# Parton-hadron duality at high Q<sup>2</sup>

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## Outline

#### **Quark-hadron duality**

#### Physics motivation for E00-116

#### **♦**Analysis status for E00-116

#### $\langle F_2^{p} \rangle$ and $F_2^{d}$ at high x from E00-116 data

### Bloom-Gilman duality



'70- Bloom and Gilman observed that the prominent resonances in e-p scattering do not disappear with increasing  $Q^2$  relative to the "background" under them but follow the DIS scaling limit curve falling at roughly the same rate as *any* "background".

**Finite energy sum rule:** 

$$\frac{2M}{Q^2}\int_0^{\upsilon_m} \upsilon W_2(\upsilon, Q^2)d\upsilon = \int_1^{(2M\upsilon_m + m^2)/Q^2} \upsilon W_2(\omega')d\omega'$$

'76- A QCD based explanation by de Rujula Georgi and Politzer: in the *resonance regime* the *higher twist* effects are *small or cancel*  $\rightarrow$  **duality** 

## Duality in the F<sub>2</sub> Structure Function



#### E94-110 Rosenbluth separated data



With increasing Q<sup>2</sup> the resonances slide towards higher x on <u>ALLM97</u> curve while pdf curve MRST+NNLO+TMC starts undershooting the data.

Higher Q<sup>2</sup>/x data needed to get more information ...

### E00-116 physics motivation



#### E00-116 kinematics





 $70^{\circ} \begin{cases} \mathbf{Q}^2 \in (5.83 - 6.62) \\ \mathbf{x} \in (0.66 - 0.77) \end{cases}$ 

## Analysis status for E00-116

- Detector calibrations: done
- Luminosity studies: done
- BCM calibration: done
- Detector efficiencies checking: done
- Tracking efficiency checking: done

pion contamination estimation: done

• Background estimation:

charge symmetric background estimation: done

- Radiative corrections: need iteration
- Cross section extraction: final/iteration
- $F_2^{p}$  and  $F_2^{d}$  extraction: preliminary

#### Luminosity studies

#### • We quantify the boiling effect in the targets with increasing current.



On average, the scaler and tracking based studies reveal about 0.5 % correction with an error of about 0.3 %.

## Tracking efficiency checks

- We are at low rates so we don't worry about the rate dependence of the tracking efficiency.
- But the tracking efficiency could have an angle dependence.



• We don't see any angle dependence in the tracking efficiency.

### **Background analysis**

Pion contamination

We are at large angles so the (e,e<sup>-</sup>) cross section is typically low.

We are at low momentum so we have high  $\pi$ /e ratio. The typical PID cuts don't clean up all the pions.

Charge symmetric background:

We used **SOS** for H,D (e, e+) measurement.

SOS has a larger acceptance than HMS. (e, e+) cross section is varying strongly as a function of  $\theta$  and E'. Therefore we need to disentangle  $\theta$  and E' dependence in order to do the subtraction.

#### Pion contamination estimation

► We assume that for hcer\_npe < 2 we have only pions and for hcer\_npe > 2 still some pion contamination → we "scale" the pion spectrum to subtract pions.

The pion contamination is parameterized as a function of momentum and the fit is used for subtraction.



## Charge symmetric background estimation

For positron cross section calculation, spectrometer acceptance corrections were applied and P. Bosted model(based on Wiser  $\pi^+,\pi^-$  production data) was used for bin centering correction.



The background was subtracted on a theta/momentum grid.

#### Cross sections extraction

For H<sub>2</sub> target all corrections are final and two iterations were performed.





For D<sub>2</sub> target, the born inelastic cross section was obtained by subtracting the radiated elastic and quasielastic contributions and correcting for the radiative effects.

## H<sub>2</sub> cross sections

We still need to iterate the radiative corrections.



corrections.

### D<sub>2</sub> cross sections



Up to now no iteration was performed on D<sub>2</sub> data.

There seem to be small systematic fluctuations so we will try get a better fit.

