

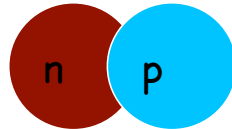


# Deuteron Polarized Tensor Structure Functions

and a few other topics



# Deuteron



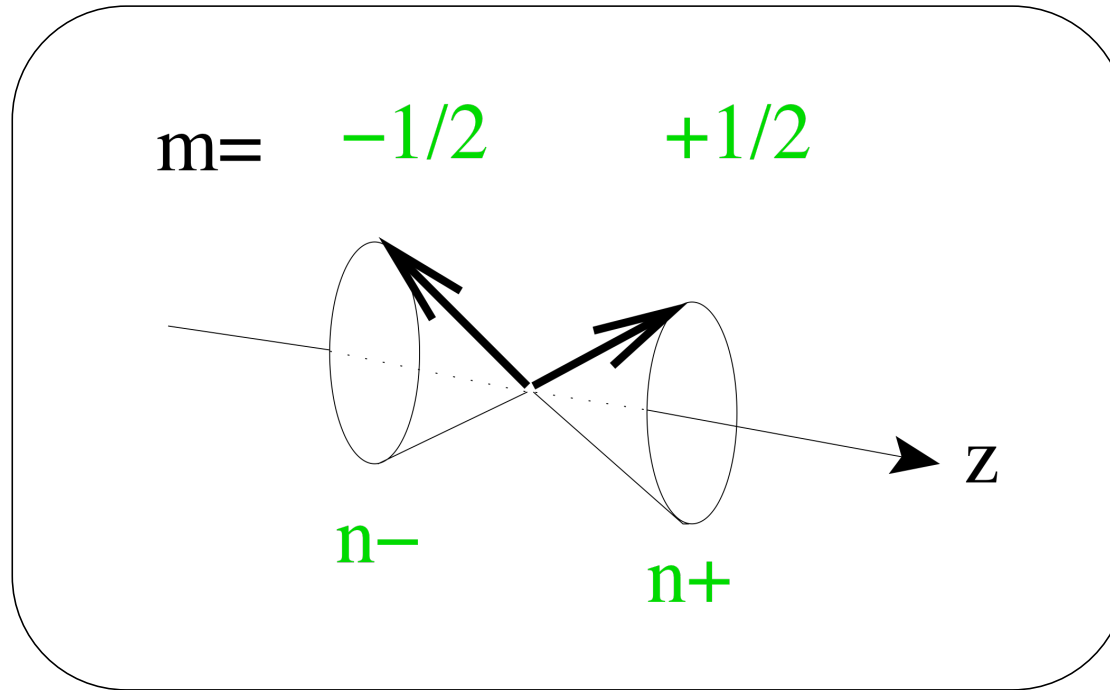
Spin-1 system

good testing ground for NN interaction because its wave function is relatively well known

Reasonably easy to polarize

# spin-1/2

Spin-1/2 system in B-field leads to 2 sublevels due to Zeeman interaction

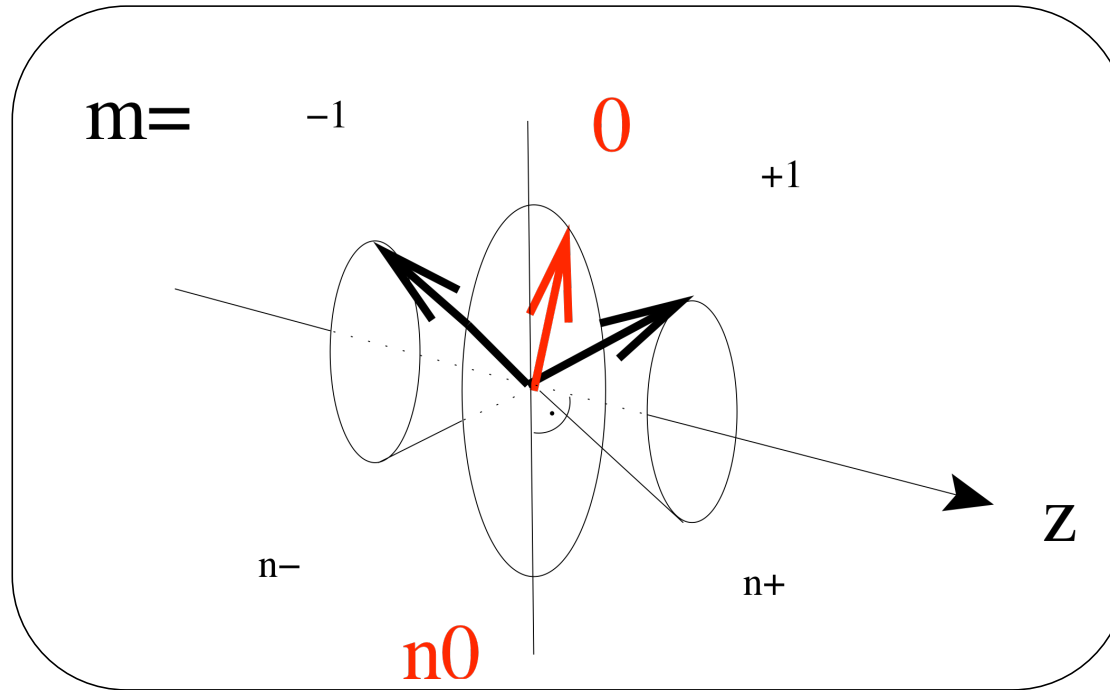


vector pol :  $(n^+ - n^-)/(n^+ + n^-)$

(Any good figures in this talk were taken from thesis of Caroline Riedl, 2005  
All the bad figures are my own)

# spin-1

Spin-1 system in B-field leads to 3 sublevels due to Zeeman interaction



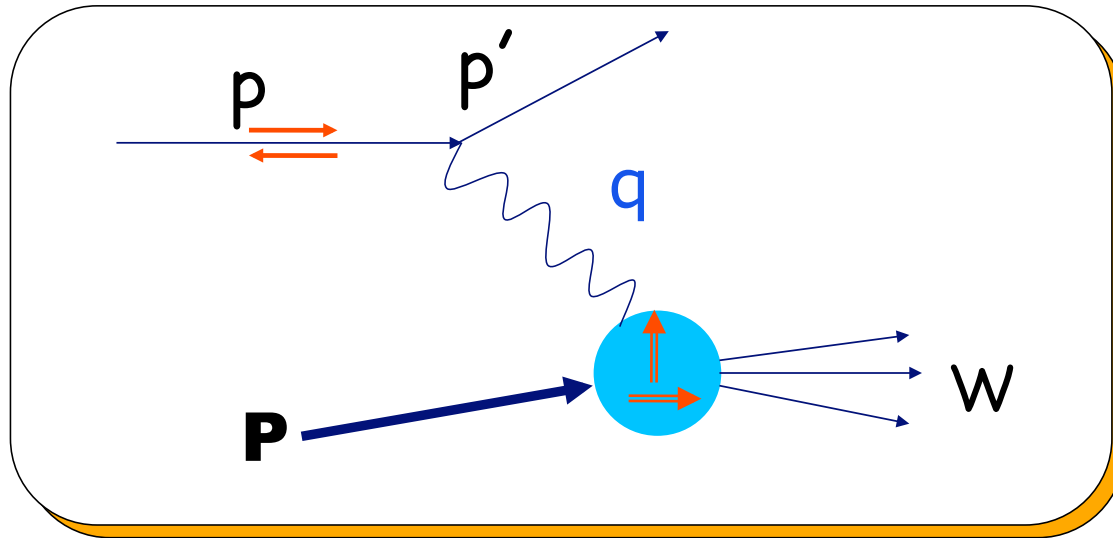
vector pol :  $(n^+ - n^-)/(n^+ + n^- + n^0)$

and

Tensor pol :  $(n^+ - n^- - 2n^0)/(n^+ + n^- + n^0)$



# Inclusive Scattering (spin-1/2)



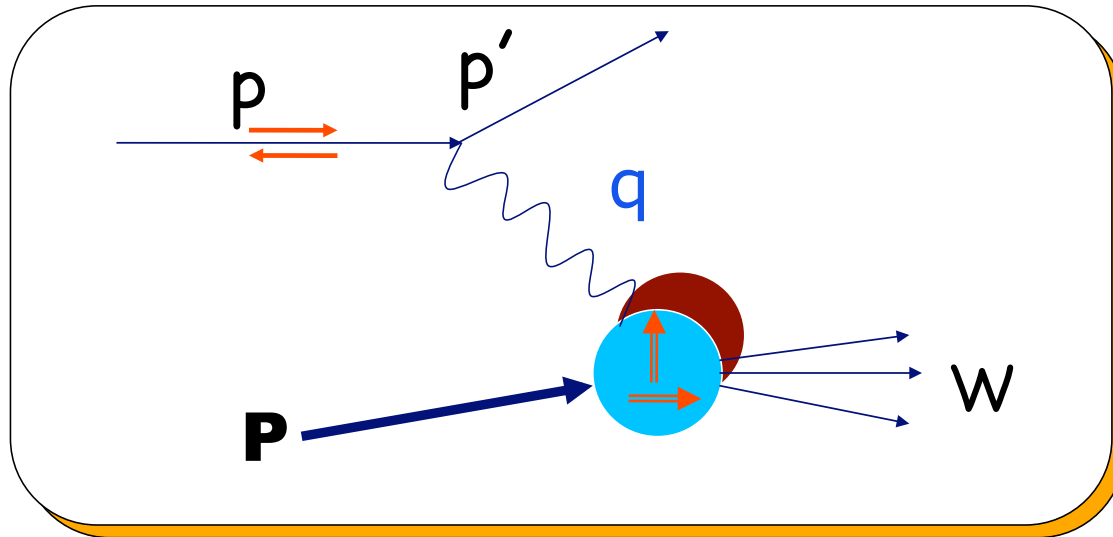
Construct the most general  
Tensor  $W$  consistent with  
Lorentz and gauge invariance

$$\frac{d^2\sigma}{d\Omega dE'} = \sigma_{Mott} \left[ \frac{1}{\nu} F_2(x, Q^2) + \frac{2}{M} F_1(x, Q^2) \tan^2 \frac{\theta}{2} \right] + \gamma g_1(x, Q^2) + \delta g_2(x, Q^2)$$

