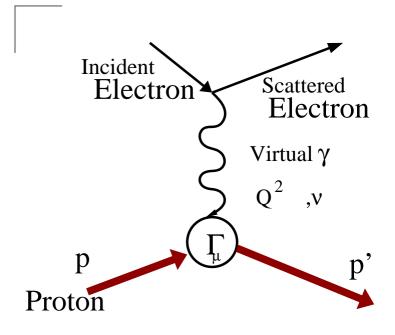
Recent and future measurements of the proton electric form factor

Mark K. Jones, Jefferson Lab

Workshop on Nucleon Form Factors

Elastic Electron-Nucleon Scattering

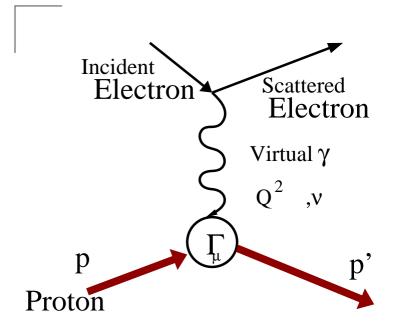


Nucleon vertex:
$$\Gamma_{\mu}(p',p) = \underbrace{F_1(Q^2)}_{Dirac} \gamma_{\mu} + \underbrace{\frac{i\kappa_p}{2M_p}}_{Pauli} \underbrace{F_2(Q^2)}_{Pauli} \sigma_{\mu\nu} q^{\nu}$$

$$G_E(Q^2) = F_1(Q^2) \cdot \kappa_N \tau F_2(Q^2)$$

$$G_M(Q^2) = F_1(Q^2) + \kappa_N F_2(Q^2) , \tau = \frac{Q^2}{4M_N}$$
 At $Q^2 = 0$ $G_{Mp} = 2.79$ $G_{Mn} = -1.91$
$$G_{Ep} = 1$$
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Extract G_E^2 and G_M^2 from:

 \rightarrow Cross-section measurements N(e, e')

Extract G_E/G_M from:

- → Beam-target Asymmetries $\vec{N}(\vec{e}, e')N$
- \rightarrow Recoil polarization $N(\vec{e}, e')\vec{N}$

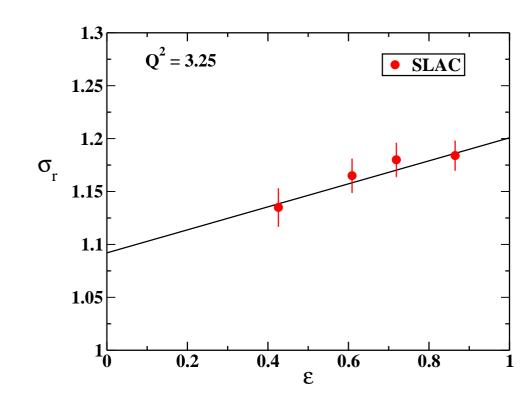
Rosenbluth separation technique

ep elastic cross-section:

$$\sigma_r \propto \frac{\epsilon}{\tau} \left(\frac{G_E}{G_D}\right)^2 + \left(\frac{G_M}{G_D}\right)^2$$

$$G_D = (1 + Q^2/.71)^{-2} \qquad \tau = Q^2/4M^2$$

At fixed Q^2 : Vary ϵ G_E is slope G_M is intercept



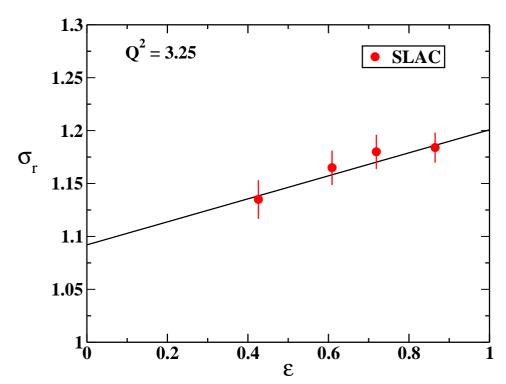
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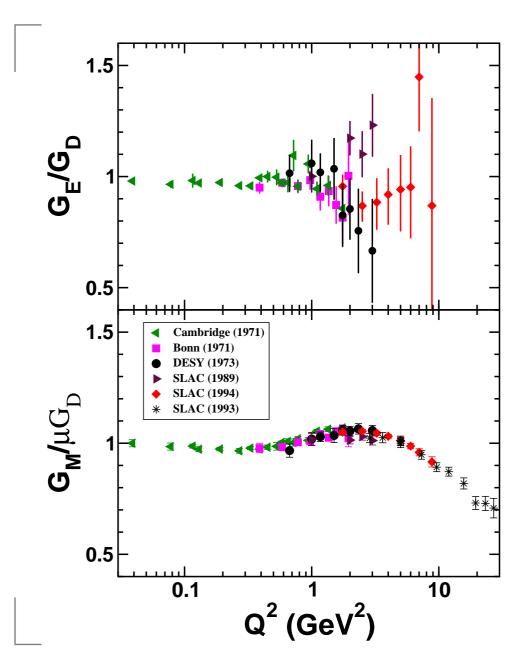
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For $Q^2 > 1$ measuring G_E becomes more difficult

