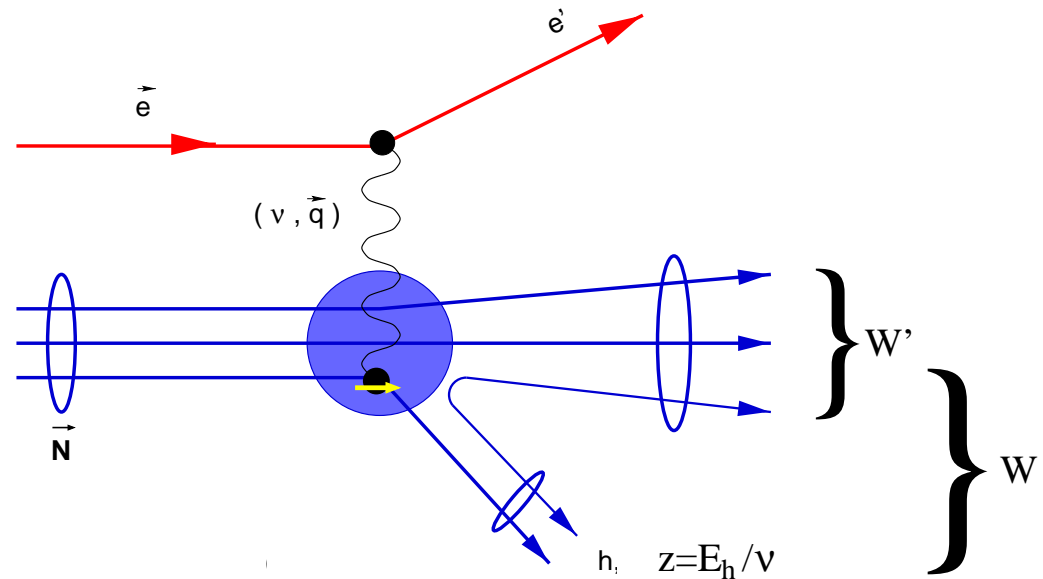


Flavor Decomposition of Nucleon Spin Structure

Spokespersons: D. Day (UVa), X. Jiang (Rutgers), M. Jones (JLab)

Argonne, Duke, FIU, Hampton, JLab, Kentucky, Maryland, UMass, Norfolk
ODU, RPI, Rutgers, Temple, UVa, W&M, Yerevan-Armenia, Regina-Canada

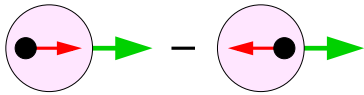
$$A_1^h \propto A_{\parallel}^h = \frac{\sigma^{\uparrow\downarrow} - \sigma^{\uparrow\uparrow}}{\sigma^{\uparrow\downarrow} + \sigma^{\uparrow\uparrow}}$$



Semi-inclusive asymmetry A_1^h in $\vec{p}(\vec{e}, e'h)X$ and $\vec{d}(\vec{e}, e'h)X$ ($h = \pi^+, \pi^-, K^+, K^-$).

- Flavor tagging in SIDIS \rightarrow flavor decomposition: $\Delta u, \Delta d, \Delta \bar{u}, \Delta \bar{d}, \Delta s = \Delta \bar{s}$.
- Well-controlled phase space and efficiency \rightarrow combined yield ratio $A_1^{\pi^+ + \pi^-}$.
Build-in tests of factorization: z -independence of $A_1^{\pi^+ + \pi^-}$.
- Access the sea polarization $\Delta \bar{u} - \Delta \bar{d}$ and Δs .

Accessing quark spin Δq_f



$$\Delta q_f(x) \equiv q_f^{\uparrow\uparrow}(x) - q_f^{\uparrow\downarrow}(x)$$

Inclusive DIS $\vec{N}(\vec{e}, e')$ \rightarrow access only $\Delta q + \Delta \bar{q}$.

Introduce the assumption of $SU(3)_f$ flavor symmetry, link with hyperon β -decay:

- Quarks contribute only a small part of nucleon spin.
- $\Delta s < 0$.

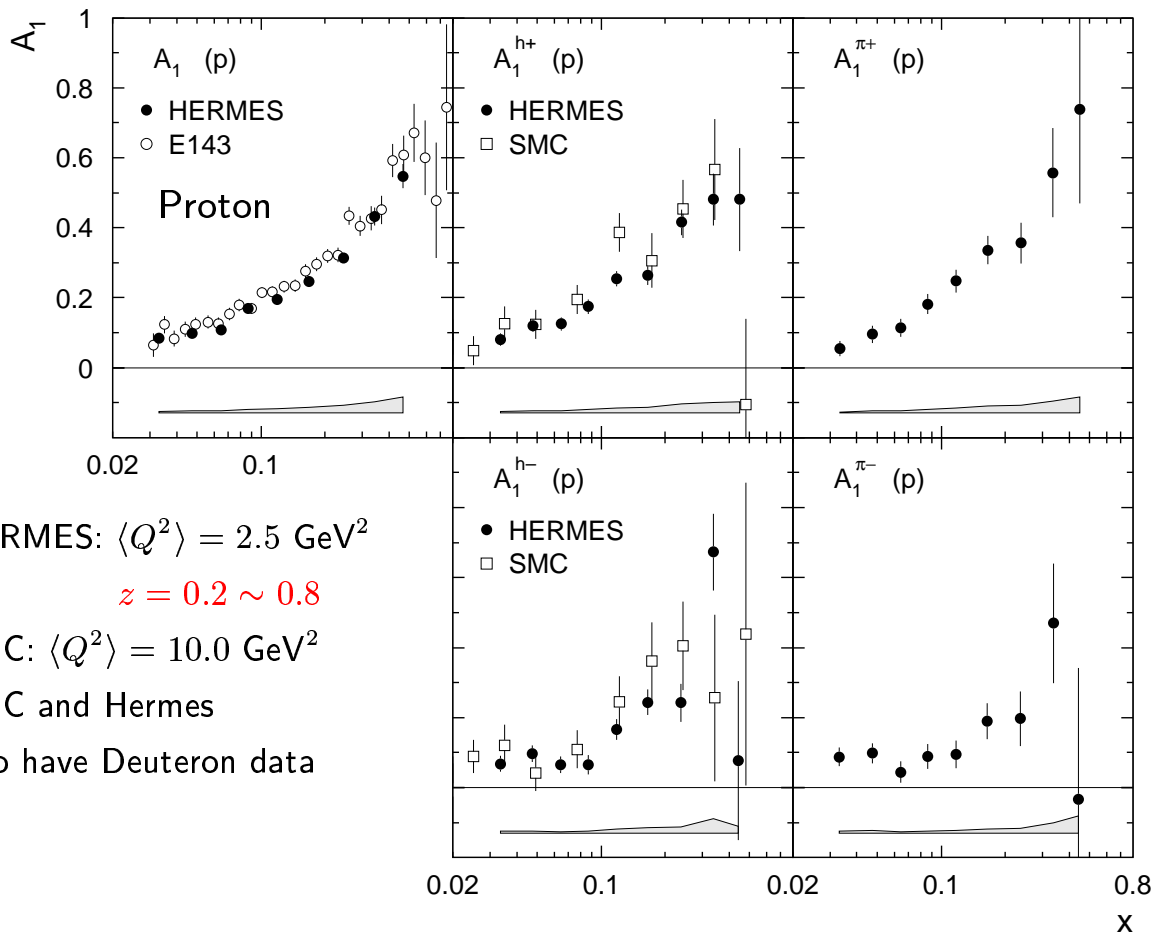
Measure spin asymmetries A_{1N}^h in semi-inclusive DIS $\vec{N}(\vec{e}, e' h)$ which tags the quark flavor and allows clean access to Δq and $\Delta \bar{q}$ separately

In leading order

$$A_{1N}^h(x, Q^2, z) = \frac{\sum_f e_f^2 \cdot \Delta q_f(x, Q^2) \cdot D_{q_f}^h(z, Q^2)}{\sum_f e_f^2 \cdot q_f(x, Q^2) \cdot D_{q_f}^h(z, Q^2)}.$$

Data from SMC ($\langle Q^2 \rangle = 10 \text{ GeV}^2$) and HERMES ($\langle Q^2 \rangle = 2.5 \text{ GeV}^2$).

Precocious Scaling $A_1^h(\nu, Q^2) \rightarrow A_1^h(x) ?$

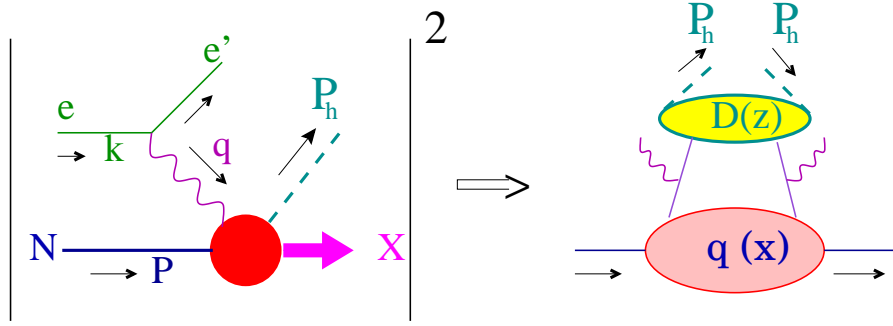


➔ Will A_1^h still scale at lower Q^2 ?

➔ What about the z -dependency of $A_1^h(x, z)$?

➔ Will pion and kaon asymmetries also scale with Q^2 ?

Flavor Decomposition: the HERMES method



At the leading order:

$$\sigma^h(\mathbf{x}, z) = \sum_f e_f^2 \cdot q_f(\mathbf{x}) \cdot D_{q_f}^h(z)$$

$$\Delta\sigma^h(\mathbf{x}, z) = \sigma_{++}^h - \sigma_{+-}^h = \sum_f e_f^2 \cdot \Delta q_f(\mathbf{x}) \cdot D_{q_f}^h(z)$$

$$A_1^h(\mathbf{x}) \equiv \sum_f \mathcal{P}_f^h(\mathbf{x}) \cdot \frac{\Delta q_f(\mathbf{x})}{q_f(\mathbf{x})},$$

the “purity matrix” is **integrated over** $0.2 < z < 0.8$:

$$\mathcal{P}_f^h(\mathbf{x}) = \frac{e_f^2 q_f(\mathbf{x}) \int dz D_f^h(z)}{\sum_{f'} e_{f'}^2 q_{f'}(\mathbf{x}) \int dz D_{f'}^h(z)},$$

Need inputs of:

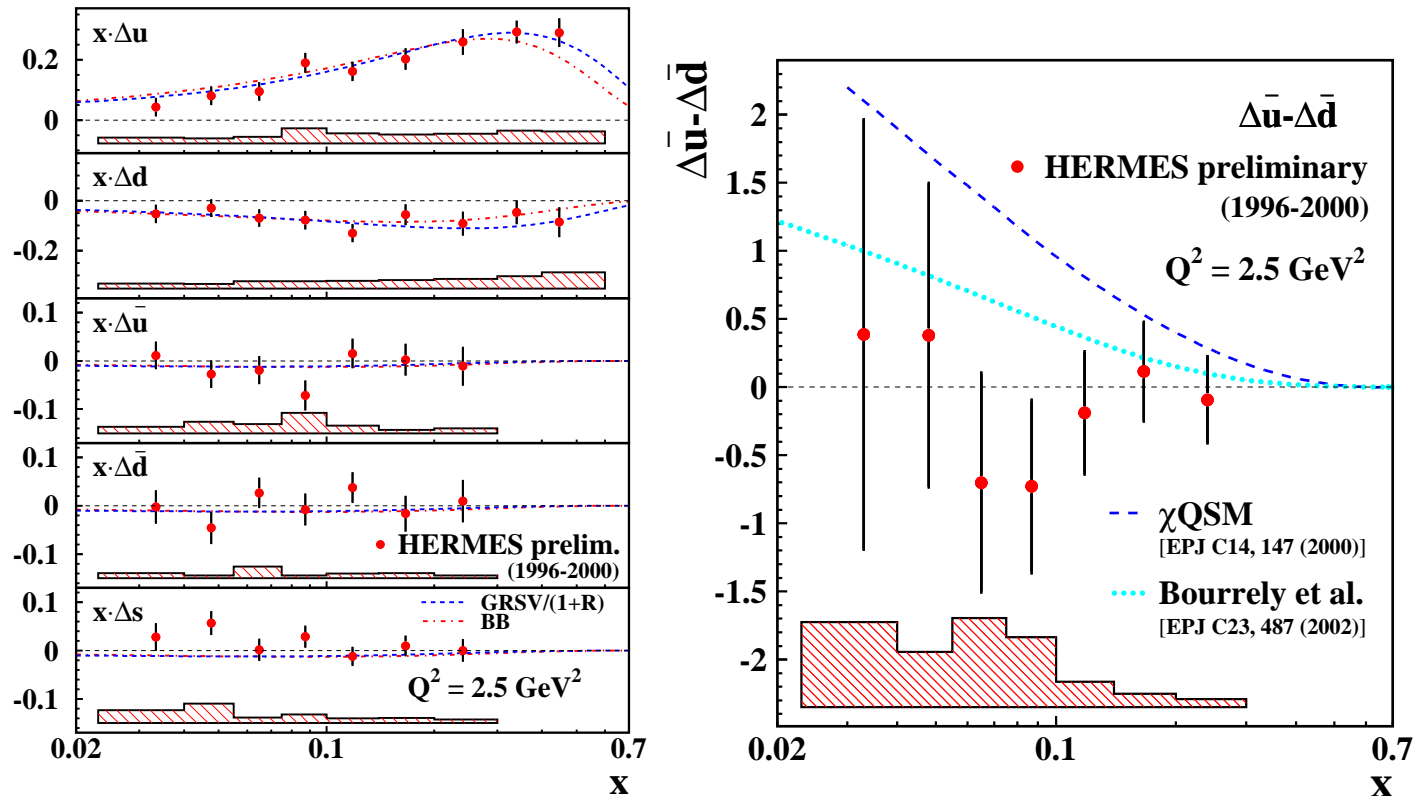
- Unpolarized parton distributions: CTEQ5M.
- Monte Carlo model of spectrometer and detectors.
- Fragmentation functions: LUND Monte Carlo model.

solve for:

$$\vec{A}(\mathbf{x}) = \sum_f \mathcal{P}_f^h(\mathbf{x}) \cdot \vec{Q}(\mathbf{x})$$

$$\vec{A}(\mathbf{x}) = \left(A_{1p}, A_{1d}, A_{1p}^{\pi^{\pm}}, A_{1d}^{\pi^{\pm}}, A_{1d}^{K^{\pm}} \right), \quad \vec{Q}(\mathbf{x}) = \left(\frac{\Delta u}{u}, \frac{\Delta d}{d}, \frac{\Delta \bar{u}}{\bar{u}}, \frac{\Delta \bar{d}}{\bar{d}}, \frac{\Delta s + \Delta \bar{s}}{s + \bar{s}} \right)$$

HERMES Preliminary Results



- $\Delta u > 0$, $\Delta d < 0$ as expected.
- $\Delta \bar{u}$ and $\Delta \bar{d}$ are small, $\Delta \bar{u} - \Delta \bar{d} \approx 0$? Not enough statistics to tell.
- Δs is not negative ? \rightarrow A total breakdown of $SU(3)_f$ symmetry.
 “Almost impossible !” E. Leader and D. B. Stamenov, PRD **67**, 037503 (2003).

Flavor Decomposition: This Experiment

Measure asymmetries $\vec{A}(x, z) = (A_{1p}^{\pi^\pm}, A_{1d}^{\pi^\pm}, A_{1p}^{K^\pm}, A_{1d}^{K^\pm})$ as functions of z .

Solve for $\vec{Q}(x)$ through a **maximum likelihood fit** of:

$$\vec{A}(x, z) = \sum_f \mathcal{P}_f^h(x, z) \cdot \vec{Q}(x)$$

where $\vec{Q}(x) = (\Delta u, \Delta d, \Delta \bar{u}, \Delta \bar{d}, \Delta s = \Delta \bar{s})$

the **new** “purity matrix” $\mathcal{P}_f^h(x, z)$ is **NOT** integrated over z :

$$\mathcal{P}_f^h(x, z) = \frac{e_f^2 q_f(x)}{\sum_{f'} e_{f'}^2 q_{f'}(x) \frac{D_{f'}^h(z)}{D_f^h(z)}}$$

→ $\mathcal{P}_f^h(x, z)$ need inputs from:

- Unpolarized parton distributions: CTEQ5M.
- Ratios of fragmentation functions.
 R. D. Field and R. P. Feynman, NPB **136**, 1 (1978).
 S. Kretzer, E. Leader and E. Christova, EPJC **22**, 269 (2001).
 J. Binnewies, B. A. Kniehl and G. Kramer, PRD **52**, 4947 (1995).

→ At each x -bin, solve for **5** Δq_f from:

- **24 equations** for $x = 0.12, 0.17, 0.23, 0.29$ bins.
- **16 equations** for $x = 0.35$ bin.
- **12 equations** for $x = 0.43$ bin.

Plus

the better-known inclusive asymmetries (A_{1p}, A_{1d}) add two extra constraints.

SIDIS Asymmetries at the Leading Order

Charge pion asymmetries:

$$A_{1p}^{\pi^+}(x, z) = \frac{4\Delta u + \Delta\bar{d} + (4\Delta\bar{u} + \Delta d) \lambda_\pi + 2\Delta s\xi_\pi}{4u + \bar{d} + (4\bar{u} + d) \lambda_\pi + 2s \xi_\pi},$$

$$A_{1p}^{\pi^-}(x, z) = \frac{(4\Delta u + \Delta\bar{d})\lambda_\pi + 4\Delta\bar{u} + \Delta d + 2\Delta s\xi_\pi}{(4u + \bar{d})\lambda_\pi + 4\bar{u} + d + 2s\xi_\pi},$$

$$A_{1d}^{\pi^+}(x, z) = \frac{4(\Delta u + \Delta d) + \Delta\bar{u} + \Delta\bar{d} + (\Delta u + \Delta d + 4(\Delta\bar{u} + \Delta\bar{d})) \lambda_\pi + 4\Delta s\xi_\pi}{4(u + d) + \bar{u} + \bar{d} + (u + d + 4(\bar{u} + \bar{d})) \lambda_\pi + 4s\xi_\pi},$$

$$A_{1d}^{\pi^-}(x, z) = \frac{(4(\Delta u + \Delta d) + \Delta\bar{u} + \Delta\bar{d}) \lambda_\pi + \Delta u + \Delta d + 4(\Delta\bar{u} + \Delta\bar{d}) + 4\Delta s\xi_\pi}{(4(u + d) + \bar{u} + \bar{d}) \lambda_\pi + u + d + 4(\bar{u} + \bar{d}) + 4s\xi_\pi}.$$

Charge kaon asymmetries:

$$A_{1p}^{K^+}(x, z) = \frac{4\Delta u + \Delta s + (4\Delta\bar{u} + \Delta s) \lambda_K + (\Delta d + \Delta\bar{d})\xi_K}{4u + s + (4\bar{u} + s) \lambda_K + (d + \bar{d})\xi_K},$$

$$A_{1p}^{K^-}(x, z) = \frac{(4\Delta u + \Delta s) \lambda_K + 4\Delta\bar{u} + \Delta s + (\Delta d + \Delta\bar{d})\xi_K}{4u + s + (4\bar{u} + s) \lambda_K + (d + \bar{d})\xi_K},$$

$$A_{1d}^{K^+}(x, z) = \frac{4(\Delta u + \Delta d) + 2\Delta s + (4(\Delta\bar{u} + \Delta\bar{d}) + 2\Delta s) \lambda_K + (\Delta u + \Delta\bar{u} + \Delta d + \Delta\bar{d})\xi_K}{4(u + d) + 2s + (4(\bar{u} + \bar{d}) + 2s) \lambda_K + (u + \bar{u} + d + \bar{d})\xi_K},$$

$$A_{1d}^{K^-}(x, z) = \frac{(4(\Delta u + \Delta d) + 2\Delta s) \lambda_K + 4(\Delta\bar{u} + \Delta\bar{d}) + 2\Delta s + (\Delta u + \Delta\bar{u} + \Delta d + \Delta\bar{d})\xi_K}{(4(u + d) + 2s) \lambda_K + 4(\bar{u} + \bar{d}) + 2s + (u + \bar{u} + d + \bar{d})\xi_K}.$$

The fragmentation function ratios are:

$$\lambda_\pi(z) = D_\pi^-(z)/D_\pi^+(z), \quad \xi_\pi(z) = D_s^\pi(z)/D_\pi^+(z),$$

$$\lambda_K(z) = D_K^-(z)/D_K^+(z), \quad \xi_K(z) = D_d^K(z)/D_K^+(z).$$

How Much is Factorization Violated ?

Tests have been suggested:

L. L. Frankfurt, M. I. Strikman *et al.*, PLB **230**, 141 (1989).

F. E. Close and R. G. Milner, PRD **44**, 3691 (1991).

E. Christova and E. Leader PLB **468**, 299 (1999) and NPB **607** 369 (2001).

Assuming isospin symmetry and charge conjugation
the fragmentation functions simplify to

favored:

$$D^+(z) \equiv D_u^{\pi^+} = D_d^{\pi^-} = D_{\bar{u}}^{\pi^-} = D_{\bar{d}}^{\pi^+}$$

and unfavored :

$$D^-(z) \equiv D_u^{\pi^-} = D_d^{\pi^+} = D_{\bar{u}}^{\pi^+} = D_{\bar{d}}^{\pi^-}$$

$$9\sigma_p^{\pi^+}(\mathbf{x}, z) = (4u(\mathbf{x}) + \bar{d}(\mathbf{x})) \cdot D^+(z) + (4\bar{u}(\mathbf{x}) + d(\mathbf{x})) \cdot D^-(z)$$

$$9\sigma_p^{\pi^-}(\mathbf{x}, z) = (4u(\mathbf{x}) + \bar{d}(\mathbf{x})) \cdot D^-(z) + (4\bar{u}(\mathbf{x}) + d(\mathbf{x})) \cdot D^+(z)$$

$$\rightarrow 9\sigma_p^{\pi^+\pi^-}(\mathbf{x}, z) = (4[u(\mathbf{x}) + \bar{u}(\mathbf{x})] + d(\mathbf{x}) + \bar{d}(\mathbf{x})) \cdot [D^+(z) + D^-(z)]$$

The combined spin-dependent yield ratio:

$$A_{1p}^{\pi^+\pi^-}(\mathbf{x}, z) = \frac{\Delta\sigma_p^{\pi^+} + \Delta\sigma_p^{\pi^-}}{\sigma_p^{\pi^+} + \sigma_p^{\pi^-}} = \frac{4(\Delta u + \Delta\bar{u}) + \Delta d + \Delta\bar{d}}{4(u + \bar{u}) + d + \bar{d}}$$

$$A_{1p}^{\pi^+\pi^-}(\mathbf{x}, z) \equiv A_{1p}(\mathbf{x})$$

Factorization in SIDIS $\rightarrow A_{1N}^{\pi^+\pi^-}(\mathbf{x}, z)$ is z -independent!