Inclusive Polarized  
Cross Section

SFs parameterize everything  
we don't know about hadron vertex

# Inclusive Scattering (spin-1)



Construct the most general  
Tensor  $W$  consistent with  
Lorentz and gauge invariance

$$\frac{d^2\sigma}{d\Omega dE'} = \sigma_{Mott} \left[ \frac{1}{\nu} F_2(x, Q^2) + \frac{2}{M} F_1(x, Q^2) \tan^2 \frac{\theta}{2} \right] \\ + \gamma g_1(x, Q^2) + \delta g_2(x, Q^2)$$

$$+ \epsilon b_1(x, Q^2) + \epsilon b_2(x, Q^2) + \zeta \Delta(x, Q^2) + \eta b_3(x, Q^2)$$

Spin-1 => four more structure functions :  $b_1, b_2, b_3, \Delta$

# Inclusive Scattering (spin-1)

four *more* structure functions ?

# Inclusive Scattering (spin-1)

four *more* structure functions ?



# Spin-1 Structure Functions

$F_1$ ,  $g_1$  and  $b_1$  are Leading Twist

i.e. easily interpretable in  
simple non-interacting parton model

# Spin-1 Structure Functions

$F_1$ ,  $g_1$  and  $b_1$  are Leading Twist

	Nucleon	Deuteron
$F_1$	$\frac{1}{2} \sum_q e_q^2 [q_{\uparrow}^{1/2} + q_{\downarrow}^{-1/2}]$	$\frac{1}{3} \sum_q e_q^2 [q_{\uparrow}^1 + q_{\uparrow}^{-1} + q_{\uparrow}^0]$

$F_1$  : quark distributions averaged over target spin states

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$F_1$  : quark distributions averaged over target spin states

$g_1$  : difference of distributions of quarks aligned/anti-aligned with hadron

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$b_1$	$\dots$	$\frac{1}{2} \sum_q e_q^2 [q^0 - q^1]$

$F_1$  : quark distributions averaged over target spin states

$g_1$  : difference of distributions of quarks aligned/anti-aligned with hadron

$b_1$  : difference of helicity-0/helicity non-zero states of the deuteron



# Spin-1 Structure Functions

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$b_1$	$\dots$	$\frac{1}{2} \sum_q e_q^2 [q^0 - q^1]$

$b_2$  related to  $b_1$  by CallanGross relation

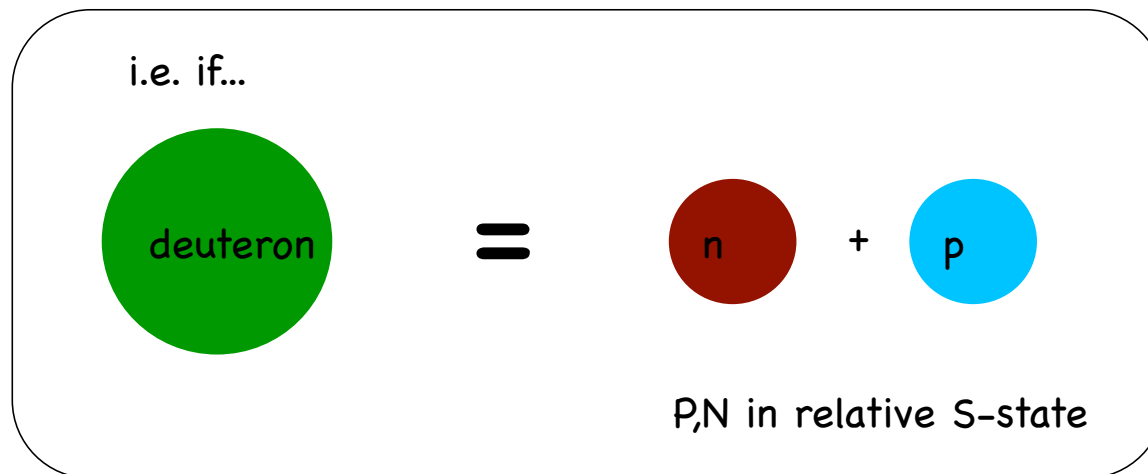
$\Delta$ : kinematically suppressed for longitudinal polarized target. Also, Leading Twist

$b_3$ : higher twist, like  $g_2$

# b1

Hoodbhoy, Jaffe and Manohar (1989)

b1 vanishes in the absence of nuclear effects

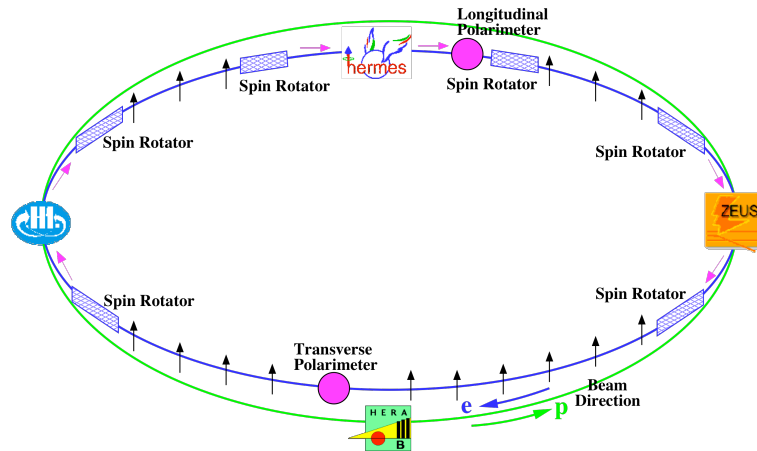


Nice mix of nuclear and quark physics

measured in DIS (so probing quarks), but depends solely on the deuteron spin state

