

Access Quark Information Through semi-Inclusive Deep-Inelastic Scattering Experiments at JLab-12 GeV

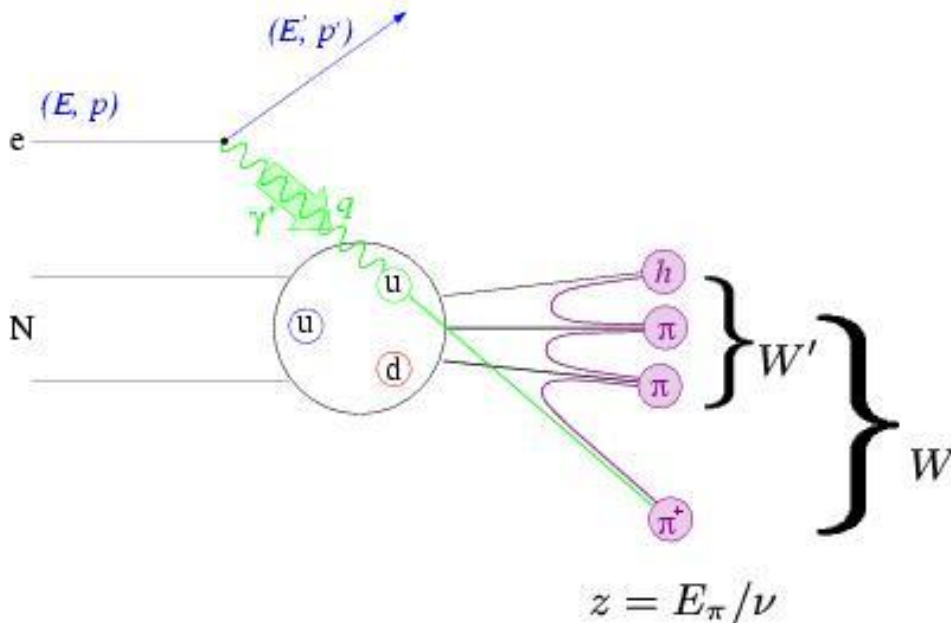
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- Opportunities of SIDIS at JLab-12GeV.
- How do we know when we hit a quark ?
- Cross sections of SIDIS π production at NLO.
- Ratios of multiplicities carry quark information.
- My list of interesting SIDIS physics topics at JLab-12GeV.

SIDIS Program at JLab-12 GeV

- A_{UT} trans. target SSA, Collins and Sivers asymmetries to access quark transversity and Sivers distribution function. $\pi^{+0/-}$, $K^{+/-}$ etc.
- A_{LL} long. target double-spin asymmetries for quark spin-flavor decomposition, $\Delta u, \Delta d, \Delta u - \Delta d$
- Hadron azimuthal distribution in SIDIS, like $\cos(2\phi)$, access transverse momentum dependent parton distributions. and more...



Three underline assumptions:

- Hard scattering at the vertex.
- Independent fragmentation (soft).
- Universality of Frag. Func.

Can we access quark information at JLab-12 GeV?

- Hard scattering. How do we know when we hit a quark ?
- Fragmentation. Quark information carried out by hadron ?
- Universality of Frag. Func. Agree with e^+e^- , $p+p$ data ?

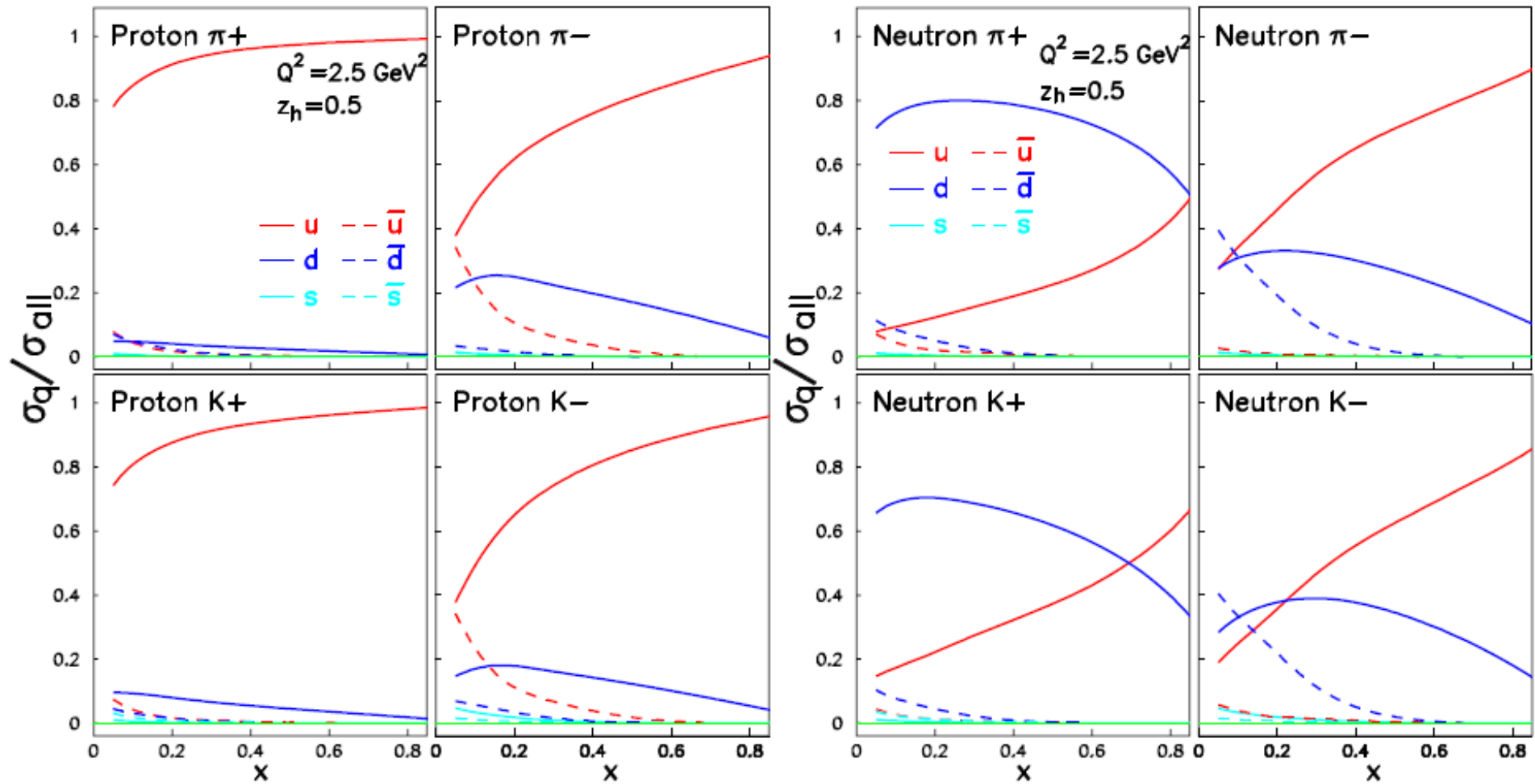
Do we understand the fundamental cross sections in SIDIS, to Next-Leading-Order ?

Do we understand their relative relations, Q^2 , z , p_+ and ϕ -dependencies ?

The first step of SIDIS program at JLab-12 GeV is to firmly establish the baseline of interpretation.

