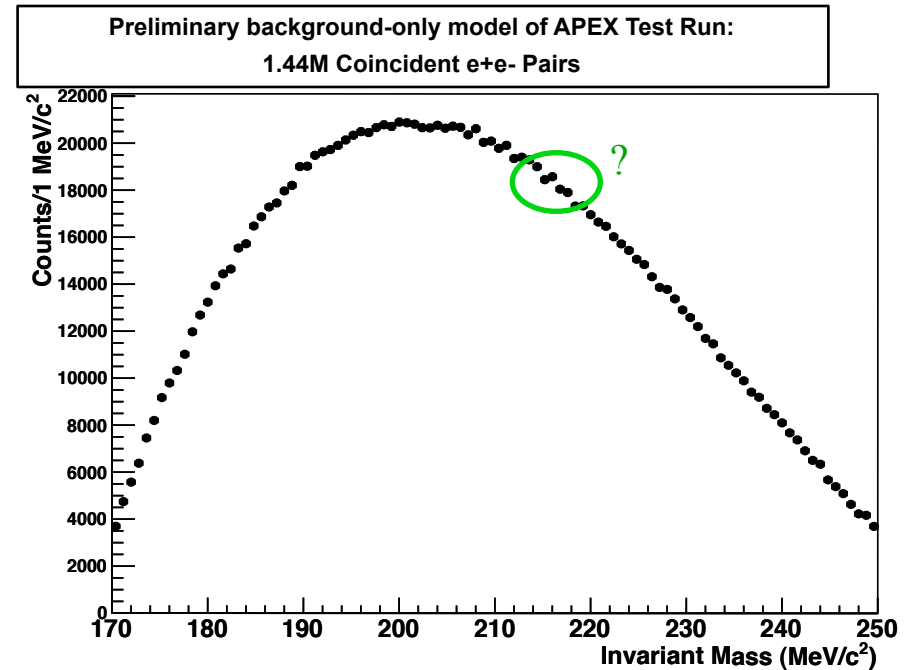
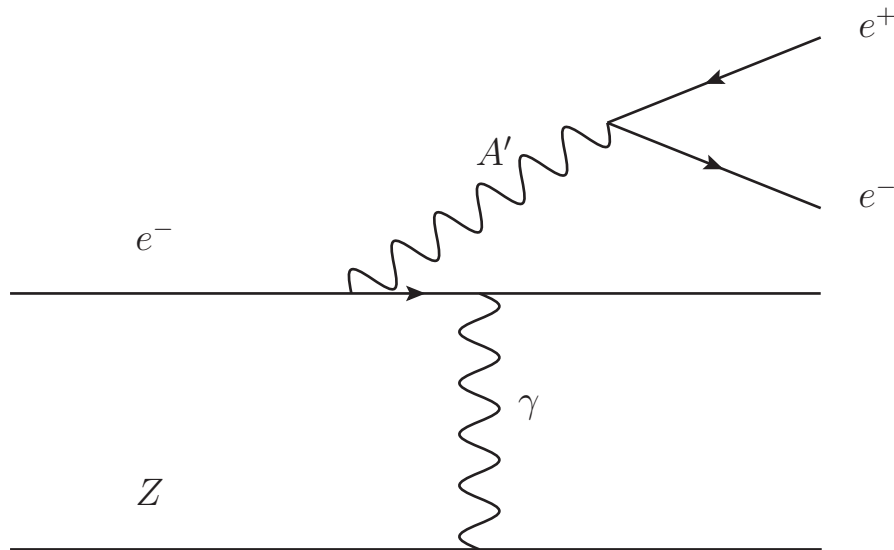


APEX Peak Search



Looking for a small, narrow resonance in a high-statistics, finely-binned invariant mass spectrum



James Beacham
New York University

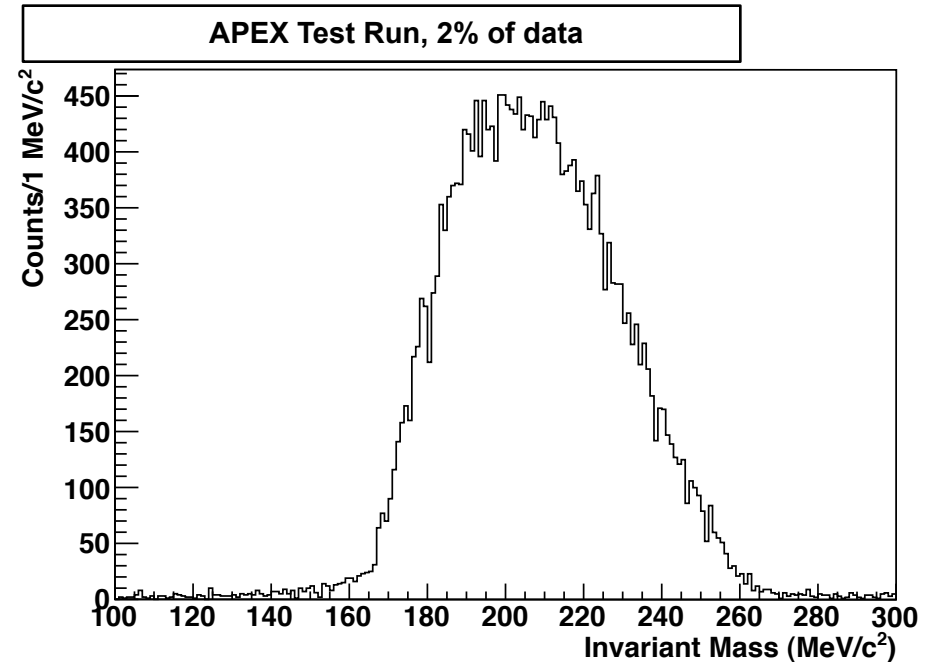
*on behalf of
the APEX Collaboration
and the Hall A Collaboration
at Jefferson Lab*



- 1) Goals of the project
- 2) Searching for a resonance
- 3) Setting limits
- 4) Preliminary model based on APEX test run
 - Projected results and expectations
- 5) Summary and Conclusions

Analysis of APEX raw data

→ invariant mass spectrum



▶ We want to

- I) Identify any statistically significant excesses in spectrum
 - Search for small resonances of widths \leq mass resolution
- II) Set limits on A' cross section, which scales as $\epsilon^2 = \alpha' / \alpha$
 - Determine range in cross section (or ϵ^2) of hypothetical narrow resonance consistent with observed spectrum

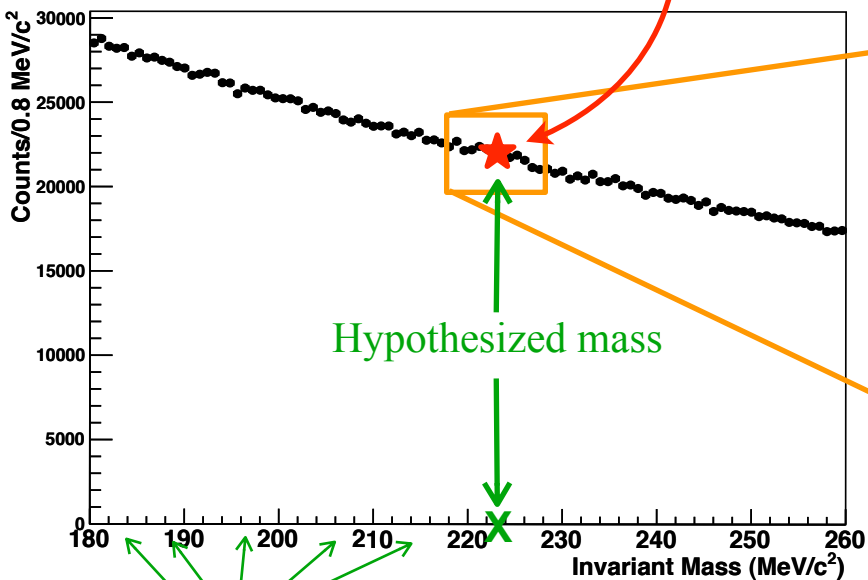
▶ Search will be blind

Note: Analysis of APEX test run data ongoing; here we discuss **projected** results from models based on test run