\rightarrow Need well-controlled phase space and detector efficiency.

This Experiment

The Goal of This Experiment

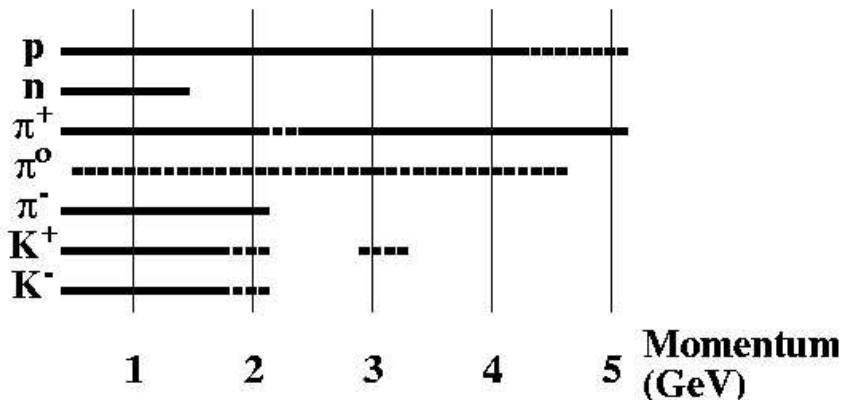
- High statistics data as functions of z : $\vec{A}(x, z) = (A_{1p}^{\pi^\pm}, A_{1d}^{\pi^\pm}, A_{1p}^{K^\pm}, A_{1d}^{K^\pm})$.
- Flavor decomposition of nucleon spin structure: $\Delta u, \Delta d, \Delta \bar{u}, \Delta \bar{d}, \Delta s = \Delta \bar{s}$.
- Build-in measures of factorization violation in SIDIS:
 z -dependency of $A_{1p}^{\pi^+ + \pi^-}$ and $A_{1d}^{\pi^+ + \pi^-}$.
(as well as: $A_{1(2p-d)}^{\pi^+ + \pi^-}$, $A_{1p}^{\pi^+ - \pi^-}$, $A_{1d}^{\pi^+ - \pi^-}$, $A_{1p}^{K^+ - K^-}$ and $A_{1d}^{K^+ - K^-}$.)
- Consistency check of SIDIS vs inclusive DIS analysis:
at the high- x bins, $\Delta u/u$, $\Delta d/d$ agree with the Hall-A data ?
- Access the sea polarization: $\Delta \bar{u} - \Delta \bar{d}$ and Δs .

SIDIS at JLab

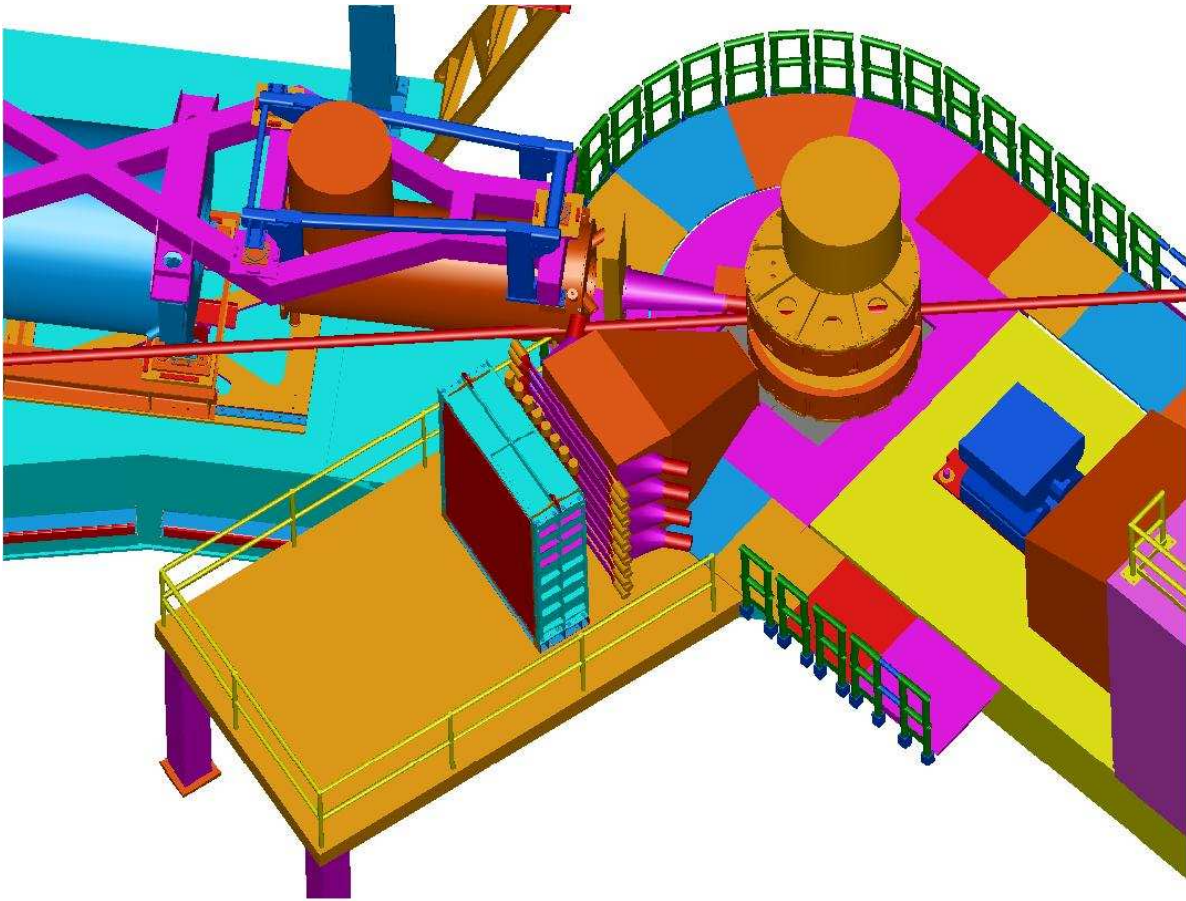
- Experimental requirements
 - Clear $e/\pi/K/p$ PID in hadron arm needed for flavour decomposition and factorization test.
 - Detect electrons at relatively large angle to have $1 < Q^2 < 4$, $2.3 < W < 3.5$ and $0.1 < x < .45$
 - Detect hadrons with momentum above 2 GeV/c and near \vec{q} to access $0.3 < Z = \frac{E_h}{\nu} < 0.8$
- This conditions are not matched by the existing data taken in Hall B $\vec{p}(\vec{e}, e')X$ and $\vec{d}(\vec{e}, e')X$
 - For momentum above 2 GeV/c PID becomes problematic.

From W. Brooks proposal P-02-104 and Hall B NIM article

CLAS particle identification:



The Proposed Experiment



→ **e-arm:**

a large calorimeter array (being built for E01-109)
augmented by a threshold gas Č located at 30°

→ **h-arm:**

HMS at 10.8° , $\Delta\Omega = 6 \text{ msr}$, $\Delta p/p = \pm 10\%$,
cover $p_h = 1.8 \sim 3.5 \text{ GeV}/c$ in 3 momentum settings
add two aerogel Č to existong one for clean PID

→ Polarized NH_3 ($p_t \approx 80\%$) and LiD ($p_t \approx 20\%$) targets.

Used in previous Hall C experiments (G_{En} and RSS)

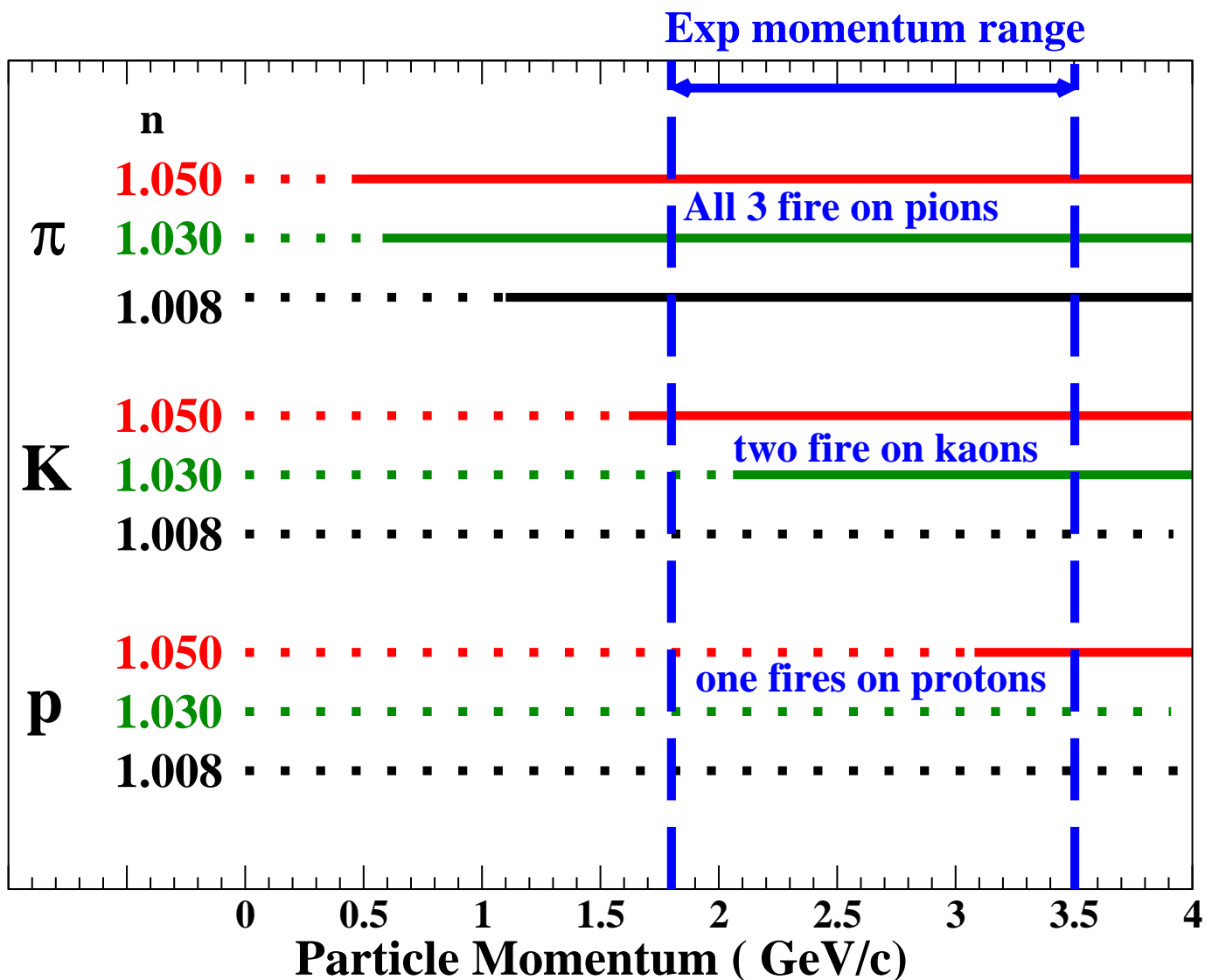
$\mathcal{L}(\vec{p}, \vec{d}) = 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$ (HERMES: $\mathcal{L}(\vec{p}) = 2 \sim 8 \times 10^{30} \text{ cm}^{-2} \text{ s}^{-1}$).