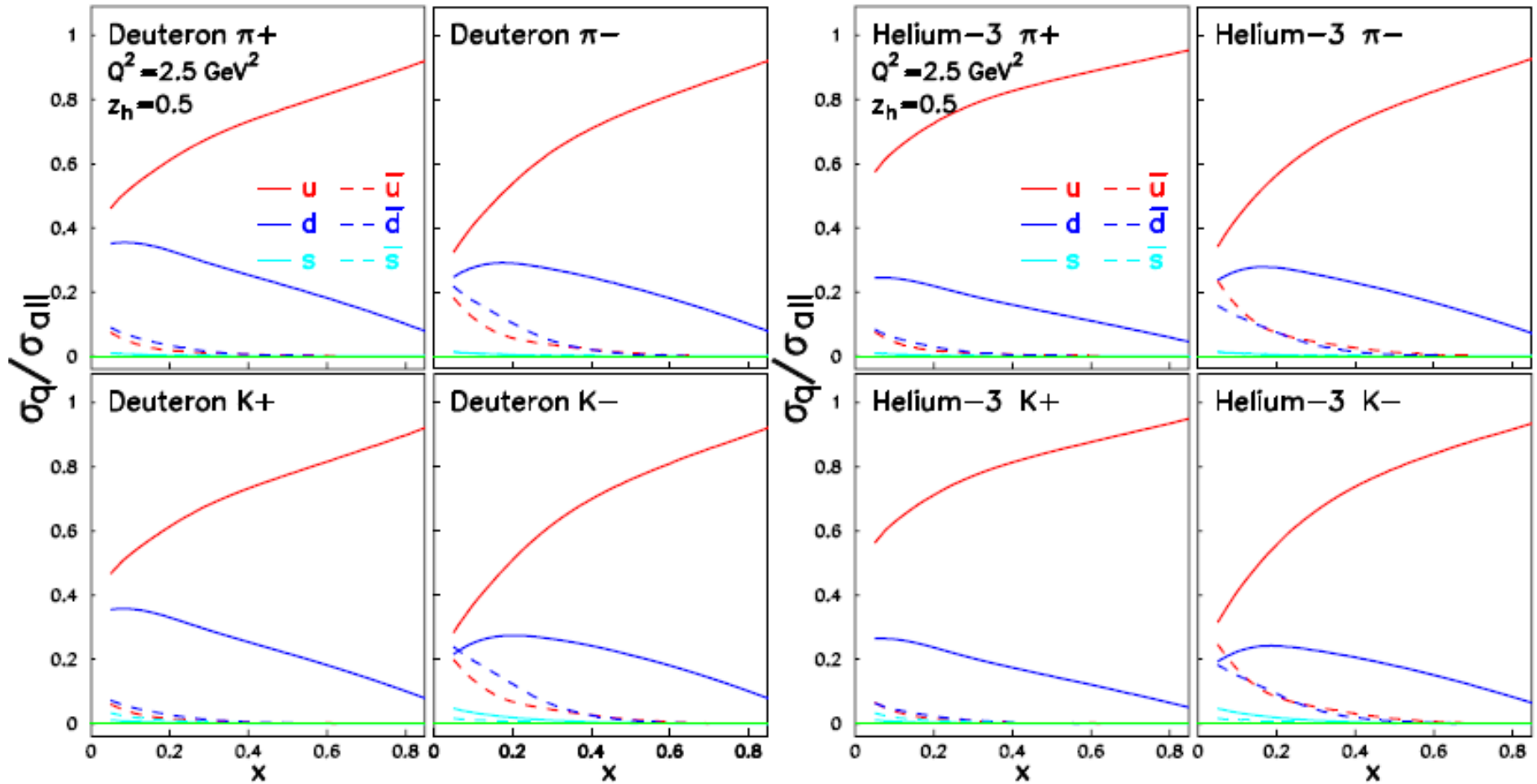
What is the best evidence ?

Leading Order Cross Sections, contributions from each quark flavor



$$\sigma_q / \sigma_{\text{all}} = e_f^2 q_f \cdot D_f^h / \sum_i e_i^2 q_i \cdot D_i^h \quad (@z_h = 0.5)$$

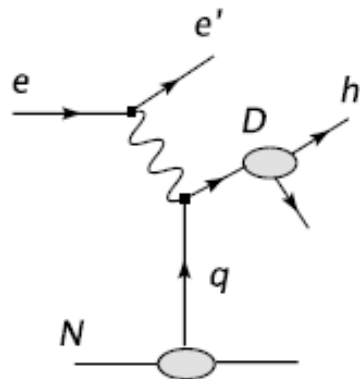
LO contributions from each quark flavor, on Deuteron and ^3He



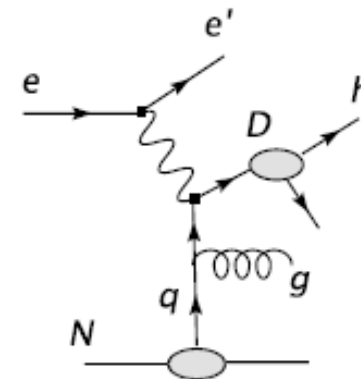
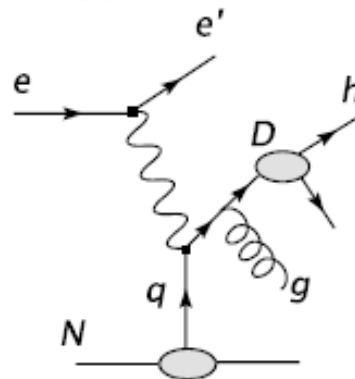
$$\sigma_q / \sigma_{\text{all}} = e_f^2 q_f \cdot D_f^h / \sum_i e_i^2 q_i \cdot D_i^h$$

SIDIS cross sections at NLO

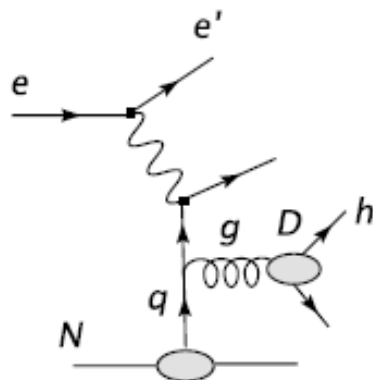
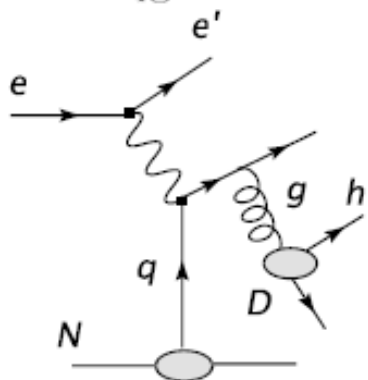
LO:



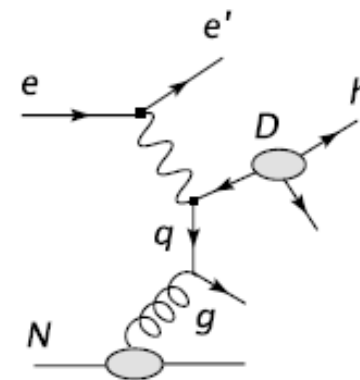
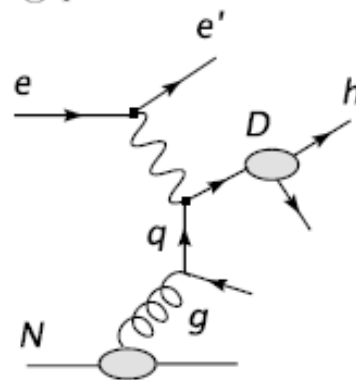
NLO-qq:



NLO-qg:



NLO-gq:



$$q(x, Q^2) \cdot D(z, Q^2) \Rightarrow \int \frac{dx'}{x'} \int \frac{dz'}{z'} q\left(\frac{x}{x'}\right) C(x', z') D\left(\frac{z}{z'}\right)$$

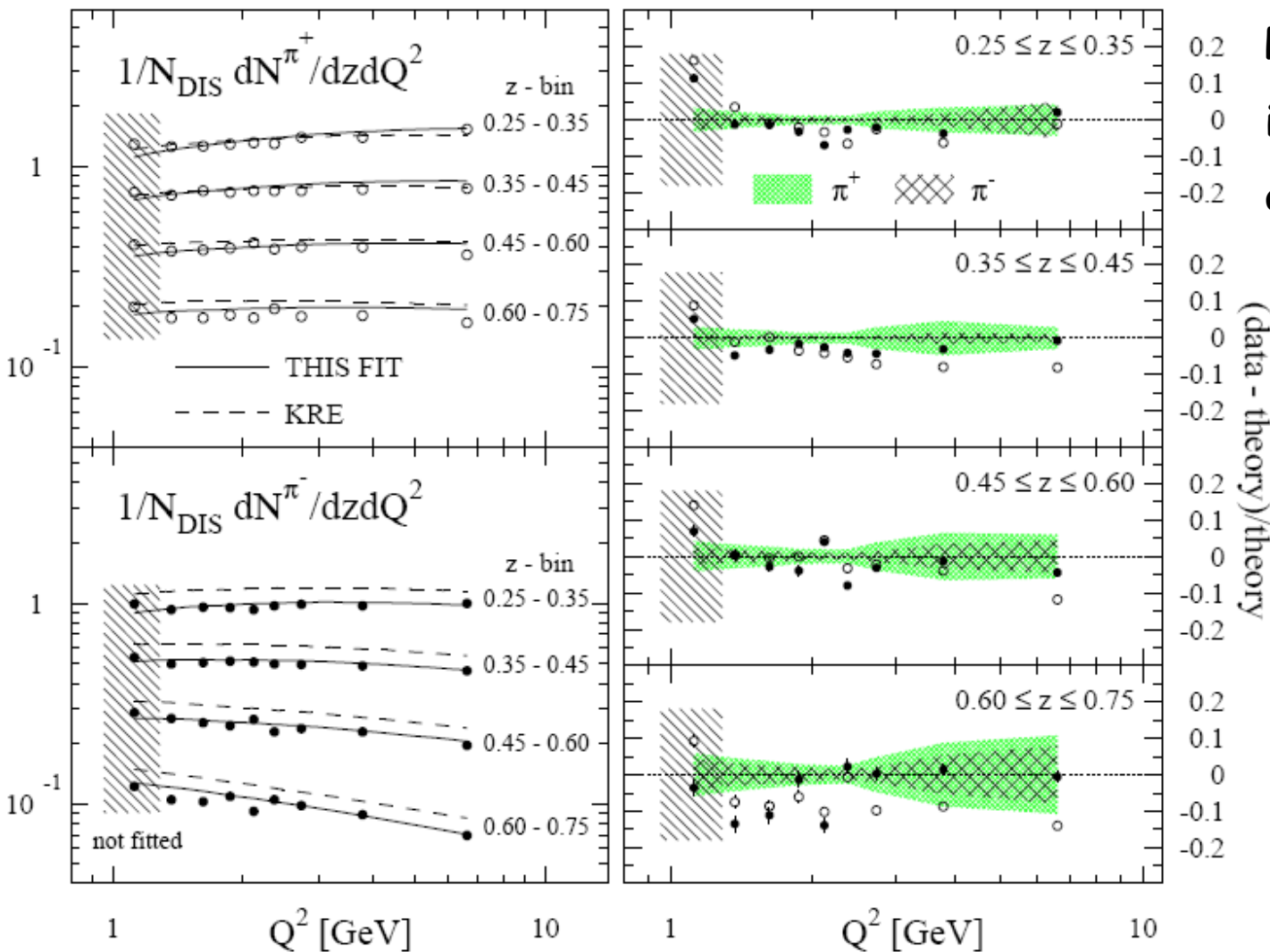
$$\sigma^h(x, z) = \sum_f e_f^2 q_f \left[1 + \otimes \frac{\alpha_s}{2\pi} \mathcal{C}_{qq} \otimes \right] D_{qf}^h$$

