

# Double-polarization $E$ and $G$ observables in $\eta$ photo-production on the CLAS Frozen Spin Target

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## Introduction

Realized long ago: just looking at cross sections is not enough to disentangle the overlapping states of baryon spectra

**Additional complication:** superposition of states detected *e.g.*  $N^*$  and  $\Delta$

**Solutions:**

- study energy & angular dependence of **polarization observables**:  
polarization of one or several of: beam, target, recoil
- **resonance filtering:**  $\eta(I = 0)$  production ensures  $N^*(I = \frac{1}{2})$  resonances

**Presented:**  $\eta$  photo-production to the proton ( $\gamma p \rightarrow \eta p$ ) to extract:

obs.	beam pol.	target pol.	expression
E	circular (C)	longitudinal (z)	$\frac{d\sigma}{d\Omega} = \frac{d\sigma}{d\Omega_0} (1 - P_z^T P_C^\gamma E)$
G	linear (L)	longitudinal (z)	$\frac{d\sigma}{d\Omega} = \frac{d\sigma}{d\Omega_0} (1 - P_L^\gamma \Sigma \cos 2\phi + P_L^\gamma P_z^T G \sin 2\phi)$

Phenomenological fits to constrain with data:

**$\eta$ -MAID:** Mainz  $\eta$ -photo-production isobar model fit

**SAID:** fit with couplings from  $\pi N$ ,  $\eta N$  data

**Bonn-Gatchina:** coupled-channel partial wave analysis

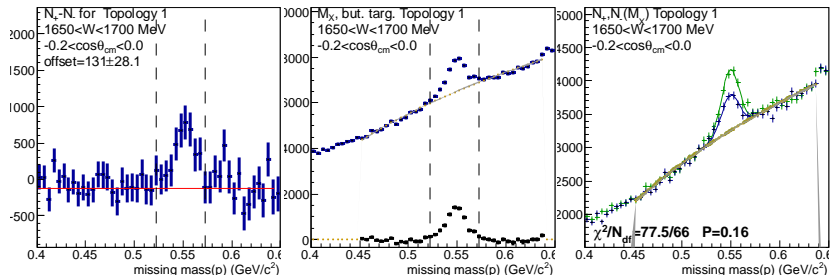
## Analysis Per-Kinematic Bin

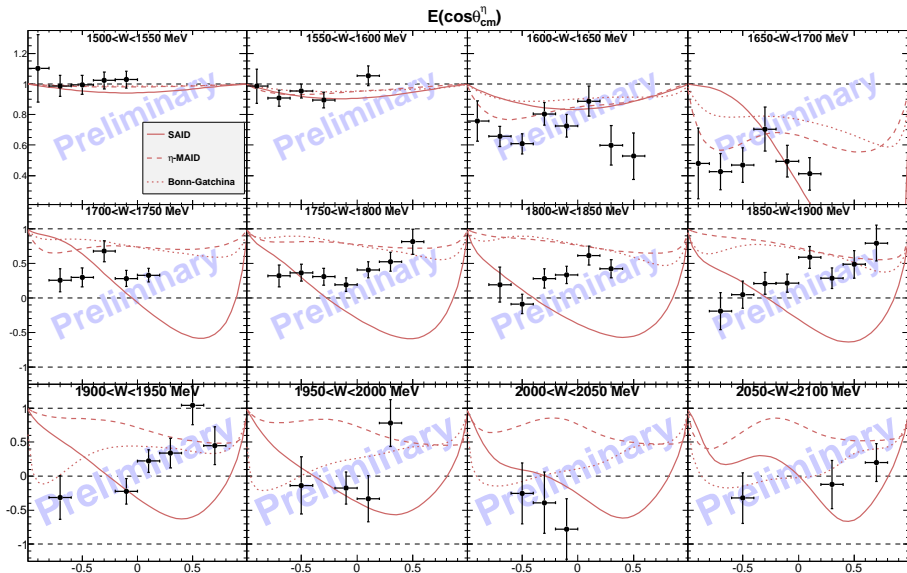
The goal is to form: 
$$E = -\frac{1}{P_z^T P_C^\gamma} \left( \frac{N_+ - N_-}{N_+ + N_-} \right)$$

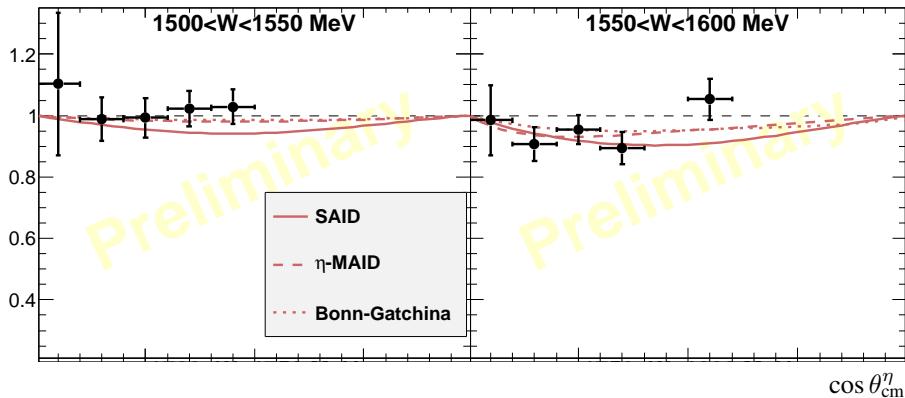
counting  $\eta$  via missing mass reconstruction and subtracting background

