

Λ_p Elastic Scattering in CLAS

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HYP 2018

25 June 2018



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Outline

- Motivation
- Feasibility
- Data Mining with CLAS
- Λ_p Elastic Scattering
 - Analysis details
 - Cross section calculation plans
- Physics with “tertiary” beams
- Conclusion



The Group

- CSUDH: JWP, Noraim Nunez
 - recent graduates: Marcos Guillen, Juan Cardenas, Hector Carranza
- Ohio University: Ken Hicks, Joey Rowley
- Always looking for more...



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Motivation

- Hyperon puzzle
- $SU(3)_F$ symmetry



Motivation

- Hyperon puzzle
- $SU(3)_F$ symmetry
- “Because it’s there”
 - So many people told me it was impossible



Hyperon Puzzle

- Ask the theorists/
astrophysicists for the
“real” answer

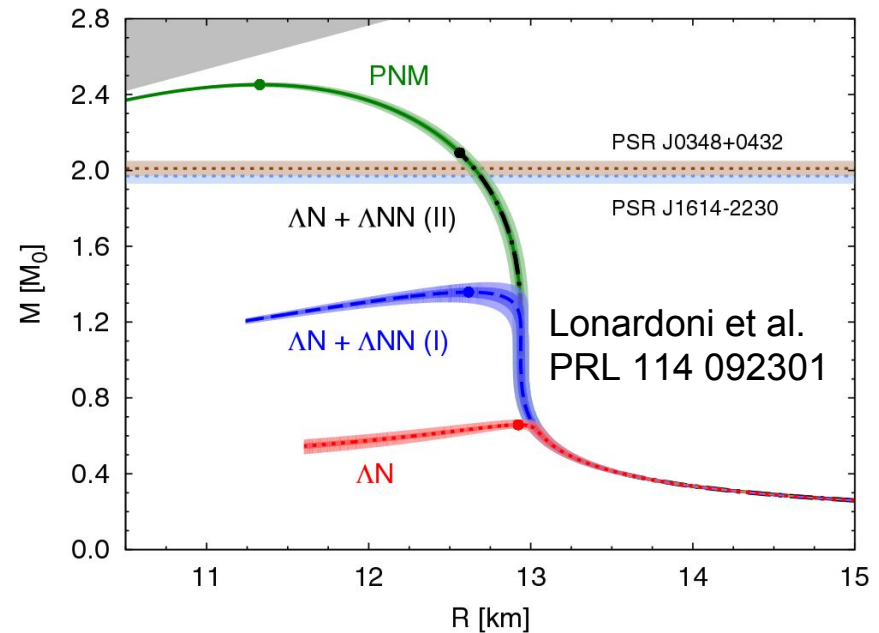


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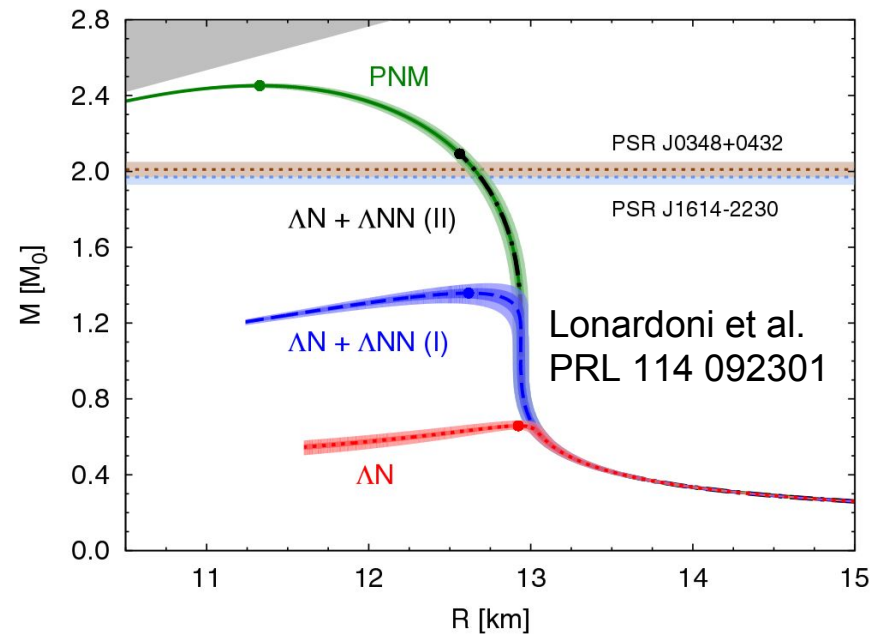
Hyperon Puzzle