## $F_2$ extraction

$$F_{2} = \frac{d^{3}\sigma}{d\Omega dE'} \frac{1+R}{1+R\varepsilon} \frac{K\upsilon}{4\pi^{2}\alpha} \frac{1}{\Gamma} \frac{1}{1+\upsilon^{2}/Q^{2}}$$

E00-116 measures

We wish to construct  $F_2$  but have not measured R.

**For F**<sub>2</sub> extraction R1998 was used.



Estimated uncertainty on F<sub>2</sub> originating from the R parameterization used is about 2%.

## $F_2^{p}$ from E00-116 data

- As observed from E94-110, MRST pdf evolution curve undershoots the data at intermediate Q<sup>2</sup>, high x.
- ALLM97 fit behaves as a "scaling curve" for the resonance data.



## What is ALLM97 ?



ALLM97 (Abramowicz,Levin,Levy,Maor) is a fit to a wide range of  $\gamma^* p$  scattering data(all existing data by 1997) with W<sup>2</sup>>3 GeV<sup>2</sup> including also photoproduction data ( $\gamma p$ ).

The fit form assumed for  $\mathbf{F}_2$  is the product of:  $\mathbf{Q}^2/(\mathbf{Q}^2+\mathbf{m}_0^2)$ 

$$c_{\mathsf{P},\mathsf{R}}(t) * x_{\mathsf{P},\mathsf{R}} c_{\mathsf{P},\mathsf{R}}(t) * (1-x)^{b} c_{\mathsf{P},\mathsf{R}}(t)$$

where 
$$\mathbf{t} = \ln \left\{ \frac{\ln[(Q^2 + Q_0^2)/\Lambda^2]}{\ln(Q_0^2/\Lambda^2)} \right\}$$

X<sub>P,R</sub>=modified Bjorken X

 $1/x_{P,R} = 1 + (W^2 - M^2)/(Q^2 + m^2_{P,R})$ 



X

X

#### How well ALLM97 describes the H<sub>2</sub> data ?

**Global duality** studies revealed that when integrating over the entire spectrum - resonance + DIS region – with ALLM97 as scaling curve, duality holds up to 2%.



## $F_2^{d}$ from E00-116 data

► ALLM97 for D<sub>2</sub> is:( the fit to world dis F<sub>2</sub><sup>p</sup>) X (parameterization of F<sub>2</sub><sup>d</sup>/F<sub>2</sub><sup>p</sup> as a function of x from world data)





## How well ALLM97 describes the D<sub>2</sub> data ?

- Overall, ALLM97 D<sub>2</sub> is about 1.5 % lower than E00-116 data , the discrepancy getting bigger at high x.
- E00-116 data seem few percent lower than SLAC data.

...but D<sub>2</sub> data still need iteration(for both cross sections and radiative corrections)...



$$F_2(x) / Q^2_{=const.} \sim (1-x)^b$$

- For a fixed Q<sup>2</sup>, the F<sub>2</sub> dependence of x goes like (1-x)<sup>b</sup>.
- **E00-116**  $F_2^{p}$  and  $F_2^{d}$  "points" were centered at a fixed  $Q^2 = 5.5 \text{ GeV}^2$ and the x dependence of  $F_2^{p}$  was fitted.



## Summary

- F<sub>2</sub><sup>p</sup> extracted from E00-116 resonance data were shown. With increasing Q<sup>2</sup>/x they slide on ALLM97 curve but are becoming systematically higher than MRST+NNLO+TMC curve.
- F<sub>2</sub><sup>p</sup> dependence of Q<sup>2</sup>/x for E00-116 data were checked against world data, ALLM97 fit and MRST+NNLO+TMC. E00-116 data follow the Q<sup>2</sup> / x behavior of ALLM97 fit.
- $\checkmark$  Preliminary  $F_2^{d}$  were shown against "ALLM97" fit and available SLAC data but  $D_2$  data still need iteration.