Searching for a Resonance: General Procedure

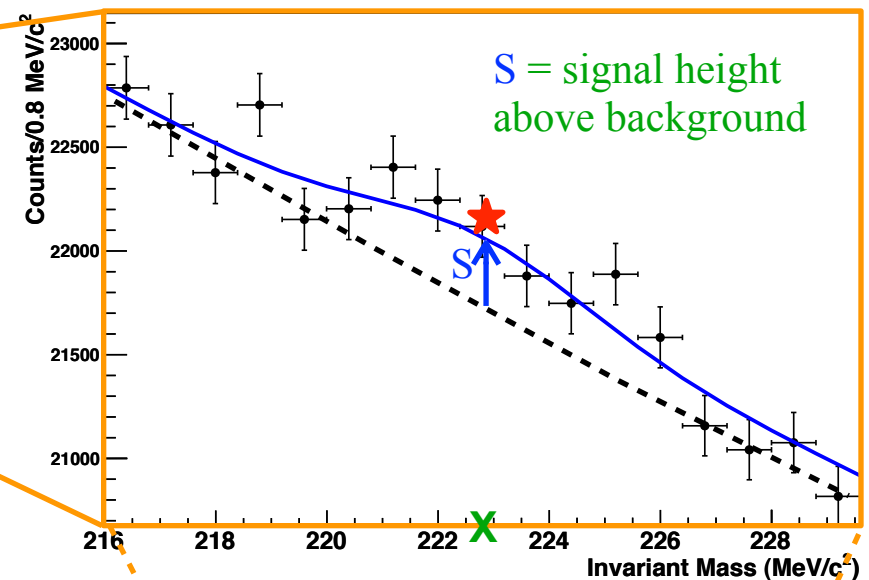
START True point: $m_{A'} = 222.8 \text{ MeV}/c^2$, $S = 2000$

Toy model: Coincident e^+e^- pairs



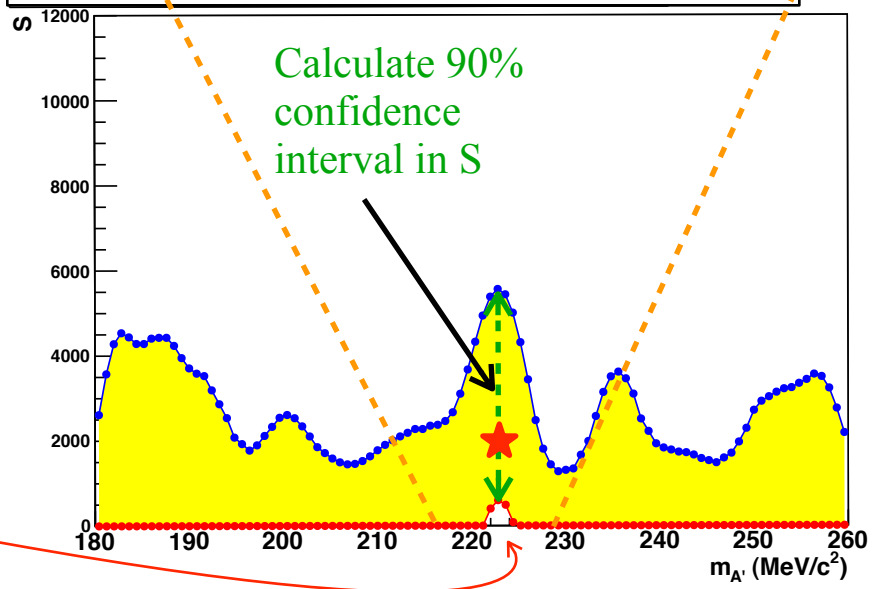
Scan along mass; look for excess consistent with mass resolution

Toy model: Coincident e^+e^- pairs



S = signal height above background

Toy model: confidence intervals and significant peak



Calculate 90% confidence interval in S

END

Significant excess at true point; $S = 0$ is not in confidence interval, i.e., excess is no longer consistent with background fluctuation



Searching for a resonance depends on numbers of events only

▸ Significant excesses of S above background B

• **NEED:**

- Knowledge of background shape
- Mass resolution

• **DON'T NEED:**

- Detector acceptances

“Look elsewhere” effect

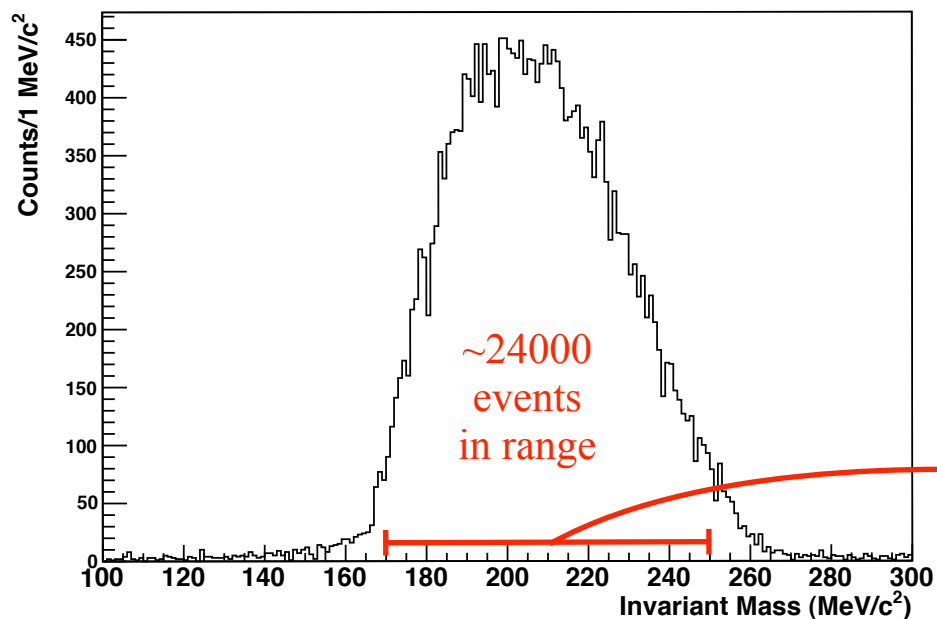
▸ Each $m_{A'}$ hypothesis equally likely

⇒ must penalize CL by trial factor

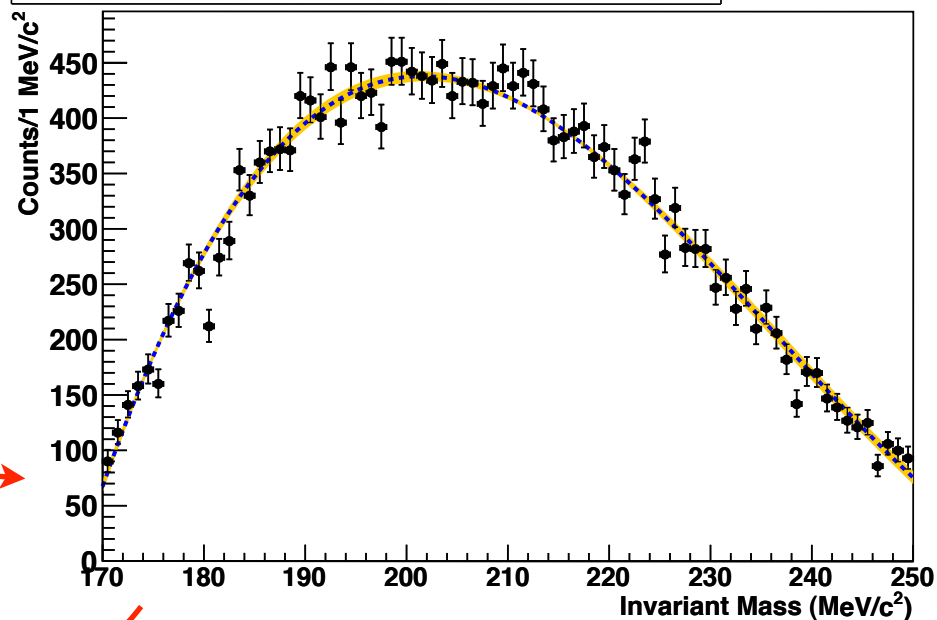
p-value \rightarrow p-value \times mass range/resonance width

