SHORT-RANGE CORRELATIONS

from

 12 C(p,2p + n) at BNL

John W. Watson Kent State University

and the EVA Collaboration



Experiment E850

The EVA Collaboration

An Tang, J.W. Watson

Kent State Univ.

- J. Alster, A. Malki, I. Navon, E. Piasetzky Tel Aviv Univ.
- S. Heppelmann, A. Leksanov, E. Minina, A. Ogawa,
- D. Zhalov

Penn. State Univ.

- D. Barton, A. Carroll, Y. Makdisi $_{BNL}$
- H. Nicholson

Mount Holyoke Coll.

G. Arsyan

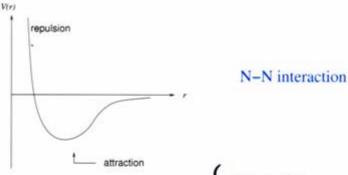
Yerevan Physics Inst.

- V. Baturin, N. Bukhtoyarova, A. Schetkovsky

 Petersburg NPI
- Y. Averichev, Yu. Panebratsev, S. Shimanskiy J.I.N.R., Dubna
- T. Kawabata, H. Yoshida Kyoto Univ.

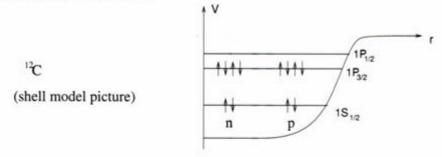


The N-N Interaction, the Shell Model and SRC



Nuclear Shell Model (
$$\sim 1950$$
) $\left\{ \begin{array}{l} \text{Maria Mayer} \\ \text{J.H.D. Jensen} \\ \text{Nobel Prize in 1963} \end{array} \right\}$

The attractive part of the N-N interaction in combination with Pauli principle produces an average attractive potential with well defined quantum states.



Short-range repulsion \rightarrow saturation of nuclear densities, etc. However, the short-range repulsive part must also manifest itself in the wavefunctions of nucleons in the nucleus. Because it is short range, high-momentum components will be affected. Typically we might expect N-N interactions of short range to produce pairs of nucleons with large, \sim equal, and opposite momenta.



Nuclear Fermi Momenta from Quasielastic Electron Scattering

E. J. Moniz

Institute of Theoretical Physics, Department of Physics, Stanford University, * Stanford, California 94305

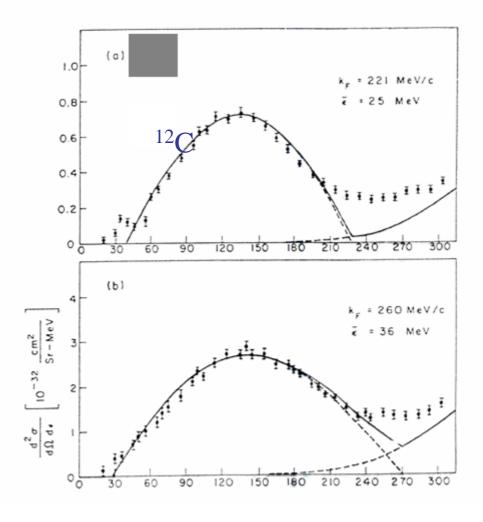
and

I. Sick† and R. R. Whitney

High Energy Physics Laboratory and Department of Physics, Stanford University, Stanford, California 94305

and

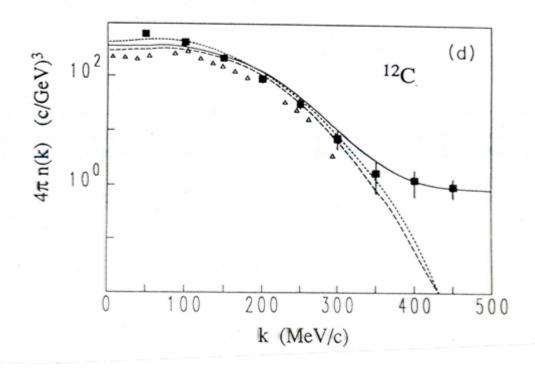
J. R. Ficenec, R. D. Kephart, and W. P. Trower Physics Department, Virginia Polytechnic Institute and State University, I Blacksburg, Virginia 24061 (Received 12 January 1971)





