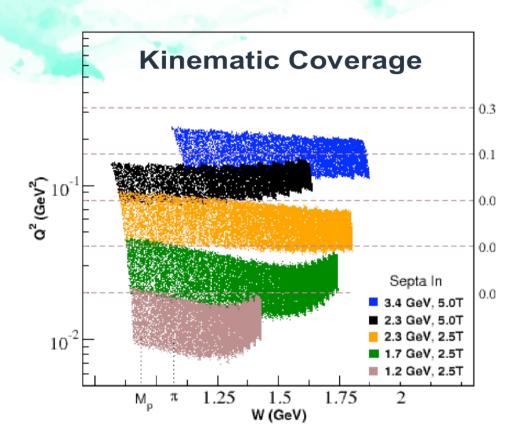


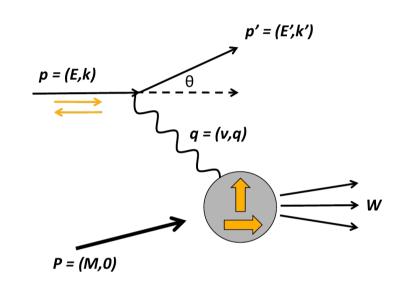


# The Status of g2p & GEp(II) Analysis

### Pengjia Zhu

University of Science and Technology of China
On behalf of the E08-027(q2p)/E08-007(GEp) collaboration





$$\frac{d^2\sigma}{dE'd\Omega}(\downarrow \Rightarrow -\uparrow \Rightarrow) = \frac{4\alpha^2 \sin\theta}{MQ^2} \frac{E'^2}{\nu^2 E} \left[\nu g_1(x, Q^2) + 2E g_2(x, Q^2)\right]$$

Measure g<sub>2</sub> in the low Q<sup>2</sup> region (0.02<Q<sup>2</sup><0.2GeV<sup>2</sup>)

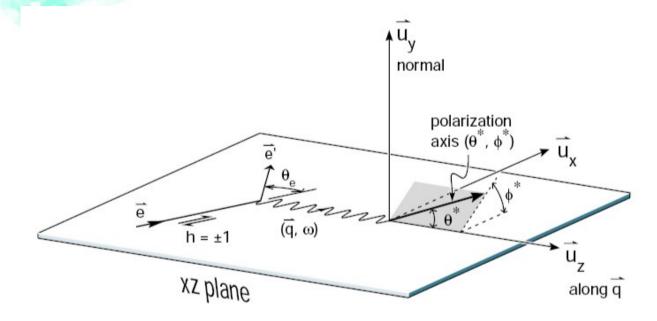
- Extract longitudinal-transverse spin polarizability( $\delta_{LT}$ ) benchmark test of  $\chi PT$ , discrepancy seen for neutron data
- Test Burkhardt-Cottingham (BC) Sum Rule violation suggested for proton in high Q2(SLAC E155x)
- Hydrogen hyperfine splitting correction for proton structure contributes to uncertainty
- Proton charge radius contributions to uncertainty include proton polarizability

## GEp motivation

(Part II)

Asymmetry

$$\mathcal{A} = \frac{\sigma_+ - \sigma_-}{\sigma_+ + \sigma_-}$$



$$\mathcal{A} = fP_bP_t \underbrace{\frac{a\cos\theta^*G_M^2 + b\sin\theta^*\cos\phi^*G_EG_M}{a\cos\theta^*G_M^2 + b\sin\theta^*\cos\phi^*G_EG_M}}_{A=fP_bP_t}$$

$$\longrightarrow \frac{G_E}{G_M}$$

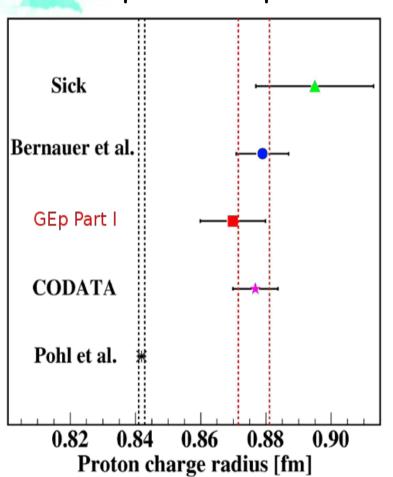
Elastic Form Factor Ratio

~2%-3% uncertainty at  $Q^2$ ~ 0.015 - 0.06 GeV<sup>2</sup>

## GEp motivation

 $G_{E,M}(Q^2) = \int \rho(\vec{r}) e^{i\vec{q}\vec{r}} d^3\vec{r} = \int \rho(\vec{r}) d^3\vec{r} - \frac{\vec{q}^2}{6} \int \rho(\vec{r}) \vec{r}^2 d^3\vec{r} + \dots$ 

### The proton radius puzzle



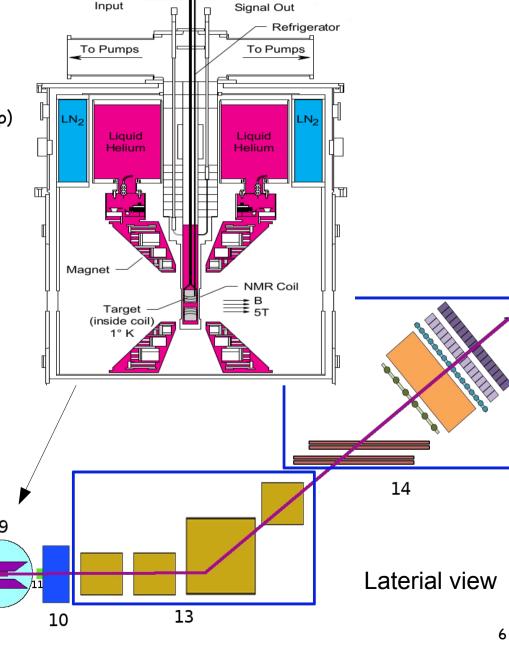
#	Extraction	Method	<re>2 [fm]</re>
1	Sick	ep scattering	0.895±0.018
2	CODATA		0.8768±0.0069
3	Mainz	ep scattering	0.879±0.008
4	GEp part I	ep scattering	0.870±0.010
5	Combined 2-4		0.8764±0.0047
6	Muonic Hydrogen	µH Lamb shift	0.842±0.001