Electron Arm

- Glen Warren has done extensive Geant MC.
- Calorimeter (presently being built for e01-109)
 - Highly segmented: 1744 lead glass blocks.
Each $\sim 4 \times 4 \times 40 \text{cm}$ \rightarrow Pileup no problem
 - Large size: 128cm width by 218cm tall and front face 325cm from target.
 - Energy resolution: $5\%/\sqrt{E}$.
 - Time resolution: $3\sigma \approx 3\text{-}5\text{ns}$.
Good for coincidence time cut.
- Gas Cerenkov
 - Use N_2 occupying length of 125cm.
Expected number of photo-electrons 17-20.
 - Segmented into eight mirrors.
 - Hardware 100:1 π rejection factor (1 p.e. cut)
 - Software 1000:1 π rejection factor
 - 20:1 rejection factor with coincidence timing.

Hadron in the HMS

- e/π separation using cut on ratio of energy deposited in calorimeter to particle momentum. Electrons will peak at $E/p = 1$. $\epsilon > 99\%$.
- $\pi/K/p$ separation by combining existing $n=1.030$ aerogel with two more $n = 1.008$ and 1.050 aerogel Cerenkov.



Parallel Spin Asymmetry

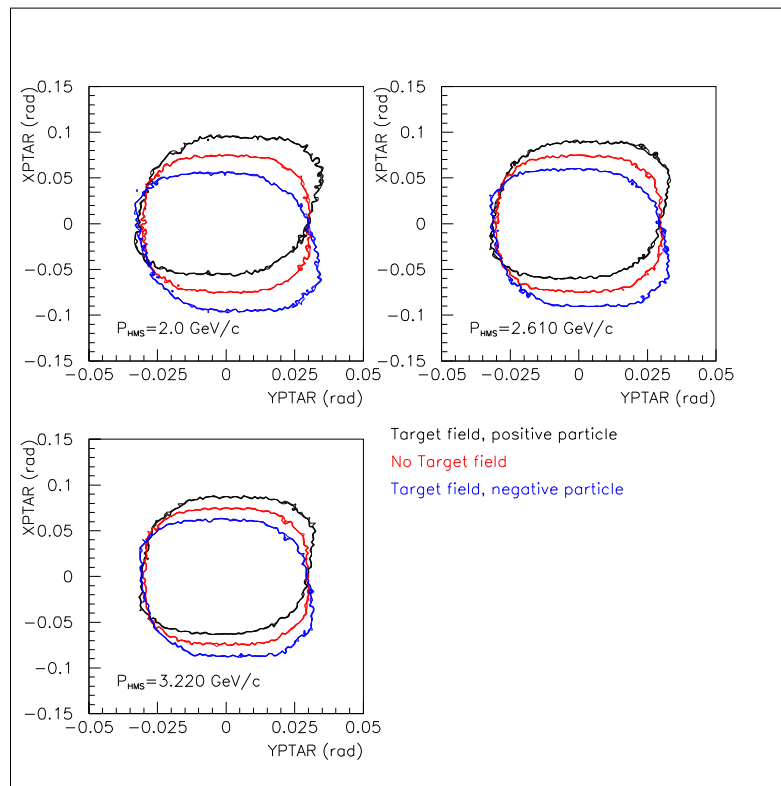
$$A_2^h \approx 0 \text{ so } A_1^h \propto A_{\parallel}^h = \frac{\sigma^{\uparrow\downarrow} - \sigma^{\uparrow\uparrow}}{\sigma^{\uparrow\downarrow} + \sigma^{\uparrow\uparrow}}$$

$$A_{\parallel}^h = f \cdot P_B \cdot P_T \cdot \mathcal{D} \cdot \mathcal{K} \cdot A_1^h$$

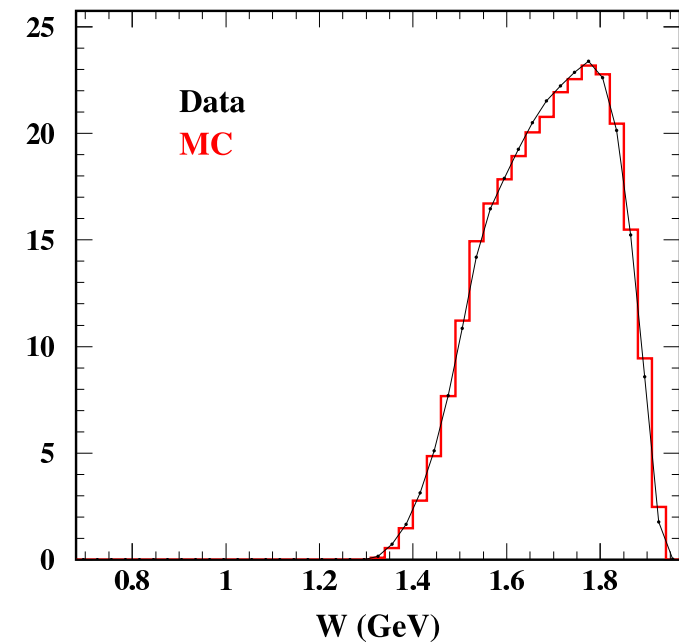
- Beam polarization, $P_B = 80\%$
- Target polarization
 $P_T = 80\%$ for NH_3 and $P_T = 20\%$ for LiD.
- Dilution factor,
 $f = 18\%$ for NH_3 and $f = 40\%$ for LiD
- Kinematic factors $\mathcal{K} \approx 1.2$ and $\mathcal{D} \approx 0.8$
- Use $R = \sigma_L/\sigma_T$ from SLAC global fit.

Effects of target field on acceptance

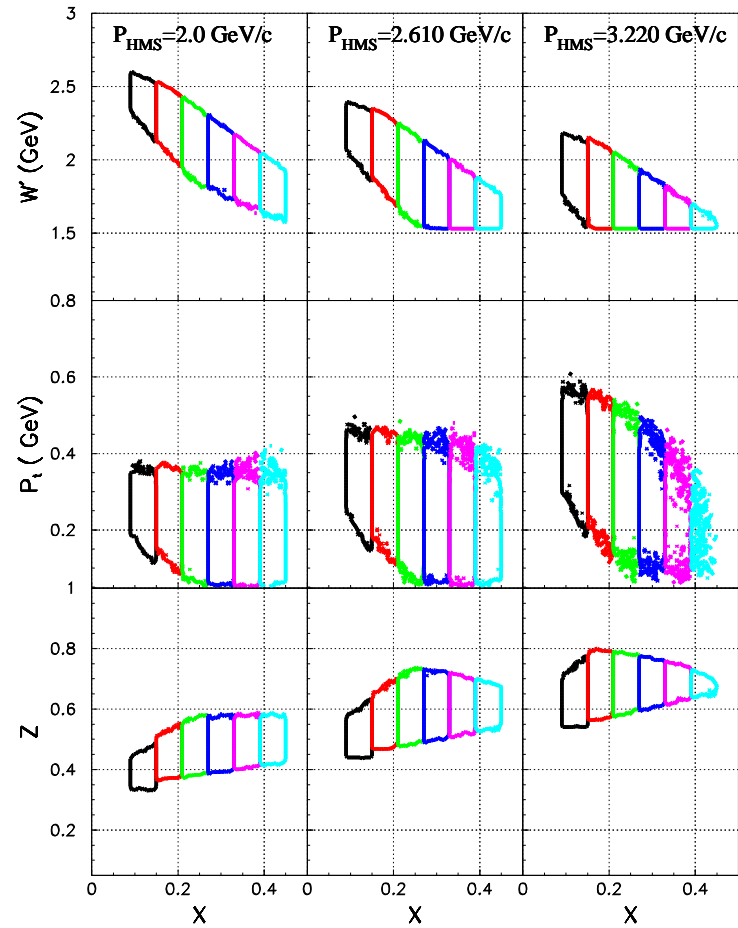
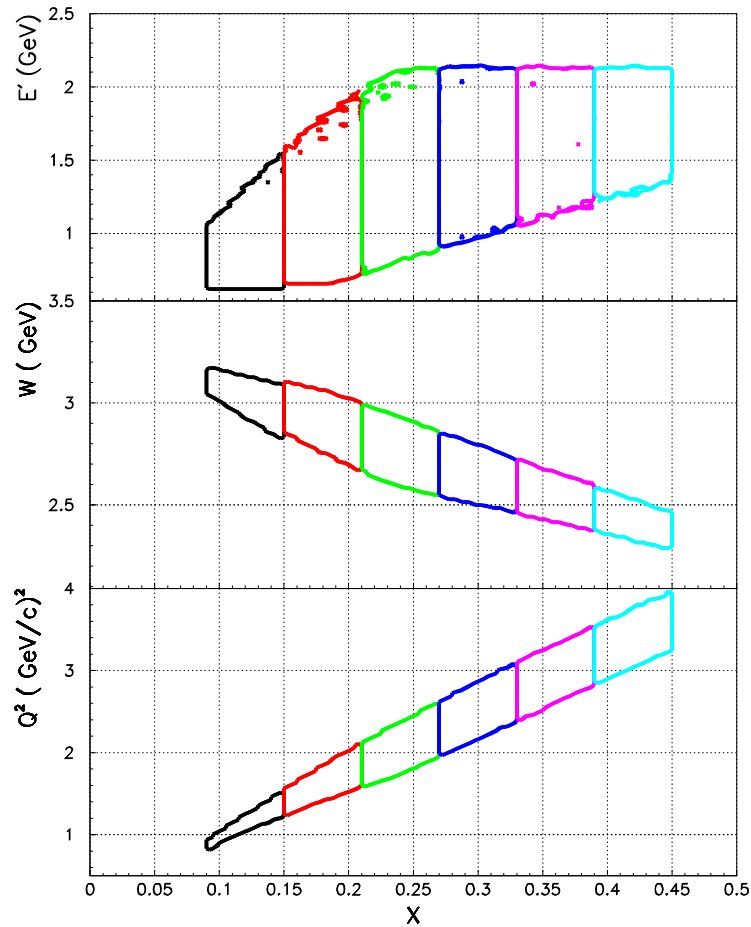
The target field for parallel spin mainly effects the out-of-plane component of the particles trajectory.



HMS acceptance well understood. Example from $^{12}C(e, e')$ with $E_{beam} = 5.7$ GeV and $\theta_e = 13^\circ$ with parallel target field.