- Ask the theorists/ astrophysicists for the “real” answer



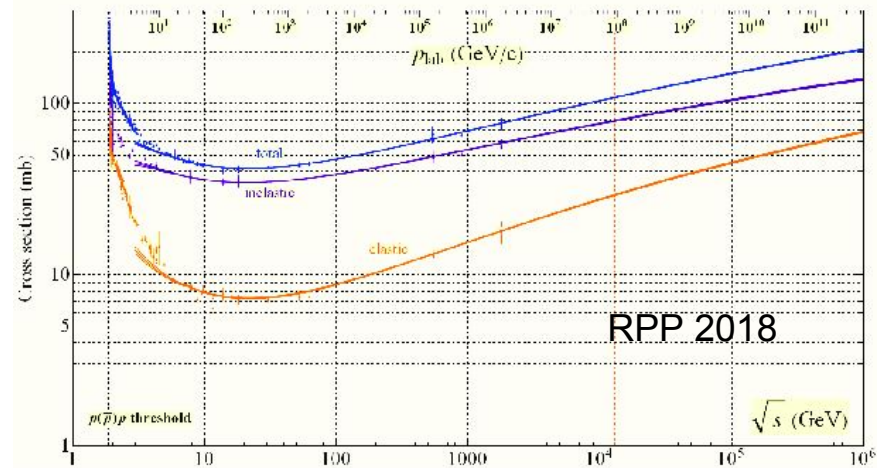
Hyperon Puzzle

- Ask the theorists/ astrophysicists for the “real” answer
- From the experimentalist’s point of view, though...



Hyperon Puzzle

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$pp \rightarrow pp$

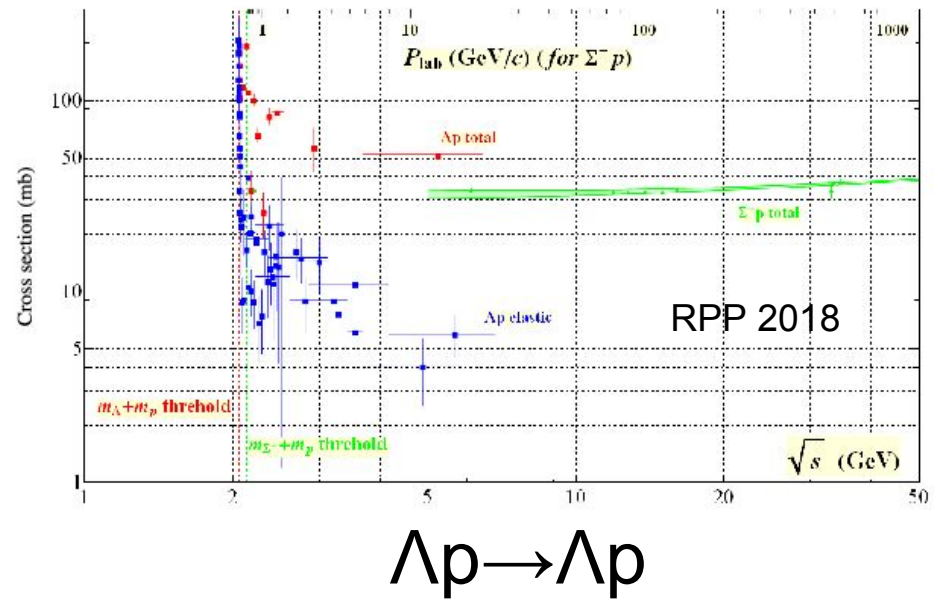


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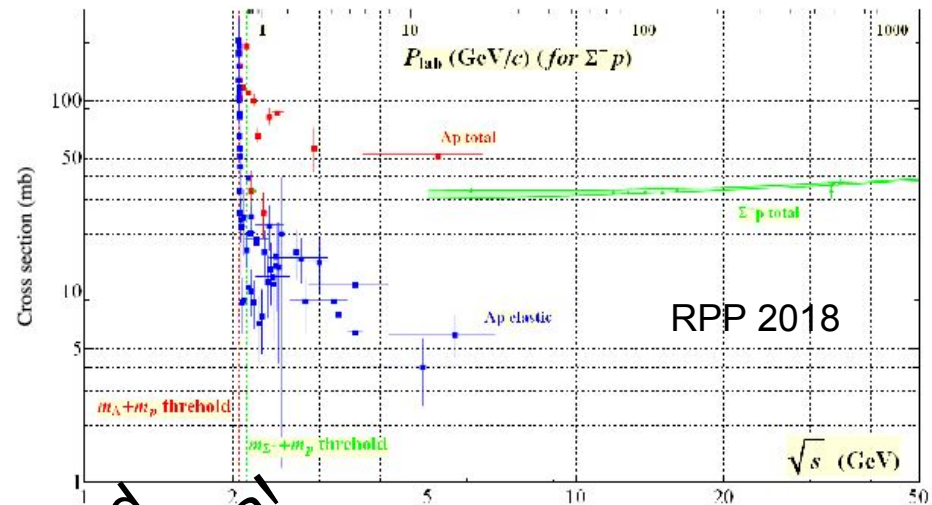
Hyperon Puzzle

- Ask the theorists/ astrophysicists for the “real” answer
- From the experimentalist’s point of view, though...
- 13 measurements, ~1500 total events

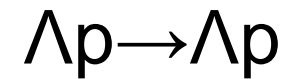


Hyperon Puzzle

- Ask the theorists/ astrophysicists for the “real” answer
- From the experimentalist’s point of view, though...
- 13 measurements, ~1500 total events



We need more/better data!



