilde{G}_M(\varepsilon, Q^2) - G_M(Q^2)$$

→ mapping of the Q^2 -dependence of TPE

E05-017 coverage

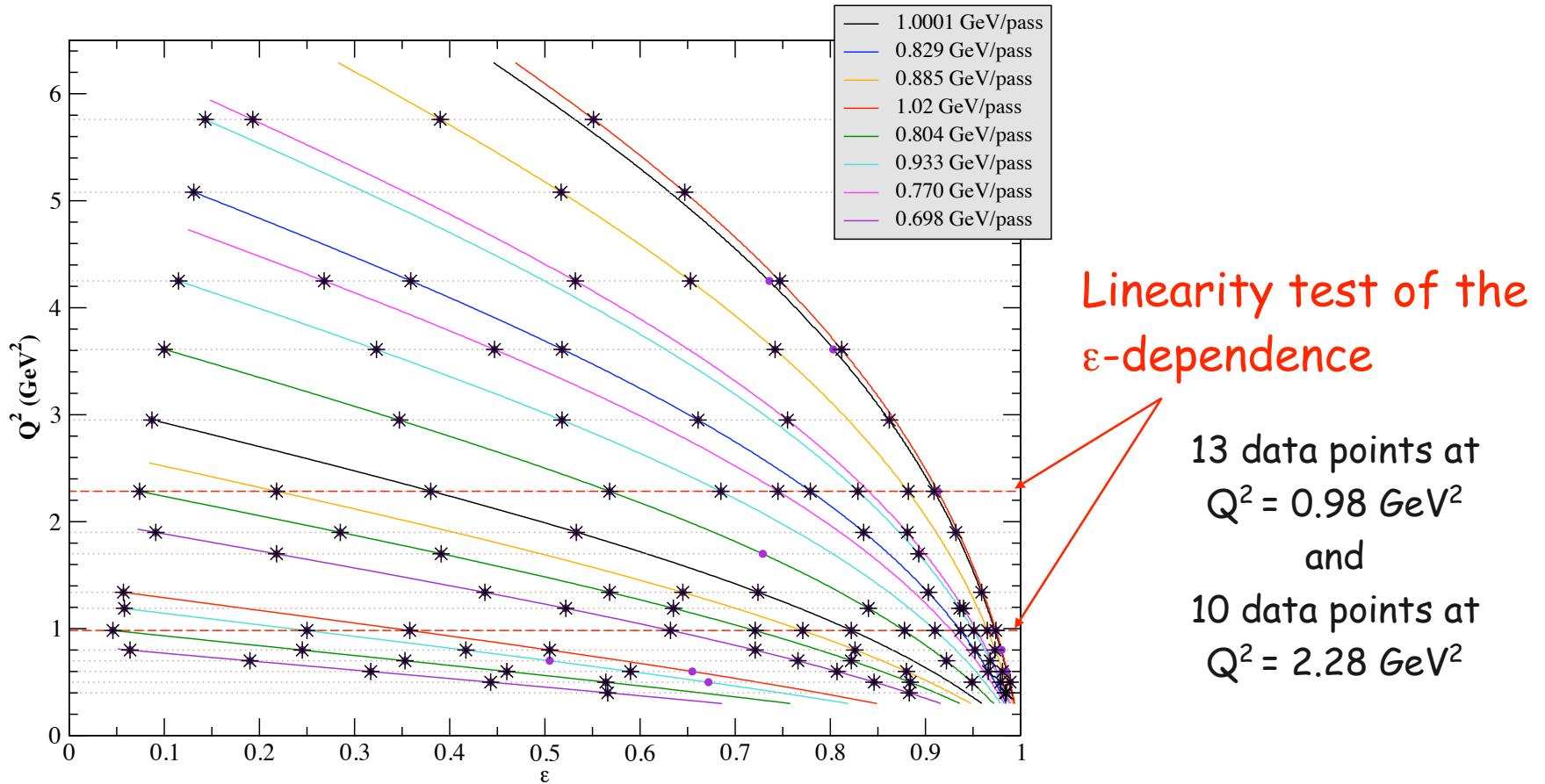
- ◆ 8 linac settings for 17 total incident energies
- ◆ Detect struck proton --> improvement in stat. & syst.