Investigate nuclear effects at the level of partons

# Hera Storage ring at Desy

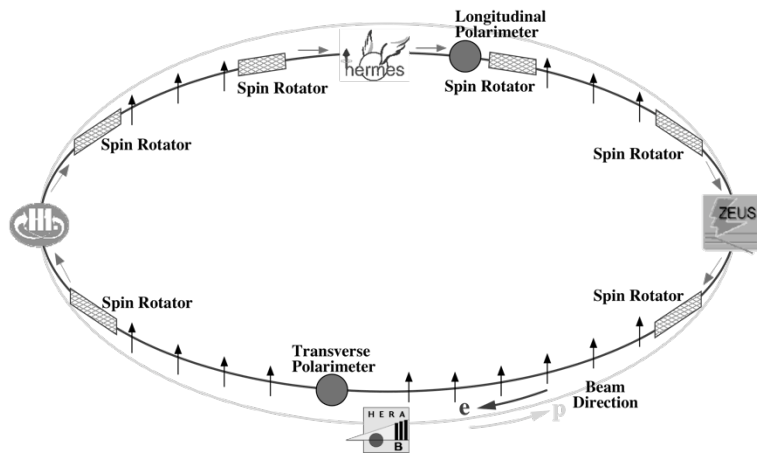


27.6 GeV positrons

Internal gas target

~Pure tensor polarization  
with little vector component

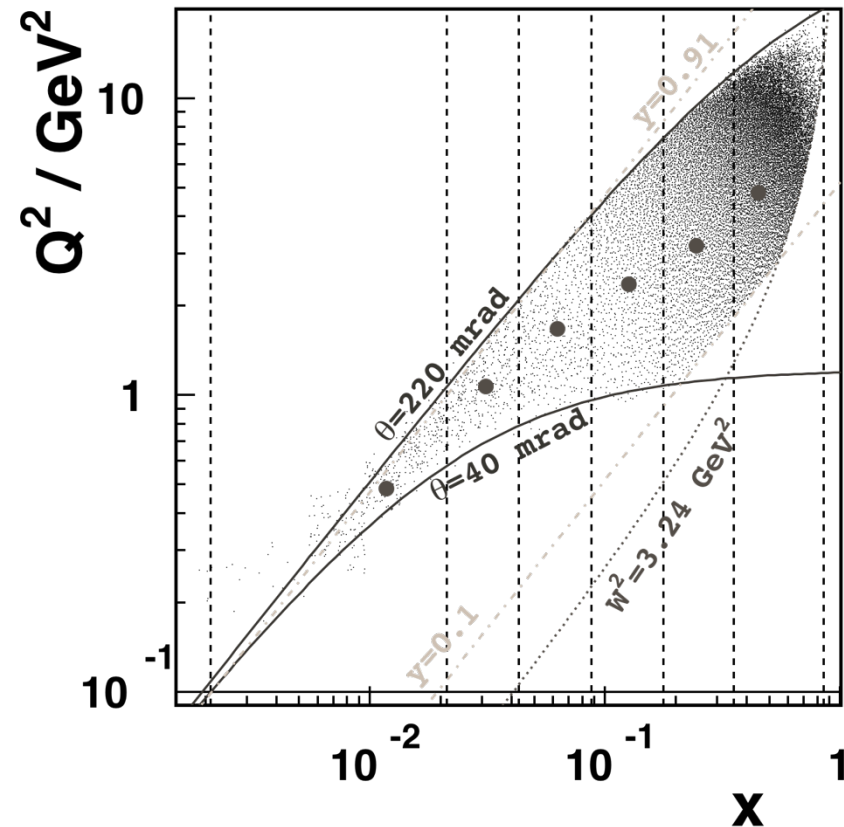
# Hera Storage ring at Desy



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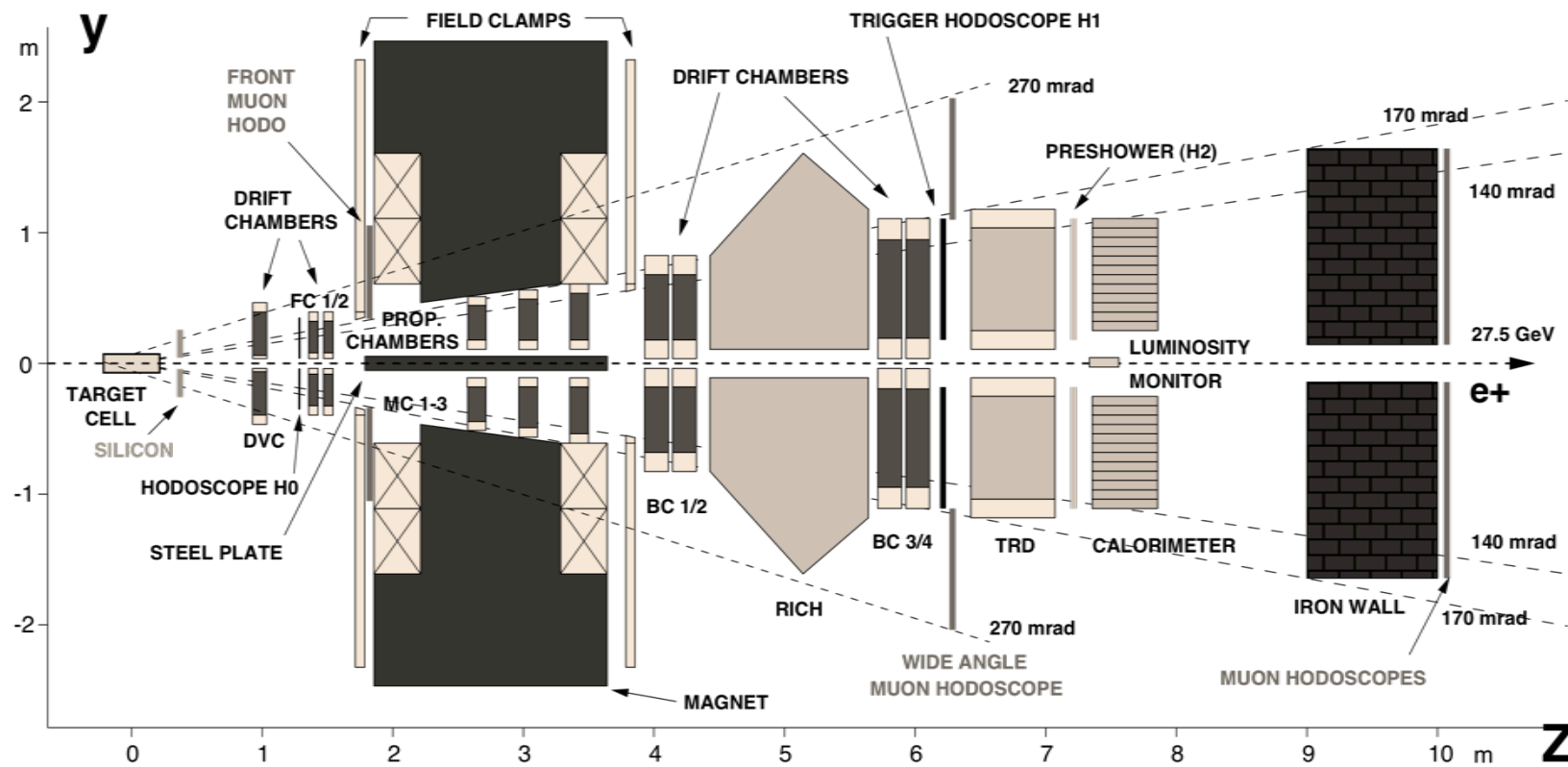
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$$0.01 < x < 0.45$$

