

Deeply Virtual Compton Scattering off ^4He :

Update on the analysis

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- Nuclear Physics Working Group -

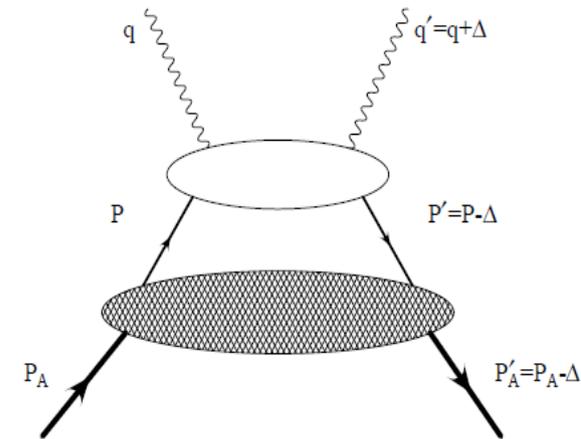
CLAS Collaboration Meeting (23-26 February 2016)

DVCS off nuclei

Two DVCS channels are accessible with nuclear targets:

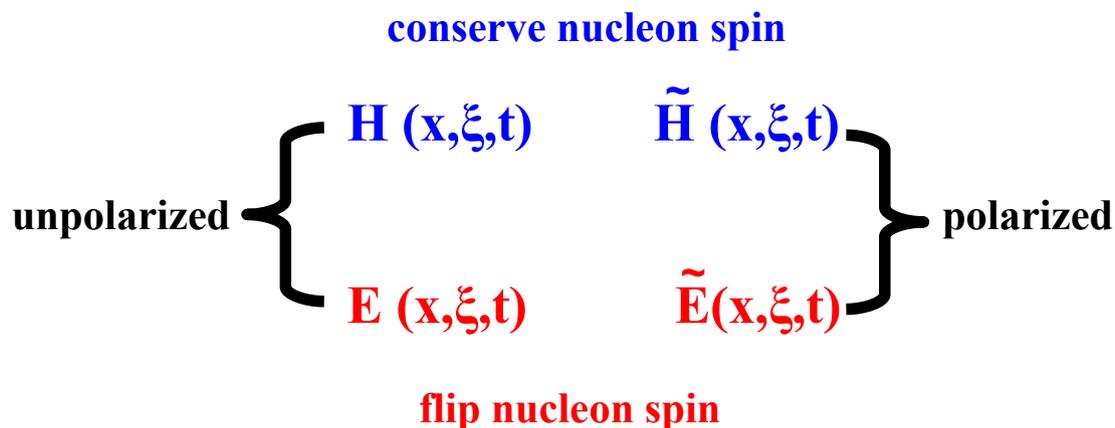
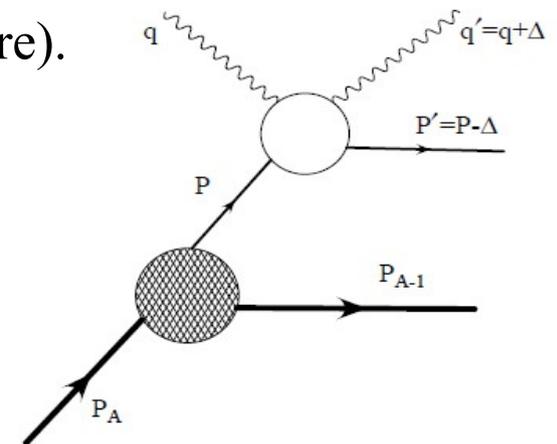
◇ Coherent DVCS: $e^- A \rightarrow e^- A \gamma$

- Study the partonic structure of the nucleus.
- **One chiral-even GPD** ($H_A(x, \xi, t)$) is needed to parametrize the structure of the **spinless nuclei** (^4He , ^{12}C , ^{16}O , ...).



◇ Incoherent DVCS: $e^- A \rightarrow e^- N \gamma X$

- The nucleus breaks and the DVCS takes place on a nucleon.
- Study the partonic structure of the bound nucleons (**4 chiral-even GPDs** are needed to parametrize their structure).



Nuclear spin-zero DVCS observables

The GPD H_A parametrizes the structure of the **spinless nuclei** (${}^4\text{He}$, ${}^{12}\text{C}$...)

$$\mathcal{H}_A(\xi, t) = \text{Re}(\mathcal{H}_A(\xi, t)) - i\pi \text{Im}(\mathcal{H}_A(\xi, t))$$

$$\text{Im}(\mathcal{H}_A(\xi, t)) = H_A(\xi, \xi, t) - H_A(-\xi, \xi, t)$$

$$\text{Re}(\mathcal{H}_A(\xi, t)) = \mathcal{P} \int_0^1 dx [H_A(x, \xi, t) - H_A(-x, \xi, t)] \left[\overline{\underline{C^+(x, \xi)}} \right]$$

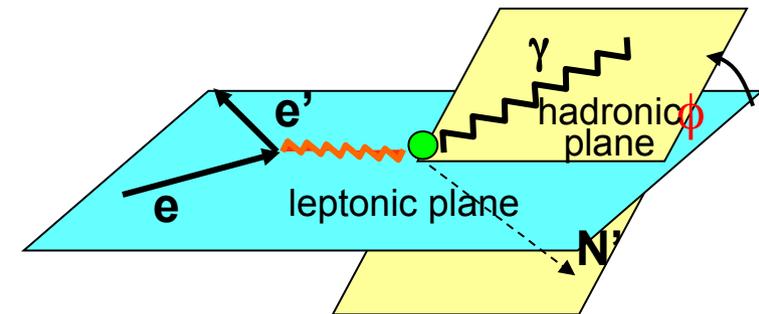
Quark propagator

$$C^+(x, \xi) = \frac{1}{x - \xi} + \frac{1}{x + \xi}$$

→ Beam-spin asymmetry ($A_{LU}(\phi)$) : (+/- beam helicity)

$$A_{LU}(\phi) = \frac{1}{P_B} \frac{N^+ - N^-}{N^+ + N^-}$$

$$= \frac{x_A(1 + \epsilon^2)^2}{y} s_1^{INT} \sin(\phi) \left/ \left[\sum_{n=0}^{n=2} c_n^{BH} \cos(n\phi) + \frac{x_A^2 t(1 + \epsilon^2)^2}{Q^2} P_1(\phi) P_2(\phi) c_0^{DVCS} + \frac{x_A(1 + \epsilon^2)^2}{y} \sum_{n=0}^{n=1} c_n^{INT} \cos(n\phi) \right] \right.$$



CLAS - E08-024 experimental Setup



6 GeV,
L. polarized

Beam polarization (P_B) = 83%

- CLAS:

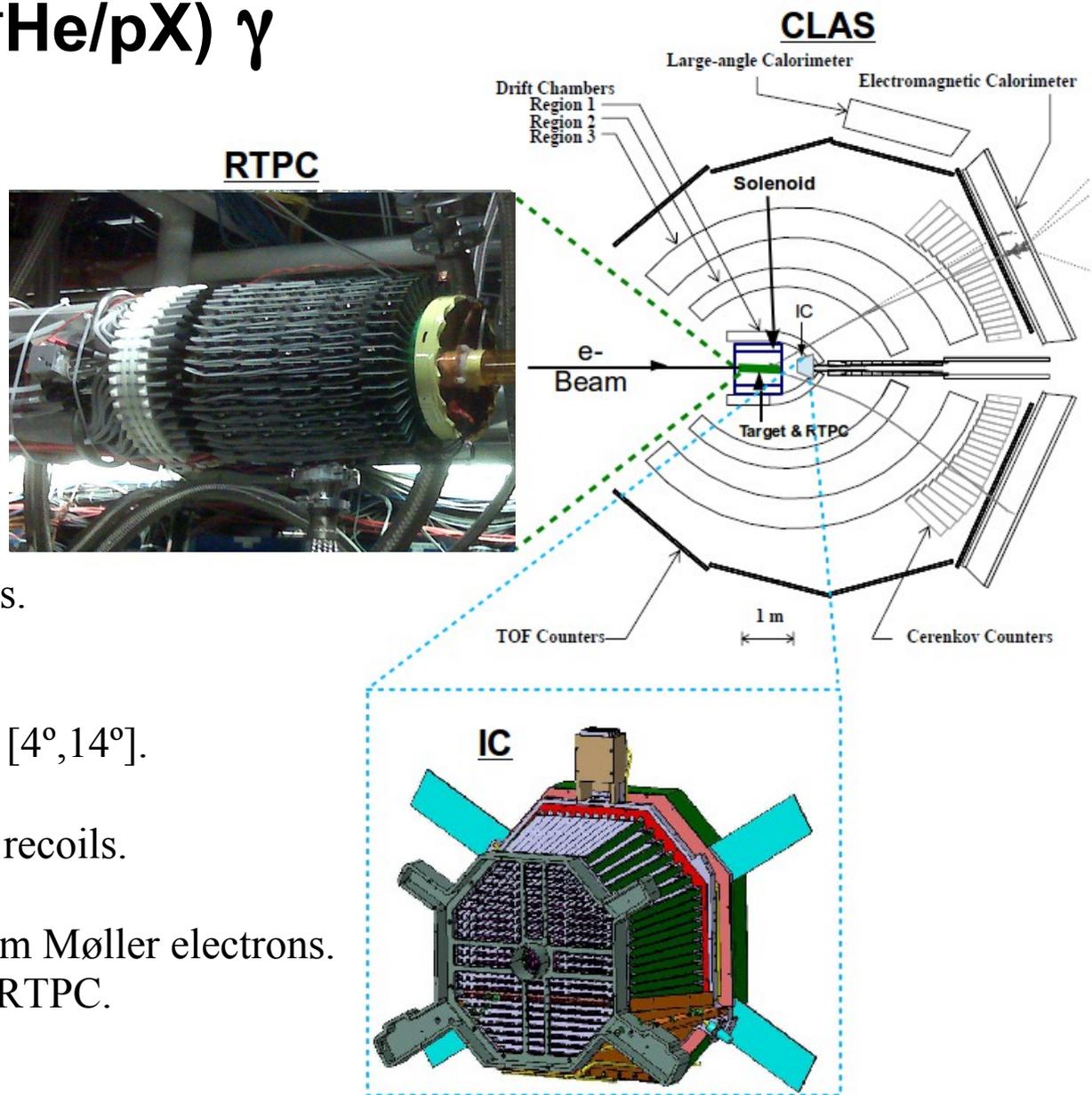
- Superconducting **Torus** magnet.
- 6 independent sectors:
 - **DCs** track charged particles.
 - **CCs** separate e^-/π^- .
 - **TOF Counters** identify hadrons.
 - **ECs** detect γ , e^- and n [$8^\circ, 45^\circ$].