Background shape

APEX Test Run - W target - 2% of data after first-pass optics analysis



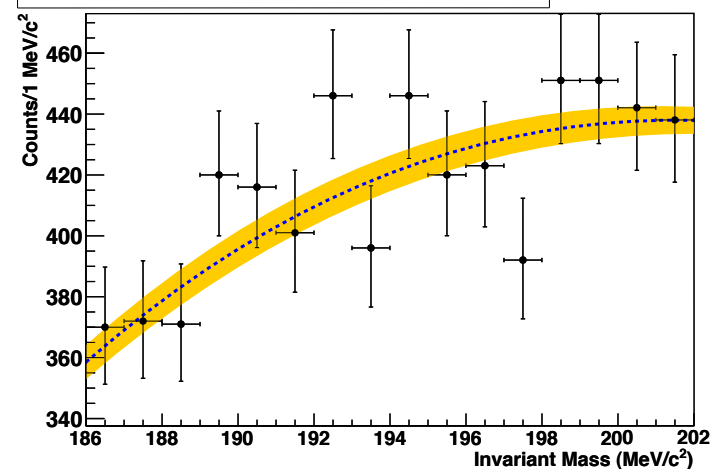
Fit w/ 1σ error band - $O(3)$ polynomial



Zoom in to see systematic uncertainty on shape...

Background model = $O(3)$ polynomial
 Systematic uncertainty on shape $\sim \pm 8$ evts/MeV/c²
 \Rightarrow Shape uncertainty on background $\sim 1\%$

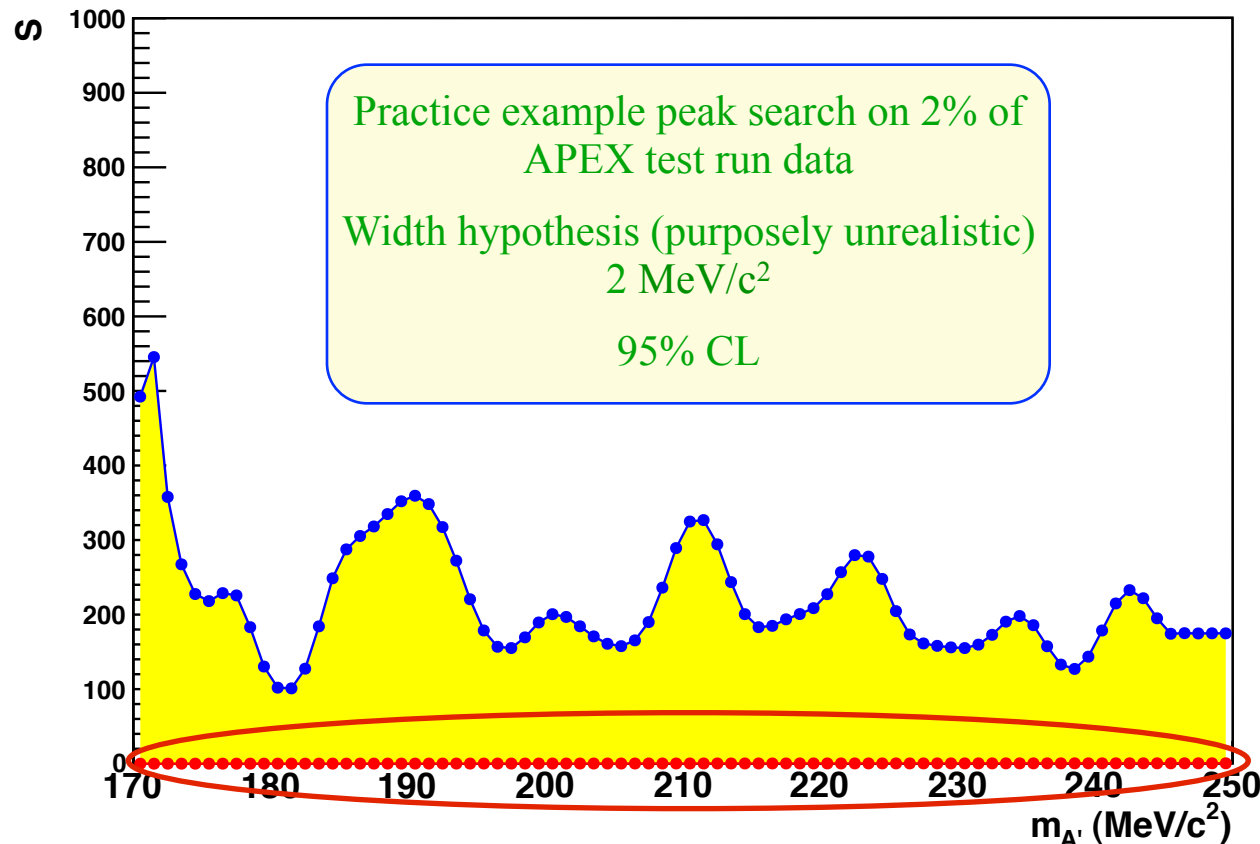
Fit w/ 1σ error band - $O(3)$ polynomial



Resonance search practice example

- ▶ 2% of APEX test run data
- ▶ No optics analysis
- ▶ Assumption of a mass resolution not realistic for this spectrum
- ▶ Couldn't possibly see a significant peak; just a practice example

Example scan of limited APEX test run data sample, 95% CL, $\sigma = 2 \text{ MeV}/c^2$

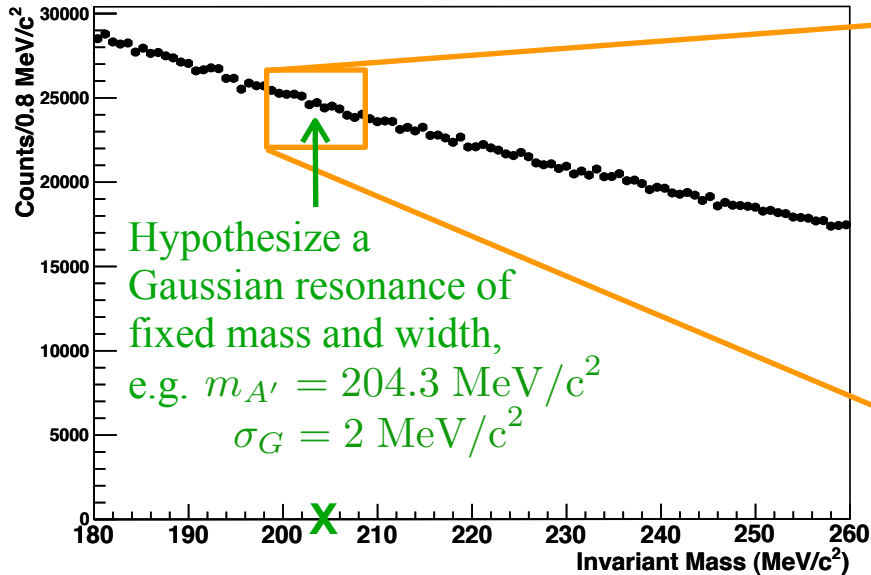


No excess; consistent with background fluctuation, as expected from practice spectrum

