

Motivator: Measurement of G_E^n / G_M^n by the Double
Polarised ${}^2\text{H}(\vec{e}, e' \vec{n})$ Reaction

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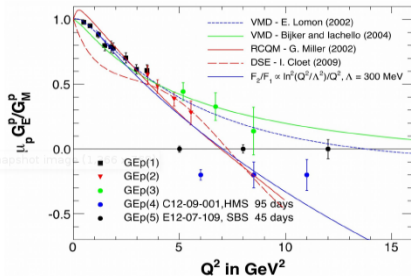
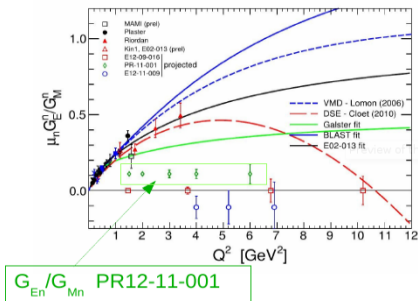
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EMFF at Jefferson Lab - Hall A

All 4 Nucleon Sachs form factors.



Main points (as far as I'm considered):

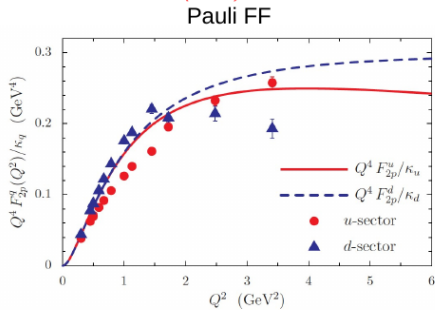
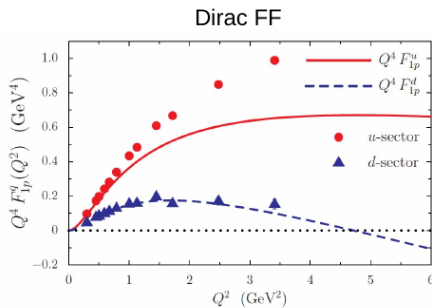
- DSE explicitly describe the dynamical generation of the mass of constituent quarks
- Zero crossing point (if any) of the G_E/G_M ratios affects the location and width of the transition region between constituent- and parton-like behavior of the dressed quarks.
- A more rapid transition from non-perturbative to perturbative behavior pushes the proton zero point to higher Q^2
- Conversely the neutron zero point is pushed to lower Q^2
- Neutron data completely lacking at high Q^2

SBS EMFFs:

- E12-09-019
- E12-09-016
- E12-07-109

EMFF and Diquark Correlations in Nucleons

Calculation: *I. Cloet et al., Phys. Rev. C 90, 045202 (2014)*



Separated data points: *G. D. Cates et al., Phys. Rev. Lett. 106, 252003 (2011)*.

With Proton & Neutron EMFF data flavour decomposition possible

Assuming small strange component: $F_{1,2}^u = F_{1,2}^n + 2F_{1,2}^p$ $F_{1,2}^d = 2F_{1,2}^n + F_{1,2}^p$

- Calculation using Nambu-Jona-Lasinio Model, Chiral Effective Field Theory of QCD Valid at low-intermediate energy "Parameter free" calculation. No. FF fit.
- "Soft" d Dirac FF: dominance of scalar diquark correlations
- Pauli FF: axial-vector diquark correlations and pion-cloud effects more important
- Q^2 range of decomposition set by availability of G_E^n data

The Need for Better G_E^n / G_M^n Data

- In terms of Q^2 range and precision, neutron measurements still lag way behind proton measurements
- For measurements in space-like domain at medium-high Q^2 JLab is the only viable lab. Quasi-elastic electron scattering from neutron in ^2H , ^3He ...
- Double polarised experiments are the way to go (since ~ 1990). Relatively low sensitivity to two-photon exchange effects compared to Rosenbluth separation. Better access to relatively small G_E (compared to G_M)
- JLab: E12-09-016 G_E^n/G_M^n with polarized electron beam ^3He target up to Q^2 of 10 $(\text{GeV}/c)^2$...see S. Riordan for details.
- Neutron measurements extremely challenging...independent verification of results necessary. Alternative method with polarised electron beam and polarimeter to measure polarisation transfer to recoiling neutron. Unpolarised ^2H target - QE signal much cleaner
- ^2H experiment should, as far as possible, match kinematic range and precision of ^3He experiment.
- No recoil polarimetry measurement at $Q^2 > 1.5 (\text{GeV}/c)^2$

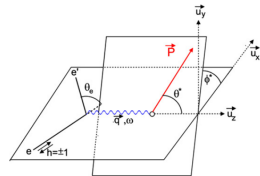
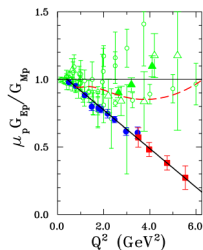


Fig. 15. Polarized electron scattering from a polarized target.