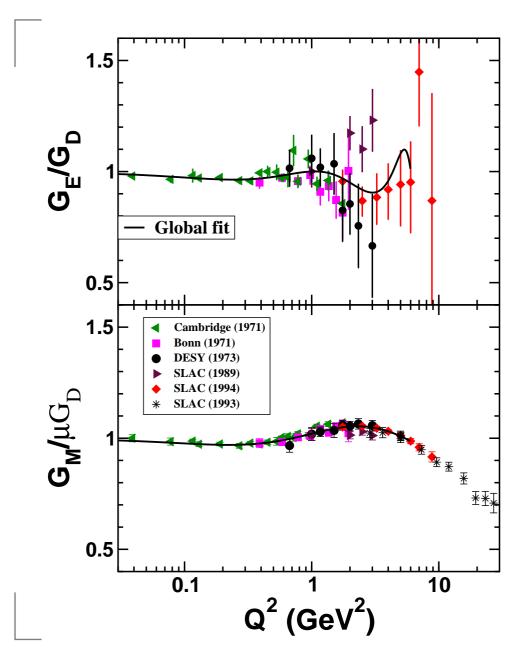
- G_E becomes a smaller fraction of σ
- At $Q^2 = 5$, G_E maximum 8% contribution to σ (assuming $\mu G_E/G_M = 1$)

Proton Form Factors: G_M and G_E



At all Q^2 $\longrightarrow G_M$ well measured
At $Q^2 > 1$ \longrightarrow Error on G_E large

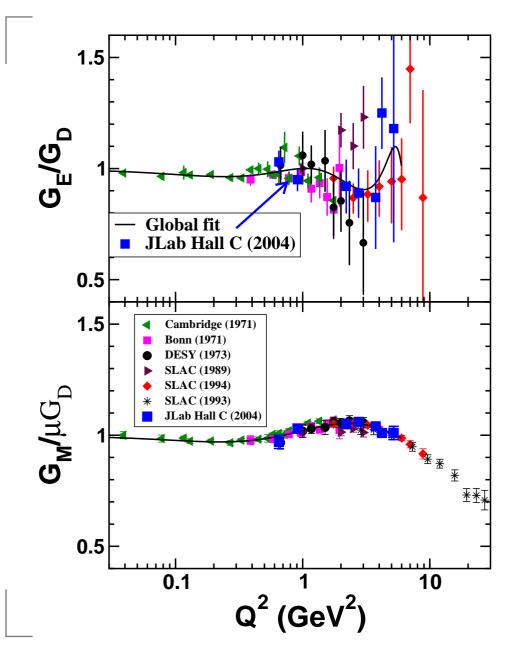
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- → Recent global fit to world cross section data
- J. Arrington PRC 69, 02201R (2004)

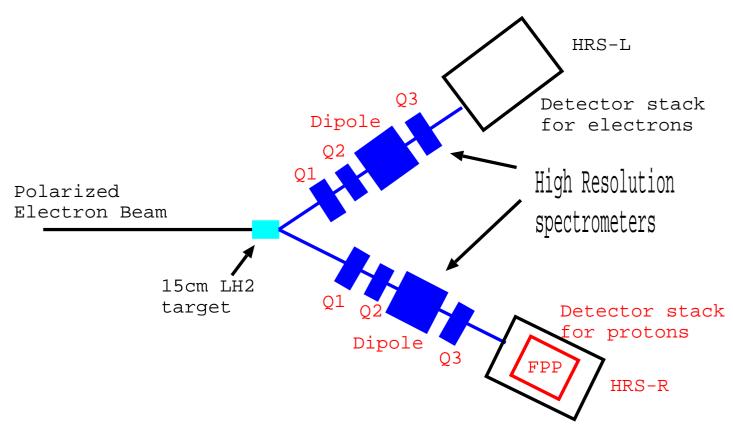
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- J. Arrington PRC 69, 02201R (2004)
- → Recent Hall C data
- M. E. Christy, PRC 70, 015206 (2004)