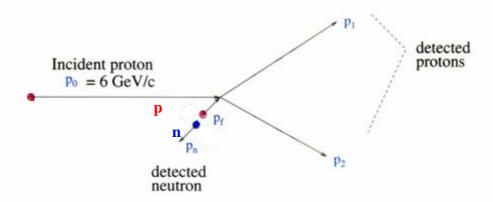
y-scaling analysis of quasielastic electron scattering and nucleon momentum distributions in few-body systems, complex nuclei, and nuclear matter

C. Ciofi degli Atti, (1,2) E. Pace, (1,3) and G. Salmè(1)





For quasi-elastic scattering, we can apply the impulse approximation (IA) to the interaction of the projectile with a proton in a correlated pair.



We reconstruct the momentum \vec{p}_f of the struck proton:

$$\vec{p}_f = \vec{p}_1 + \vec{p}_2 - \vec{p}_0$$

We then ask is there a neutron in coincidence, and are \vec{p}_n and \vec{p}_f "Correlated"

i.e. roughly equal and opposite?

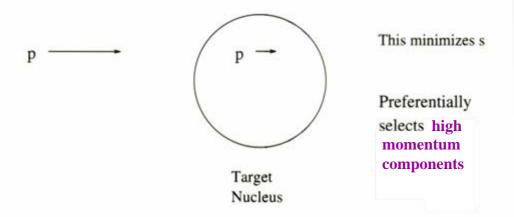


For energies of several GeV and up, For p-p elastic scattering near 90° c.m.,

$$\frac{d\sigma}{dt} \sim s^{-(n_1+n_2+n_3+n_4-2)}$$
$$\sim s^{-10}$$

where the Mandelstam variable $s = (P_0 + P_F)^2$ is the square of the total c.m. energy.

So for quasi-elastic p-p scattering near 90° c.m., we have a very strong preference for reacting with nuclear protons with their Fermi motion in the beam direction.





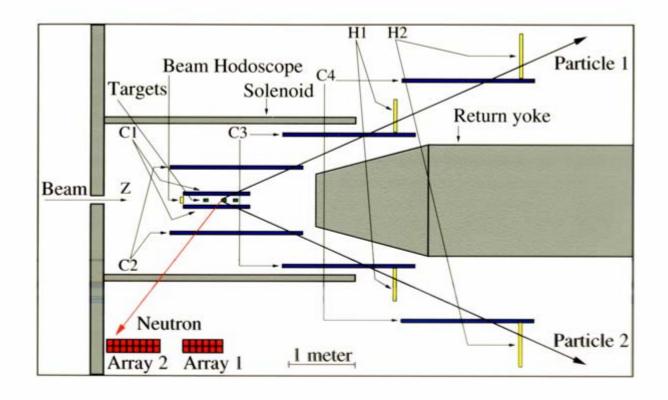
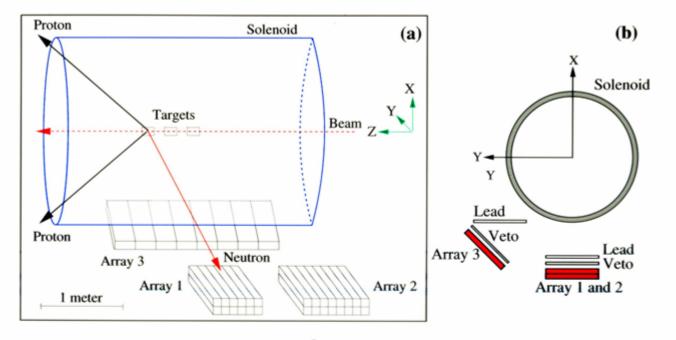


Figure 1: A schematic side view of the EVA spectrometer.





