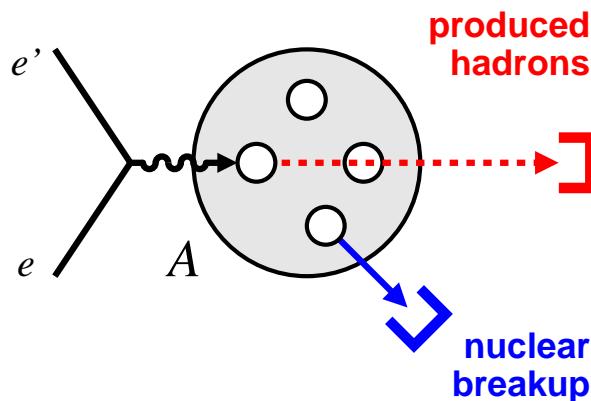


# Target fragmentation and nuclear breakup in DIS

C. Weiss (JLab), Fragmentation Functions 2021, INT Seattle, 05 Nov 2021



- Target fragmentation in DIS
  - QCD factorization
  - Conditional PDFs or fracture functions

- Nuclear breakup in DIS
  - Simplest case: Deuteron spectator tagging
  - Cross section and observables
  - Light-front nuclear structure
  - Final-state interactions

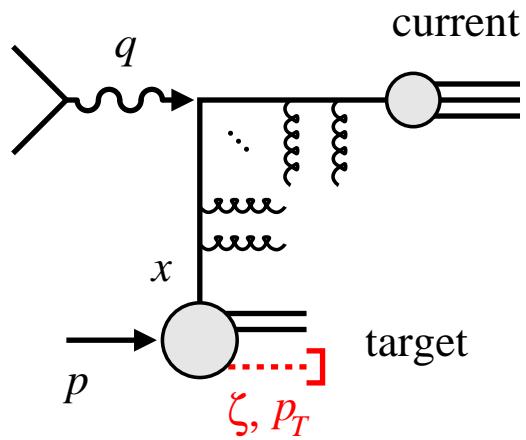
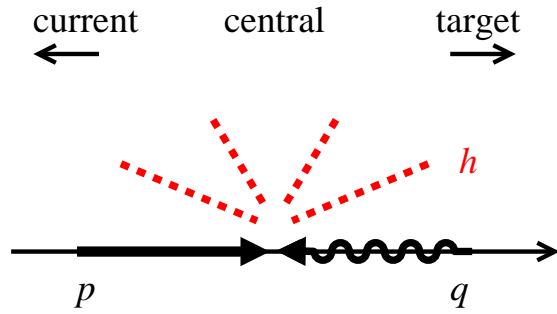
- Applications
  - Free neutron structure, EMC effect
  - Spin dependence, T-odd structures

Nuclear breakup measurements in DIS as special case of target fragmentation

- QCD factorization
- Structures:  $p_T$ ,  $\phi$ , spin
- Dynamics: Nuclear theory, FSI
- Applications

# Target fragmentation: Basics

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- Hadron production in DIS

Multiplicity  $\propto \log W$

Current – central – target regions

Variables: Rapidity,  $x_F$ , light-cone fraction  $\zeta$ , ...

- Target fragmentation

QCD factorization for single-inclusive hadron prodn  
Trentadue, Veneziano 93; Collins 97

Conditional PDFs or fracture functions

Leading twist, DGLAP evolution

- Applications

Nucleon: Flavor, spin, parton correlations

Workshop “Target Fragmentation Physics with EIC,”

CFNS Stony Brook, 28-30 Sep 2020 [Webpage].

EIC Yellow Report arXiv:2103.05419

Nuclei: Nuclear breakup measurements ←

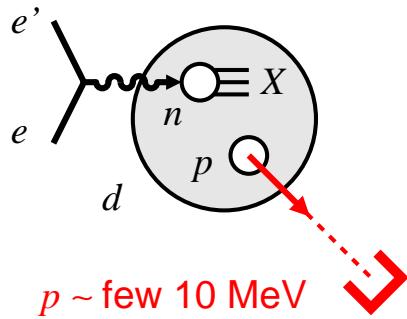
# Target fragmentation: Nuclear breakup

3

- Nuclear breakup measurements

Simplest case:  $e + d \rightarrow e' + X + p, n$

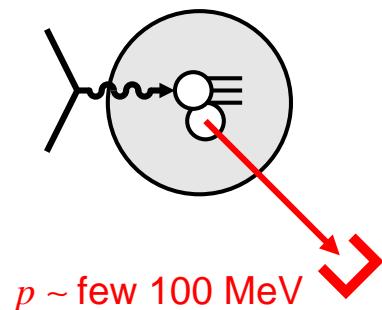
“Spectator tagging”



- Applications

Control nuclear configurations during DIS process:  
Active  $n$  or  $p$ , size of config  $\leftrightarrow$  interactions

