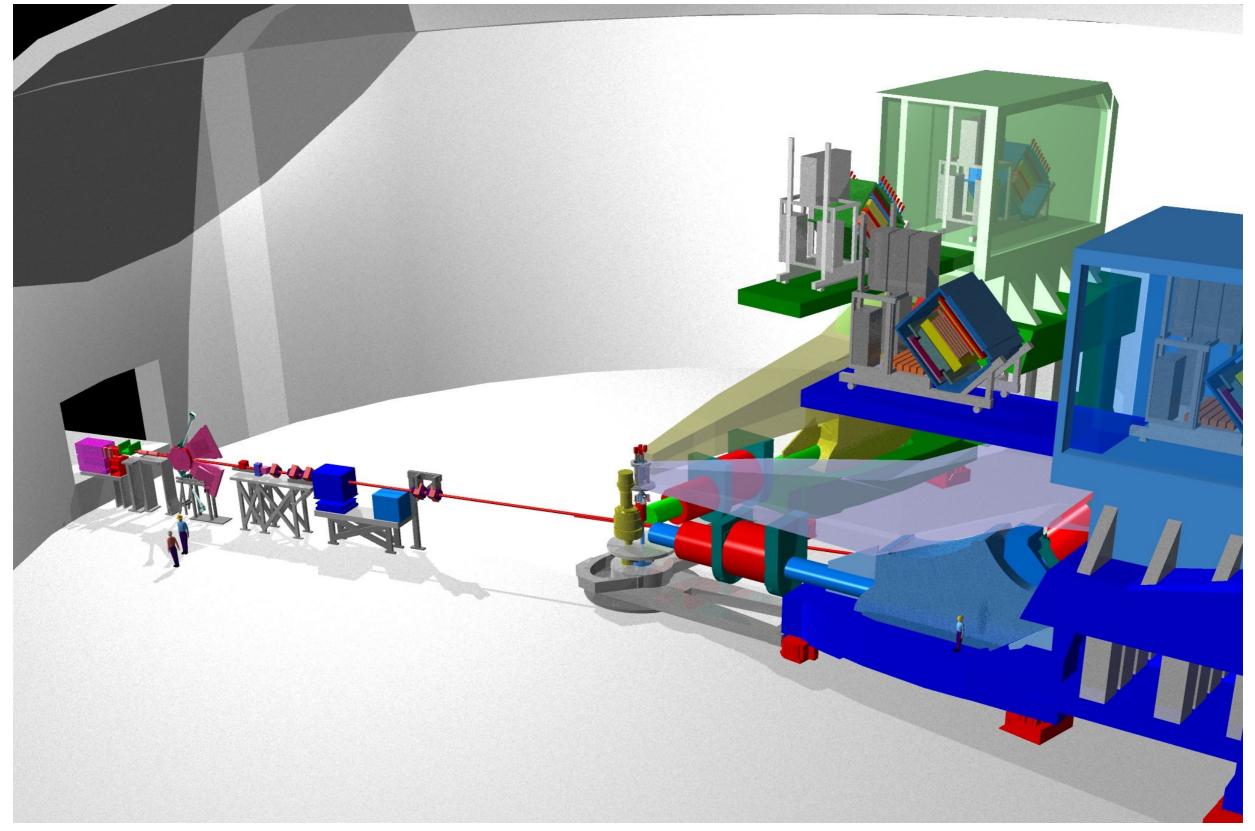
Compton Polarimetry in Hall A

Alexa Johnson

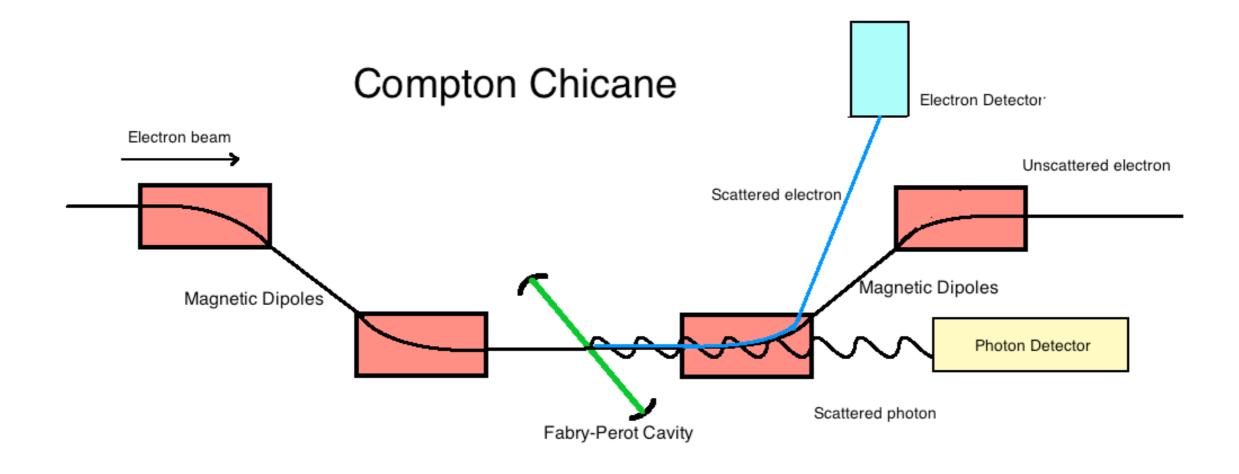




Hall A



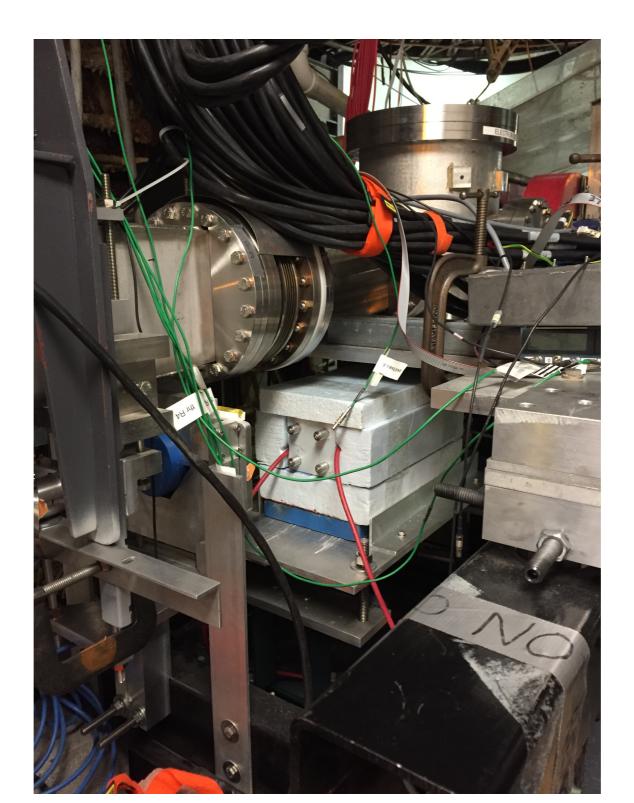
https://www.jlab.org/help/Ghelp/halla3d.html



- Polarized electrons scatter off polarized photons in a Fabry-Perot cavity
- Spin-dependent Compton scattering

Photon Detector

An array of 4, 3cm x 3cm x 20cm PbWO4 crystals



The polarimeter's response can be modeled using an accurate **Geant4** simulation, containing all relevant, physical beamline components :

- Photons corresponding to Compton-scattered photons are generated in the simulation, and sent through the PbWO4 crystal array.
- The energy deposited in the crystal is recorded.

The scattering cross section is:

$$\frac{d\sigma}{d\rho_{in}} = a \left(\frac{(\rho_{in}(1-a))^2}{1-\rho_{in}(1-a)} + \left(\frac{1-\rho_{in}(1+a)}{1-\rho_{in}(1-a)} \right)^2 + 1 \right)$$

$$o_{in} = \frac{E_{in}}{E_{max}}$$

$$a = \frac{1}{1 + \frac{4E_{ph}E_{beam}}{M_e^2}}$$

We define the spin-dependent cross sections as:

$$\left(\frac{d\sigma}{d\rho_{in}}\right)_{\pm} = \frac{d\sigma}{d\rho_{in}}(1\pm A)$$

 E_{in} = Scattered photon energy M_e = Electron mass E_{ph} = Laser photon energy E_{max} = Energy of Compton edge E_{beam} = Electron beam energy

Where:
$$A = \frac{a}{\frac{d\sigma}{d\rho_{in}}} (1 - \rho_{in}(1 + a)) \left(1 - \frac{1}{(1 - \rho_{in}(1 - a))^2}\right)$$

