

Nucleon Resonances

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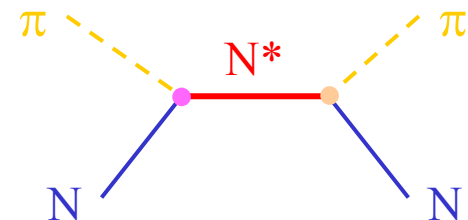
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Introduction
Missing resonances
 $N \rightarrow \Delta$ transition
Summary



Physics Goals

- Understand QCD in the strong coupling regime
 - example: bound qqq systems
 - mass spectrum, quantum numbers of nucleon excited states
 - what are the relevant degrees-of-freedom
 - wave function and interaction of the constituents
- Source of information
 - dominated by pion-induced reactions (mostly $\pi N \rightarrow \pi N$)
 - advantage:
 - strong coupling \rightarrow large cross sections
 - simple spin structure
 - good quality beams
 - disadvantage: no structure information
insensitive to states with weak πN coupling



Theoretical Models

- Constituent quark model
 - 3 constituent quarks
 - all 3 contribute to number of states
 - non-relativistic treatment (typically)
- Refinements of the constituent quark model
 - restore relativity
 - hadronic form factors
 - coupling between decay channels
- Lattice gauge calculations

Program Requirements

Experiment

large high-quality data set for N^* excitation covering

- a broad kinematical range in Q^2 , W , decay angles
- multiple decay modes (π , $\pi\pi$, η , ρ , ω , K)
- polarization information (sensitive to interference terms)

Analysis

$\Delta(1232)$: full Partial Wave Analysis possible

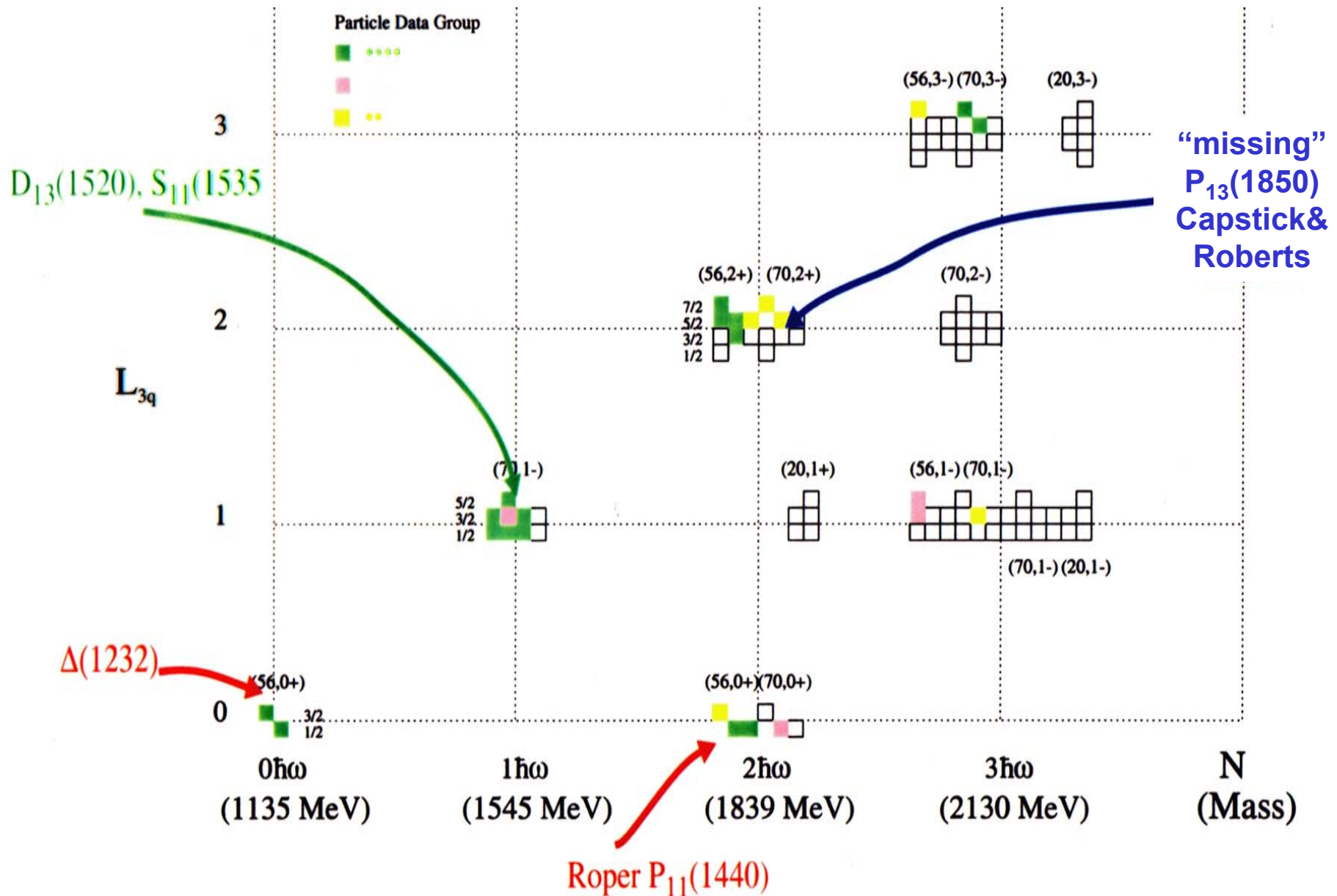
(isolated resonance, Watson theorem)

higher resonances

- need to incorporate Born terms, unitarity, channel coupling
- full PWA presently not possible due to lack of data (polarization)
(substitute by assuming energy dependence of resonance)
- skills required at the boundary between experiment and theory



Quark Model Classification of N*



“Missing” Resonances?

Problem: symmetric CQM predicts many more states than have been observed (in πN scattering)

Two possible solutions:

1. di-quark model

fewer degrees-of-freedom

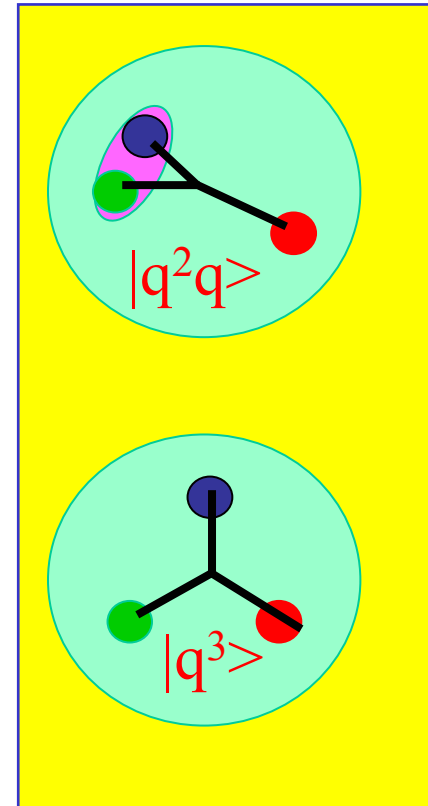
open question: mechanism for q^2 formation?

2. not all states have been found

possible reason: decouple from πN -channel

model calculations: missing states couple to

$N\pi\pi$ ($\Delta\pi$, $N\rho$), $N\omega$, KY

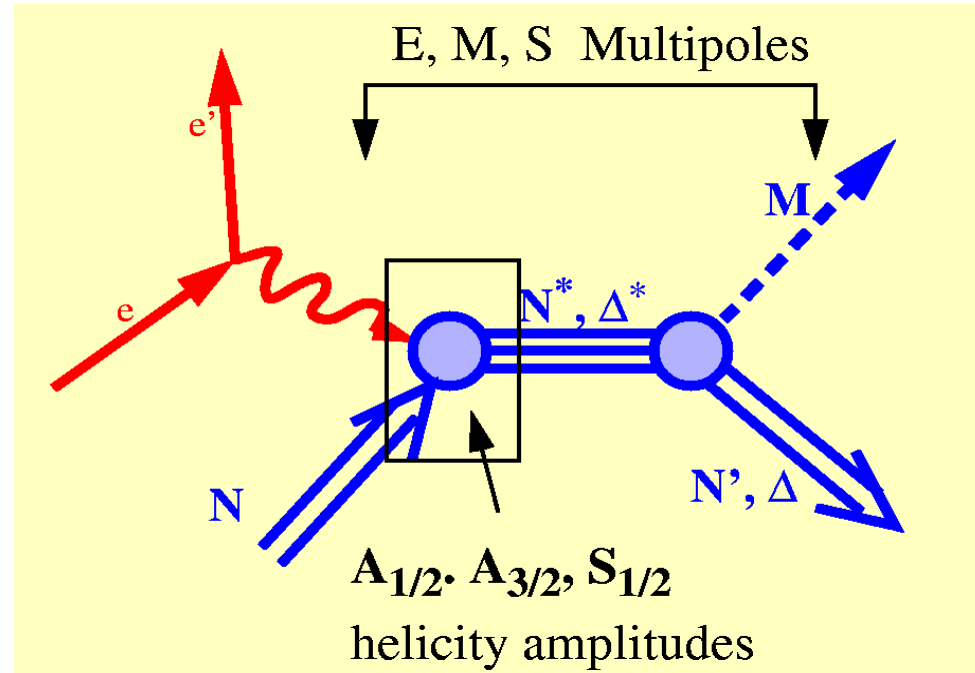


γ coupling not suppressed \rightarrow electromagnetic excitation is ideal

Electromagnetic Probe

- helicity amplitudes very sensitive to the difference in wave functions of N and N^*