Neutron structure extraction,  
EMC effect, NN correlations



- Detection

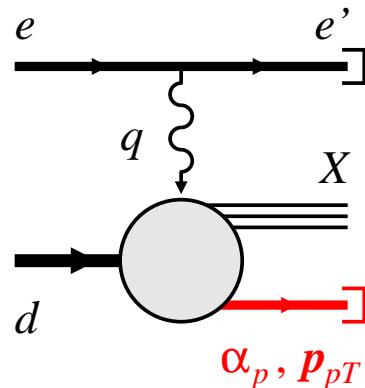
Fixed-target: Slow nucleons  $\sim$  few 10 – 100 MeV  
Protons: JLab6/12 BONUS, ALERT, TDIS  
Neutrons: BAND

[Nuclear rest frame view]

Collider: Far-forward detection  
Excellent capabilities for forward proton and neutrons  
EIC Yellow Report  $\rightarrow$  Talk Nguyen

# Tagging: Cross section and observables

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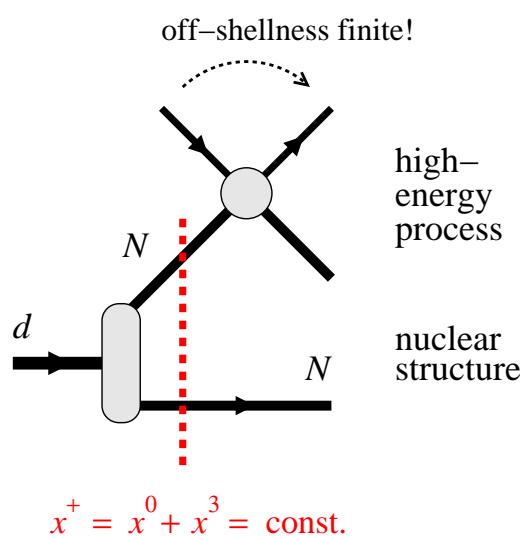


$$\frac{d\sigma}{dx dQ^2 (d^3 p_p / E_p)} = [\text{flux}] \left[ F_{Td}(x, Q^2; \alpha_p, \mathbf{p}_{pT}) + \epsilon F_{Ld}(..) + \sqrt{2\epsilon(1+\epsilon)} \cos \phi_p F_{LT,d}(..) + \epsilon \cos(2\phi_p) F_{TT,d}(..) + \text{spin-dependent structures} \right]$$

- Semi-inclusive DIS cross section  $e + d \rightarrow e' + X + p$
- Tagged proton momentum described by LF components  $p_p^+ = \alpha_p p_d^+/2$ ,  $\mathbf{p}_{pT}$ , simply related to  $\mathbf{p}_p$  (restframe)
- No a-priori assumptions re composite nuclear structure,  $A = \sum N$ , etc.

# Tagging: Theoretical description

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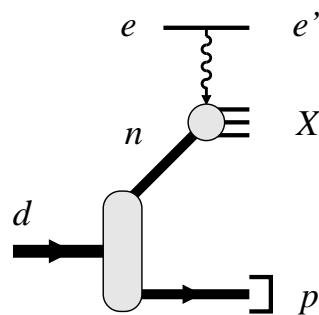
- Light-front quantization

Nuclear structure described at fixed light-front time  $x^+ = x^0 + x^3 = \text{const.}$

Off-shellness of nucleon scattering process remains finite in high-energy limit, permits matching with on-shell nucleon amplitudes [Frankfurt, Strikman 80's](#)

Deuteron LF wave function  ${}_{x^+} \langle pn | d \rangle = \Psi(\alpha_p, \mathbf{p}_{pT})$

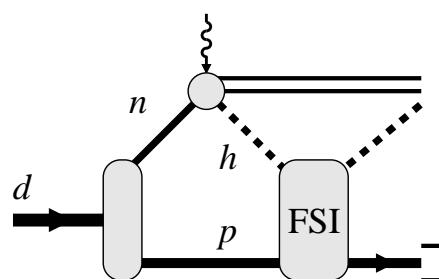
Low-energy nuclear structure  $\leftrightarrow$  non-relativistic theory



- Composite description

Impulse approximation IA: DIS final state and spectator nucleon evolve independently

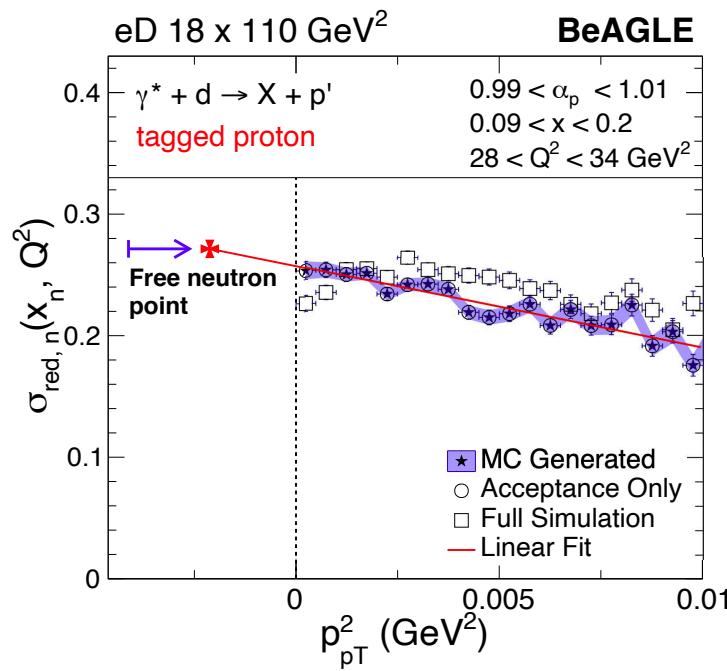
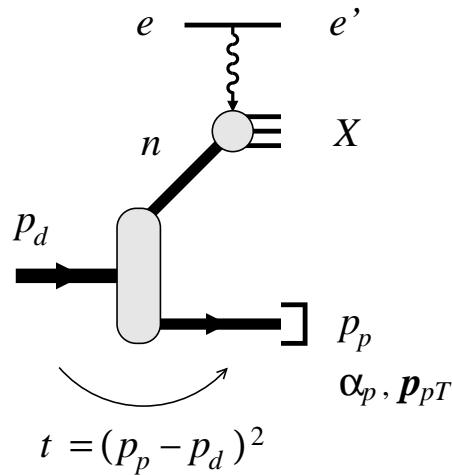
Final-state interactions: Part of DIS final state interacts with spectator, transfers momentum



