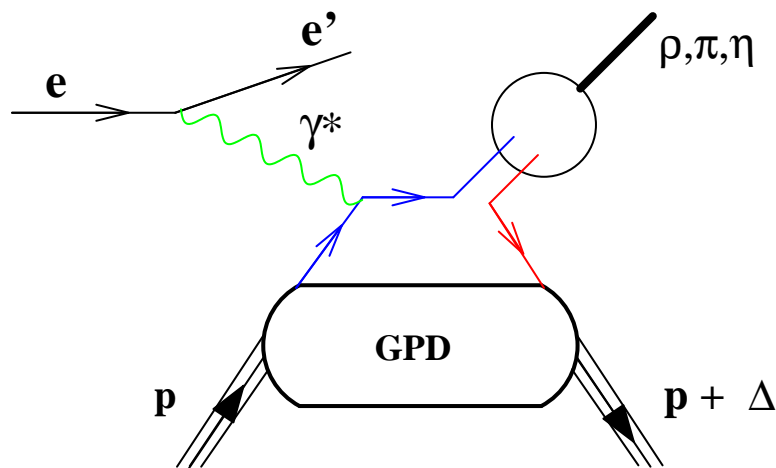


# Transverse Target Asymmetry in Exclusive $\pi^+$ Production

Dave Gaskell

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March 30, 2004

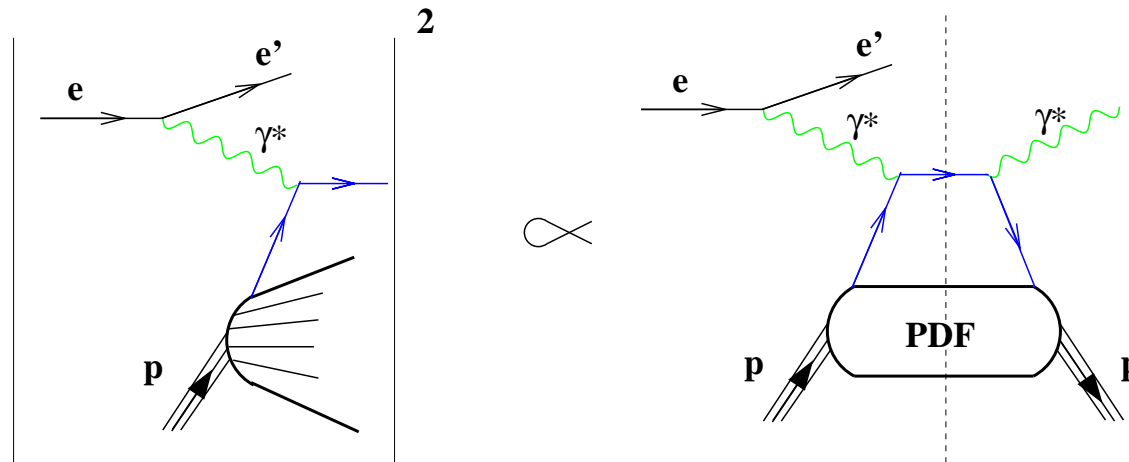


# Outline

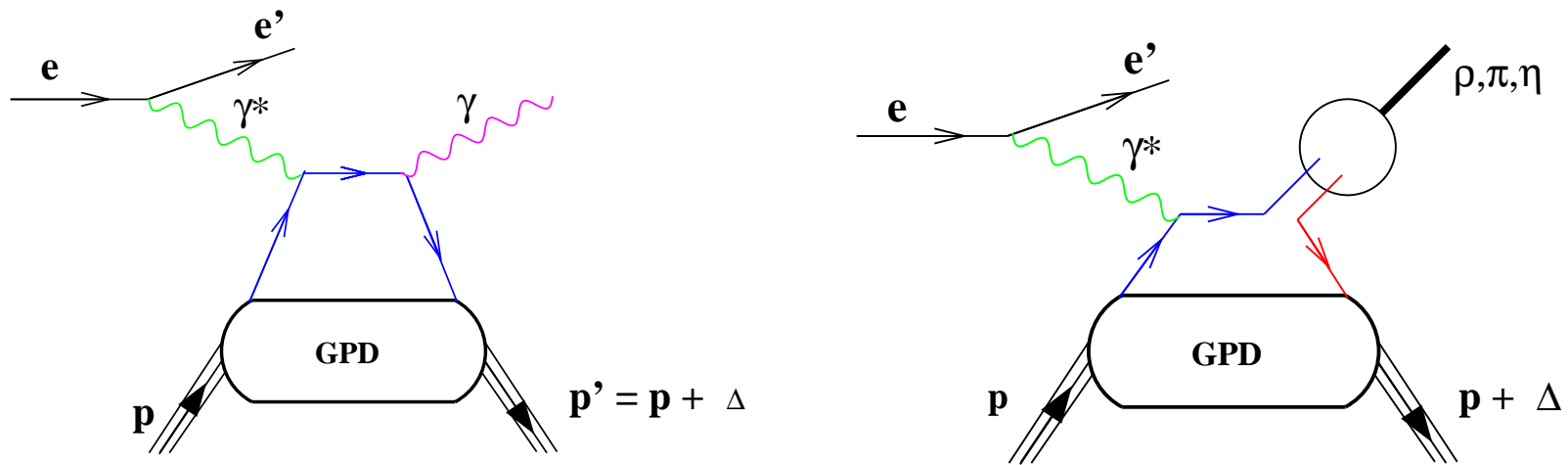
- **Generalized Parton Distributions**
  - Hard Exclusive Reactions and GPDs
  - New information from GPDs
  - Experimental Access to GPDs
- **Hard Exclusive Pion Production in Hall C**
  - Experimental requirements
  - Proposed measurement ( $A_{UT}$ )

# DIS and Parton Distribution Functions

- Factorization  $\rightarrow$  DIS can be described in terms of hard (perturbative) and soft (non-perturbative) processes
  - Hard scattering part is calculable
  - Non-perturbative part described by Parton Distribution Functions
- Forward Compton amplitude can be related to DIS cross section via optical theorem



# Generalized Parton Distributions



- Off-forward kinematics  $\rightarrow$  final state momentum (or particle) differs from initial state
- Factorization has been proven for non-forward processes as well
- GPDs give information on correlations between partons of different momentum

# Leading Twist GPDs

- At leading twist, 4 independent GPDs for each quark, gluon type
- $x$  is the light cone momentum fraction of struck parton ( $x \neq x_B$ )
- $t = \Delta^2$ , momentum transfer to nucleon
- $\xi$  defined by  

$$\Delta^+ = -2\xi(p + \Delta/2)^+$$

$H^{q,g}(x, \xi, t)$   
 spin avg  
 no hel. flip

$E^{q,g}(x, \xi, t)$   
 spin avg  
 helicity flip

$\tilde{H}^{q,g}(x, \xi, t)$   
 spin diff  
 no hel. flip

$\tilde{E}^{q,g}(x, \xi, t)$   
 spin diff  
 helicity flip

→ Longitudinal fraction of the momentum transfer,  $t$   
 Parameterizes the skewedness

# GPDs and DIS

$$H^q(x, 0, 0) = \begin{cases} q(x), & x > 0, \\ -\bar{q}(-x), & x < 0. \end{cases}$$

$$\tilde{H}^q(x, 0, 0) = \begin{cases} \Delta q(x), & x > 0, \\ \Delta \bar{q}(-x), & x < 0. \end{cases}$$

- In the limit of  $\xi \rightarrow 0$  and  $t \rightarrow 0$ ,  $H$  and  $\tilde{H}$  reduce to ordinary parton distributions
- $E$  and  $\tilde{E}$  not accessible in DIS - parton helicity flip is forbidden

# GPDs and Elastic Scattering

- First moments of GPDs yield usual elastic form factors
  - $F_1, F_2$  = Dirac and Pauli form factors
  - $G_A, G_P$  = axial vector and pseudo scalar form factors
- Common formalism can describe DIS and elastic scattering

$$\int_{-1}^1 dx H^q(x, \xi, t) = F_1^q(t)$$

$$\int_{-1}^1 dx E^q(x, \xi, t) = F_2^q(t)$$

$$\int_{-1}^1 dx \tilde{H}^q(x, \xi, t) = G_A^q(t)$$

$$\int_{-1}^1 dx \tilde{E}^q(x, \xi, t) = G_P^q(t)$$

# GPDs and Angular Momentum



- Intuitive link to total angular momentum when  $\xi=0$  and  $\Delta=\Delta_{\perp}$
- At  $\xi=0$ ,  $x=x_B$  and the probability interpretation is again valid
- $\Delta_{\perp}$  can be viewed as the Fourier transform of impact parameter,  $b_{\perp}$
- GPDs describe probability to probe parton of momentum fraction  $x$ , at a transverse distance  $b_{\perp}$ 
  - $\vec{L} = \vec{r} \times \vec{p}$

# GPDs and Total Angular Momentum

- Second moments of GPDs at  $t=0$  give expectation value of nucleon spin

X. Ji, PRL 78, 610

$$\int_{-1}^1 dx x [H^{q,g}(x, \xi, t=0) + E^{q,g}(x, \xi, t=0)] = 2\hat{J}^{q,g}$$