$$+ \left(\sum_f e_f^2 q_f \right) \otimes \frac{\alpha_s}{2\pi} \mathcal{C}_{qg} \otimes D_G^h + G \otimes \frac{\alpha_s}{2\pi} \mathcal{C}_{gq} \otimes \left(\sum_f e_f^2 D_{qf}^h \right)$$

Wilson co-efficiencies $\mathcal{C}_{ij}(x, z)$ are well-known.

At NLO, gluon Frag. Func. are involved, limited number of unknowns. Many independent measurements help to constrain these unknowns within the framework of a global NLO-QCD fit.

NLO global fits of Fragmentation Functions



Pion multiplicities,
integrated over P_t
and φ

(data - theory)/theory

Global fit to e^+e^- ,
SIDIS and p+p
data, to predict
cross sections at
NLO for JLab-
12GeV

Fit compare with HERMES SIDIS data, R. Sassot et al. 2007.

For example, a measurement with CLAS12:

SIDIS π^+ , π^- , π^0 production on proton and deuteron targets



Form ratios from measured yields N_{π^+}, N_{π^-}

$$\frac{(N_{\pi^+} + N_{\pi^-})^p}{(N_{\pi^+} + N_{\pi^-})^d} \quad \frac{(N_{\pi^+} - N_{\pi^-})^p}{(N_{\pi^+} - N_{\pi^-})^d}$$

Check kinematic dependence on Q^2 , x_{bj} , z_π, P_\dagger

High Luminosity $10^{35} \text{ cm}^{-2} \text{ s}^{-1}$

	$E_0=11 \text{ GeV}$	$E_0=8.8 \text{ GeV}$	$E_0=6.6 \text{ GeV}$
Beam on LH ₂	1000 hours	250 hours	250 hours
Beam on LD ₂	1000 hours	250 hours	250 hours

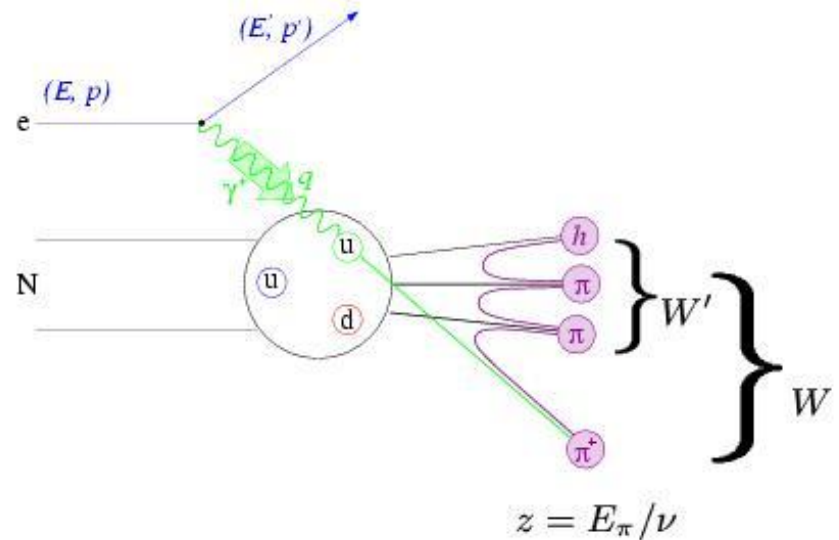
Definition and cuts

$$x_{bj} = \frac{Q^2}{2\nu M}$$

$$z_{\pi} = \frac{E_{\pi}}{\nu}$$

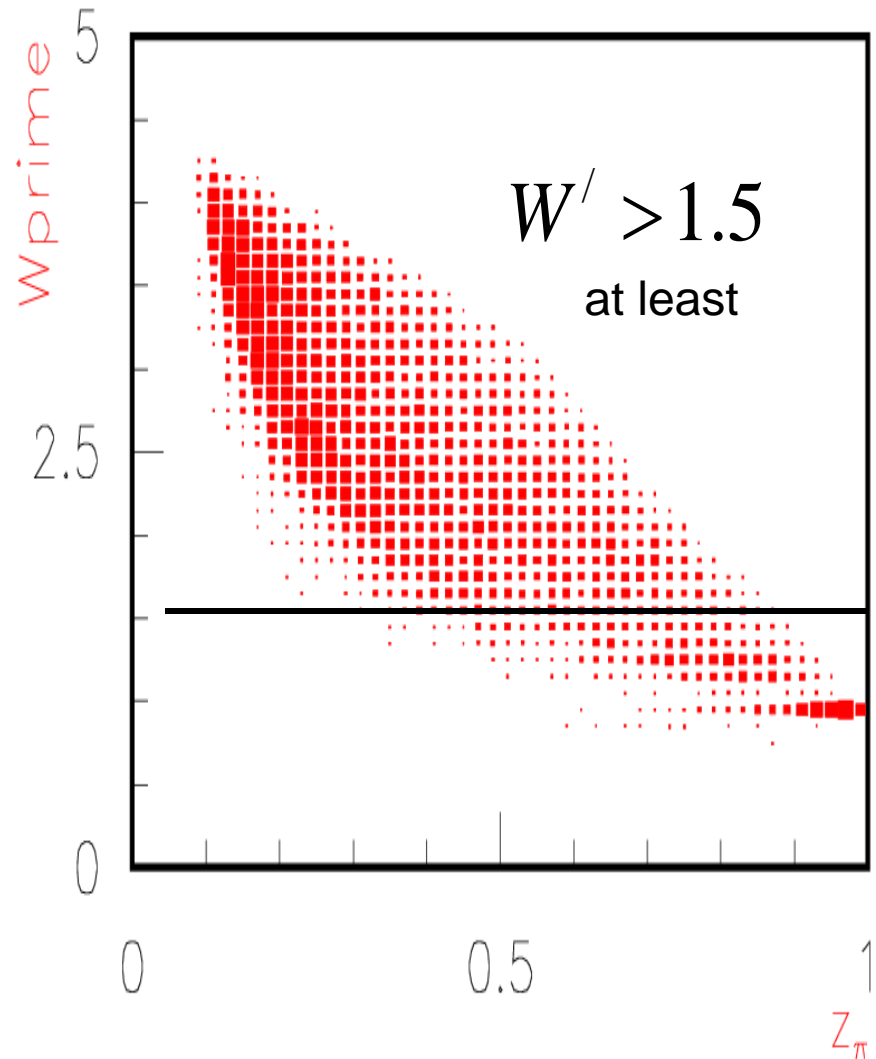
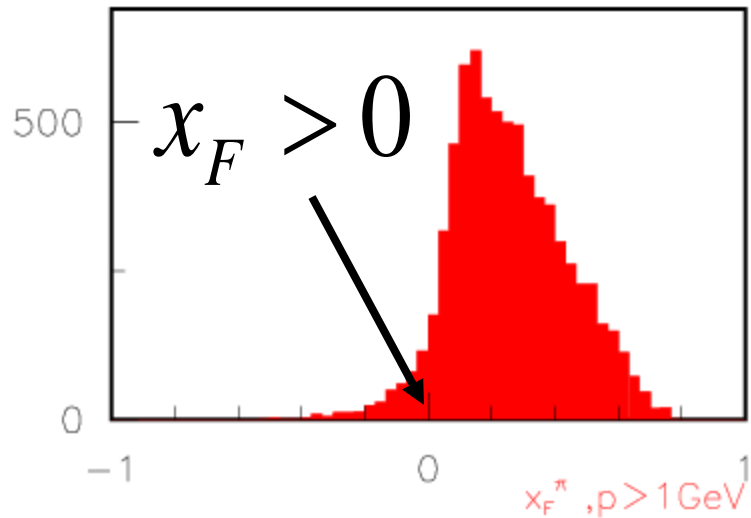
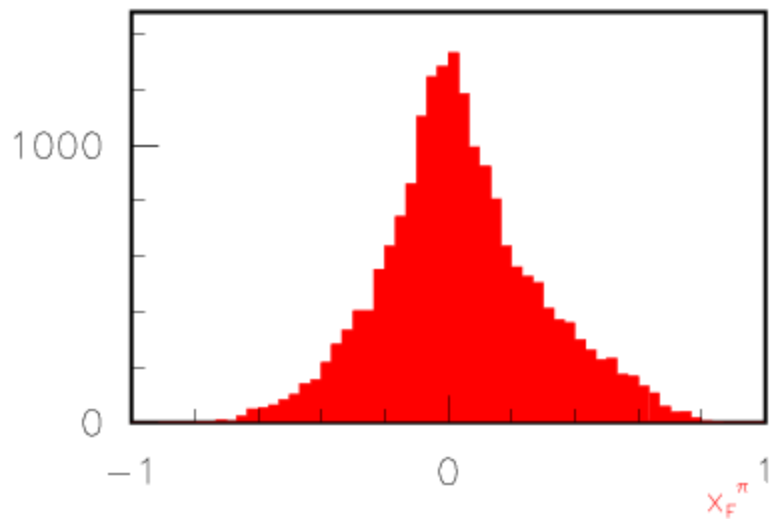
$$x_F = \frac{2p_{\parallel}^*}{W}$$