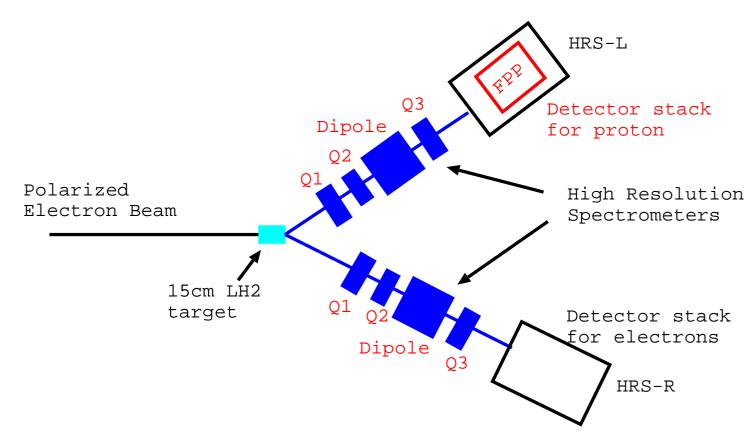
JLab Recoil Polarization Experiments



1st JLab experiment Electrons detected HRS-L Protons detected HRS-R

Covered Q^2 from 0.5 to 3.5 GeV².

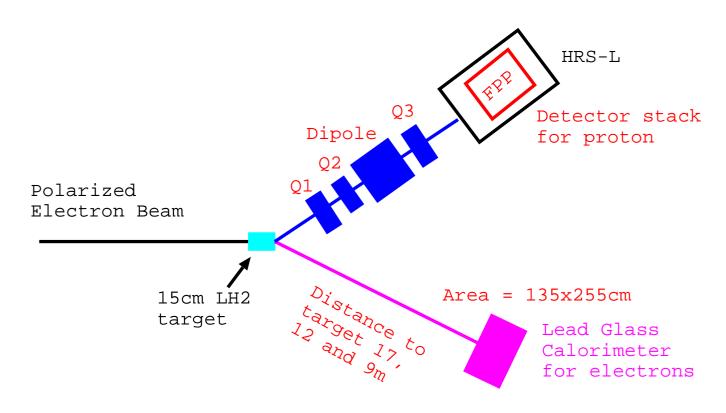
JLab Recoil Polarization Experiments



2nd JLab experiment Protons detected HRS-L

Covered Q^2 from 3.5 to 5.6 GeV².

JLab Recoil Polarization Experiments

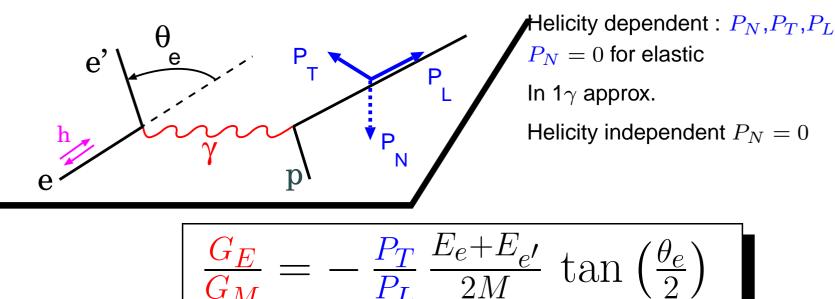


2nd JLab experiment

Protons detected HRS-L Electrons detected calorimeter

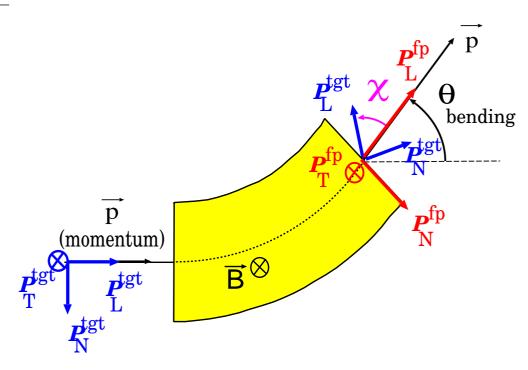
Covered Q^2 from 3.5 to 5.6 GeV².