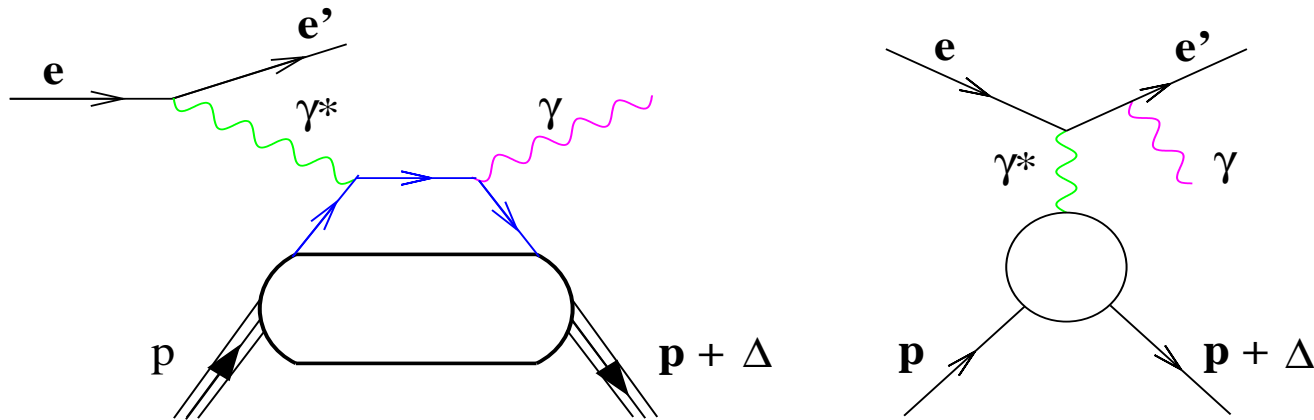
- Nucleon spin  $\longrightarrow$ 

$$\frac{1}{2} = \hat{J}_q + \hat{J}_g$$

$$\frac{1}{2} = \hat{L}_q + \frac{1}{2}\Sigma + \hat{J}_g$$
- $\hat{L}_q$  can be inferred from  $\hat{J}_q$  (from GPDs) and  $\frac{1}{2}\Sigma$  (from DIS)

# Experimental Access to GPDs

## DVCS

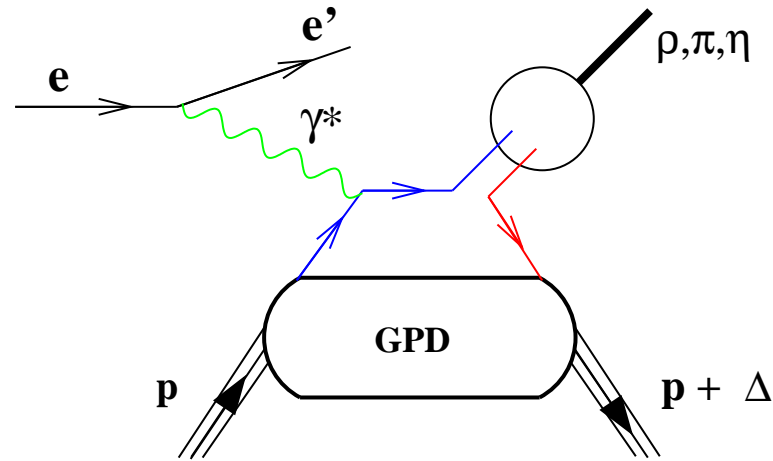


- Deeply Virtual Compton Scattering sensitive to a combination of all 4 GPDs -->  $H, E, \tilde{H}, \tilde{E}$
- Large background from Bethe-Heitler
- Azimuthal asymmetries can access DVCS and BH interference terms

$$d\sigma \propto |\mathcal{T}_{BH}|^2 + |\mathcal{T}_{DVCS}|^2 + (\mathcal{T}_{BH}^* \mathcal{T}_{DVCS} + \mathcal{T}_{DVCS}^* \mathcal{T}_{BH})$$

# Experimental Access to GPDs

## Exclusive Meson Production



- Vector mesons ( $\rho, \omega, \phi$ ) sensitive to  $H$  and  $E$
- Pseudo scalar mesons sensitive to  $\tilde{H}$  and  $\tilde{E}$
- Detection of final states easier - but interpretation complicated by convolution with meson DA
- Factorization only applies for longitudinal photons

# GPD "Measurements"

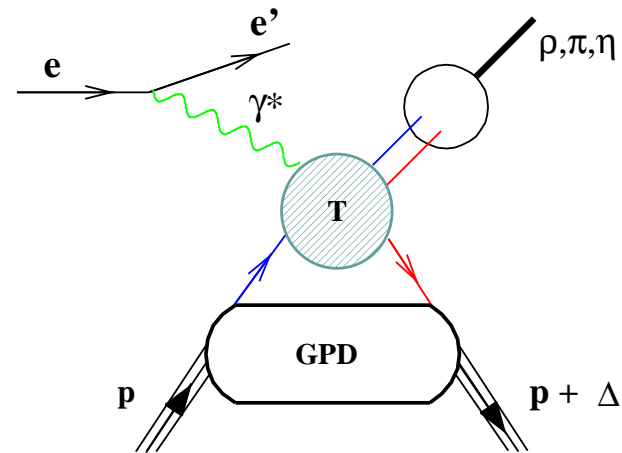
- GPDs are not observables - they are a framework that allows us to describe a wide variety of processes (DIS, elastic scattering, exclusive reactions)
- We already have constraints on GPDs from
  - DIS:  $H(x,0,0) = q(x)$  and  $\tilde{H}(x,0,0) = \Delta q(x)$
  - Elastic scattering:  $\int dx x H(x,\xi,t) = F_1(t)$ , etc.
- To get new information from GPDs, we need a program that will measure ...
  - a variety of exclusive processes (vector mesons, DVCS, pseudo scalar mesons)
  - a broad range of phase space ( $t, x_B$ )

# GPD Program at JLab

- DVCS
  - Beam-spin asymmetry (Stepanyan et al, PRL 87, 182002, 2001)
  - E00-110, DVCS at 6 GeV (Hall A)
  - E01-113, DVCS at 6 GeV with CLAS
- Meson Production
  - E99-105, Deeply Virtual Electroproduction of Vector Mesons (CLAS)
- A major initiative for the **12 GeV** upgrade is a program of Deep Exclusive Measurements to constrain GPDs

# Observables in Hard Exclusive Reactions

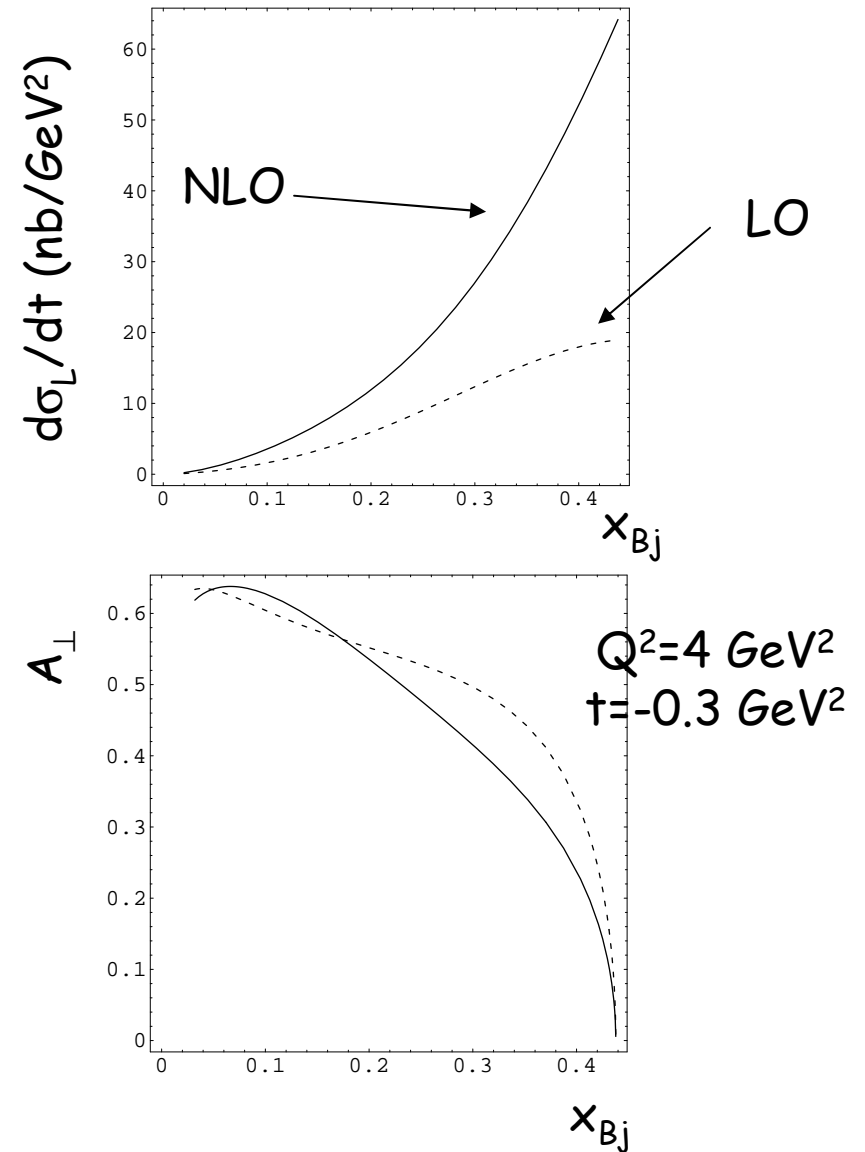
- To say anything about GPDs, we must be confident we are in a regime where **soft-hard factorization** applies (large  $Q^2$ )