Here: Factorize nuclear and nucleonic structure  
Calculate cross secn from nucleon LT structure functions, not PDFs

# Tagging: Free neutron structure

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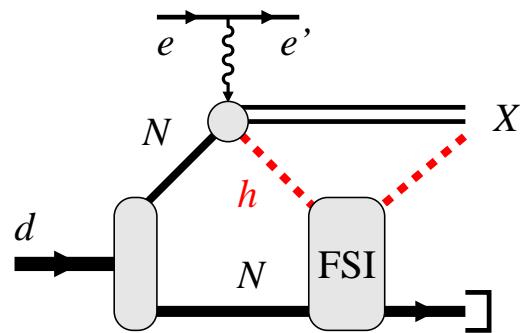


Simulation of proton/neutron tagging and pole extrapolation with EIC far-forward detectors. Jentsch, Tu, Weiss 2108.08314

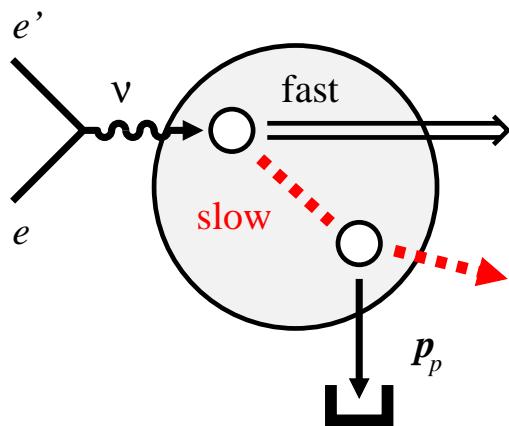
- Nucleon pole in deuteron wave function
  - Configurations with size  $\rightarrow \infty$ , nucleons free
  - Contained in IA cross section
- Free neutron from pole extrapolation
  - Measure tagged cross section at physical  $p_{pT}^2 > 0$  and fixed  $\alpha_p$ . Remove pole factor
  - Extrapolate to pole  $p_{pT}^2 = -a_T^2 < 0$ , corresponding to  $t - m^2 = 0$
  - Eliminates nuclear binding effects and FSI  
[Sargsian, Strikman 05](#)
  - Extension to polarized DIS  
[Cosyn, CW 2020](#)
- EIC simulations
  - Far-forward detection of protons/neutrons

# Tagging: Final-state interactions

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- DIS final state can interact with spectator  
Changes observed nucleon distribution in tagging  
No effect on total cross section: Closure  
Depends on kinematics: Hadron distributions, formation
- Space-time picture in nuclear rest frame  $x \gtrsim 0.1$



$E_h = O(\nu)$  “fast” hadrons formed outside nucleus  
interact weakly with spectators