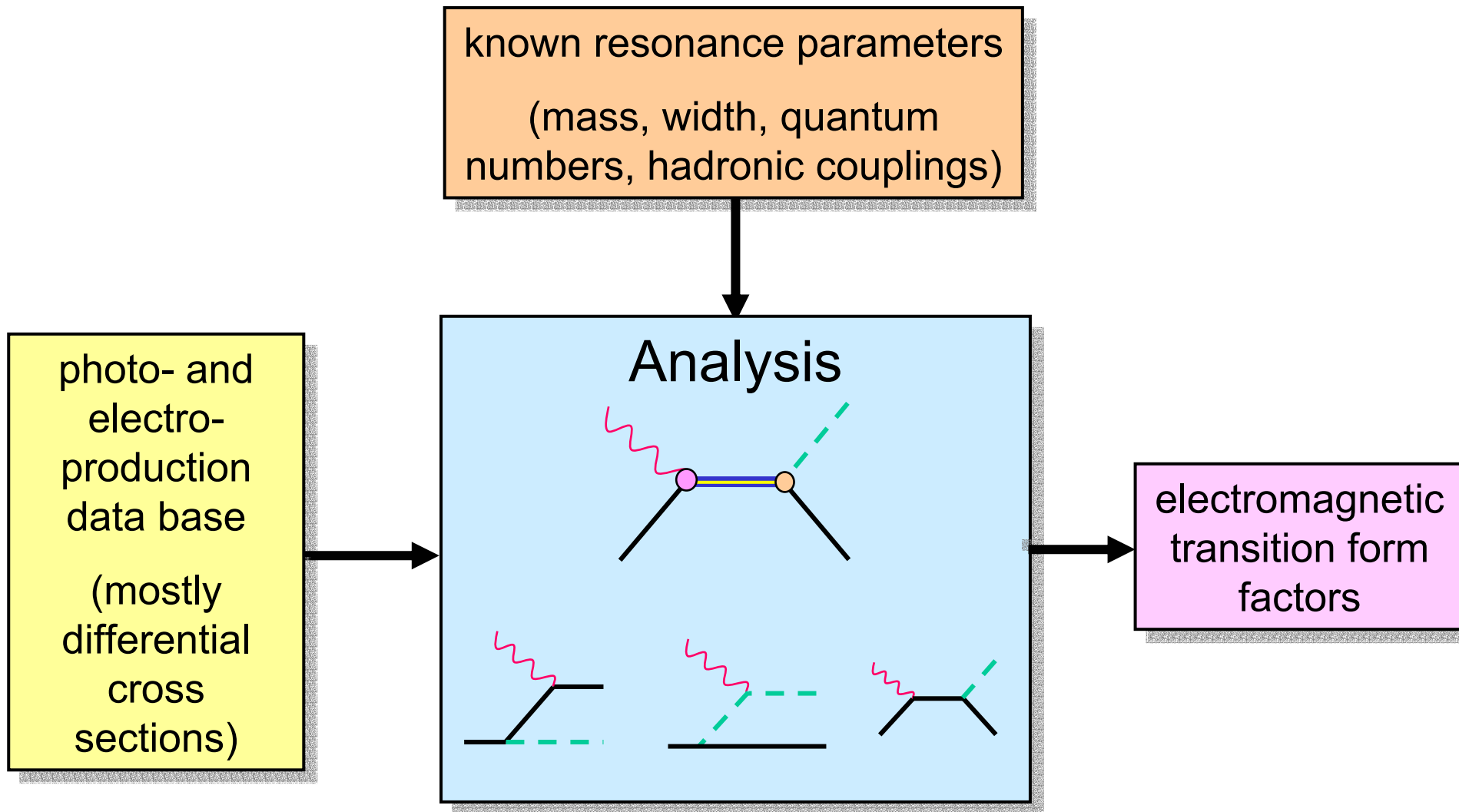
- can separate electric and magnetic parts of the transition amplitude



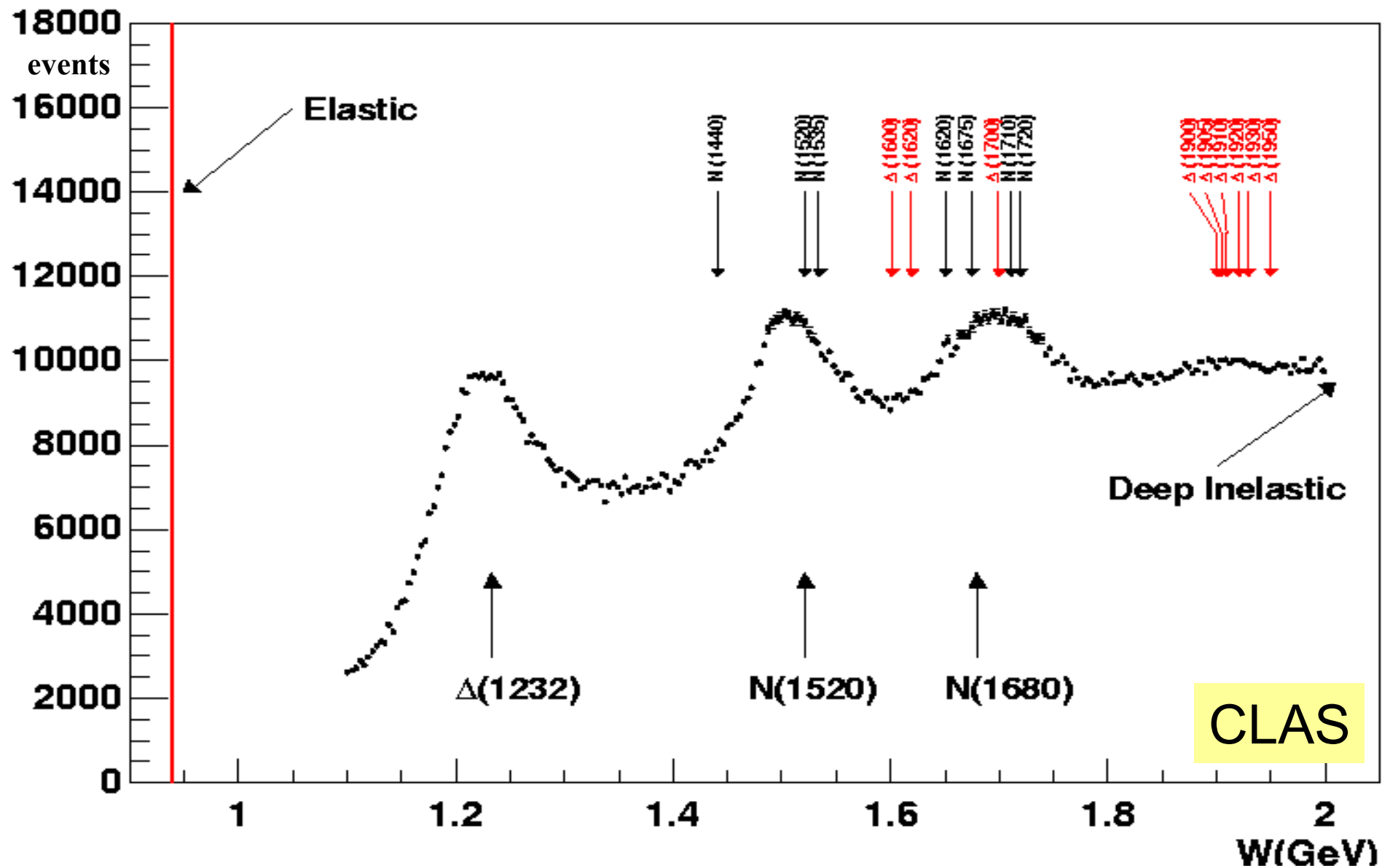
- varying Q^2 allows to change the spatial resolution and enhances different multipoles