SU(3)_F Symmetry

- Motivated by QCD Lagrangian

$$\mathcal{L} = \underbrace{\left(\sum_q \bar{\psi}_{q,a} (i\gamma^\mu \partial_\mu \delta_{ab} - g_s \gamma^\mu t_{ab}^C A_\mu^C) \psi_{q,b} - \frac{1}{4} F_{\mu\nu}^A F^{A\mu\nu} \right)}_{\mathcal{L}_0} - \underbrace{\sum_q \bar{\psi}_{q,a} m_q \delta_{ab} \psi_{q,b}}_{\mathcal{L}_m}$$

- Leads to expectation that \mathcal{L}_0 sets the overall mass scale of each SU(3) multiplet
- \mathcal{L}_m sets the mass splitting within the multiplet



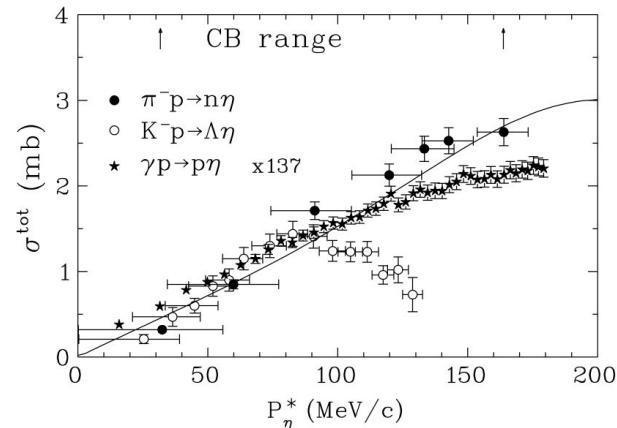
$SU(3)_F$ Symmetry

- Works surprisingly well
 - $m_{N(1440)} - m_{N(940)} \simeq 500 \text{ MeV}$
 - $m_{\Lambda(1600)} - m_{\Lambda(1115)} \simeq 485 \text{ MeV}$



SU(3)_F Symmetry

- Works surprisingly well
 - $m_{N(1440)} - m_{N(940)} \simeq 500 \text{ MeV}$
 - $m_{\Lambda(1600)} - m_{\Lambda(1115)} \simeq 485 \text{ MeV}$
- Also works for cross sections



S. Prakhov et al. (Crystal Ball),
PRC 72 015203 (2005)



$SU(3)_F$ Symmetry

- $\sigma(\Lambda p \rightarrow \Lambda p)$ “should be” related to $\sigma(pp \rightarrow pp)$
- “Additive Quark Model” ca. 1965 (Levin & Frankfurt)

$$\sigma_{\Lambda p} = \frac{1}{2} (\sigma_{pp} + \sigma_{\Xi p})$$

- We don't really have sufficient data to test
- Probably not “right”; just as probably not “wrong”
 - Useful as a starting point, at least...



Channeling George Mallory

- We do this “because it’s there”
- There’s a value to “stunts”
 - Push the boundary of what we can and can’t do
 - Even if there were no good reason to look
- Today’s analysis “techniques” were yesterday’s “tricks”
 - Tomorrow, it will be a background we’ll have to suppress...



Feasibility

- Is it possible to measure $\Lambda p \rightarrow \Lambda p$?
 - Can we see a signal?
 - Can we produce a Λ “beam”?
 - How many events do we produce?
 - How well can we identify this process?
 - Can we determine the cross section?
 - Can we determine the luminosity?
 - Can we determine the acceptance?



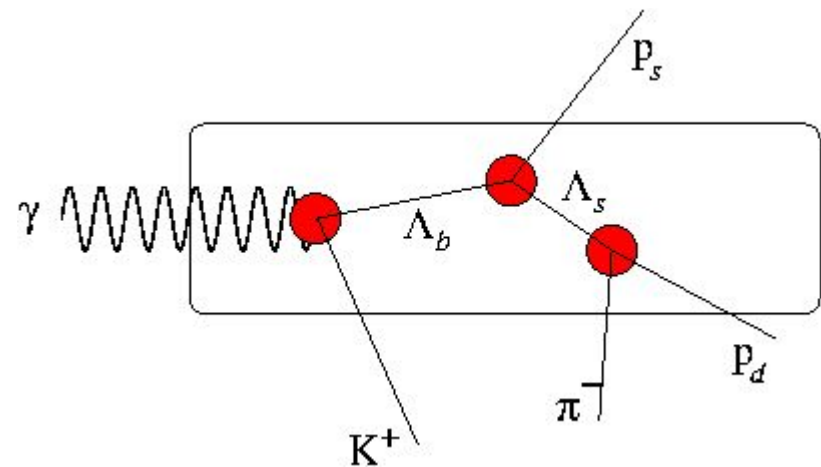
Feasibility

- Is it possible to measure $\Lambda_p \rightarrow \Lambda_p$?
 - Can we see a signal?
 - Can we produce a Λ “beam”? *yes*
 - How many events do we produce? *“lots”*
 - How well can we identify this process? *surprisingly well*
 - Can we determine the cross section?
 - Can we determine the luminosity? *probably yes*
 - Can we determine the acceptance? *almost certainly*