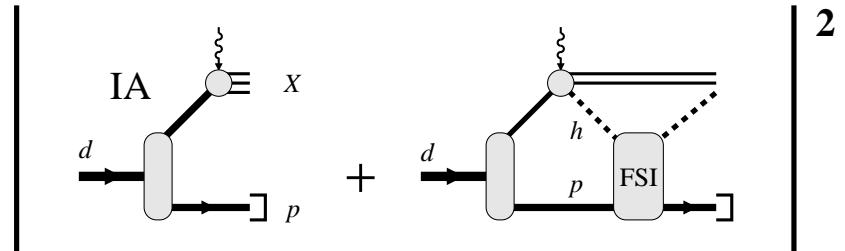
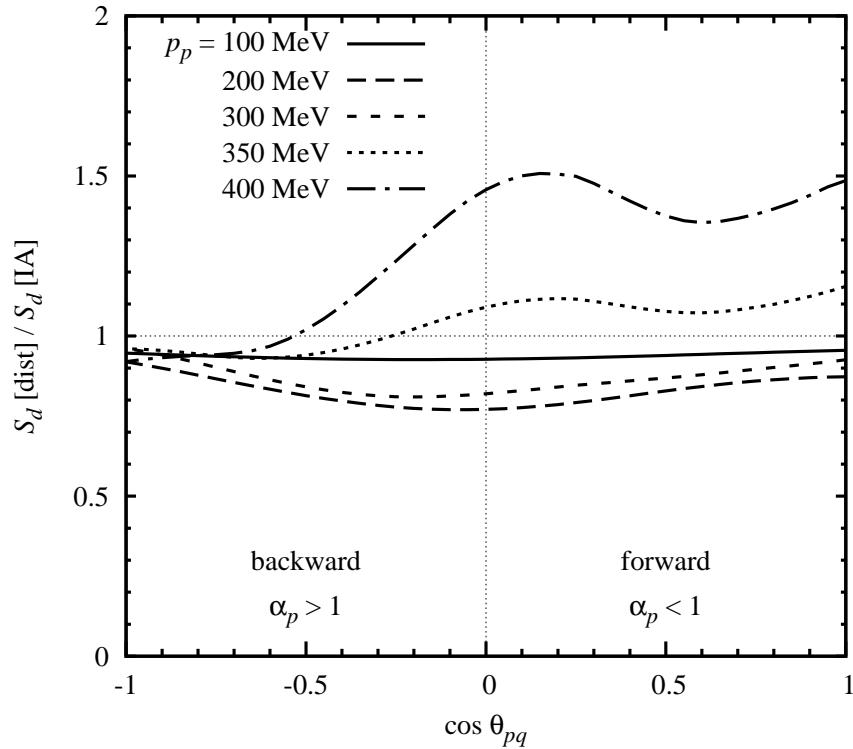
$E_h = O(\mu_{\text{had}})$  “slow” hadrons formed inside nucleus  
interact with hadronic cross section  
dominant source of FSI ←

Respects QCD factorization for target fragmentation:  
FSI only modifies soft breakup of target, no long-range  
rapidity correlations. FSI leading-twist effect

FSI effect calculated using hadron distribution data,  
hadronic cross sections  
Strikman, CW, PRC97 (2018) 035209

# Tagging: Final-state interactions II

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- Quantum-mechanical description:  
Interference, absorptio  
[Strikman, CW, PRC97 \(2018\) 035209](#)

- Momentum and angle dependence in rest frame

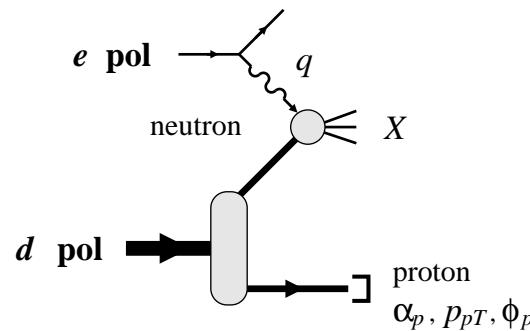
$p_p < 300 \text{ MeV}$        $\text{IA} \times \text{FSI}$  interference, absorptive, weak angular dependence

$p_p > 300 \text{ MeV}$        $|\text{FSI}|^2$ , refractive, strong angular dependence

- FSI vanishes at nucleon pole  $t - m^2 \rightarrow 0$ ; pole extrapolation feasible

# Tagging: Polarized deuteron

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- Deuteron spin density matrix  $\rho_{\lambda\lambda'}(S, T)$

3 vector parameters, 5 tensor parameters

Fixed by polarization measurements  
cf. Stokes' parameters for photon

- Polarized tagged cross section

Cosyn, Sargsian, CW 17

$$\frac{d\sigma}{dx dQ^2 (d^3 p_p / E_p)} = [\text{flux}] (\mathcal{F}_U + \mathcal{F}_S + \mathcal{F}_T) \quad \mathcal{F}_I = \text{functions}(x, Q^2, \alpha_p, p_{pT}, \phi_p)$$

$$\mathcal{F}_U = \mathcal{F}_{UU,T} + \epsilon \mathcal{F}_{UU,L} + \sqrt{2\epsilon(1+\epsilon)} \cos \phi_h \mathcal{F}_{UU}^{\cos \phi_h} + \epsilon \cos 2\phi_h \mathcal{F}_{UU}^{\cos 2\phi_h} + \textcolor{brown}{h} \sqrt{2\epsilon(1-\epsilon)} \sin \phi_h \mathcal{F}_{LU}^{\sin \phi_h}$$