Array 1: total area $0.6 \times 1.0 \text{ m}^2$, 12 counters, 2 layers 0.125 m each. Array 2: total area $0.8 \times 1.0 \text{ m}^2$, 16 counters, 2 layers 0.125 m each. Array 3: total area $2 \times 1.0 \text{ m}^2$, 8 counters, 1 layers 0.1 m each.

Figure 5: A schematic side view (a) and a head-on view (b) of the EVA spectrometer and the neutron counter arrays.



Bunch Formation:

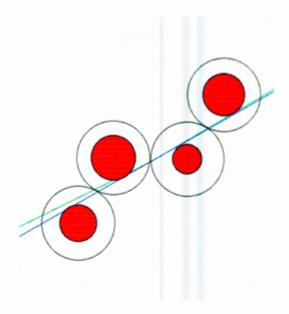


Figure 11: An example of a straw-tube bunch. The outer circles represent the walls of the tube. The radius of the inner red circles is the drift distance. The blue line is the local derivative to a trajectory and the green line is the global particle track.

Track Fit:

$$y(x) = bx + cx^2$$



Quasi-elastic analysis:

Track Reconstruction:

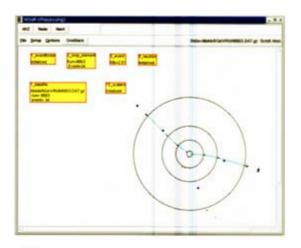


Figure 9: wzoff event display in transverse plane.

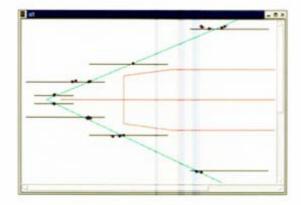


Figure 10: wzoff event display in RZ plane.



Calculation of Kinematic Variables:

z-coordinate of The Vertex:

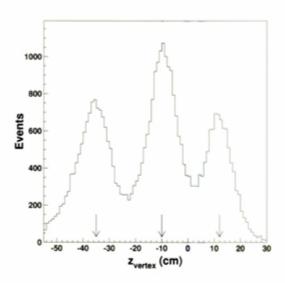


Figure 12: Distribution of z_{vertex} for reconstructed events at 5.9 GeV/c beam momentum. The length of each target is 6 cm and the arrows show the three target central positions.

Cuts to identifying the targets:

$$\begin{array}{c} dz < 15 \text{ cm} \\ -45 < z_{vertex} < -25 \longrightarrow \text{target at -35 cm} \\ -20 < z_{vertex} < 0 \longrightarrow \text{target at -10 cm} \\ 0 < z_{vertex} < 25 \longrightarrow \text{target at 12 cm} \end{array}$$



Calculation of Physical Quantities:

Missing Energy:

$$E_{miss} = E_0 + m - E_1 - E_2$$

where E_0 is the beam energy, m is the mass of proton, E_1 and E_2 are the energies of the two outgoing protons.

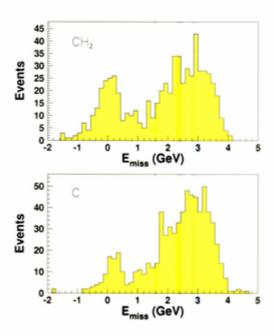


Figure 14: Missing energy spectra for (p,2p) events at 5.9 GeV/c beam momentum on CH₂ targets (top panel) and on C targets (bottom panel).