Event Topology

- Basic process:
 - $\gamma p \rightarrow K^+ \Lambda$;
 - $\Lambda p \rightarrow \Lambda p$;
 - $\Lambda \rightarrow \pi^- p$
 - Final state: $K^+ \pi^- pp$
- Can reconstruct K^+
- Helps to reduce the background



Experiment Design

- The ideal experiment for this process will have
 - A large number of Λ s
 - A large target
 - Ability to resolve multiple detached vertices
 - Good invariant/missing mass resolution
- Proposal “should” be able to show real results
 - Better see what we have with existing data...



Data Mining with CLAS

- CLAS is well-suited to data mining studies
 - Good angular resolution
 - Good momentum resolution
 - Good angular acceptance
 - Good efficiency for multiparticle final states
- If CLAS wasn't made for this type of process, what detector was?



Data Mining parameters

- For Λ_p scattering, we need
 - High E_γ
 - High Luminosity (many photons)
 - Long target (for rescattering)
- g12 run a good candidate
 - E_γ up to 5.4 GeV
 - 52 pb^{-1} γp data
 - $\sim 0.5 \mu\text{b}$ cross section $\Rightarrow 26\text{M } \Lambda_b!$
 - 40 cm LH_2 target - lots of available targets



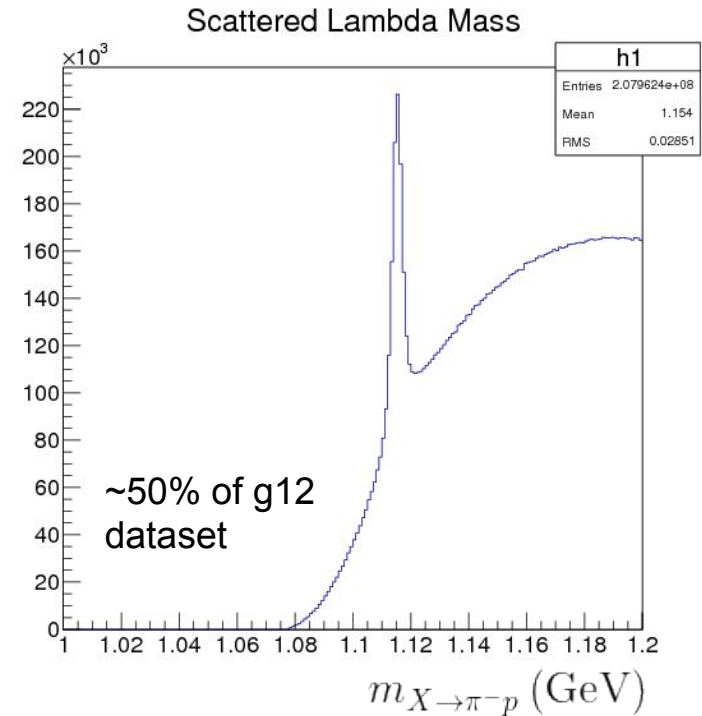
Data skim

- Start by skimming data for two protons in the final state -- limits the possibilities
 - Rescattering on two target protons
 - Baryon nonconservation
- Looking for the former; won't be too upset if I see the latter



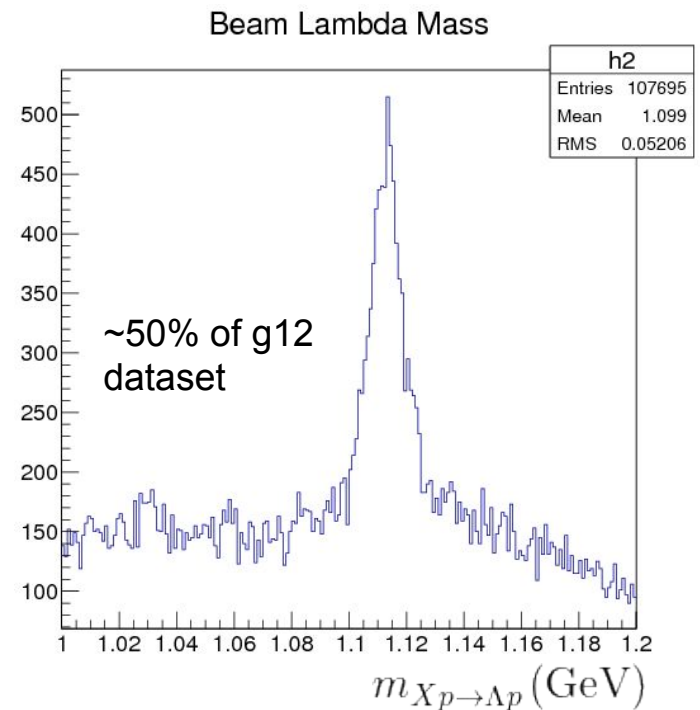
Scattered Λ Detection

- Calculate π^-p invariant mass
 - Take pair closest to Λ mass
- Λ_s peak clearly seen above background
- No attempt (yet) to reduce background