- **IC:** Improves γ detection acceptance [$4^\circ, 14^\circ$].

- **RTPC:** Detects low energy nuclear recoils.

- **Solenoid:** - Shields the detectors from Møller electrons.
- Enables tracking in the RTPC.

- **Target:** ^4He gas @ 6 atm, 293 K



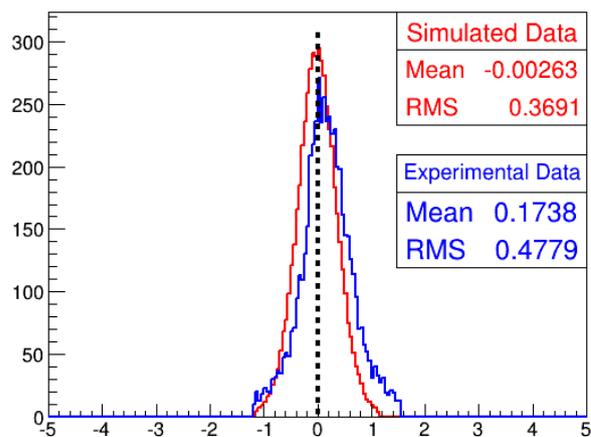
Coherent DVCS events selection

◇ Only one e^- , at least 1γ and only one good ${}^4\text{He}$.

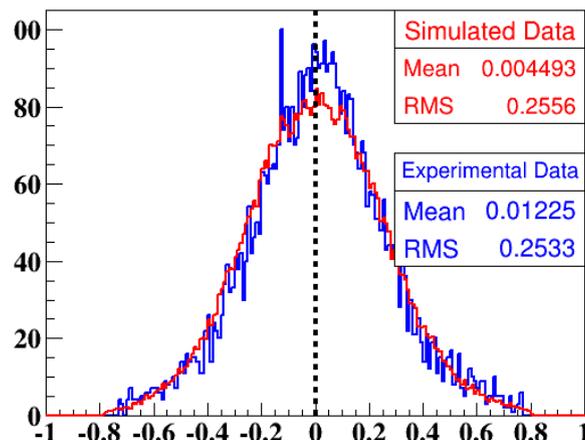
◇ $E_\gamma > 2 \text{ GeV}$, $W > 2 \text{ GeV}/c^2$ and $Q^2 > 1 \text{ GeV}^2$.

◇ Exclusivity cuts (3 sigmas).

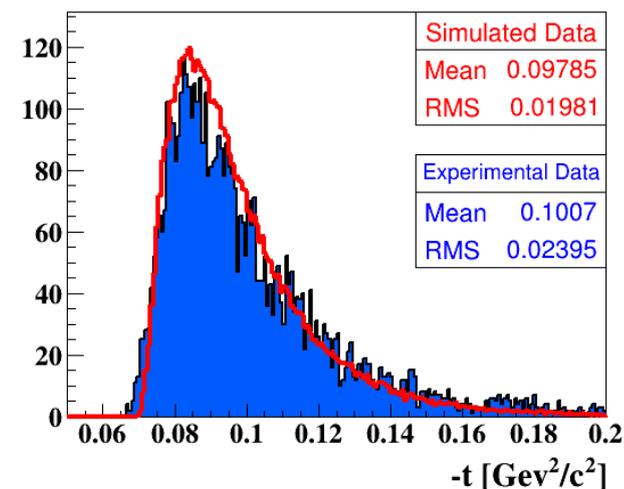
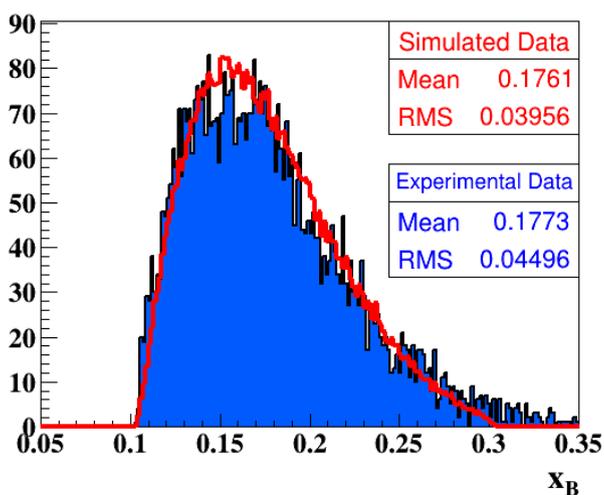
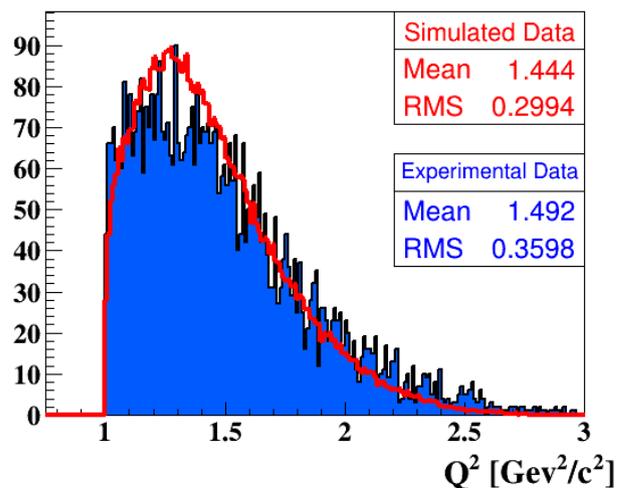
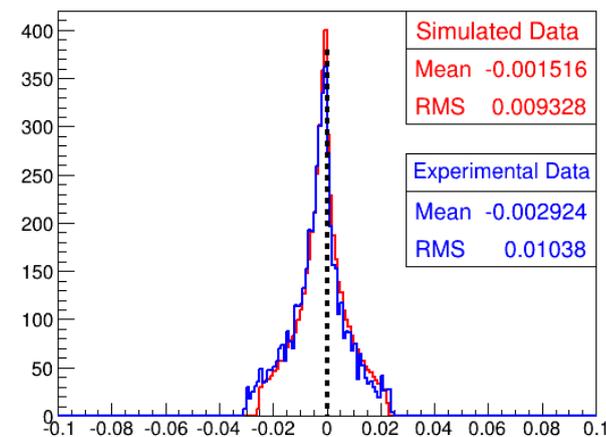
$(\gamma, \gamma^*): (\gamma^*, {}^4\text{He}) :: \Delta \phi \text{ [Deg.]}$



$e^4\text{He} \gamma$: Missing E [GeV]