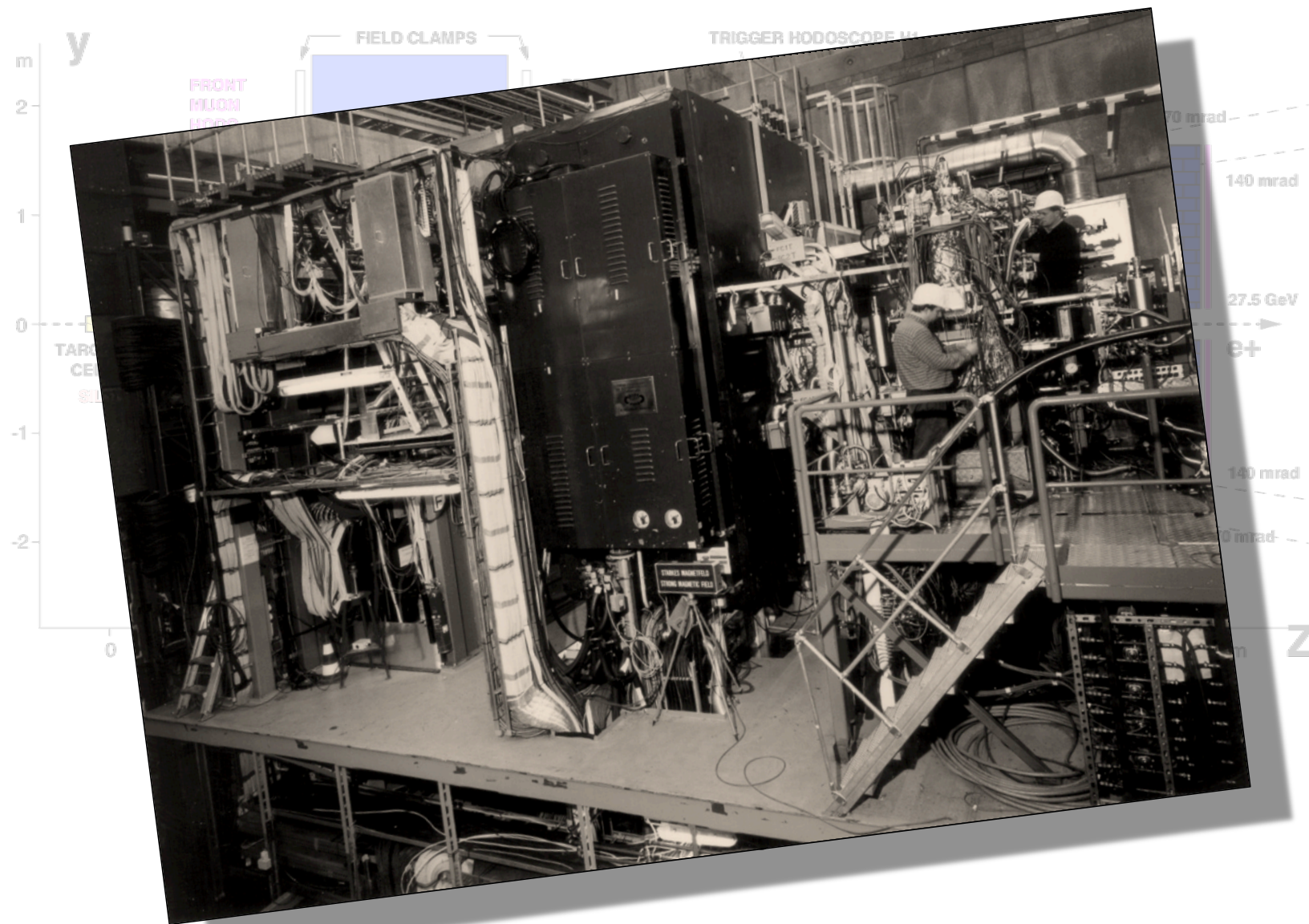
$$0.5 < Q^2 < 5 \text{ GeV}^2$$

# Hermes

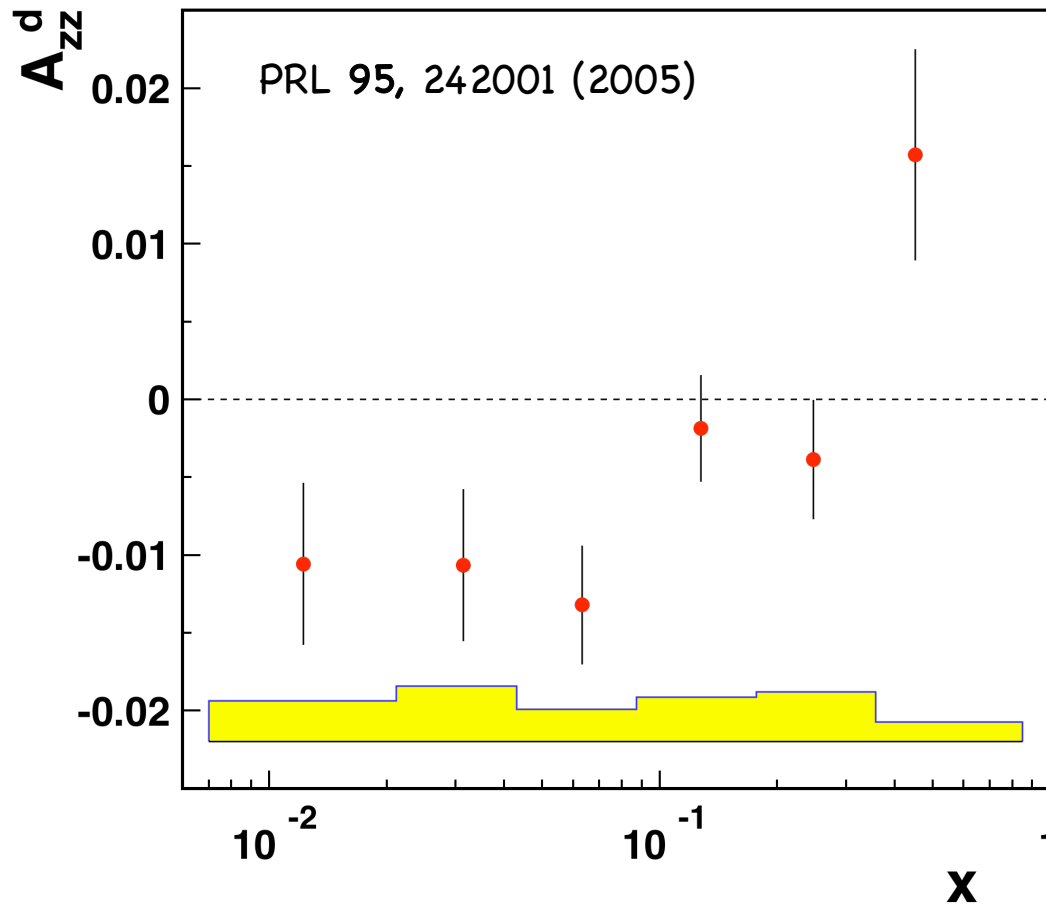


Forward angle,  $40 \text{ mrad} < \Theta < 220 \text{ mrad}$   
 $2\pi$  azimuthal coverage

# Hermes



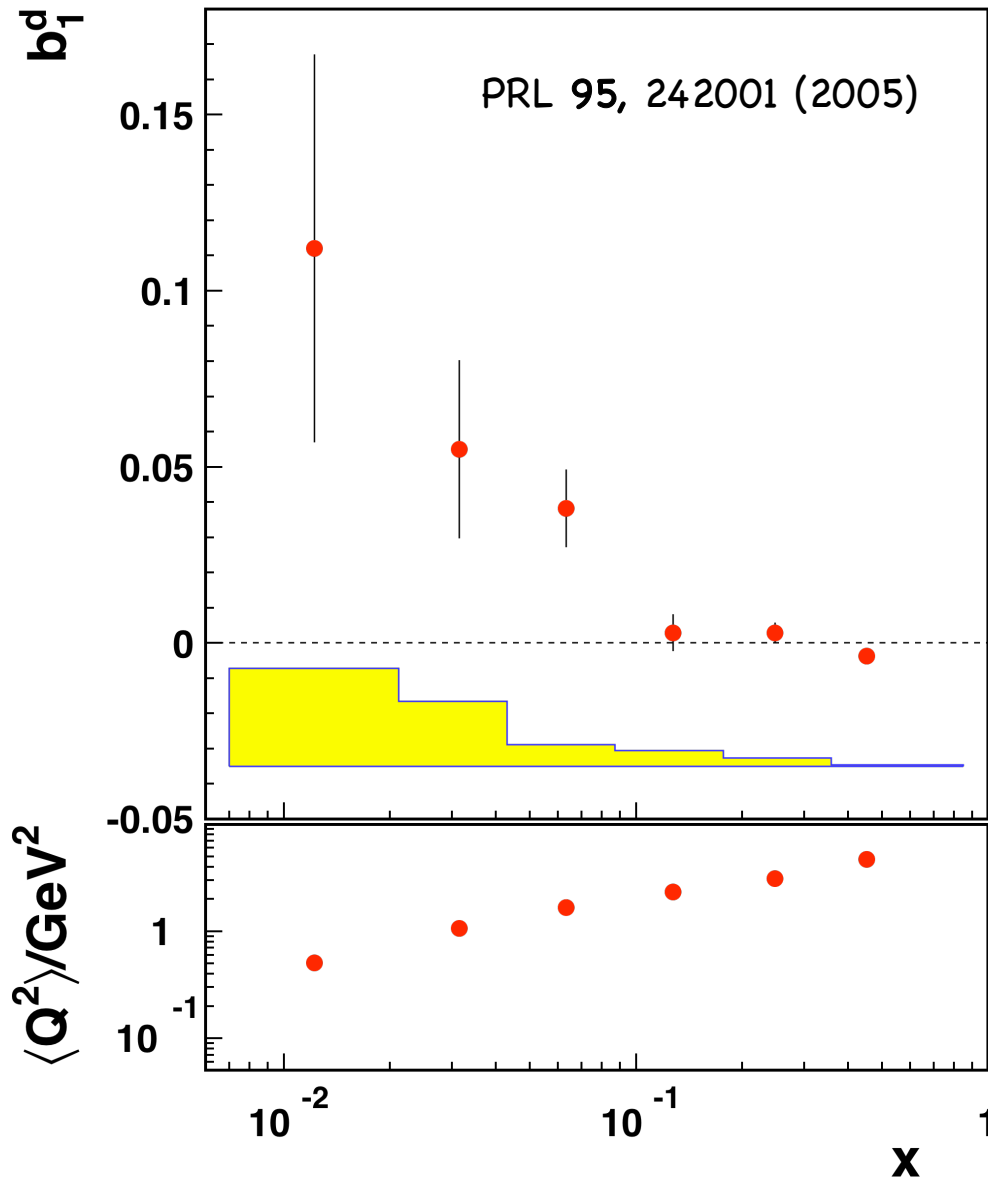
# Tensor Asymmetry $A_{zz}$



$$A_{zz} = \frac{1}{P_{zz}} \frac{2\sigma^1 - 2\sigma^0}{3\sigma^u}$$

Hermes result was  
non-zero by about  $2\sigma$

# b<sub>1</sub>



$$b_1 = -\frac{3}{2}F_1A_{zz}$$

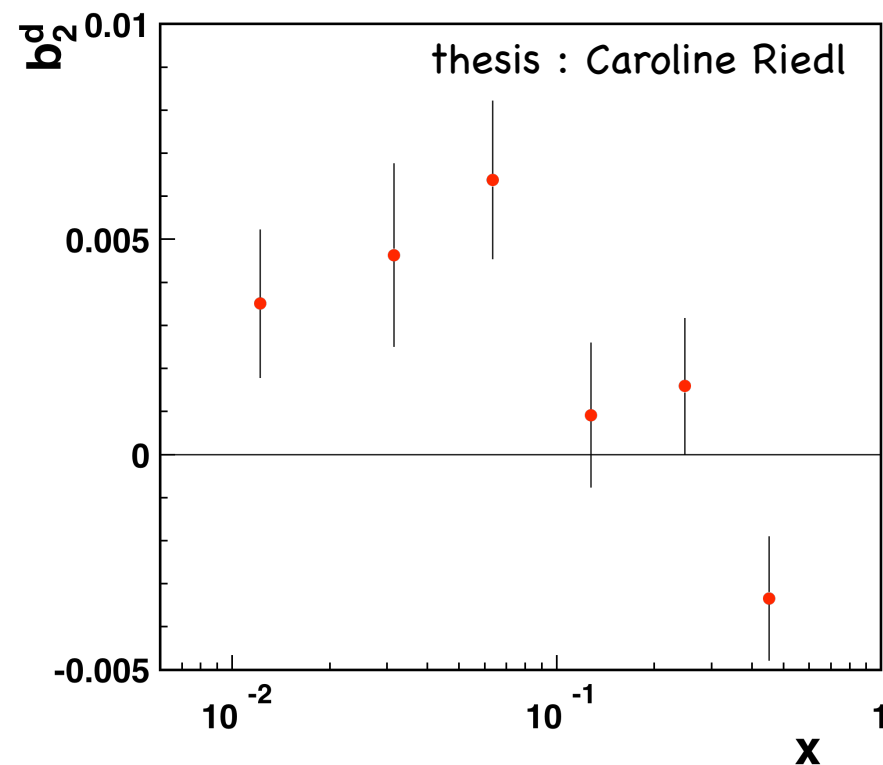
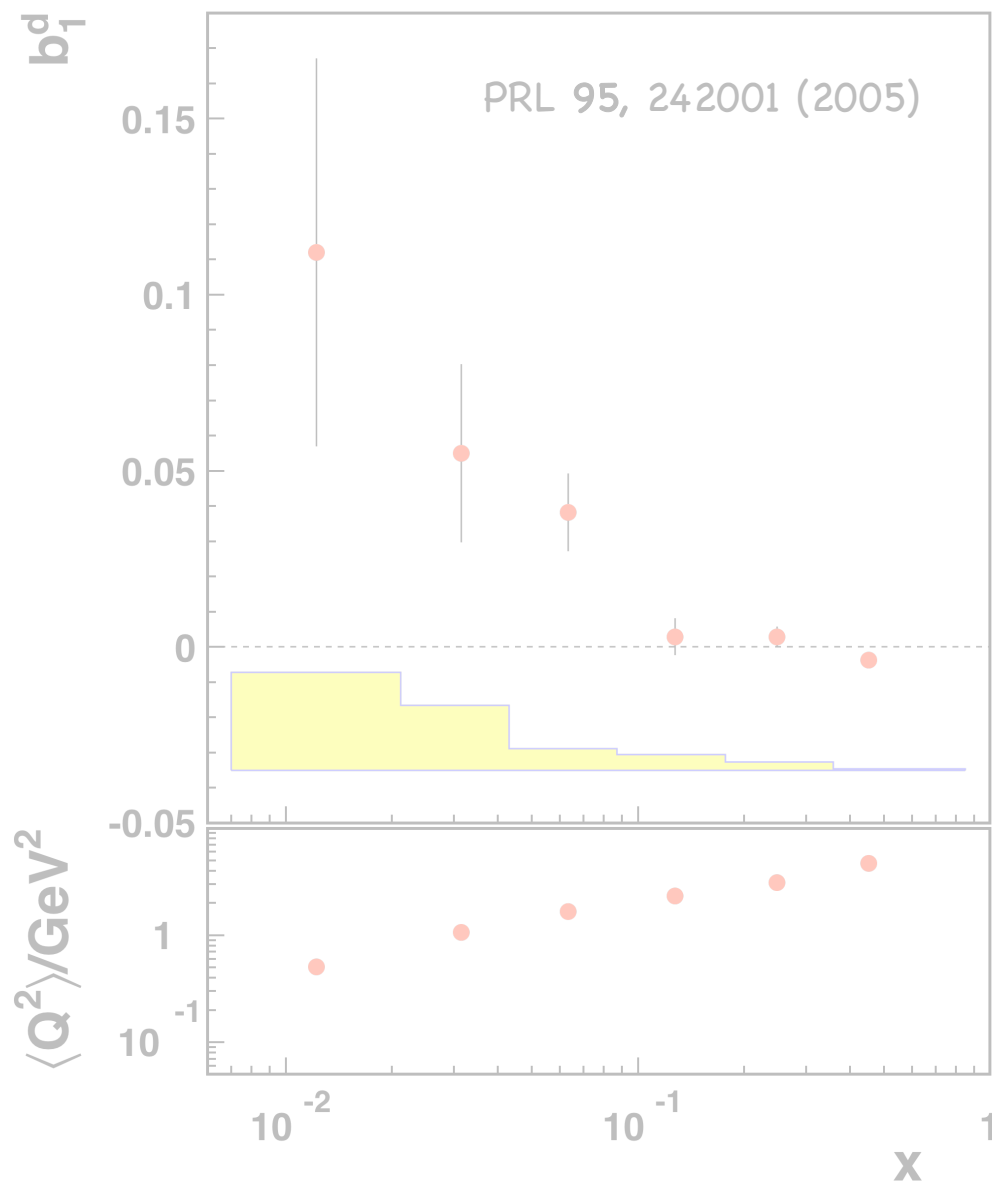
$b_1$  rise at low  $x$  can be related to same mechanism responsible for **nuclear shadowing**