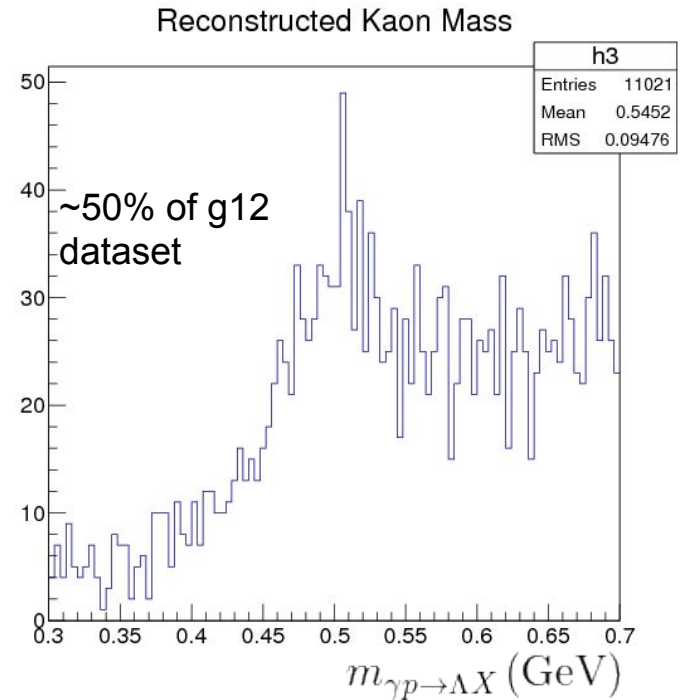
Beam Λ Detection

- Require m_{Λ_S} within 5 MeV of known Λ mass
- K^+ detected (no kinematic conditions)
- More events than the entire published world data sample



Reconstructed K^+

- Require m_{Λ_s} within 5 MeV, m_{Λ_b} within 20 MeV of the “right” value
- Not as pretty; still working on background suppression etc.
- Still, definitely some K^+ there



Luminosity Calculation

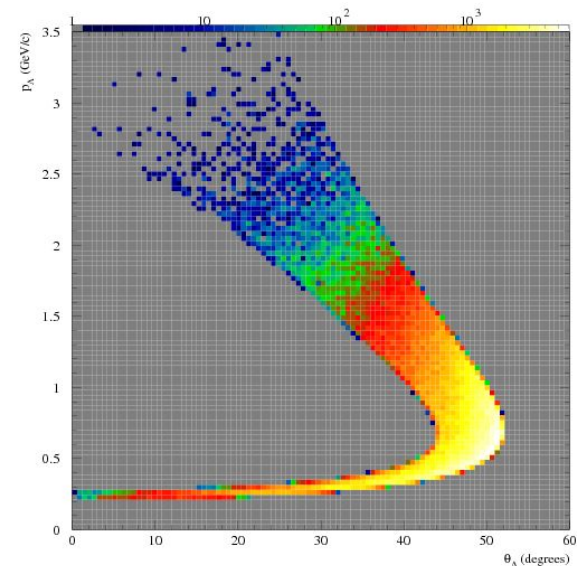
- Start with generic cross section equation

$$\sigma = \frac{N_e}{N_b N_t A \eta} = \frac{N_e}{\mathcal{L} A \eta}$$
- N_b usually provided by accelerator
 - Not valid for our “tertiary” beam
 - Electron -> Photon -> Lambda
- N_t given by target length
 - Not valid for particles not traveling along beamline
 - ...or particles that decay...



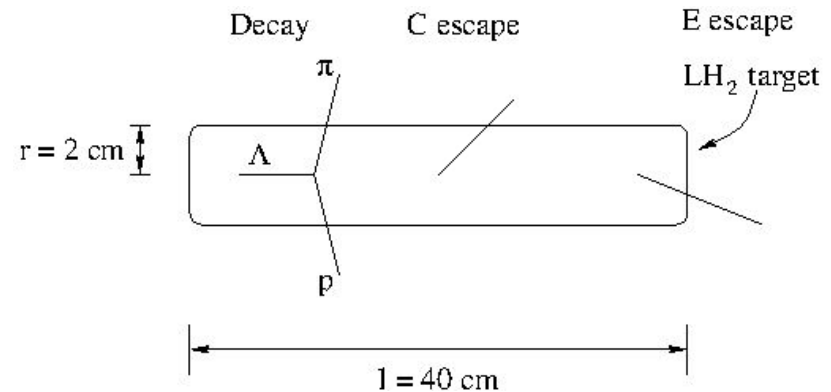
Beam Λ Kinematics

- Look at the kinematics of Λ_b in simulation
 - Don't need to run simulation
- Convert $(p_\Lambda, \theta_\Lambda)$ to $(E_\gamma, \theta_{K^+}^*)$
- Use published cross section for $\gamma p \rightarrow K^+ \Lambda$ to get N_b