Summary of Experimental Technique

Question: Obtain G_E^n/G_M^n for Q^2 of 2.0 - 9.3 ? (GeV/c)²

Measure double-polarised ${}^2H(\vec{e}, e' \vec{n})p$

As opposed to E12-09-016 ${}^3He(\vec{e}, e' n)pp$

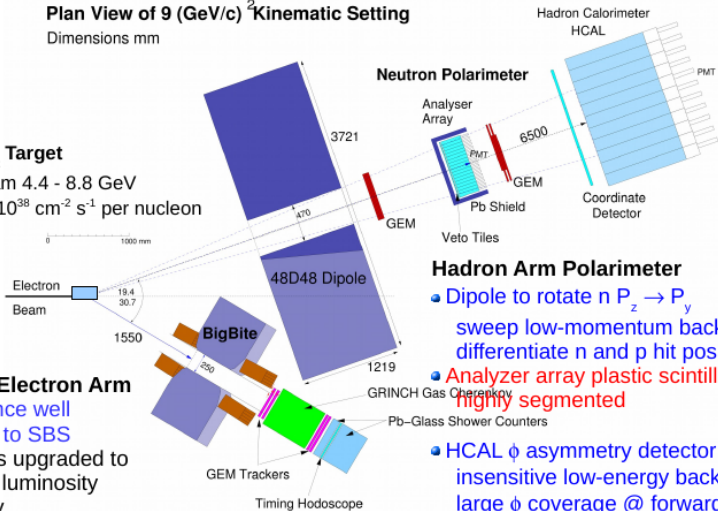
- Final-state neutron $P_x/P_z \rightarrow G_E^n/G_M^n$ (precess $P_z \rightarrow P_y$ in dipole magnetic field)
- Cryogenic D₂ Target 10 cm long
- 40 μA 80% polarized electron beam
- $L = 1.26 \times 10^{38} \text{ cm}^{-2}\text{s}^{-1}$
- BigBite e' detector (same configuration as E12-09-019 G_M^n/G_M^p). Large acceptance ($\sim 55 \text{ msr}$), adequate momentum resolution ($\delta p/p \sim 1\%$)
- SBS Neutron polarimeter: acceptance well matched to electron arm. Dipole magnet, integrated field $\sim 2 \text{ Tm}$. Hadron calorimeter, high n efficiency, effective suppression soft background. Active organic-material analyzer. High rate charged-particle tracking systems
- Still examining polarimeter configurations...active/passive analyser? Geant-4 simulation

G_E^n Apparatus $e + d \rightarrow e' + n + p$

Explore possibility to use G_{Ep} polarimeter charge-exchange n-p

Plan View of 9 (GeV/c)² Kinematic Setting

Dimensions mm

10cm LD₂ Target40 μ A beam 4.4 - 8.8 GeV $\mathcal{L}: 1.26 \times 10^{38} \text{ cm}^{-2} \text{ s}^{-1}$ per nucleon

BigBite Electron Arm

Acceptance well

matched to SBS

Detectors upgraded to increase luminosity capability

Hadron Arm Polarimeter

- Dipole to rotate $n P_z \rightarrow P_y$
sweep low-momentum background
differentiate n and p hit positions
- Analyzer array plastic scintillator
highly segmented
- HCAL ϕ asymmetry detector
insensitive low-energy background
large ϕ coverage @ forward θ

G_E^n / G_M^n Using Recoil Polarimetry

R.G.Arnold, C.E.Carlson and F.Gross, *Phys.Rev. C23(1981),363*
 A.I.Akhiezer et al., *JEPT 33 (1957),765*

$$P_x = -hP_e \frac{2\sqrt{\tau(1+\tau)} \tan \frac{\theta_e}{2} G_E G_M}{G_E^2 + \tau G_M^2 (1 + 2(1+\tau) \tan^2 \frac{\theta_e}{2})}$$

$$P_y = 0$$

$$P_z = hP_e \frac{2\tau \sqrt{1+\tau + (1+\tau)^2 \tan^2 \frac{\theta_e}{2}} \tan \frac{\theta_e}{2} G_M^2}{G_E^2 + \tau G_M^2 (1 + 2(1+\tau) \tan^2 \frac{\theta_e}{2})}$$

$$\frac{P_x}{P_z} = \frac{1}{\sqrt{\tau + \tau(1+\tau) \tan^2 \frac{\theta_e}{2}}} \cdot \frac{G_E}{G_M}$$

Recoil Polarimetry...

