### Heavy Ion Physics Lecture 3: Particle Production

### HUGS 2015

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### Techniques to study the plasma



Energy loss by quarks, gluons and other particles



Azimuthal asymmetry and radial expansion



Suppression of quarkonia

### Radiation of hadrons and photons

- Effects dependent on energy density
  - Charged multiplicity
  - Energy distribution
- Measuring the "chemistry" of collision, quark content of the plasma, temperature, speed of expansion
  - Momentum spectrum
  - Particle composition:  $\pi$ , K, p,  $\gamma$
  - Comparison of particle content in nuclear and protonproton collisions

# How do we measure particle yields?

- Identify the particle (by its mass and charge)
- Measure the transverse momentum spectrum
- Integrate it to get the total number of particles
- In fixed target experiment –everything goes forward ( due to cm motion) –easy to measure total ( 4π) yield
- In collider experiment: measure the yield in a slice of rapidity : dN/dy
- Apply corrections for acceptance and decays

## Time of flight measurements: PHENIX



# Combine multiple detectors: PHENIX

		Pion-Kaon separation	Kaon-Proton separation
TOF	σ~100 ps	0 - 2.5	- 5
RICH	n=1.00044 γth~34		
Aerogel	n=1.01 γth~8.5		5-9 0 4 8

### PHOBOS



### ALICE particle ID in Time Projection Chamber



### **Remote Temperature Sensing**



- Hot Objects produce thermal spectrum of EM radiation.
- Red clothes are NOT red hot, reflected light is not thermal.

Photon measurements must distinguish thermal radiation from other sources: HADRONS!!!



**Not Red Hot!** 

### CMS Sub-detectors: ECAL



### Direct and virtual photons



### **Real vs. Virtual Photons**

Direct photons  $\gamma_{direct}/\gamma_{decay} \sim 0.1$  at low  $p_T$ , and thus systematics dominate.

**Number of virtual photons** per real photon:

$$\frac{1}{N_{\gamma}}\frac{\mathrm{d}N_{ee}}{\mathrm{d}m_{ee}} = \frac{2}{3}$$

 $\frac{2\alpha}{3\pi} \frac{1}{m_{ee}} \sqrt{1 - \frac{4m_e^2}{m_{ee}^2} \left(1 + \frac{2m_e^2}{m_{ee}^2}\right) S}$ 

Hadron decay: S = |F(n)|

$$|m_{ee}^2)|^2(1-rac{m_{ee}^2}{M_h^2})^3$$

form factor



Point-like

 $S \approx 1$ **process:** (for  $p_{\rm T}^{ee} \gg m_{ee}$ )

About 0.001 virtual photons with  $m_{ee} > M_{\pi}$  for every real photon

Avoid the  $\pi^0$  background at the expense of a factor 1000 in statistics

## Direct (pQCD) Radiation

- Measuring direct photons via virtual photons:
  - any process that radiates  $\gamma$  will also radiate  $\gamma$ \*
  - for  $m < < p_T \gamma * is$  "almost real"
  - extrapolate  $\gamma * \rightarrow e + e yield$  to  $m = 0 \rightarrow direct \gamma yield$
  - $m > m_{\pi}$  removes 90% of hadron decay background
  - S/B improves by factor 10: 10% direct  $\gamma \rightarrow 100\%$  direct  $\gamma^*$

arXiv:0804.4168



Small excess for m<< p<sub>T</sub> consistent with pQCD direct photons

### Fit Mass Distribution to Extract the Direct Yield:

• Example: one  $p_T$  bin for Au+Au collisions



dir direct

Direct  $\gamma^*$  yield fitted in range 120 to 300 MeV Insensitive to  $\pi^0$  yield

### **Interpretation as Direct Photon**

**Relation between real and virtual photons:** 

$$\frac{d\sigma_{ee}}{dM^2 dp_T^2 dy} \cong \frac{\alpha}{3\pi} \frac{1}{M^2} L(M) \frac{d\sigma_{\gamma}}{dp_T^2 dy}$$

Extrapolate real **y** yield from dileptons:

$$M \times \frac{dN_{ee}}{dM} \rightarrow \frac{dN_{\gamma}}{dM} \quad \text{for} \quad M \rightarrow 0$$

Virtual Photon excess At small mass and high p<sub>T</sub> Can be interpreted as real photon excess

> no change in shape can be extrapolated to m=0



## **Thermal Radiation at RHIC**



# **Calculation of Thermal Photons**



 $\tau_0 = 0.15$  to 0.5 fm/c



- Initial temperatures and times from theoretical model fits to data:
  - 0.15 fm/c, 590 MeV (d'Enterria et al.)
  - 0.2 fm/c, 450-660 MeV (Srivastava et al.)
  - 0.5 fm/c, 300 MeV (Alam et al.)
  - 0.17 fm/c, 580 MeV (Rasanen et al.)
  - 0.33 fm/c, 370 MeV (Turbide et al.