Spin Transfer Reaction ${}^{1}\mathbf{H}(\vec{e},e'\vec{p})$



- Experiments detect the electron and proton in coincidence
- Proton spin measured by second scattering in polarimeter
- Experiments done at MIT-Bates, Mainz and JLab

Spin precession



Precession angle

$$\chi = \gamma \, \kappa_p \, \theta_b$$
 For Hall A HRS $\theta_b = 45^\circ$

For
$$Q^2=2.2$$
 , $\chi=180^\circ$

FPP measures P_N^{fp} , P_T^{fp} Simple dipole magnet

$$P_T^{fp} = P_T^{tgt}$$

$$P_N^{fp} = P_L^{tgt} \sin \chi$$

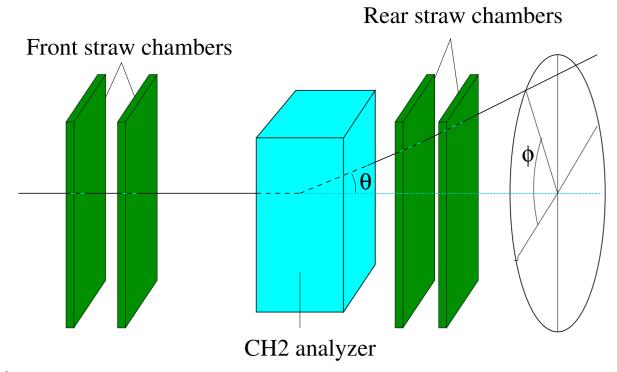
In general

$$P_T^{fp} = S_{tt}P_T^{tgt} + S_{tl}P_L^{tgt}$$

$$P_N^{fp} = S_{nt}P_T^{tgt} + S_{nl}P_L^{tgt}$$

 $S_{tt}, S_{tl}, S_{nt}, S_{nl}$ calculated from model of spectrometer

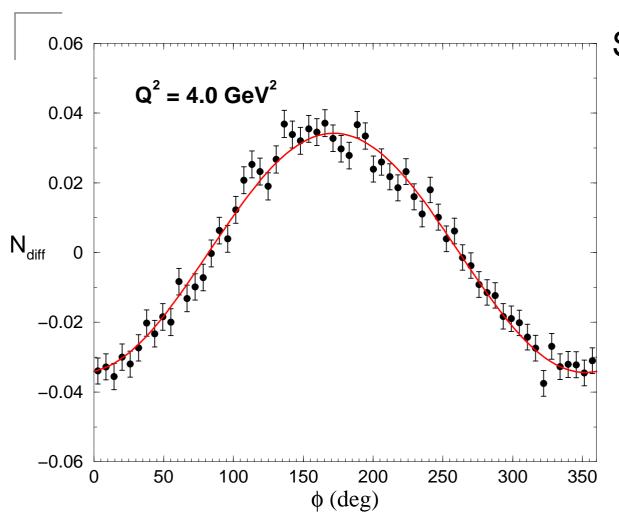
Focal Plane Polarimeter



Measure $N^{\pm}(\theta, \phi)$, ϕ distribution of protons scattered in an analyzer (A_c) for each beam helicity (h)

$$N_D = \frac{1}{2} \left[\frac{N^+(\theta, \phi)}{N_o^+(\theta)} - \frac{N^-(\theta, \phi)}{N_o^-(\theta)} \right] = hA_c \left[P_N^{fp} \cos \phi + P_T^{fp} \sin \phi \right]$$

