# The E158 and MOLLER Experiments 

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## Outline



- Review of SLAC E158
- extraction of result including radiative corrections
- inelastic e-p scattering data
- MOLLER at JLab
- theoretical issues
- Standard Model prediction with full detector effects
- two-loop uncertainties
- kinematics of e-p inelastic $A_{P V}$ measurements


## SLAC E158 Result



## SLAC E158 Result



| E/HWP state |  |  |
| :---: | :---: | :---: |
| 45/IN | 1 | -147 $\pm 27$ |
| 45/OUT | -1 | $-129 \pm 28$ |
| 48/IN |  | -119 $\pm 26$ |
| 48/OUT |  | $-137 \pm 26$ |
| Run I-III | -1 | -131 $\pm 14$ |
|  |  |  |
| Moller Asymmetry (ppb |  |  |



## SLAC E158 Result



## SLAC E158 Layout

$\sim 11$ ppb raw statistical error at highest $E_{\text {beam, }} \sim 0.4 \%$ error on weak mixing angle


- 4 quadrupoles
- focus Mollers and separate from ep's
- full range of the azimuth
- 3 dipole chicane
- entire beam bent and then rebent
- shields detector rings from target line of sight
- natural 10 GeV momentum cutoff


## - Precision collimation

- Tungsten edges
- movable "pin-hole" calibration collimators


## E158: Detector Concept

## Scale (cm)

BEAM AXIS


Luminosity

* 4 integrating detectors
* profile detectors for calibration



## E158: Apparatus Acceptance




- Detailed calibration scans of radial distributions
- Monte Carlo with full detector geometry and QED radiative corrections - Adjust collimators, spectrometer optics and physics to reproduce data
- Three physics processes
- Moller and elastic e-p scattering from first principles
- inelastic e-p scattering using SLAC code that incorporates world data

$$
A_{\mathrm{phys}}=\frac{1}{P_{b} \epsilon} \frac{A_{\mathrm{raw}}-\Sigma f_{i} A_{i}}{1-\Sigma f_{i}}
$$

## Extraction of Result

E158 procedure: documented in Zykunov et al, arXiv:hep-ph/0507287

$$
\begin{gathered}
A_{\mathrm{phys}}=\mathcal{A}^{0}\left(Q^{2}, y\right) \rho\left(Q^{2}\right)\left(1+\delta A\left(Q^{2}, y\right)\right)\left(1-4 \sin ^{2} \theta_{W}\left(Q^{2}\right)+\Delta\left(Q^{2}\right)\right) \\
\sin ^{2} \theta_{W}\left(Q^{2}\right)=\kappa\left(Q^{2}\right) \overline{M S} \sin ^{2} \theta\left(m_{Z}^{2}\right) \overline{M S}
\end{gathered}
$$

$\delta A$ contained QED corrections including hard bremßtrahlung and $\gamma Y$ and IR divergent pieces of the $\mathrm{Y} Z$ boxes that factorize, and depend on the details of the experimental configuration and acceptance cutoffs
$\Delta\left(Q^{2}\right)$ contains heavy boson boxes as well as leading logarithmic contribution to the $Y Z$ box

$$
\delta A\left(Q^{2}, y\right)=0.006 \pm 0.005 \quad \Delta\left(Q^{2}\right)=-0.0007 \pm 0.0009
$$

size of corrections small due to accidental cancellations
$\mathrm{K}\left(Q^{2}\right)$ contains vacuum polarization and heavy boson vertex corrections

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- Issues for JLab MOLLER
- Expect a 3-4\% correction for 11 GeV
- Robust prediction for $\mathbf{Q}^{p}$ w for 11 GeV (done? We assumed 4\% error)
- full two-loop calculation with careful scrutiny for double-counting
- error on $\Delta\left(Q^{2}\right)$ must be reduced by a factor of 4 to 5 (related to 2-loop)
- need to develop collaboration between experimentalists and theorists more scrutiny of error going from $\mathrm{k}(0) \rightarrow \mathrm{K}\left(\mathrm{Q}^{2}\right)$


## E158 ep Detector Data

Apv $($ ee) $=-152$ ppb for E158-specific kinematics (average 45 \& 48 GeV ) Apv(e-p elastic) ~ 500 ppb (at forward angle: $-1 \times 10^{-5} \times \mathrm{Q}^{2}$ )


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Data consistent with: Apv(inelastic) $=-8 \times 10^{-5} \times Q^{2}$ elastic ep $Q^{2}=0.05 \mathrm{GeV}^{2}$ inelastic ep $Q^{2}=0.07 \mathrm{GeV}^{2}$

Apv inelastic ~ 5 ppm
W range: Delta to 8 GeV correction to $A_{\text {phys }}$ was - 22 +/- 4 ppb: $\sim 20 \%$ error on correction

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## MOLLER@ JLab

## An ultra-precise measurement of the weak mixing angle using Møller scattering



## Spectrometer Concept



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# Radial Distributions both elastic and inelastic ep scattering are important 

Detector Plane Radial Diatributions<br>





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## Detector Systems



## Detector Systems

## Integrating Detectors:

- Moller and e-p Electrons:
- radial and azimuthal segmentation
- quartz with air lightguides \& PMTs
- pions and muons:
- quartz sandwich behind shielding
- luminosity monitors
- beam \& target density fluctuations


Moller and ep electrons ( $\mathrm{GHz} / \mathrm{cm}^{2}$ )



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- Auxiliary Detectors
- Tracking detectors
- 3 planes of GEMs/Straws
- Critical for systematics/ calibration/debugging
- Integrating Scanners
- quick checks on stability

Moller and ep electrons ( $\mathrm{GHz} / \mathrm{cm}^{2}$ )



## Latest Configuration



## Radial Distributions color code same as slide 11 for first 3 plots

Radial distribution - Full





## Phi Segmentation

## Initial and final state radiation effects in target





15

## Rate and $A_{p v}$ vs Phi



# $Q^{2}$-weighted $\mathbf{W}^{2}$ distributions <br> Ansatz: $\operatorname{Apv}(e p \rightarrow e X) / Q^{2}=B(W)$ 

Assume $B(W)$ is constant for $M_{\Delta}, M_{\Delta}<W<2$, and $W>2$ cross-check with measured asymmetries in rings 2, 3 and 4


## Projected Precision Example segmentation

## Needs optimization and input from theorists



## Summary

- Unpublished E158 data supports the notion that Apv in inelastic e-p scattering is roughly constant with $\mathbf{W}^{2}$, and roughly consistent with the QPM prediction
- MOLLER needs a dedicated effort of phenomenologists working with experimentalists to set up the framework to extract the weak charge measurement with full treatment of 2-loop effects
- MOLLER will make measurements of Apv in inelastic e-p scattering in several interesting regions of ( $\mathbf{Q}^{2}, W^{2}$ ) space with significant contribution from the diffractive region
- useful for reduction of error in $\square \mathrm{yz}$ prediction?
- MOLLER needs theory and phenomenology input to come up with an optimum strategy (combination of parasitic measurements, theory and phenomenology) to constrain the roughly 4\% correction from the irreducible background due to inelastic electron-proton scattering to 10\% of itself