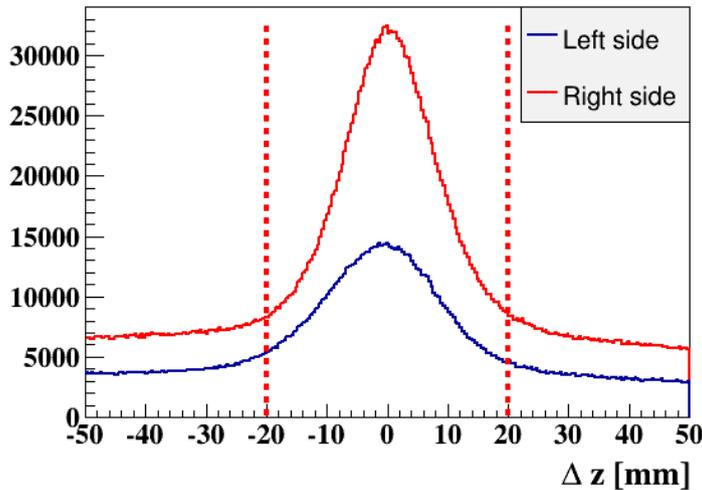


$e^4\text{He}\gamma$: Missing $M^2 \text{ [GeV}^2/c^4]$

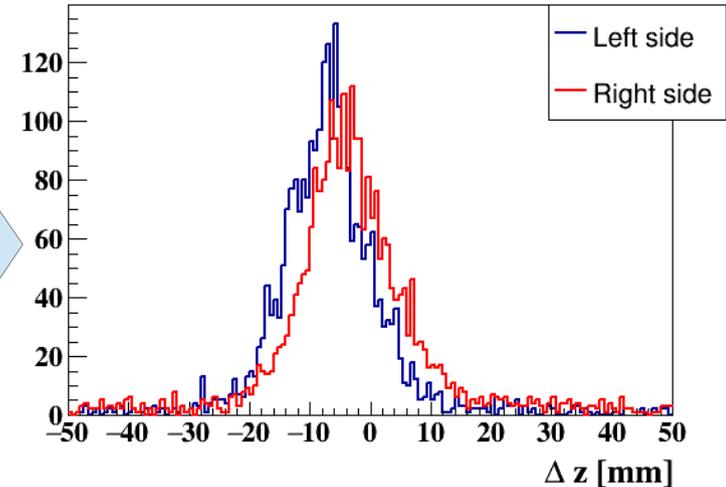


Coherent checking: accidental contaminations

Motivation: accidental contamination



Identifying the coherent DVCS events via the exclusivity cuts without any initial constrain on Δz



Number of coherent DVCS events		
Δz [mm]	Left module	Right module
[-50:-30]	42	77
[-20:20]	2741	2856
[30:50]	34	78
Contamination percentage	2.7%	5.4%

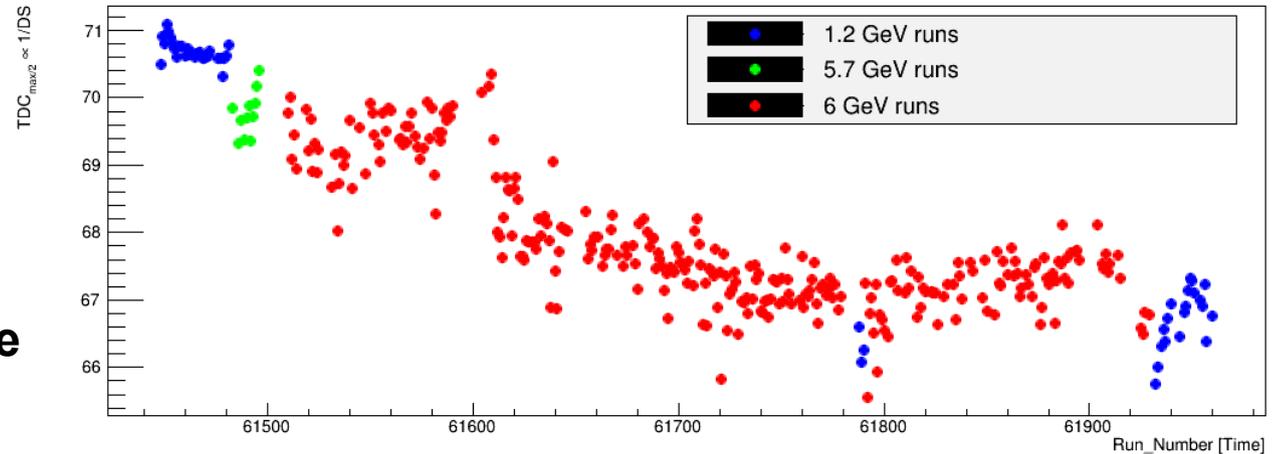
- A global contamination of 4.1%
- Correct the reconstructed asymmetries:

$$A_{LU \text{ corr.}} = \frac{1}{1 - \text{contamination}} A_{LU}$$

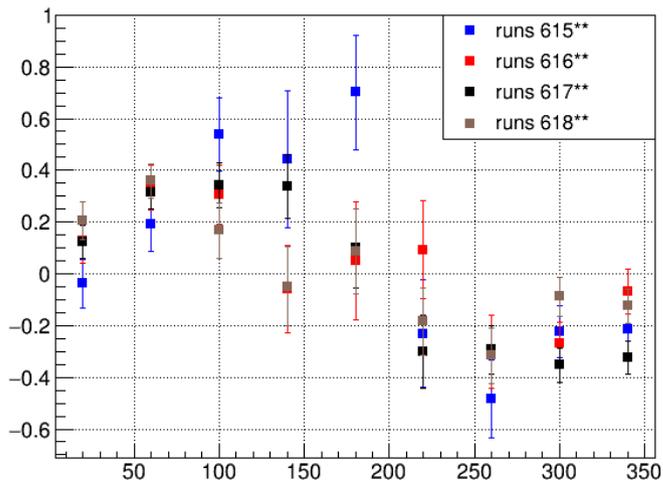
Coherent checking: Time dependence

Motivation: some aspects of the RTPC calibration, such as the **drift speed**, have shown a time dependence.

Checking: we carried out the DVCS analysis for different groups of runs that exhibit similar trends in the drift speed.



Coherent channel: A_{LU} vs. ϕ



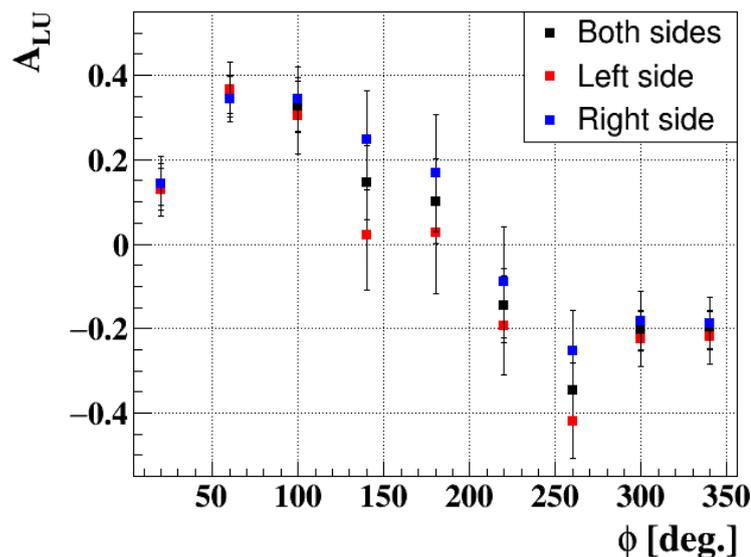
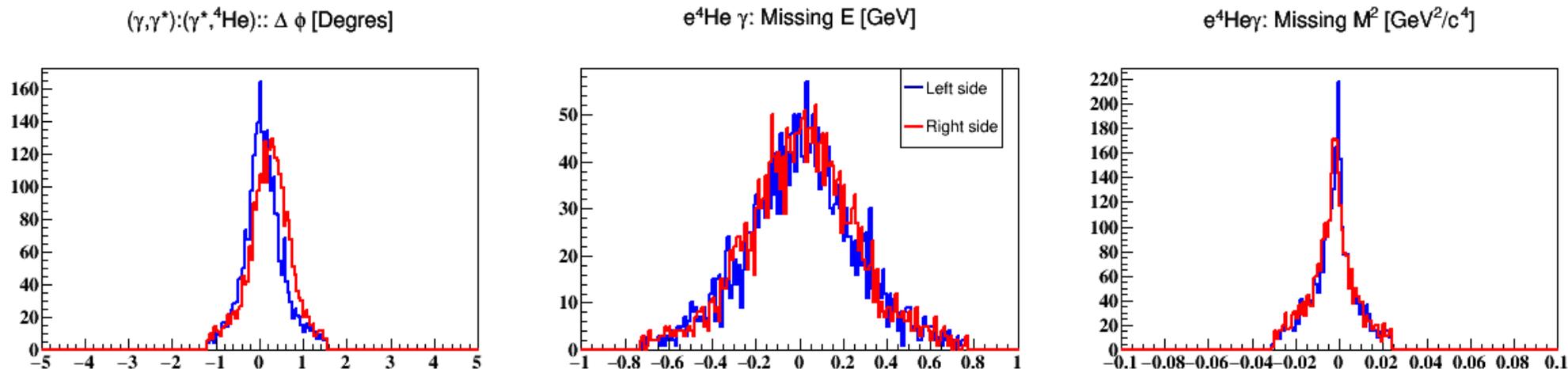
Within the given statistics:

- Compatible reconstructed asymmetries.
- No time-dependence



Coherent checking: Left/Right Modules of the RTPC

Motivation: the two modules of the RTPC has shown **slightly different yields** in terms of the initial reconstructed tracks, that **should not affect the reconstructed beam-spin asymmetries**.