FPP ϕ **Distributions**

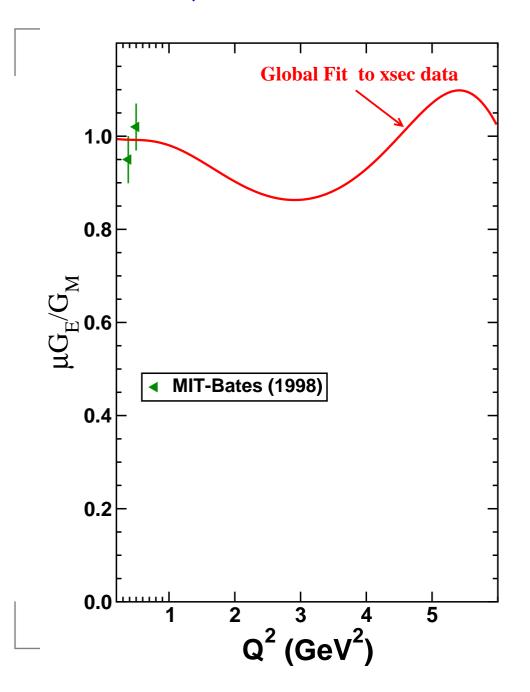


Simple dipole magnet

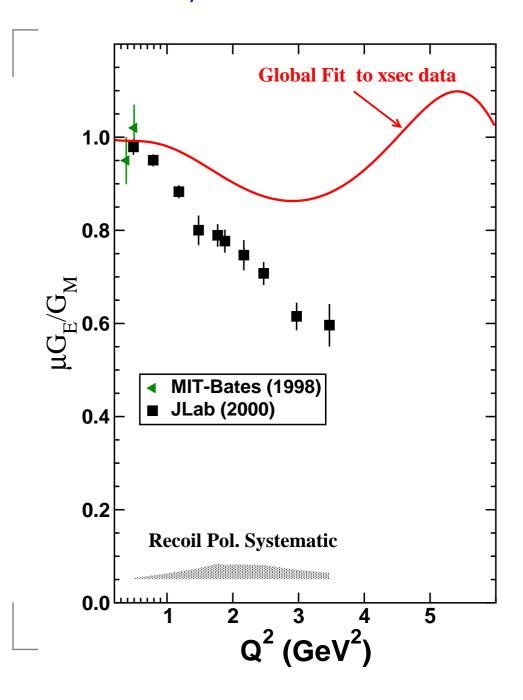
$$\frac{P_T^{tgt}}{P_L^{tgt}} = \frac{P_T^{fp}}{P_N^{fp}} \sin \chi$$

hA_c cancels!

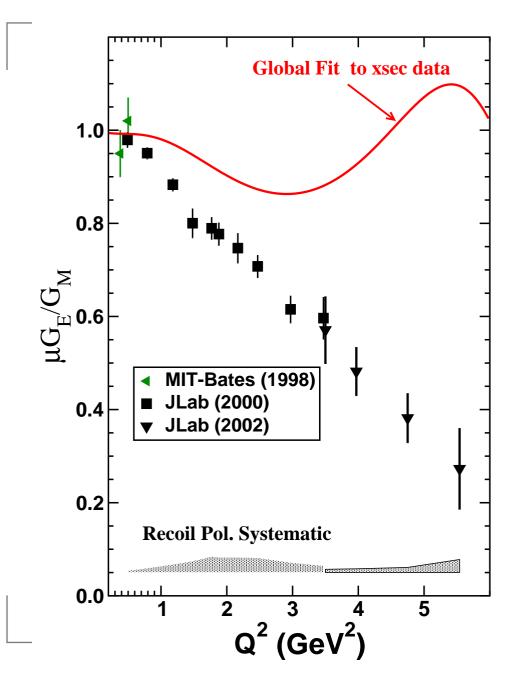
$$N_D = \frac{hA_c}{N} \left[P_N^{fp} \cos \phi + P_T^{fp} \sin \phi \right]$$