$$\begin{aligned} \mathcal{F}_S = & \textcolor{red}{S}_L \left[ \sqrt{2\epsilon(1+\epsilon)} \sin \phi_h \mathcal{F}_{US_L}^{\sin \phi_h} + \epsilon \sin 2\phi_h \mathcal{F}_{US_L}^{\sin 2\phi_h} \right] \\ & + \textcolor{brown}{S}_L h \left[ \sqrt{1-\epsilon^2} \mathcal{F}_{LS_L} + \sqrt{2\epsilon(1-\epsilon)} \cos \phi_h \mathcal{F}_{LS_L}^{\cos \phi_h} \right] \\ & + \textcolor{red}{S}_\perp \left[ \sin(\phi_h - \phi_S) \left( \mathcal{F}_{US_T,T}^{\sin(\phi_h-\phi_S)} + \epsilon \mathcal{F}_{US_T,L}^{\sin(\phi_h-\phi_S)} \right) + \epsilon \sin(\phi_h + \phi_S) \mathcal{F}_{US_T}^{\sin(\phi_h+\phi_S)} \right. \\ & \left. + \epsilon \sin(3\phi_h - \phi_S) \mathcal{F}_{US_T}^{\sin(3\phi_h-\phi_S)} + \sqrt{2\epsilon(1+\epsilon)} \left( \sin \phi_S \mathcal{F}_{US_T}^{\sin \phi_S} + \sin(2\phi_h - \phi_S) \mathcal{F}_{US_T}^{\sin(2\phi_h-\phi_S)} \right) \right] \\ & + \textcolor{red}{S}_\perp h \left[ \sqrt{1-\epsilon^2} \cos(\phi_h - \phi_S) \mathcal{F}_{LS_T}^{\cos(\phi_h-\phi_S)} + \right. \\ & \left. \sqrt{2\epsilon(1-\epsilon)} \left( \cos \phi_S \mathcal{F}_{LS_T}^{\cos \phi_S} + \cos(2\phi_h - \phi_S) \mathcal{F}_{LS_T}^{\cos(2\phi_h-\phi_S)} \right) \right], \end{aligned}$$

# Tagging: Polarized deuteron II

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$$\begin{aligned}
 F_T = & \textcolor{green}{T}_{LL} \left[ F_{UT_{LL}, T} + \epsilon F_{UT_{LL}, L} + \sqrt{2\epsilon(1+\epsilon)} \cos \phi_h F_{UT_{LL}}^{\cos \phi_h} + \epsilon \cos 2\phi_h F_{UT_{LL}}^{\cos 2\phi_h} \right] \\
 & + \textcolor{green}{T}_{LL} \textcolor{brown}{h} \sqrt{2\epsilon(1-\epsilon)} \sin \phi_h F_{LT_{LL}}^{\sin \phi_h} \\
 & + \textcolor{green}{T}_{L\perp} [\dots] + \textcolor{green}{T}_{L\perp} \textcolor{brown}{h} [\dots] \\
 & + \textcolor{green}{T}_{\perp\perp} \left[ \cos(2\phi_h - 2\phi_{T_\perp}) \left( F_{UT_{TT}, T}^{\cos(2\phi_h - 2\phi_{T_\perp})} + \epsilon F_{UT_{TT}, L}^{\cos(2\phi_h - 2\phi_{T_\perp})} \right) \right. \\
 & + \epsilon \cos 2\phi_{T_\perp} F_{UT_{TT}}^{\cos 2\phi_{T_\perp}} + \epsilon \cos(4\phi_h - 2\phi_{T_\perp}) F_{UT_{TT}}^{\cos(4\phi_h - 2\phi_{T_\perp})} \\
 & \left. + \sqrt{2\epsilon(1+\epsilon)} \left( \cos(\phi_h - 2\phi_{T_\perp}) F_{UT_{TT}}^{\cos(\phi_h - 2\phi_{T_\perp})} + \cos(3\phi_h - 2\phi_{T_\perp}) F_{UT_{TT}}^{\cos(3\phi_h - 2\phi_{T_\perp})} \right) \right] \\
 & + \textcolor{green}{T}_{\perp\perp} \textcolor{brown}{h} [\dots]
 \end{aligned}$$

- U + S cross sections identical to spin-1/2 target Bacchetta et al. 07
- T cross section has 23 new tensor structure functions specific to spin-1  
4 structure functions survive in inclusive DIS, cf.  $b_1 - b_4$  Hoodbhoy, Jaffe, Manohar 88
- $\phi$ -harmonics specific to tensor polarization — new handle
- T-odd structures vanish in impulse approximation,  
provide sensitive tests of FSI

# Tagging: Applications and extensions

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- Spectator tagging + current fragmentation SIDIS

Use both target and current fragmentation regions – correlations → see also Talk Avakian

Additional information for flavor separation:  $p \leftrightarrow n$  and  $\pi^+, K^+ \leftrightarrow \pi^-, K^-$

- Tagged exclusive processes

Meson production or DVCS on neutron

“Know” forward-going hadron: Simpler FSI calculations, test picture/models

- Tagging with nuclei  $A > 2$

→ Talk Nguyen

Much more complex: Wave function overlap in IA, multiple trajectories in FSI

Requires input from low-energy nuclear structure

Workshop “Polarized light ion physics with EIC”, 5-9 Feb 2018, Ghent [Webpage].  
Emerging collaboration with low-energy nuclear structure community