* Virtual-photon nucleon CM

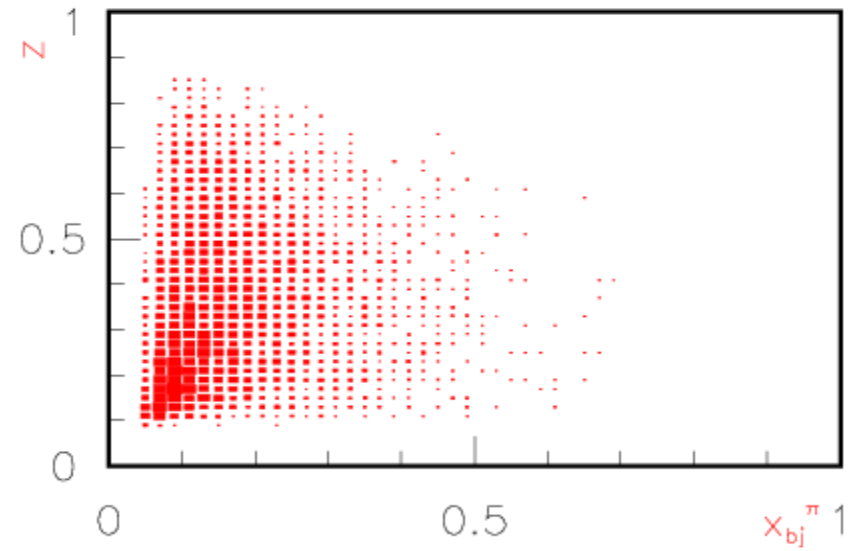
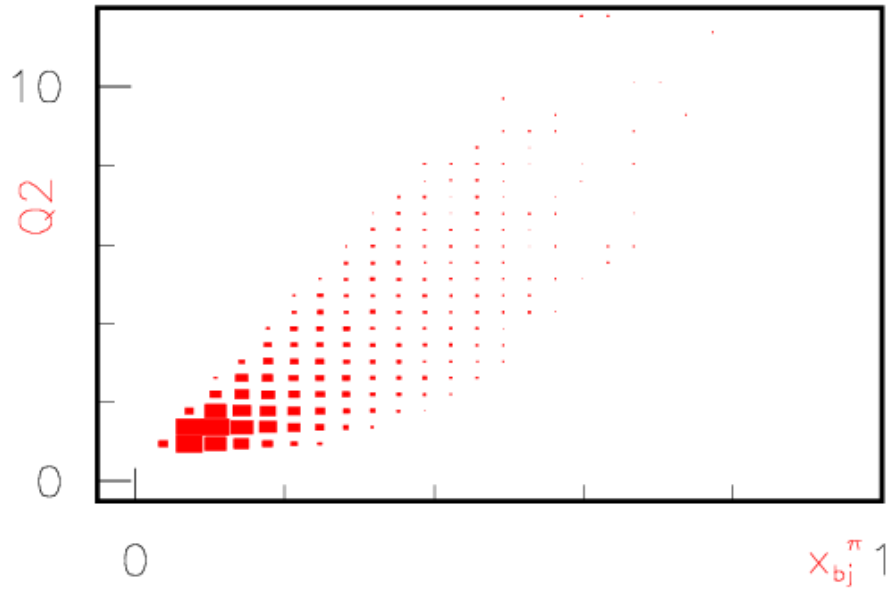


$$Q^2 > 1\text{GeV}^2, W > 2\text{GeV}, x_F > 0$$

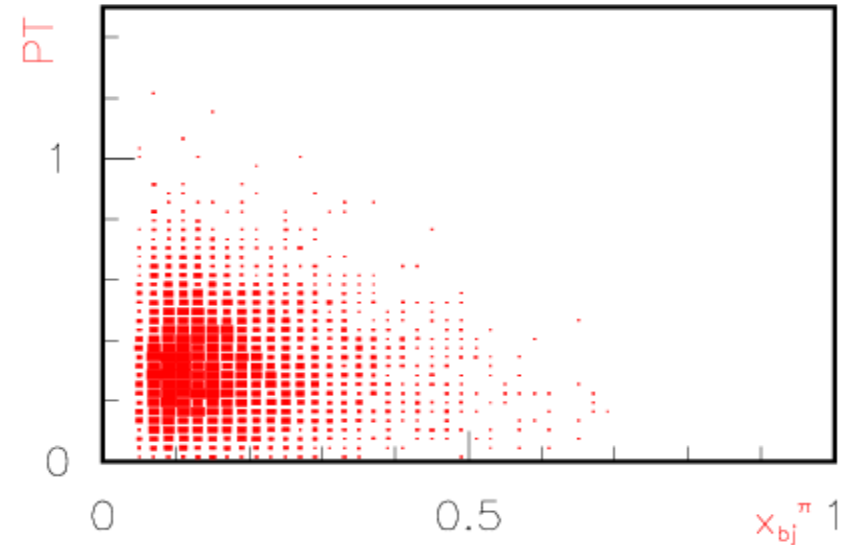
Cuts for pion on x_F, W'