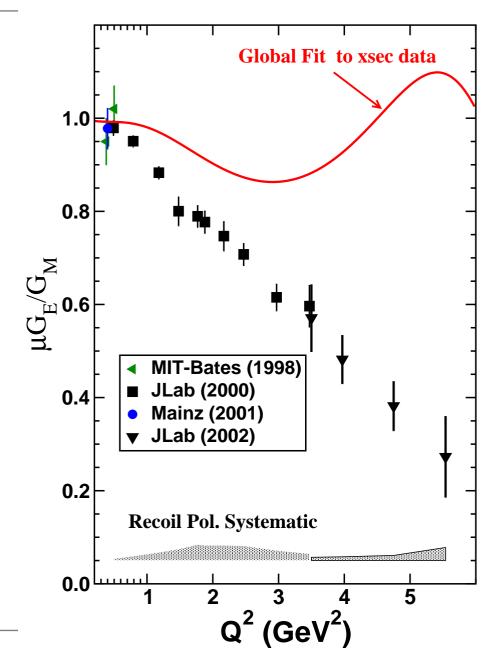
MIT-Bates experiment



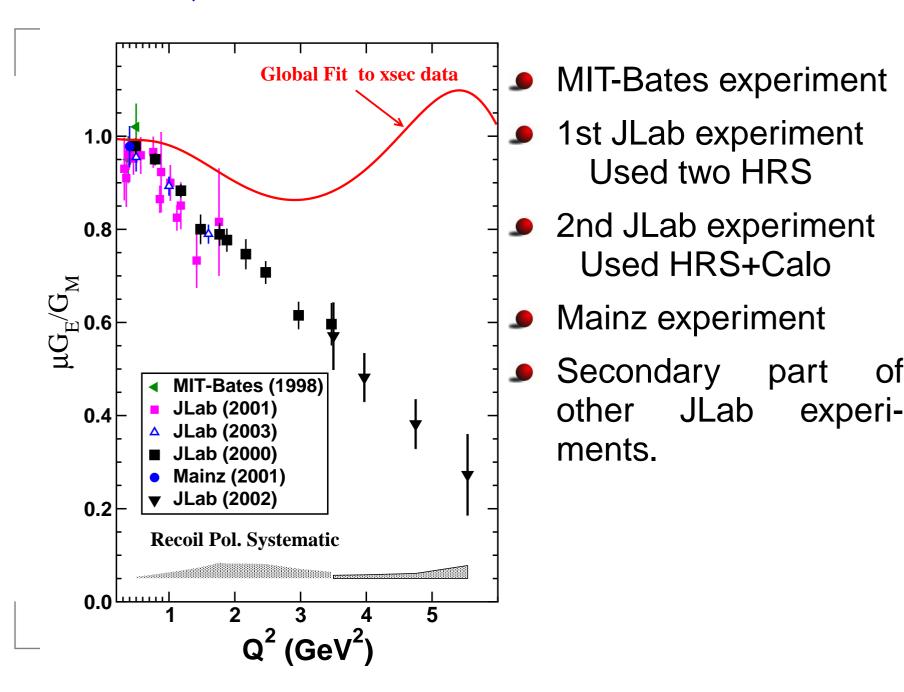
- MIT-Bates experiment
- 1st JLab experiment Used two HRS



- MIT-Bates experiment
- 1st JLab experiment Used two HRS
- 2nd JLab experiment Used HRS+Calo



- MIT-Bates experiment
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- Mainz experiment

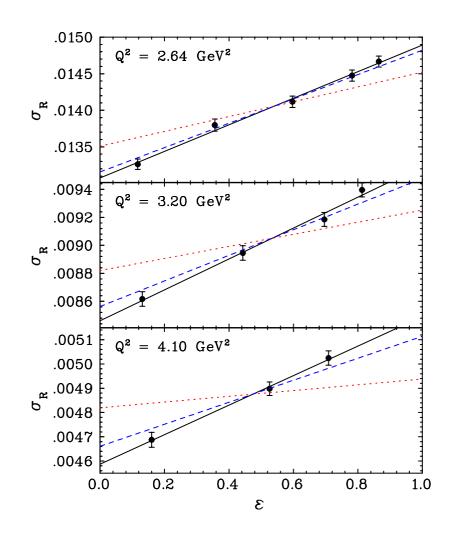


JLab Hall A Rosenbluth experiment

- At JLab in Hall A did Rosenbluth separation
 - → Single arm proton detection
- Advantages:
 - ullet Proton momentum fixed at each ϵ
 - Rate is nearly constant with ϵ
 - Reduces size of ϵ -dependent radiative corrections
 - Reduces systematic error from beam energy and scattering angle
- I. Qattan et al. PRL 94, 142301 (2005)