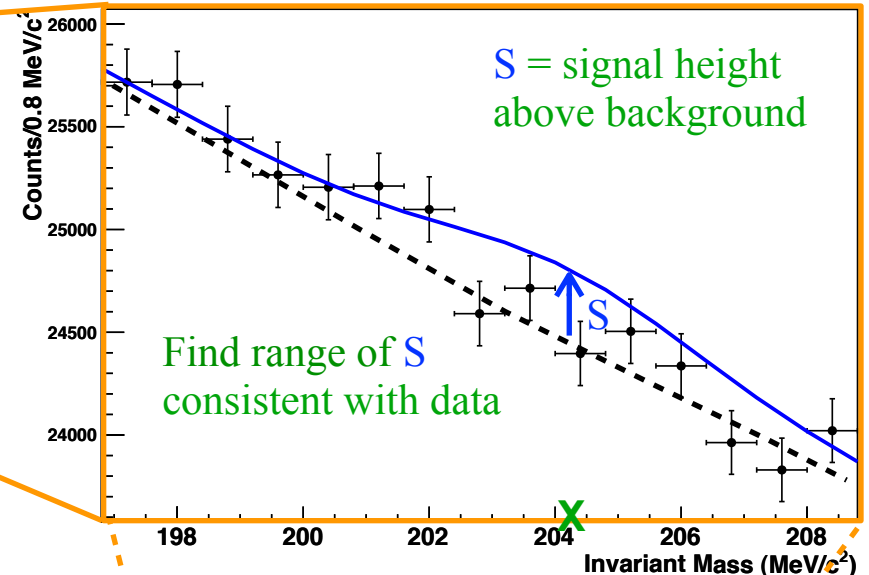
Setting Limits: General Procedure

START: $S = 0$

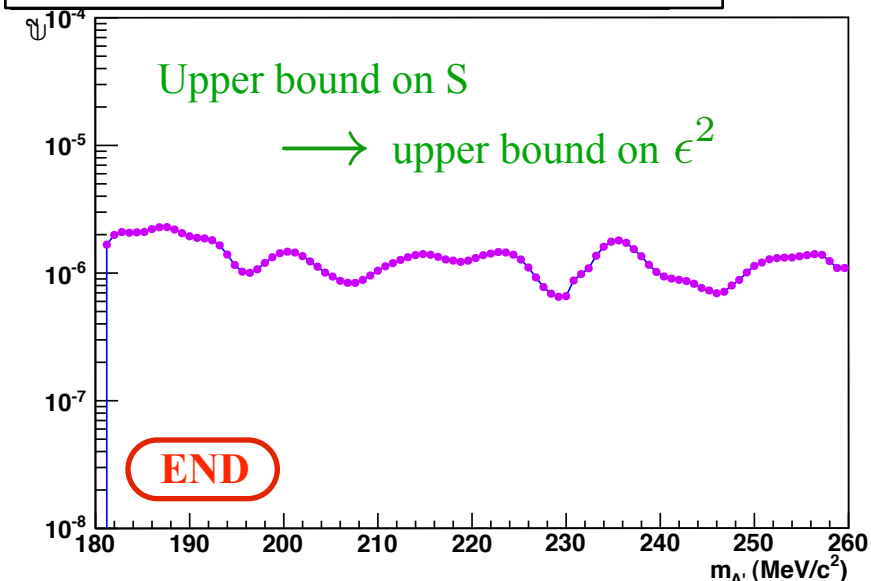
Toy model: Coincident e^+e^- pairs



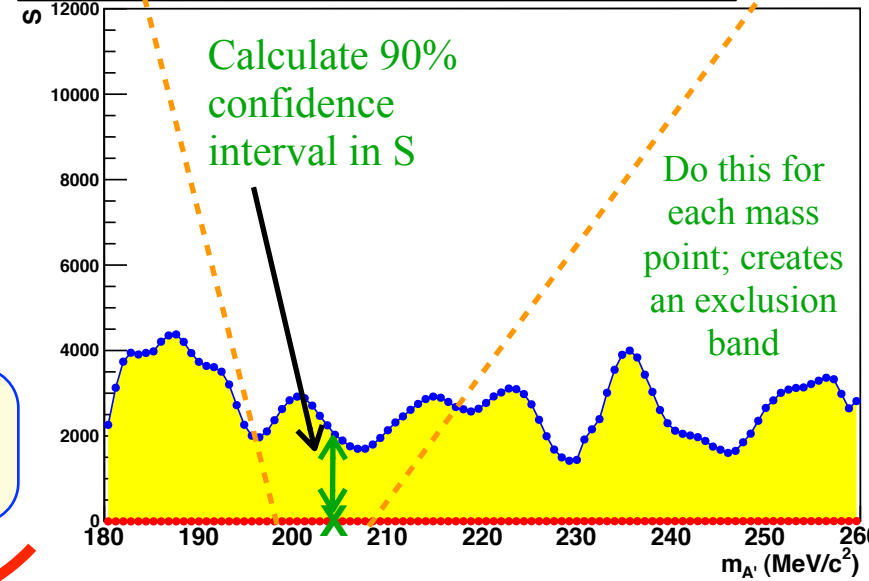
Toy model: Coincident e^+e^- pairs



Toy model: Upper bound on ϵ^2



Toy model: confidence intervals



One more step...

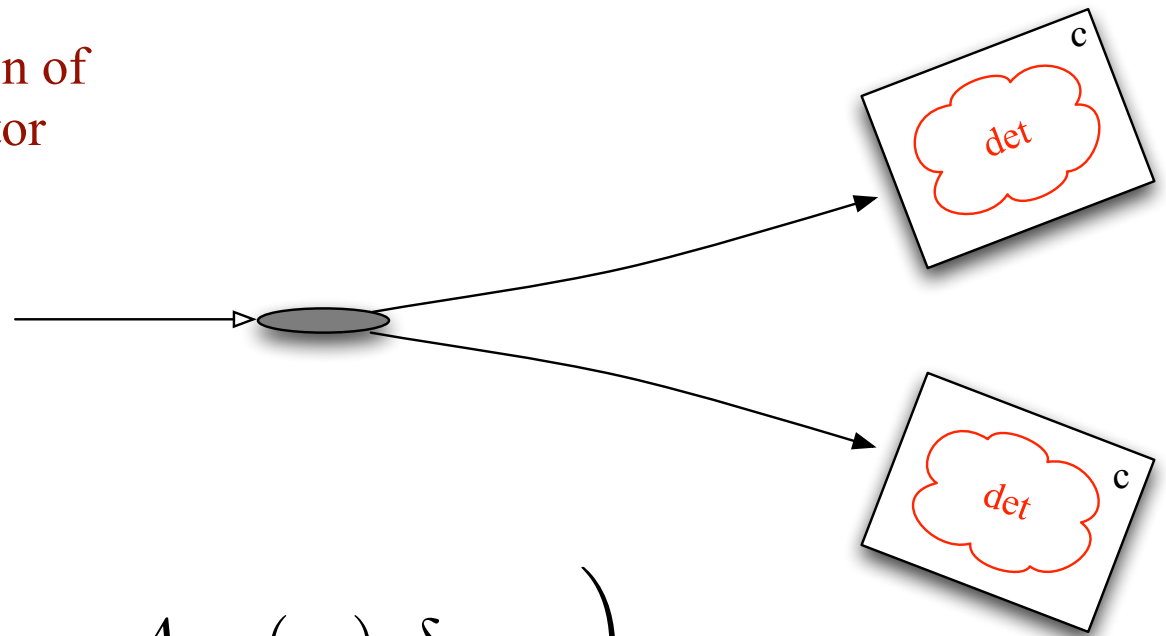
Setting limits is more involved than searching for a resonance

- ▶ Need to relate observed number of events to cross section; i.e., need to know detector acceptance and dependence on $\epsilon^2, m_{A'}$

$$\frac{S_{\delta m}^{det}}{B_{\delta m}^{det}} = \frac{\sigma_{A'}^{det}}{\sigma_{b,tot}^{det}} = \frac{\sigma_{A'}^c \text{Acc}_{A'}(m)}{\sigma_{\gamma^*}^c \text{Acc}_{\gamma^*}(m) + \sigma_{BH}^c \text{Acc}_{BH}(m) + \sigma_{other}^c \text{Acc}_{other}(m)}$$