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Measurement of quasi-elastic ¹²C(p,2p) scattering at high momentum transfer

Y. Mardor ^a, J. Aclander ^a, J. Alster ^a, D. Barton ^b, G. Bunce ^b, A. Carroll ^b, N. Christensen ^{c,1}, H. Courant ^c, S. Durrant ^{a,b}, S. Gushue ^b, S. Heppelmann ^d, E. Kosonovsky ^a, I. Mardor ^a, M. Marshak ^c, Y. Makdisi ^b, E.D. Minor ^{d,2}, I. Navon ^a, H. Nicholson ^c, E. Piasetzky ^a, T. Roser ^b, J. Russell ^f, C.S. Sutton ^c, M. Tanaka ^{b,3}, C. White ^c, J-Y Wu ^{d,4}

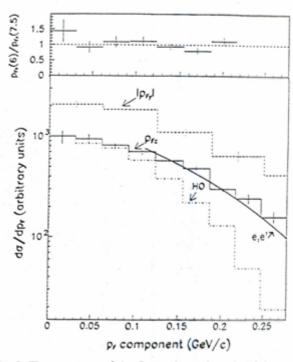
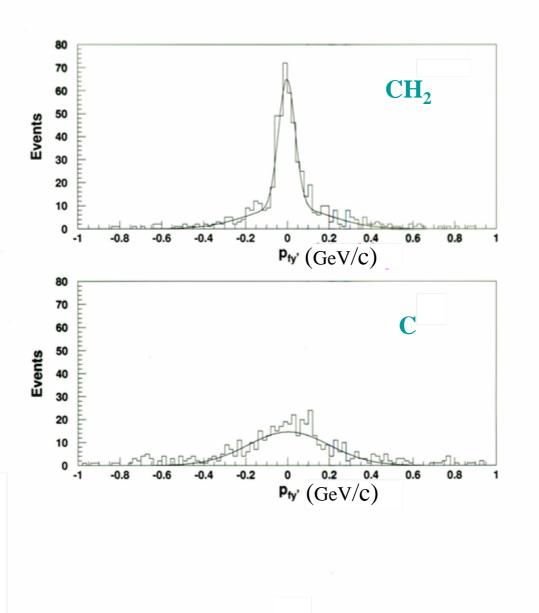


Fig. 3. The upper part of the figure shows the ratio of the two distributions measured at 6 and 7.5 GeV/c (the last two highest momentum points were measured at 6 GeV/c only). p_{Fz} is the longitudinal ground state momentum distribution, obtained from the α distributions for 6 and 7.5 GeV/c combined, after correction for the s dependence induced by the elementary free cross section. The $|p_{Fy}|$ is the transverse distribution extracted from several α regions (see text). HO is a harmonic oscillator independence







Light Cone Description of the (p,2p+n) Reaction:

The momentum of a nucleon is described in light-cone space by (p_t, α) , where p_t is the transverse momentum and α defined as:

$$\alpha = \frac{E - p_z}{m}$$

represents the fraction of the nuclear momentum carried by the target nucleon in the light-cone reference frame.

Mandelstam variable s:

$$s = (P_0 + P_F)^2$$

$$= m^2 + m1^2 + 2P_0P_F$$

$$= m^2 + m1^2 + (E_0 - P_0)(E_F + p_F^z) + \alpha m(E_0 + P_0)$$

$$\sim m^2 + m1^2 + 2\alpha m p_0$$

where $\alpha = \frac{E_F - p_F^z}{m}$ is the light cone variable for target nucleon and for large incident momenta, the approximation: $E_0 - p_0 \approx 0$ and $E_0 + p_0 \approx 2p_0$ was used.



Longitudinal Fermi Momentum and α :

From the momentum conservation:

$$p_{fz} = \frac{p_{t1}}{tan\theta_1} + \frac{p_{t2}}{tan\theta_2} - p_0$$

From light cone variable α :

$$\alpha = \frac{E_f - p_{fz}}{m} \sim 1 - \frac{p_{fz}}{m}$$
$$p_{fz} = m \cdot (1 - \alpha).$$

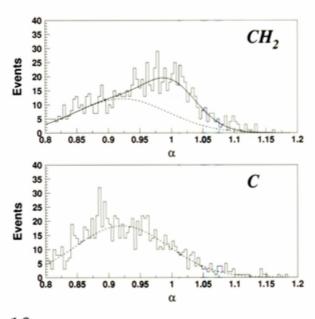


Figure 16: Light-cone variable α distribution for CH₂ and C targets at 5.9 GeV/c beam momentum.



