

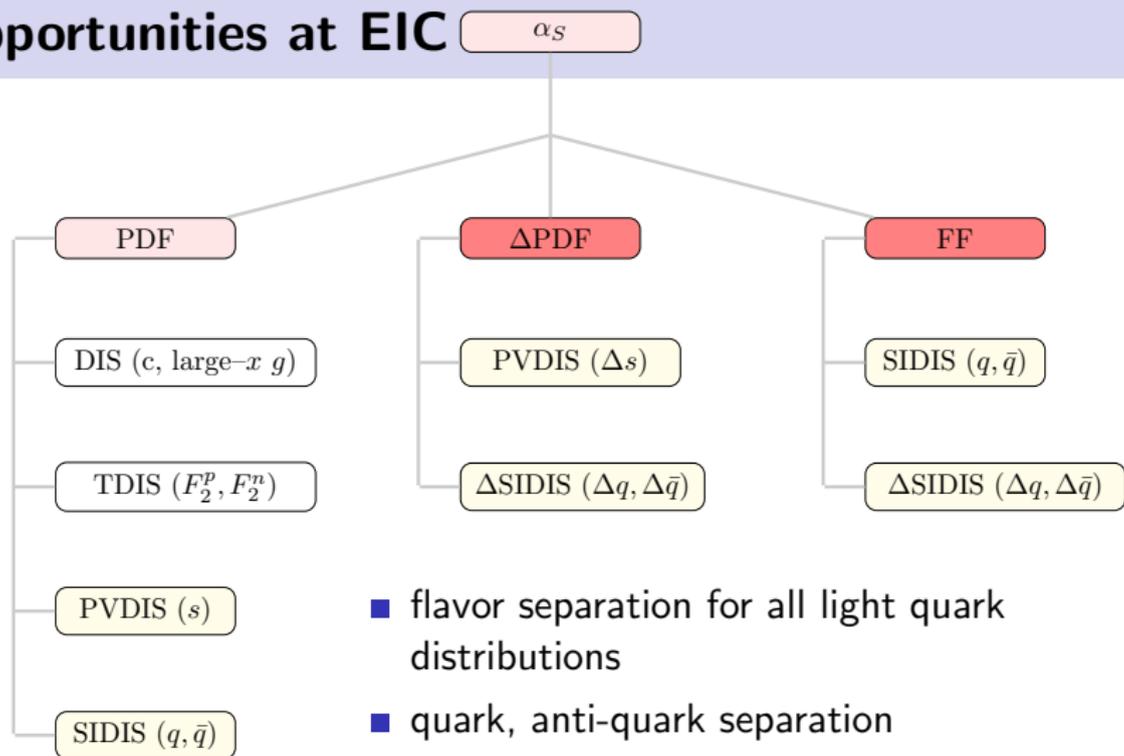
Getting the best from the EIC for future PDF, SPDF and FF analysis

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Joint CTEQ Meeting and POETIC 7, 2016

Opportunities at EIC



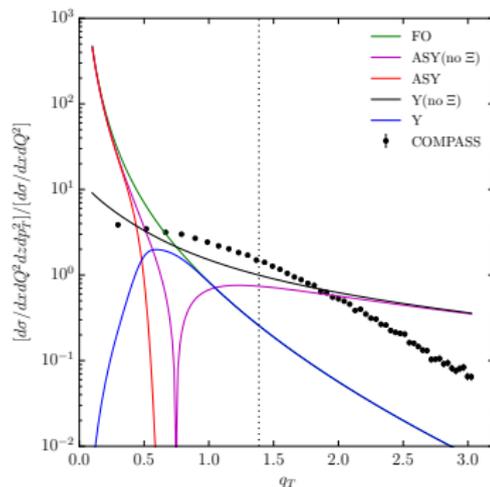
- flavor separation for all light quark distributions
- quark, anti-quark separation
- goal → simultaneous fit of PDF, Δ PDF, FF
- EIC can provide SIDIS data consistent with factorization theorems

Formal QCD description of TMD cross sections

$$\Gamma = \mathbf{T}_{\text{TMD}}\Gamma + [\Gamma - \mathbf{T}_{\text{TMD}}\Gamma]$$

$$\approx \underbrace{\mathbf{T}_{\text{TMD}}\Gamma}_{\mathbf{W}} + \underbrace{\mathbf{T}_{\text{coll}}[\Gamma - \mathbf{T}_{\text{TMD}}\Gamma]}_{\mathbf{Y}}$$

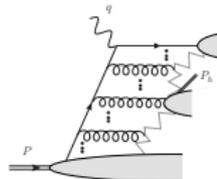
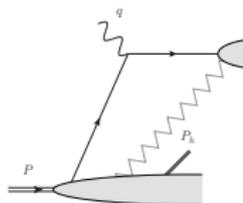
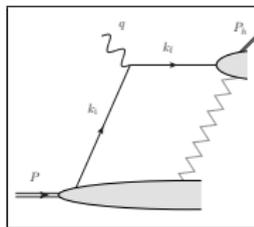
- FO is too small.
- $Y = \text{FO} - \text{ASY}$ is too big.
- Improved matching was recently considered. (Collins, et al.)
- Do we have the correct physical picture?



$$Q^2 = 1.92 \text{ GeV}^2, x = 0.0318, z = 0.375$$

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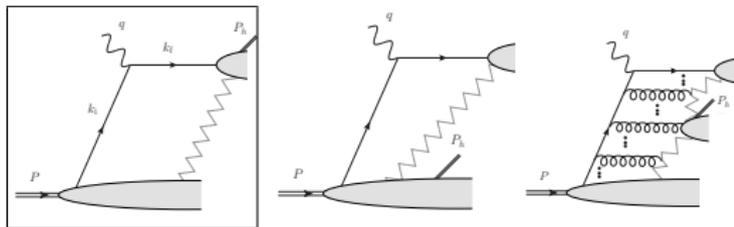
$$p_h \cdot k_i = \mathcal{O}(m^2)$$

$$p_h \cdot k_f = \mathcal{O}(Q^2)$$

- Define a *collinearity* parameter

$$R = \frac{(p_h \cdot k_f)}{(p_h \cdot k_i)} = \mathcal{O}(m^2/Q^2)$$

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- Factorization seems to be optimal for EIC kinematics