Ashman et al. PLB 206, 364 (1988)

Also can be described in models with **double scattering** of lepton, first from the proton, then neutron



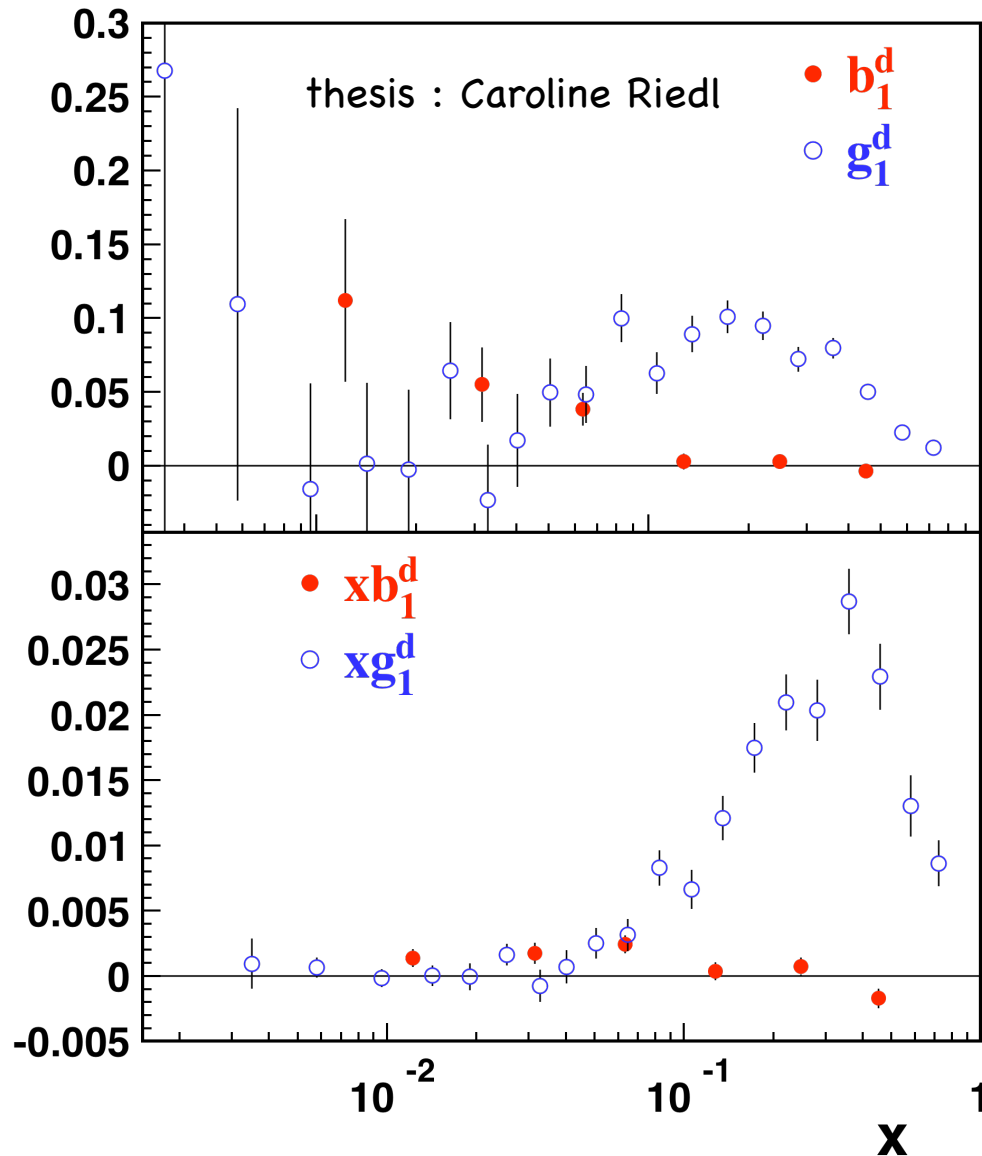
# b2



$b_2$  related to  $b_1$  by CallanGross-like relation

$$2xb_1 = \left( \frac{1 + \gamma^2}{1 + R} \right) b_2$$

# $b_1$ compared to $g_1$



Practical impact :  $b_1$  historically ignored in extractions of  $g_1$

But could be non-negligible...

# Close-Kumano Sum Rule

$$\int b_1(x) dx = \frac{1}{9} \Theta Q_s$$

$$\int b_1(x) dx = 0$$

if the sea quark tensor polarization vanishes

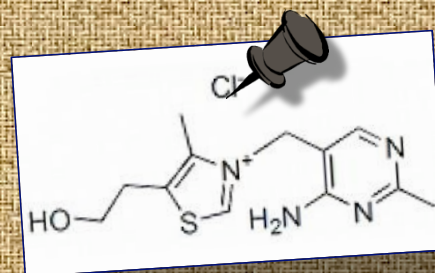
Hermes result

$$\int_{0.0002}^{0.85} b_1(x) dx = 0.0105 \pm 0.0034 \pm 0.0035$$

2.2  $\sigma$  difference from zero

how handled the unmeasured extrapolations?

## Possible measurement of b1 at JLab



Unpolarized Beam for  $b_1$ ,  
but better to use polarized beam to get simultaneous measurement of  $g_1$ ,  
and then isolate  $b_1$  by spin averaging.