Result from Lamb shift in muonic hydrogen disagree with other results

X. Zhan, et al. Phys. Lett. B 705(2011) 59

## Experimental setup

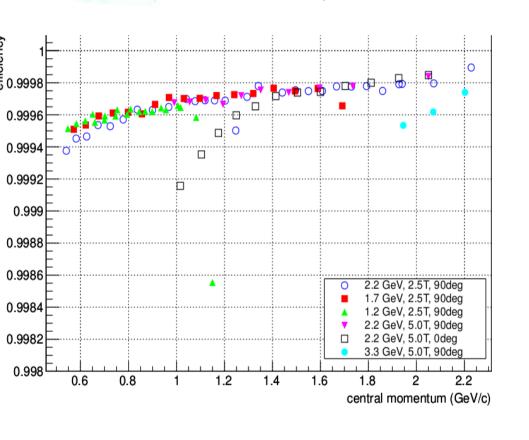
- Polarized NH3 target
  - Slow raster (id 3)
  - Low current (50~100nA for g2p, 5~10nA for GEp)
    - Super-harps (id 6)
    - Tungsten calorimeter (id 4)
    - New BPM/BCM receiver(readout)
      - Hall A Standard BCM/BPM (id 1/id 8)
  - High transverse target field(2.5~5T)
    - Chicane dipole magnet (id 7)
    - Local beam dump (id 11)
- · 6deg scattering angle detection
  - Septum

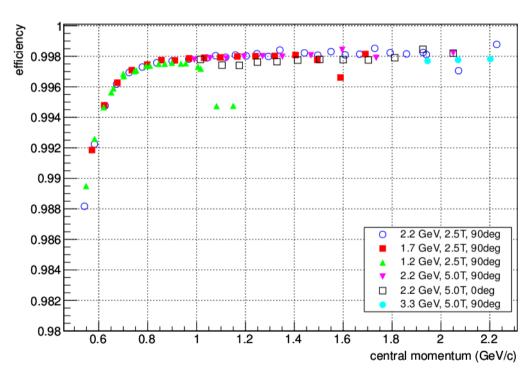


## Detector efficiency

Cherencov efficiency ~99.96%

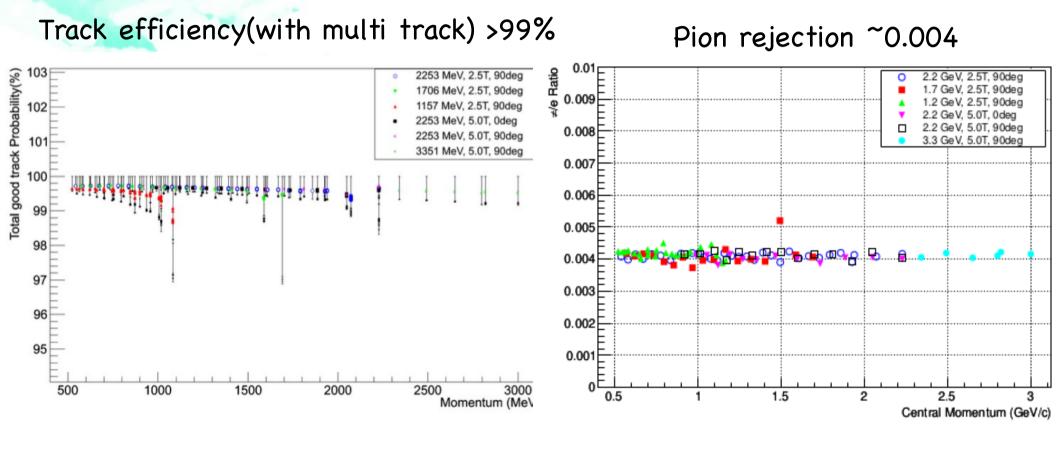
Lead glass efficiency ~99.6%





All of our detector efficiency is in very good situation

## Detector efficiency



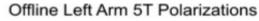
All of our detector efficiency is in very good situation

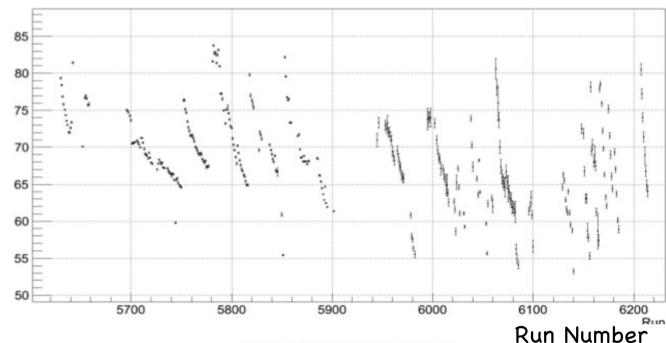
# Target polarization

### Average polarization:

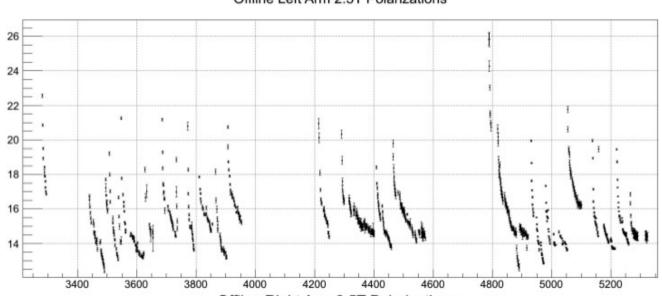
5T: ~70%

2.5T: ~15%

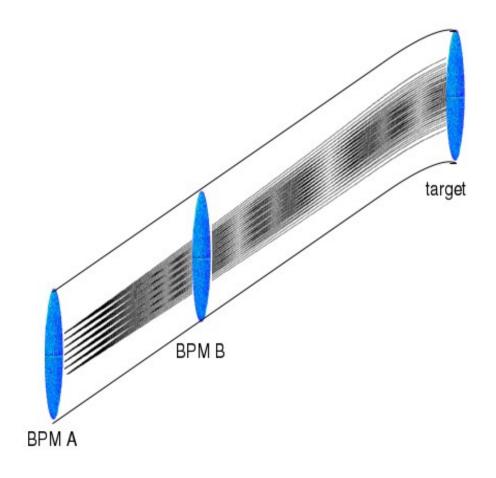




Offline Left Arm 2.5T Polarizations

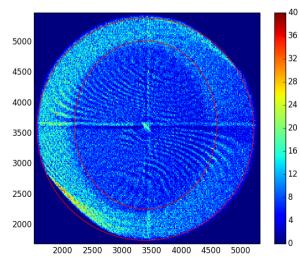


- Beam position and angle at the target
  - Fitted function from simulation to transport position from BPMs to target



- Event by event position and angle
  - Use BPM information as average beam position
  - Calibrate Raster magnet current information as position deviation from center position
  - Combine BPM, slow/fast raster magnet current informations

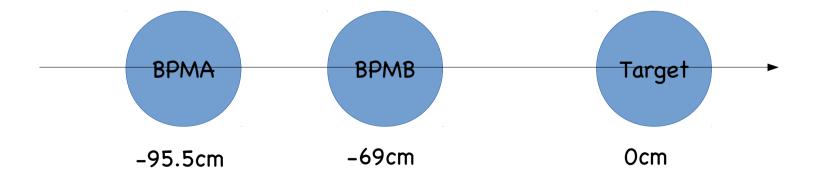
$$X = \langle X_{BPM} \rangle + X_{fast} + X_{slow}$$