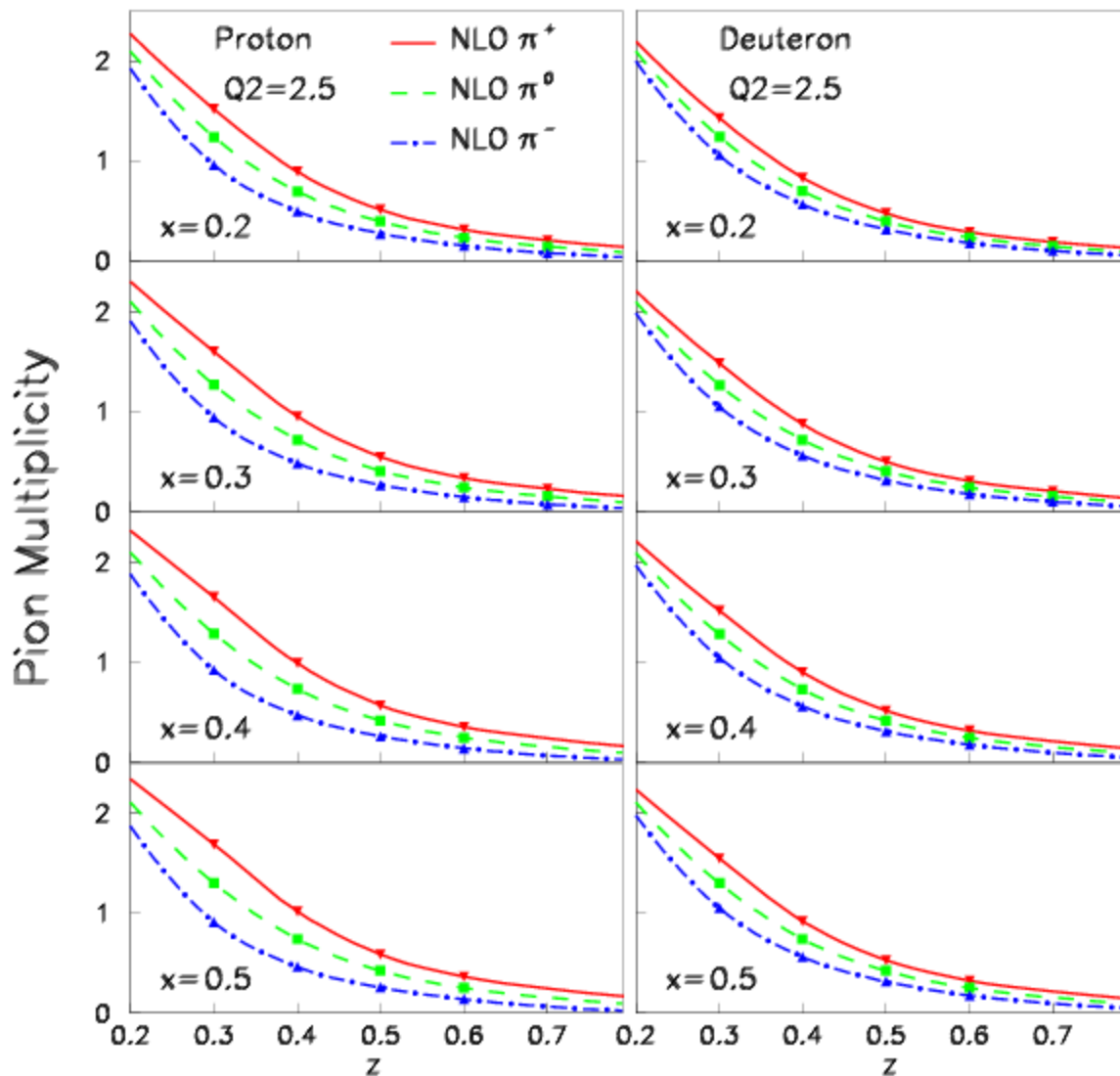
Q² vs. x, z vs. x, P₊ vs. x



- Check Q^2 dependence for a given z and x
- Check z dependence for a given Q^2 and x
- Check P_+ dependence for a given Q^2 and x



Expected results: z-dependence



Curve: Prediction in NLO
from R. Sassot .

$Q^2=2.5,$
 $x=0.2,0.3,0.4,0.5$

SU(2) symmetry in the
fragmentation process ?

$$\pi^0 = (\pi^+ + \pi^-) / 2$$

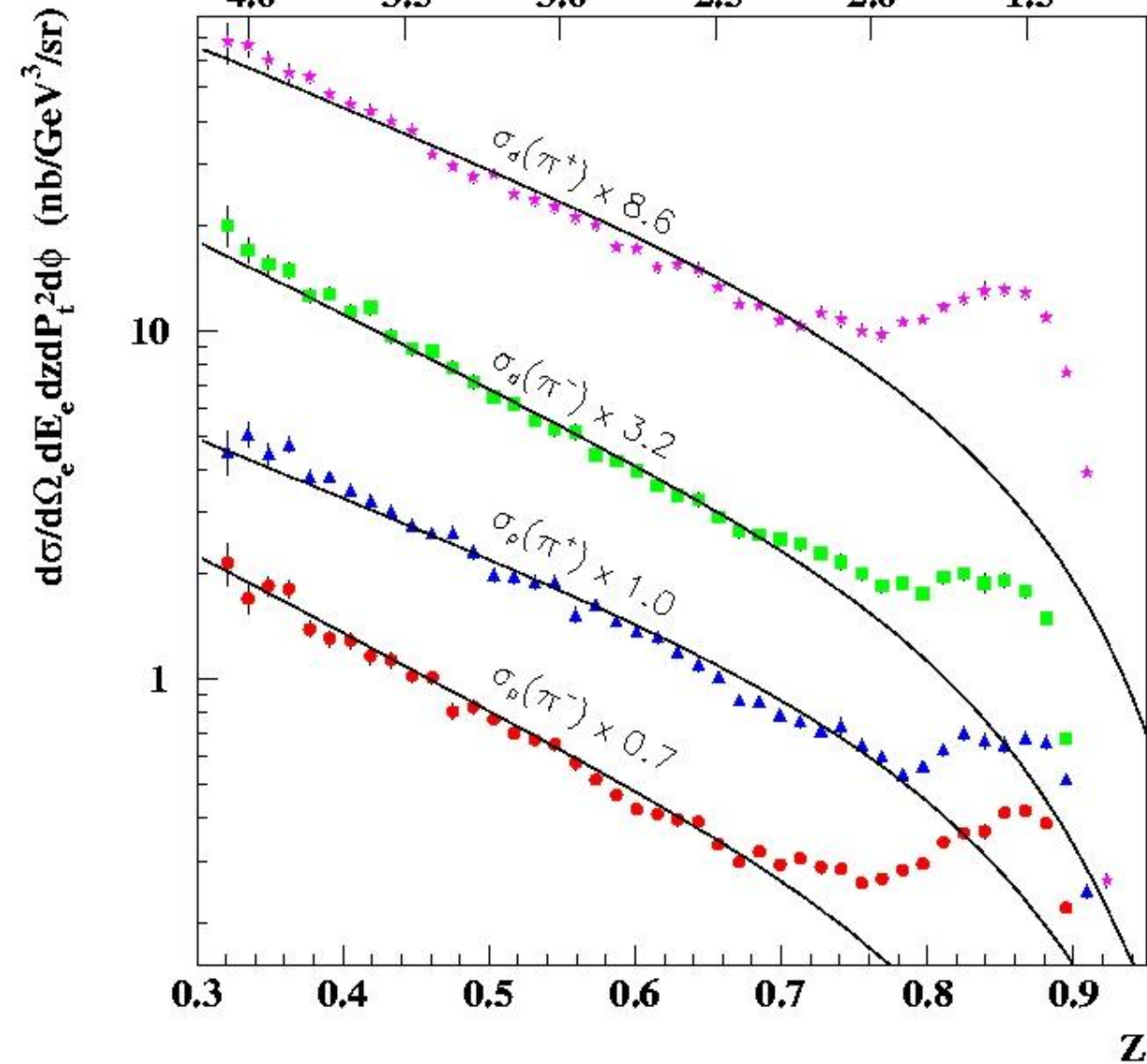
Hall C data at 5.5 GeV: cross sections

M_k^2

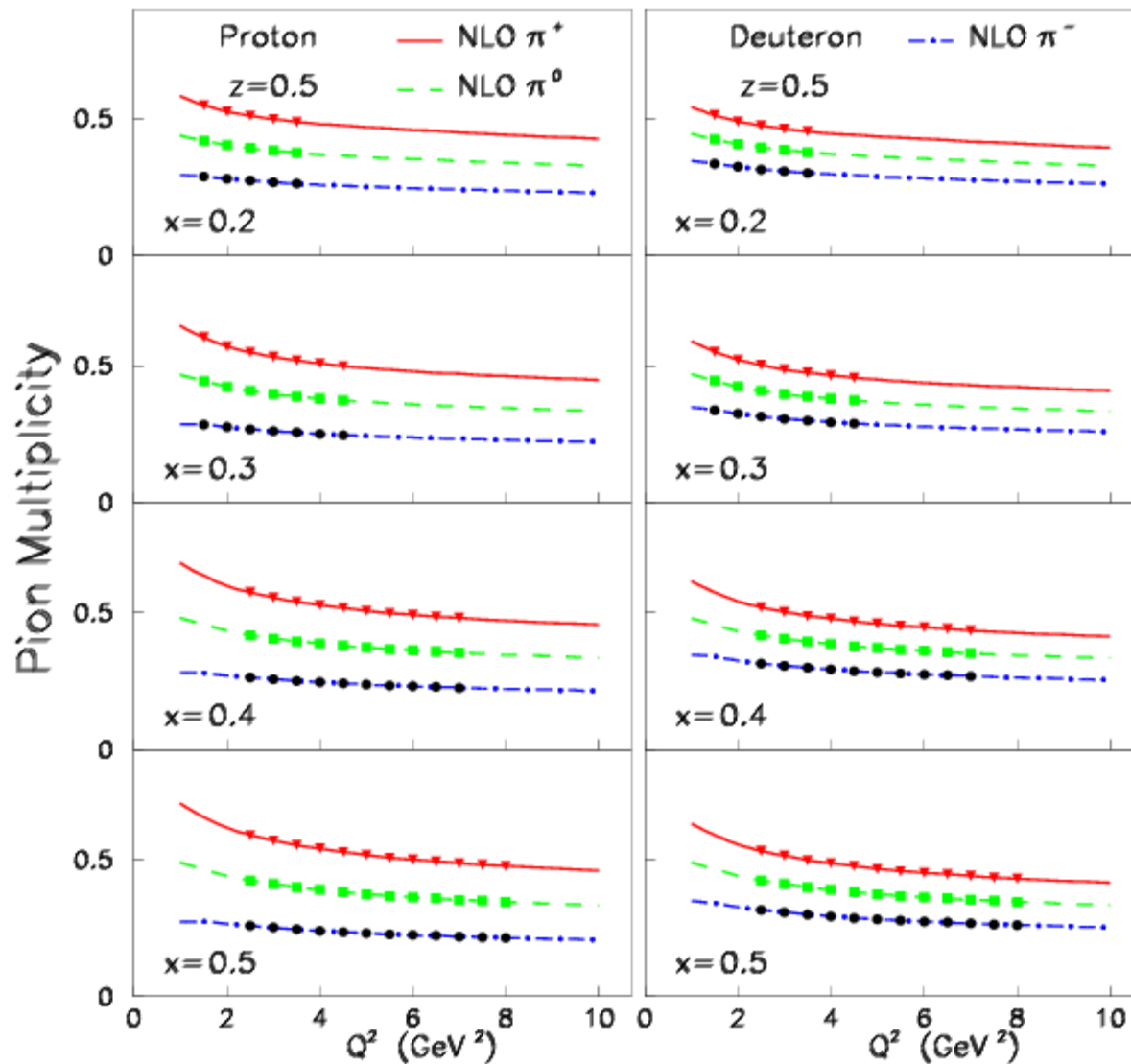
$x=0.32, Q^2=2.3 \text{ GeV}^2.$

smooth in $0.4 < z < 0.65$

agree with LO calculations.