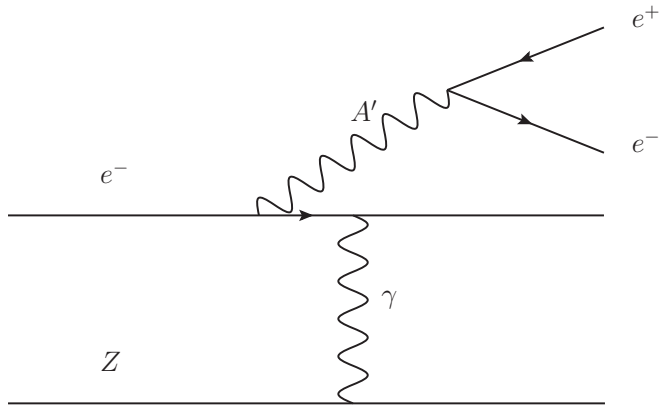
σ^c = cross section into idealized region of phase space, c , swept out by the detector volume

$$\Rightarrow \text{Acc}(m) = \frac{\sigma^{det}}{\sigma^c}$$



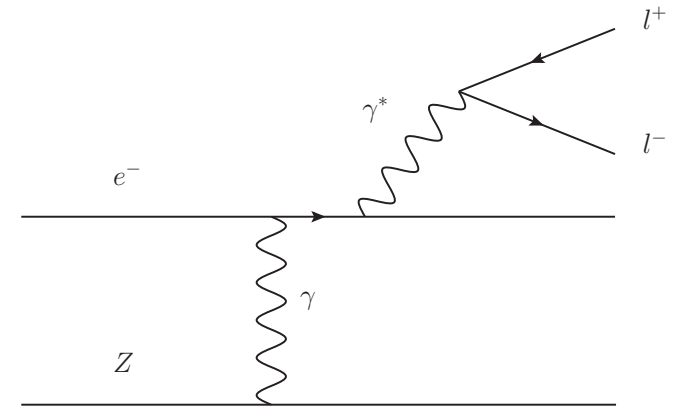
Ultimately: $\epsilon^2 \left(\frac{S_{\delta m}^{det}}{B_{\delta m}^{det}}, m_{A'}, \text{Acc}_i(m), \delta m, \dots \right)$

Signal

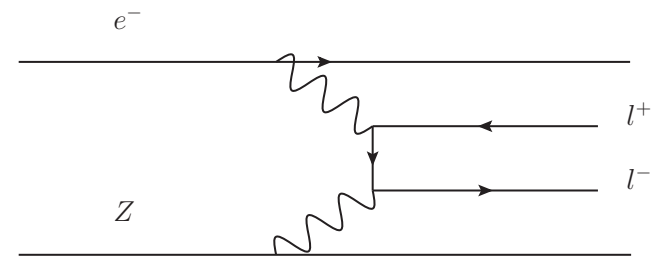


Kinematically identical within a window around $m_{A'}$

QED Trident Backgrounds



Radiative trident



Bethe-Heitler

Bethe-Heitler events are kinematically reducible, but represent a larger total cross section; contribution to irreducible background must be accounted for

The A' cross section is related to the **radiative trident cross section only** by

$$\frac{d\sigma(A')}{d\sigma(\gamma^*)} = \left(\frac{3\pi\epsilon^2}{2N_{\text{eff}}\alpha} \right) \frac{m_{A'}}{\delta m} = \frac{S_{\delta m}}{B_{\delta m}^{\gamma^*}} \quad (\text{See APEX proposal})$$

within a mass window of width δm



S/B independent of detector acceptance in some mass window

We can

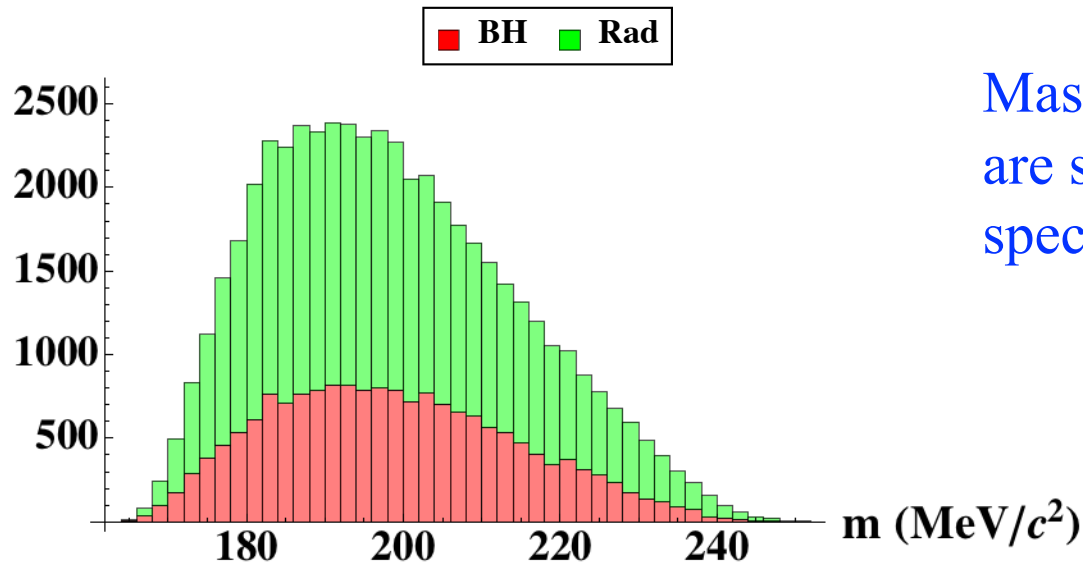
- 1) Exploit the kinematic similarities between A' and γ^* production
- 2) Assume the B-H acceptance is relatively flat in the region c , and that its inclusion (with interference effects) will change the background by a factor F

$$Acc_{BH}(m) = Acc_{\gamma^*}(m) = Acc_{A'}(m) \quad \rightarrow \quad \frac{S_{\delta m}^{det}}{B_{\delta m}^{det}} = \frac{S_{\delta m}}{F B_{\delta m}^{\gamma^*}} = \left(\frac{3\pi}{2N_{\text{eff}}\alpha} \right) \frac{m_{A'}}{\delta m} \frac{\epsilon^2}{F}$$

$$\epsilon^2(m_{A'}) = \frac{S_{\delta m}^{det}}{B_{\delta m}^{det}} \frac{F \delta m}{m_{A'}} \left(\frac{2N_{\text{eff}}\alpha}{3\pi} \right)$$



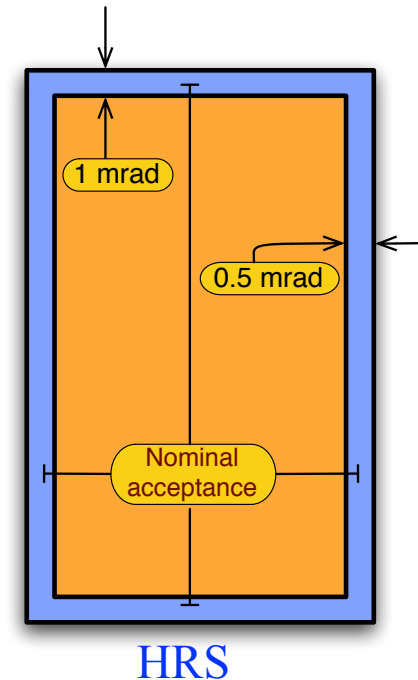
Check assumption on BH and radiative acceptances with Monte Carlo



Mass distribution shapes are similar within idealized spectrometer acceptance

Look at rates of BH and Rad into **inner region** of spectrometers vs. **outer boundary**