# Summary

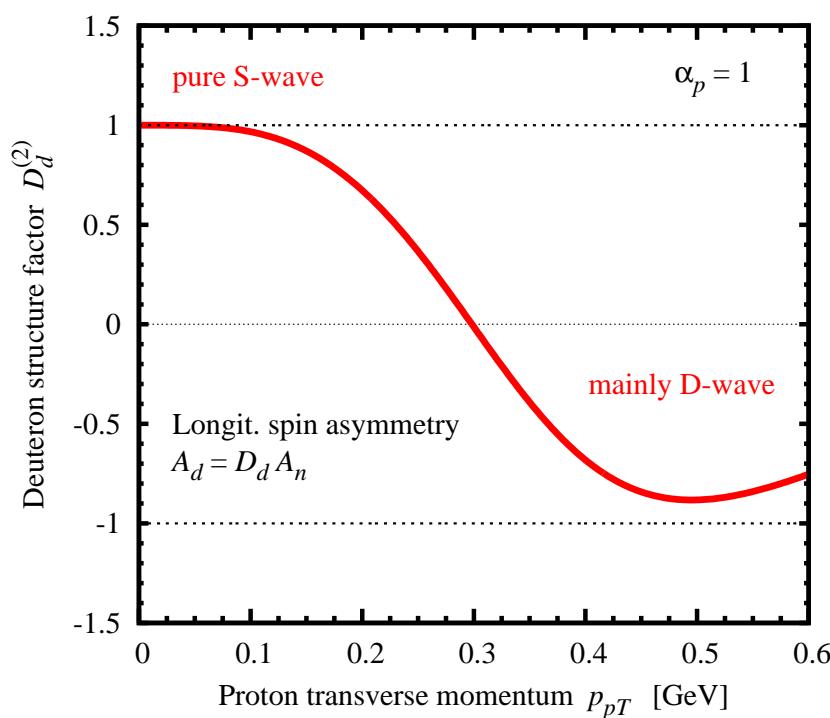
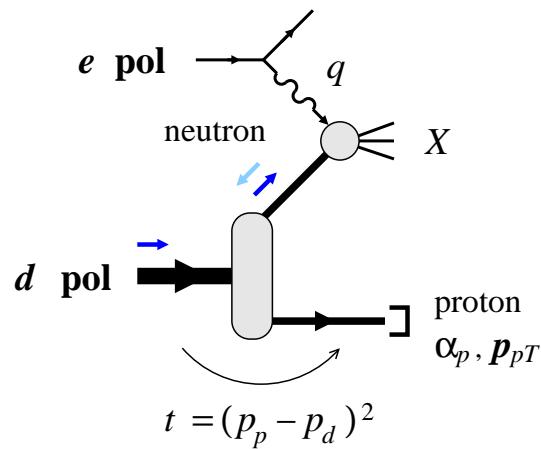
12

- Nuclear breakup as special case of target fragmentation
  - General form of SIDIS cross section, including  $p_T$ ,  $\phi$  spin dependence
  - QCD factorization theorem, leading-twist structures
  - “Fracture functions” calculated from nuclear theory
  - New possibilities: Spin-1 target, tensor polarization, T-odd structures
  - Should be interesting to researchers in SIDIS/fragmentation
- Practical applications
  - Initial-state structure: Free neutron, EMC effect, NN correlations, . . .
  - Final-state interactions: Use nuclear breakup to learn about hadronization process?  
→ [Talk Gallmeister](#)
- Exciting prospects for programs at JLab12 and EIC

# Supplementary material

# Tagging: Neutron spin structure

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- Nuclear binding: Neutron polarization?  
 $S + D$  waves, depolarization

- Control neutron polarization  
Measure tagged spin asymmetries

D-wave drops out at  $\mathbf{p}_{pT} = 0$ :  
Pure S-wave, neutron 100% polarized

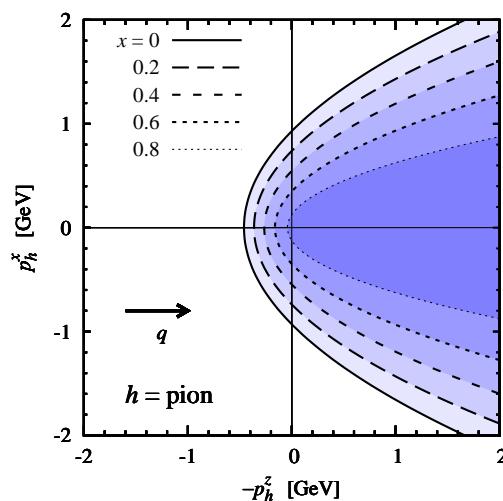
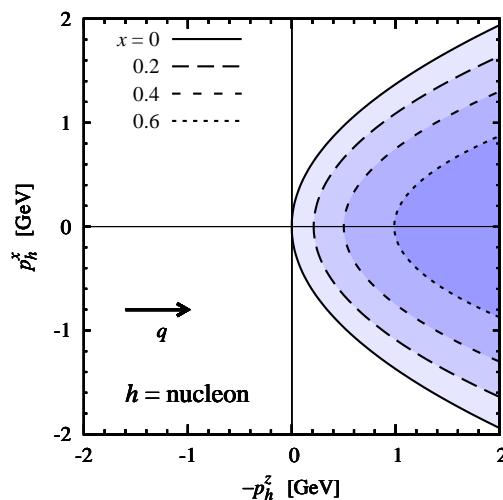
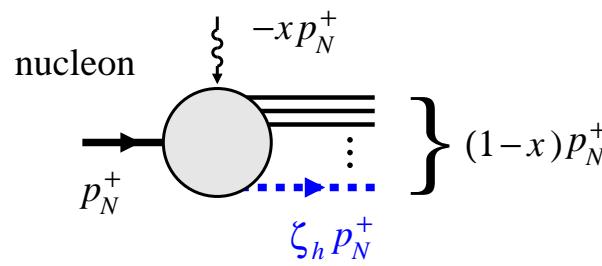
$[|\mathbf{p}_{pT}| \approx 400 \text{ MeV}: \text{D-wave dominates}]$