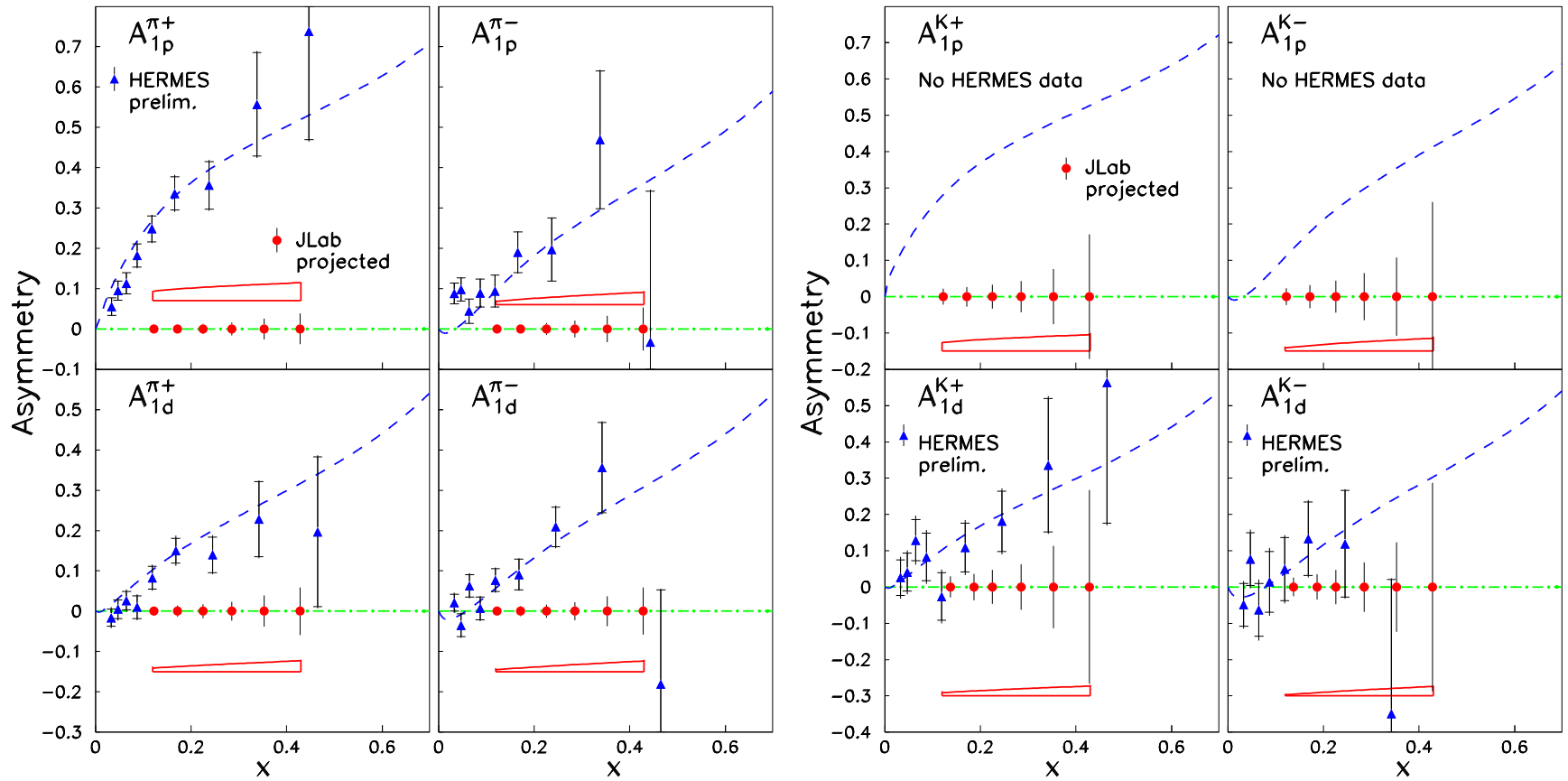


Phase space coverage



Compare with the HERMES Asymmetries

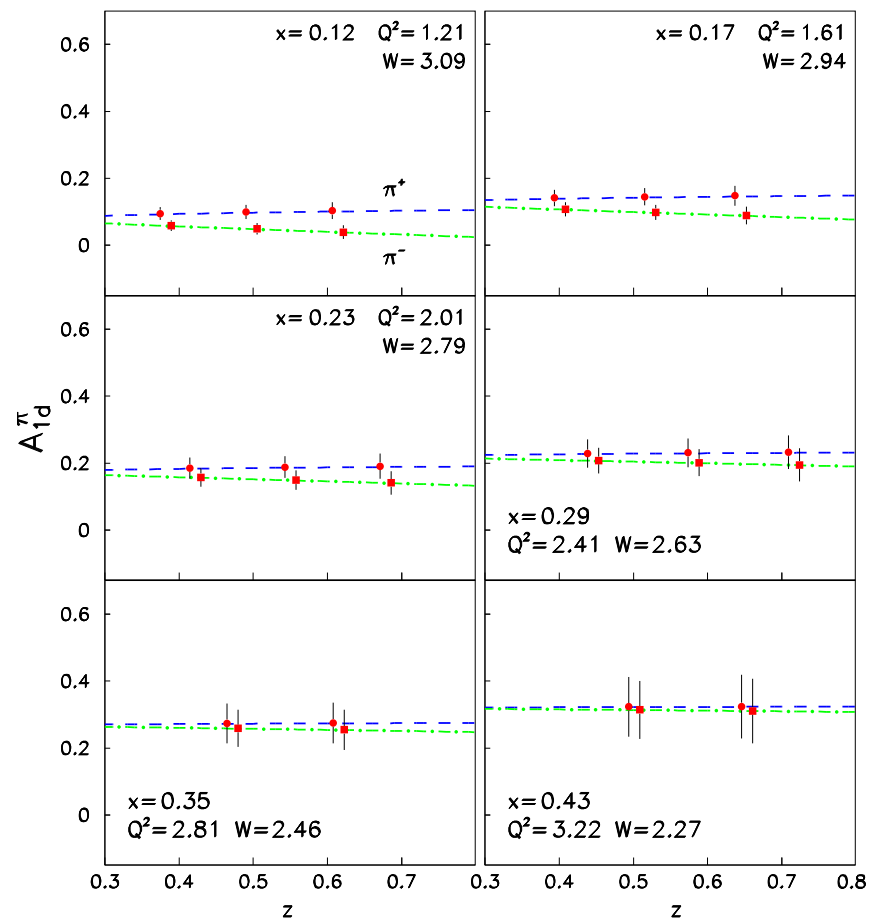
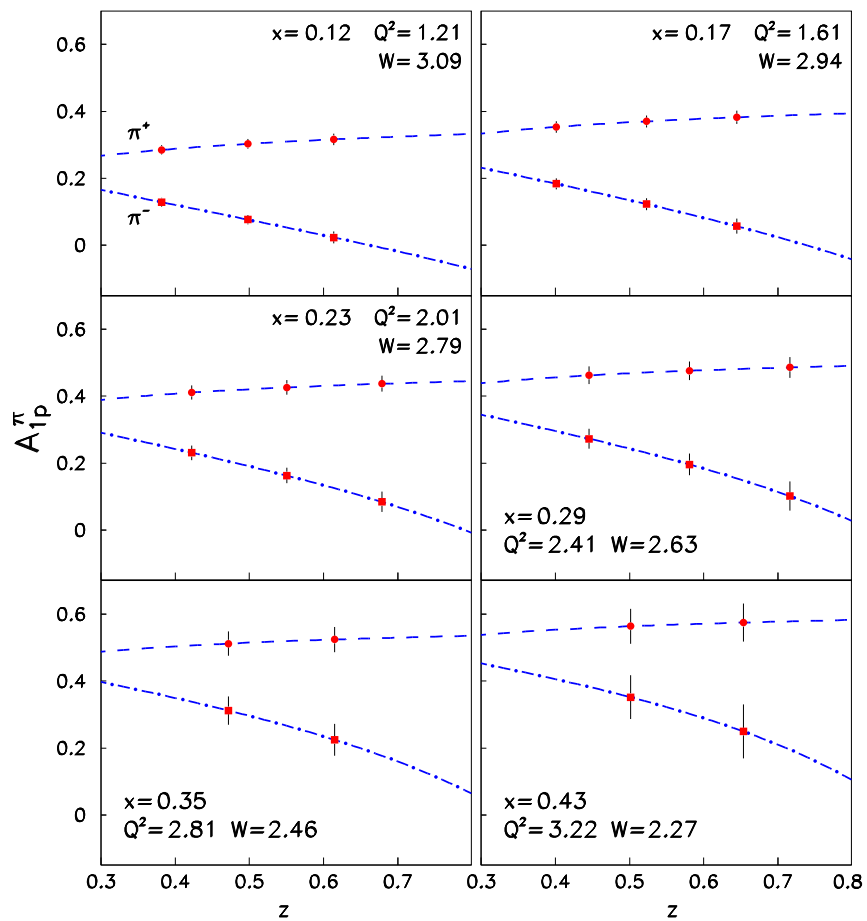
Sum over all z -bins to compare with the HERMES asymmetries:



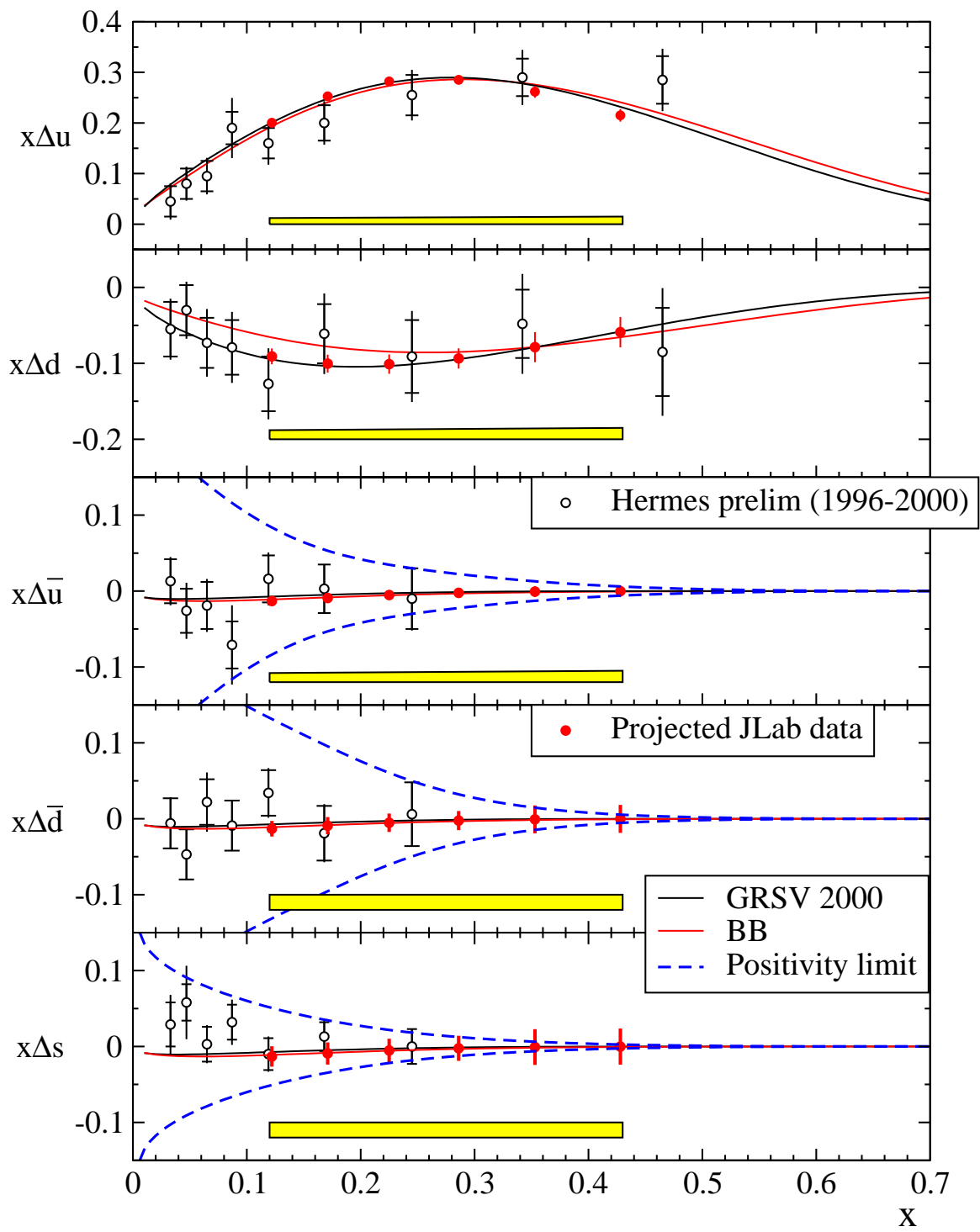
$$(\delta A_1^h)_{sys} \approx \pm 0.043 \times A_1^h.$$

Main sources of systematics: $\delta P_T/P_T \approx \pm 0.025$, $\delta P_B/P_B \approx \pm 0.020$, $\delta f/f \approx \pm 0.025$, radiative corrections: $\pm 1.5\%$.