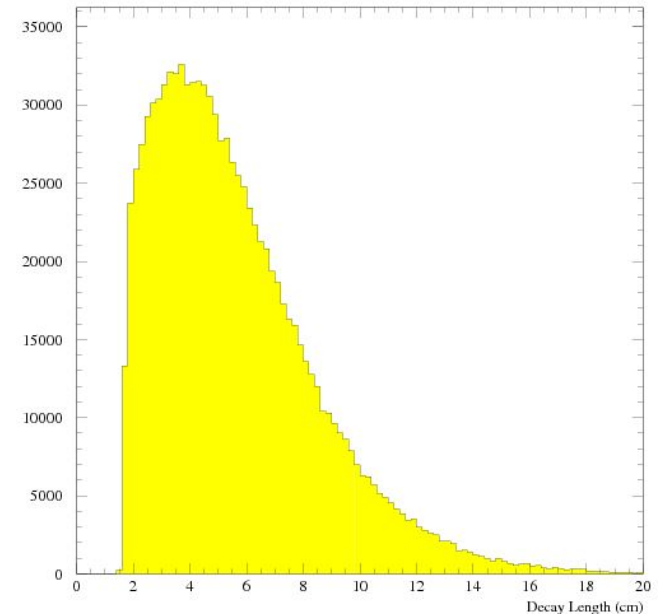
Calculating N_t

- Based on the “effective” target length
- Primary beam particles see the whole target
- Λ s don't
 - decay
 - escape out cylindrical wall
 - escape out endcap



Calculating ℓ_d

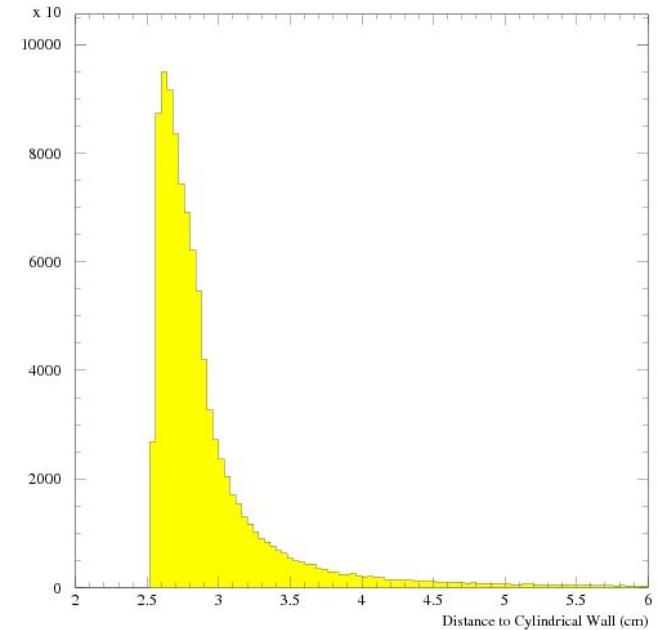
- Mean path given by $\ell_d = \beta\gamma c\tau$
- Faster-moving Λ s live longer in the lab frame
 - Contribute to a higher luminosity
 - Typically at smaller angles



Calculating ℓ_c

- Mean path given by

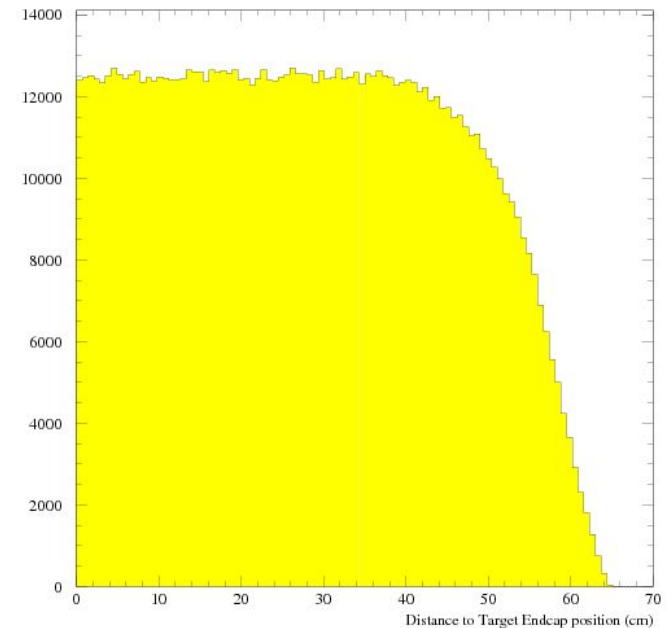
$$\ell_c = r_{tgt} / \sin \theta_\Lambda$$
- In g12 run, most Λ s at large angles
 - up to $\sim 50^\circ$
 - shortest path length is about 30% longer than target radius