Neutron Analysis:

Inverse Velocity:

$$v^{-1} = \frac{TOF}{l} = \frac{TOF}{\sqrt{x_{hit}^2 + y_{hit}^2 + (z_{hit} - z_{target})^2}}$$

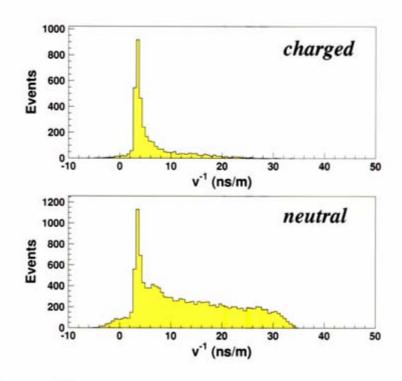


Figure 17: Inverse velocity spectra for charged and neutral particles detected in neutron counter array 3 at 5.9 GeV/c beam momentum.



Results and Conclusions

List of Cuts Applied For Triple Coincident Events

Cuts on protons:

Čerenkov cut: select protons

Number of tracks: 2 tracks

Target Positions: $|z_{target} + 10| < 10$

 $|z_{target} + 35| < 10$

 $|z_1 - z_2| < 12$

Missing Energy: $|E_{miss} - 0.32| < 0.5 \text{ GeV}$

 ϕ (for arrays 1 and 2): $45^{\circ} < \phi_1 < 135^{\circ}$, or

 $225^{\circ} < \phi_1 < 315^{\circ}$

 ϕ (for array 3): $0^{\circ} < \phi_1 < 90^{\circ}$, or

 $180^{\circ} < \phi_1 < 270^{\circ}$

Cuts on neutrons:

Neutron Momentum: $0.05 < p_n < 0.55 \text{ GeV/c}$



Identification of Correlated Events

One-Dimensional Correlations:

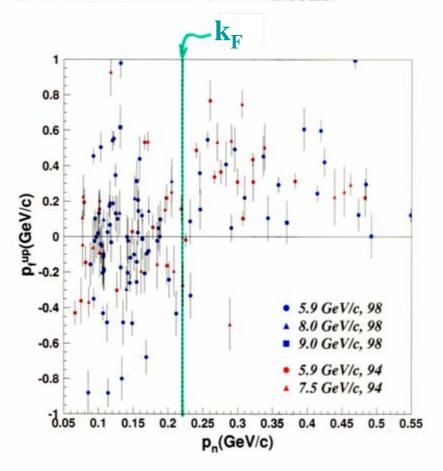


Figure 19: p_f^{up} vs. p_n for $^{12}\mathrm{C}(p,2p+n)$ events. Data labelled "98" (solid symbols) are for 98 runs (this experiment). Data labelled "94" are from Aclander, et al. The vertical line at 0.22 GeV/c corresponds to k_F , the Fermi momentum for $^{12}\mathrm{C}$.



Transverse Correlations:

The angle between the transverse momenta of proton and neutron is defined as:

$$\beta = \cos^{-1}\left(\frac{\vec{p}_{nt} \cdot \vec{p}_{ft}}{|\vec{p}_{nt}||\vec{p}_{ft}|}\right).$$

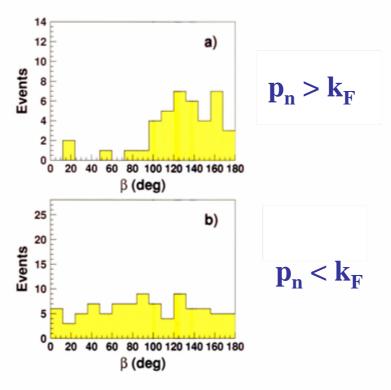


Figure 20: Plots of β , the angle in the transverse plane between \vec{p}_f and \vec{p}_n . Panel (a) is for events with $p_n > 0.22 \text{ GeV/c}$, and panel (b) is for events with $p_n < 0.22 \text{ GeV/c}$, where 0.22 GeV/c = k_F , the Fermi momentum for 12 C.