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UVa/JLab DNP Target : Longitudinal magnetic field to provide quant axis. Spin Flip desirable

Material :  $\text{ND}_3$  ( Could use other spin-1 targs  $^6\text{Li}$  or maybe even  $^{14}\text{N}$  )

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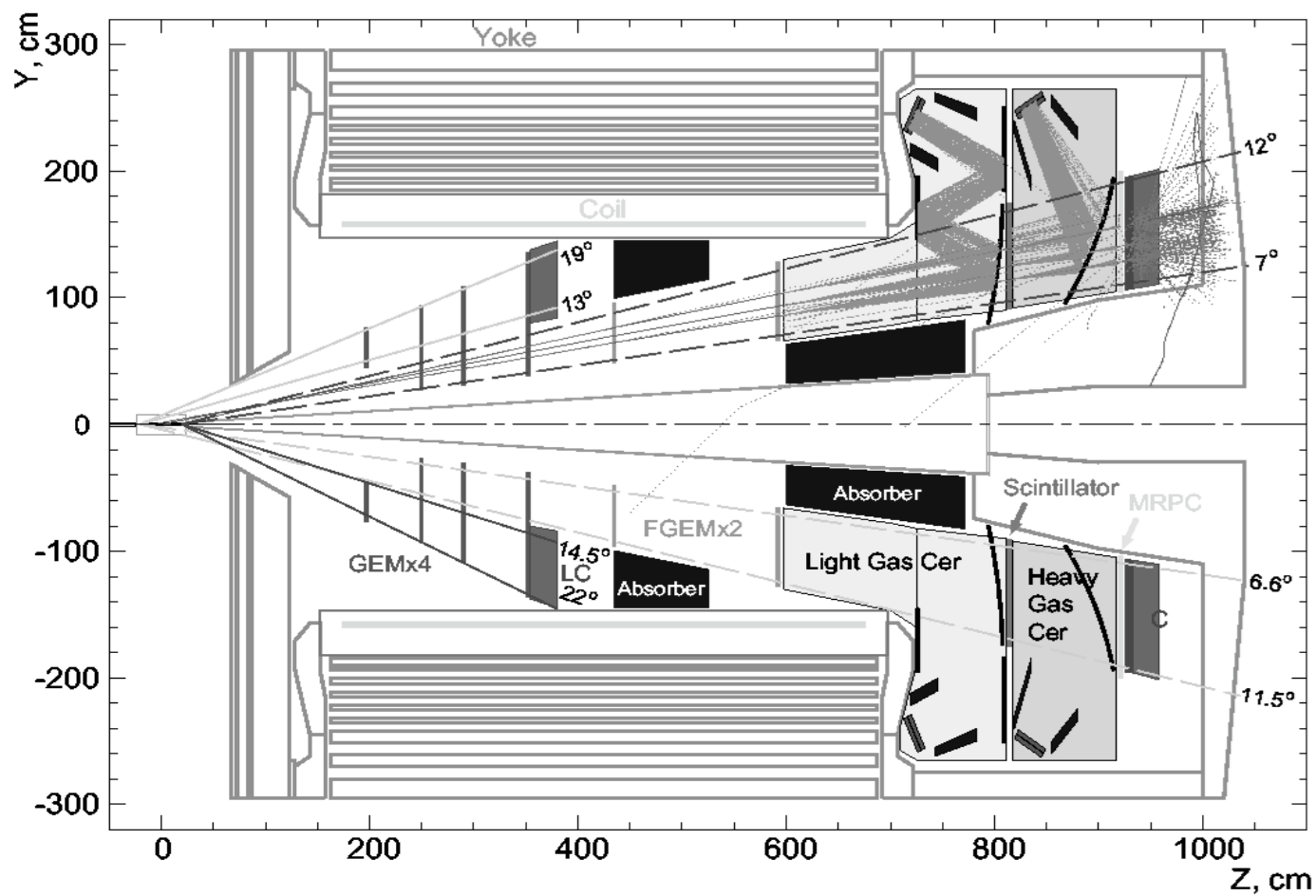
Material :  $\text{ND}_3$  ( Could use other spin-1 targets  $^6\text{Li}$  or maybe even  $^{14}\text{N}$  )

Vector polarization determined by standard NMR, then simple relation for tensor pol:

$$P_{zz} = 2 - \sqrt{4 - 3P_z^2}$$

Crabb et al. had some limited success in enhancing the tensor polarization in past

# SOLID



Forward angle,  $7 < \Theta < 20$  degree  
 $2\pi$  azimuthal coverage



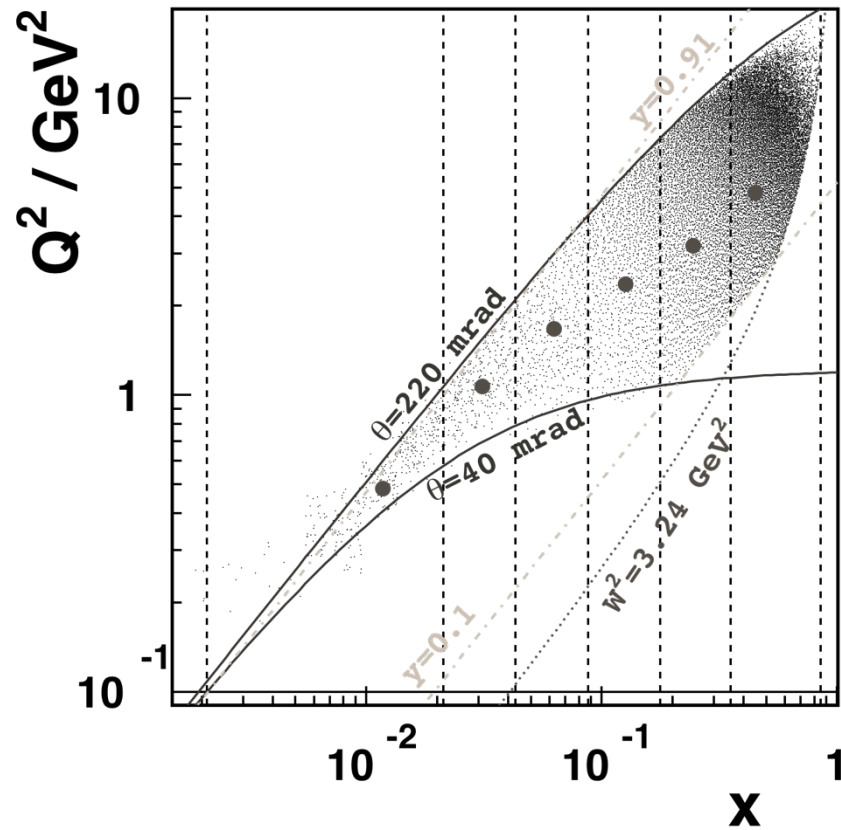
# Hermes/JLab Comparison

	<b>Hermes</b>	<b>JLab (projected)</b>
$P_{zz}$	0.8	0.2
Dilution	0.9	0.24 (or 0.36)
$\mathcal{L} \text{ (cm}^{-2} \text{ s}^{-1}\text{)}$	$10^{31}$	$10^{35}$
$\Delta\Theta$	1.13 sr	1.43 sr
$\Delta E$	-	-

Hermes advantage : Large  $P_{zz}$  with negligible  $P_z$ . Very small dilution

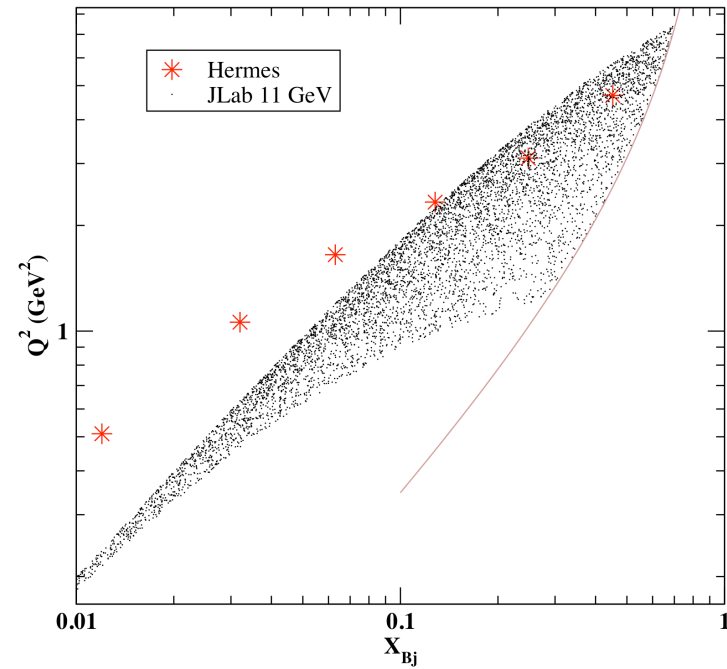
JLab advantage : Luminosity

# Kinematics

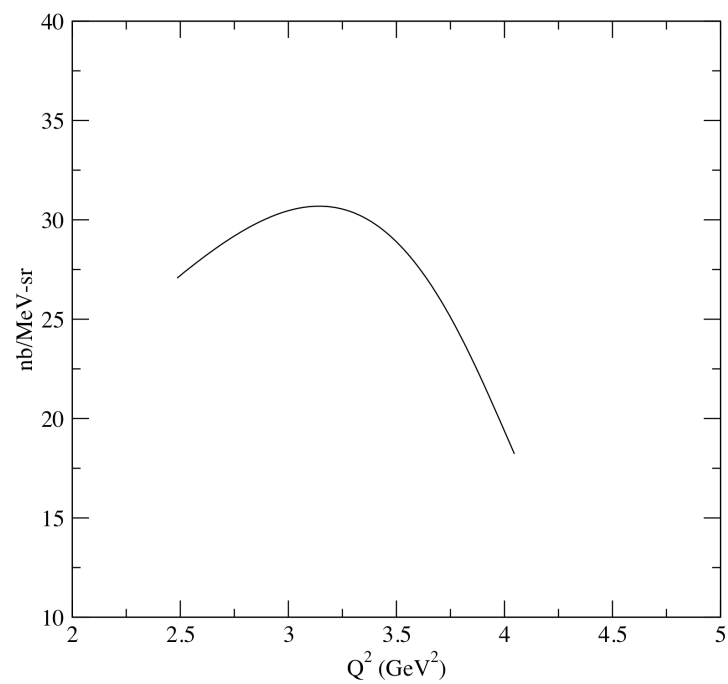
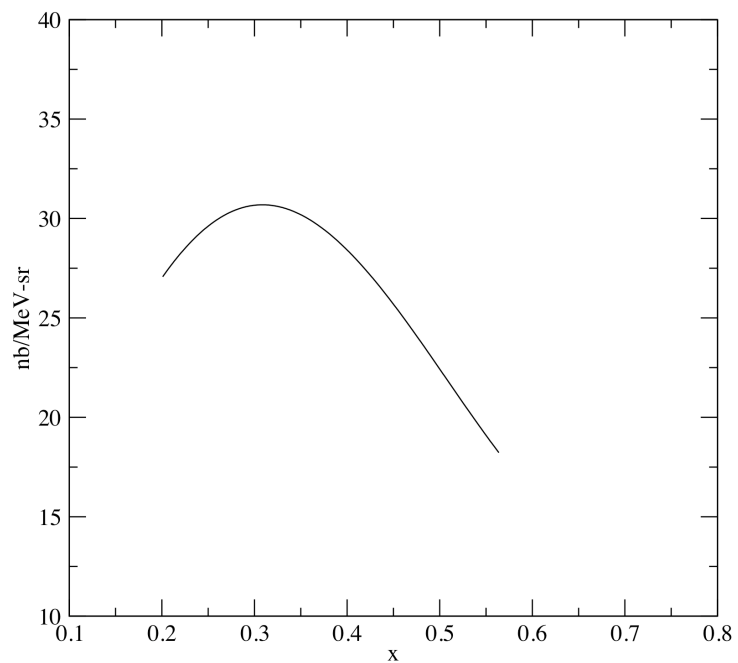