Calculating ℓ_e

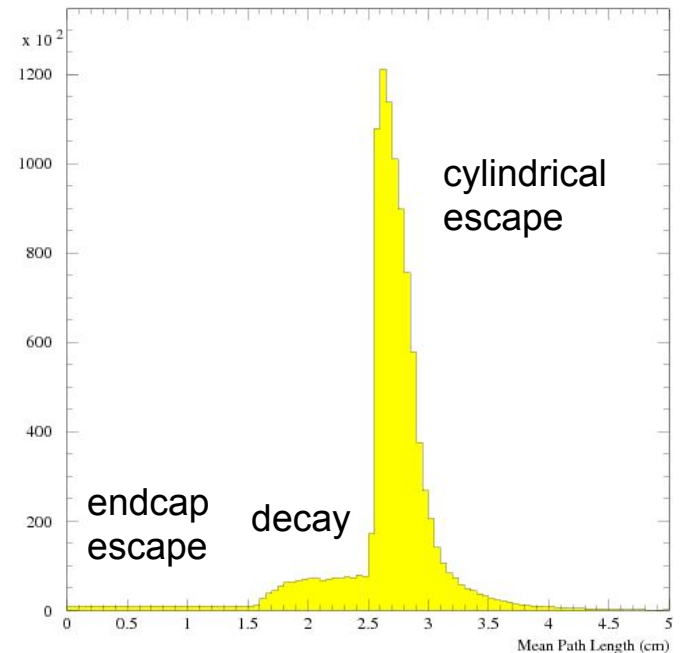
- Mean path given by

$$\ell_e = r_{tgt} / \cos \theta_\Lambda$$
- Happens when Λ is produced near the end of the target
- Distance represents path length to z-position of target endcap
 - not taking cylindrical escape into account
 - leads to distances larger than target size



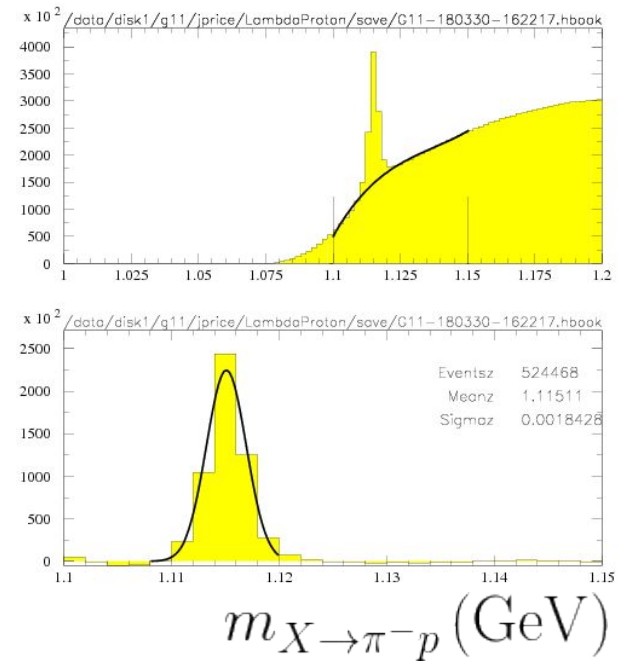
Mean Λ Path Length

- Plot $\min(l_d, l_c, l_e)$
- Determine mean path length event by event
- Sum over all events to get total path length through target



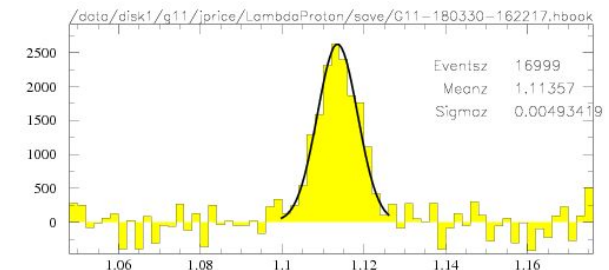
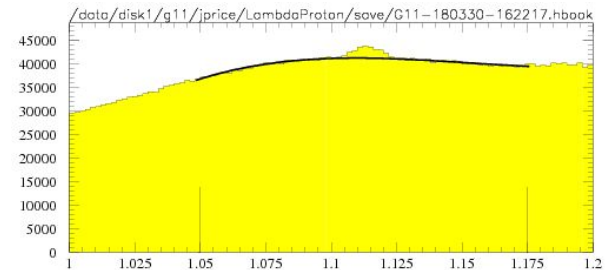
Confirmation with g11 dataset

- Same target; further downstream
- Lower beam energy
- Λ_s peak strongly seen above background
 - 500,000 events...