N-N scattering $V_{so}(\mathbf{l}, \mathbf{s}) \rightarrow$

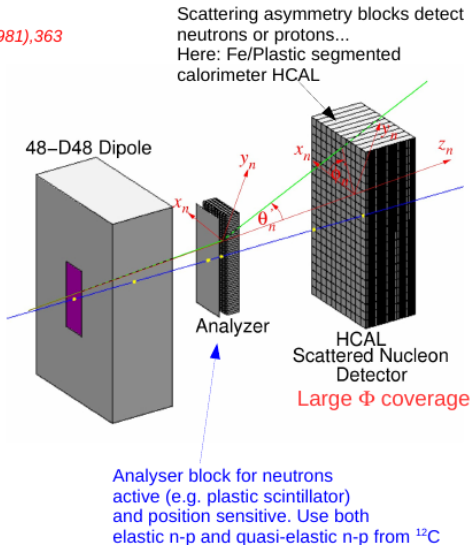
ϕ dependence of cross section relates to transverse polarisation components

$$\sigma(\theta'_n, \phi'_n) = \sigma_0 \left(1 + P_e \alpha_{eff} [P_x^n \sin \phi'_n + P_y^n \cos \phi'_n] \right)$$

Precession angle of nucleon P_z through dipole

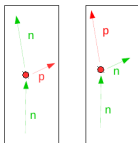
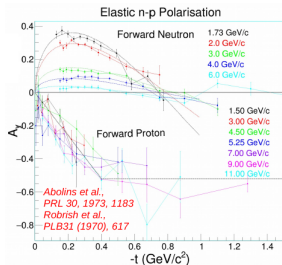
$$\chi = \frac{2\mu_N}{\hbar c \beta_N} \int_L B \cdot dl$$

Integrated Field ~ 2 Tm: $\chi \rightarrow 70^\circ$ as $\beta_n \rightarrow 1$



Elastic N - N Scattering

- Elastic n-p or p-p for highest A_y value. LH₂ analyser possibly not feasible technically at JLab
- Proton A_y measurements C, CH₂ : detect forward proton + X undetected. This does not select elastic or quasi-elastic exclusively
- Empirical p+C value of $A_y \sim 0.5$ of free elastic p-p scattering. Partially fermi-motion smearing of the elastic signal. Partially inelastic contamination.
- Advantageous to detect forward scattered nucleon. Smaller spread in angles. High energy...threshold can be set to reject low-energy background



Peak Analysing Power of N-N Scattering

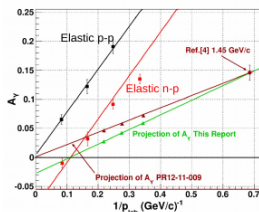
A_y^{\max} @ $p_{\perp} \sim 300 - 400$ MeV/c

• R. Diebold et al., PR, 35(1975), 632.

• S.L. Kramer et al., PRD17(1978), 1709.

Projection n-p momentum dependence E12-11-009

Projection n-p momentum dependence PR12-12-12



- A_y for n-p (or p-n) falling rapidly with increasing neutron momentum.
- A_y for charge-exchange n-p large at sufficiently large t ($\theta_p \sim$ few deg.). No apparent strong incident momentum dependence of A_y
- Charge-exchange cross section factor ~ 10 lower than n-p. SAID PWA over estimates this cross section by a factor ~ 6 .

G_E^n / G_M^n Methods ... Pros and Cons

Polarized Target Neutron or Polarized Recoiling Neutron?