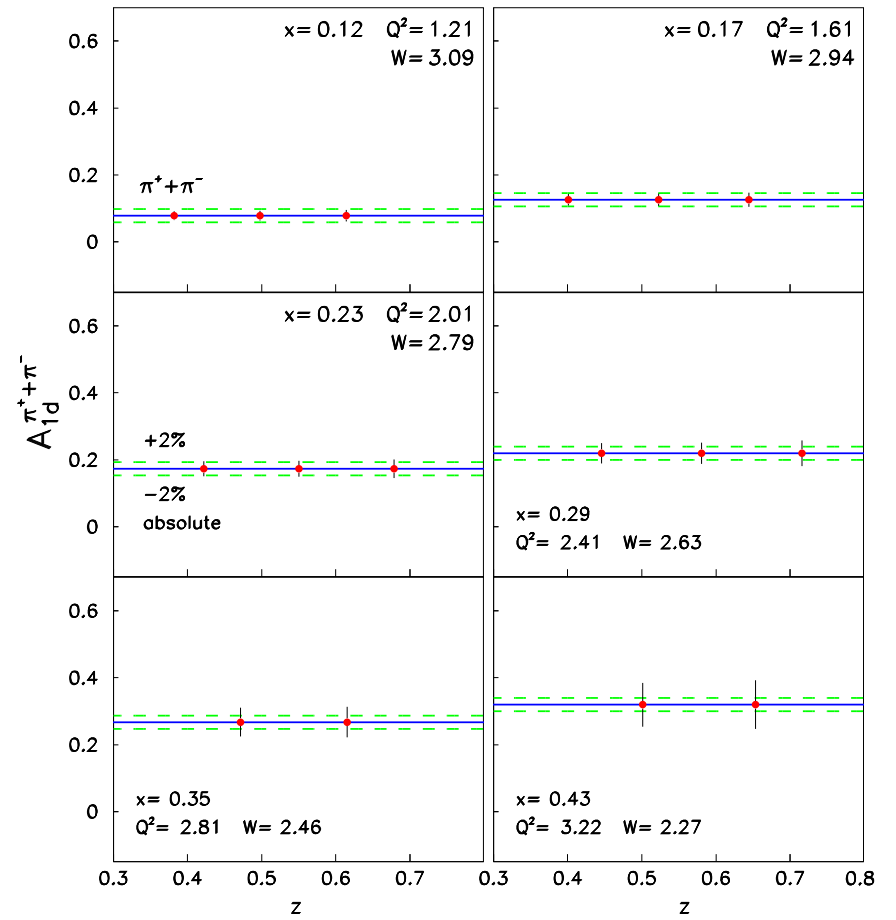
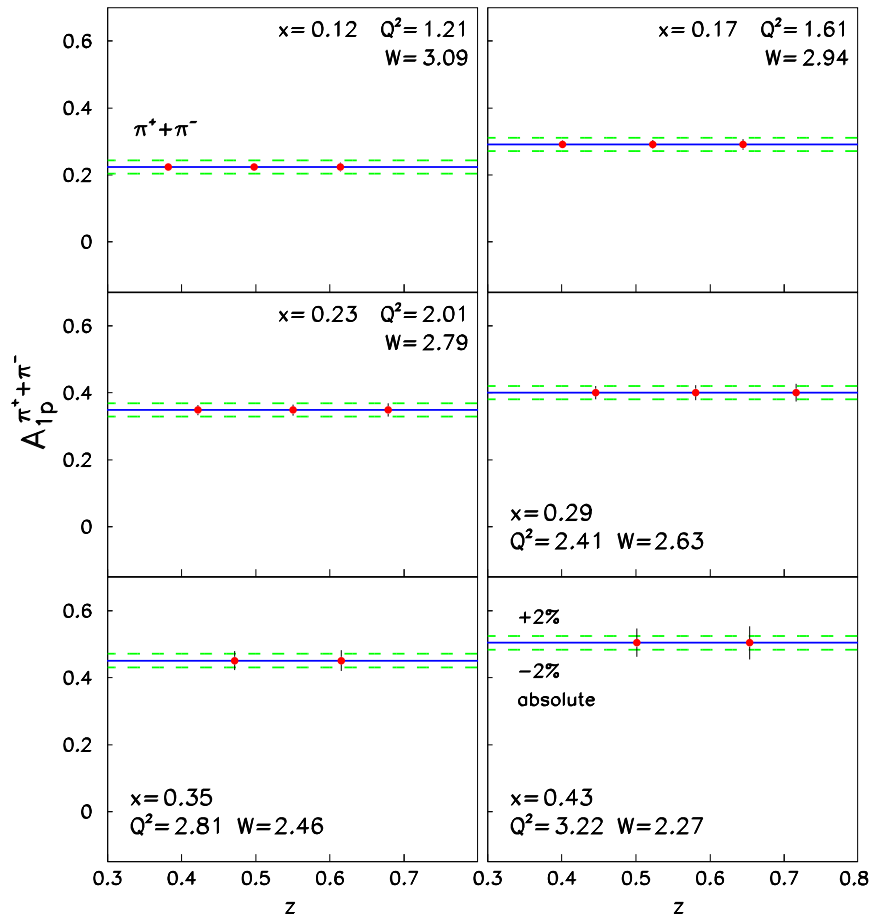
Spin Asymmetries A_1^π