- Higher order corrections may be large for absolute cross sections for  $Q^2 < 10 \text{ GeV}^2$
- Ratios have a better chance of exhibiting precocious factorization - higher order effects in numerator and denominator "cancel"
- Asymmetries** (DVCS beam-spin and beam-charge asymmetry) and **cross section ratios** ( $\sigma_\pi/\sigma_\eta$ ) are our best chance for being in the factorization regime at JLab energies

# Exclusive $\pi^+$ Production at NLO

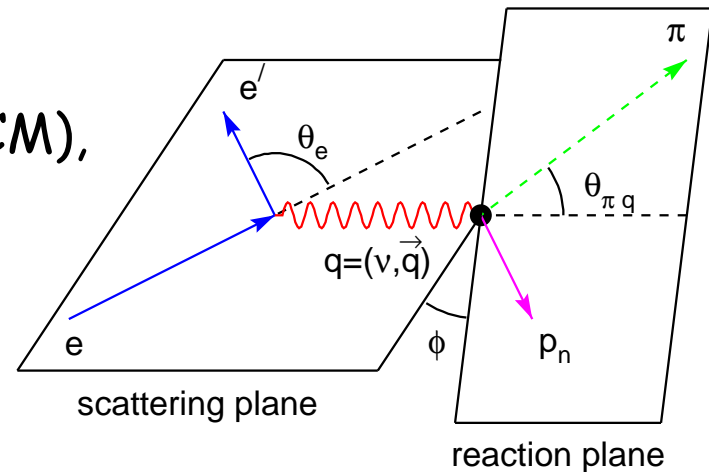
- Belitsky and Müller GPD based calc. of  $\pi^+$  production to NLO (Phys Lett B 513, 349)
  - Even at  $Q^2=10 \text{ GeV}^2$ , NLO effects can be large, but cancel in the asymmetry,  $A_{\perp}$
  - At  $Q^2=4$ , higher twist effects even larger in  $\sigma_L$ , but still cancel in asymmetry (CIPANP 2003)
- This cancellation of higher order effects known as **precocious factorization**



# Exclusive $\pi^+$ Production - Unpolarized Cross Section

- 5-fold lab cross section can be written in terms of virtual photon flux ( $\Gamma_V$ ), Jacobian (virtual  $\gamma$ , target CM), and virtual photon cross section ( $d\sigma/d\Omega$ )

$$\frac{d\sigma}{dE d\Omega_e d\Omega_\pi} = \Gamma_V \mathcal{J} \frac{d\sigma}{d\Omega}$$



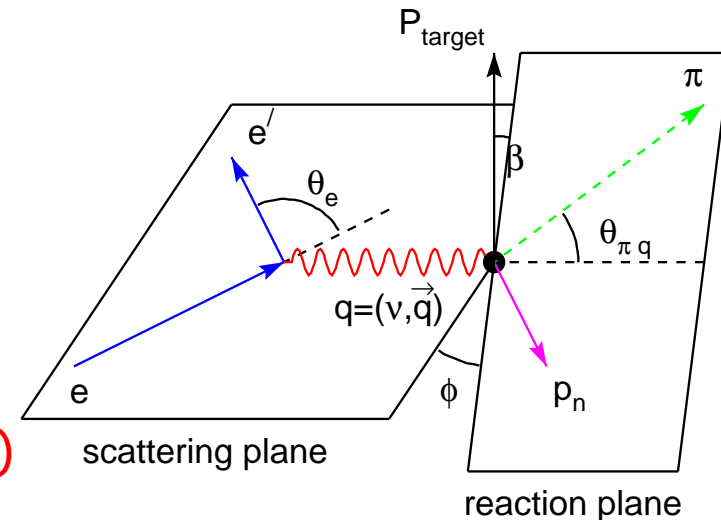
- Virtual photon cross section can be further broken down into contributions from longitudinal and transverse photons (formalism of Bartl and Majerotto)

$$\frac{d\sigma}{d\Omega} = \sigma_T + \epsilon\sigma_L + \sqrt{\frac{1}{2}\epsilon(\epsilon+1)}\sigma_{LT} \cos\phi + \epsilon\sigma_{TT} \cos 2\phi$$

# Exclusive $\pi^+$ Production with Target (or Recoil) Polarization

$$\begin{aligned} \sigma_t = & P_x \left[ -\sqrt{2\epsilon(1+\epsilon)} \sin \phi \sigma_{LT}^x - \epsilon \sin 2\phi \sigma_{TT}^x \right] \\ & - P_y \left[ \sigma_{TT}^y + \epsilon \cos 2\phi \sigma_{TT'}^y + 2\epsilon \sigma_L^y + \sqrt{2\epsilon(1+\epsilon)} \cos \phi \sigma_{LT}^y \right] \\ & + P_z \left[ \epsilon \sin 2\phi \sigma_{TT}^z + \sqrt{2\epsilon(1+\epsilon)} \sin \phi \sigma_{LT}^z \right] \end{aligned}$$

- Virtual photon cross section has additional contributions when target is polarized
- Target polarization components ( $P_x, P_y$ ) are defined relative to the reaction plane
- $\beta$  = azimuthal angle between (transverse) target polarization and reaction plane  
 $P_x = P_{\perp} \cos \beta$  and  $P_y = P_{\perp} \sin \beta$



# $\pi^+$ Transverse Target Asymmetry

- Setting all transverse amplitudes to zero, the pion electroproduction cross section (with polarized target) is:

$$\sigma = \varepsilon \sigma_L - 2 \varepsilon \sigma_L^y P_{\perp} \sin \beta \quad (P_y = P_{\perp} \sin \beta)$$

- The transverse target asymmetry is typically defined [Frankfurt et al, PRD 60, 014010 (1999)]

$$A_{\perp} = \frac{\int_0^{\pi} d\beta \frac{d\sigma_L^{\pi^+}}{d\beta} - \int_{\pi}^{2\pi} d\beta \frac{d\sigma_L^{\pi^+}}{d\beta}}{\int_0^{2\pi} d\beta \frac{d\sigma_L^{\pi^+}}{d\beta}}$$

- The transverse target asymmetry then involves the ratio of two longitudinal cross sections

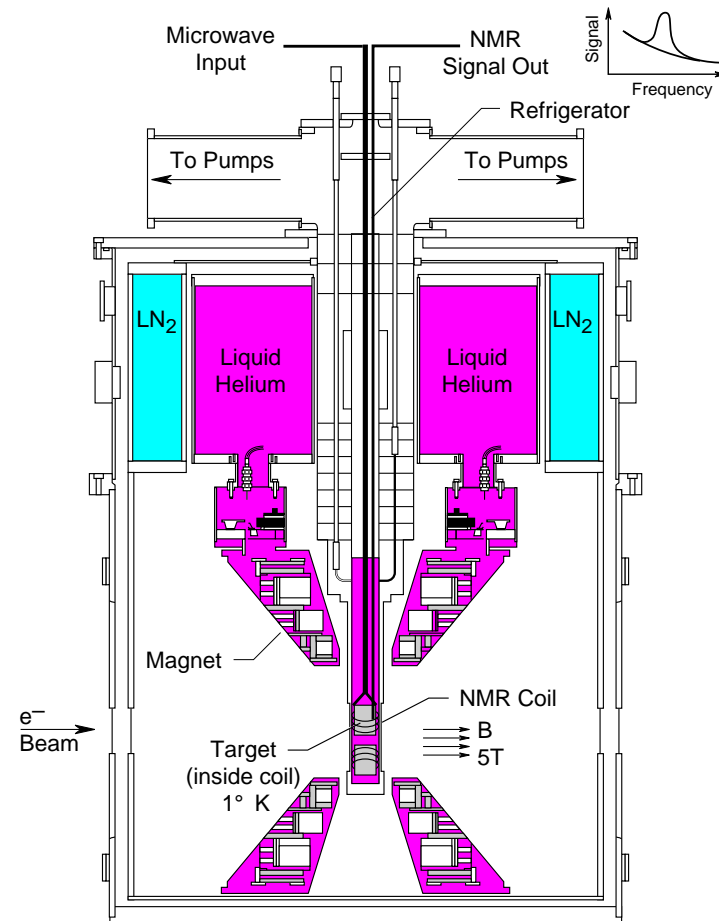
$$A_{\perp} = \frac{2}{\pi} \frac{2\sigma_L^y}{\sigma_L}$$

# Measurement of $A_{\perp}$

- At JLab energies, we cannot ignore the contributions from transverse photons
- To cleanly extract  $A_{\perp}$ , we need
  - Proton target polarized transverse to virtual photon direction (not necessarily a normal target)
  - Large acceptance in  $\pi^+$  azimuthal angle (i.e.  $\phi$  and  $\beta$ )
  - Measurements at multiple beam energies and electron scattering angles  $\rightarrow \epsilon$  dependence
- All of these available with UVa target and the Big Electron Telescope Array (BETA)