Advantages Recoil Polarimetry

- ^3He target is complex and expensive
- ^2H (liquid) target offers higher luminosity (if detectors will stand the radiation load)
- Quasi-elastic scattering on ^2H gives a cleaner signal than ^3He ...less non-elastic contamination
- Bound-nucleon effects smaller for ^2H

Disadvantages Recoil Polarimetry

- For n-p analysing power A_y prop $1/p_N$ Experiment FOM prop A_y^2 (or P_{target}^2) $A_y \sim 0.05$, $P_{\text{target}} \sim 0.6$
- Nucleon polarimeter has relatively low detection efficiency (n scattering)
- Up to now no recoil-polarimetry measurement beyond $Q^2 = 1.5$ (GeV/c) 2 Hall-C
Plaster et al, PRC 73,(2006), 025205

Take home message from the plot:

- Hydrogen in principle the best analyser
- C, CH_2 used in practice
- For neutrons can use plastic scintillator or Cherenkov ...active analyzer highly desirable to reconstruct scattering kinematics

Peak Analysing Power of N-N Scattering

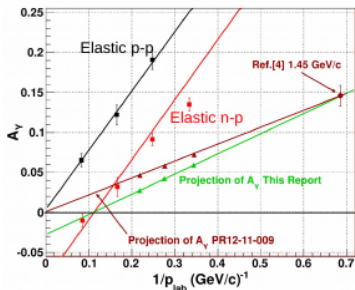
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Projection n-p momentum dependence E12-11-009

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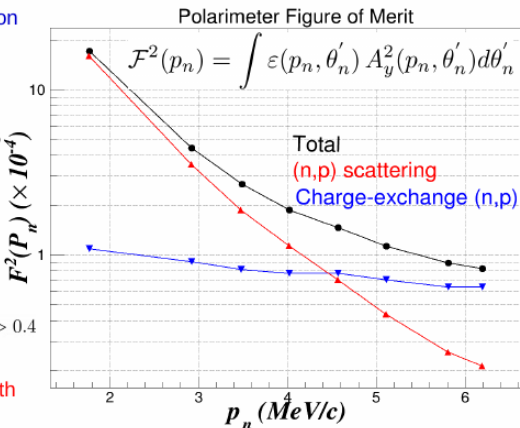
Preliminary: Polarimeter Figure of Merit

Neutron Scattering in Analyzer Material

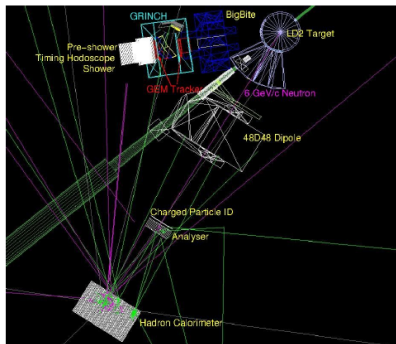
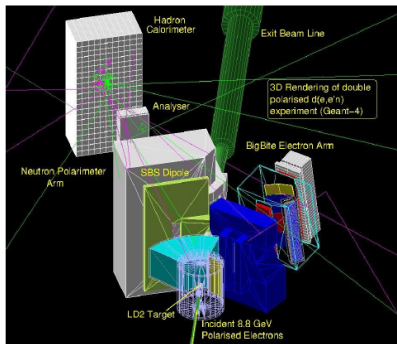
$$\sigma(\theta'_n, \phi'_n) = \sigma(\theta'_n) \left[1 + A_y(\theta'_n) \left\{ P_x^n \sin \phi'_n + P_y^n \cos \phi'_n \right\} \right]$$

Monte Carlo: ROOT & G4

- Generate elastic n(e,e'n)
produce n-momentum distribution
n scatters from analyzer block
into HCAL
- n-p cross section SAID PWA.
 $\times [1 + (\text{effective\# protons in C})]$
Scale charge-exchange by 0.16
Efficiency $\sim 7\text{-}8\%$
- Efficiency from G4 $\sim 12\text{-}13\%$
- A_y for n-p scatter (forward n)
Ladygin (JINR) fit to p_n and t
dependence
- A_y charge-exch. n-p (forward p)
 $A_Y^H = t, -t < 0.4; A_Y^H = -0.52, -t > 0.4$
 $A_Y^C = 0.5 \times A_Y^H$
- SBS polarimeter sensitive to both
n-p and charge-exchange n-p



The Geant4 Model



- **Geant4.10.01: add ϕ dependence polarised nucleon elastic and QE scattering**
- Record signal amplitude and time from each detector element.
- **Analyse simulated data as in real experiment.**
- Calculate element rates 8.8 GeV, 40 μ A on 10 cm LD₂ ($L = 1.26 \times 10^{38} \text{ cm}^{-2} \text{ s}^{-1}$)
- **Concentrating on polarimeter arm. Cluster analysis, energy-weighted mean hit position**
- Reconstruct angle in analyser and scattering angle analyser to calorimeter. Extract ϕ dependence.

