

Multi-Parameter Optimization for an ERL injector

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Optimization with PARMELA

Step-by-step optimization by down-hill simplex

All-at-once optimization by simulated annealing

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We need to calculate

- space charge effect
- beam motion in a DC/RF gun, acc. structure, bending ...
- transverse and longitudinal motion

PARMELA seems applicable to these calculation.

- However, no optimization trick is available in PARMELA.
- Because particle tracking was a heavy task for computers, when PARMELA was developed
- In the 21st century, now, we have excellent PC's fast enough to repeat PARMELA runs many times.

The optimization is possible with PARMELA.





a JAVA post-processor to evaluate the result. – a part of old particle-tracking code.

R. Hajima, Proc. ICAP-98.

a PERL wrapper script to generate an input-file.

master input file

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```
;# VARY SOL1 200 100 300
;# MAXLOOP 100
;# FIT ENX ENY + 2 POW
SOLENOID 10 5 1 SOL1
DRIFT 20 5 1
....
```

optimization commands are embedded in a PARMELA INPUT (master file).

specify parameters to vary

specify the target function with reverse Polish notation.

PARMELA INPUT for each run is generated dynamically from the master.

ERL injector



- parameters to change
- transverse motion: solenoid x 2, Quad. x 5 = 7 parameters
- Iongitudinal motion : buncher (A, ϕ), 3-cell (A, ϕ) x 5 = 12 parameters

position of elements, gun geometry, and drive laser are fixed.



Step-by-step optimization

we have adequate knowledge of beam dynamics.



optimizing the parameters step-by-step from the upstream. repeating the procedure, if necessary.



 ε_x is a smooth function of SOL-1 and SOL-2. But there are local minima.

we apply "down-hill simplex" to the optimization.

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Down-hill simplex





simplex is n-dimensional volume enclosed by (n+1)-points in n-dimensional phase space.

the objective function is evaluated at each point of the simplex.

searching a minimum through a series of steps:





After several runs, we can find optimum solenoid field.

For the merger optimization by simplex method, we need an adequate set of initial parameters for the 5 quadrupole magnets.

We use "envelope matching" to find the initial values of quad's. (similar to the CSR case)

PARMELA runs for the merger (3 dipoles only) with varying α_x , β_x at the merger entrance.



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ERL injector optimized for a 7.7pC bunch



bunch charge 7.7pC (10mA)

cathode parameters temperature 35meV uniform in spatial r=0.5mm thermal emittance = 0.065π mm-mrad Gaussian in temporal $\sigma_t = 14$ ps

at 72MeV (after 9-cell x 5) $\varepsilon_{n,x} = 0.105 \,\pi \,\mathrm{mm}$ -mrad $\varepsilon_{n,v} = 0.094 \,\pi \,\mathrm{mm}$ -mrad $\varepsilon_z = 51 \text{ deg-keV}, \sigma_t = 3.6 \text{ ps}$ CSR effect (ELEGANT) $\Delta \varepsilon_{n,x} = 0.003 \,\pi \,\mathrm{mm}$ -mrad

 $\varepsilon_{n,x} = \sqrt{0.105^2 + 0.003^2} \simeq 0.105 \,\pi \,\text{mm-mrad}$

ERL injector optimized for a 7.7pC bunch





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ERL injector optimized for a 77pC bunch



ERL injector optimized for a 77pC bunch



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simulated annealing (SA)

- analogy to the annealing process
- = metal cooling and freezing into a minimum energy crystalline structure.
- random search for down-hill, but accept up-hill results with a probability

$$p = \exp\left(-\frac{\delta f}{T}\right)$$

 δf : increase in the objective function T: control parameter = temperature



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Optimization by Simulated Annealing



7.7pC bunch, targeting σ_t =3ps, ϵ_n =0.1mm-mrad at 70MeV



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Optimization by Simulated Annealing



7.7pC bunch, targeting $\sigma_t = 0.3$ ps, $\varepsilon_n = 0.1$ mm-mrad at 70 MeV





multi-parameter optimization by extended-PARMELA

step-by-step optimization works well

500kV gun + 5MeV injector + 70MeV acc.

 $\varepsilon_n \sim 0.1$ mm-mrad for 7.7pC $\varepsilon_n \sim 1$ mm-mrad for 77pC

all-at-once optimization by simulated annealing also works well

setting an appropriate objective function is a key. many runs ($\sim 10^4$) are necessary.

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SA and GA in accelerator applications

Simulated Annealing

7 articles in NIMA7 articles in RSI35 articles in JACOW

Optimizing beam optics

solenoid for magnetized beam J. Kewisch et al., EPAC-2004.
low-energy ion beam line R. Baartman et al., PAC-1997.
fitting in a beam simulation code M,D'yachkov et al., PAC-2001.
orbit control in 12GeV PS Y. Hitaka et al., EPAC-2004.
beam collimator optimization D.I. Kaltchev et al., PAC-1997.

Sorting undulator magnets

M.S. Curtin et al., NIMA-272, 187 (1988). many other papers.

Genetic Algorithm

19 articles in NIMA8 articles in RSI19 articles in JACOW

Optimizing beam optics

Ring COD S. Smith et al., EPAC-2004. ERL linac focusing R. Nagai et al, PAC-2003 Ring injector. D. Schirmer et al., PAC-1995. Optimizing SC magnet

S. Ramberger et al, EPAC-1998..

Sorting undulator magnets R. Hajima et al, NIMA-318, 822 (1992)

Shaping laser pulses for an RF gun S. Cialdi et al, NIMA-526, 239 (2004)

Optimizing a triode gun C.X. Gu et al, NIMA-519, 90 (2004)