Steps:

- simultaneously fit meson mass spectra for two beam helicities (right plot)
  - helicity +      ■ helicity -
- use background from fit to correct sum of helicity yields (middle plot)
- form difference of two helicity spectra (left plot)



Results: E vs.  $\cos\theta_{\text{cm}}^{\eta}$ 

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E results near  $\eta$  threshold

## Results: E vs. W

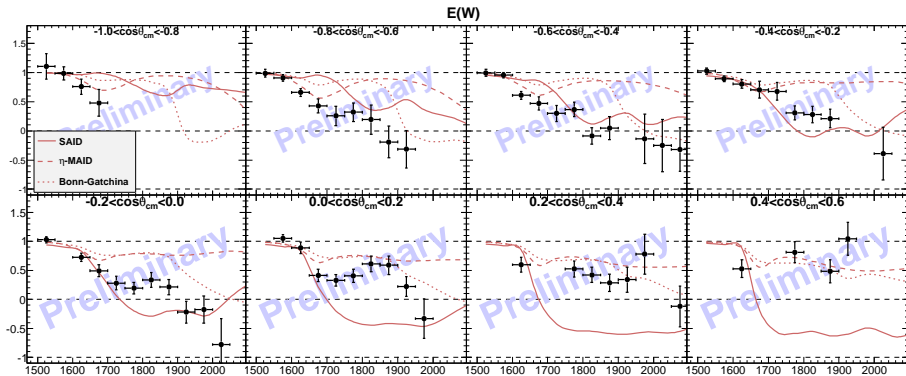
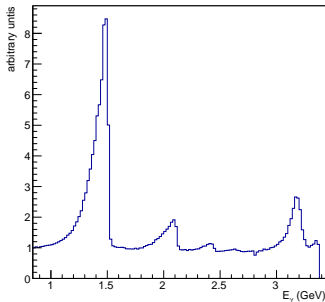


Figure : Helicity asymmetry  $E$  as a function of center of mass energy  $W$ (MeV)

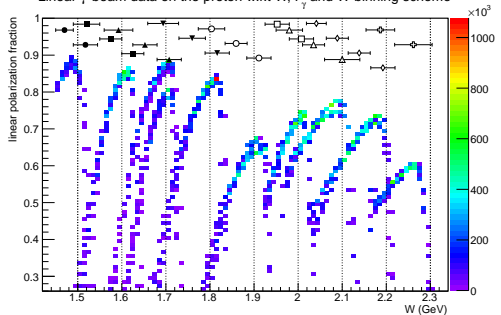
# Linearly Polarized Beam Data

- coherent bremsstrahlung (CB) data taken at various positions of the coherent edge
  - polarization fraction determined using CB Spectrum Analysis (CBSA)
  - binning in  $W$  done for each coherent edge data set separately, allowing  $W$  overlaps
- Advantage:** ensures consistency of  $P^\gamma$  estimation and other systematics
- In practice:** statistics and asymmetry resolving power in coherent edge tail are poor

Sample coherent bremsstrahlung enhancement spectrum



Linear  $\gamma$ -beam data on the proton w.r.t  $W$ ,  $P_\gamma$  and  $W$ -binning scheme



**Figure :** Distribution of photo-production events with proton detected as a function of center of mass energy  $W$  and beam polarization fraction. Brackets of  $W$ -binning of the data are shown.

## Review of G observable and its extraction technique

Review of the G observable term:

$$\frac{d\sigma}{d\Omega} = \frac{d\sigma}{d\Omega_0} \left( 1 - P_L^\gamma \Sigma \cos 2\phi + P_L^\gamma P_z^T G \sin 2\phi \right)$$

where

- *linear* beam photon polarization ( $P_L^\gamma$ ):  $\parallel$  ( $\hat{x}$ ) or  $\perp$  ( $\hat{y}$ )
- azimuthal meson angle  $\phi$  is relative to polarization vector
- $P_z^T$  is target's *longitudinal* polarization ('T' dropped henceforth)