Experimentally, we do not have access to E_{in} , and see only the signal of an event in the detector, defined both aligned and anti-aligned spin events as:

$$S_{\pm}(\rho_{dep}) = \int d\rho_{in} R(\rho_{in}, \rho_{dep}) \frac{d\sigma}{d\rho_{in} \pm}$$

Define the signal dependent asymmetry as:

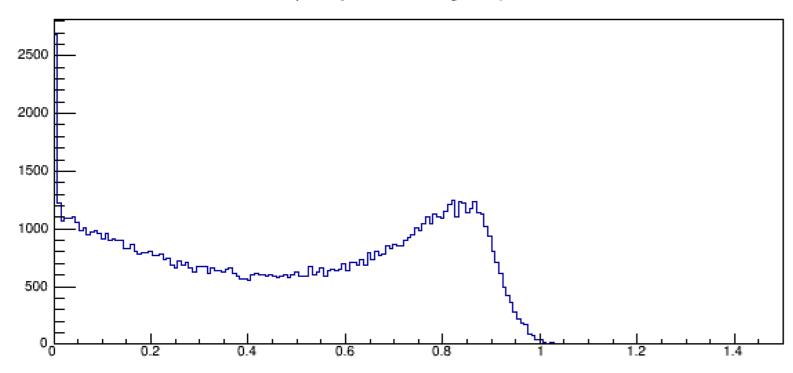
Compare to what we can measure experimentally:

$$A(\rho_{dep}) = \frac{S_{+}(\rho_{dep}) - S_{-}(\rho_{dep})}{S_{+}(\rho_{dep}) + S_{-}(\rho_{dep})}$$

$$A_{Exp} \equiv \frac{S^+ - S^-}{S^+ + S^-} = P_e P_\gamma A$$

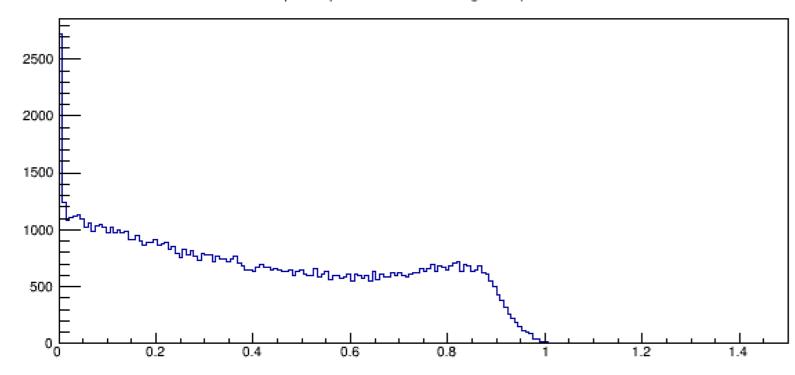
 $R(\rho_{in}, \rho_{dep})$ is the crystal's resolution function