- **sensitive to missing resonance states**

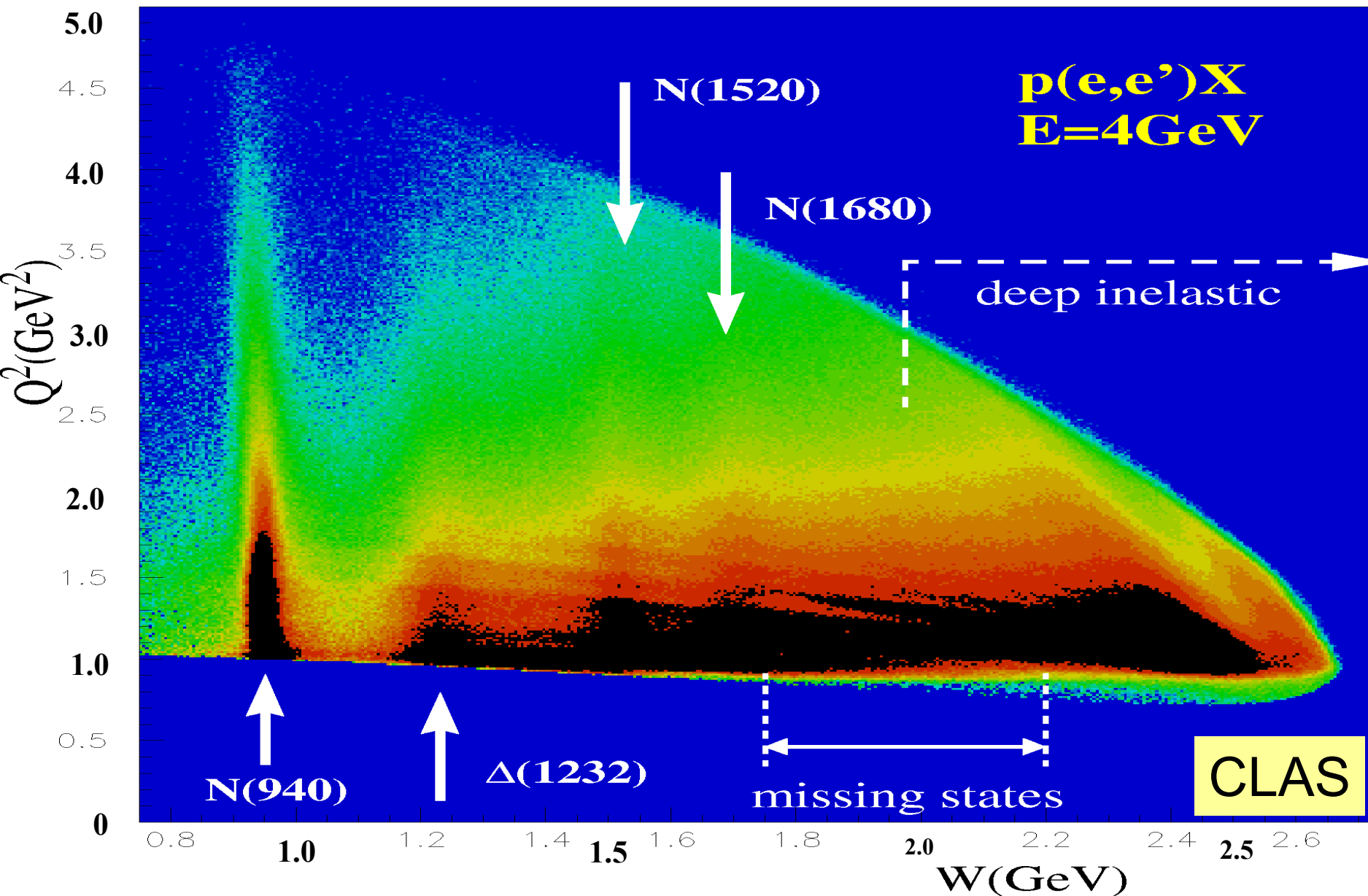
Standard Analysis Approach



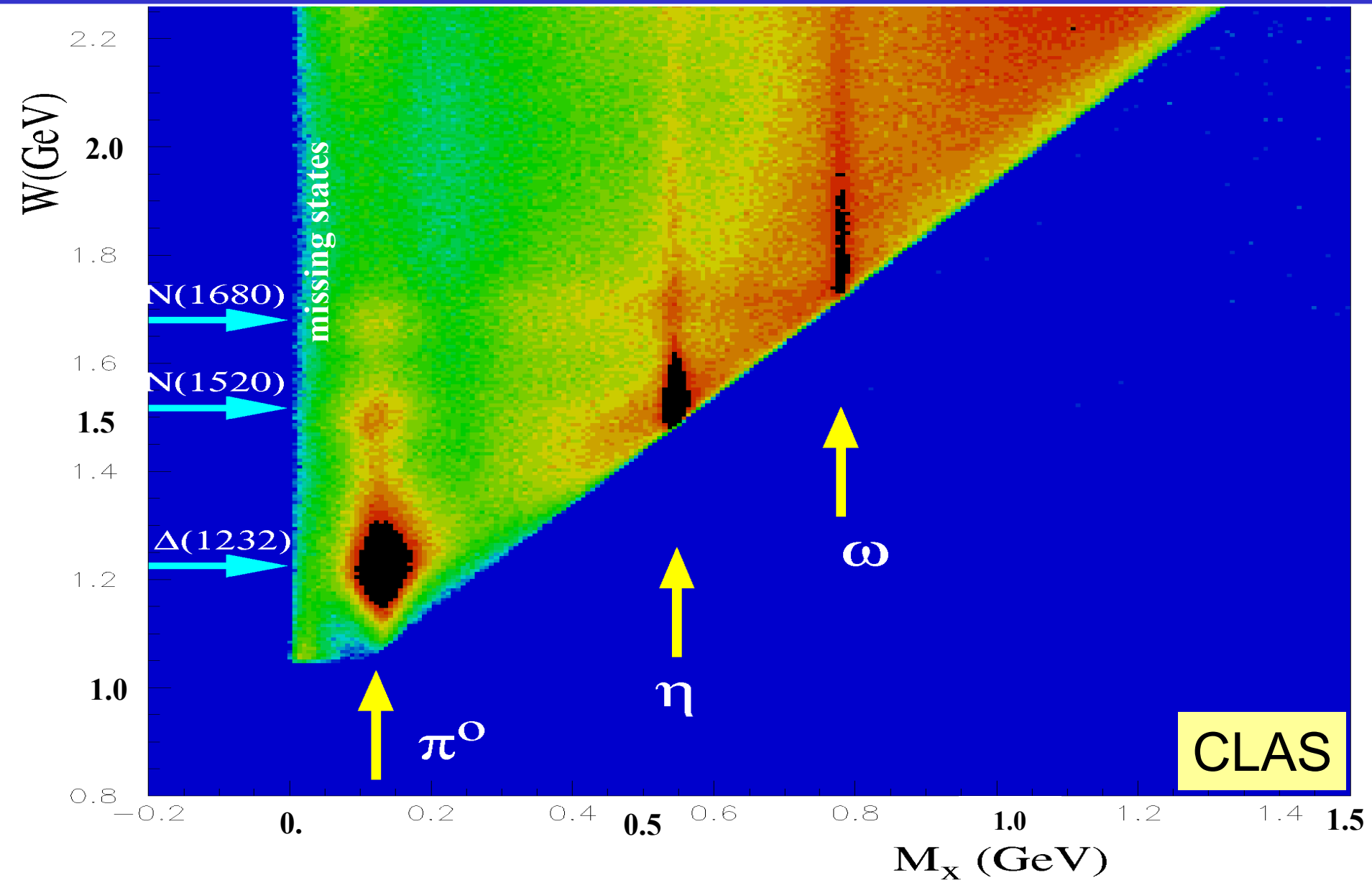
$e p \rightarrow e X$ at 4 GeV



CLAS Coverage for $e p \rightarrow e' X$

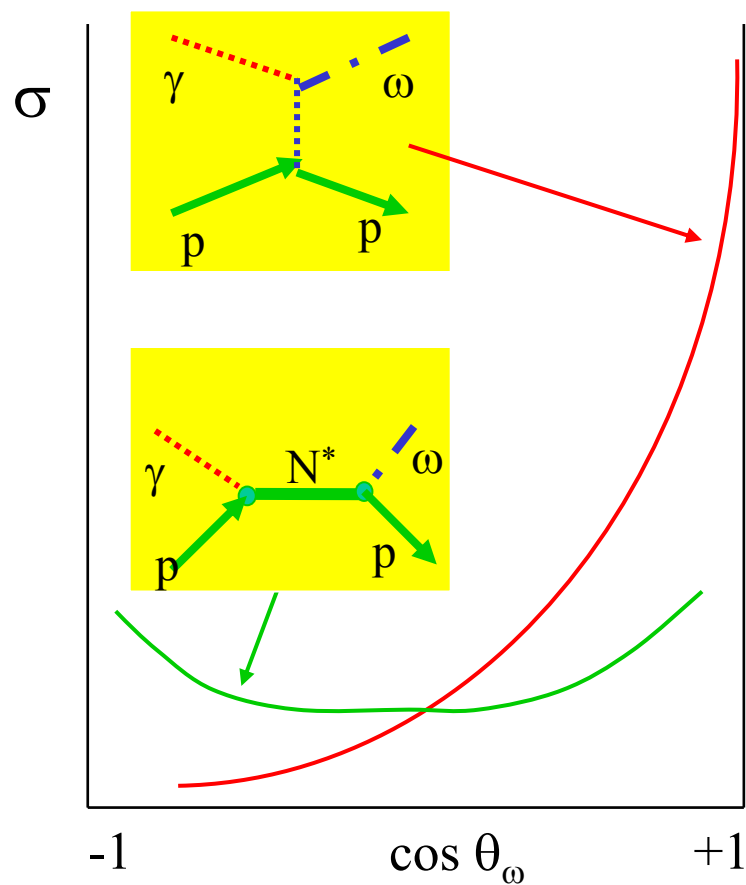


CLAS Coverage for $e p \rightarrow e' p X$, $E=4$ GeV

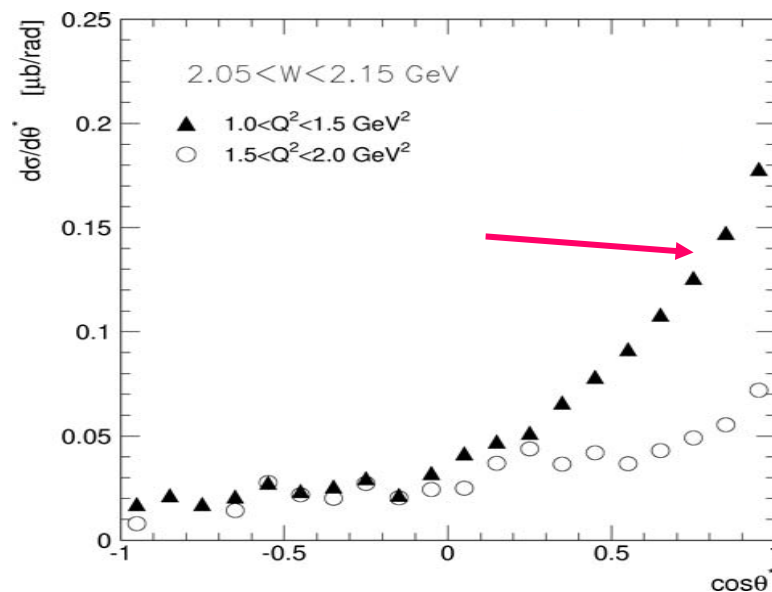


Resonance Contributions to $\gamma^*p \rightarrow p\omega$?

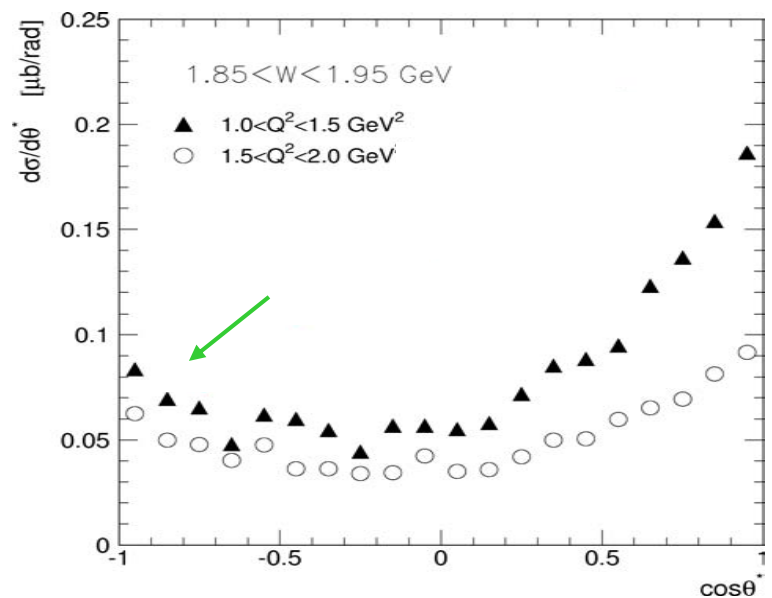
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above
resonance
region



in
resonance
region

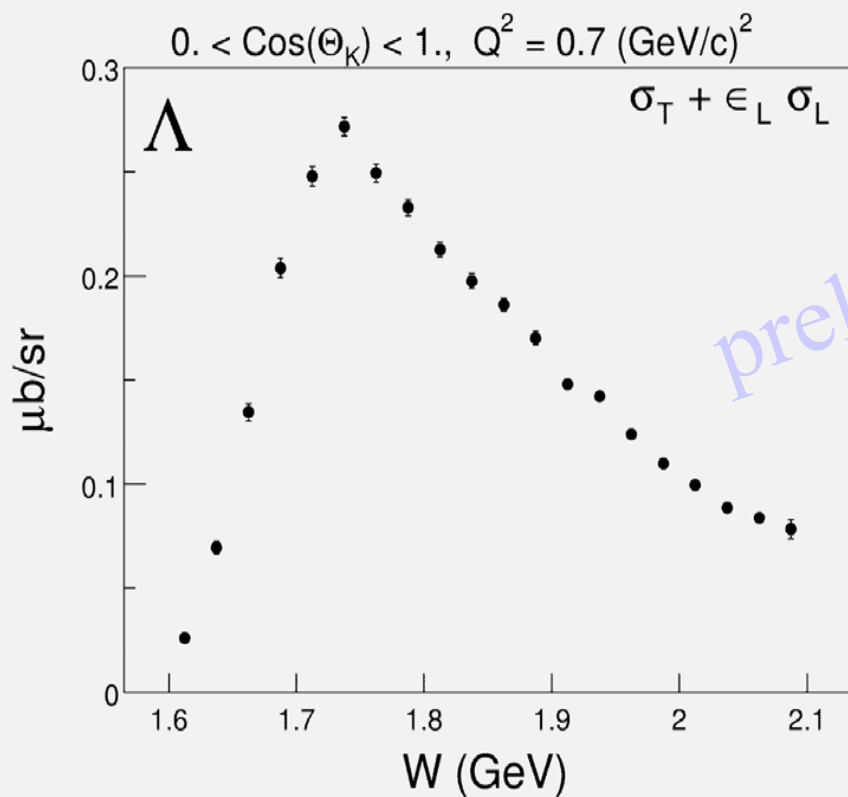


Resonances in Hyperon Production?