Left/Right modules have:

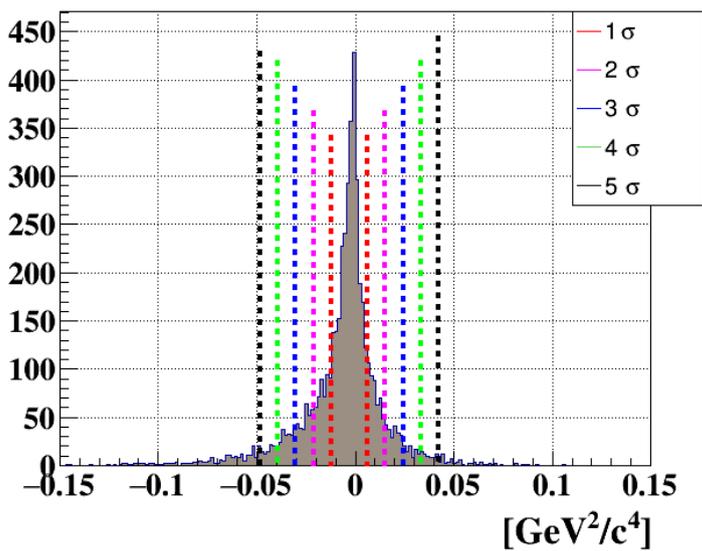
- Similar performances in terms of the DVCS.
- Compatible reconstructed asymmetries

Coherent checking: DVCS cuts

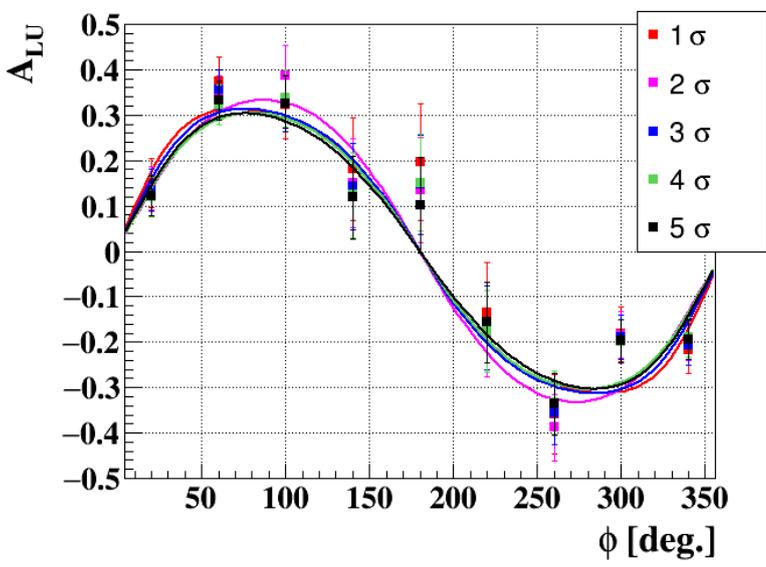
Motivation: Systematic uncertainty stemming from the DVCS selection cuts.

Check: Fix 3σ cuts on all the exclusivity cuts and changing the width of eHey missing mass squared.

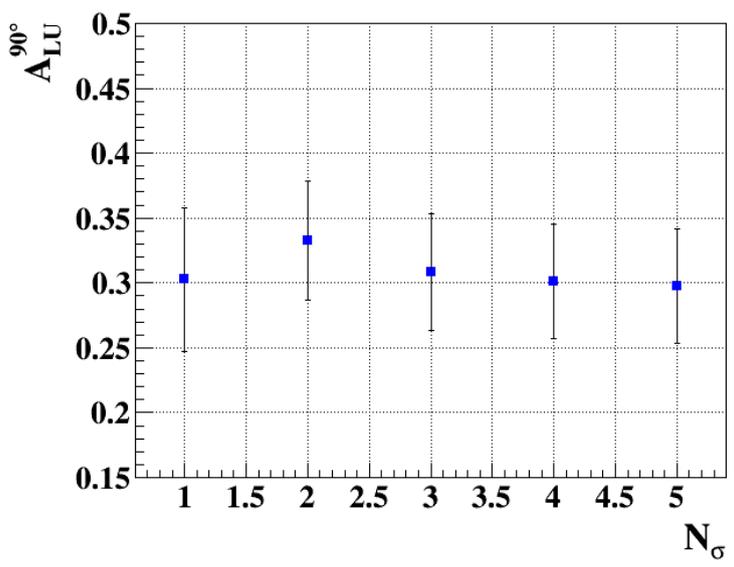
e⁴HeyX: Missing M²



Coherent A_{LU}



Coherent channel: A_{LU}^{90°} vs. N_σ

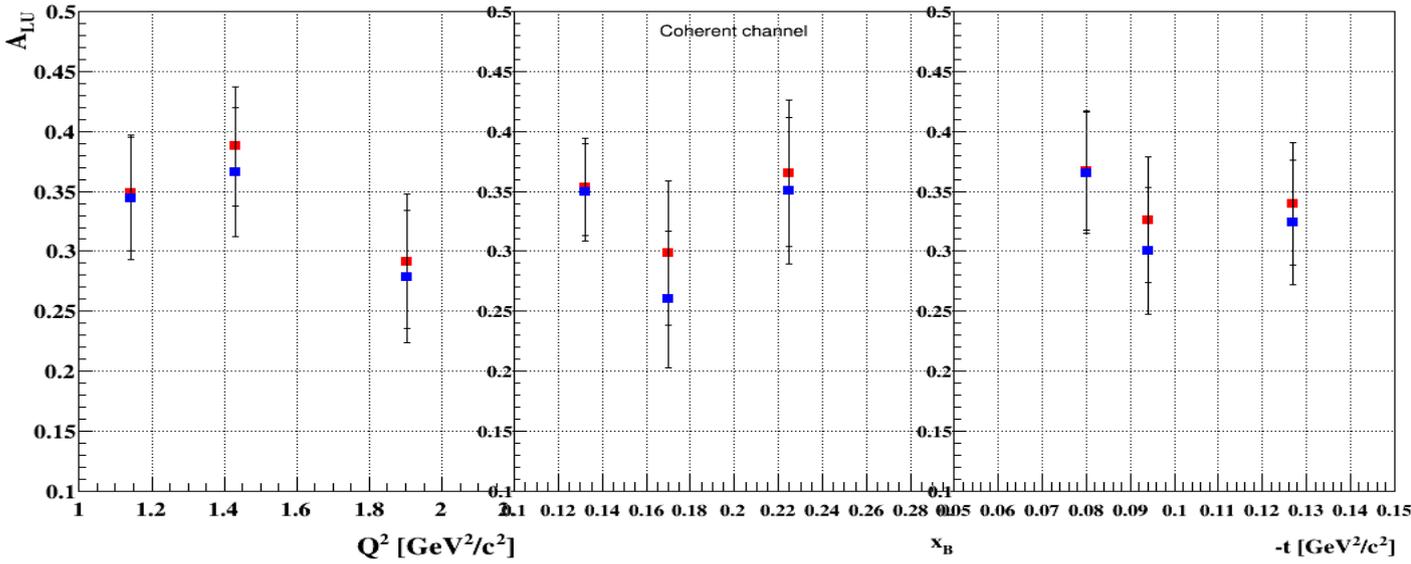
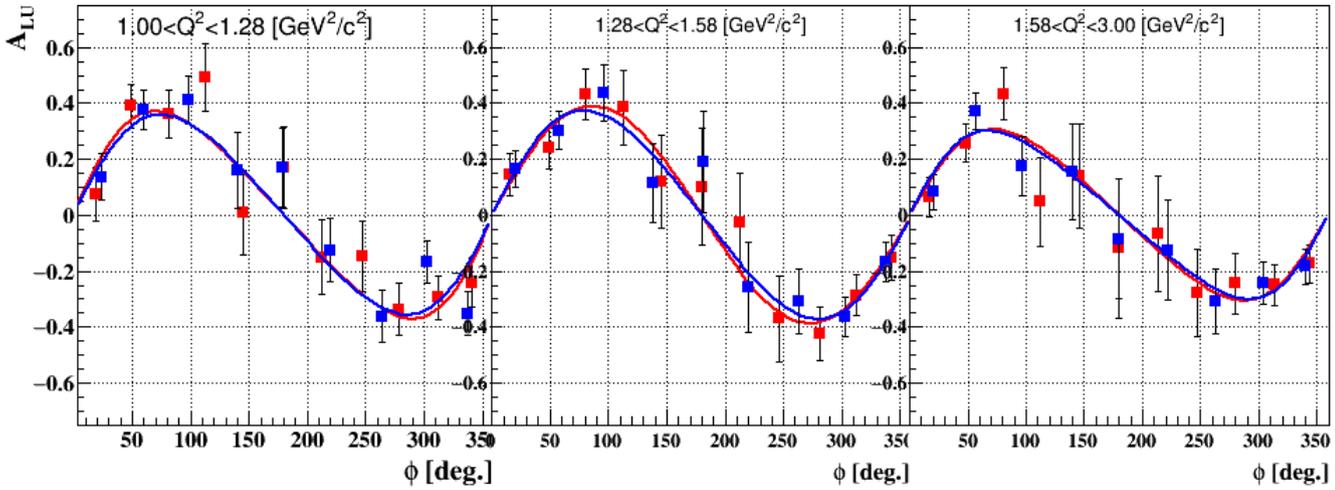