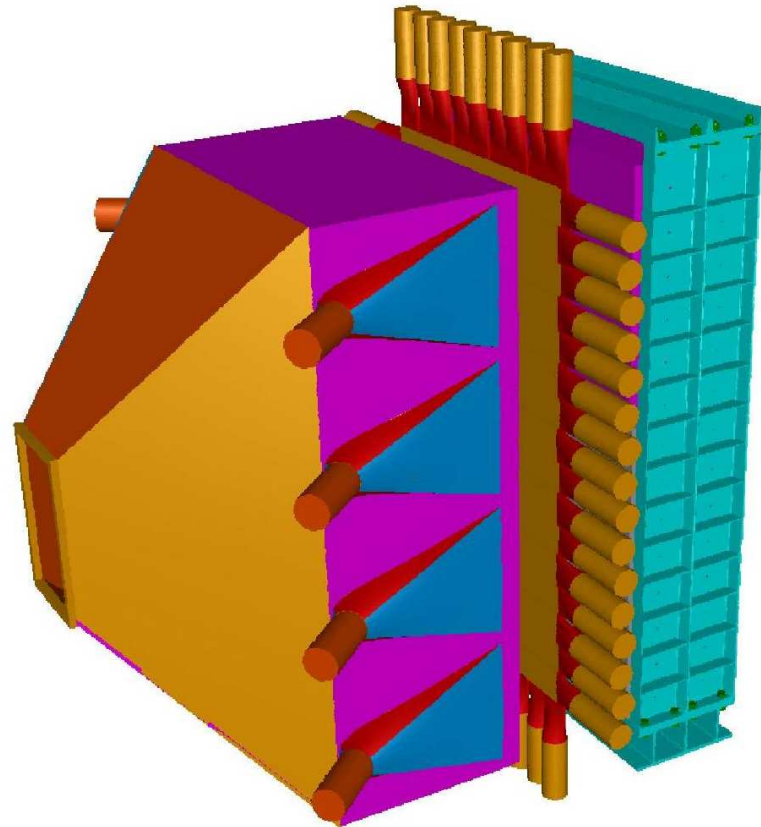
# UVa Polarized Target

- $A_{\perp}$  measurement would use  $\text{NH}_3$  polarized target
- Assume that average polarization  $\sim 80\%$
- Luminosity in uniform field region  $\sim 85 \times 10^{33} \text{ cm}^{-2} \text{ Hz}$
- Must be run at low currents - sufficient event rate can only be achieved with large acceptance detector



# Big Electron Telescope Array

- Non-magnetic LARGE acceptance electron detector
- Components:
  - BigCal- fly's eye calorimeter to be used for  $G_E/G_M$  experiment
  - Gas Čerenkov
  - Lucite detector (?)
- PID not crucial for  $A_{\perp}$  measurement, but helpful to reduce random backgrounds

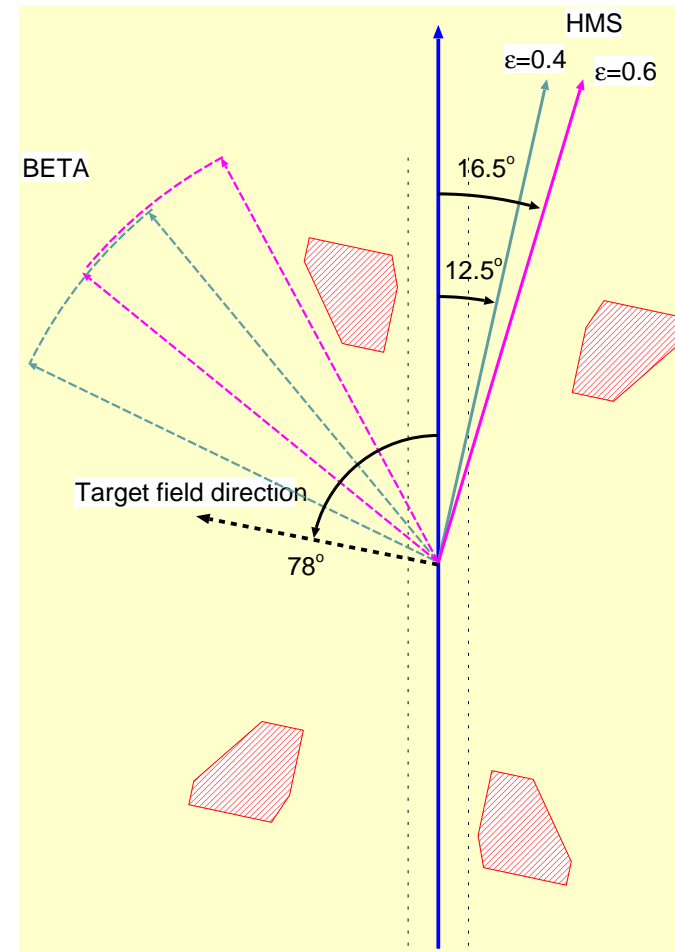


# BETA Parameters

- Calorimeter front area = 218 cm (vertical) x 120 cm (horizontal)
  - Naïve solid angle: 219 msr at an effective distance of 3.45 m from target
  - Fiducial region solid angle: 194 msr
- Energy resolution =  $5\%/\sqrt{E}$
- Position resolution at calorimeter = 4 mm  $\rightarrow$  angular resolution  $\sim 0.1$  degrees

# Hall C Configuration for $A_{\perp}$ Measurement

- Electrons will be detected in **BETA**,  $\pi^+$ s in the HMS
- Polarized target in perpendicular configuration
  - Target field pointing  $78^{\circ}$  beam left
- Target geometry allows for measurements at multiple values of  $\varepsilon$



# The Ideal $A_{\perp}$ Experiment

- The perfect  $A_{\perp}$  experiment would include:
  - Large  $Q^2$  ( $>3-5 \text{ GeV}^2$ ) and large  $W$  ( $>2 \text{ GeV}$ )
  - Large  $\Delta\varepsilon \sim 0.5$
  - Complete and uniform azimuthal angle acceptance ( $\phi$  and  $\beta$ )
- A measurement in Hall C comes close to satisfying these requirements

# $A_{\perp}$ Kinematics

- Kinematics limited by
  - HMS minimum angle  $\rightarrow$  assume  $12.5^{\circ}$  based on RSS experience
  - BETA minimum angle  $\rightarrow$  polarized target geometry requires central angle  $> 39^{\circ}$
- Potential kinematics

$$Q^2 = 3 \text{ GeV}^2$$

$$W = 2 \text{ GeV}$$

$$x_B = 0.49$$

$$\Delta\varepsilon = 0.2$$

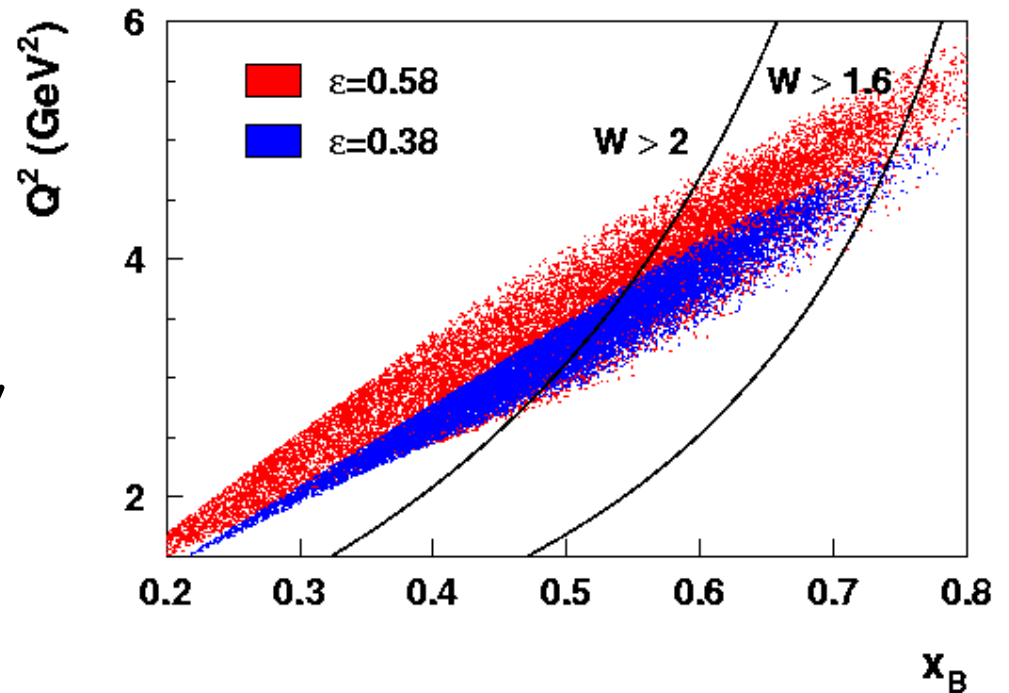
$\varepsilon$	$E_{\text{beam}}$ (Gev)	$\theta_{\text{BETA}}$	$\theta_{\text{HMS}}$	$P_{\text{HMS}}$ (GeV)
0.38	4.4	$53^{\circ}$	$12.5^{\circ}$	3.07
0.58	5.2	$40^{\circ}$	$16.0^{\circ}$	3.07

# Simulation of Polarized Target and BETA

- Acceptance modeled using **SIMC** modified to include effects from polarized target field
- SIMC includes
  - Realistic optics model of HMS
  - Radiative effects, multiple scattering, energy loss
  - NOT a complete Monte Carlo a la GEANT, used mostly for acceptance and aperture checking
- Calorimeter model
  - No detector response, just geometry
  - Positions/energy at calorimeter smeared by Gaussian to approximate resolution effects
- Glen Warren's modifications for target-field (propagation and reconstruction) also included