# Now with Real $\gamma$ !



New analysis using external conversion of real photons

Agreement with virtual photon method publication (earlier discovery of thermal photon radiation)

Extended p<sub>T</sub> range, centrality, precision

Real gamma from photon conversions....

# **Chemical Equilibrium**

- In a HI collision there is cornucopia of produced particles, seemingly a nightmare.
- However, if the system has exhibited thermalization, then the particle production might be understood through simple considerations.
- We'll consider two aspects of thermal predictions:
  - Chemical Equilibrium
    - Are all the various particle species produced at the right relative rates and abundances?
  - Kinetic Equilibrium
    - Is the particle production consistent with a single underlying temperature plus common flow velocities?

### **Statistical Ensemble**

- We must choose an appropriate statistical ensemble. This choice in itself is instructive to the physics:
  - Grand Canonical Ensemble: In a large system with many produced particles we can implement conservation laws in an averaged sense via appropriate chemical potentials.
  - Canonical Ensemble: in a small system, conservation laws must be implemented on an EVENT-BY-EVENT basis.
     This makes for a severe restriction of available phase space resulting in the so-called "Canonical Suppression."
  - Where is canonical required:
    - low energy HI collisions.
    - high energy e+e- or hh collisions
    - Peripheral high energy HI collisions.

### **Canonical Suppression**



for  $N_{part} \ge 60$  Grand Canonical ok to better 10%

# K/p ratios vs. Centrality

- Simple expectation:
  - Particles carrying conserved quantum numbers (strangeness, baryon number) should exhibit loss of canonical suppression with centrality.
- K is strangeness 1
- p is baryon number 1
- Normalized compared to pion, both curves rise rapidly with centrality and then saturate.



# Thermal yields

• Begin with the formula for the number density of all species:

$$n_{i}^{0} = \frac{g_{i}}{2\pi^{2}} \int \frac{p^{2} dp}{e^{(E - \mu_{B}B_{i} - \mu_{s}S_{i} - \mu_{3}I^{3})/T} \pm 1}$$

here  $g_i$  is the degeneracy  $E^2=p^2+m^2$ 

 $\mu_B$ ,  $\mu_S$ ,  $\mu_3$  are baryon, strangeness, and isospin chemical potentials respectively

+ for fermions and – for bosons

- Given the temperature and all m, on determines the equilibrium number densities of all various species.
- The ratios of produced particle yields between various species can be fitted to determine T,  $\mu$ .

# Reality check:

• Approximate  $\mu_B$  assuming a temperature of 170 MeV and that the anti-proton/proton ratio is 0.7 and independent of momentum

$$n_i^0 = \frac{g_i}{2\pi^2} \int \frac{p^2 dp}{e^{(E - \mu_B B_i - \mu_s S_i - \mu_3 I^3)/T} \pm 1}$$

 All factors in the above equation cancel except the Baryon number (proton=+1, p<sub>bar</sub>=-1). So

$$\frac{\overline{p}}{p} \approx \frac{e^{-\mu_B/T}}{e^{\mu_B/T}} = e^{-2\mu_B/T}; \mu_B \approx 30 MeV$$

- Question: Which has large  $\mu_{\text{B}}$ , high energy or low energy collisions?

# **Conservation Constraints**

for every conserved quantum number there is a chemical potential  $\mu$  but can use conservation laws to constrain:

• Baryon number:  $V \underset{i}{\Sigma} n_i B_i = Z + N \longrightarrow V$ • Strangeness:  $V \underset{i}{\Sigma} n_i S_i = 0 \longrightarrow \mu_S$ • Charge:  $V \underset{i}{\Sigma} n_i I_i^3 = \frac{Z - N}{2} \longrightarrow \mu_{I_3}$ 

This leaves only  $\mu_b$  and T as free parameter when  $4\pi$  considered

# Dependence of $\mu_s$ on T, $\mu_B$

- At any given T and μ<sub>B</sub>, there exists only
   a single μ<sub>s</sub> that
   makes the final state
   strangeness neutral.
- Same for I<sub>3.</sub>
- Entire model has two free parameters and then makes a prediction for all particle ratios.