Flavor Decomposition of Nucleon Spin

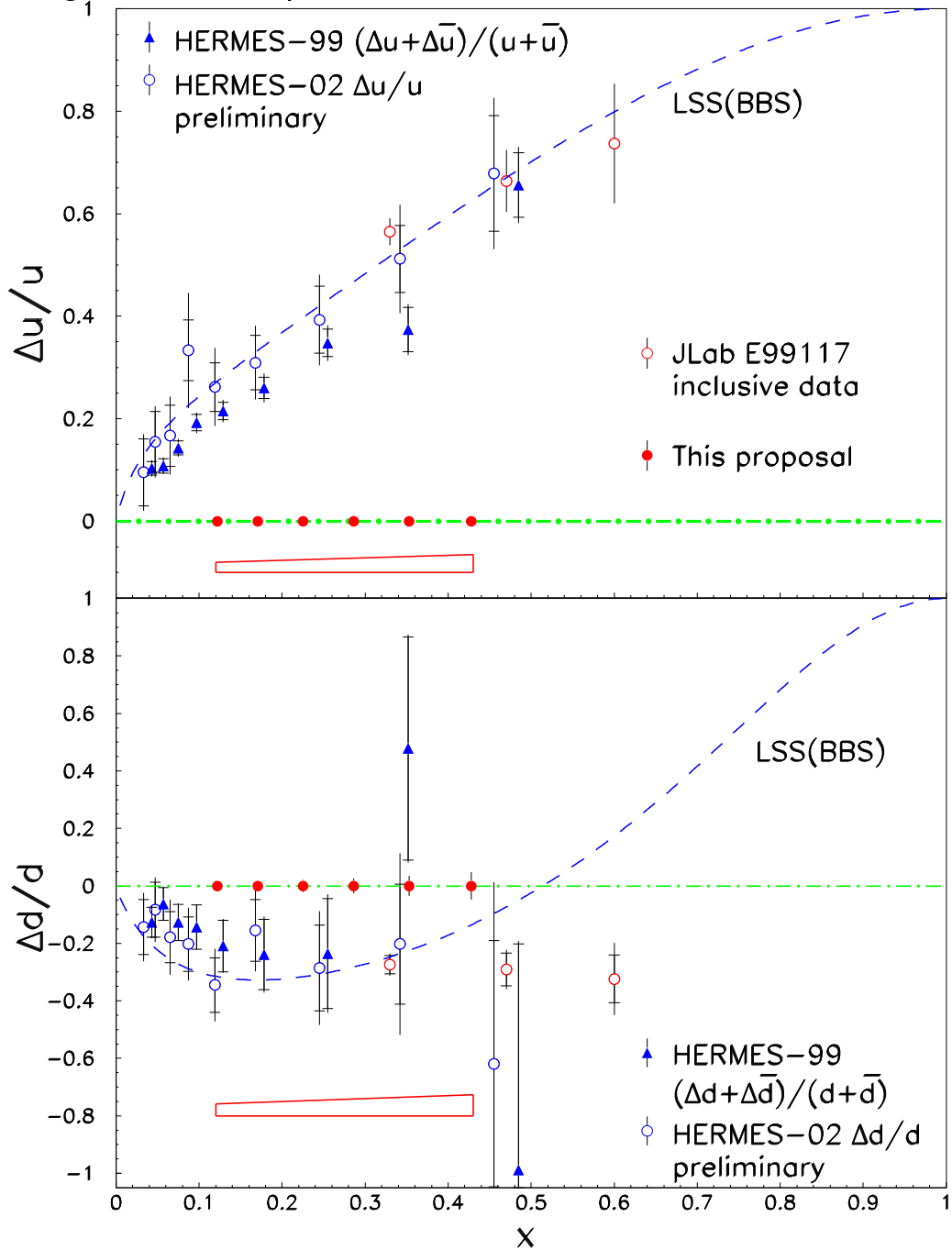


Yield Ratio $A_1^{\pi^+\pi^-}$



Consistency Check with the Inclusive Data

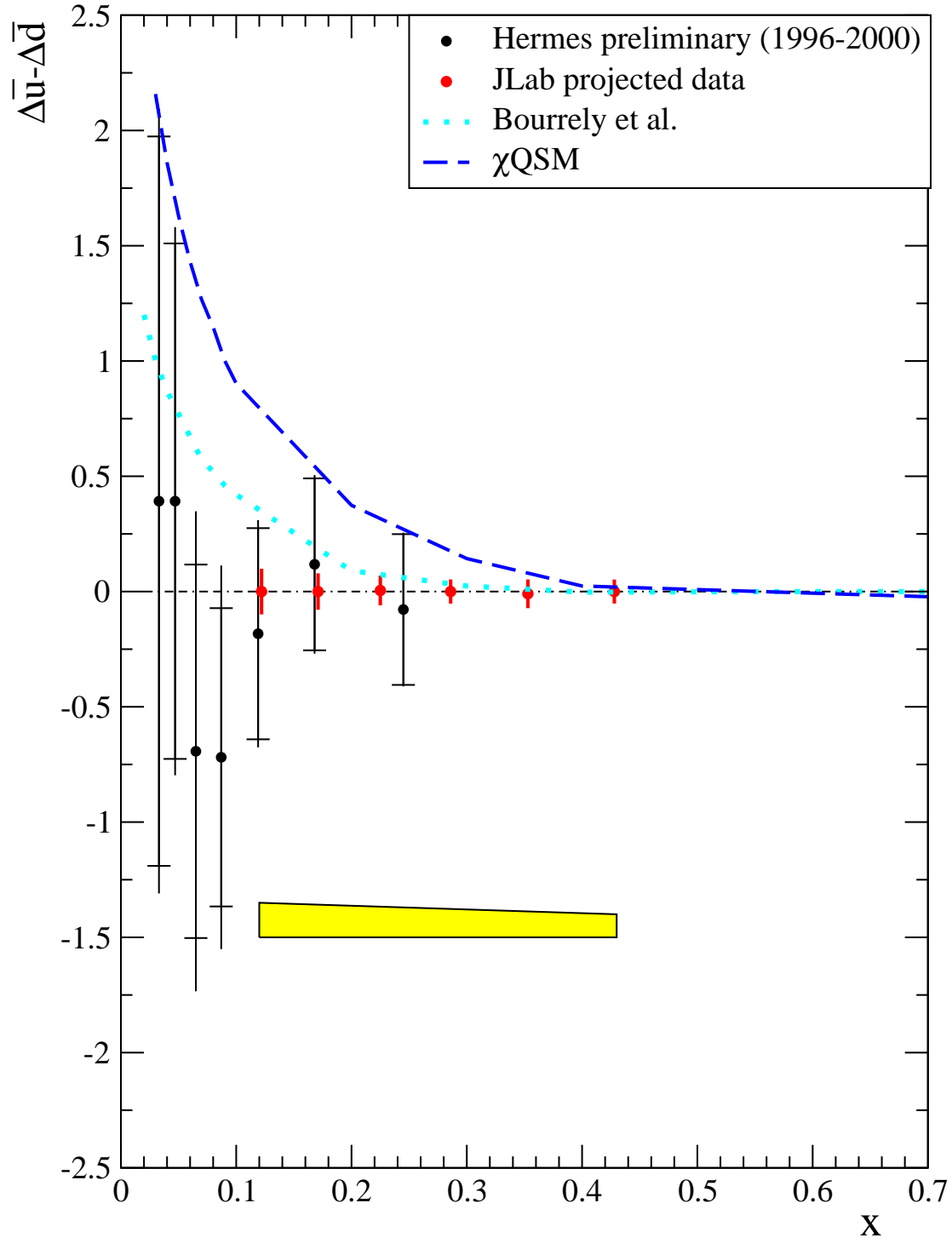
At the high x -bins compare with the recent Hall-A results:



$$\delta(\Delta u/u)_{sys} \approx 0.020 \sim 0.035, \quad \delta(\Delta d/d)_{sys} \approx 0.042 \sim 0.073.$$

Main sources of systematics: kinematic smearing (1/3), uncertainties in fragmentation functions (1/3).

$$\Delta\bar{u} - \Delta\bar{d}$$



Summary

This experiment measures $A_1^h(\boldsymbol{x}, z)$ ($h = \pi^+, \pi^-, K^+, K^-$) with high statistics.

- Spin-flavor decomposition at $x = 0.12 \sim 0.43$, $Q^2 = 1.21 \sim 3.22 \text{ GeV}^2$.
- Compare $\Delta u/u$ and $\Delta d/d$ with inclusive data at high- x .
- Access $\Delta \bar{u} - \Delta \bar{d}$ and Δs .

First measurement of $A_{1p}^{\pi^+ + \pi^-}(\boldsymbol{x}, z)$ and $A_{1d}^{\pi^+ + \pi^-}(\boldsymbol{x}, z)$:

- Build-in tests of factorization, a crucial step in SIDIS experiments.

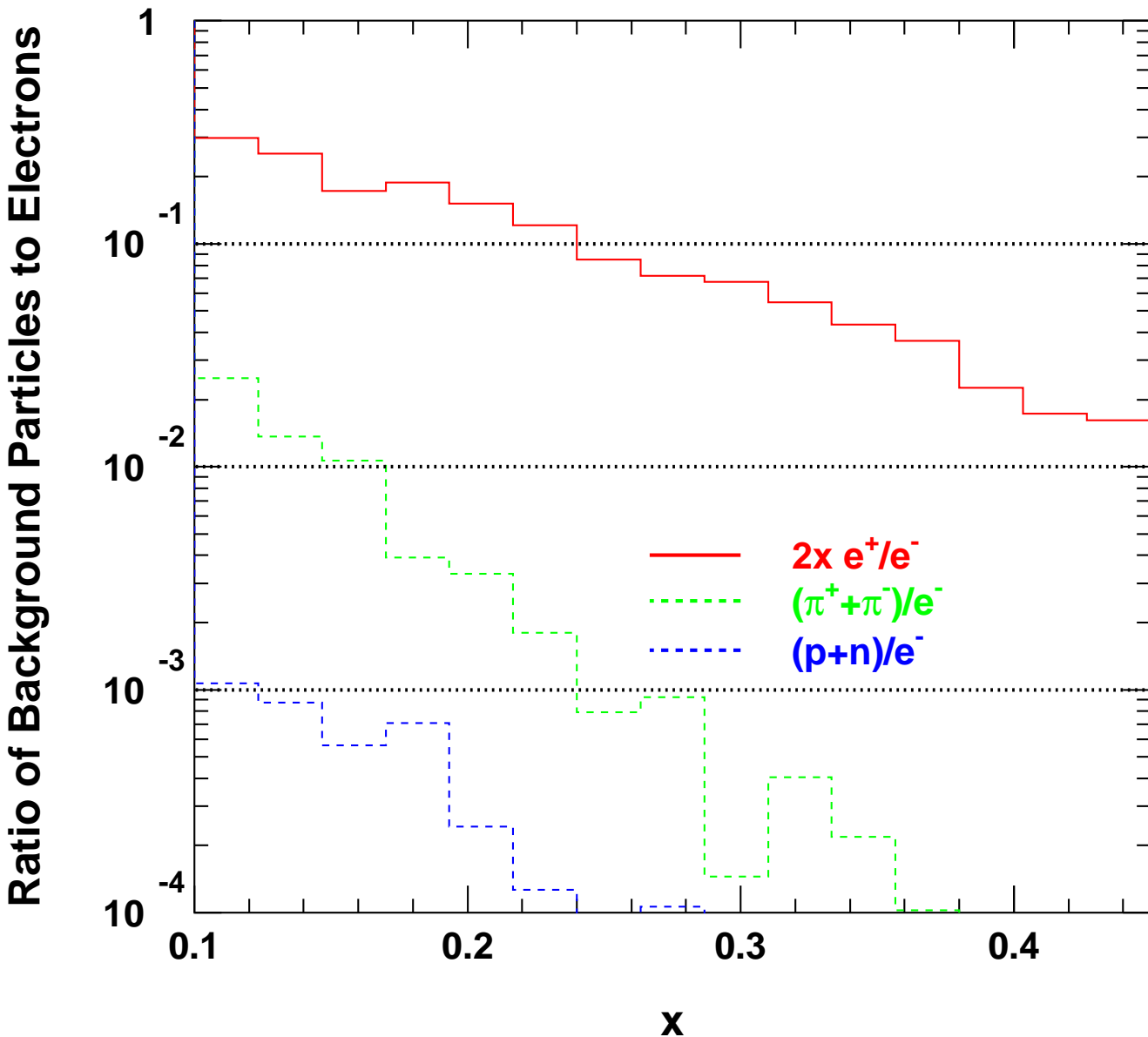
Jefferson Lab physics in a new direction, complimentary to HERMES, COMPASS and RHIC-spin.

Requesting 28 days

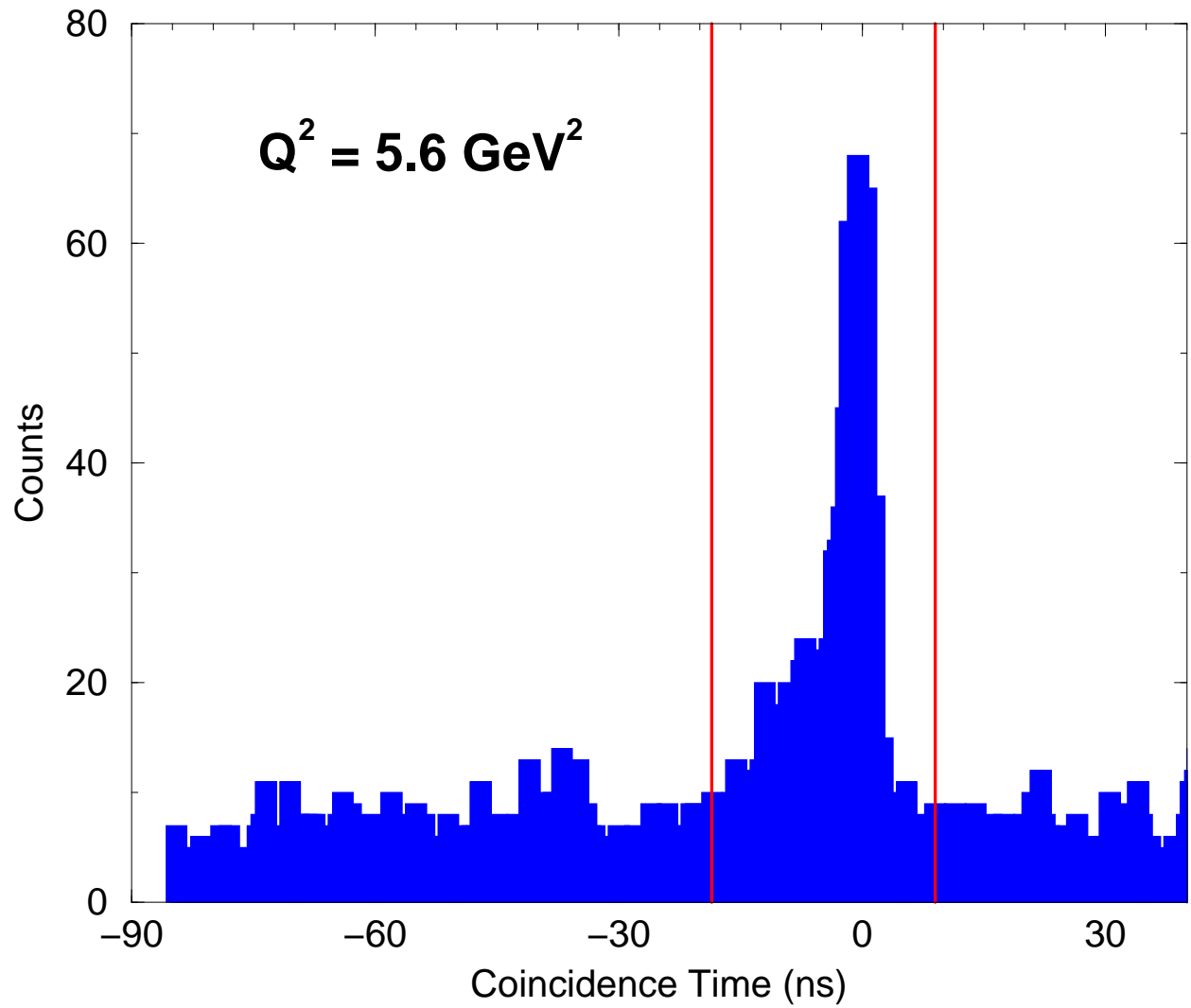
(24 days data taking and 4 days target overhead, checkouts etc.)