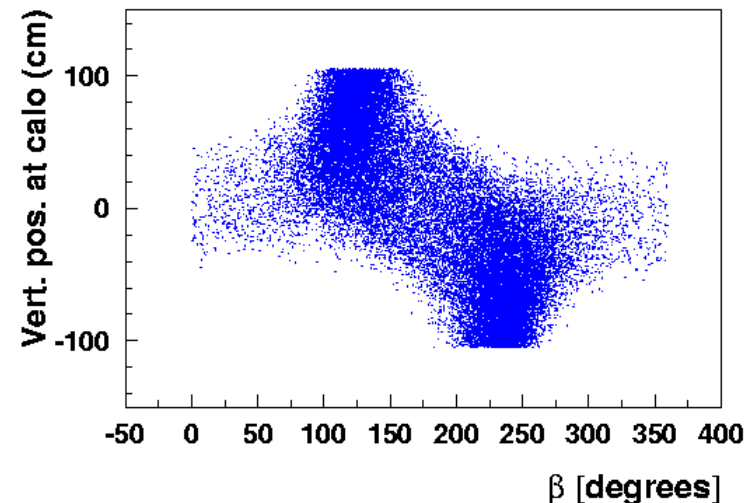
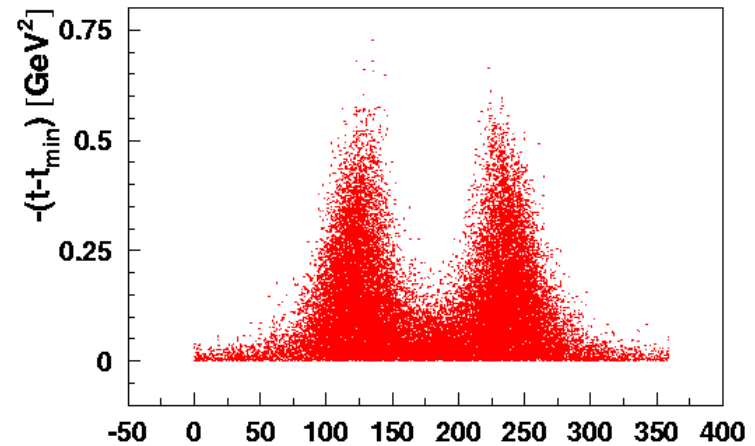
# Kinematic Coverage - Electron

- Large  $Q^2$ ,  $W$  acceptance  $\rightarrow$  can sample several  $x_B$  bins in one setting
- Not all of phase space at  $W > 2 \text{ GeV}$ , but smaller  $W$  at larger  $Q^2$
- Larger  $W$  requires smaller  $\Delta\varepsilon$



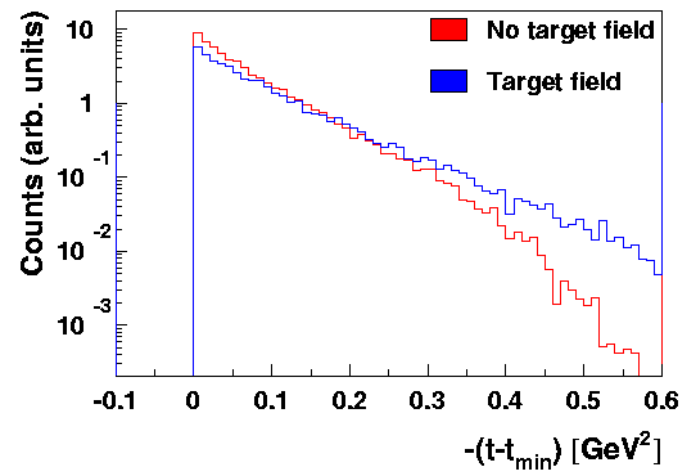
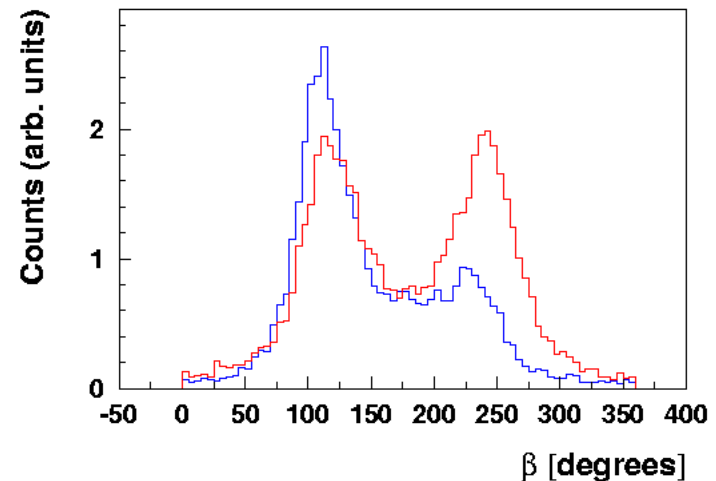
# Kinematic Coverage - Pion

- At  $t=t_{\min}$  (parallel kinematics)  $A_{\perp} = 0$  - need significant  $-t$  acceptance
- $A_{\perp} \sim \sin \beta$ , failing complete  $\beta$  acceptance, sensitivity to region of large asymmetry
- Large vertical acceptance of **BETA** allows us to reach large  $-t$  near  $\beta=90^{\circ}$  and  $270^{\circ}$



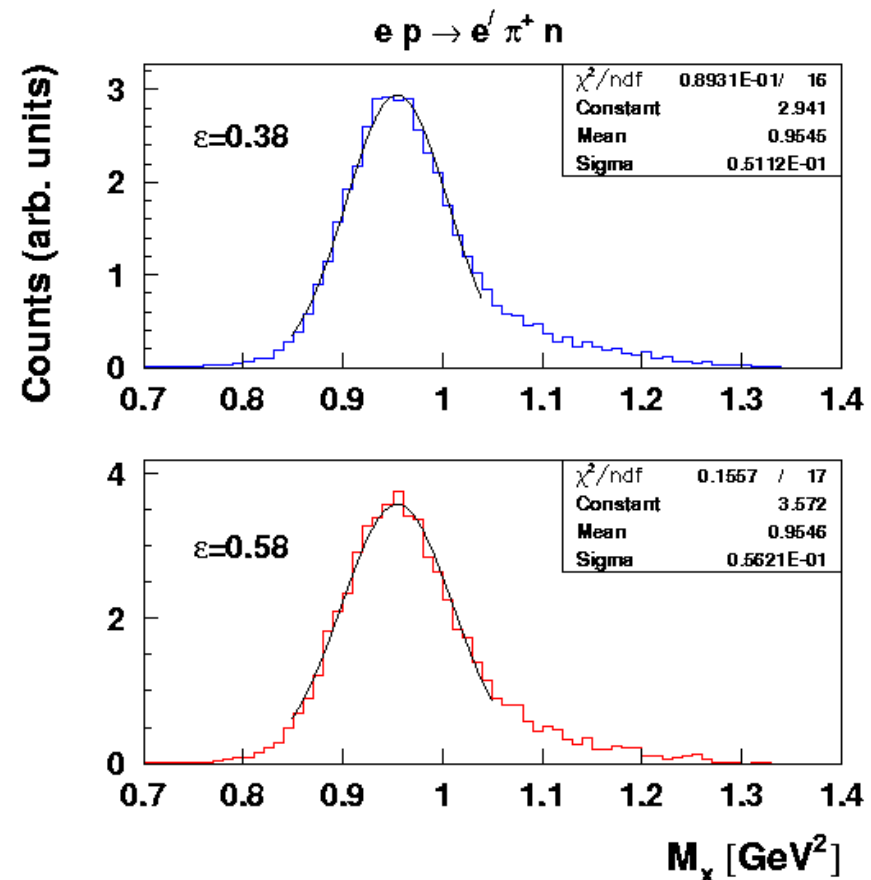
# Effect of Polarized Target Field

- Polarized target field biases HMS acceptance for  $\pi^+$  to "downward" going particles
- Lose symmetry in  $\beta$  acceptance
- $-t$  is shifted to larger values (away from parallel kinematics)



# Missing Mass Resolution

- Clean identification of exclusive final state requires good missing mass resolution
- $M_x$  resolution dominated by calorimeter energy resolution
- $5\%/\sqrt{E}$  should be sufficient to suppress 2-pion and  $\Delta$  contributions, but it can't be much worse
- Gain monitoring will be critical

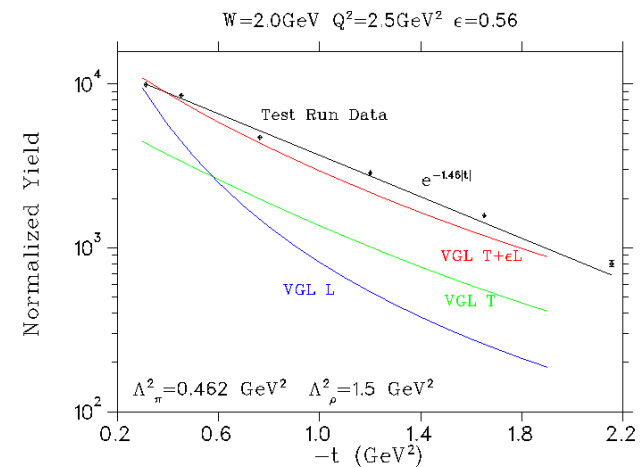
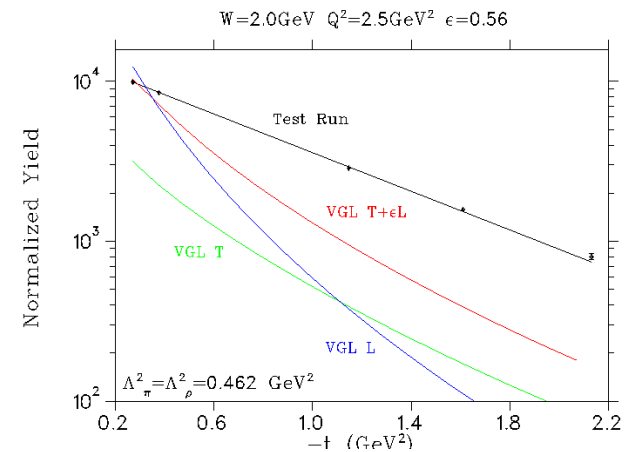