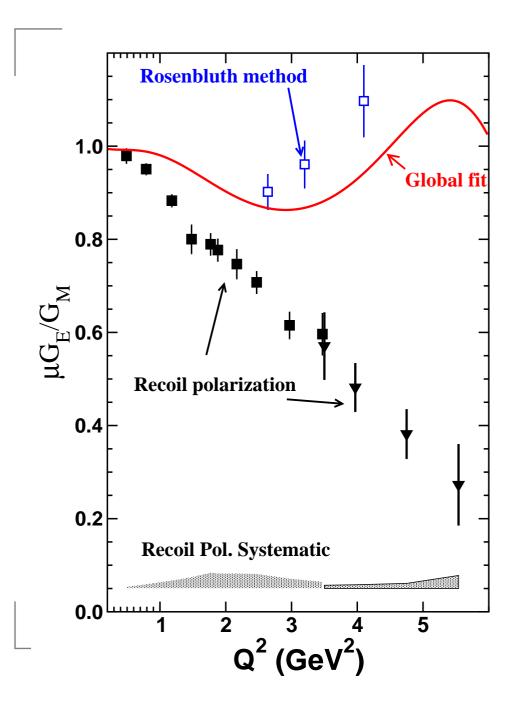
JLab Hall A Rosenbluth plots

- Plot σ_r versus ϵ
 - Solid black line is fit to data
 - Dashed blue line is from a fit to previous cross section data.
 - Dotted red line is using G_E/G_M from recoil polarization
- Systematic error on slope is 0.55%



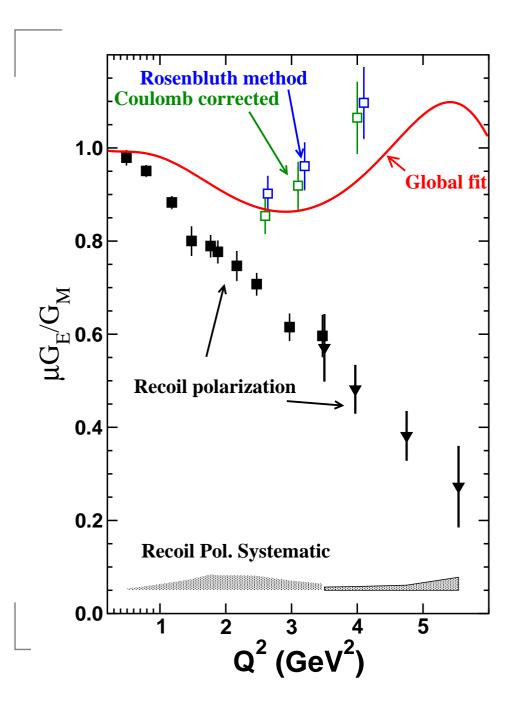
Slope $\propto G_E$ Intercept $\propto G_M$

Comparison of G_E/G_M



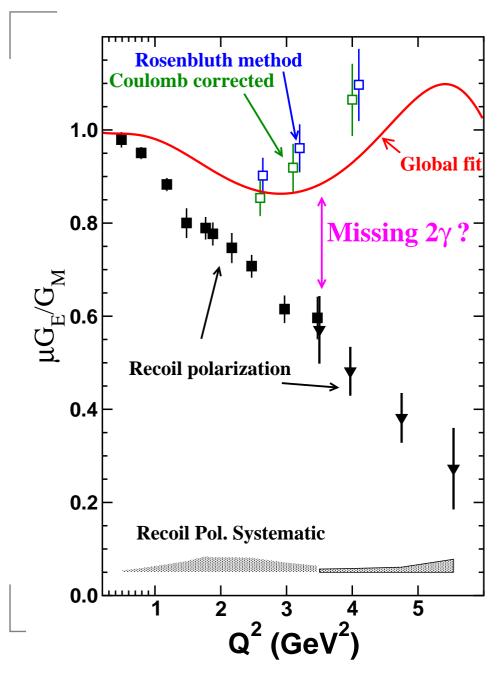
- Hall A Rosenbluth G_E/G_M agrees with previous cross section measurements
- Discrepancy between G_E/G_M from recoil polarization and from cross section measurement persistent

Comparison of G_E/G_M



• Coulomb correction (soft multi- γ) is small correction to xsec data

Comparison of G_E/G_M



- Coulomb correction (soft multi- γ) is small correction to xsec data
- Missing physics from 2γ exchange?

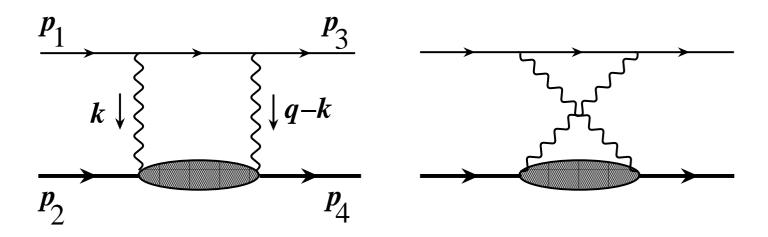
$$\sigma_r \propto \frac{\epsilon}{\tau} G_E^2 + G_M^2 + \epsilon \sigma_{2\gamma}(\epsilon, Q^2)$$