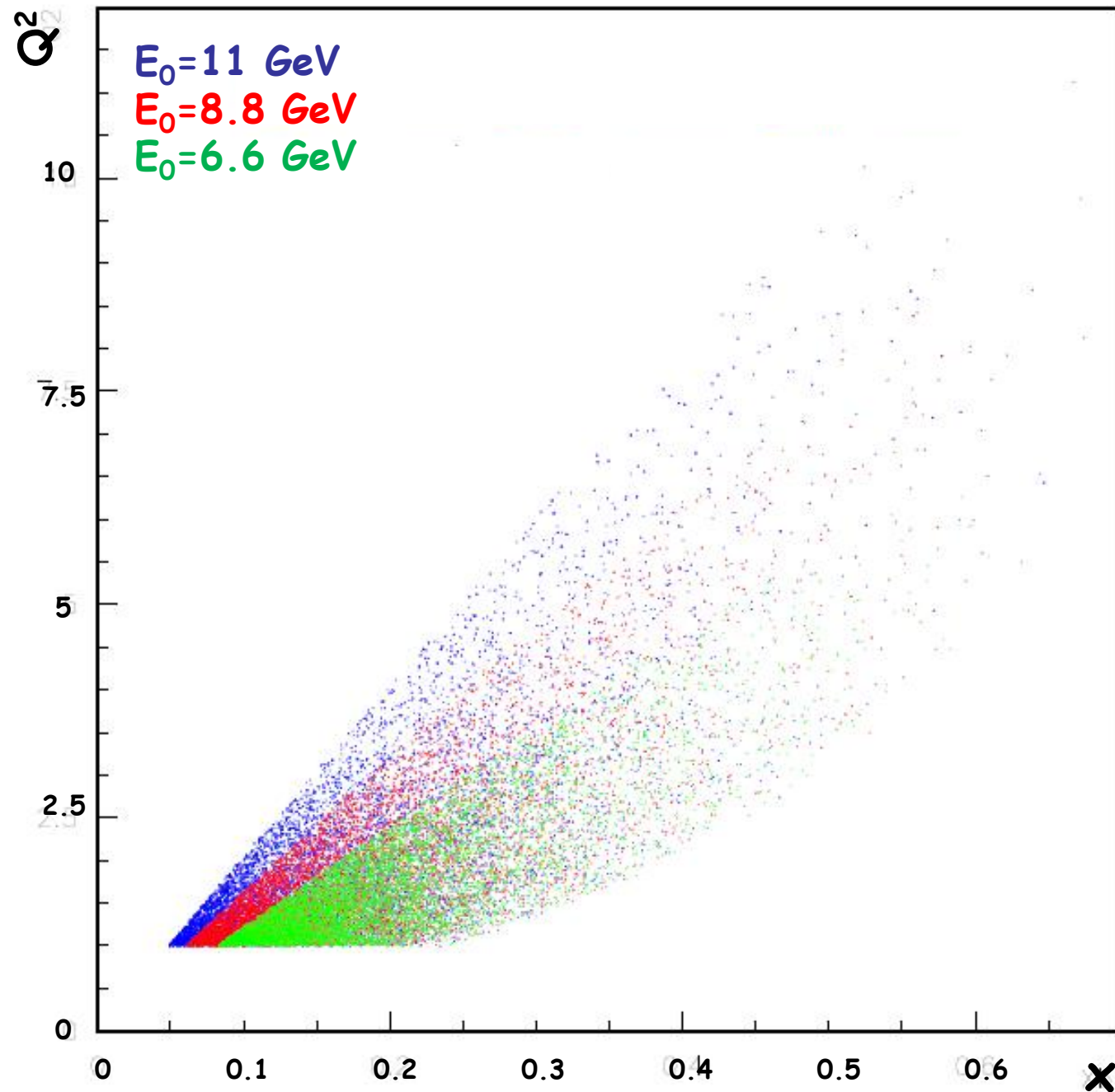


Expected results: Q^2 dependence



Curves: predictions from NLO, R. Sassot et al.

$z=0.5$,
 $x=0.2, 0.3, 0.4, 0.5$



(x, Q^2)
coverage.