# Rate Estimates

- Initial rate estimates (in LOI submitted in 2003) used Jochen Volmer's parameterization of  $F_{\pi}$ -I data
  - valid for  $Q^2 = 0.6$  to  $1.6 \text{ GeV}^2$
  - assumed extrapolation to higher  $Q^2$  would be OK, but  $\sigma_T$  ( $\sigma_L$ ) rises (drops) too quickly
- Newer rate estimates use VGL Regge model
  - Vanderhaeghen, Guidal, and Laget PRC 57, 1454
- VGL model reasonably consistent with  $F_{\pi}$ -I longitudinal cross sections (transverse slightly under predicted)

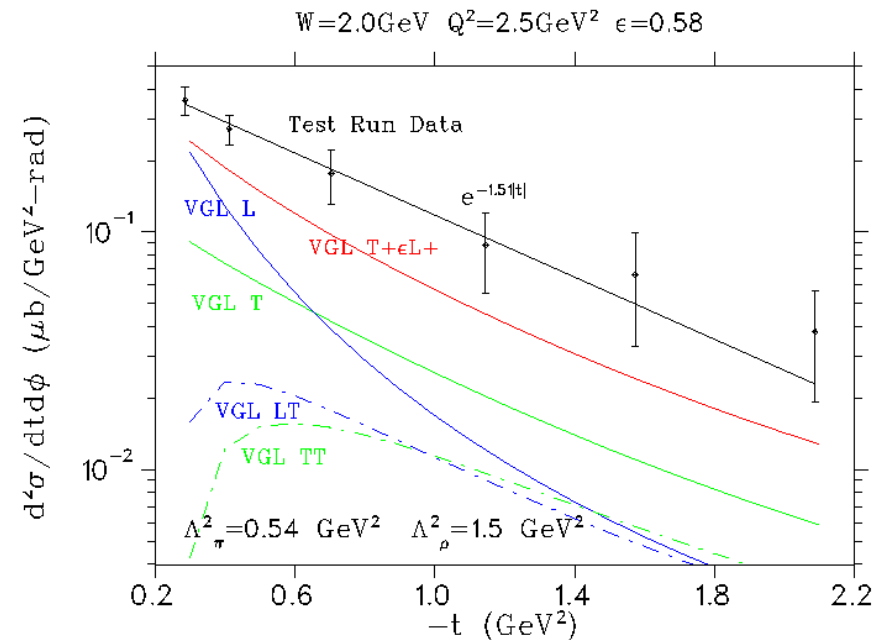
# VGL Model at $Q^2=2.5 \text{ GeV}^2$

- Initial rate estimates with VGL model were extremely low!
- Garth Huber compared to large  $-t$  test data taken during  $F_{\pi^-}$ -II  $\rightarrow -t$  dependence was too steep
- By tweaking  $\rho$  trajectory cutoff parameter ( $\Lambda_{\rho}$ ), found better agreement in  $-t$  dependence



# Modified VGL Model

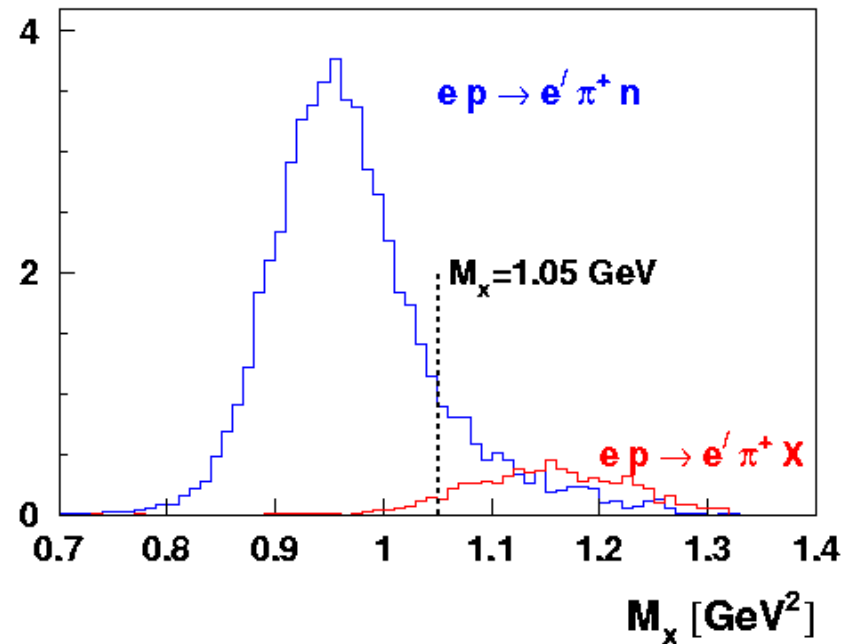
- Using modified VGL model, time for 10,000 counts from polarized H:
  - $\epsilon=0.38$  - 883 hours (36 days)
  - $\epsilon=0.58$  - 679 hours (28 days)
- Estimate includes  $Q^2$ - $W$  matching cuts, calorimeter fiducial cuts, etc.
- BUT- even though  $-t$  dependence is better, still underpredicts cross section by  $\sim 40\%$ !



- Model needs further investigation, so these estimates should be taken with a grain of salt!

# Backgrounds from Semi-inclusive Pion Production

- Contribution from semi-inclusive  $\pi^+$  production can no longer be ignored with relatively poor missing mass resolution
- Model using CTEQ PDFs and fragmentation functions from  $e^+e^-$  data (show fairly good agreement with Hall C Meson Duality experiment)
- For  $M_x < 1.05 \text{ GeV}$  cut, semi-inclusive yield is  $\sim 1\%$  of exclusive yield

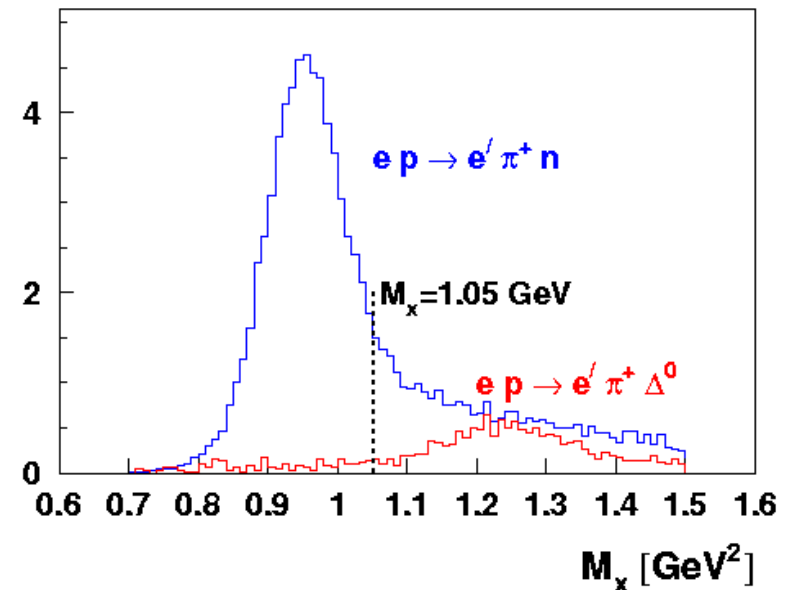


# Associated Delta Production

- $e p \rightarrow e' \pi^+ \Delta^0$  also a potentially significant source of background
- GPD-based prediction of Frankfurt et al (PRL 84, 2589)

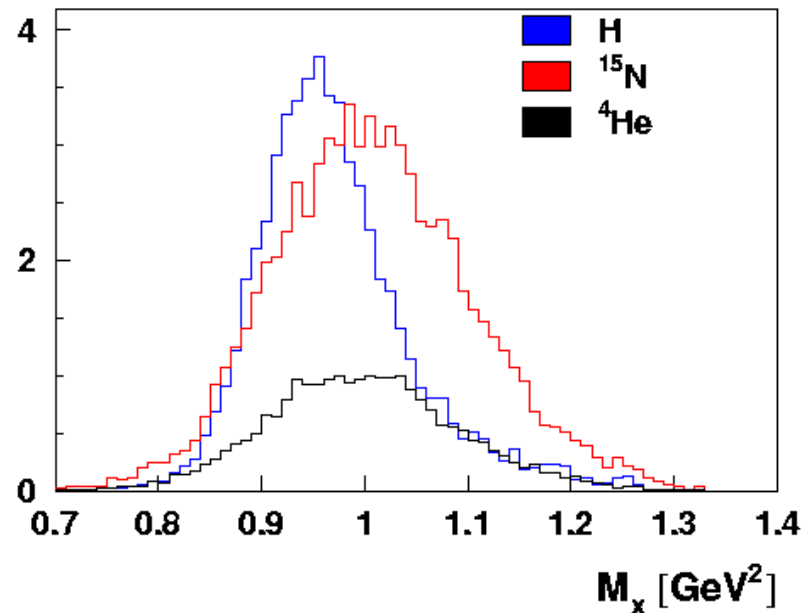
$$\sigma_L(\gamma^* p \rightarrow \pi^+ n) / \sigma_L(\gamma^* p \rightarrow \pi^+ \Delta^0) = 0.5$$