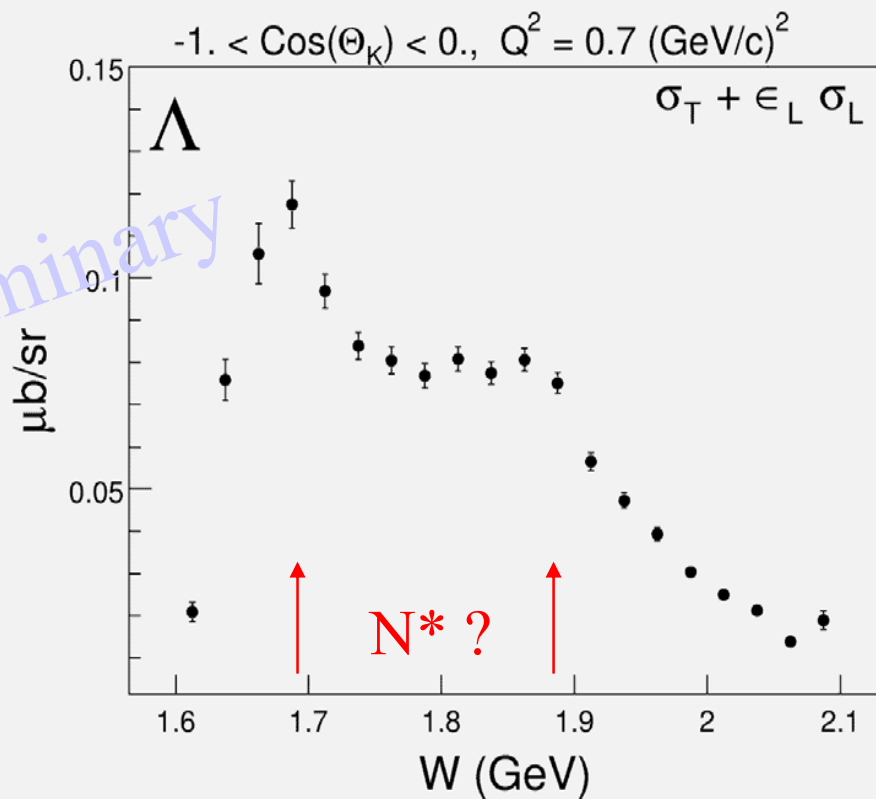
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forward hemisphere



backward hemisphere

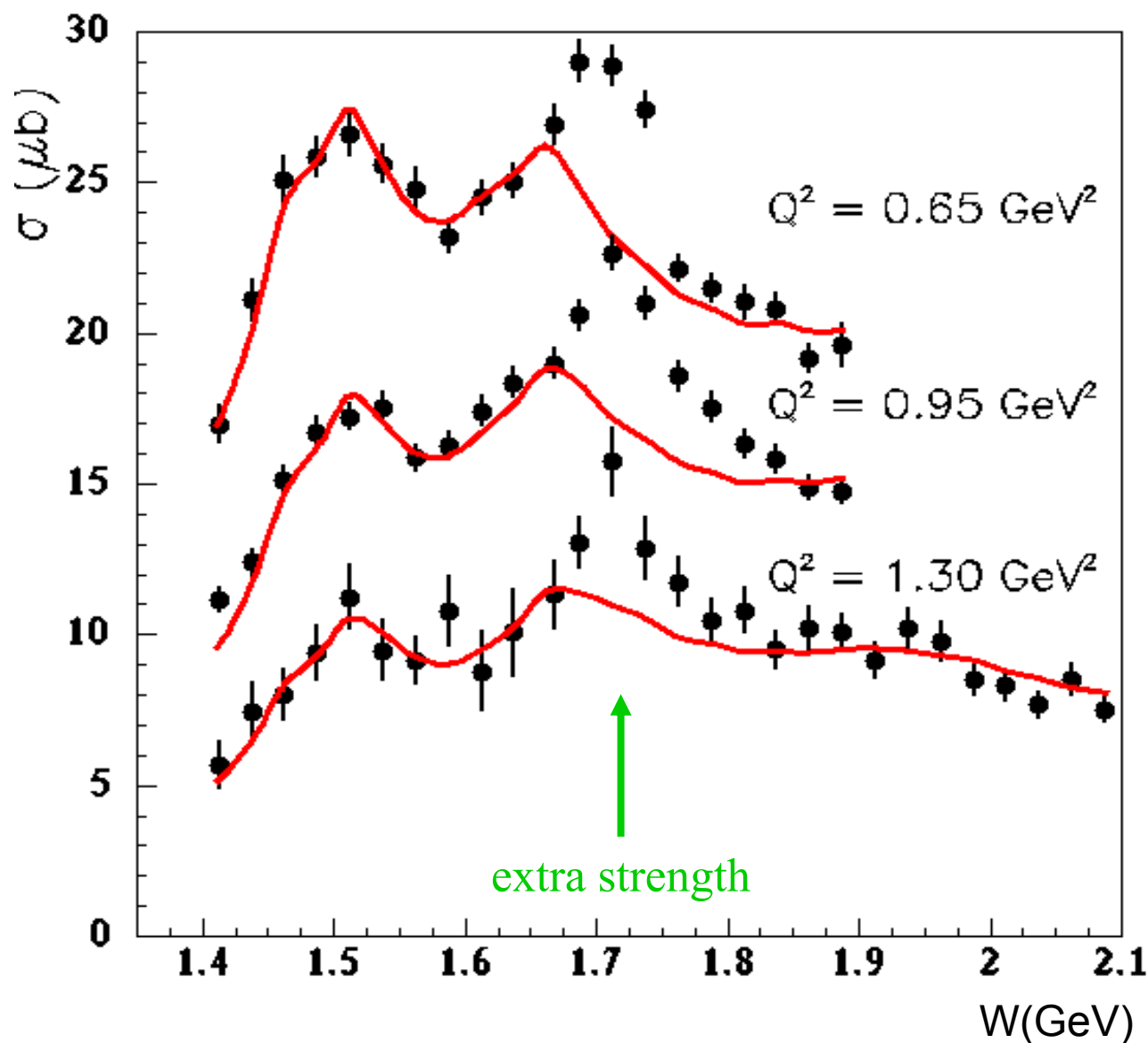


Analysis performed
by Genova-Moscow
collaboration

step #1:

use the best
information
presently available

$\Gamma_{N\pi\pi}$ from PDG
 $\Gamma_{N\gamma}$ AO/SQTM



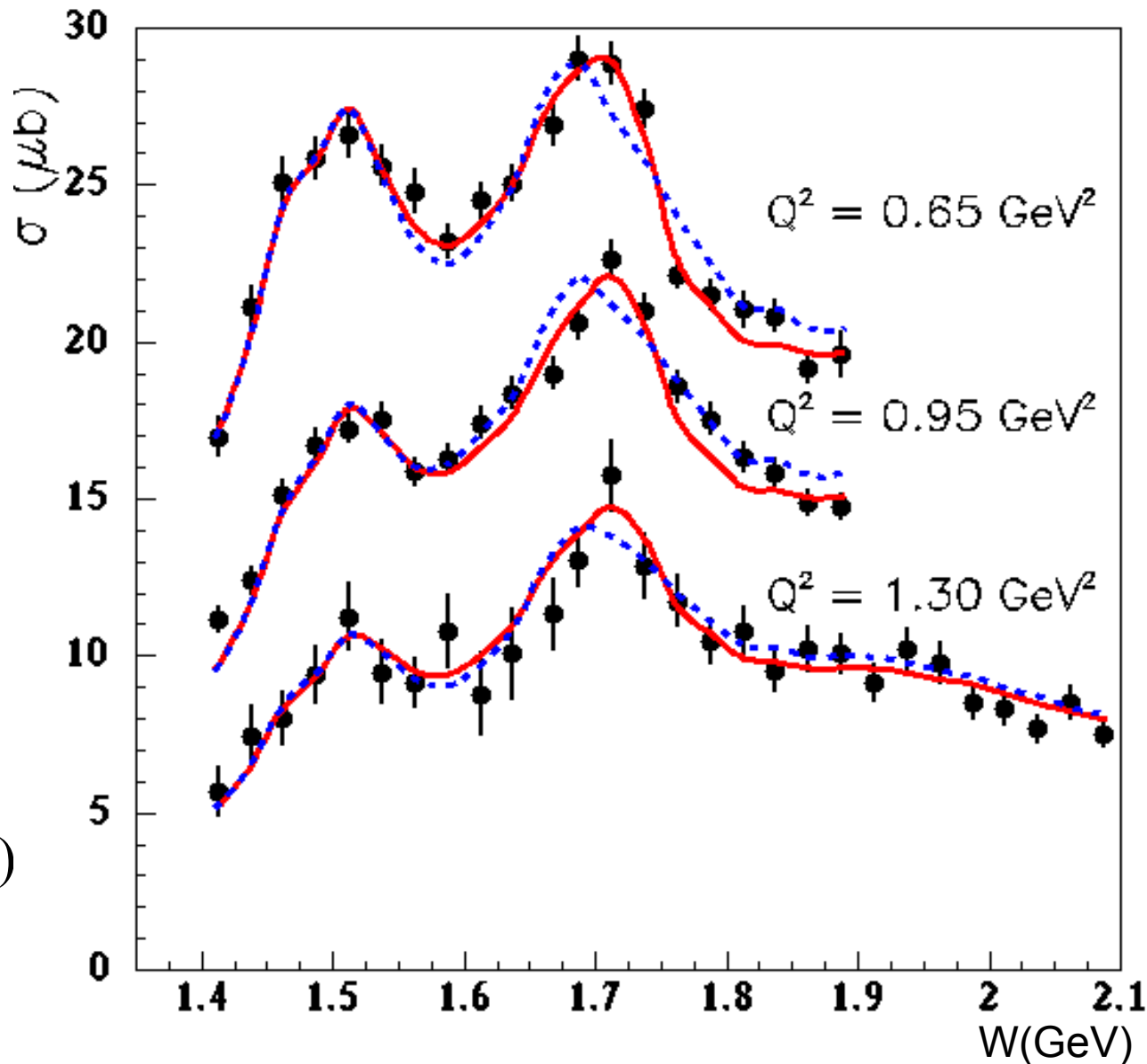
Attempts to fit observed extra strength

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Analysis step #2:

- vary parameters of known D_{13}
- or
- introduce new P_{13}

— P_{13}
- - - $D_{13}(1700)$



Summary of $\gamma^*p \rightarrow p \pi^+ \pi^-$ Analysis

CLAS data at variance with N^* information in PDG

Describing data requires

- major modifications of the parameters of known resonances, or
- introduction of new P_{13} resonance with
(consistent with “missing”
 P_{13} state, but mass lower
than predicted)

$$M = 1.72 \pm 0.02 \text{ GeV}$$

$$\Gamma_T = 88 \pm 17 \text{ MeV}$$

$$\Delta \pi : 0.41 \pm 0.13$$

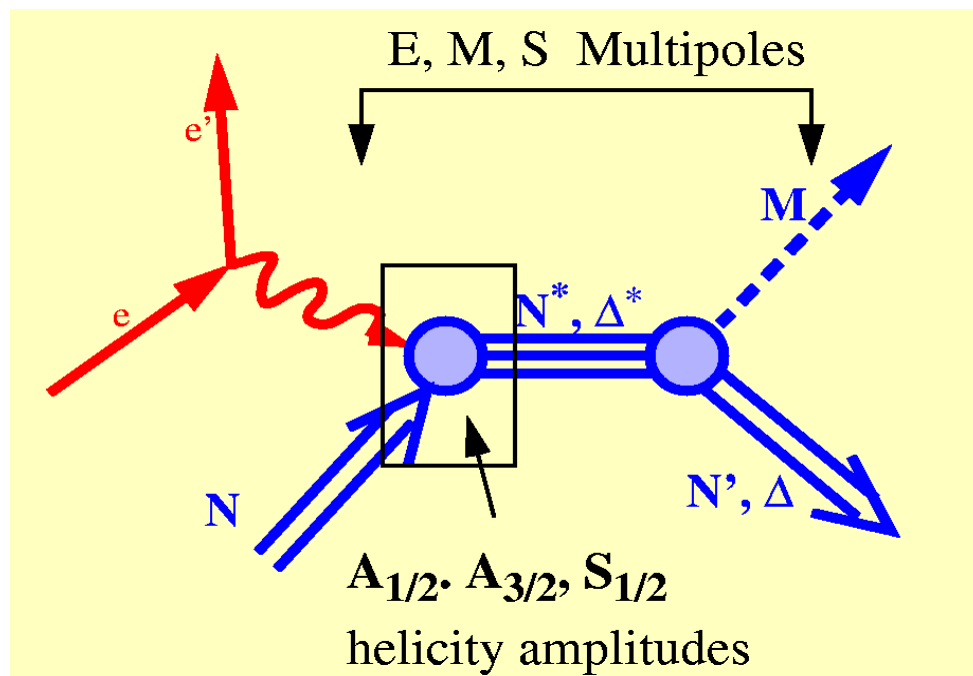
$$N \rho : 0.17 \pm 0.10$$

Next steps:

- more experimental data already in hand
- combined analysis with other decay channels: πN
 ηN
 $K \Lambda$

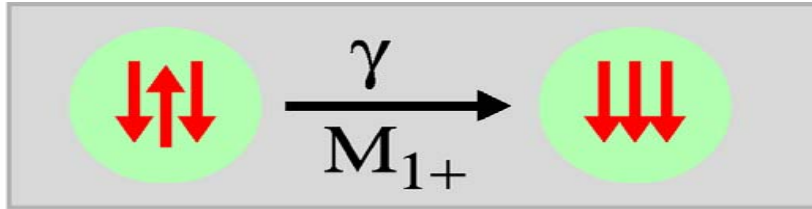
Electromagnetic Probe

- helicity amplitudes very sensitive to the difference in wave functions of N and N^*
- can separate electric and magnetic parts of the transition amplitude

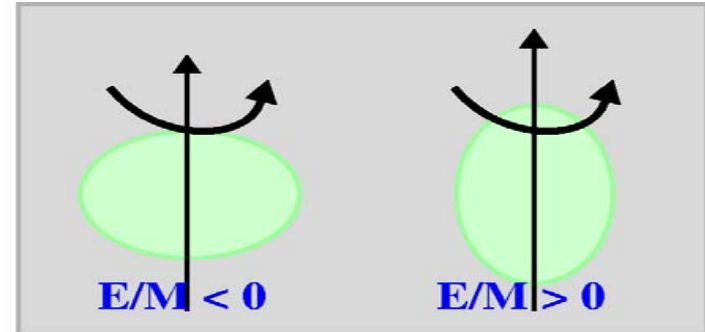


- varying Q^2 allows to change the spatial resolution and enhances different multipoles
- sensitive to missing resonance states

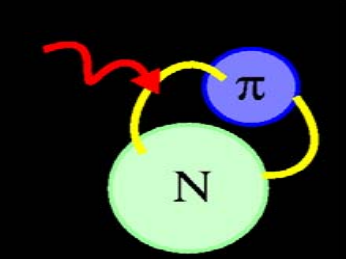
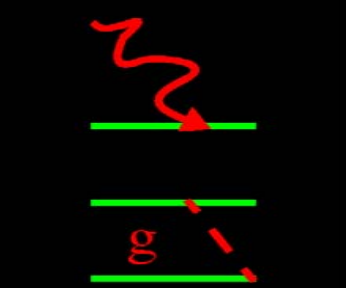
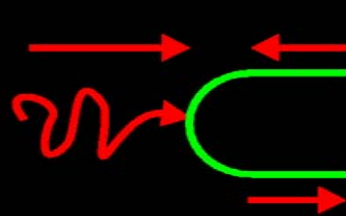
$N \rightarrow \Delta(1232)$ Transition Form Factors

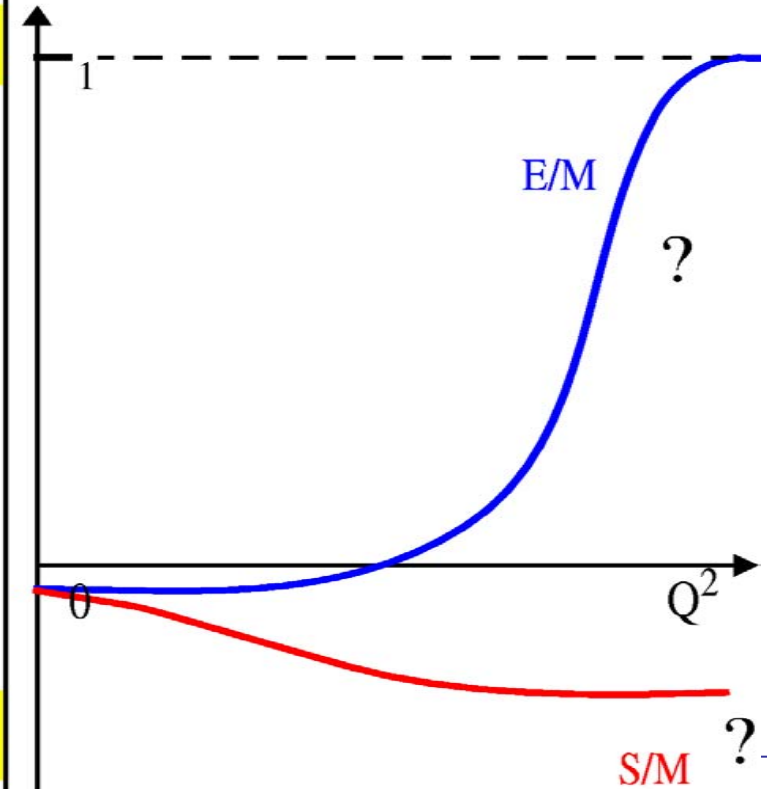


SU(6): $E_{1+} = S_{1+} = 0$

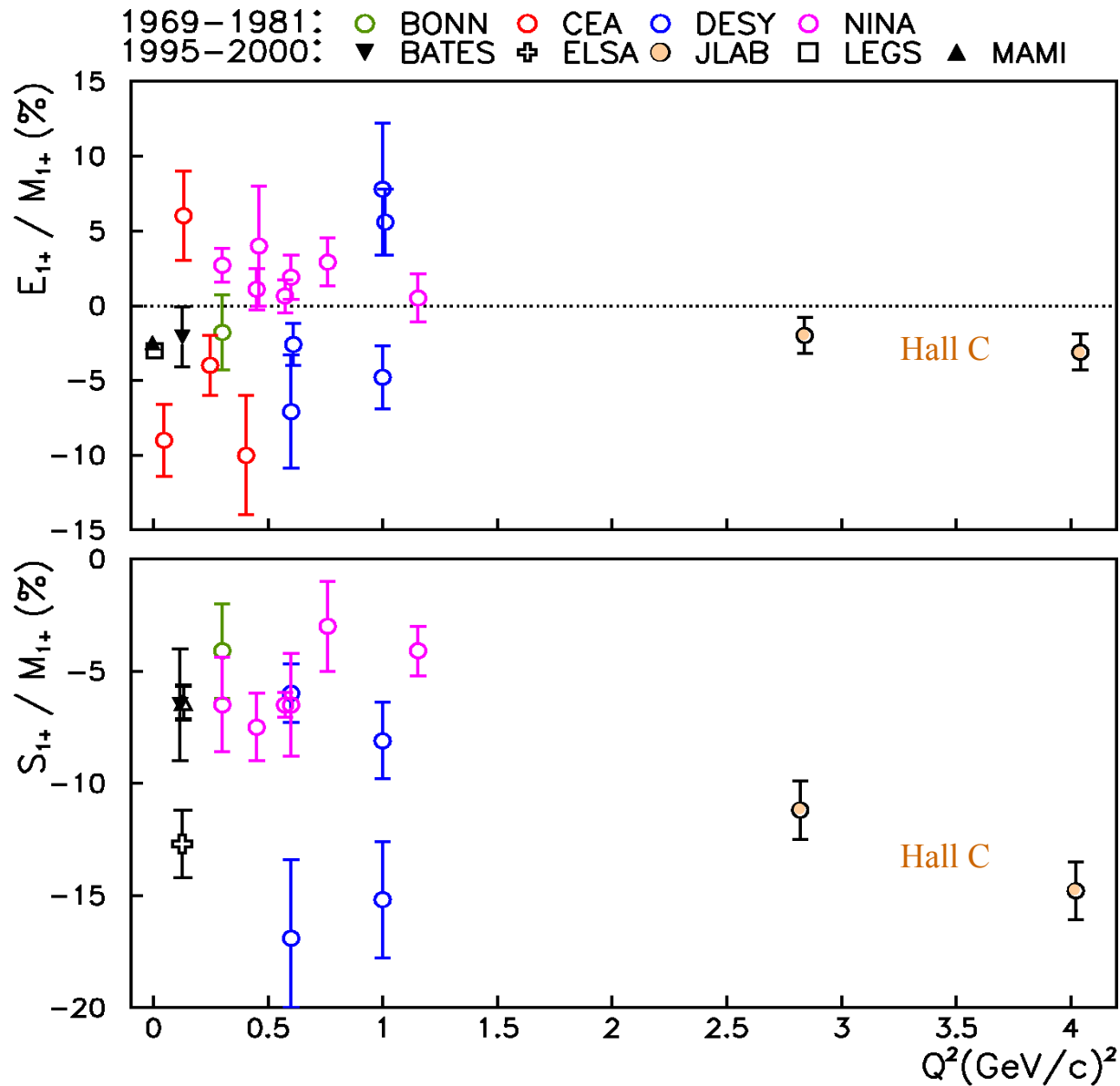


(A. Buchmann, E. Henley, 2000)

		E/M	S/M
	pion cloud	~ 0.03	~ 0.1
	one-gluon exch.	~ 0.01	
	pQCD	$+1$	const.