Compton spectrum for alligned spin events



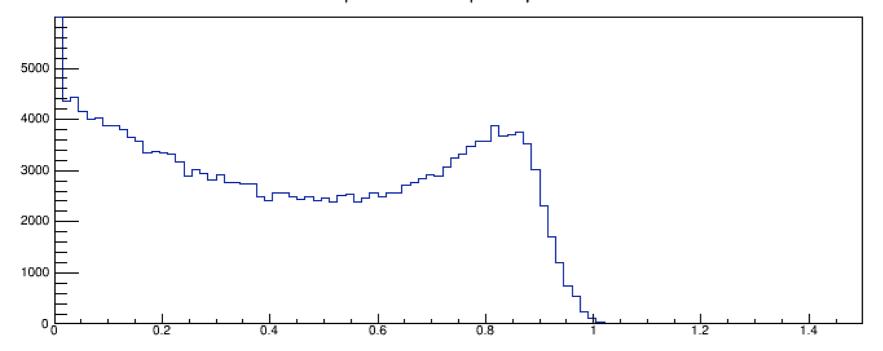
 $S_+(
ho_{dep})$ vs. ho_{dep}

Compton spectrum for anti-alligned spin events

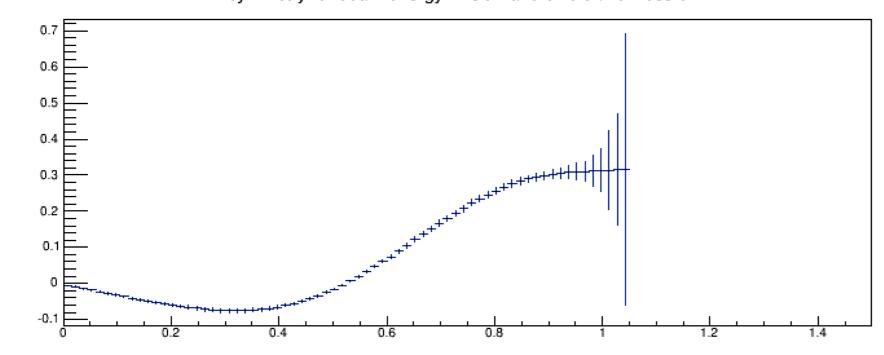


$$S_{-}(
ho_{dep})$$
 vs. ho_{dep}

Unpolarized Compton Spectrum



Asymmetry for beam energy 11GeV and shield thickness 3mm



$$S_+(\rho_{dep}) + S_-(\rho_{dep})$$

$$A(\rho_{dep}) = \frac{S_{+}(\rho_{dep}) - S_{-}(\rho_{dep})}{S_{+}(\rho_{dep}) + S_{-}(\rho_{dep})}$$

Measurements

Compton PMT signal leads to FADC, where three measurements are recorded:

My talk

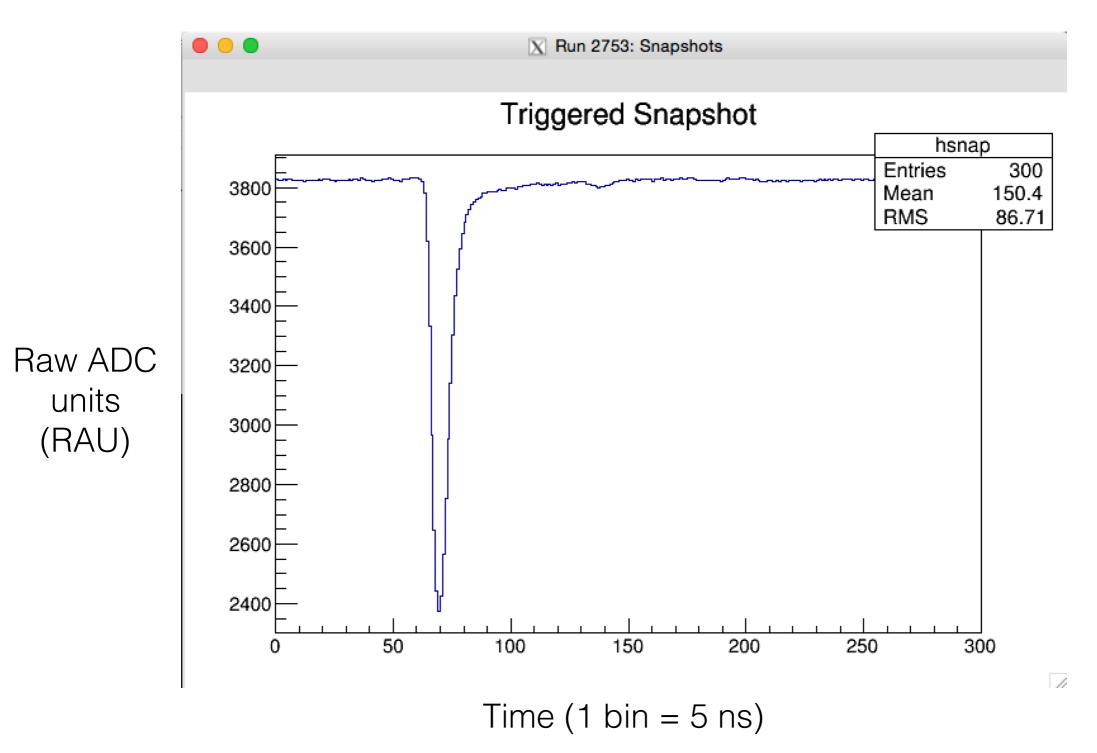
- 1. All individual PMT events
 - 2. Integrate PMT signal with **no** threshold
 - 3. Integrate PMT signal with **high** threshold