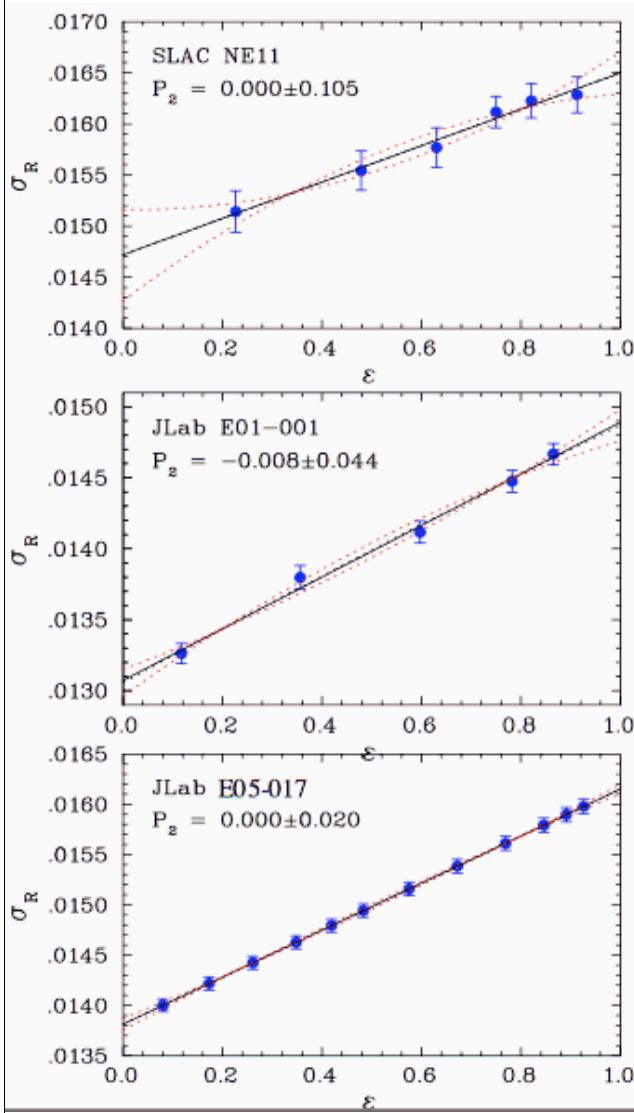
High precision
Rosenbluth
separations for
16 Q^2 -settings

E05-017 coverage

- ◆ 8 linac settings for 17 total incident energies
- ◆ Detect struck proton --> improvement in stat. & syst.