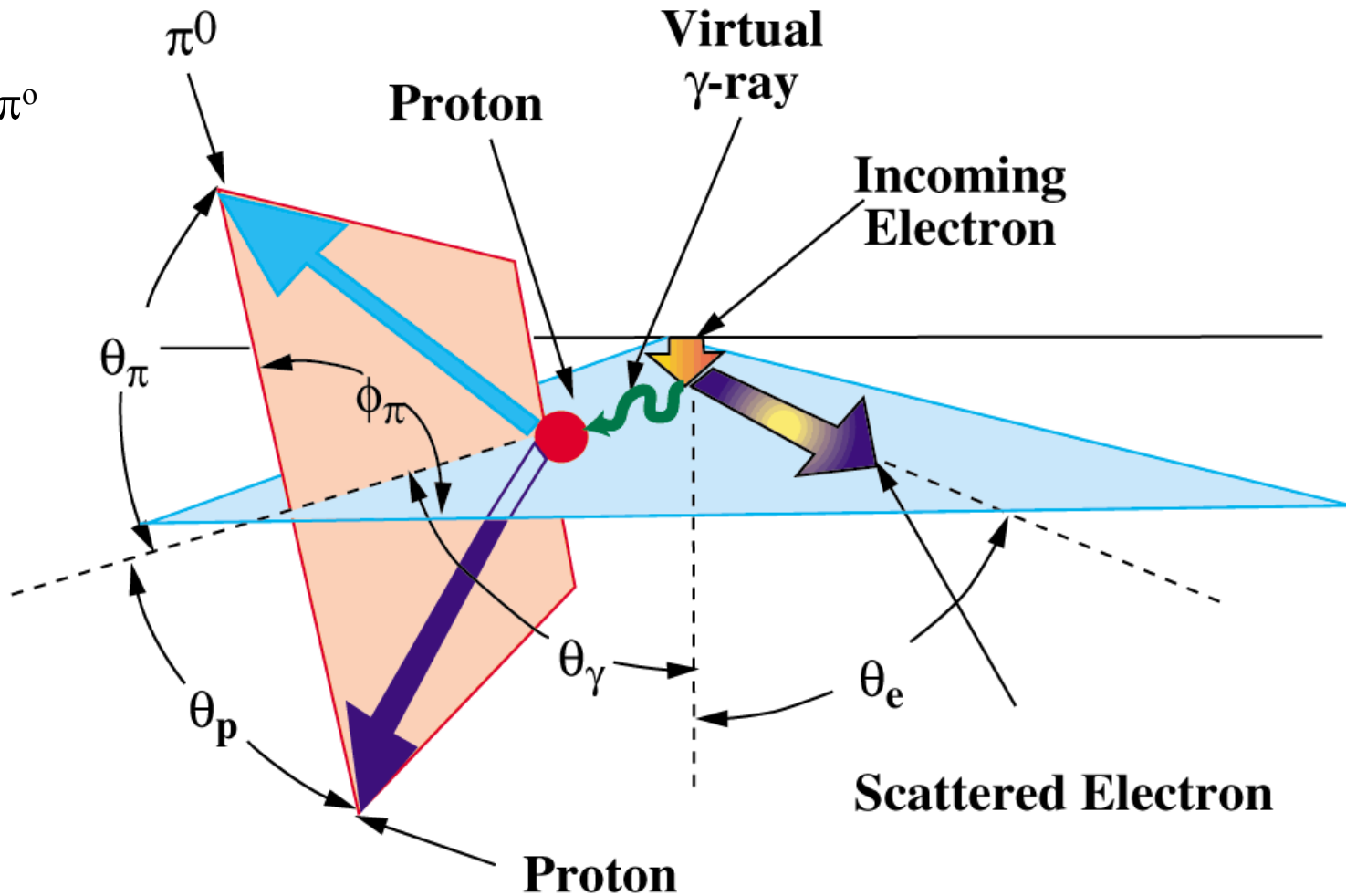


Multipoles E_{1+}/M_{1+} , S_{1+}/M_{1+} (before 2001)

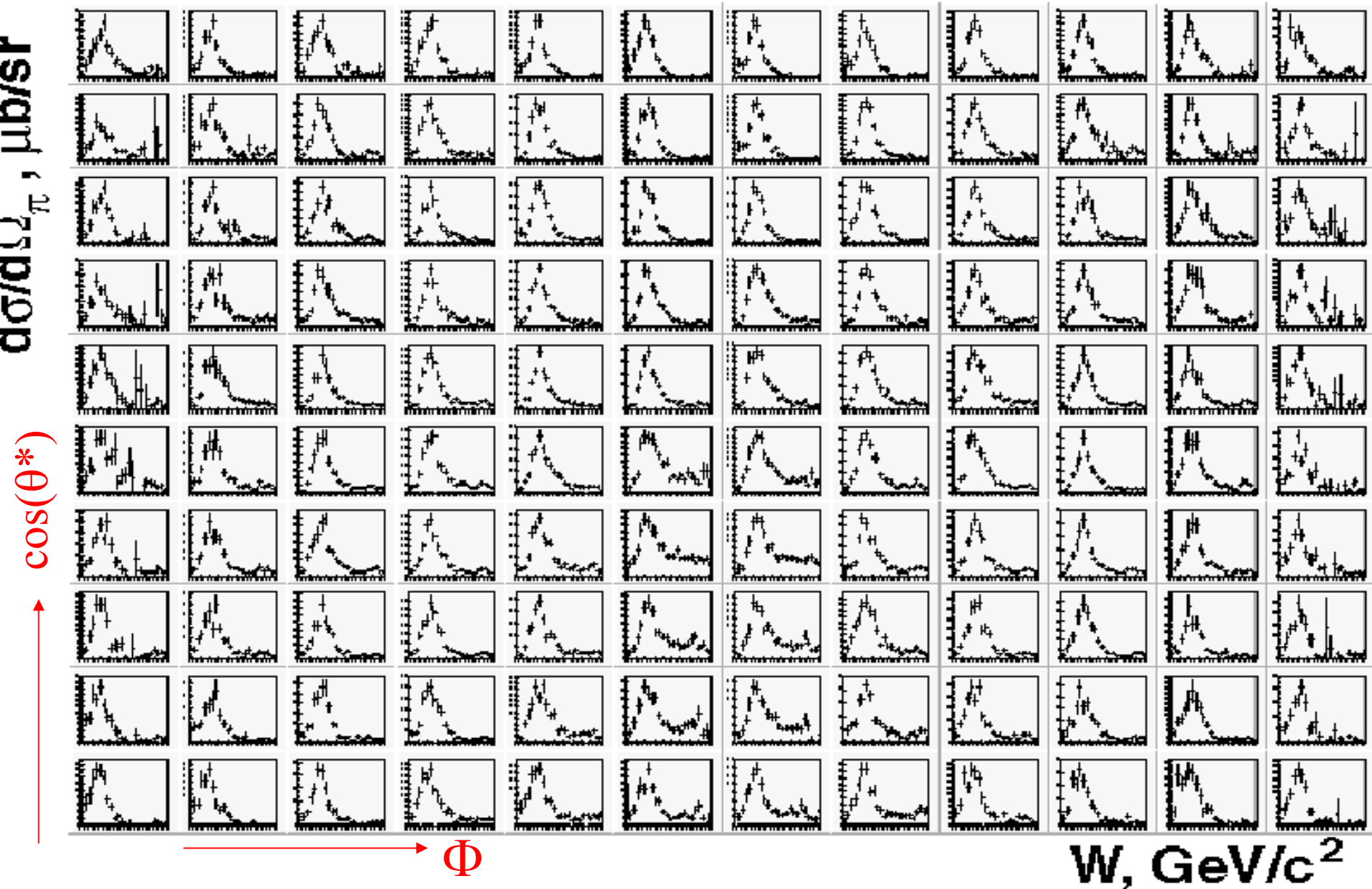


Kinematics and Cross Sections

example:
 $e p \rightarrow e' p \pi^0$



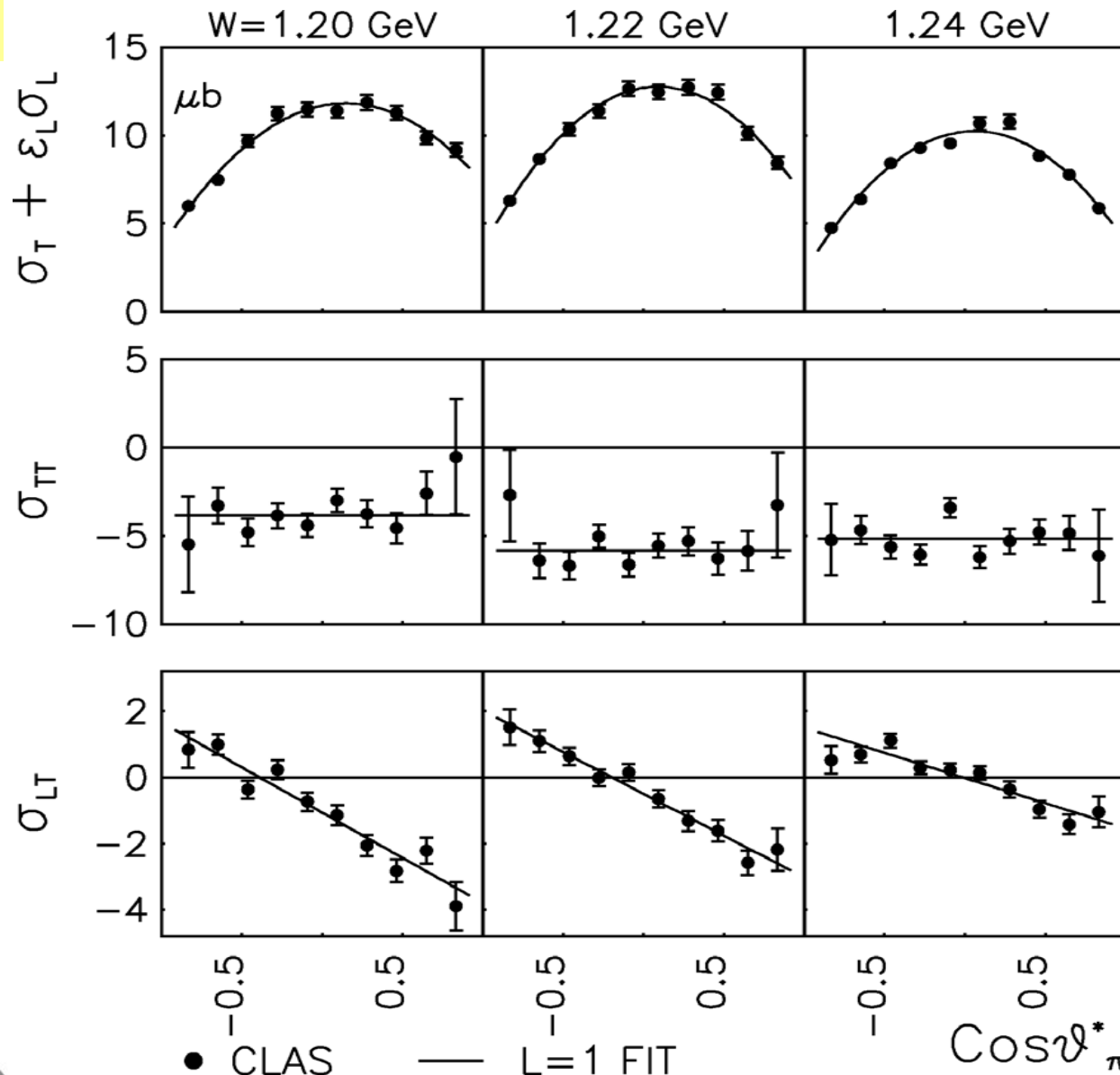
$$\frac{d\sigma}{d\Omega_e dE'_e d\Omega_\pi} = \Gamma_t (\sigma_t + \epsilon \sigma_l + \epsilon \sigma_{tt} \cos 2\phi_\pi + \sqrt{2\epsilon(\epsilon+1)} \cdot \sigma_{tl} \cos \phi_\pi)$$