$$0.01 < x < 0.45$$

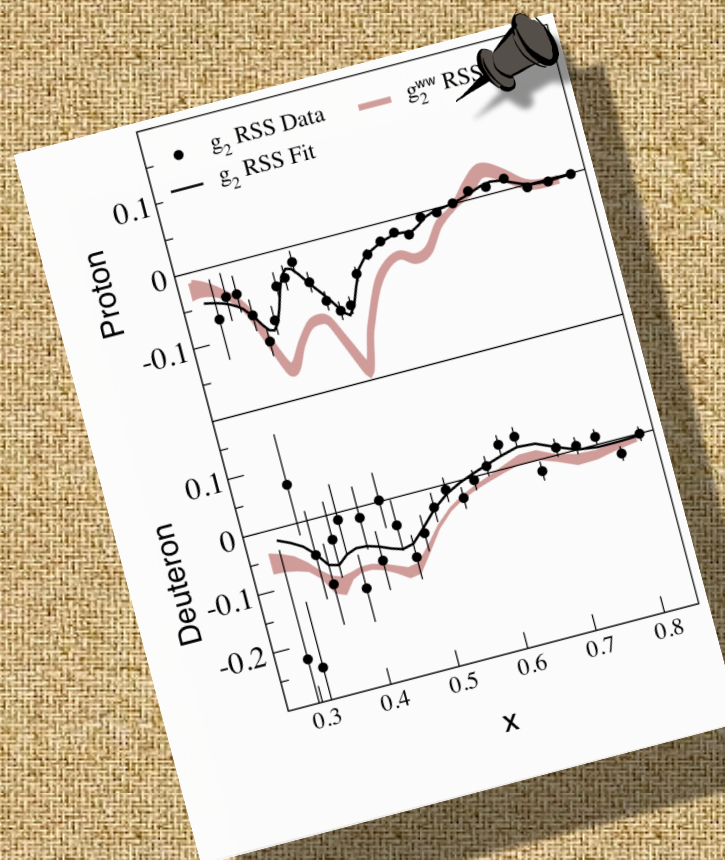
$$0.5 < Q^2 < 5 \text{ GeV}^2$$



# Working on rates...



## a comment on $g_2$



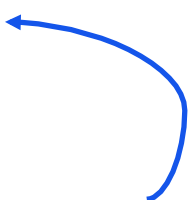
# $g_2$ is ideal for studying HT

Wandzura-Wilczek relation

PLB 72 (1977) 195

$$g_2^{WW}(x, Q^2) = -g_1(x, Q^2) + \int_x^1 \frac{g_1(y, Q^2)}{y} dy$$

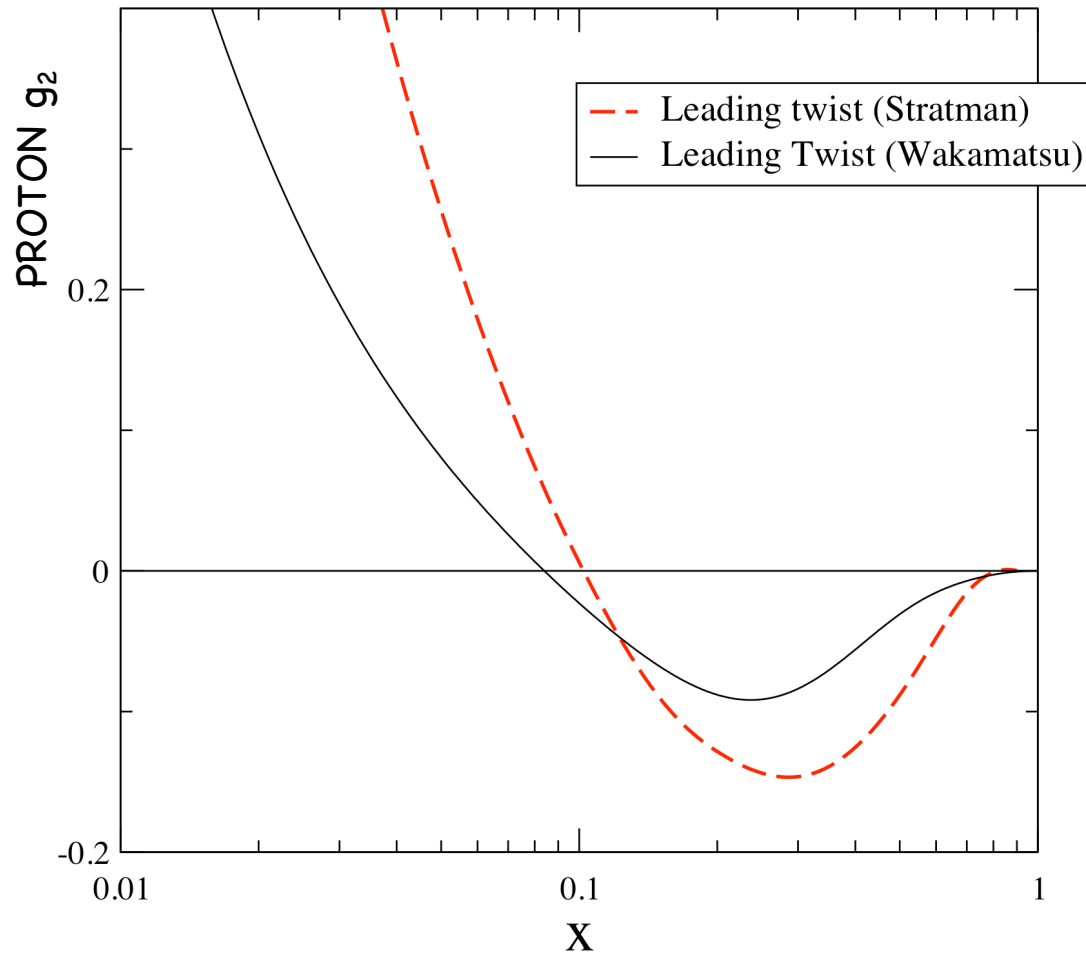
Leading twist determined entirely by  $g_1$