Linearity test

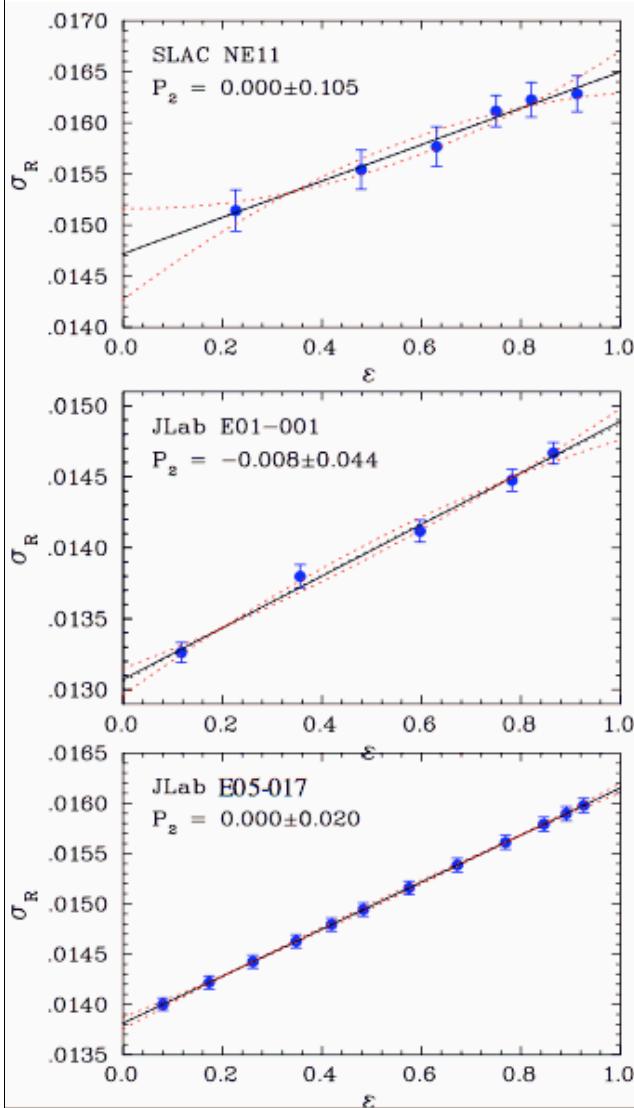


$$\sigma_R = P_0 [1 + P_1 \varepsilon + P_2 \varepsilon^2]$$

Relative size of nonlinear terms

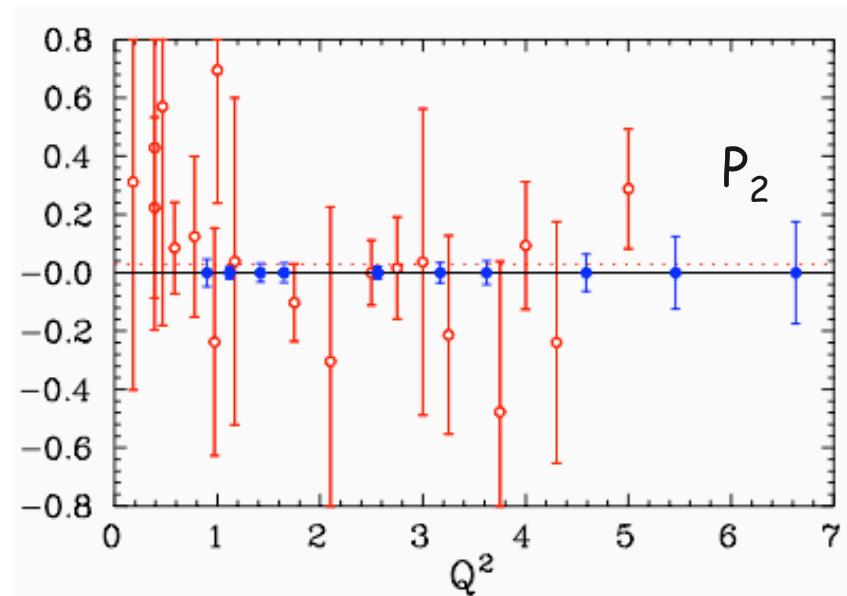
E05-017: Test of sensitivity to nonlinearities
at both small and large ε for
 $Q^2=0.98 \text{ & } 2.28 \text{ GeV}^2$