Multipole Analysis for $\gamma^*p \rightarrow p \pi^0$

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$Q^2 = 0.9 \text{ GeV}^2$

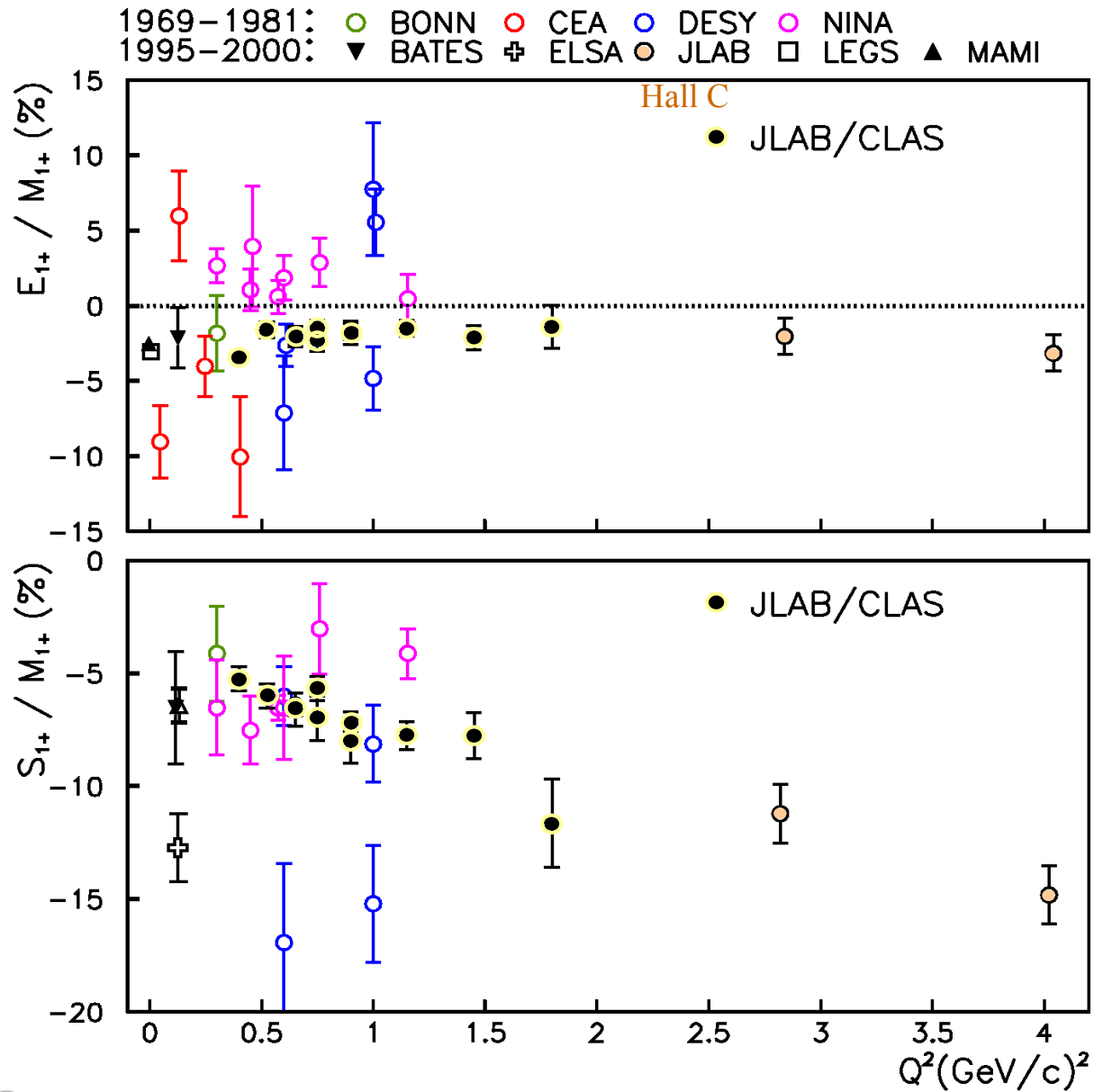


$|M_{1+}|^2$

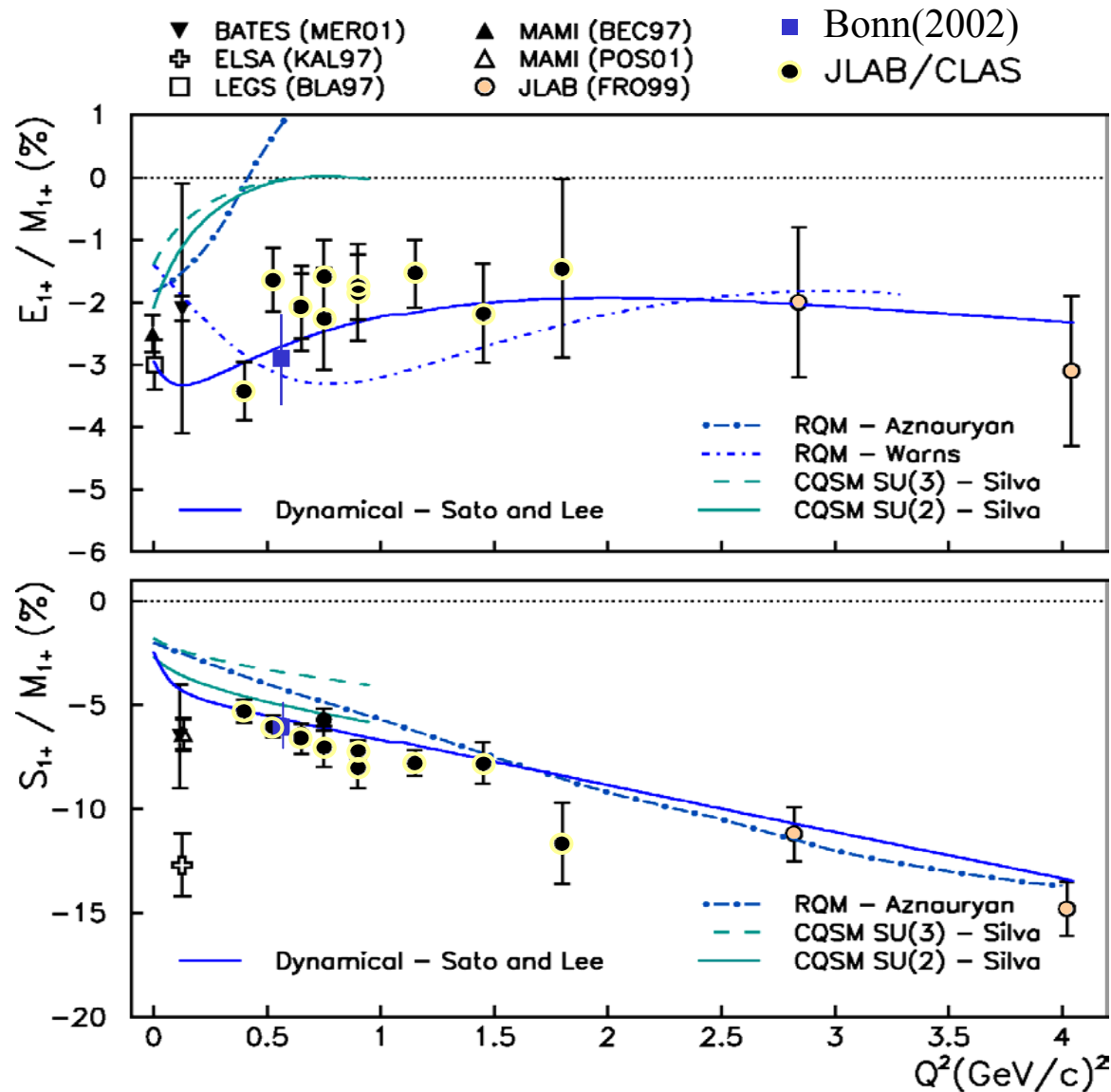
$\text{Re}(E_{1+}M_{1+}^*)$
 $|M_{1+}|^2$

$\text{Re}(S_{1+}M_{1+}^*)$

Multipoles E_{1+}/M_{1+} , S_{1+}/M_{1+} (2002)



Theoretical Interpretation of E_{1+}/M_{1+} , S_{1+}/M_{1+}



$N \rightarrow \Delta$ Transition, what's next?

- systematic uncertainties in extraction of E_{1+}/M_{1+} from $ep \rightarrow e'p \pi^0$ around 0.5%
 - differences in treatment of background terms (models not constrained)
 - will become more severe for higher Q^2 (Δ dropping faster)
- more experimental information in hand (analysis in progress)
 - cross sections $e p \rightarrow e'p (\pi^0)$ $Q^2 = (1.5 - 5.5) \text{ GeV}^2$ CLAS
 - single-spin asymmetry σ_{TL} , for $\vec{e} p \rightarrow e'p (\pi^0)$ and $\vec{e} p \rightarrow e' \pi^+ (n)$ CLAS
 - polarization transfer in $\vec{e} p \rightarrow e' \vec{p} (\pi^0)$ Hall A
 - differential cross sections for $e p \rightarrow e' \pi^+ n$ (Δ less important) CLAS
- experiments in the near future
 - extend Q^2 range to 0.05 GeV^2 (end of 2002) CLAS
 - extend Q^2 range to $\sim 7 \text{ GeV}^2$ (1st half of 2003) Hall C