8% global systematic uncertainties

Coherent checking: Binning DVCS data

Motivation: systematic uncertainty stemming from the DVCS events in φ .

Check: perform two sets of binning in ϕ -> watch the reconstructed asymmetries.

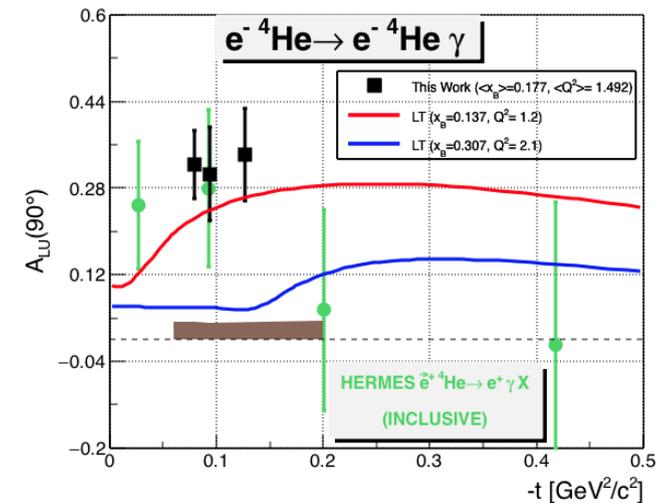
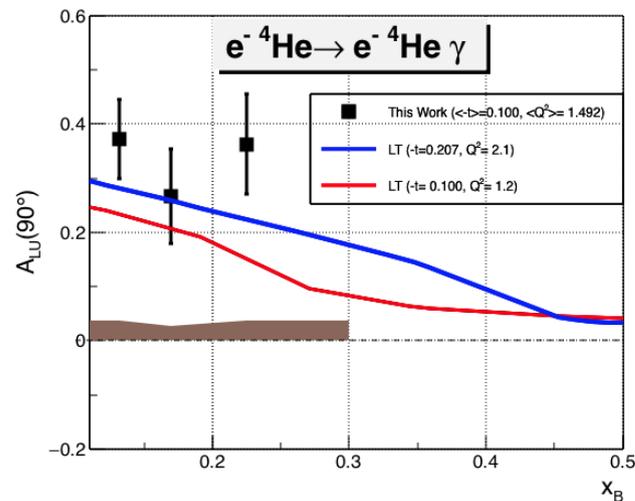
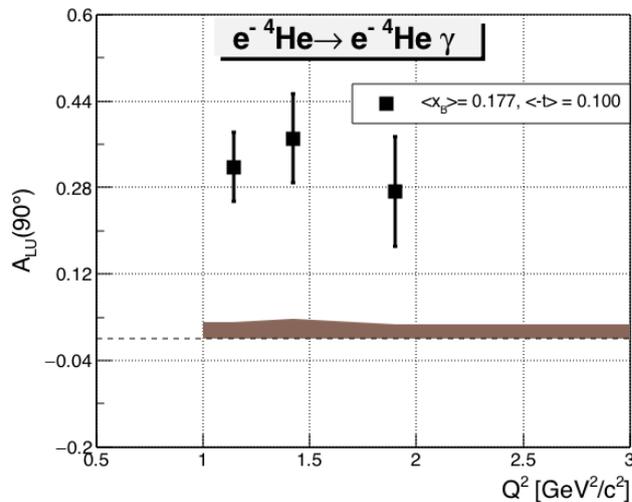
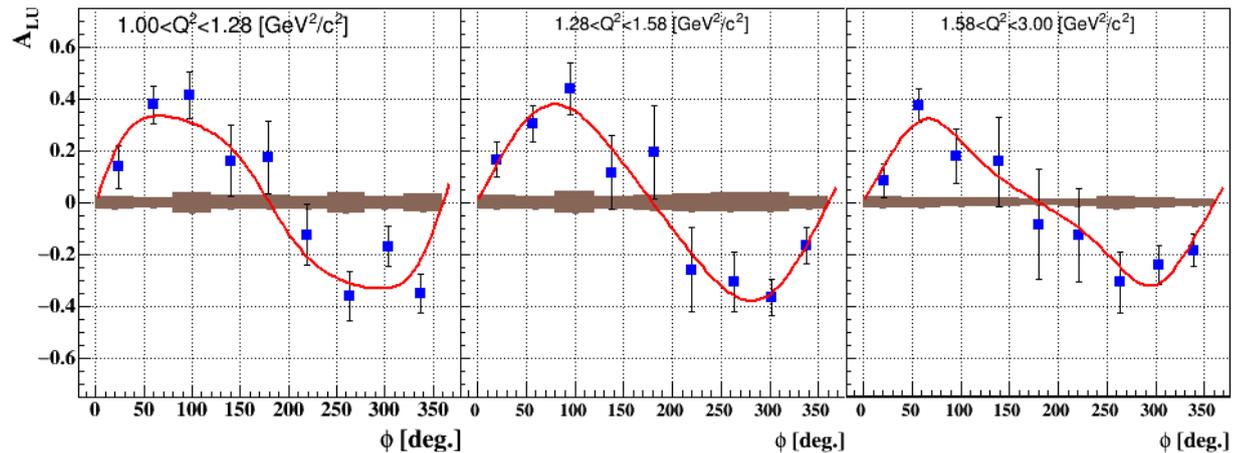
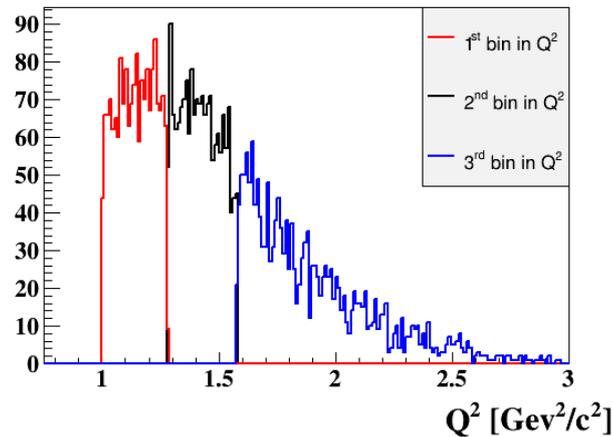


5.1% global systematic uncertainties



Coherent beam-spin asymmetries

- Due to **statistical constraints**, we construct **2D** bins -t or x_B or Q^2 versus ϕ
- Fit A_{LU} signals: $\alpha * \sin(\phi) / (1 + \beta * \cos(\phi) + \eta * \cos(2\phi))$



LT: S. Liuti and S. K. Taneja, PRC 72 (2005) 034902.

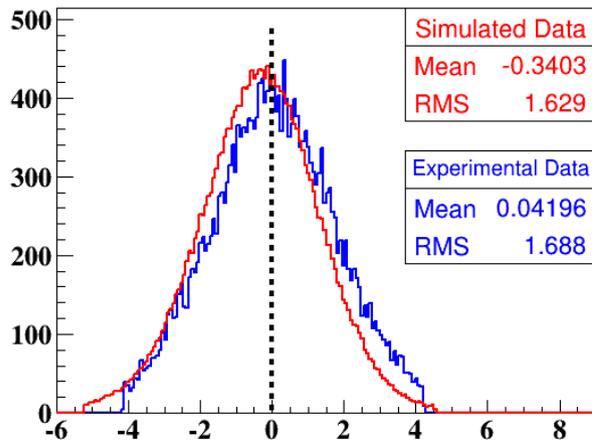
HERMES: A. Airapetian, et al., Phys. Rev. C 81, 035202 (2010).