Larisa's talk

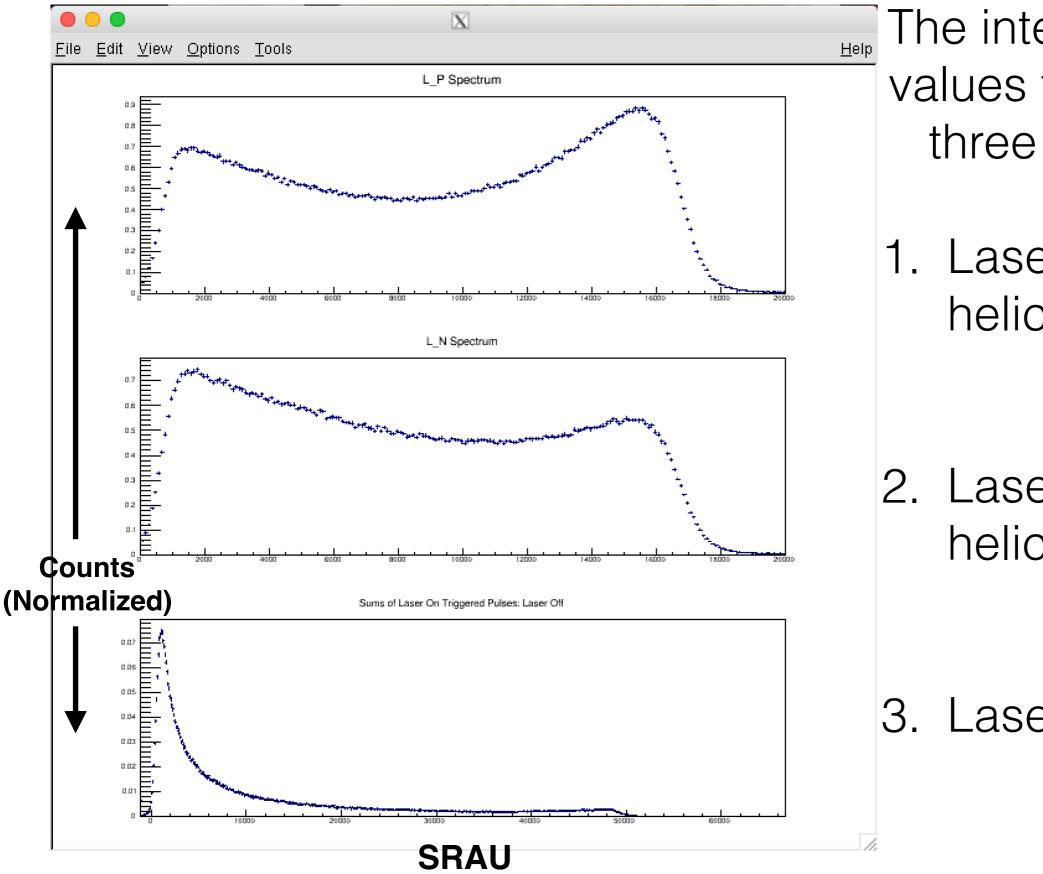
***Each method can be used to determine the electron beam polarization percentage.

Raw Data

PMT signal is integrated for each event in the run. (~200,000)



