

Physics with Light Polarized Ions – Resources & Tips



Prof. Elena Long
Hampton University Graduate
Studies (HUGS) Summery Program
June 7-11th, 2021

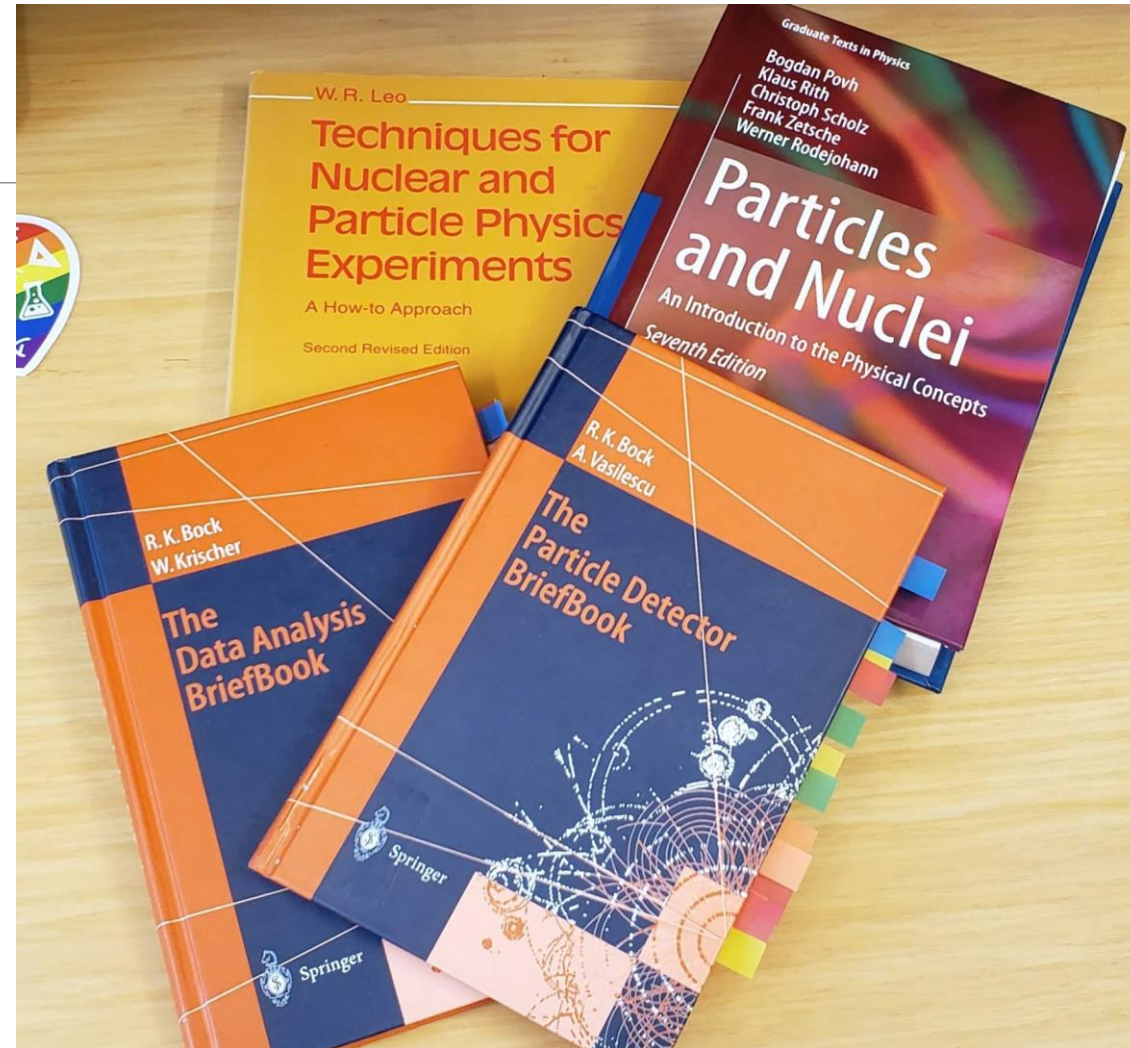


**University of
New Hampshire**



Useful Resources

- Particles and Nuclei, 7th Ed. – B. Povh, et al.
- The Particle Detector BriefBook – R.K. Bock, A. Vasilescu
 - bit.ly/ParticleDetectorBriefbook
- The Data Analysis BriefBook – R.K. Bock, W. Krischer
 - bit.ly/DataAnalysisBriefbook
- iNSPIRE HEP
 - inspirehep.net
- arXiv
 - arxiv.org
- ROOT Data Analysis Framework
 - root.cern.ch
- Techniques for Nuclear and Particle Physics Experiments: A How-To Approach, 2nd Ed. – W.R. Leo



Useful Constants & Nuclear Physics Tips

- *Always check the units!!!*
- $1 \text{ fm} = 10^{-15} \text{ m} \approx \text{radius of a proton}$
- Always use MeV or GeV for energy/mass/momentum & leave c 's as c
 - $m_e = 0.511 \text{ MeV}/c^2$
 - $m_p = 938.727 \text{ MeV}/c^2 \approx 1 \text{ GeV}/c^2$
- Always group \hbar with c to make your life easier
 - $\hbar c = 197.3 \text{ MeV} \cdot \text{fm} \approx 200 \text{ MeV} \cdot \text{fm}$
- $\alpha = \frac{e^2}{4\pi\epsilon_0\hbar c} \cong \frac{1}{137}$ is useful to turn pesky charge units into 1 easy-to-remember #

Useful Constants & Nuclear Physics Tips

- $1 \text{ mb} = 10^{-27} \text{ cm}^2$
- Steradians (sr) define a solid angle ('angular area') $\rightarrow \Omega = \frac{A}{r^2} \text{ sr} = \Delta\theta \cdot \Delta\phi$
- $\frac{h}{k_B} = 4.799 \times 10^{-5} \frac{\text{K}}{\text{MHz}} \approx 5 \times 10^{-5} \frac{\text{K}}{\text{MHz}} = 1 \text{ atomic specific heat constant}$
- If units in a paper don't work, check if they used natural units $\hbar = c = \varepsilon_0 = 1$ and work backwards from what the units should be
- When highly relativistic ($>10 \text{ MeV}$ for electrons; $>20 \text{ GeV}$ for nucleons), use $pc \approx E$

Useful Equations*

* For fixed-target scattering scaled by nucleon mass. More general terms are given in Povh & the Particle Detector BriefBook.

- $Q^2 = 4EE' \sin^2\left(\frac{\theta}{2}\right)$ ← 4-momentum transfer. Inversely proportional to resolution ($\lambda \propto \frac{1}{\sqrt{Q^2}}$)
- $\nu = \omega = E - E'$ ← Energy transfer \approx How hard did we hit it?
- $x = \frac{Q^2}{2m_p\nu}$ ← Bjorken $x \approx$ How massive was the thing we hit?
- $W^2 = m^2 + 2m\nu - Q^2$ ← Invariant Mass Squared of Hadronic System