Incoherent DVCS events selection

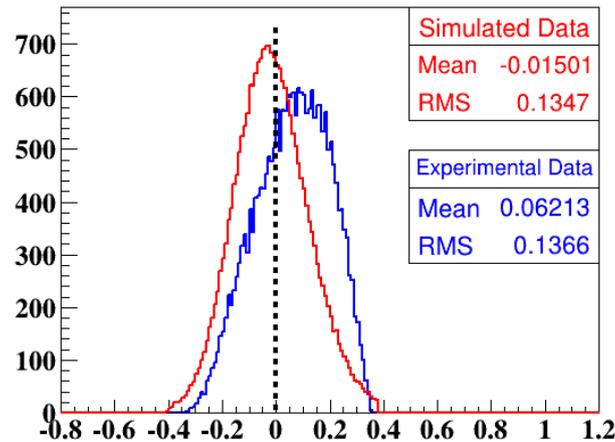
- ◇ Only one e^- , at least 1γ and only one good p .
- ◇ $E_\gamma > 2 \text{ GeV}$, $W > 2 \text{ GeV}/c^2$ and $Q^2 > 1 \text{ GeV}^2$.

- ◇ Exclusivity cuts (3 sigmas).

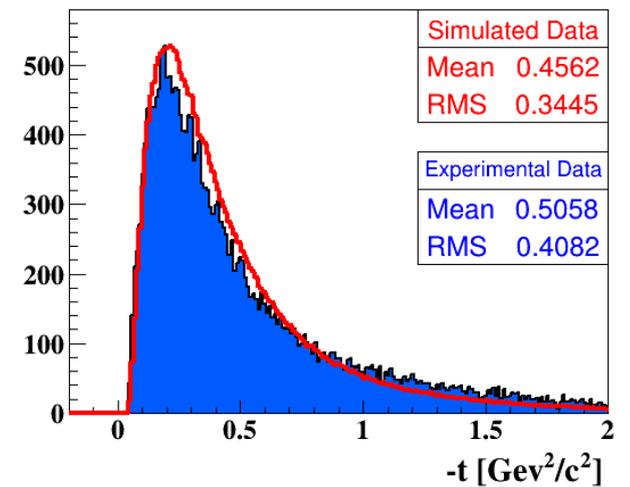
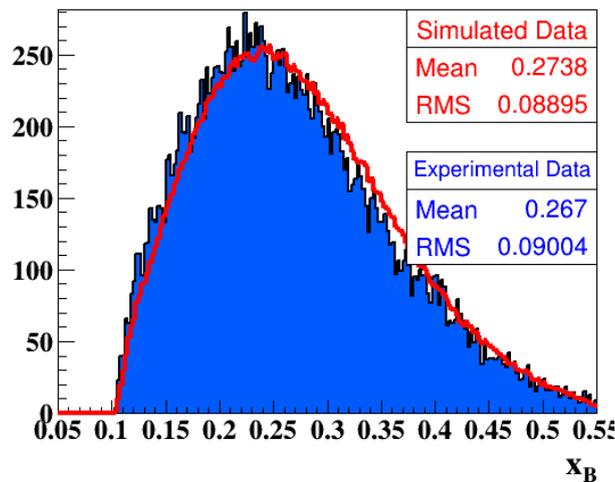
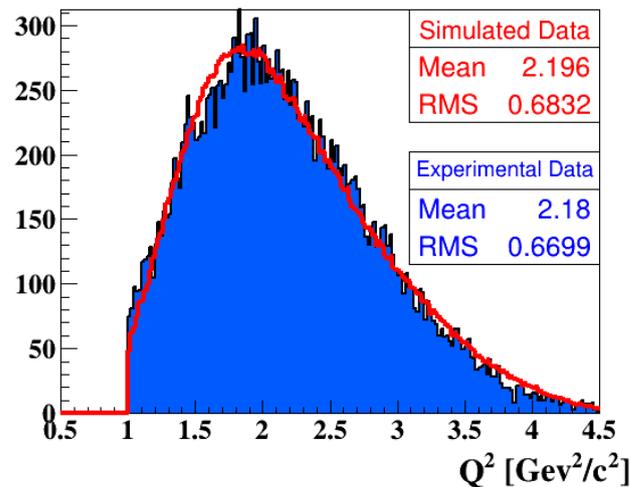
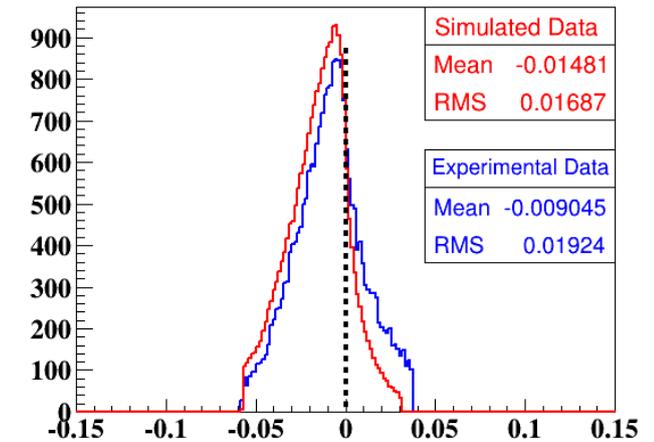
$(\gamma, \gamma^*):(\gamma^*, p) :: \Delta \phi$ [Deg.]



e'p γ : Missing E [GeV]



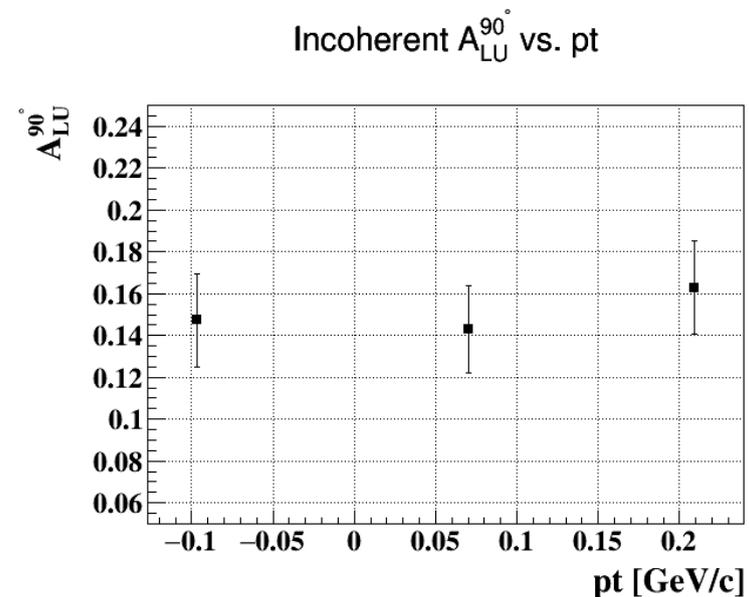
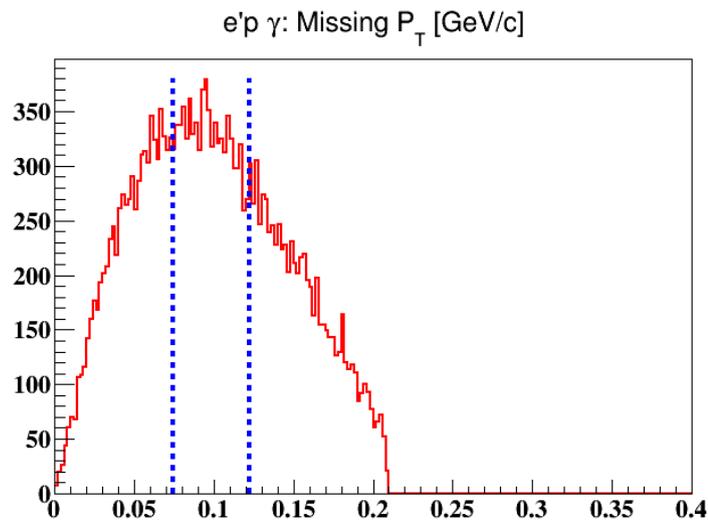
e'p γ : Missing M^2 [GeV/c]



Incoherent checking: FSI

- The previously presented checks for the coherent DVCS were performed on the incoherent channel with **similar conclusions**. Additional effects may affect the incoherent rather than the coherent, such as the **final state interactions**.