- ▶ Ratio of BH to Rad **roughly flat**
- ▶ Validates assumption of approximately equal $Acc(m)$ for preliminary model
- ▶ Crude estimates indicate that once interference effects are accounted for, $F \sim 5$





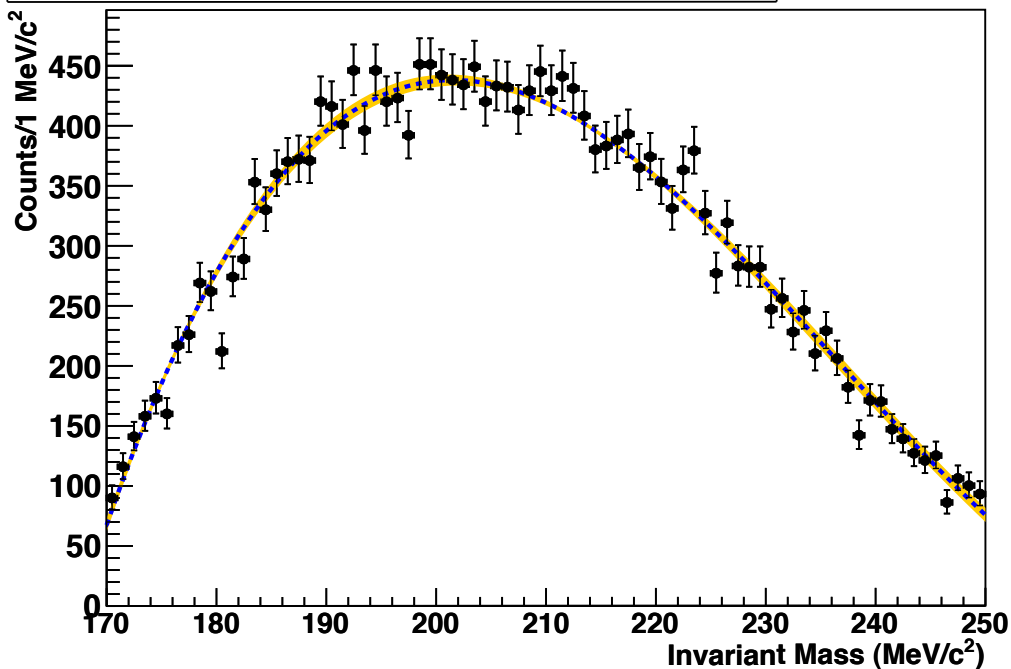
Acceptance strategy

- ▶ 1) Standard Hall A Monte Carlo suite, MCEEP, and HAMC (written for another Hall A experiment, PREX), for radiative trident, B-H and other backgrounds
 - Other backgrounds, e.g., Dalitz decays from π^0
 - Estimates indicate negligible, but full analysis must account for it
- ▶ 2) Cross-check or replace acceptance functions based on data-driven estimates from single-arm samples of e^- and e^+
 - Determine background process responsible
 - Simulate these processes into idealized detector phase space, c
 - Compare to what we observe in data
 - Arrive at a shape (with arbitrary scaling factor) for this background and this mass range, which gives us the acceptance function
- ▶ Both steps will be used for the full analysis of both test run data and that of the full 30-day APEX run



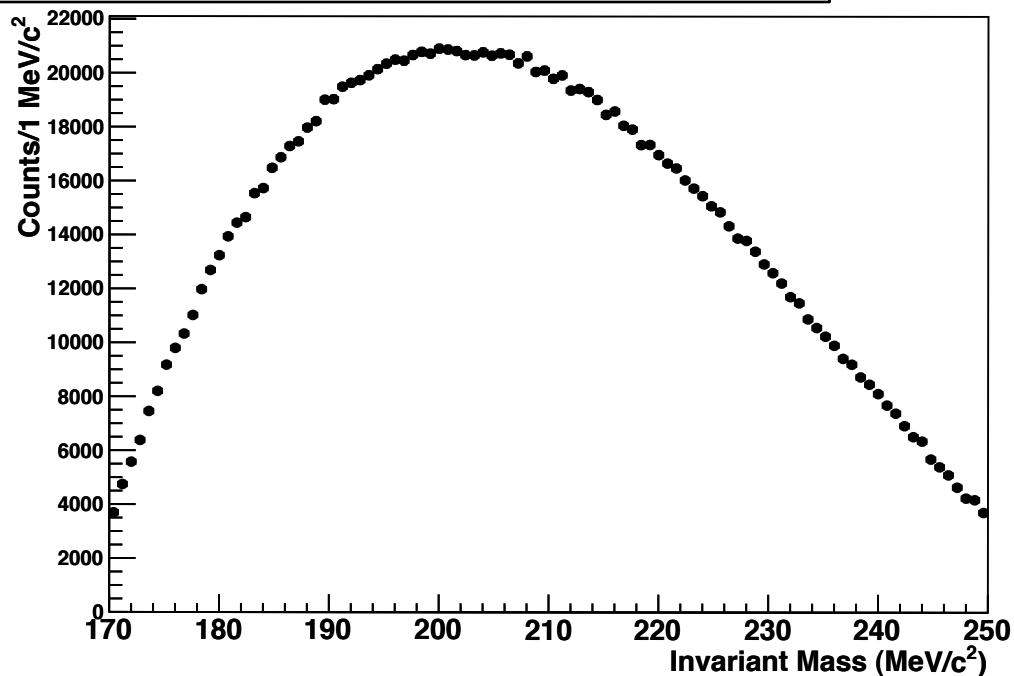
Background shape from limited sample of test run

Fit w/ 1σ error band - $O(3)$ polynomial



Preliminary background-only model of APEX Test Run:

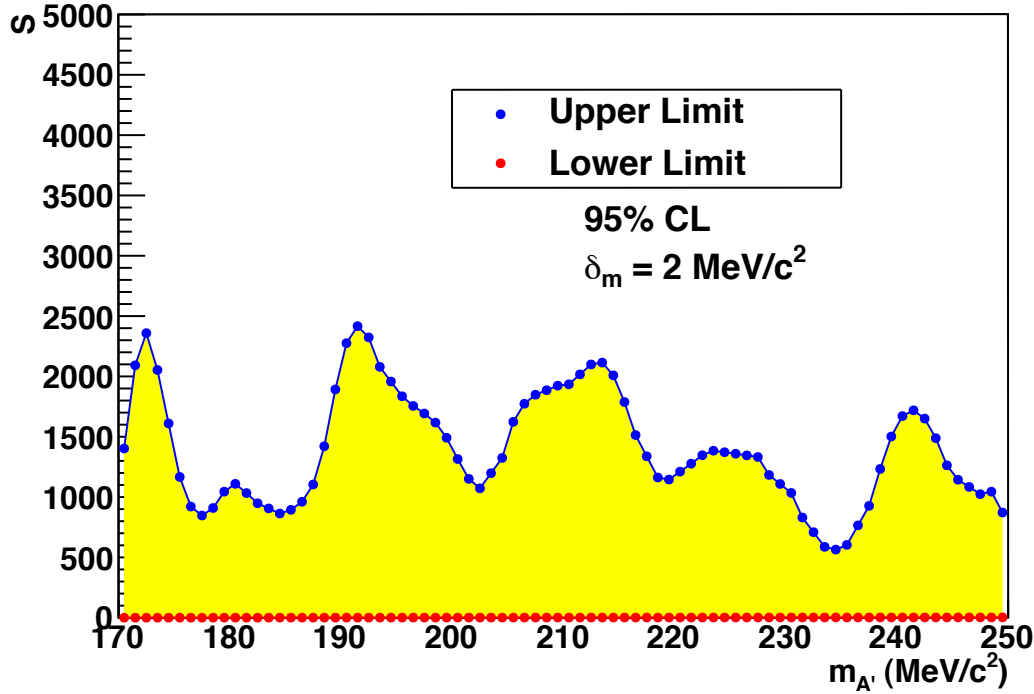
1.44M Coincident e^+e^- Pairs



1.44 million events

Use shape to generate pseudodata sets with total number of coincident events equal to that of full test run