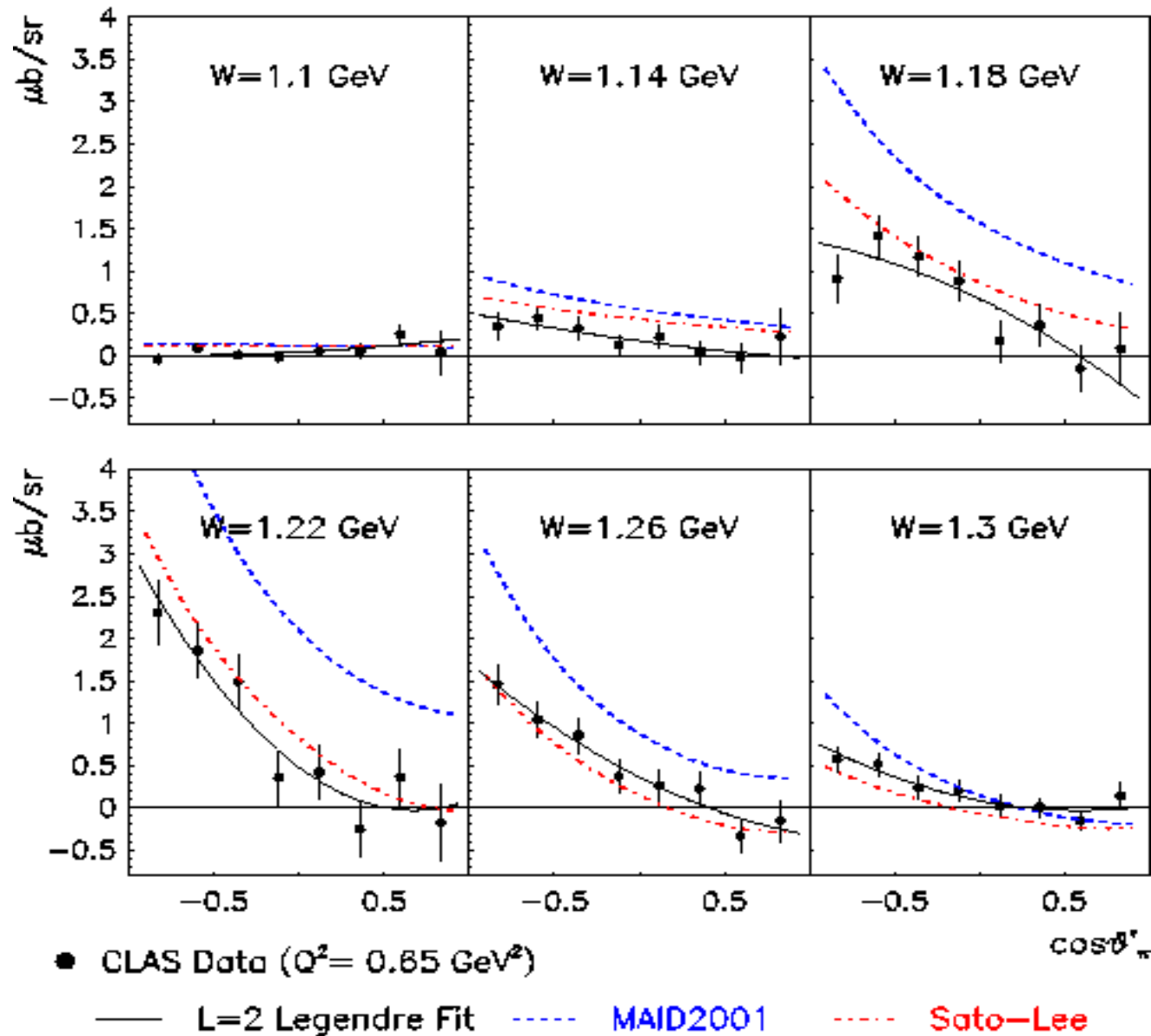
Polarized Beam Observables

CLAS

σ_{LT} , response function for

$$\vec{e} p \rightarrow e p \pi^0$$

$\sigma_{LT} = 0$ if only a single diagram contributes
(sensitive to the interference between Δ and background)



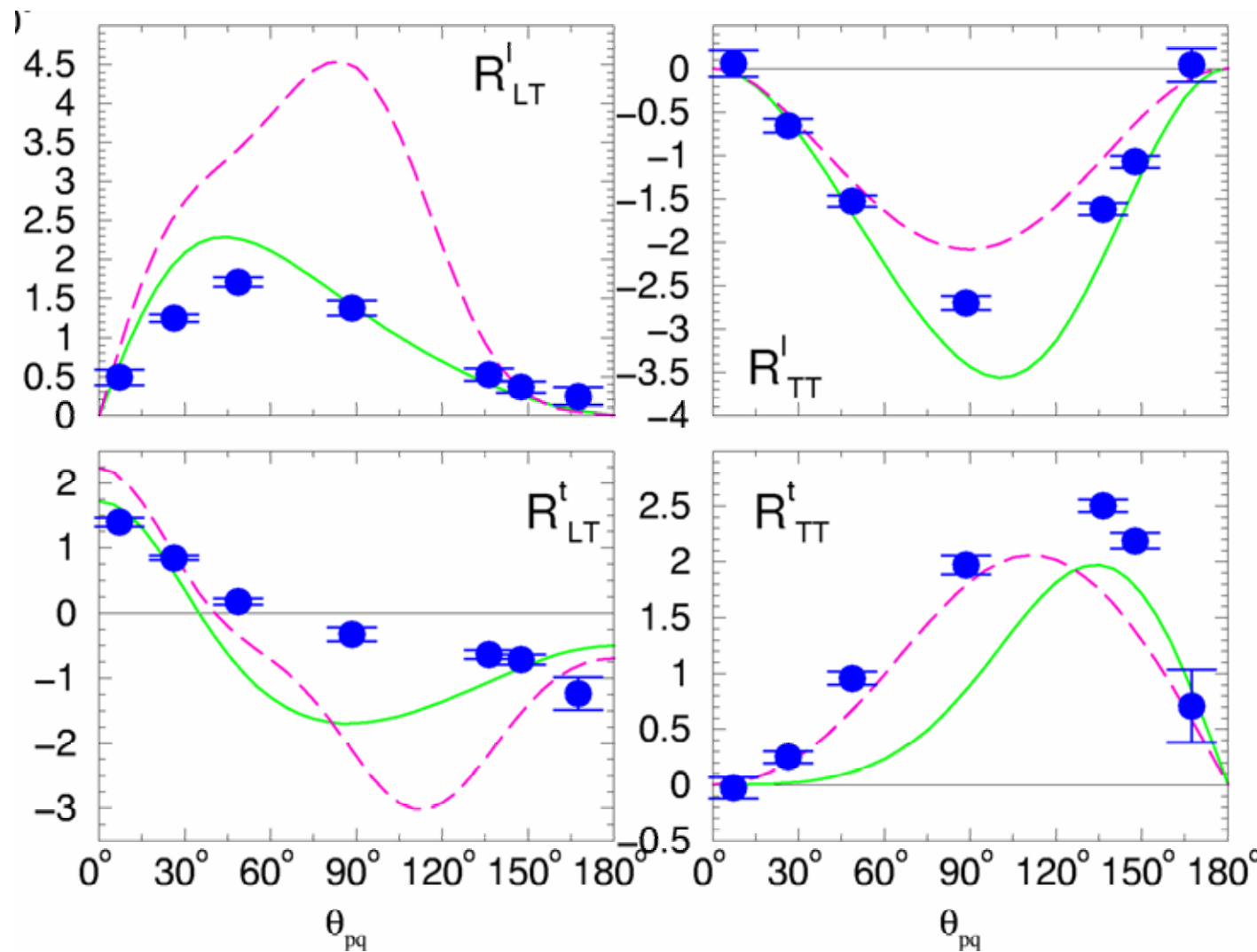
Polarization Measurement in $\vec{e} p \rightarrow e' \vec{p} (\pi^0)$

Hall A

$Q^2 = 1 \text{ GeV}^2$

$W = 1.232 \text{ GeV}$

Results sensitive
to non-resonant
contributions



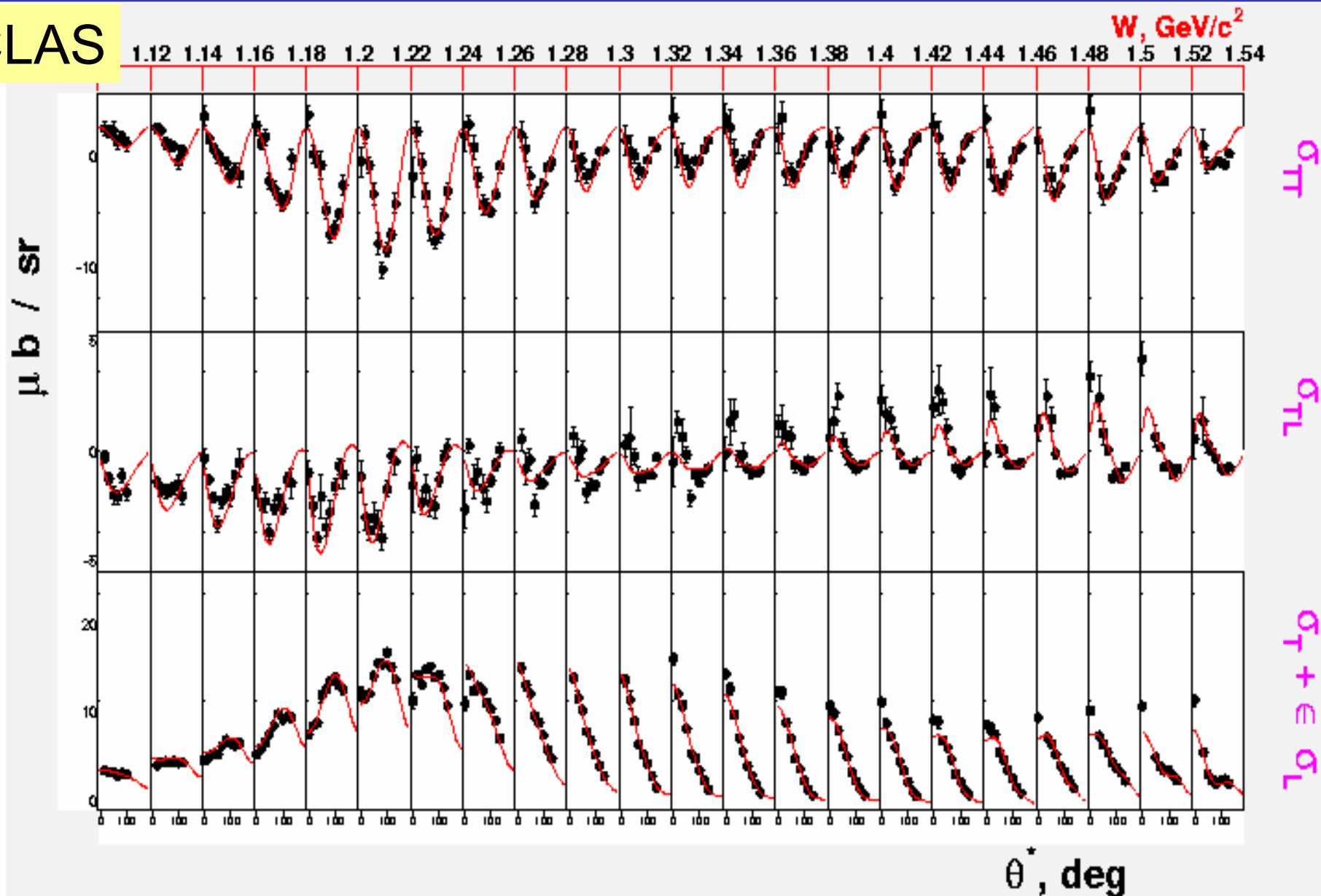
Parametrisations of available data

--- SAID
— MAID



π^+ Electroproduction

CLAS



Summary

- Understanding the structure of bound qqq systems is a central problem for the study of QCD in the strong coupling regime
- Specific issue #1: identify relevant degrees-of-freedom
 - finally getting electromagnetic data of sufficient quality to study missing resonance problem
 - initial data strongly suggest resonance contributions that cannot be explained by known baryon states
- Specific issue #2: probing details of quark wave functions
 - consistent data set for $N \rightarrow \Delta$ transition up to $Q^2 = 4 \text{ GeV}^2$
 - E_{1+}/M_{1+} small and negative
 - data emphasize the importance of pion degrees-of-freedom and relativity