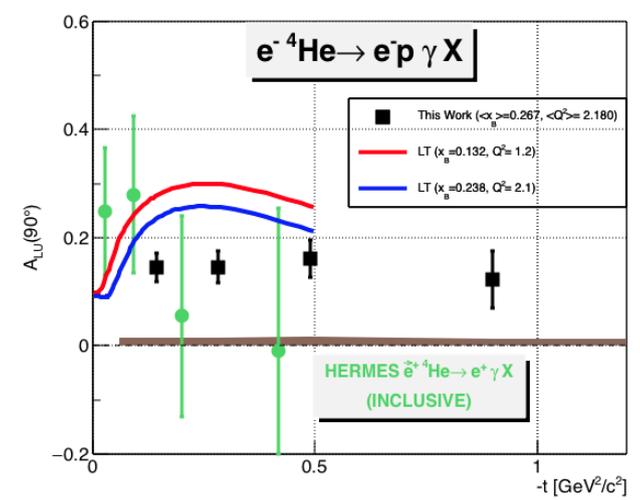
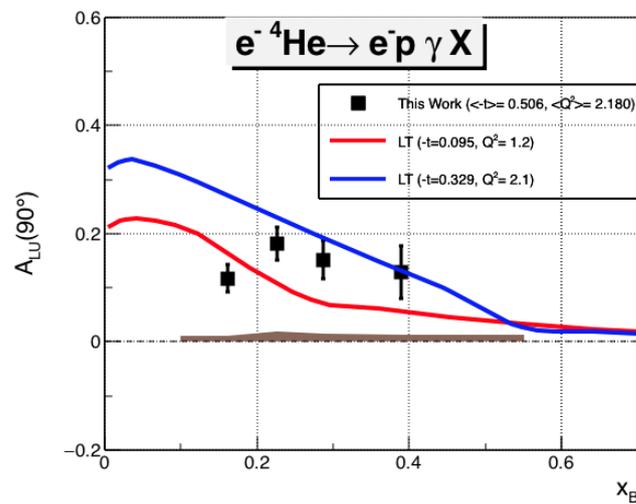
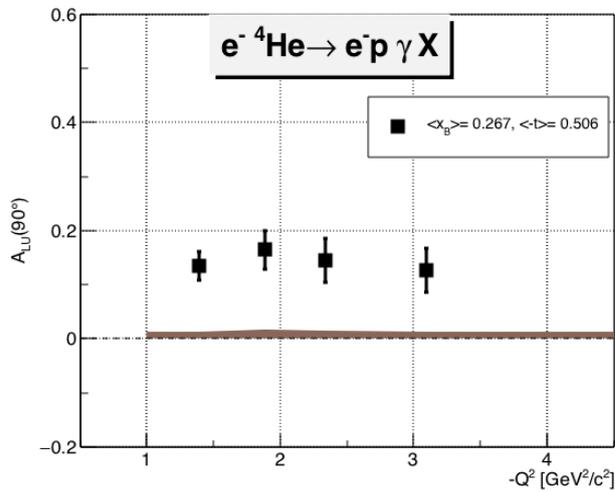
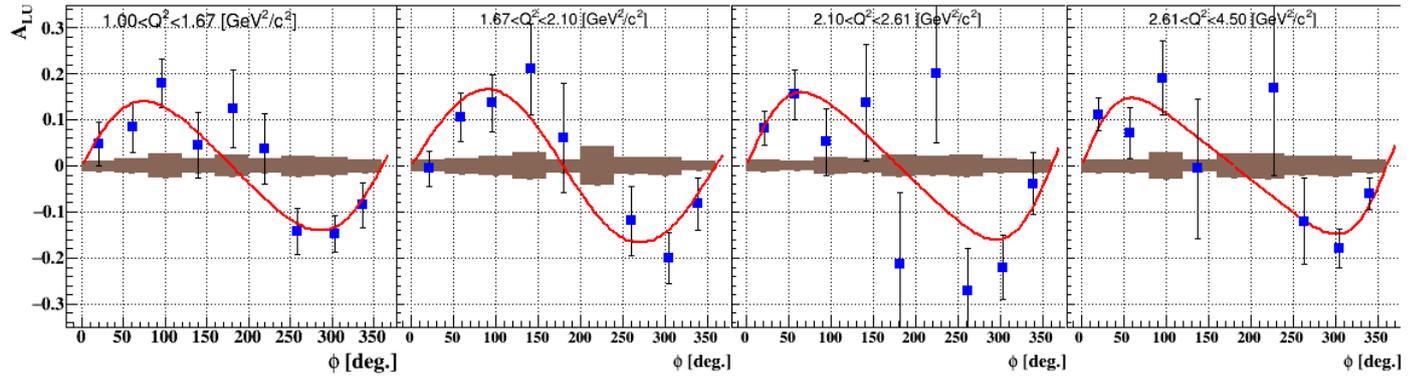
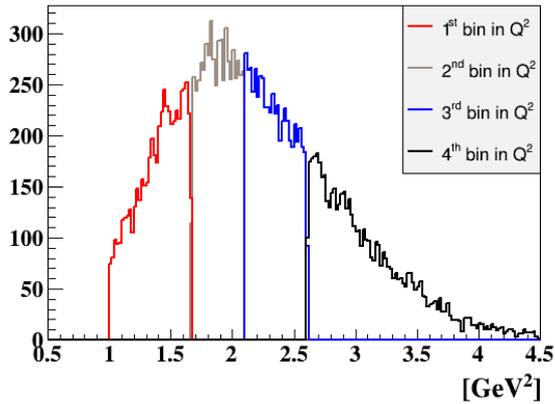
Check: construct bins in the missing p_T -> watch the reconstructed asymmetries.



The incoherent asymmetries are consistent and so the FSI seem to have no big effects on the measured asymmetries

Incoherent beam-spin asymmetries

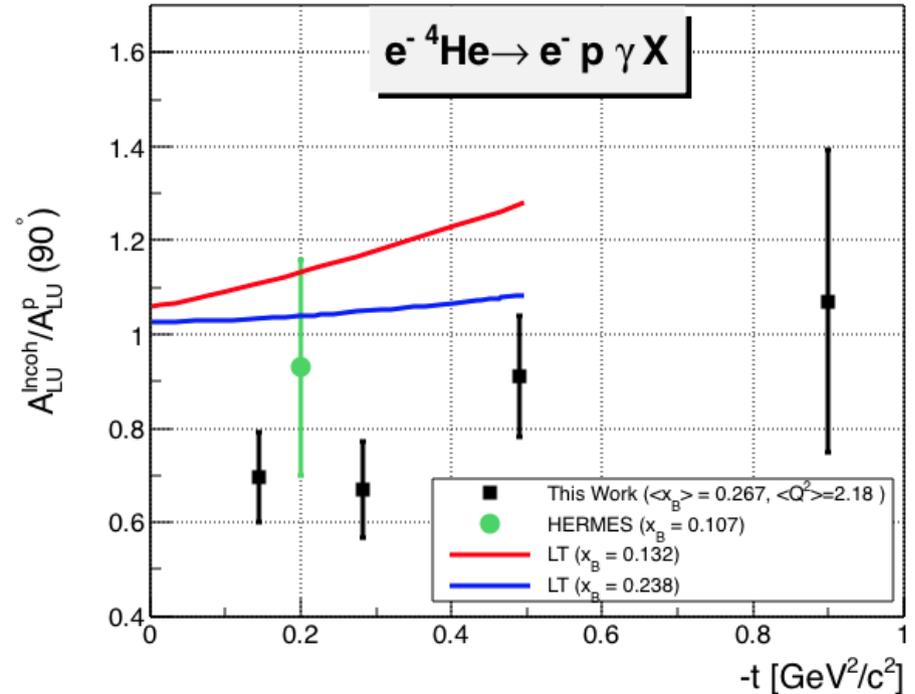
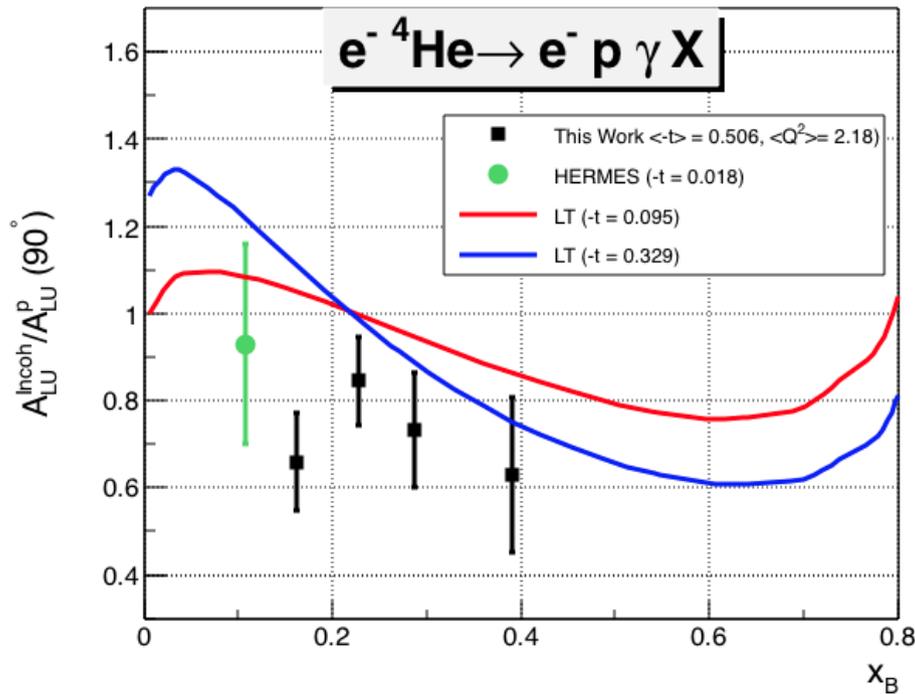
Q^2 of epy events



- [1] LT: S. Liuti and S. K. Taneja. Phys. Rev., C72:032201, 2005.
 [2] A. Airapetian, et al., Phys Rev. C 81, 035202 (2010).