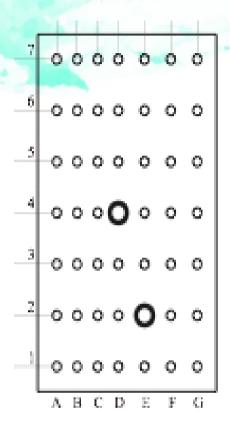
Use carbon hole to calibrate slow raster

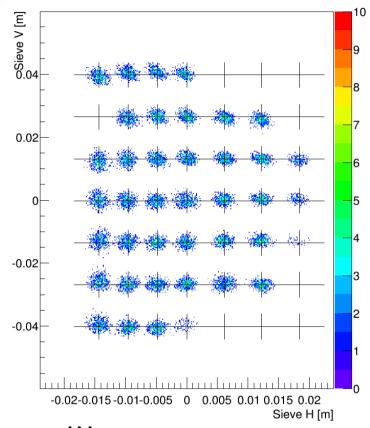
### Uncertainty

- Best situation: 1mm for position, 1.1mrad for angle
- Main uncertainty part:
  - Pedestal fluctuation
  - Too close for two BPMs -- 26.5cm difference



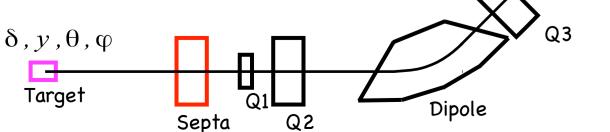
## HRS Optics - without target field





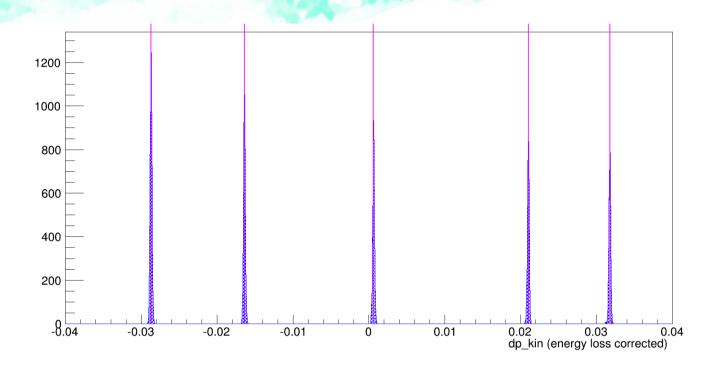
Angle matrix -- sieve slit

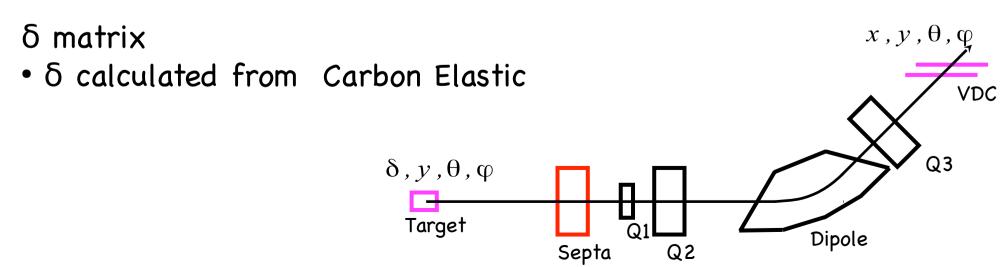
Angle at sieve slit got from survey



 $x, y, \theta, \varphi$ 

## HRS Optics - without target field





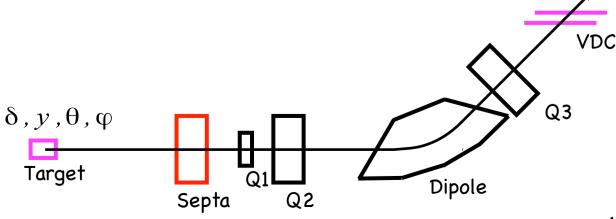
## HRS Optics - without target field

Performance summary of RMS values without target field

RMS	LHRS	RHRS	
δ [dp]	1.5×10 <sup>-4</sup>	2.4×10 <sup>-4</sup>	
Θ [out-of-plane angle]	1.59 mrad	1.57 mrad	
У	3.3 mm	2.9 mm	
$oldsymbol{\phi}$ [in-plane angle]	0.99 mrad	0.82 mrad	χ, y, θ, φ
	δ, y, θ, φ Target	Q1 Q1 Septa Q2	Q3

## HRS Optics - with target field

- Septum broke during the experiment, need to use the dat taken with the broken septum to recalibrate angle matrix
- A simulation package is written to deal with the ray tracing in the target field
  - For the recalibration of the matrix, the simulation package is used to calculate reference angles
  - For reconstruction, the simulation package is used to calculate the real scattering angles  $x, y, \theta, \varphi$



## Acceptance

### Unpolarized cross section

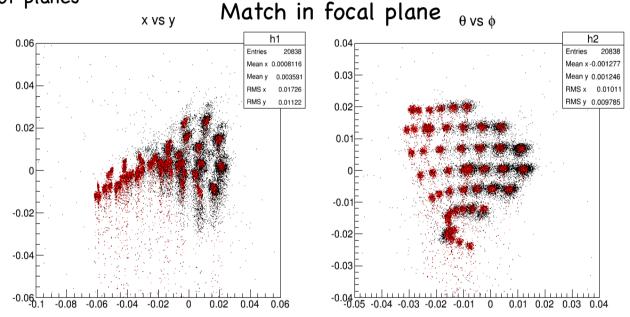
$$\frac{d \sigma^{raw}}{d \Omega dE'} = \frac{N * ps * RC}{Q/q * N_{tg} LT * \epsilon_{det}} \frac{Acc}{\Delta \Omega \Delta E'}$$

#### Method:

• Match the simulation and data in all of planes

Use simulation to get acceptance

$$\frac{Acc}{\Delta \Omega \Delta E'} = \frac{1}{\Delta \Omega^{MC} \Delta E'^{MC}} \frac{N_{simu}^{MC}}{N_{acc}^{MC}}$$



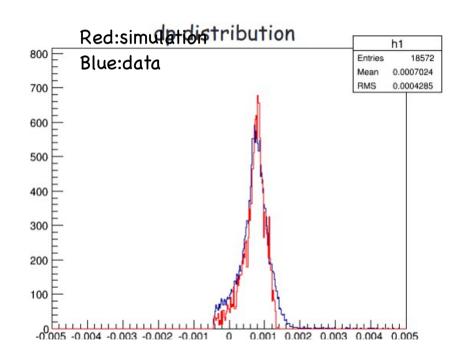
- we are working on obtaining the comparison of angles and momentum on target plane
- The simulation results match data on focal plane very well, and this will largely help the comparison on target plane.