Linearity test



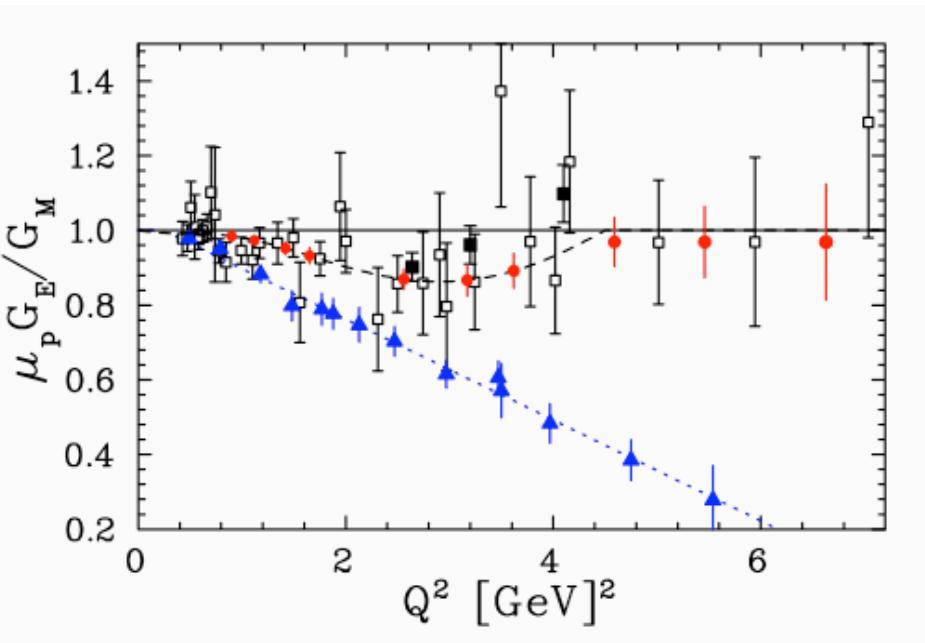
$$\sigma_R = P_0 [1 + P_1 \varepsilon + P_2 \varepsilon^2]$$

Relative size of nonlinear terms



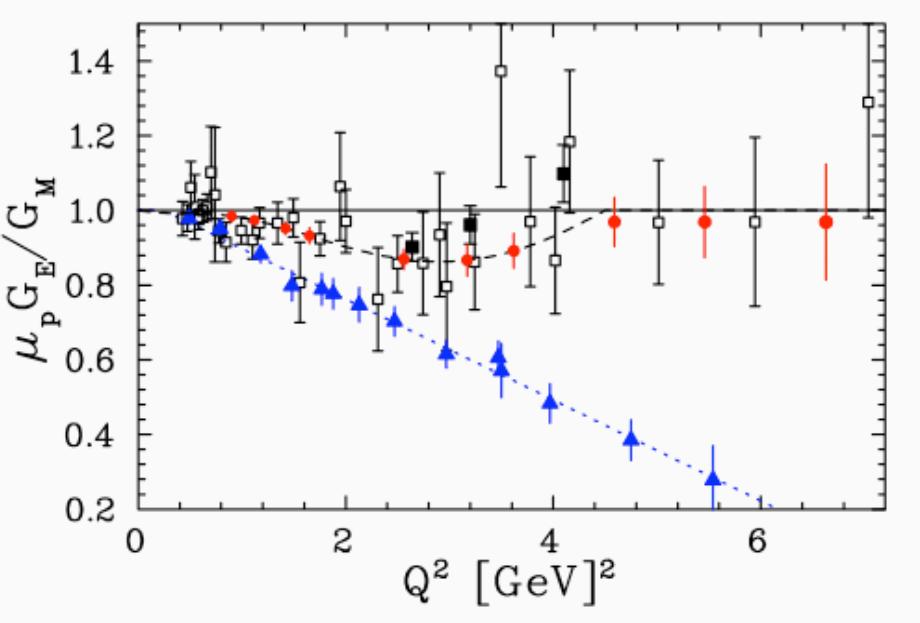
E05-017: Test of sensitivity to nonlinearities
at both small and large ε for
 $Q^2 = 0.98 \text{ & } 2.28 \text{ GeV}^2$