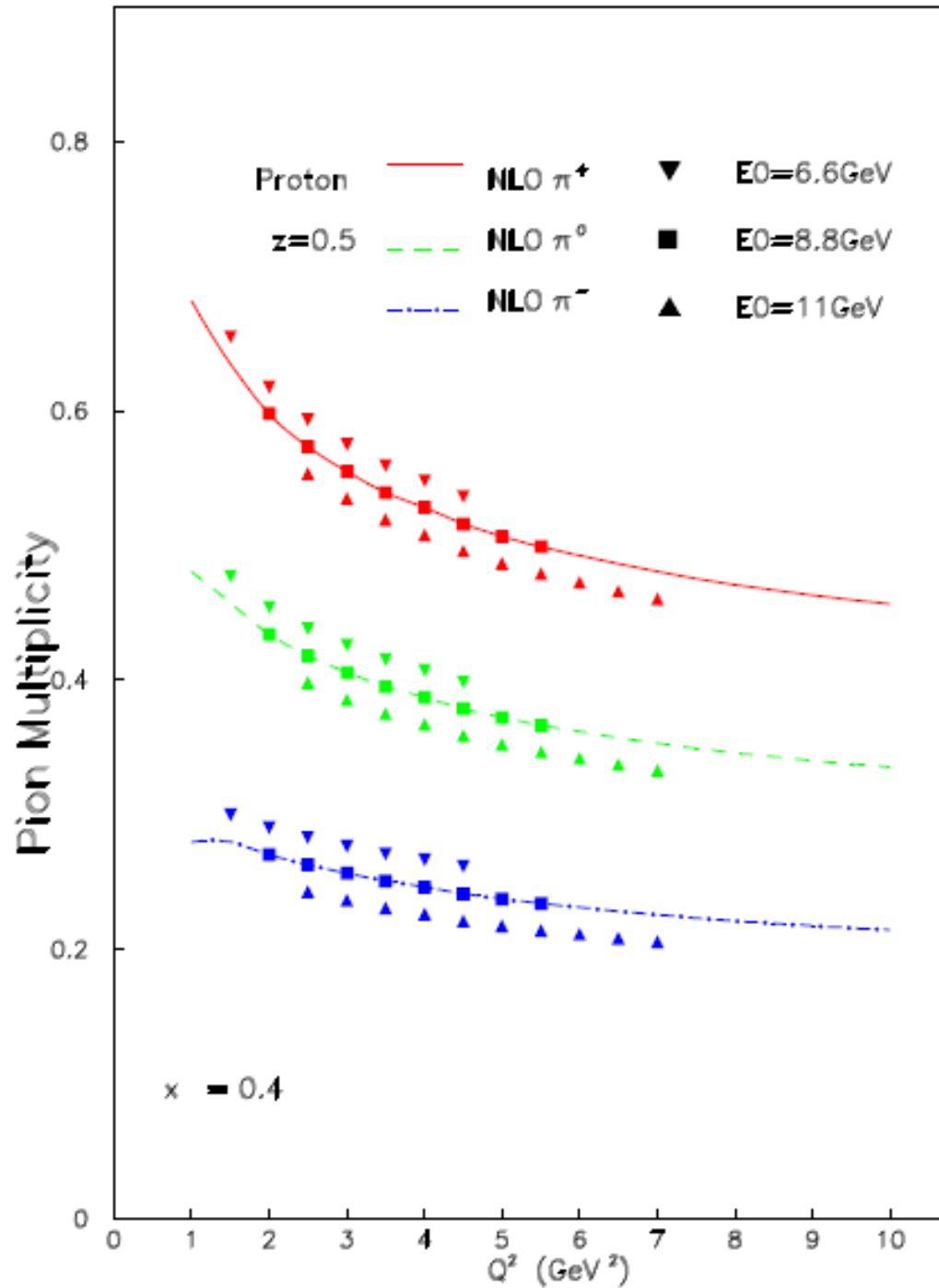
with beam
energy
11, 8.8 and
6.6 GeV

$Q^2 > 1.0 \text{ GeV}^2$

$W > 2.0 \text{ GeV}$

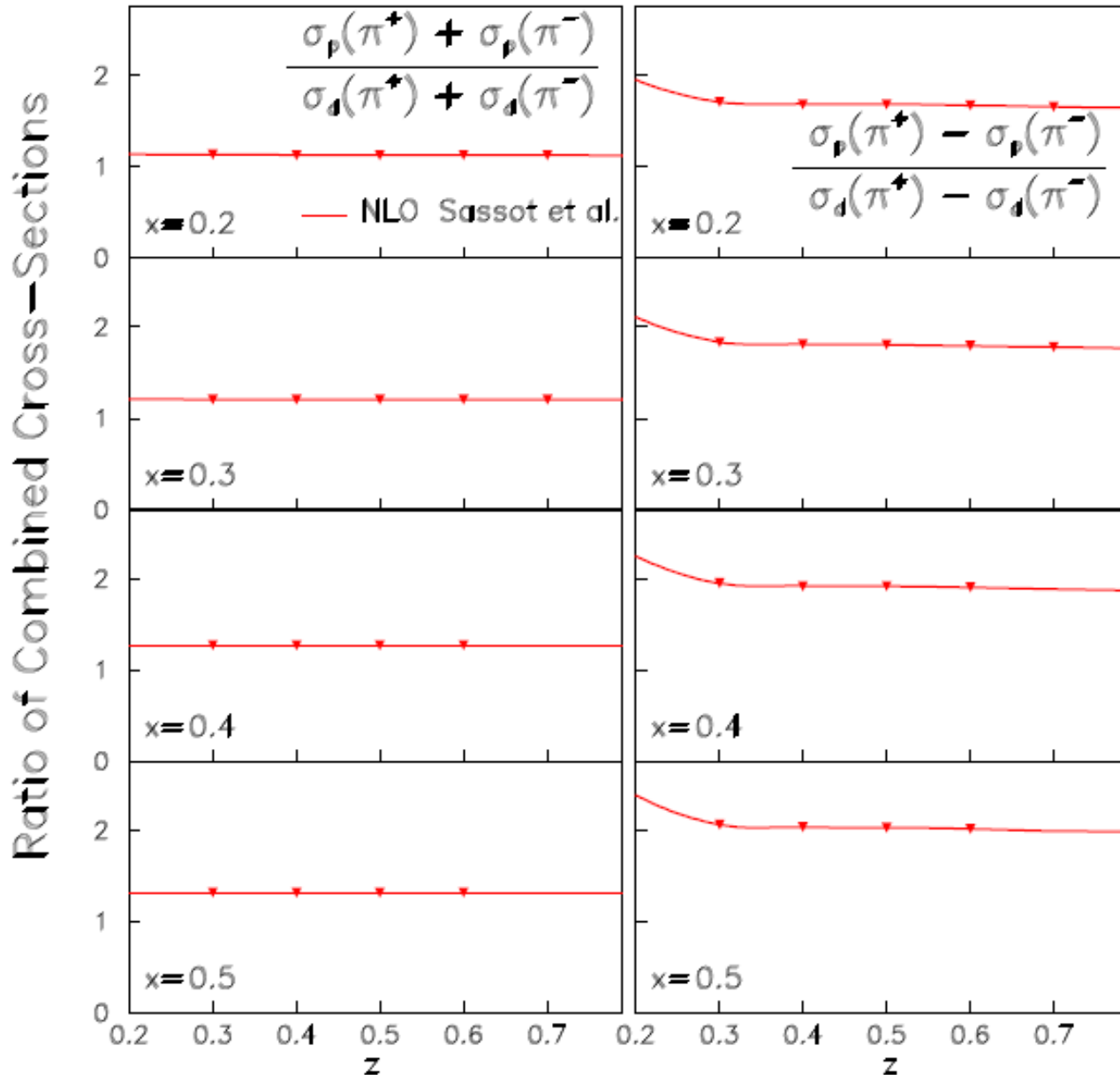
$W' > 1.5 \text{ GeV}$

$X_F > 0$



Q^2 -dependence, same Q^2 point covered by different beam energy.

Combined-ratio of multiplicities



At LO no z -dependency.
 SU(2) symmetry in pdf
 and F.F.

Even at NLO, z -
 dependency mostly
 canceled in the ratio.

ratios become
 completely determined
 by parton distributions.

A clear evidence to
 prove that parton
 information is preserved
 in the fragmentation
 process.

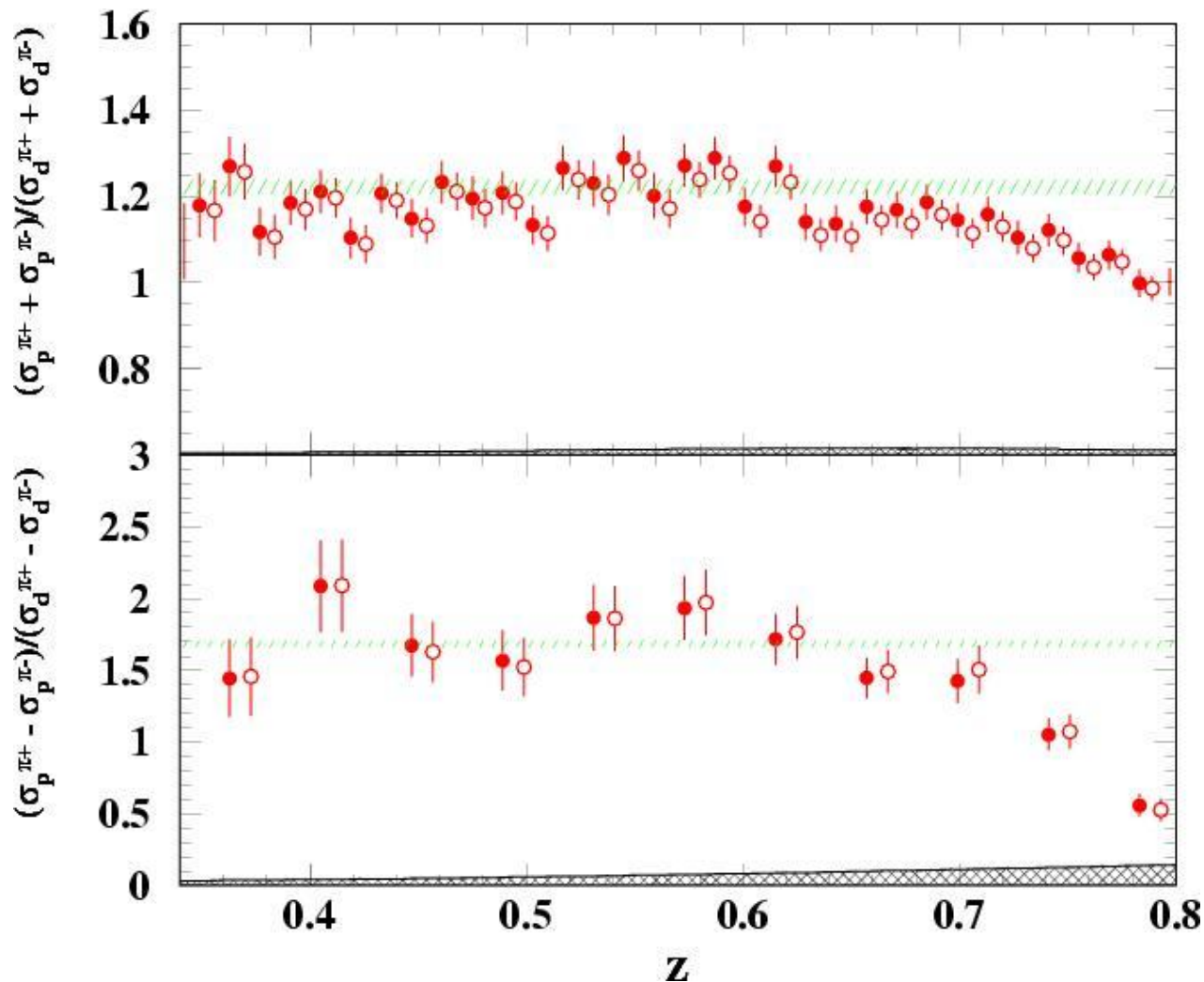
At 5.5 GeV, we already
 know from Hall C data ...

Hall C data at 5.5 GeV: combined-ratio of multiplicities

$X=0.32, Q^2=2.3 \text{ GeV}^2$.

Flat in $0.4 < z < 0.7$

Agree with LO parton distribution ratios.



and the reason is ...