### Simulation

- Runge-Kutta method with self-adjusting step length to improve speed and accuracy
- HRS SNAKE models are included to get the focus plane variables
- Several cross-section models are also included, an event generator is written with these models
- Energy loss models included

#### Ongoing:

- Match data with simulation
- Packing fraction study with simulation



Comparison between simulated dp vs optics run dp

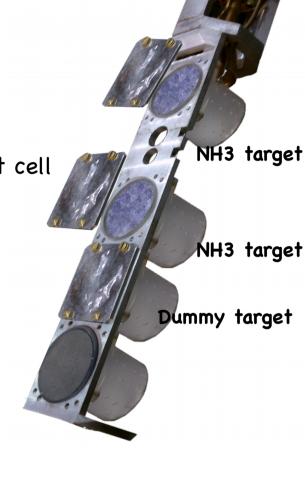
## Packing fraction

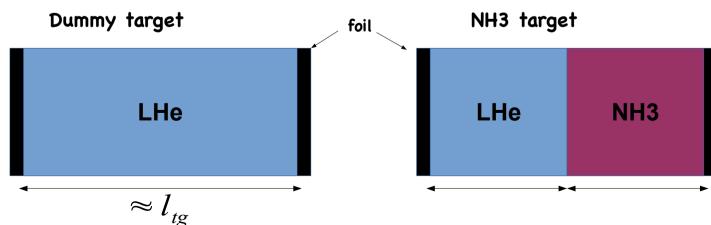
-- effective NH3 target thickness
NH3 beads filled by liquid He

Define:  $p_f = 1 - \frac{Y_{He}^{\text{in}}}{Y_{tg}}$ 

Yield from He in dummy target cell

Yield from NH3 target cell

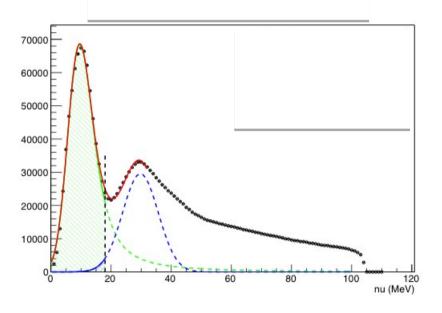




## Packing fraction

- Only use elastic peak
  - Fitting routine to obtain level of contamination from QE peaks
- Ongoing
  - Radiation length matching between production and dummy runs
  - Updating fitting routine to include multiple contributions to second peak
  - Repeat analysis for other materials/energy settings

Fit to Elastic and QE Peaks - Production Run



Current Result:

(2.2 GeV, 2.5T Setting, Material 8)

$$p_f = 0.551$$

### Dilution

Remove the Background from N,He,Aluminum foil

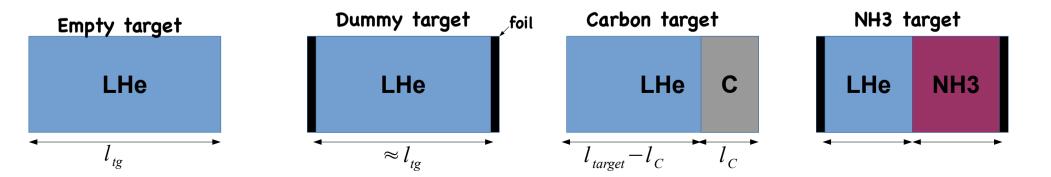
$$A_{raw} = \frac{Y_{+} - Y_{-}}{Y_{+} + Y_{-} + bg}$$

$$A_{phy} = \frac{1}{P_{b}P_{t}D} * A_{raw}$$

$$Y_{+/-}$$
 Yield from proton 
$$bg\!=\!Y_{N}\!+\!Y_{He}\!+\!Y_{f}$$
 Yield from N, He, foil 
$$P_{b}P_{t}$$
 Polarization of beam and target

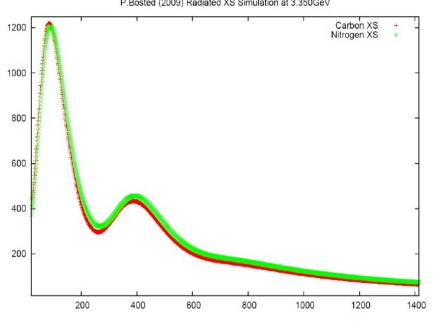
Dilution 
$$D=1-\frac{bg}{Y_{total}}$$

 $Y_f$ : Extract from dummy and empty target  $Y_{He}$ : Extract from empty target  $Y_N$ : Extract from carbon target and scale it to nitrogen using P.Bosted cross section model

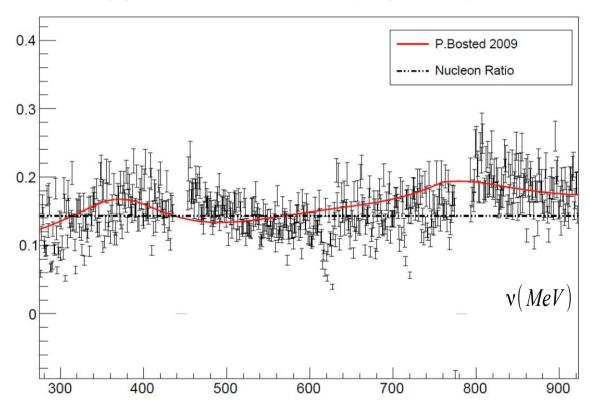


### Dilution

### Comparation of C&N XS from P.Bosted model P.Bosted (2009) Radiated XS Simulation at 3.350GeV



## Current result: 3.350GeV 5T Transverse Dilution result

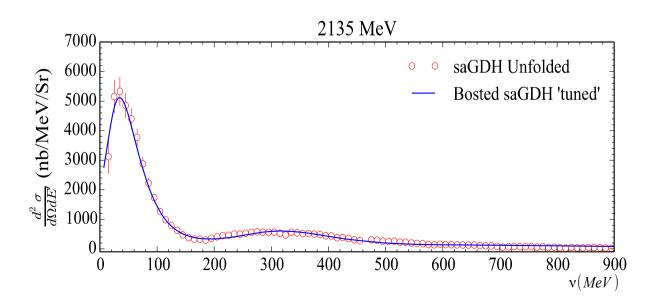


• Still Ongoing

## Bosted model tuning using saGDH data

-- saGDH unpolarized radiative correction study

- saGDH has similar kinematics with g2p (0.02~0.2GeV2)
- saGDH has pure nitrogen data (gas nitrogen target)
- g2p only took dilution data on carbon, need to scale to match actual nitrogen background
- For the nitrogen background subtraction for dilution study



## Summary for g2p Analysis status

#### Completed:

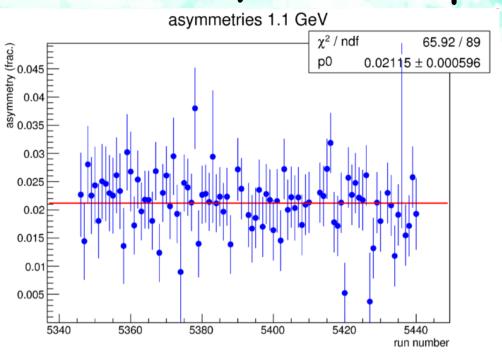
- Run database
- · Beamline
  - BCM calibration
  - BPM calibration
  - Helicity decode
  - Dead time calculation
- Detector Calibration
  - Gas Cerenkov
  - Lead Glass
  - Trigger efficiency
- Target Polarization Analysis
- HRS Optics
  - Straight through
  - With target field -Left arm
- g2p simulation package:
  - Geometry and optics part for optics
  - Cross section models
  - Energy loss models