Making Histograms



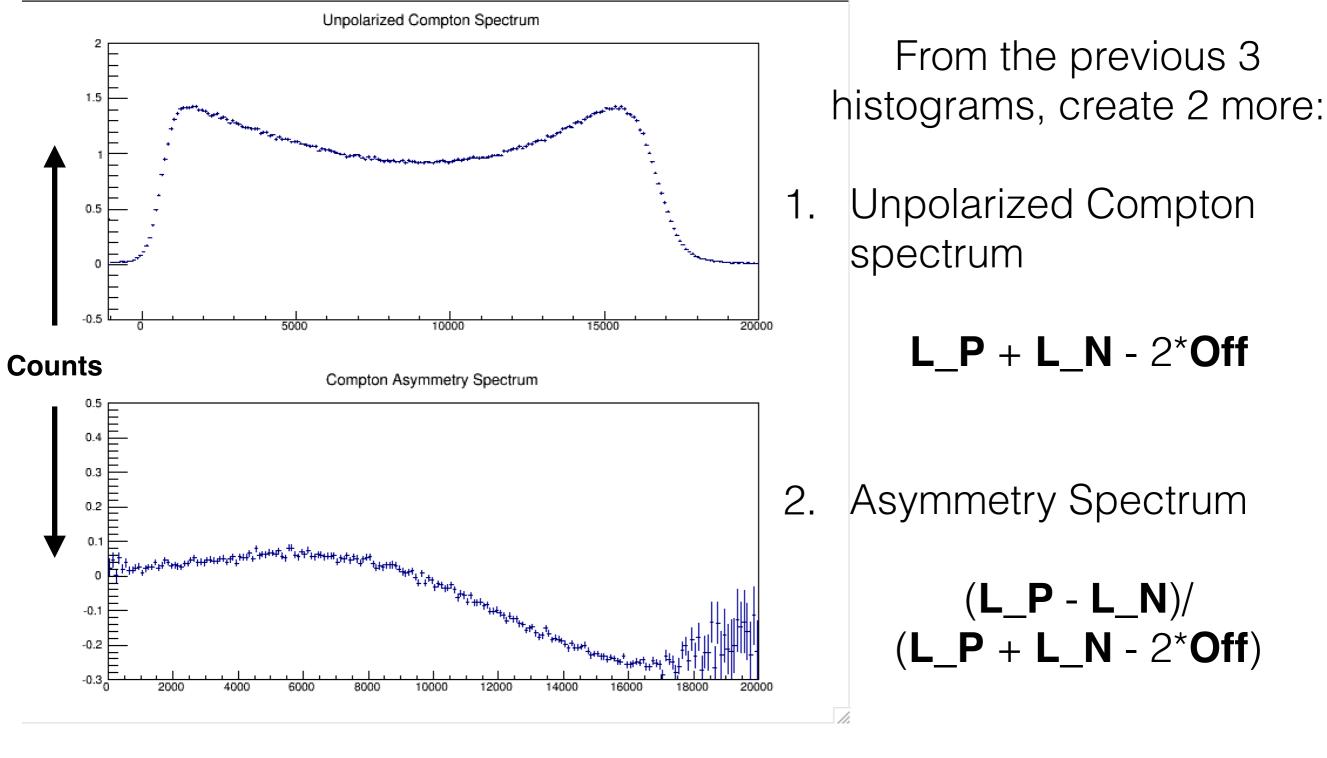
The integrated signal values then fill one of three histograms:

1. Laser **on**, beam helicity **positive** LP

2. Laser on, beam helicity **negative** LN

3. Laser off

More Histograms...



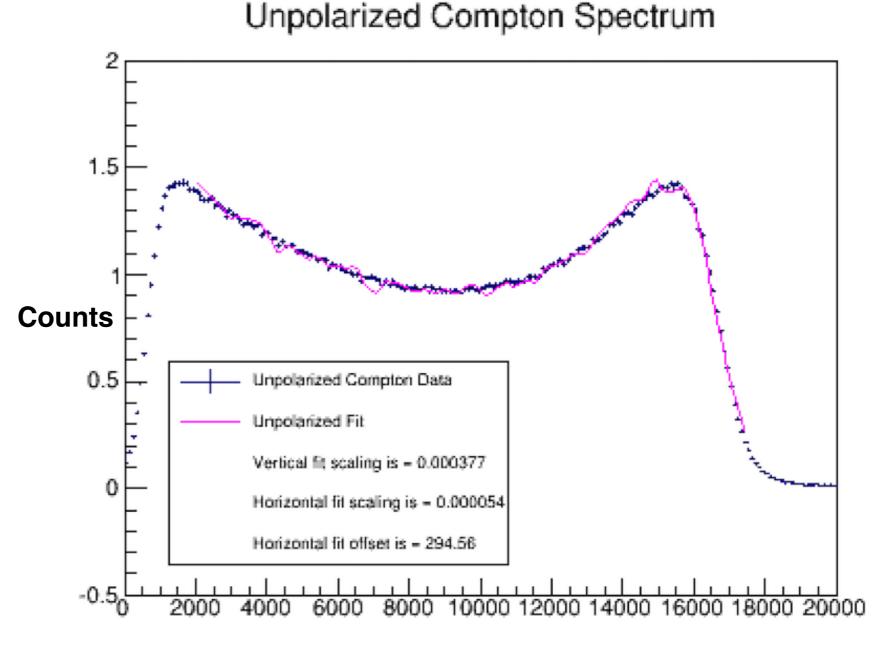
SRAU

Fitting Data...