- Using above simple assumption,  $\Delta^0$  production contributes  $\sim 3\%$  to total yield for  $M_x < 1.05 \text{ GeV}$



# Dilution Factor

- Large fraction of the detected rate comes from unpolarized materials in the target
- Model the dilution from  ${}^4\text{He}$ ,  ${}^{15}\text{N}$ , and  ${}^{12}\text{C}$  using a quasifree model of  $\pi^+$  electroproduction
- Define the dilution factor:



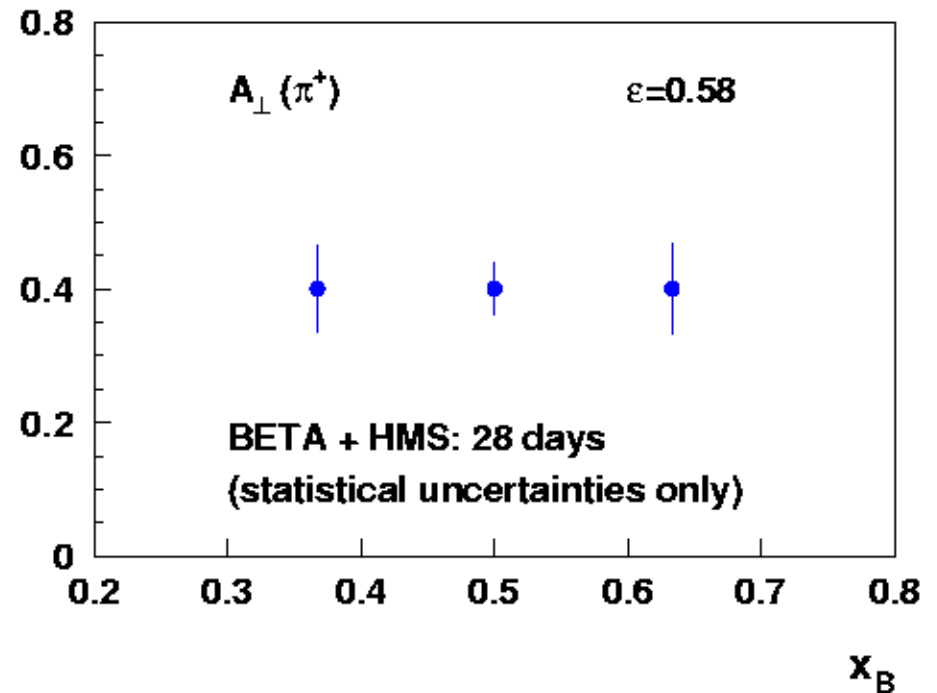
$$f = Y_H / (Y_H + Y_{\text{He}} + Y_N + Y_C) \approx 0.32$$

# Unseparated Asymmetries

- Two ways to extract the asymmetry at each  $\varepsilon$  point
- Cross section fitting
  - Extract  $\sigma$  as a function of  $\beta$  and fit to:  
$$\sigma = \sigma_U + \sigma_A \sin(\beta) + (\text{other terms??})$$
  - To cleanly extract  $A_{\perp} = \sigma_y / \sigma_L$ , we must do it this way
  - Requires detailed knowledge of acceptance
- Conventional asymmetry
  - $A(\beta) = (N(\beta) - N(\beta + \pi)) / N_{\text{tot}}$
  - Ignores potential angular dependence in denominator
  - No way to cleanly de-convolute longitudinal and transverse contributions

# Unseparated Asymmetry: Projected Uncertainties

- Assuming
  - $P_{\text{target}} = 80\%$  ,  $\langle I \rangle = 85 \text{ nA}$
- $\sigma = \sigma_U + \sigma_A \sin(\beta)$
- $A_{\perp} = \sigma_A / \sigma_U$ 
  - Assume  $A_{\perp} = 0.4$
- $\delta A \approx 0.04\text{-}0.06$  (stat)
- For L-T separation:
  - $\delta \sigma_A / \sigma_A = 10\text{-}18\%$
  - $\delta \sigma_U / \sigma_U = 1\text{-}2\%$  (stat)  
but uncertainty in dilution factor will contribute another  $\sim 5\%$



# Uncertainties - Separated Cross Sections

- For "separated" asymmetry, we need to do **two** L-T separations

$$\sigma_A = \sigma_T^\perp + \varepsilon \sigma_L^\perp \quad \sigma_U = \sigma_T + \varepsilon \sigma_L$$

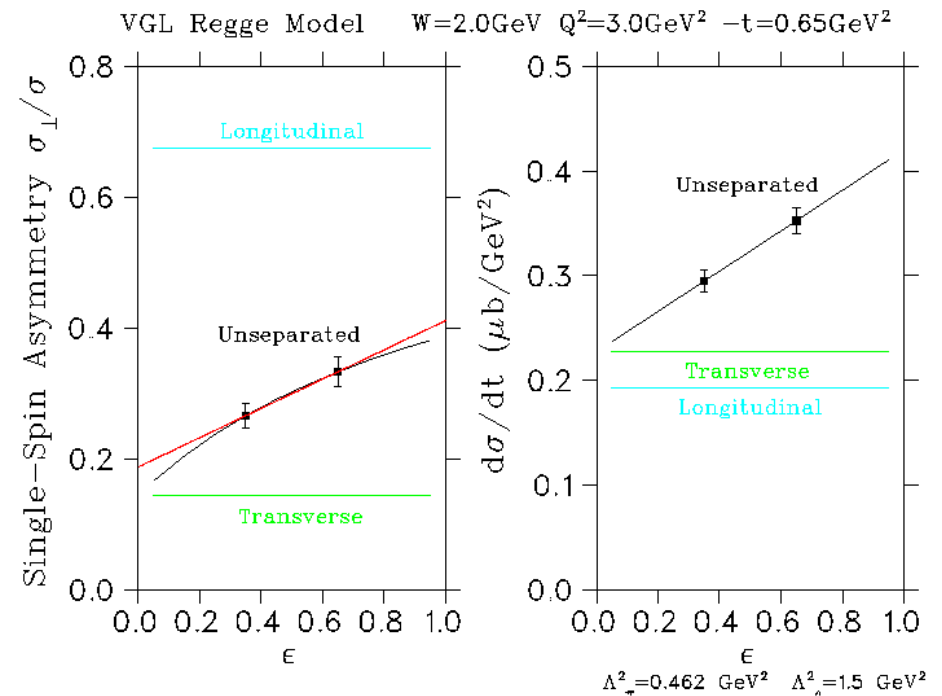
- Define  $r = \sigma_T / \sigma_L$ , uncertainty in longitudinal cross sections is

$$\Delta\sigma_L / \sigma_L = 1/(\varepsilon_1 - \varepsilon_2) \Delta\sigma / \sigma [(r + \varepsilon_1)^2 + (r + \varepsilon_2)^2]^{1/2}$$

- Unseparated asymmetries
  - $\delta A \sim \text{constant}$ , independent of size of asymmetry
- Separated cross sections (and asymmetries):
  - $\delta A / A \sim \text{constant}$

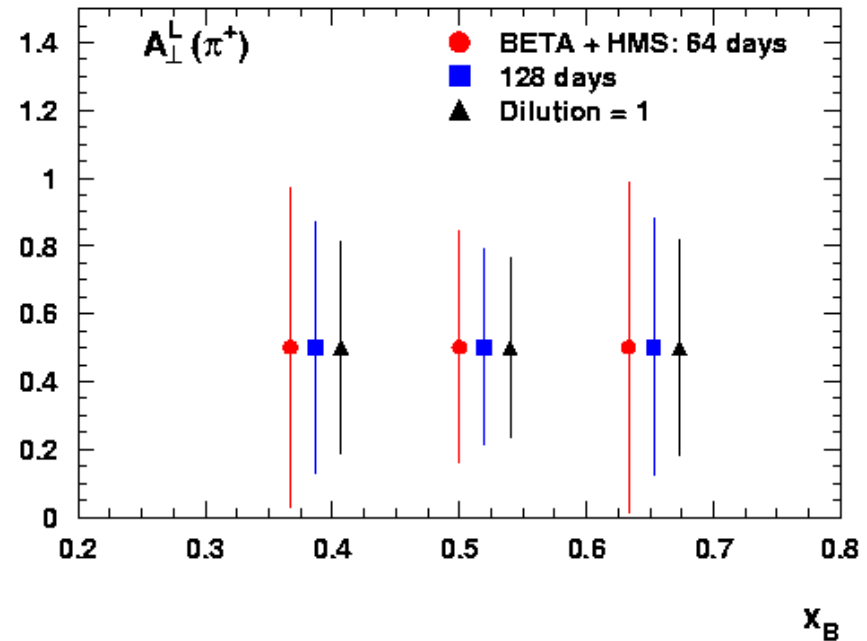
# VGL Predictions for $\sigma$ and $A_{\perp}$

- $A_{\perp} = (\sigma_{\perp}^{\perp} + \epsilon \sigma_{\perp}^{\parallel}) / (\sigma_{\perp} + \epsilon \sigma_{\parallel})$
- In "modified" VGL model, the unseparated asymmetry is  $\sim 0.3-0.4$
- While  $\sigma_{\perp}$  and  $\sigma_{\parallel}$  are comparable, the transverse contribution to the asymmetry is small



# Projected Uncertainties for "Separated Asymmetry"

- Taking modified VGL model as guidance, assume
  - $\sigma_L/\sigma_T \approx 1$  and  $(\sigma_L/\sigma_T)_\perp \approx 5$
  - $\sigma_\perp \approx 0.4 \sigma$
- This gives  $\delta\sigma_\perp/\sigma_\perp = 0.1 - 0.17$   
 $(\delta\sigma_\perp/\sigma_\perp)_L = 0.53 - 0.83$   
 and  
 $(\delta A_\perp/A_\perp)_L = 0.7 - 0.98$
- The only way to decrease these uncertainties is to:
  - Dramatically increase statistics
  - Decrease dilution factor
  - Increase  $\Delta\varepsilon$



Ratio of full-blown L-T separations  
may not be the best way to go!