#### Ongoing:

- HRS Optics
  - With target field Right arm
- Acceptance study
- Packing fraction
- Dilution
- g2p simulation
  - Match data with simulation

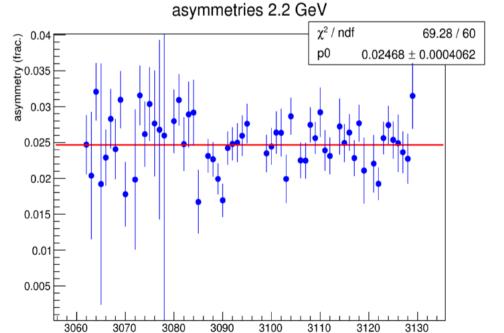
## Summary for GEP Analysis status

run number



#### Experimental asymmetries

Left	arm	cut I		cut II	
energy (GeV)	Q2 (GeV2)	A (%)	ΔΑ/A (%)	A (%)	ΔΑ/A (%)
1.1	0.013	2.11	2.8	1.87	3.5
1.7	0.027	1.5	2.4	1.55	2.4
1.7	0.039	2.32	2.7	2.44	3.18
2.2	0.045	1.78	1.5	1.91	1.7
2.2	0.065	2.47	1.6	2.56	2.0



- Asymmetries behave as expected, although too low, probably due to dilution analysis procedure.
- Final uncertainties expected to be ~1%-2% statistical and ~3% systematical.

### g2p collaboration

#### Spokesperson

Alexander Camsonne Jian-ping Chen Don Crabb Karl Slifer

#### **Post Docs**

Kalyan Allada Jixie Zhang Vince Sulkosky Ellie Long James Maxwell

#### **Graduate Students**

Toby Badman
Melissa Cummings
Chao Gu
Min Huang
Jie Liu
Pengjia Zhu
Ryan Zielinski

Thank You!

Pengjia Zhu

#### GEp collaboration

#### Spokesperson

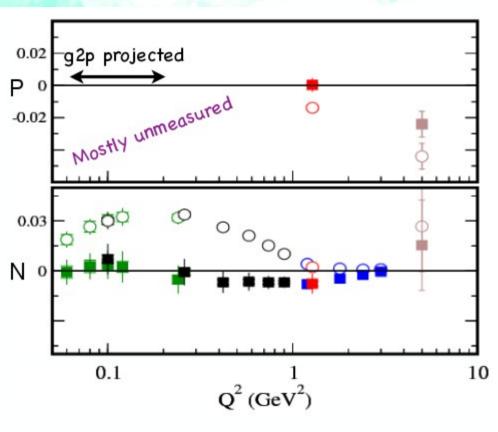
Adam Sarty
Donal Day
Douglas Higinbotham
Guy Ron
John Arrington
Ronald Gilman

#### Graduate Student

Moshe Friedman



# backup



• BC Sum Rule

$$\int_0^1 g_2(x, Q^2) dx = 0$$

■SLAC E155x

Hall C RSS

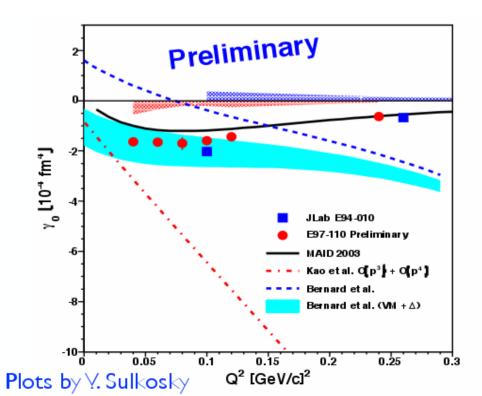
■Hall A E94-010

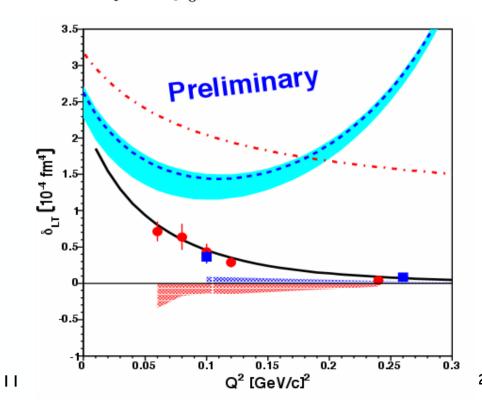
■Hall A E97-110 (preliminary)

Hall A E01-012 (preliminary)

- $\delta_{\text{LT}}$  is seen as a more suitable testing ground of  $\chi \text{PT}$  insensitive to  $\Delta$  resonance
- $\bullet$  Significant disagreement between data and both  $\chi PT$  calculations
- No proton data yet

$$\delta_{LT}(Q^2) = \frac{16\alpha M^2}{Q^6} \int_0^{x_0} x^2 [\mathbf{g_1} + \mathbf{g_2}] dx$$





### Hydrogen Hyperfine Splitting

$$\Delta E = (1 + \delta)E_F$$
$$\delta = \delta_{\text{QED}} + \delta_R + \delta_{\text{small}} + \Delta_S$$

 $\delta_{QED}$ :QED radiative correction

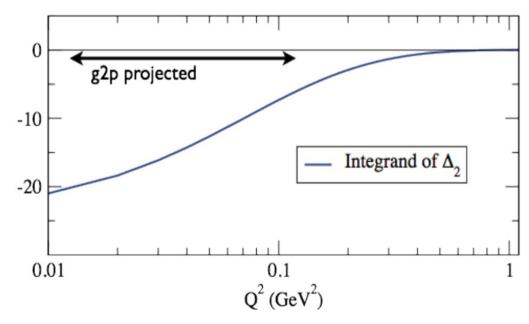
 $\delta_{\rm p}$ :recoil effect

 $\delta_{\text{small}}$ :hardronic/muonic vac pol,weak

### • $\Delta_s$ is largest portion of theoretica

$$\Delta_S = \Delta_Z + \Delta_{pol}$$

$$\Delta_{
m pol} = rac{lpha m_e}{\pi g_p m_p} (\Delta_1 + \Delta_2)$$



 $\Delta_2$  is dominated by low  $Q^2 g_2^p$ 

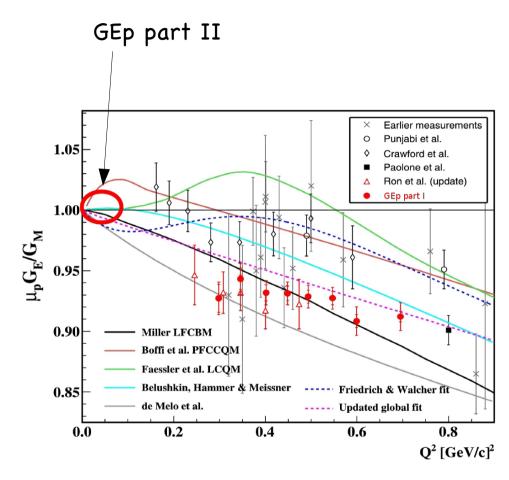
## GEp motivation

(Part I)