Full Correlations:

We then construct the directional correlation between \vec{p}_f and \vec{p}_n as

$$cos\gamma = \frac{\vec{p}_f \cdot \vec{p}_n}{\mid \vec{p}_f \mid \mid \vec{p}_n \mid}$$

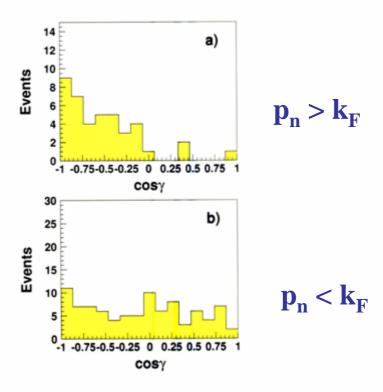


Figure 21: Plots of $\cos \gamma$, where γ is the angle between \vec{p}_n and \vec{p}_f . Panel (a) is for events with $p_n > 0.22$ GeV/c, and panel (b) is for events with $p_n < 0.22$ GeV/c; 0.22 GeV/c = k_F , the Fermi momentum for 12 C.



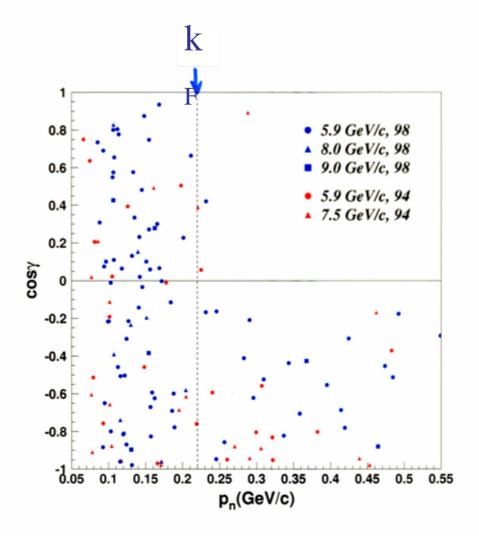


Figure 22: $\cos \gamma$ vs. p_n for $^{12}C(p,2p+n)$ events. The vertical line at 0.22 GeV/c corresponds to k_F , the Fermi momentum for ^{12}C .



The Correlated Fraction of (p,2p) Events:

For the 6 GeV 1998 data set we estimated the fraction of (p,2p) events with $p_f > 0.22 \text{ GeV/c}$, which have a correlated backwards neutrons with $p_n > 0.22 \text{ GeV/c}$.

$$F = \frac{corrected \ \# \ of \ (p,2p+n) \ events}{\# \ of \ (p,2p) \ events} = \frac{A}{B}$$

The quantity A was obtained from the sample of all 18 (p,2p+n) events with $p_n \geq k_F = 0.22$ GeV/c, where a correction for flux attenuation and detection efficiency was applied event-by-event, and then corrected for the solid-angle coverage:

$$A = \frac{2\pi}{\Delta\Omega} \sum_{i=1}^{18} \frac{1}{\epsilon_i} \cdot \frac{1}{t_i} = 1090.$$