Positron background

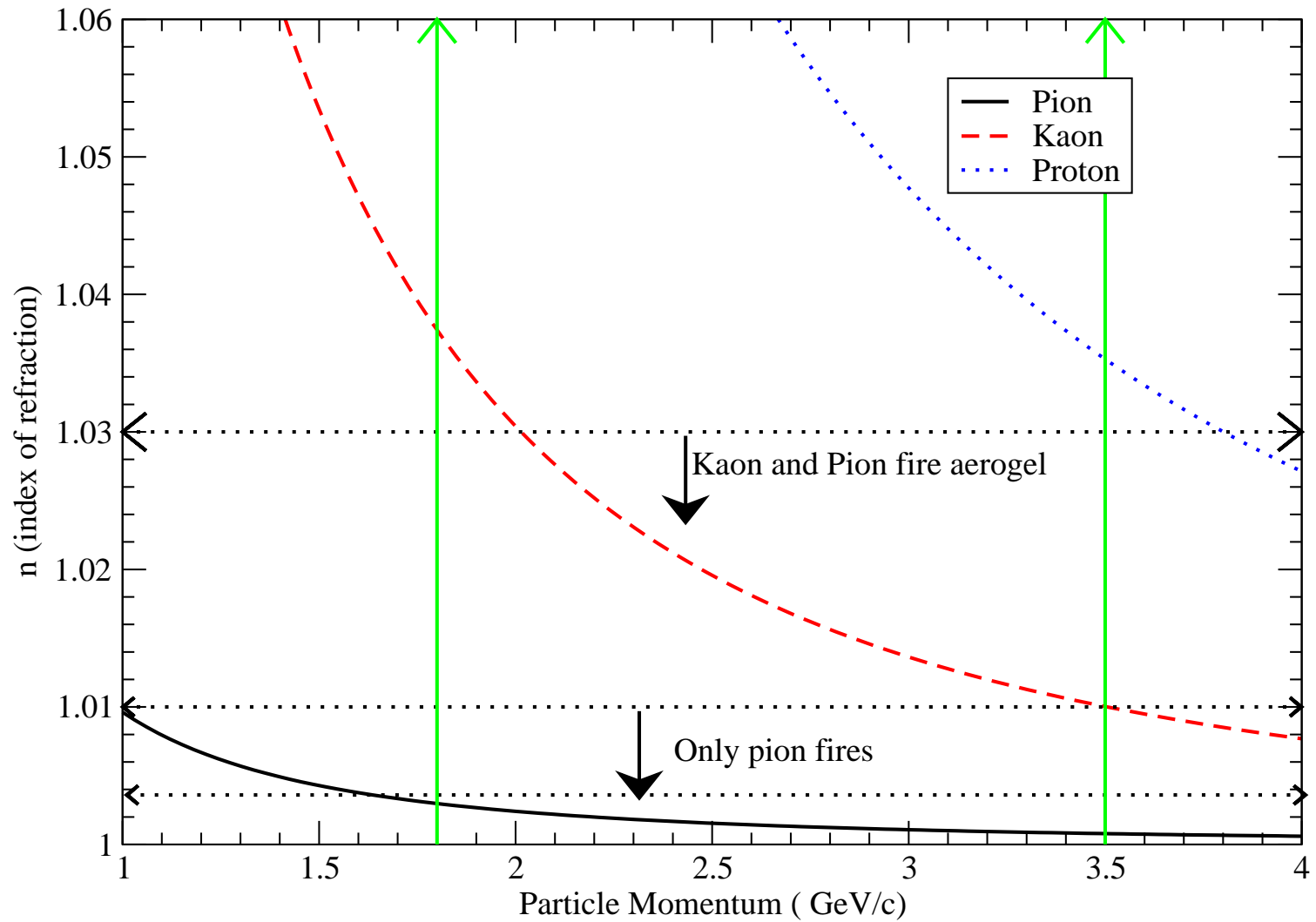
- Geant simulation of expected positron rates in Electron arm using the SLAC parametrization.
- Ratio for inclusive in low x bins in 30% and drops to 2% at high x. True coincidence rate must lower.
- Random coincidence rate is like any other background which will have to be subtracted.



Time resolution in Lead-Glass



Aerogel Index versus Momentum



Trigger rates

- Singles rates on E-arm Cerenkov.

Particle type	$e^+ + e^-$	$\pi^+ + \pi^-$	Trigger
Rate (kHz)	0.79	543.03	6.22

- Singles rates on E-arm Calorimeter.

Particle type	$e^+ + e^-$	$\pi^+ + \pi^-$	$\pi^0 + p + n$	Trig
Rate (kHz)	0.66	31.48	228.51	260.65

- For E-arm single arm rate of Cerenkov and Calorimeter coincidences in 200ns window.

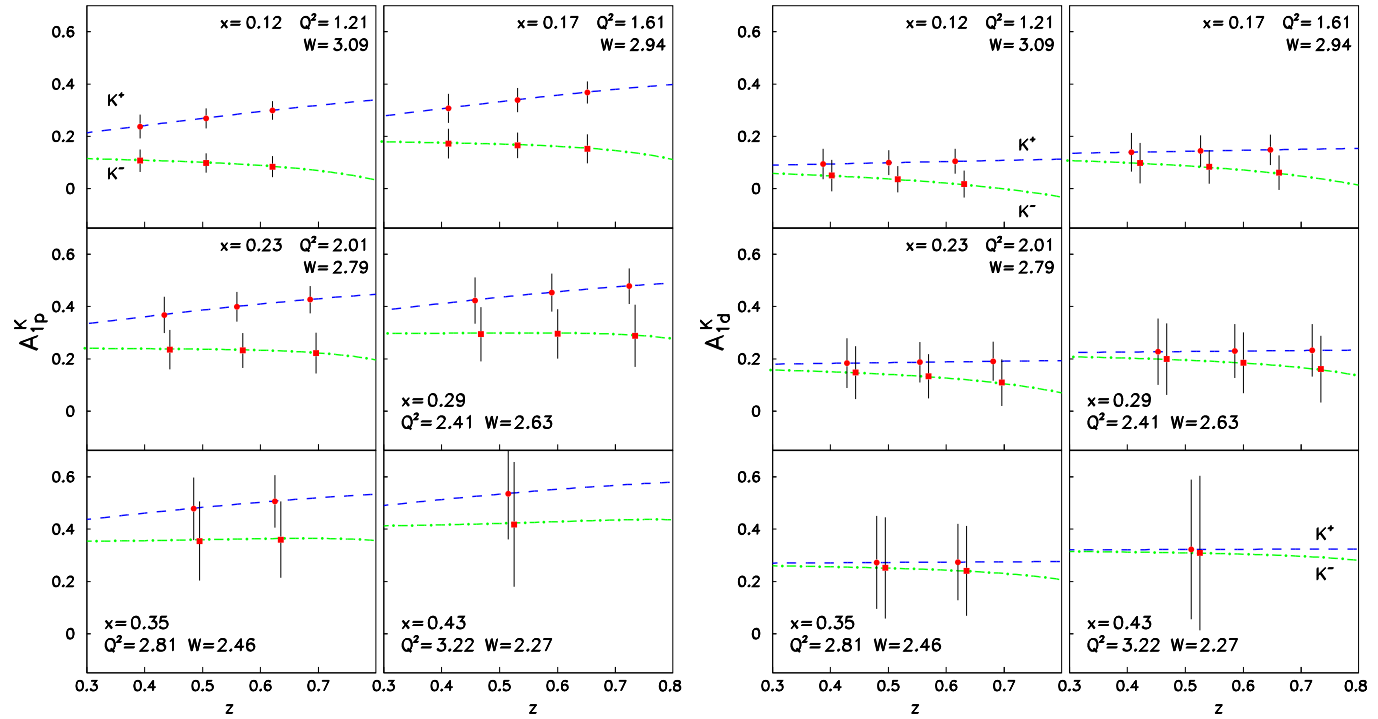
	Real single	Accidental single
Rate (kHz)	0.97	0.32

- For H-arm single rates < 10 kHz.

- E-arm and H-arm coincidence rates

	Real coin	Acc. Coin with Software cuts
Rate (Hz)	0.12 - 5.4	0.005

Spin Asymmetries A_1^K



Requested Time

P_{HMS}	NH ₃ target		LiD target	
	Time- h^+	Time- h^-	Time- h^+	Time- h^-
GeV/c	hour	hour	hour	hour
2.00	22	44	22	44
2.61	28	70	30	68
3.22	36	86	36	86
sub-total	86	200	88	198
Beam on polarized targets	572			
Optics and detector check	8			
Target overhead, Möller runs, dilution factor measurements and HMS momentum change	92			
Total Time Request	672 (28 days)			

Collaboration

X. Zheng , *Argonne National Laboratory, Argonne, Illinois.*

D. Dutta, H. Gao, K. Wijesooriya, W. Xu, *Duke University, Durham, North Carolina.*

P. Markowitz, *Florida International University, Miami, Florida.*

K. Baker, *Hampton University, Hampton, Virginia.*

J.-P. Chen, E. Chudakov, R. Ent, D. Gaskell, D.W. Higinbotham, M. Jones (Co-Spokesperson),
A. Saha, G. Warren, *Jefferson Lab, Newport News, Virginia.*

W. Korsch, *University of Kentucky, Lexington, Kentucky.*

J.J. Kelly, *University of Maryland, College Park, Maryland.*

K. Paschke, *University of Massachusetts, Amherst, Massachusetts.*

V. Punjabi, *Norfolk State University, Norfolk, Virginia.*

P. Ulmer, *Old Dominion University, Norfolk, Virginia.*

V. Kubarovsky, P. Stoler, *Rensselaer Polytechnic Institute, Troy, New York.*

R. Gilman, C. Glashausser, X. Jiang (Co-Spokesperson), G. Kumbartzki,
K. McCormick, R. Ransome, *Rutgers University, Piscataway, New Jersey.*

Seonho Choi, Z.-E. Meziani, K. Slifer, P. Solvignon,
Temple University, Philadelphia, Pennsylvania.

D. Crabb, D. Day (Co-Spokesperson), A. Deur, P. McKee,
O.A. Rondon, K. Wang, F.R. Wesselmann, H. Zhou
University of Virginia, Charlottesville, Virginia.

T. Averett, C. Perdrisat, L. Pentchev, *College of William and Mary, Williamsburg, Virginia.*

A. Agalaryan, R. Asaturyan, H. Mkrtchyan, S. Stepanyan, and V. Tadevosyan
Yerevan Physics Institute, Yerevan, Armenia.

E. Brash, G. Huber, C. Xu., *University of Regina, Regina, Canada*