Expected results

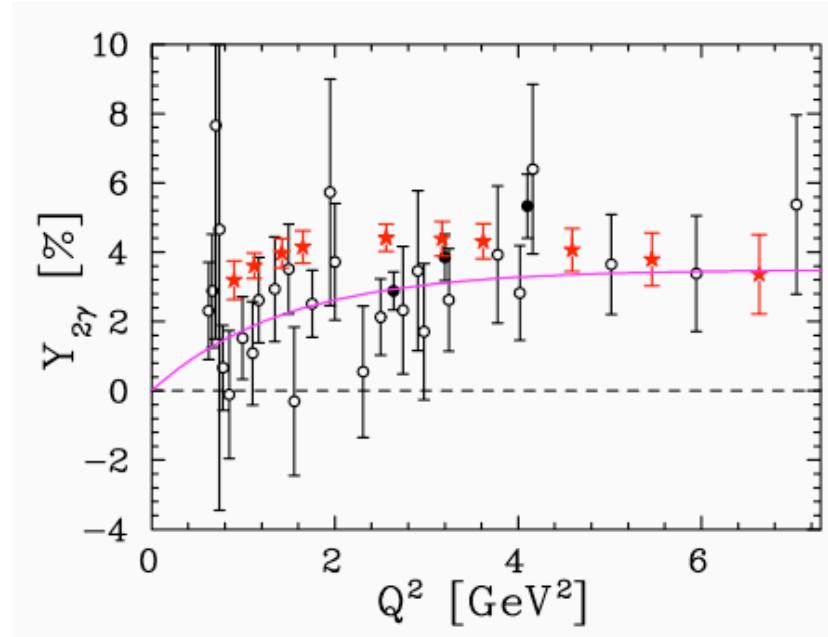


High precision G_E/G_M from
Rosenbluth method

Expected results



High precision G_E/G_M from
Rosenbluth method



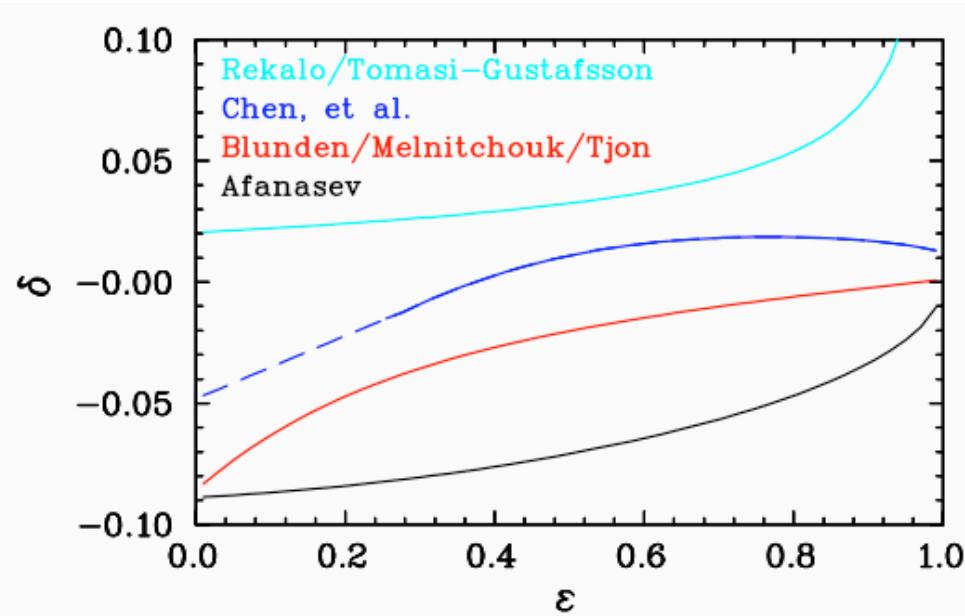
Precision extraction of the
 Q^2 -dependence of TPE

Summary

- E05-017 will:
 - ❖ precisely map the ε -dependence of σ_R
 - ❖ provide high precision Rosenbluth data for G_E and G_M at Q^2 between 0.40 and 5.76 GeV 2
 - ❖ extract TPE amplitudes to correct G_E/G_M and G_M
 - ❖ constrain TPE models

Analysis status

ε -dependence of two-photon exchange



TPE contribution to elastic
e-p cross section:

$$\delta = \frac{(\sigma_{2\gamma} - \sigma_{1\gamma})}{\sigma_{1\gamma}}$$