Fit the unpolarized Compton spectrum data to the Monte Carlo with 3 parameters:

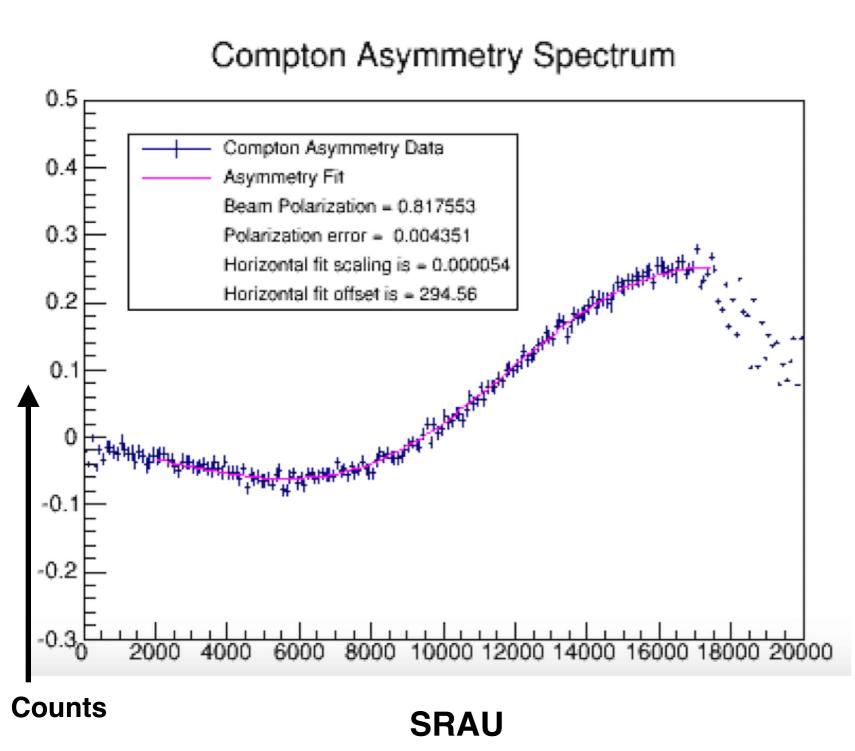
- 1. Vertical scaling
- Horizontal scaling (proportional to the PMT gain)

3. Horizontal offset



SRAU

Extracting Beam Polarization



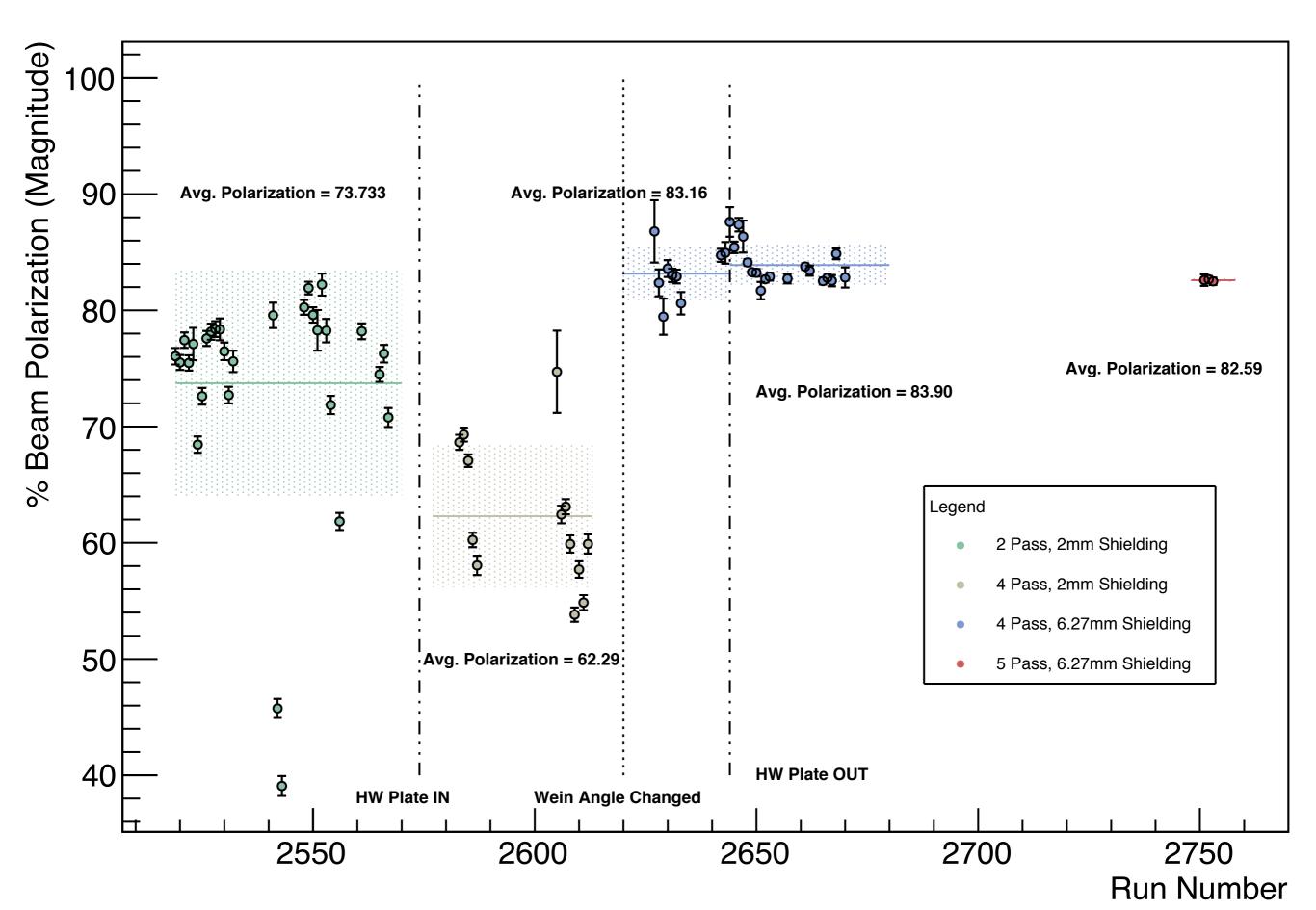
Fit asymmetry spectrum to Monte Carlo, again using 3 parameters, but fixing 2:

Fixed (from unpolarized fit):1. Horizontal Scaling2. Horizontal offset

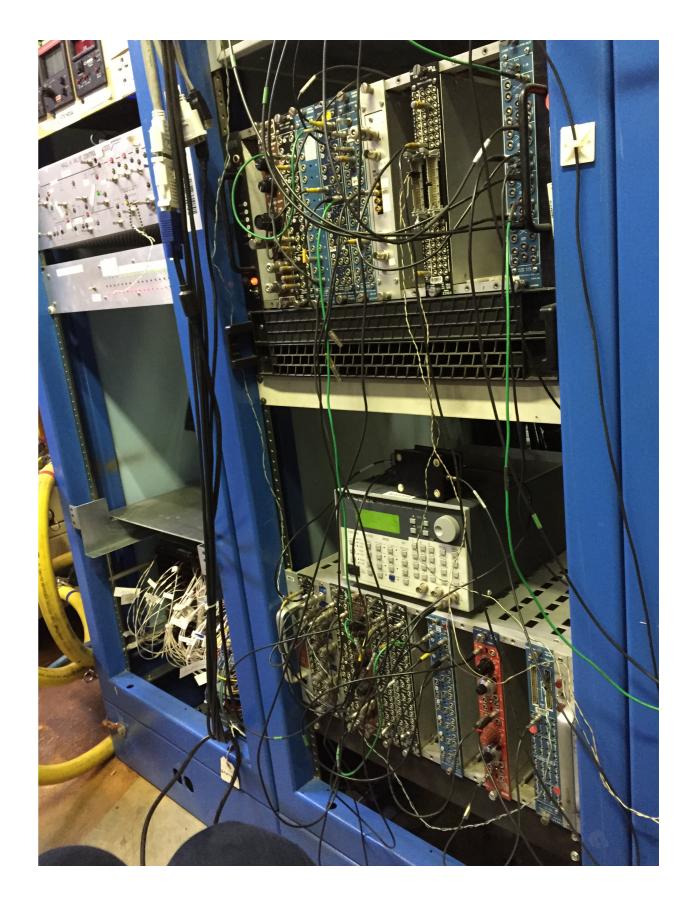
Free: 3. Vertical Scaling

Parameter 3 is just the **Beam Polarization**

Beam Polarization vs Run Number



Thank you!



And special thanks to: Gregg Franklin, Juan Carlos Cornejo, Larisa Thorne, Abel Sun, and Dave Gaskell