- Free neutron spin structure  
On-shell extrapolation of asymmetry

- EIC simulations  
Possible with int lumi  $\sim$  few  $10 \text{ fb}^{-1}$

# FSI: Hadron distributions from DIS

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- Kinematic variables

$\zeta_h, \mathbf{p}_{hT}$  hadron LC momentum

Slow hadrons in rest frame have  $\zeta_h \sim 1$

$\zeta_h < 1 - x$  kinematic limit

$\zeta_h / (1 - x) \approx -x_F$  relation to Feynman var

- Momentum distribution in rest frame

Constrained by LC momentum conservation

Cone opening in virtual photon direction  $q$

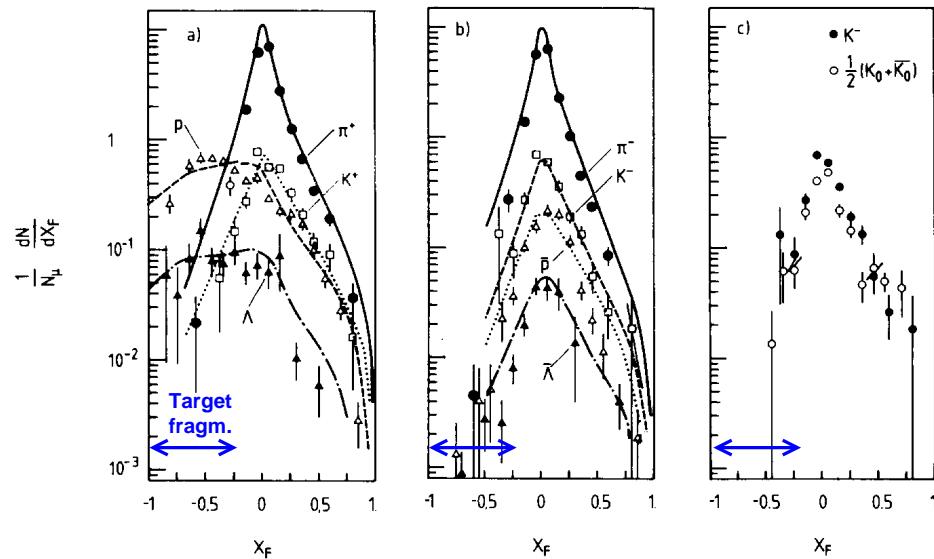
$h = \text{nucleon}$ :  $\mathbf{p}_h$  forward, grows for  $x \rightarrow 1$

$h = \text{pion}$ :  $\mathbf{p}_h$  forward or backward

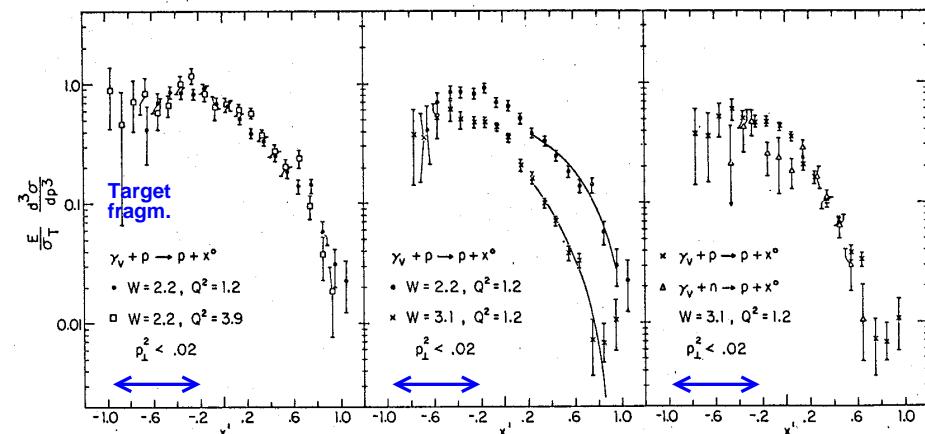
# FSI: Hadron distributions from DIS

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EMC hadron  $x_F$  distributions. Phys Lett B 150 (1986) 458



Cornell proton distributions in DIS. Hanson 1976



- Measurements of target fragmentation ( $x_F < 0$ )

EMC  $\mu p$  1986  $x > 0.02$ :  $x_F$  distributions of  $p, \bar{p}, \pi^\pm, K^\pm, \Lambda$

HERA  $e p$  2009/2014  $x < 0.01$ :  $x_F$  distributions of  $p, n$

Cornell  $e p$  1975  $x > 0.1$ : Momentum distributions of  $p, \pi$

Neutrino DIS: FNAL-E-0031 1977, CERN-WA-021 1981

- JLab12 and EIC should measure target fragmentation

→ Talk Strikman

Spin/flavor dependence? Kinematic dependences?