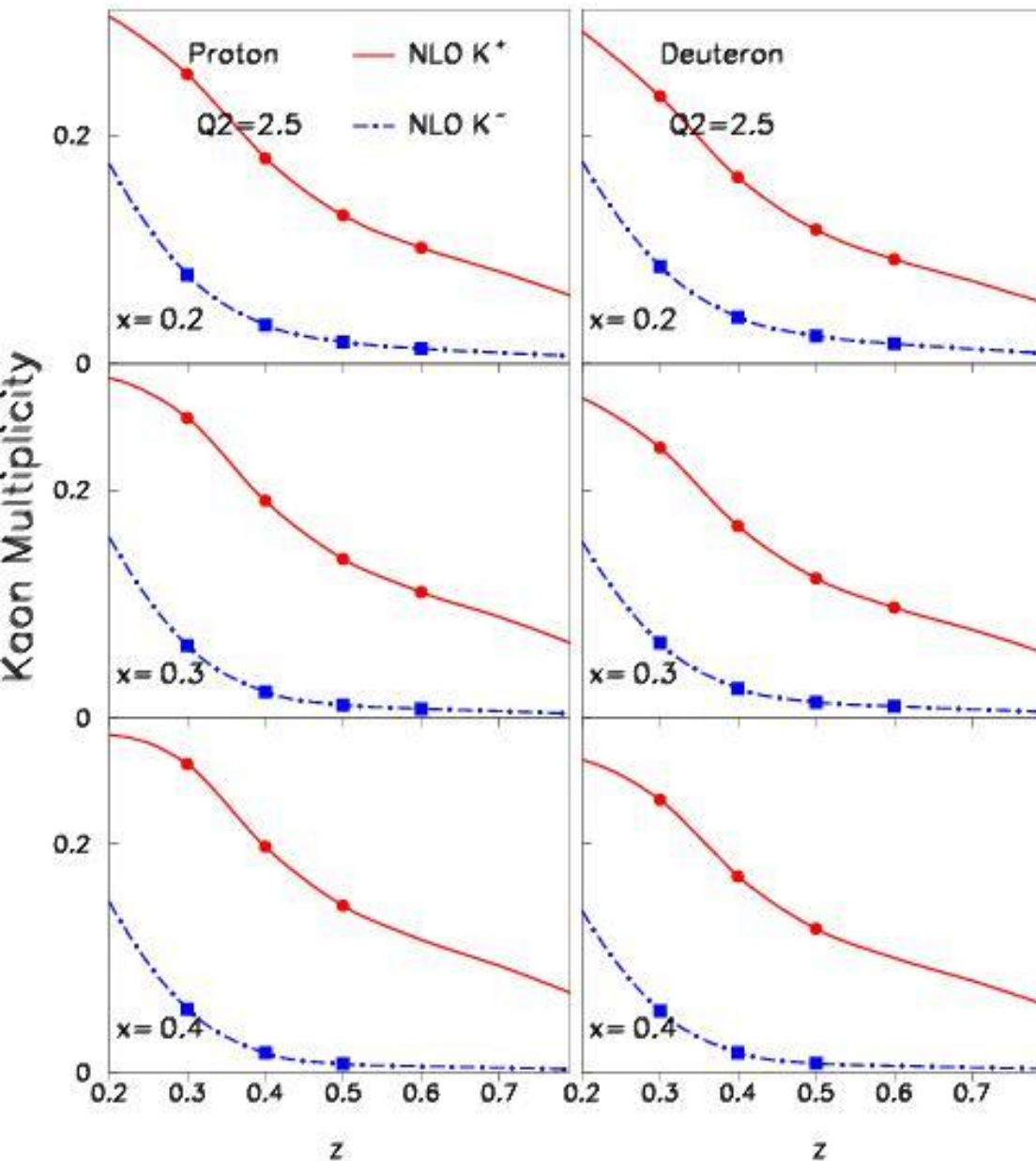
Neglect sea quarks and assume no p_{\perp} dependence of parton distribution functions

→ Fragmentation functions drop out at Leading Order, due to $SU(2)$ symmetry.

$$\begin{aligned} \rightarrow [\sigma_p(\pi^+) + \sigma_p(\pi^-)] / [\sigma_d(\pi^+) + \sigma_d(\pi^-)] \\ = [4u(x) + d(x)] / [5(u(x) + d(x))] \text{ independent of } z. \end{aligned}$$

$$\begin{aligned} \rightarrow [\sigma_p(\pi^+) - \sigma_p(\pi^-)] / [\sigma_d(\pi^+) - \sigma_d(\pi^-)] \\ = [4u(x) - d(x)] / [3(u(x) + d(x))] \text{ independent of } z. \end{aligned}$$

Kaon multiplicities



Cut on $P_K < 3.0 \text{ GeV}/c$, no RICH.

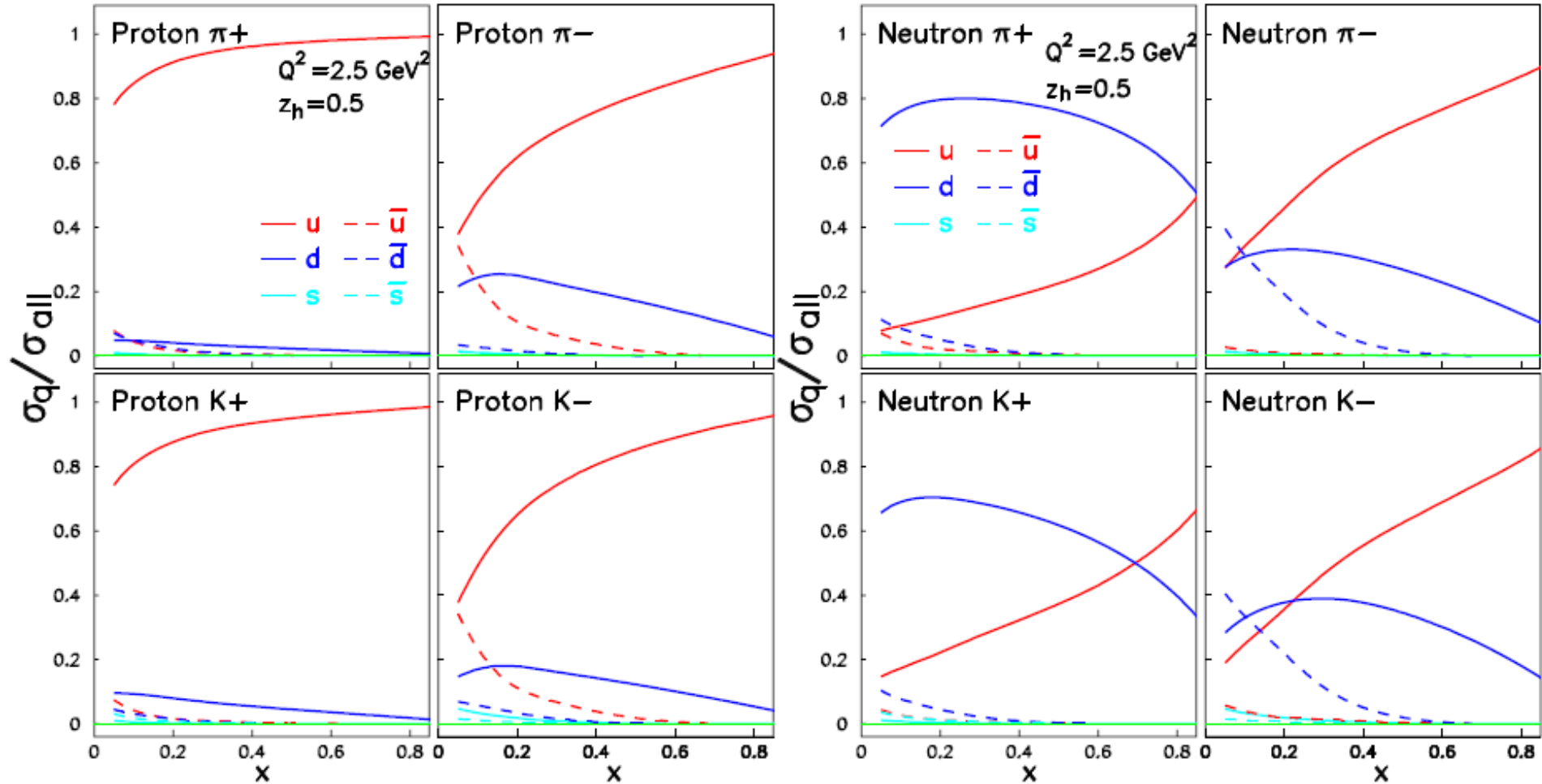
A planned RICH detector helps in:

1. Eliminate π contamination.
2. Expand coverage to high- z , to study the transition to exclusive KY channels.

Kaon from the hit-quark ?
Any hope to access s-quark information ?

Need a detailed understanding of cross sections to $\sim 2\%$ level.

Recall LO Cross Sections, contributions from each quark flavor.



$$\sigma_q/\sigma_{all} = e_f^2 q_f \cdot D_f^h / \sum_i e_i^2 q_i \cdot D_i^h \quad (@z_h = 0.5)$$

A list of questions in SIDIS

- π Frag. Func. agree with e^+e^- , $p+p$ data ?
- Fragmentation to other mesons: η , K_s^0 , ρ , ω and ϕ . Ratio π^0/η .
- Connection between Frag. Func. to hadron structure.
- $\phi(s\text{-sbar})$ in SIDIS carry information of s -quarks ? What about spin asymmetries, Sivers asymmetries ?
- Transition from SIDIS to the exclusive limit, a theory picture ?
- Λ production and Λ polarization. Spin-transfer, induced polarization, transverse spin asymmetry to access quark transversity.

Summary

- SIDIS@JLab-12GeV offers many new physics opportunities.
- Firmly establish the baseline of interpretation is the critical step.
- Understanding cross sections of π -production to NLO level is the first step.