The average value of $(1/e_i t_i)$ was 8.2 ± 0.82 and $2\pi/\Delta\Omega = 7.42$. We can then calculate

$$F = \frac{A}{B} = \frac{1090}{2205} = 0.49 \pm 0.13.$$



▶ The Center of Mass Motion of the n-p Pair:

$$p_z^{cm} = p_{nz} + p_{fz}$$

We can express this in terms of α as

$$\alpha_p + \alpha_n = \frac{E_f - p_p^z}{m} + \frac{E_f - p_n^z}{m}$$
$$= (1 - \frac{p_{fz}}{m}) + (1 - \frac{p_{nz}}{m})$$

$$p_z^{cm} = 2m(1 - \frac{\alpha_p + \alpha_n}{2})$$

→ The Relative Motion of the Correlated Nucleons:

$$\alpha_p - \alpha_n = \left(1 - \frac{p_{fz}}{m}\right) - \left(1 - \frac{p_{nz}}{m}\right)$$
$$= \left(\frac{p_{nz} - p_{fz}}{m}\right)$$

$$p_z^{rel} = |p_{fz} - p_{nz}|$$
$$= m|\alpha_p - \alpha_n|$$



The Relative and c.m. Motion of Correlated n-p Pairs:

$$p_z^{cm} = 2m(1 - \frac{\alpha_p + \alpha_n}{2}),$$

 $p_z^{rel} = m|\alpha_p - \alpha_n|.$

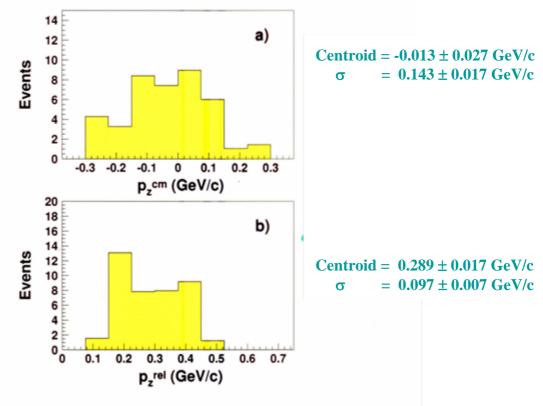


Figure 23: Plots of (a) p_z^{cm} and (b) p_z^{rel} for correlated np pairs in 12 C, for 12 C(p,2p+n) events. Each event has been "s-weighted".



Summary

- 1. For quasielastic (p,2p) events we reconstructed \vec{p}_f the momentum of the knocked-out proton before the reaction; \vec{p}_f was then compared with \vec{p}_n , the measured, coincident neutron momentum. For $|\vec{p}_n| > k_F = 0.220 \text{ GeV/c}$ (the Fermi momentum) a strong back-to-back directional correlation between \vec{p}_f and \vec{p}_n was observed, indicative of short-range n-p correlations.
- 2. We determined that 49 ± 13 % of events with $|\vec{p}_f| > k_F$ had directionally correlated neutrons with $|\vec{p}_n| > k_F$. Thus 2N SRCs are a major source of high-momentum nucleons in nuclei.
- 3. We also measured the c.m. and relative momenta of correlated n-p pairs in the longitudinal direction.

4. And . . .



A. A. Tang et al., Phys. Rev. Lett. <u>90</u>, 042301 (2003)

B. JLab Experiment E01-015 Completed in Spring 2005

Spokesmen: Bill Bertozzi, MIT

Eli Piasetzky, Tel Aviv

John Watson, Kent State

Steve Wood, JLab



Latest Development

Evidence for the Strong Dominance of Proton-Neutron Correlations in Nuclei

by

E. Piasetzky, M Sargsian, L. Frankfurt, M Strikman and J. W. Watson
Phys. Rev. Lett., 20 October 2006

- ❖ Analysis of the EVA Data
- ❖ Assumes 100% SRC above 275 MeV/c
- ❖ Includes the motion of the pair
- Includes absorption of entering and exiting nucleons in the nuclear medium

Conclusion: "Within the NN-SRC dominance assumption the data indicate that the probabilities of pp or nn SRCs in the nucleus are at least a factor of six smaller than that of pn SRCs. Our result is the first estimate of the isospin structure of NN-SRCs in nuclei."