### Recoil Polarization

$$I_0 P_t = -2\sqrt{\tau(1+\tau)} G_E G_M \tan\frac{\theta_e}{2}$$
 
$$I_0 P_l = \frac{E_e + E_{e'}}{M} \sqrt{\tau(1+\tau)} G_M^2 \tan^2\frac{\theta_e}{2}$$

$$\mathcal{R} \equiv \mu_p \frac{G_E}{G_M} = -\mu_p \frac{P_t}{P_t} \frac{E_e + E_{e'}}{2M} \tan \frac{\theta_e}{2}$$

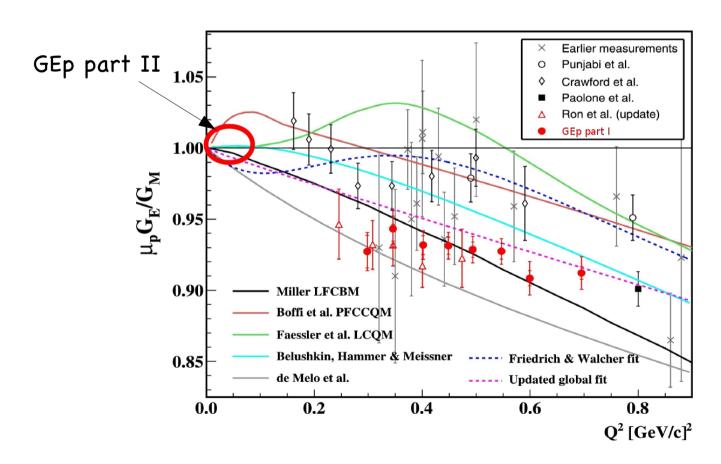


X. Zhan, et al. Phys. Lett. B 705(2011) 59

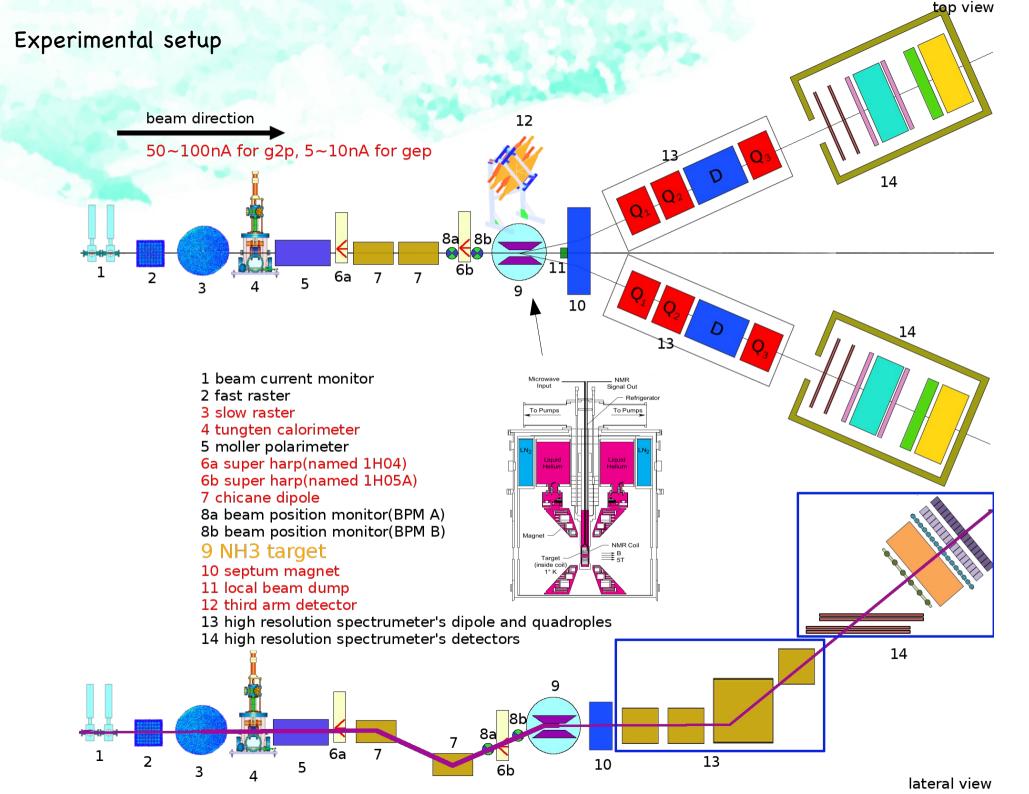
~1% uncertainty at  $Q^2$ ~ 0.3 - 0.7 GeV<sup>2</sup>

# GEp motivation

 $^{2}$ %-3% uncertainty at Q<sup>2</sup> 0.015 - 0.06 GeV<sup>2</sup>



X. Zhan, et al. Phys. Lett. B 705(2011) 59



#### **BPM** Calibration

- · 2Hz software filter
  - get better resolution
- Current vs ADC value fit at same position

• 
$$\varphi = f(A - A_{ped}) = a(A - A_{ped} + b)$$
  
• remove current effect

- BPM pedestal fluctuation during experiment
  - use nearest pedestal value for each run

#### Beam position reconstruction at target

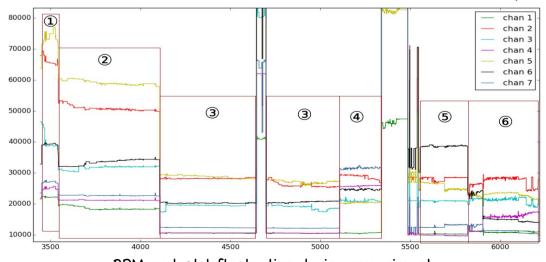
- Fitted function using target field map to transport position from BPMs to target
- Event by event position and angle at target position

• 
$$X = \langle X_{BPM} \rangle + X_{fast} + X_{slow}$$

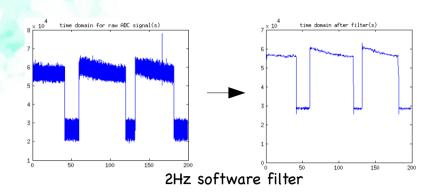
•  $X = \langle X_{BPM} \rangle + X_{fast} + X_{slow}$ • Use Carbon hole to calibrate slow raster

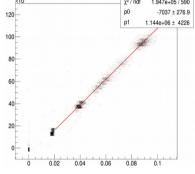
#### Uncertainty

- Best situation: 1mm for position, 1.1mrad for angle
- Main uncertainty part:
  - Pedestal fluctuation
  - Too close for two BPMs 95.5cm vs 69cm upstream of target