Explain discrepancy with

$$\sigma_{2\gamma}(\epsilon,Q^2) \sim 6\%$$

with small ϵ,Q^2 dependence

2γ exchange contribution



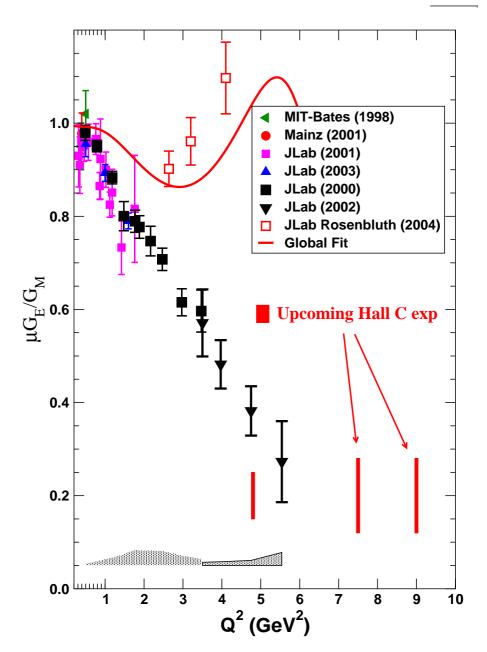
- Nucleon elastic intermediate state P.G. Blunden, W. Melnitchouk, J.A. Tjon
- GPD calculation A. V. Afanasev, S. J. Brodsky, C. E. Carlson, Y. Chen, M. Vanderhaeghen
- ullet Various proposals to measure 2γ exchange contribution
 - $m{ar{\omega}}$ ϵ dependence of $\sigma_{e^+p}/\sigma_{e^-p}$
 - Precision ϵ dependence of σ_{e^-}
 - ϵ dependence of P_T/P_L .
- Talks in the afternoon 2γ session

Future G_E/G_M at JLab in Hall C

- ullet At JLab to reach higher Q^2 need to detect protons in the Hall C HMS
- As in Hall A, to maximize rate need to use large calorimeter to detect electron
- At Dubna measured A=0.05 for CH_2 at proton momentum 5.3 GeV/c and test various thickness of CH_2
- From these tests decided on using a double polarimeter in Hall C.

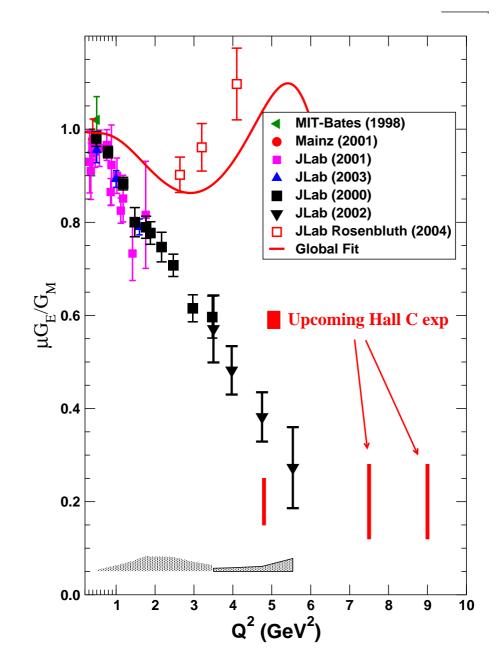
Future G_E/G_M at JLab in Hall C

- FPP has been built at Dubna and will be installed in the HMS
- A large calorimeter has been assembled with help of IHEP and Yerevan.
- Scheduled to run in 2007.



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- A large calorimeter has been assembled with help of IHEP and Yerevan.
- Scheduled to run in 2007.
- With the 12 GeV upgrade at JLab can reach $Q^2 = 14$



Summary

- Proton G_E/G_M has been measured to $Q^2 = 5.6$ → In Hall C at JLab 2007

 Measure G_E/G_M at $Q^2 = 7.5$ and 9 GeV²
- ullet Precision data on G_E/G_M from recoil polarization and cross section measurements disagree
 - Need to include 2γ contributions when extracting G_E/G_M from cross section measurements.
 - \rightarrow Need other experiments to study 2γ
- Combined with precision data on the neutron has stimulated study of nucleon structure
 - Relativistic effects
 - Angular momentum
 - Constituent quark models