# $\varepsilon$ Dependence of $A_{\perp}$

- Two Rosenbluth separations and ratio of longitudinal cross sections

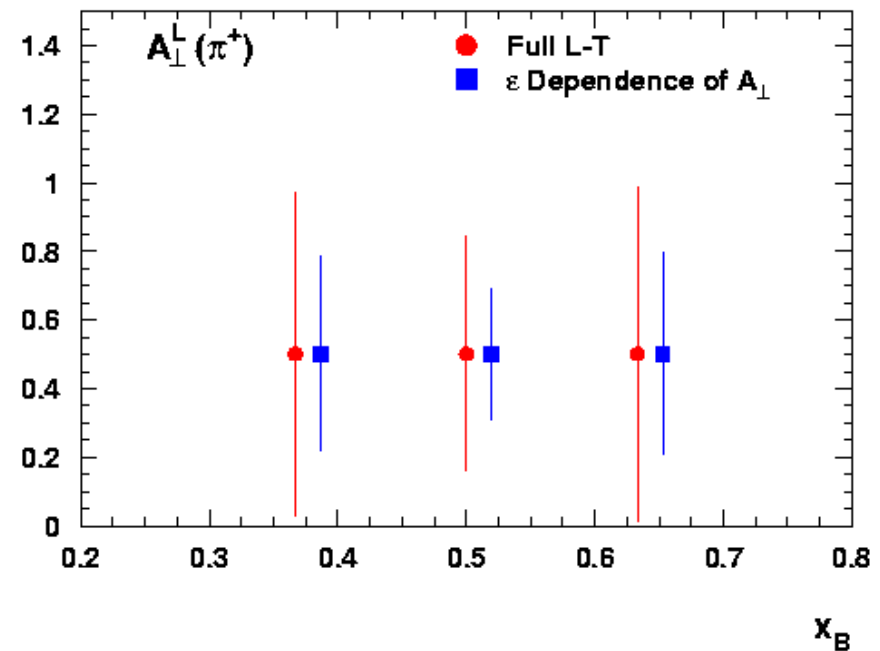
$$\sigma_A = \sigma_T^{\perp} + \varepsilon \sigma_L^{\perp}$$

$$\sigma_U = \sigma_T + \varepsilon \sigma_L$$

- Rosenbluth separation of asymmetry

- $A = A_T + \varepsilon A_L$

- At each  $\varepsilon$ , correct denominator ( $\sigma$ ) by ratio  $r = \sigma_T / \sigma_L \rightarrow \sigma_L = \sigma / (r + \varepsilon)$   
so  $A_{\text{cor}} = A_X (r + \varepsilon)$



If we know  $r$  to 5% (from our data or other), then  $(\delta A_{\perp} / A_{\perp})_L = 0.33-0.52$

# Systematic Uncertainties

- All discussion to this point has ignored systematic uncertainties
- In L-T separation, systematic uncertainties **uncorrelated in  $\epsilon$**  are the big problem
- The usual suspects
  - Acceptance
  - Charge
  - Efficiencies
- All of the above will be more challenging than usual - we will have in addition:
  - Backgrounds changing vs.  $e$
  - Missing mass resolution changing with  $e$
- Typical Hall C L-T's -> uncorrelated uncertainty  $\sim 2.5\%$
- Since  $\delta A/A \sim 8-10\%$ , uncorrelated uncertainties could be larger

# Options with a Normal Target

- With a target polarized out of plane, more flexibility in  $A_{\perp}$  kinematics
  - **BETA** can move to smaller angle ( $\sim 30^\circ$ )
  - $\Delta\varepsilon$  range increases to 0.3 (still constrained at large  $\varepsilon$  by minimum HMS angle)
- Drawbacks
  - Can only sample one side of **q-vector** at small HMS angles  $\rightarrow$  for in-plane target, large vertical **BETA** acceptance allowed sampling of both sides of **q**
  - Rates are larger at smaller angle, but still rate limited at back angles

# Other Measurements

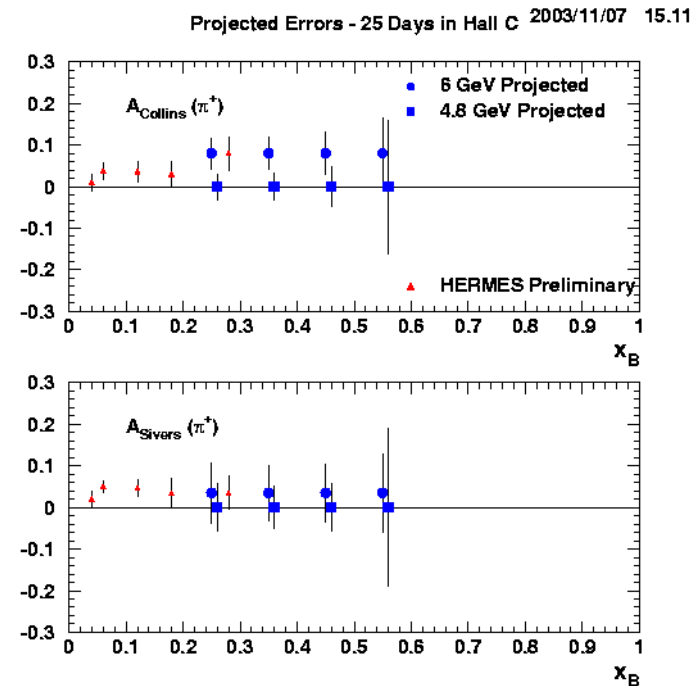
- **LOI-03-002** in Hall B for a large program of transverse target measurements
  - Exclusive  $\pi^+$  production mentioned as part of overall program
  - Even taking data continuously over a long period, the likely lower luminosity may not make a measurement feasible
  - No mention of L-T separation
  - Even extracting the  $\varepsilon$  dependence of the asymmetry requires good knowledge of the experimental acceptance
- **HERMES** currently carrying out a series of measurements on transversely polarized H target
  - Missing mass resolution not sufficient - exclusive  $\pi^+$  measurement requires tricky (accurate?) background subtraction
  - L-T separations of any kind basically impossible

# Transversity

- Transverse target asymmetry in semi-inclusive sector

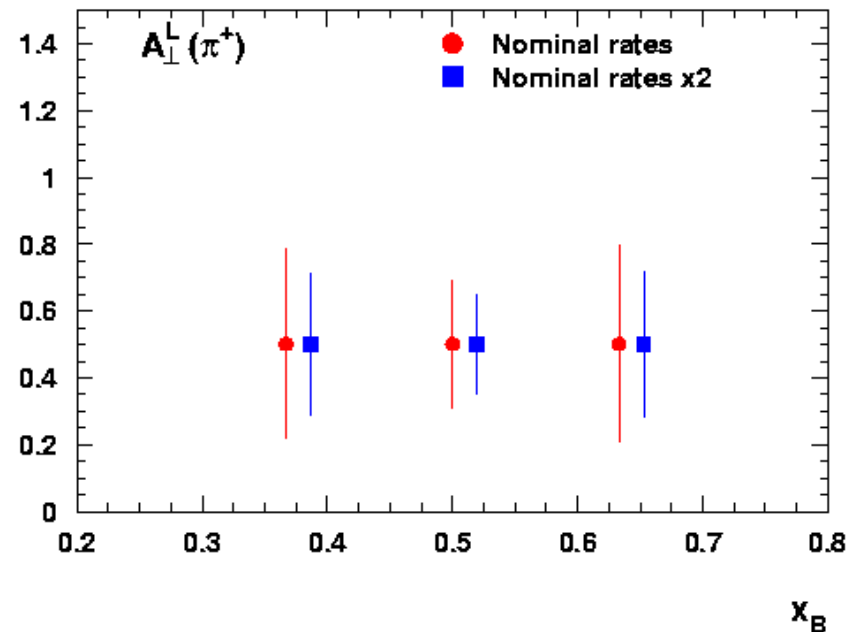
$$p(e, e' \pi^+) X$$

- Sensitive to transversity distribution in the nucleon,  $\delta q(x)$
- Transversity distribution can be related to the tensor charge of the nucleon
- A measurement at JLAB would access larger  $x$  than available at HERMES



# Conclusions

- $A_{\perp}$  measurement feasible (although time consuming) in Hall C with BETA and UVa target
- Unseparated asymmetries can be measured to  $\delta A \approx 0.06$
- Uncertainties on separated asymmetries significantly larger
- Lack of knowledge of exclusive  $\pi^+$  cross section a big problem
  - "Modified" VGL model still underpredicts data
  - L-T ratio not well constrained



Perhaps best to choose kinematics where there is already high precision L-T separated cross section data  
→ overlap with  $F_{\pi}$ -II kinematics at  $Q^2 = 2.5 \text{ GeV}^2$ ?