$$g_2 = g_2^{WW} + \bar{g}_2$$


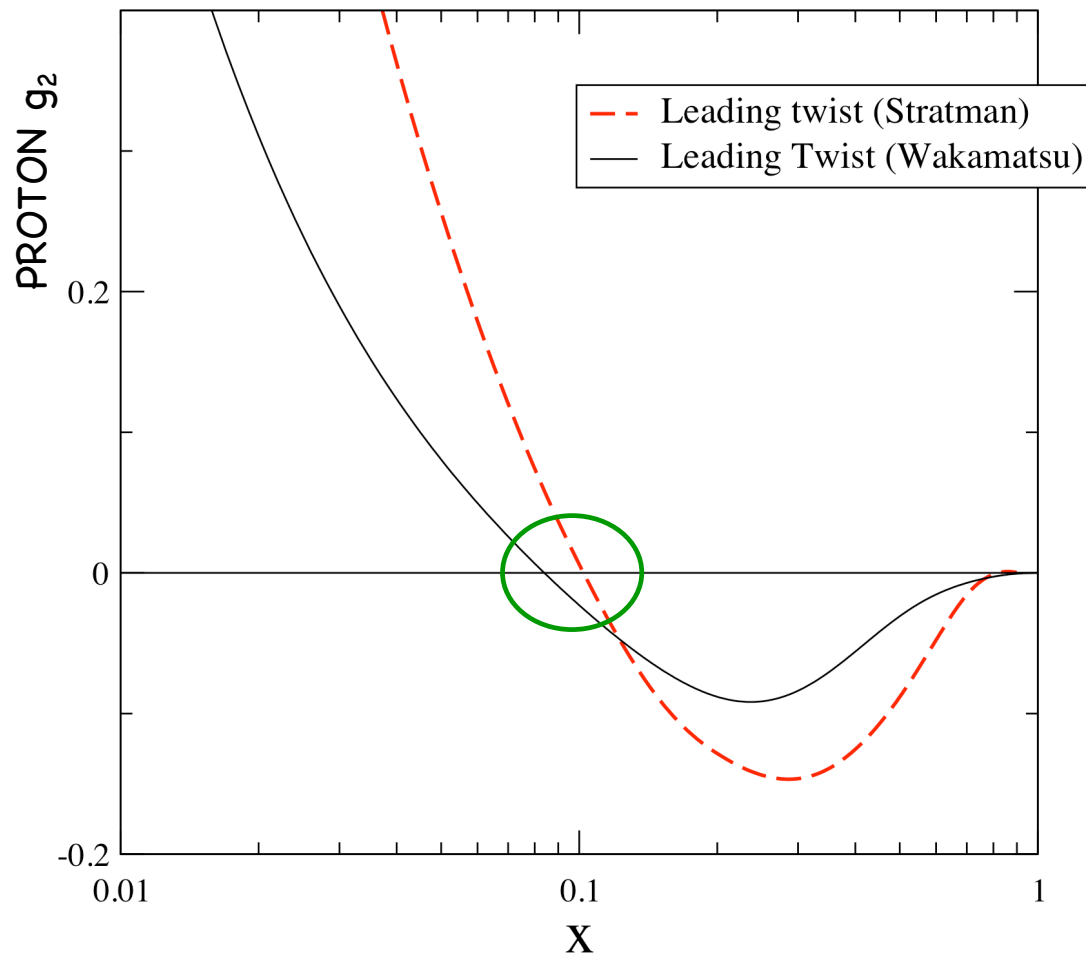
Higher twist

$g_2$  doesn't exist in Parton Model.  
Good quantity to study higher twist

# Higher Twist in $g_2$



# Higher Twist in $g_2$



Look for the zero crossing of  $g_{2ww}$  to measure clean Higher twist

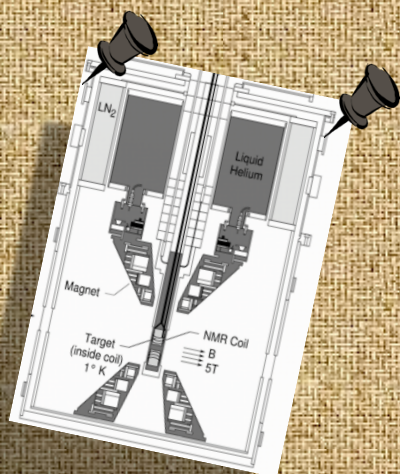
Hat tip to Oscar Rondon, UVa



# UNH<sub>3</sub> Lab

**Short term goal :** provide local (to NH) training ground for UNH graduate and undergrad students in preparation for the g2p and gep experiments

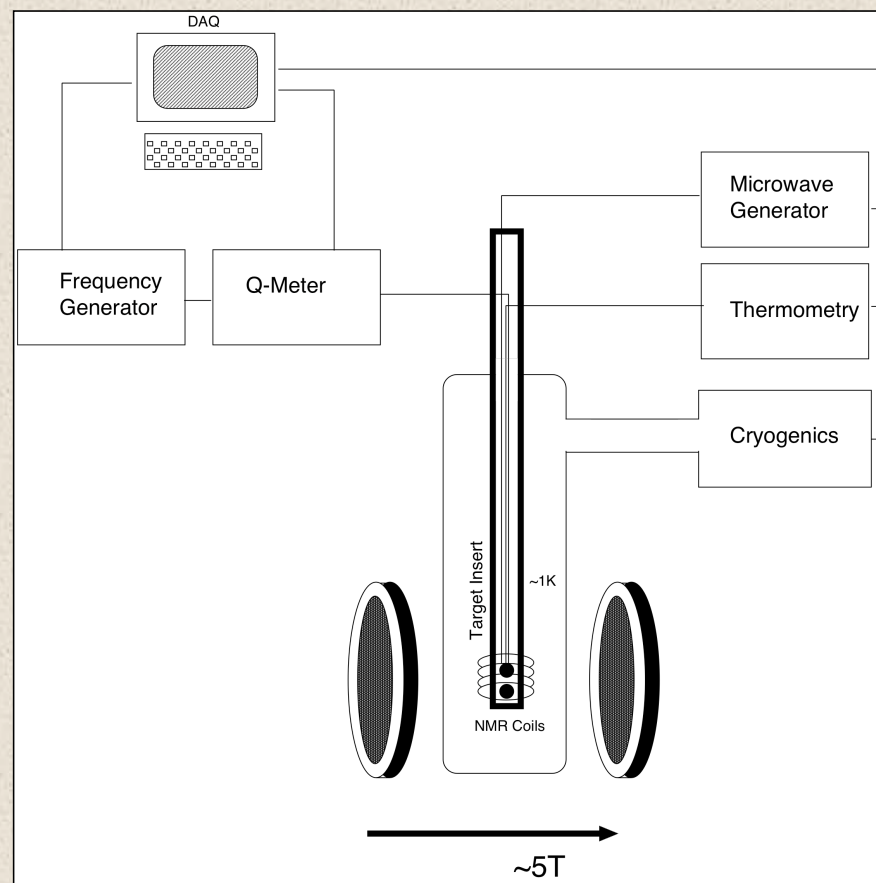
**Long term :** fully operational DNP system for future development





# Crude outline of Polarizing system

1. Cryostat and Refrige
2. Polarizing Magnet
3. Microwave Source
4. NMR Polarimetry



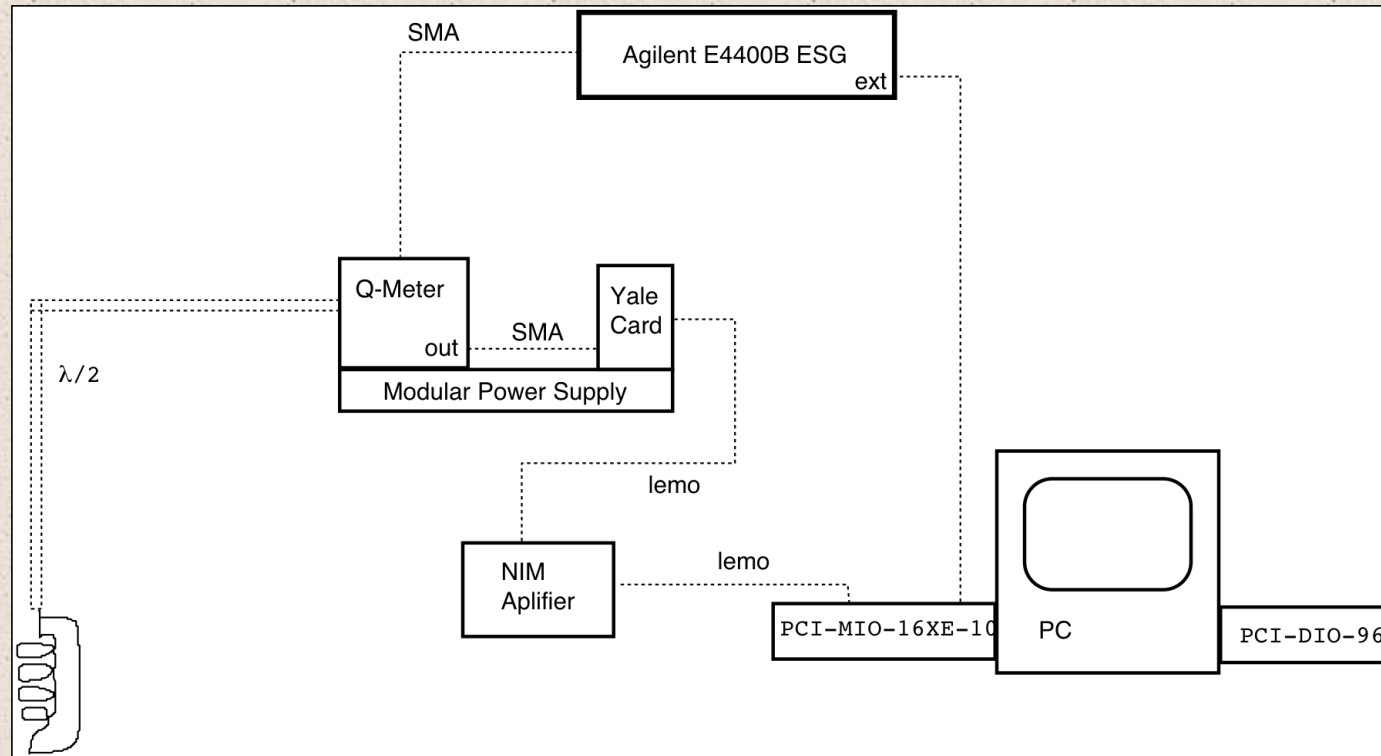
Gone thru 2 grant cycles with generally strong support from our reviewers of an attempt to establish a UNH target lab to help spread some of the expertise beyond UVa and JLab. But still we've recieved limited funding...

Have been focusing the request on the 6 GeV run, but really have to provide a better 12 GeV motivation.

For now, get the lab running with NMR system.

thanks to JLab and UVa loaners

# NMR System almost complete



## Have

Target PC  
NI MIO card  
Nim Amp  
Q-Meter  
Yale Card  
Agilent FG 250kHz - 1.0 GHz  
NI GPIB enet controller

## Need (major)

pickup coil (target stick)  
crystal oscillator

## Need (minor)

Few more GPIB cables,  
SMA connectors  
lambda/2 cable  
modular PS

# UNH<sub>3</sub> Lab





# UNH<sub>3</sub> Lab





# UNH<sub>3</sub> Lab



Undergrads: John Donahy, Greg Hadcock and Trevor Bielarski  
+ 3 new grad students in the fall