Confirmation with g11 dataset

- Λ_b peak also seen well
 - didn't require K^+ -- higher background
 - 17,000 events



$m_{Xp \rightarrow \Lambda p}$ (GeV)



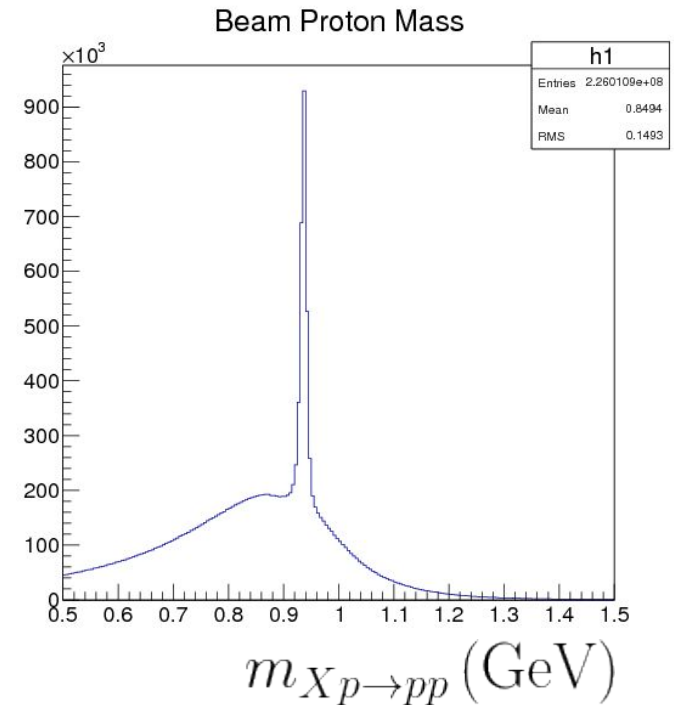
Other possibilities

- This technique is not limited to Λ studies
- Any particle produced in sufficient quantities can (in principle) be used
 - Having a second proton in the event reduces the background considerably



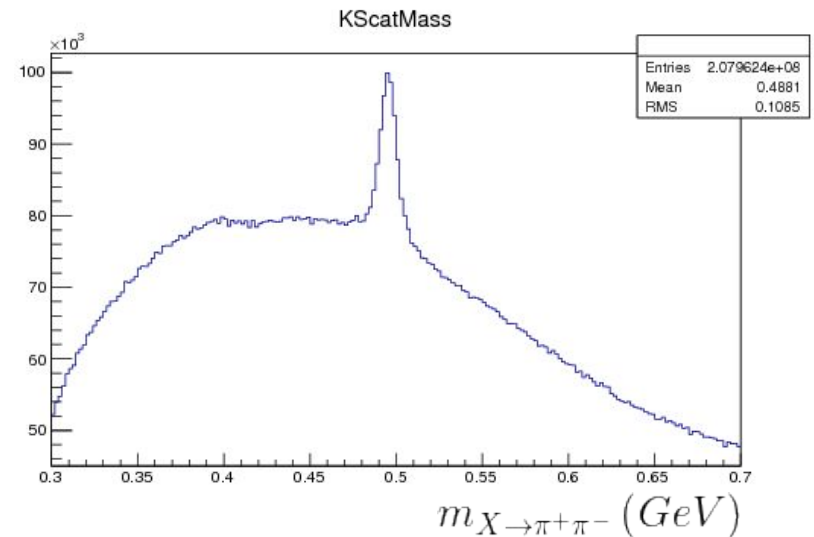
pp Elastic Scattering

- $\gamma p \rightarrow X p; pp \rightarrow pp$
- 3-particle trigger prevents us from using $\gamma p \rightarrow \pi^0 p$
- Instead, use $\gamma p \rightarrow \omega p$
 - Final state: $\pi^+ \pi^- pp(\pi^0)$
 - Still get lots of events...



$K_s p$ Elastic Scattering

- $\gamma p \rightarrow K^0 \Sigma^+$;
 $K^0 p \rightarrow K_s^0 p$
 - Final state: $\pi^+ \pi^- pp(\pi^0)$
- Harder; need to subtract K_L^0 contribution
- Only 1 previous expt.



Future work

Basically, “calculate the cross section”...

- Bin the events by p_{Λ} and $\theta_{p_s}^*$
- Determine the bin-by-bin luminosity for the g12 dataset
- Simulate the acceptance

Repeat as needed for other channels, datasets



Future work

Aside from “calculate the cross section”...

- $\sigma(\gamma p \rightarrow \Lambda X)$: at higher energy, most of the Λ cross section is in other channels
- Look for other processes that can utilize this technique
 - Need to find unique signatures that we can normalize



Conclusion

- We have observed $\Lambda p \rightarrow \Lambda p$ in two independent CLAS datasets
 - There are many more that we can look at...
- We are making good progress at understanding the luminosity
- We have observed a strong signal for $pp \rightarrow pp$
- We have demonstrated the feasibility of using secondary (tertiary) beams in CLAS