EMC ratio (1/2)

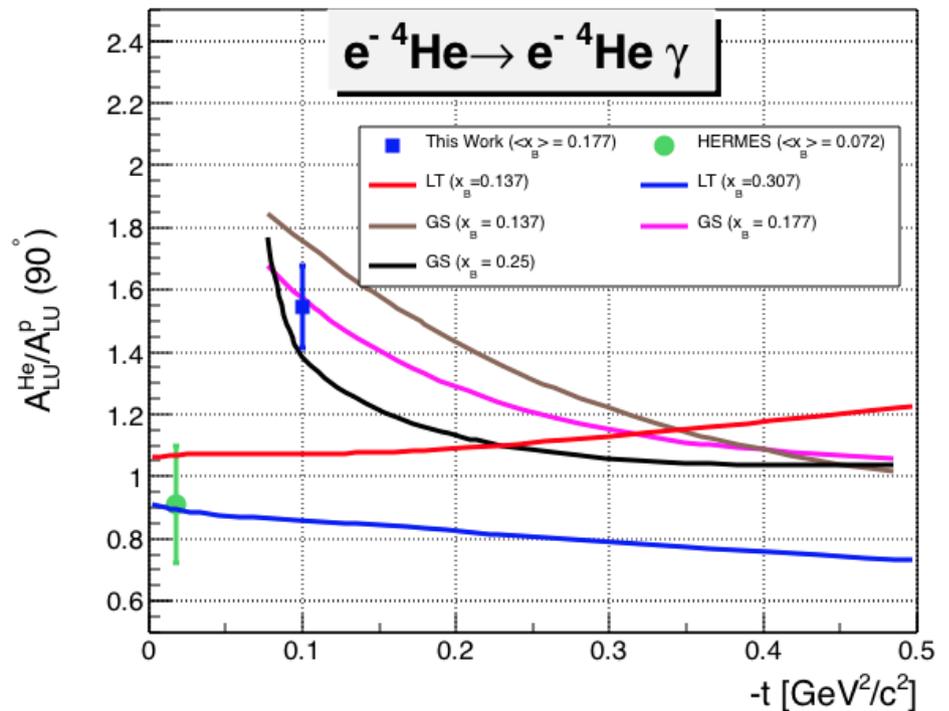
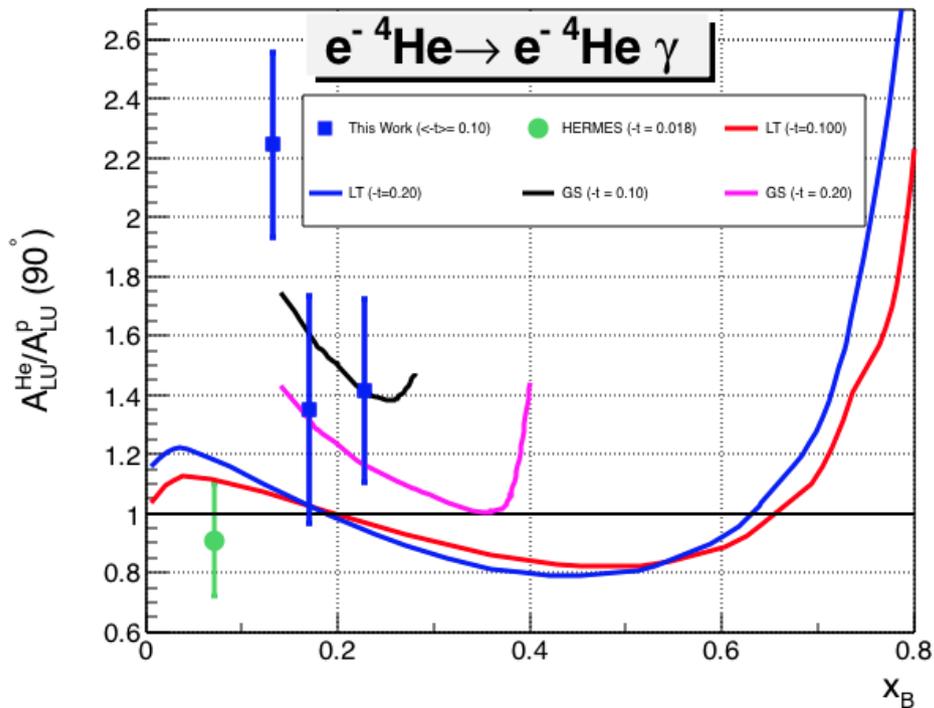
◇ Comparing our measured incoherent asymmetries with the asymmetries measured in CLAS DVCS experiment on the proton.



- ◇ The bound proton shows a lower asymmetry relative to the free one in the different bins in x_B .
- ◇ At small $-t$, the bound proton shows lower asymmetry than the free one.
- ◇ At high $-t$, the two asymmetries are compatible.

EMC ratio (2/2)

◇ Comparing the coherent asymmetries to the free proton ones:



- Consistent with the enhancement predicted by the Impulse approximation model [V. Guezy et al., PRC 78 (2008) 025211]
- Does not match the inclusive measurement of HERMES.
- Additional nuclear effects have to be taken into account in the nuclear spectral function calculations. [S. Liuti and K. Taneja. PRC 72 (2005) 032201]



Conclusions

◇ CLAS – E08-024 experiment:

- The first exclusive measurement of DVCS off ^4He .
- The coherent DVCS shows a stronger asymmetry than the free proton as was expected from theory.
- We extracted EMC ratios and compared them with theoretical predictions.
- The bound proton has shown a different trend compared to the free one indicating the medium modifications of the GPDs.

◇ Perspectives:

- Final results soon
- We will need 12 GeV Jlab to obtain better statistics and wider kinematic coverage.





He-4 CFF extraction

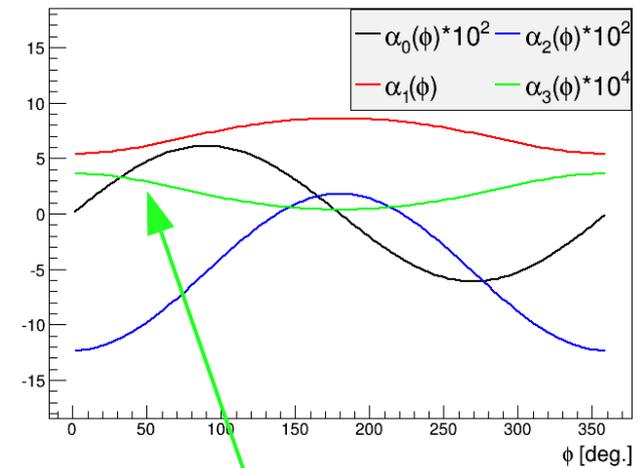
$$A_{LU}(\phi) = \frac{\alpha_0(\phi) * Im(\mathcal{H}_A)}{\alpha_1(\phi) + \alpha_2(\phi)Re(\mathcal{H}_A) + \alpha_3(\phi)(Im(\mathcal{H}_A)^2 + Re(\mathcal{H}_A)^2)}$$

$$\alpha_0(\phi) = a \sin(\phi)$$

$$\alpha_1(\phi) = b + c \cos(\phi) + \overbrace{d \cos(2\phi)}^{\text{Expected to be small magnitude}}$$

$$\alpha_2(\phi) = h + f \cos(\phi)$$

Expected to be small magnitude



Suppressed by 2 orders of magnitude

- Using the kinematical calculable factors (a, b, c, h and f) and the fitted coherent

$$p_0 * \sin(\phi) / (1 + p_1 * \cos(\phi))$$

→ Extracted the real and the imaginary parts of the Compton form factor from **ALU @ 90° vs. $\langle -t \rangle$**

- We have “significant” trends with t and xB