### Feed-down via decay

#### Once conservation laws are satisfied:

 Decay particles according to known branching ratios Individual feeddown factors are possible in SHE (most = 1)

Factor applies to directly-produced and intermediate particles

Each particle is decayed recursively until its decay array is empty

Feeddown correction factors are important here!



# Controversy: $\gamma_s$

• Many authors modify the pure thermal ansatz by introducing a strangeness fugacity  $\gamma_s$  as:

$$n_{i}^{0}(strange) = \gamma_{s} \frac{g_{i}}{2\pi^{2}} \int \frac{p^{2} dp}{e^{(E-\mu_{B}B_{i}-\mu_{s}S_{i}-\mu_{3}I^{3})/T} \pm 1}$$

- This factor in the range 0-1 determines the level at which strangeness has reached the Grand Canonical level.
- Some authors feel that such a factor violates the thermal ansatz, whereas others like having a measure of the level of equilibrium.





# **Radial Flow**

- For any interacting system of particles expanding into vacuum, flow is a natural consequence.
  - During the cascade process, one naturally develops an ordering of particles with the highest common underlying velocity at the outer edge.
- This motion complicates the interpretation of the momentum of particles as compared to their temperature and should be subtracted.
- Hadrons are released in the final stages of the collision and therefore measure "FREEZE-OUT"

# Singles Spectra

- Peripheral:
  - Pions are concave due to feeddown.
  - K,p are exponential.
  - Yields are MASS ORDERED.
- Central:
  - Pions still concave.
  - K exponential.
  - p flattened at left
  - Mass ordered wrong (p passes pi !!!)



BW well explains the  $\pi$ , K, p spectra simultaneously

Underlying collective VELOCITIES impart more momentum to heavier species consistent with the basic trends

### **Blast Wave-I**

• Let's consider a Thermal Boltzmann Source:

$$\frac{d^{3}N}{dp^{3}} \propto e^{-E_{T}}$$

$$E\frac{d^{3}N}{dp^{3}} = \frac{d^{3}N}{m_{T}dm_{T}d\phi dy} \propto Ee^{-E_{T}} = m_{T}\cosh(y)e^{-m_{T}\cosh(y)/T}$$

 If this source is boosted radially with a velocity β<sub>boost</sub>, the resulting distribution, evaluated at y=0 and integrated over φ is:

$$\frac{1}{m_T} \frac{dN}{dm_T} \propto m_T I_0 \left(\frac{p_T \sinh(\rho)}{T}\right) K_1 \left(\frac{m_T \cosh(\rho)}{T}\right)$$

where 
$$\rho = \tanh^{-1}(\beta_{boost})$$

### **Blast Wave-II**

- The entire source from the collision may be considered as a superposition of many sources each with a different strength and boost velocity.
- The simplest assumption (and non-physical...) is that the source is a uniform sphere of radius R and that the boost velocity varies linearly to some maximum value. Then:

$$\frac{1}{m_T} \frac{dN}{dm_T} \propto \int_0^R r^2 dr m_T I_0 \left(\frac{p_T \sinh(\rho)}{T}\right) K_1 \left(\frac{m_T \cosh(\rho)}{T}\right)$$
$$\rho(r) = \tanh^{-1} \left(\beta_T^{MAX} \frac{r}{R}\right)$$

# Blast Wave Fits

- Fit AuAu spectra to blast wave model:
- $\beta_{S}$  (surface velocity) drops with dN/d $\eta$
- T (temperature) almost constant.





# Beam Energy Scan shows T Systematics



#### Chemical Freeze-out: (GCE)

- Central collisions.
- Centrality dependence, not shown, of *T<sub>ch</sub>* and *μ<sub>B</sub>*!

#### Kinetic Freeze-out:

- Central collisions => lower value of
   *T<sub>kin</sub>* and larger collectivity β
- Stronger collectivity at higher energy

### **Temperature/Flow Summary**



• Clear break in behavior ~20 GeV.

## Recast Data vs $\mu_B$



- ♦ Covering large portion of QCD phase diagram
  ♦ <β> is almost similar from μ<sub>B</sub>
  ♦ Difference between T<sub>kin</sub> and T<sub>ch</sub> increases for
  lower μ<sub>B</sub> : Effect of hadronic interactions between
  chemical and kinetic freeze-out
- Lowering RHIC energy requires accelerator upgrades.
- BES-II planned 2018/2019

## Summary of particle production measurements

- Statistical treatment of particle production in heavy ion collision describes data pretty well
- The produced particles come from a hot medium with temperatures consistent with expectations for a quark-gluon plasma
- The measurements have to account for rapid expansion of the hot region
- The main "action" is at low energies where one hopes to see effects at the phase boundary