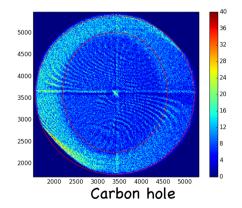




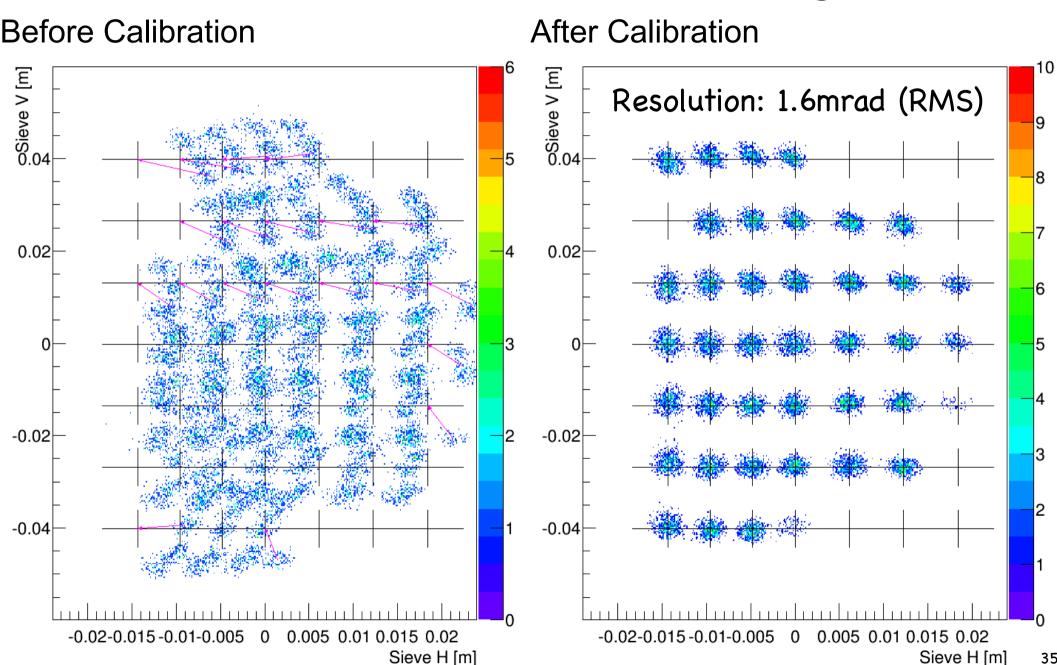




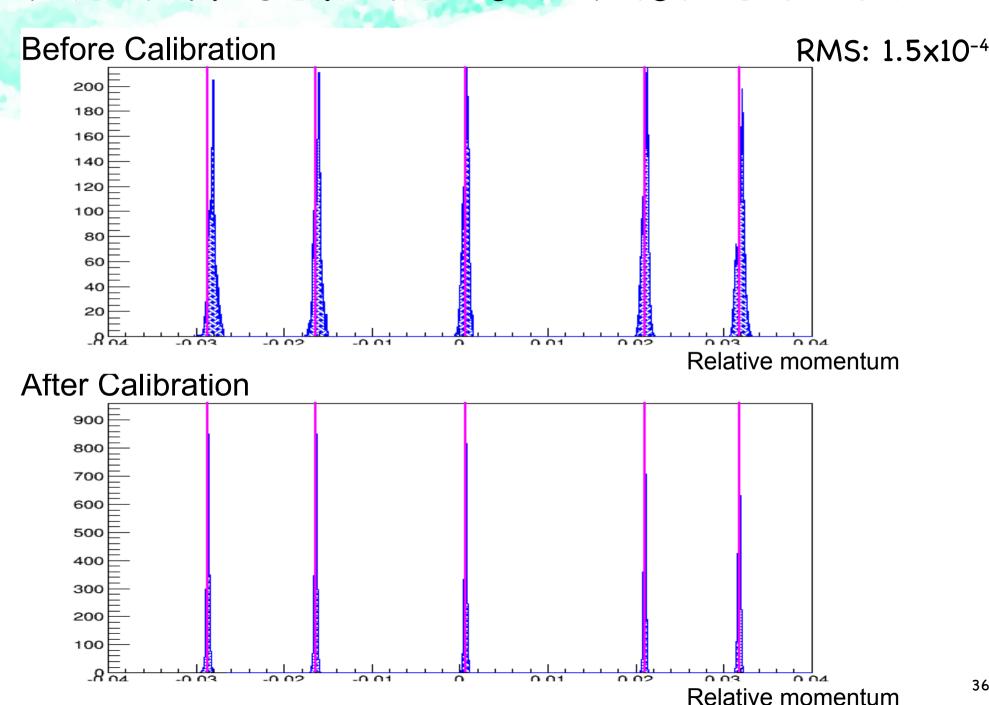
Current vs position



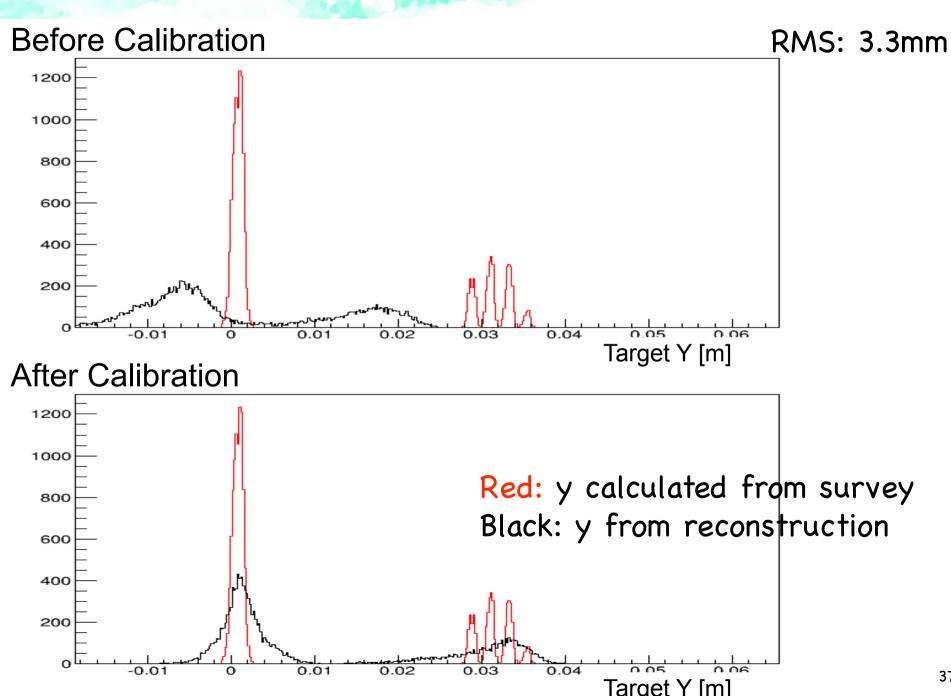
# Matrix Calibration: Angle



## Matrix Calibration: Momentum

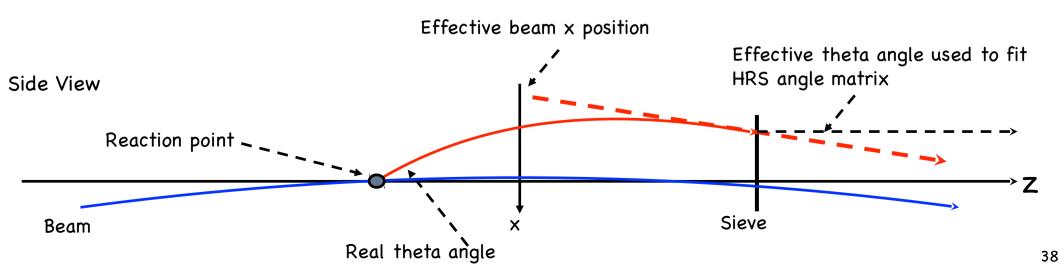


# Matrix Calibration: y



## HRS Optics - with field

- Know beam position at reaction point, the position of sieve slit hole, and target field map
  - Get the effective angle at sieve slit
  - Linear backward position at sieve to target plan to get effective position
  - Fit matrix between effective variables and focal plan variables
- Reconstruction for each production run:
  - Use fitted matrix to get effective variables at target plan for each events
  - Linear forward to sieve position
  - Use field map to traject the effective variables to real reacting variables



## Packing fraction -> effective NH3 target thickness NH3 beads filled by liquid He



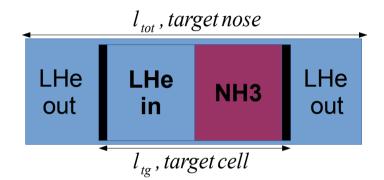
Define: 
$$p_f = 1 - \frac{Y_{He}^{in}}{Y_{tg}}$$

$$Y_{He}^{\rm in} = \frac{l_{tg}}{l_{tot}} Y_{dummy}$$

Yield from He inside cell if only He in cell

$$Y_{tg} = Y_{prod} - Y_{He}^{out}$$

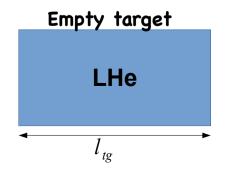
Yield from materials within the target cell

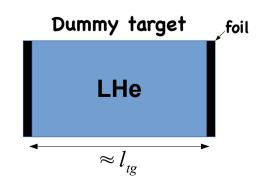


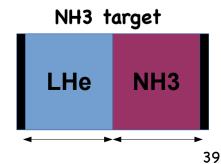