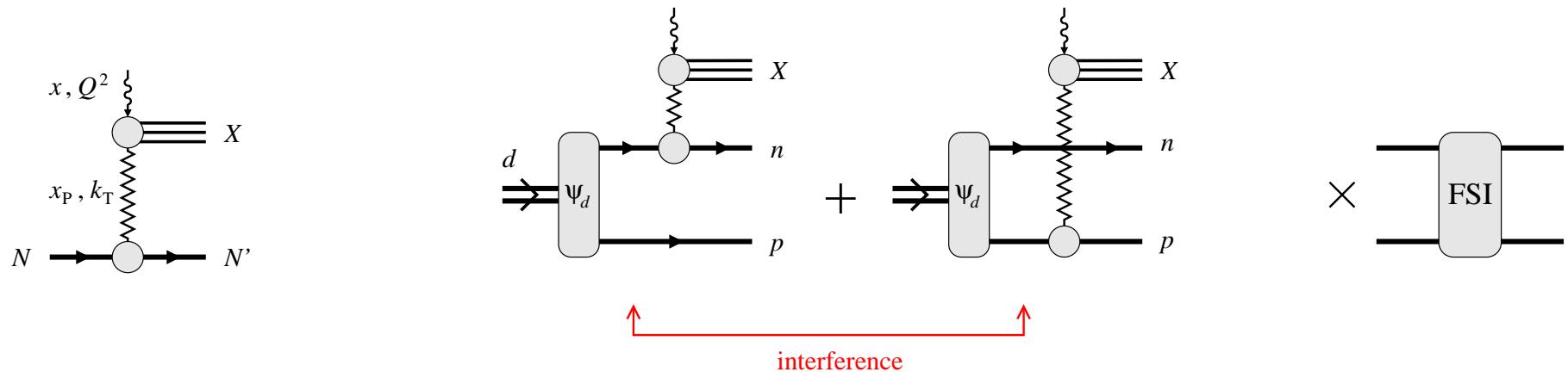
Interesting nucleon structure physics + necessary input for nuclear FSI!

Workshop “Target Fragmentation Physics with EIC,” CFNS Stony Brook, 28-30 Sep 2020 [Webpage].

EIC Yellow Report arXiv:2103.05419

# FSI: Diffractive DIS at small $x$

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- Diffractive scattering: Nucleon remains intact, recoils with  $k \sim$  few 100 MeV (rest frame)

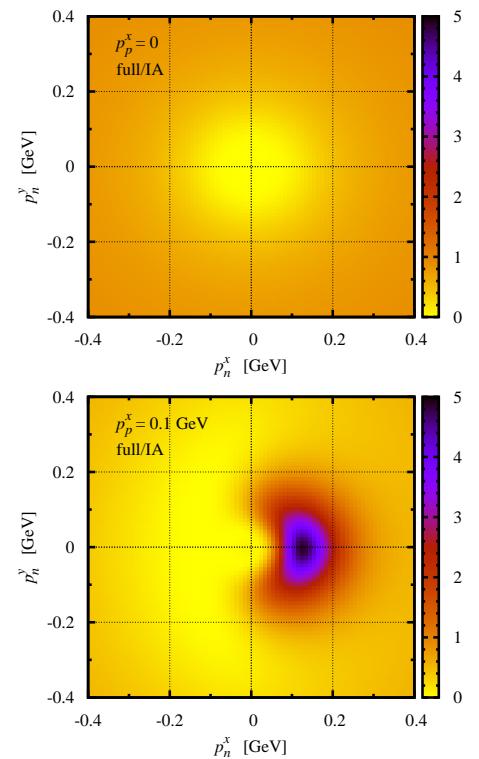
- Shadowing: QM interference of diffractive scattering on neutron or proton  
Observed in inclusive nuclear scattering

- Final-state interactions

Low-momentum  $pn$  system with  $S = 1, I = 0$

$pn$  breakup state must be orthogonal to  $d$  bound state

Large distortion, qualitative deviations from IA  
Guzev, Strikman, CW; in progress



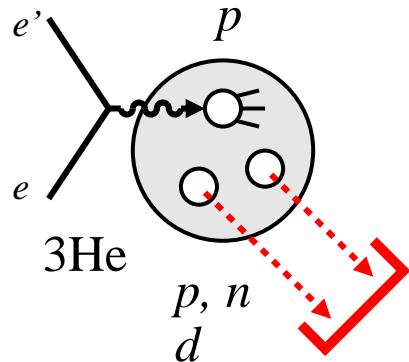
# Extensions: Tagging with nuclei $A > 2$

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- Potential applications

Isospin dependence neutron  $\leftrightarrow$  proton

Universality of bound nucleon structure



- Simplest example:  $A=1$  ground state recoil

$^3\text{He} (e, e' d) X$ , including polarization

Ciofi, Kaptari, Scopetta 99; Kaptari et al. 2014; Milner et al. 2018

Bound proton  $\leftrightarrow$  free proton structure

- Nuclear breakup much more complex than  $A=2$

IA: Wave function overlap, large amplitude factors

FSI: Multiple trajectories

Requires new nuclear structure input:

Light-front spectral functions, decay functions, FSI

Workshop “Polarized light ion physics with EIC”, 5-9 Feb 2018,

Ghent [Webpage]. Emerging collaboration with low-energy

nuclear structure community