Preliminary background-only model of APEX Test Run:
Projected Limits on S for Example Pseudodata Set



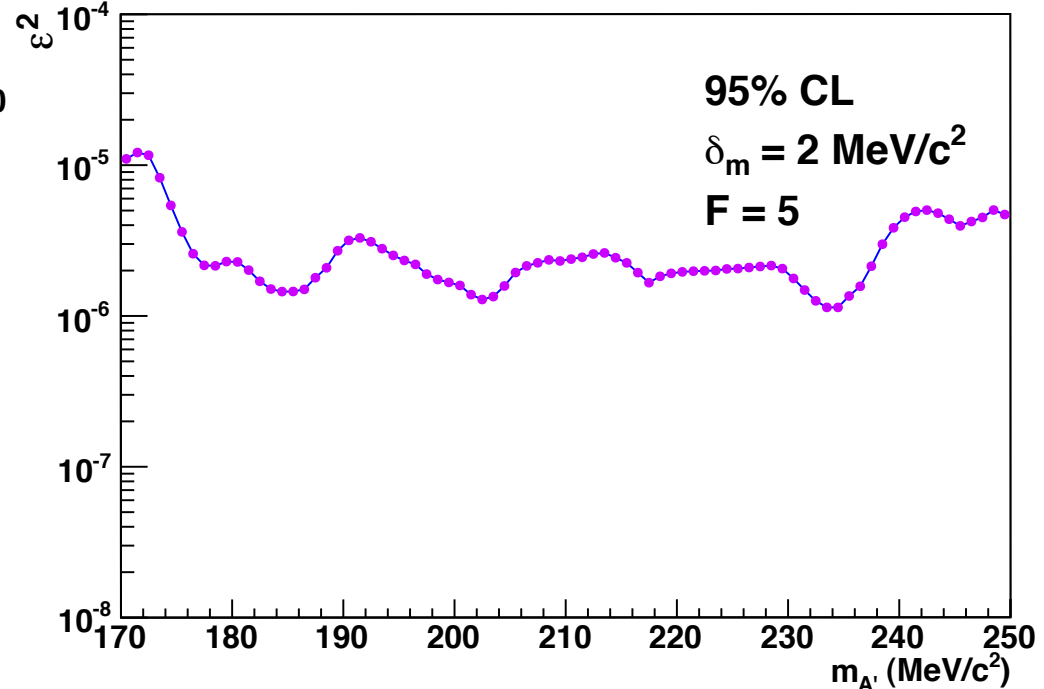
Need an ensemble of
pseudoexperiments to
get expected exclusion



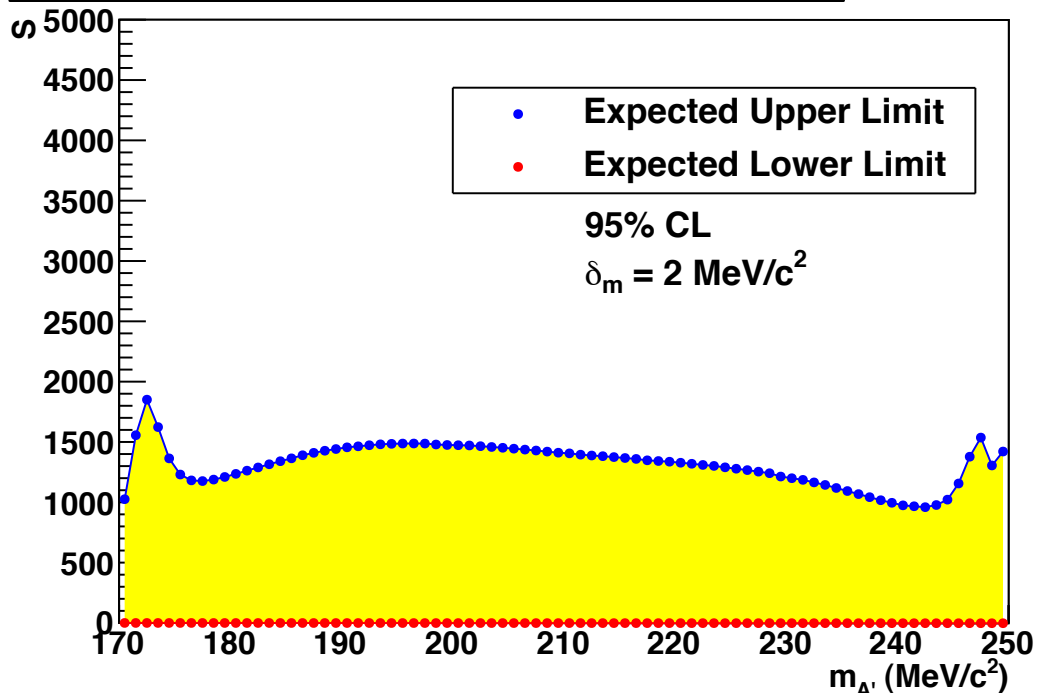
One example background-only
pseudodata set

► Statistical fluctuations evident

Preliminary background-only model of APEX Test Run:
Projected Upper Limit on ϵ^2 for Example Pseudodata Set



Preliminary background-only model of APEX Test Run:
Expected Limits on Signal Height S

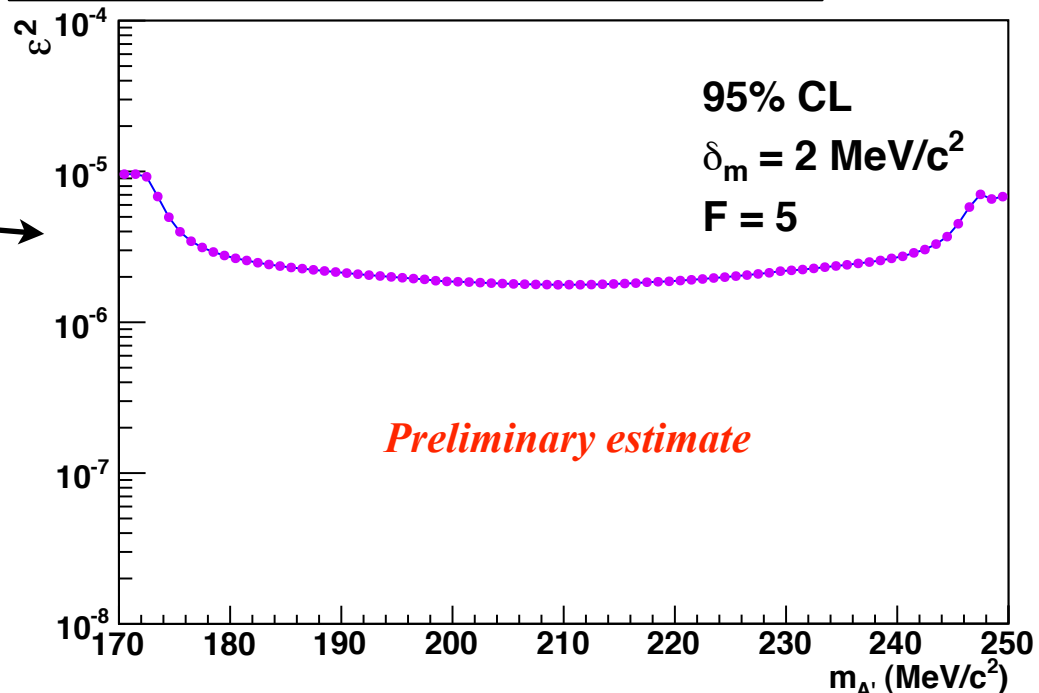


$$\epsilon^2(m_{A'}) = \frac{S_{\delta m}^{det} \underbrace{F}_{\substack{\text{blue circle} \\ \text{arrow to } F=5}} \delta m}{B_{\delta m}^{det} m_{A'}} \left(\frac{2N_{\text{eff}}\alpha}{3\pi} \right)$$