$$Y_{He}^{\text{out}} = \frac{l_{tot} - l_{tg}}{l_{tot}} Y_{dummy}$$

Assumes uniform acceptance throughout

$$Y_{\text{prod}}$$
,  $Y_{dummy}$  From N and He elastic peak







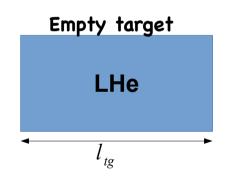
#### Dilution

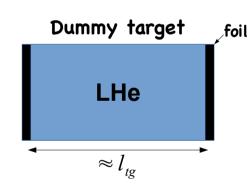
$$A_{raw} = \frac{Y_{+} - Y_{-}}{Y_{+} + Y_{-} + bg}$$

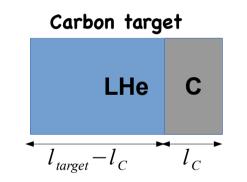
$$A_{phy} = \frac{1}{P_{b} P_{t} D} * A_{raw}$$

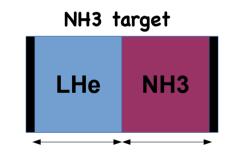
$$D = 1 - \frac{Y_{N} + Y_{He} + Y_{f}}{Y_{total}}$$

$$Y_{+/-}$$
 Yield from proton 
$$bg = Y_N + Y_{He} + Y_f \quad \text{Yield from N, He, foil}$$
  $P_b P_t \quad \text{Polarization of beam and target}$   $D \quad \text{Dilution factor}$ 









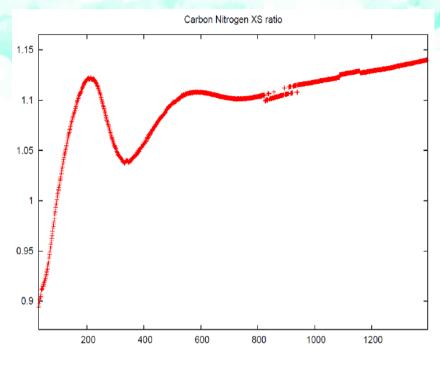
$$Y_f = Y_{dummy} - Y_{empty}$$

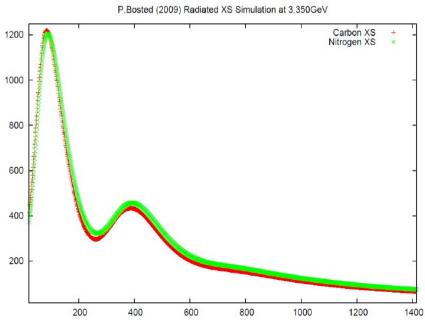
$$Y_{He} = (1 - p_f) \alpha Y_{empty}$$

 $\alpha$  ,  $\beta$  ,  $\gamma$  Used to scale material radiation lengths

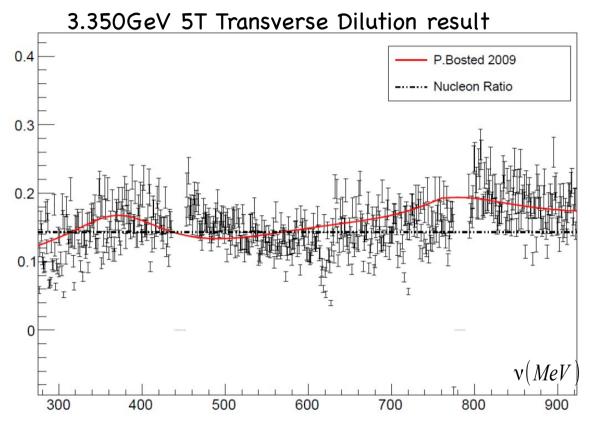
$$\boldsymbol{Y}_{N} = \boldsymbol{\gamma} \, \boldsymbol{p}_{f} \frac{\rho_{N} \, l_{tg} \, \boldsymbol{M}_{C}}{\rho_{C} \, l_{C} \, \boldsymbol{M}_{N}} (\boldsymbol{Y}_{C} - (1 - \frac{l_{C}}{l_{tg}}) \boldsymbol{\beta} \, \boldsymbol{Y}_{empty}) \quad \text{ From carbon nitrogen xs ratio}$$

### Dilution





#### Current result:



• Still Ongoing