Writing this out explicitly for all beam/target configurations:

$$N_{\parallel}^+(\phi) = N_{0\parallel}^+(\phi) \left( 1 - P_{\parallel+}^\gamma \Sigma \cos 2\phi + P_{\parallel+}^\gamma \left| P_{\parallel+}^z \right| G \sin 2\phi \right) \quad (1)$$

$$N_{\parallel}^-(\phi) = N_{0\parallel}^-(\phi) \left( 1 - P_{\parallel-}^\gamma \Sigma \cos 2\phi - P_{\parallel-}^\gamma \left| P_{\parallel-}^z \right| G \sin 2\phi \right) \quad (2)$$

$$N_{\perp}^+(\phi) = N_{0\perp}^+(\phi) \left( 1 + P_{\perp+}^\gamma \Sigma \cos 2\phi - P_{\perp+}^\gamma \left| P_{\perp+}^z \right| G \sin 2\phi \right) \quad (3)$$

$$N_{\perp}^-(\phi) = N_{0\perp}^-(\phi) \left( 1 + P_{\perp-}^\gamma \Sigma \cos 2\phi + P_{\perp-}^\gamma \left| P_{\perp-}^z \right| G \sin 2\phi \right) \quad (4)$$

$N^0(\phi)$  contains acceptance in  $\phi$  and relative integrated flux



## G extraction technique (continued)

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- 4 Take out the detector azimuthal acceptance. Now we have:

$$\tilde{N}_i(\phi) \equiv \frac{N_i(\phi)}{fN_0N_{\text{AMO}}(\phi)}$$

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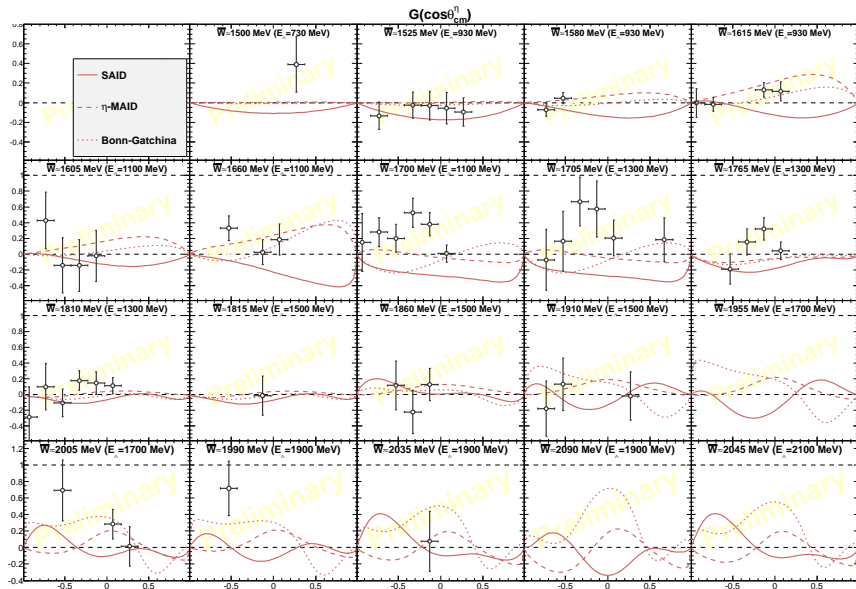
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- 6 Fit the above right-hand side to get  $G$



Results:  $G$  vs.  $\cos\theta_{\text{cm}}^{\eta}$ 

## Results: G vs. W

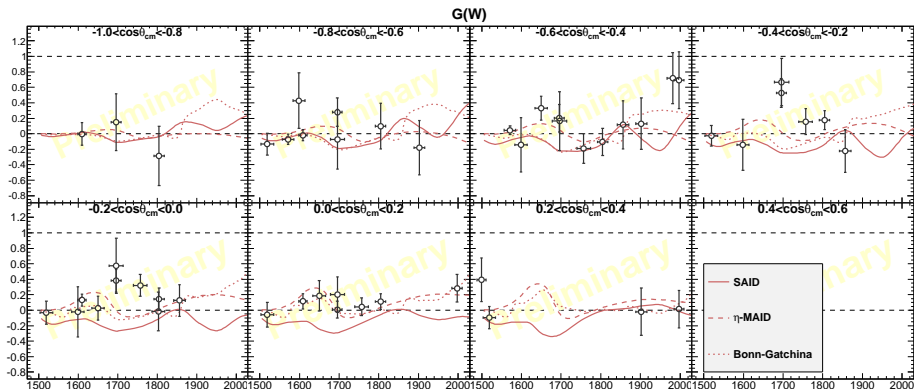


Figure : Beam/target polarization asymmetry  $G$  as a function of center of mass energy  $W$  (MeV)

## Summary and Outlook

- No published data on  $E$  and  $G$  observables in  $\eta$ -photo-production
- $E$  results ready for analysis review ✓
- $G$  results may benefit from more sophisticated extraction methods 🔄
  - more robust at low statistics – more kinematic bins covered
  - smaller statistical error bars
  - work on systematic uncertainties 🔄
  - Cross-check results against other extraction methods 🔄