$F = 5$;
see preceding discussion

Expected limits on S and exclusion sensitivity in $\epsilon^2 = \alpha'/\alpha$ based on background-only preliminary models from limited sample of test run data, scaled up to full statistics of the test run, i.e., 1.44 M events

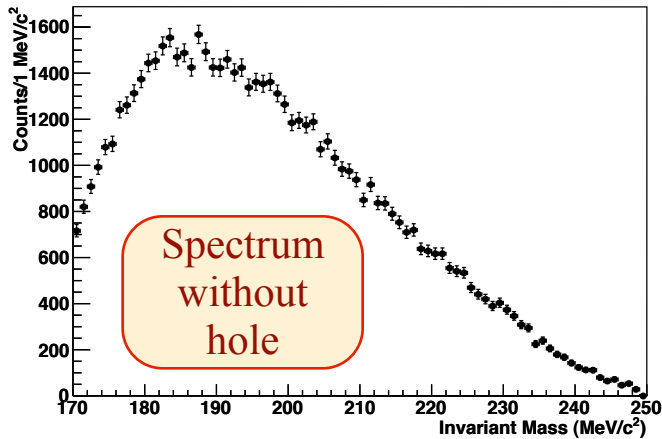
Preliminary background-only model of APEX Test Run:
Expected Upper Limit on ϵ^2



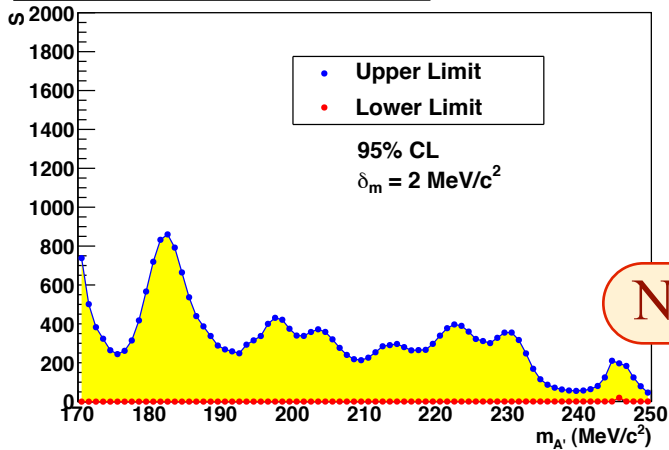
Check robustness of peak search tools

- ▶ MC for BH and Rad backgrounds: ~ 70000 events into nominal HRS acceptance
- ▶ Cut out a hole in momentum acceptance: 1130-1135 MeV/c, e^+ arm only

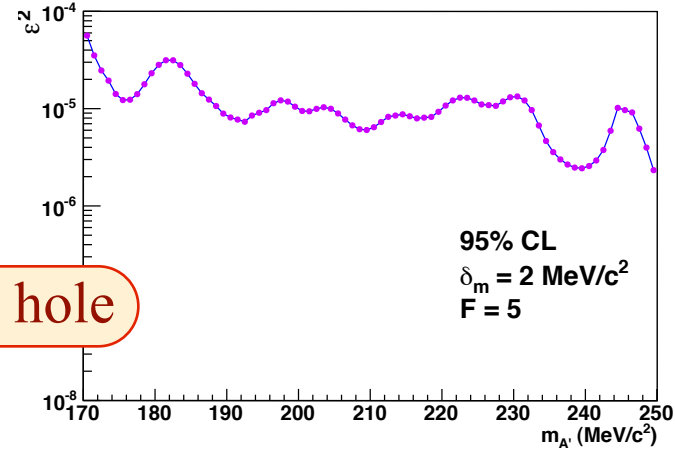
MC: BH and Rad bkgds, no hole in mom. acc.



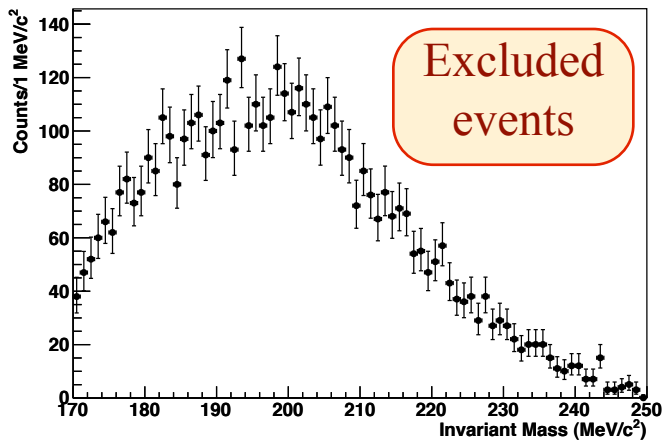
No hole in acc, 95% CL, $\delta_m = 2 \text{ MeV}/c^2$



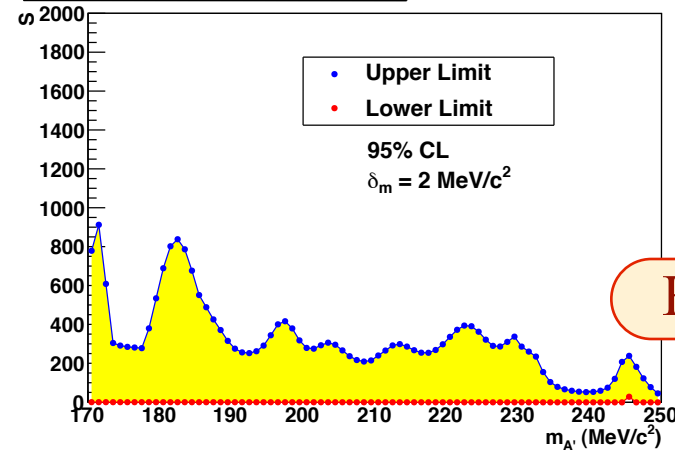
No hole in acc, 95% CL, $\delta_m = 2 \text{ MeV}/c^2$, $F = 5$



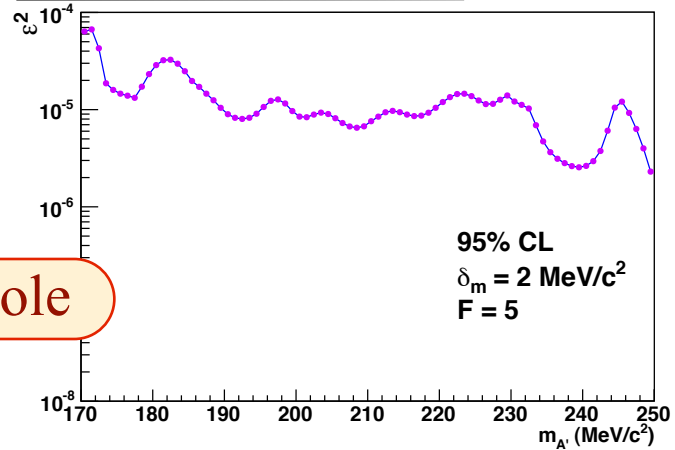
MC: BH and Rad bkgds, events in acceptance hole



Hole in acc, 95% CL, $\delta_m = 2 \text{ MeV}/c^2$



Hole in acc, 95% CL, $\delta_m = 2 \text{ MeV}/c^2$, $F = 5$



⇒ Holes in momentum acceptance don't cause peaks in mass spectrum

APEX test run demonstrates potential for A' discovery and strong exclusion on ϵ^2 in full run

- ▶ Preliminary projected sensitivity is 30-100 times higher than current limits

Move from preliminary to full model

- ▶ Full analysis needed for background shape, acceptances, and mass resolution
- ▶ Background factor F
- ▶ Understanding of backgrounds and acceptances is ongoing

Peak search machinery developed and robust

APEX at NYU: J.B., Kyle Cranmer